

Blocks 4 kB

1 a)

$\Pi_{\text{personID}, \text{name}, \text{deviceID}, \text{number}} \text{ (Projekt)}$

$\bowtie_{BNLJ}$

deviceID  
~~operatorName = 'Portugal'~~

~~Portugal~~

~~CountryName = 'Portugal' (linien)~~

Country

A

(linien) ~~operatorName BETWEEN ...~~

Person

$\Pi_{\text{country}}$

$\bowtie_{BNLJ}$

$\bowtie_{BNLJ}$

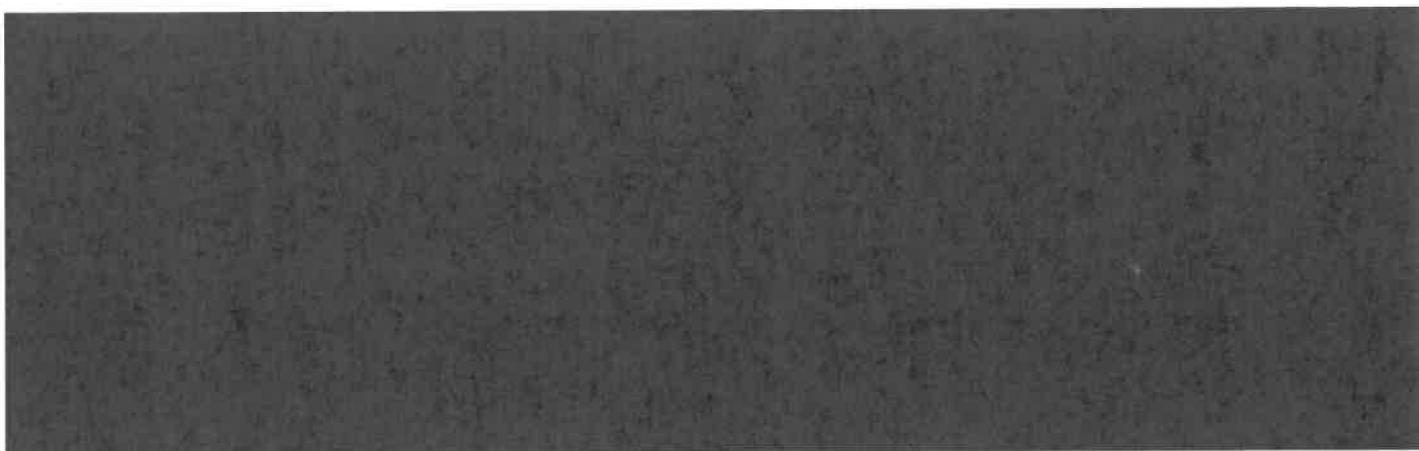
person

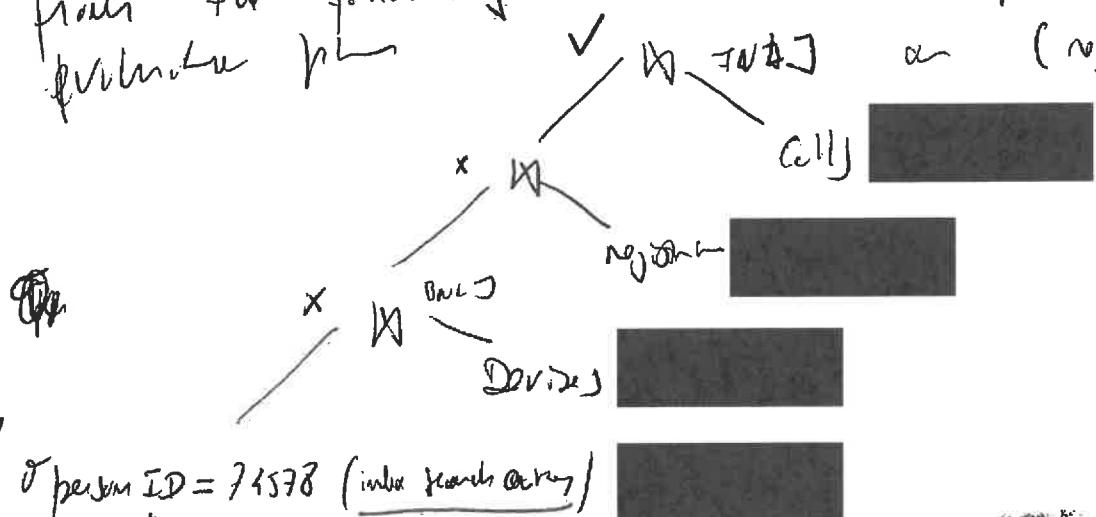
Country devices



1b)

SELECT \*  
FROM ~~standard~~ Devices (NATURAL ~~INNER~~ JOIN (cont))  
WHERE (DeviceID = ?  
AND [Carry Name = 'Panty'])



1c) To query would in principle could benefit  
from the following indices in the following  
order from left to right (registering)  
  
  
✓ personID = 74578 (index search array)  
... from dev  
I would write an index on ~~at least~~ devices(personID),  
registrations(deviceID),

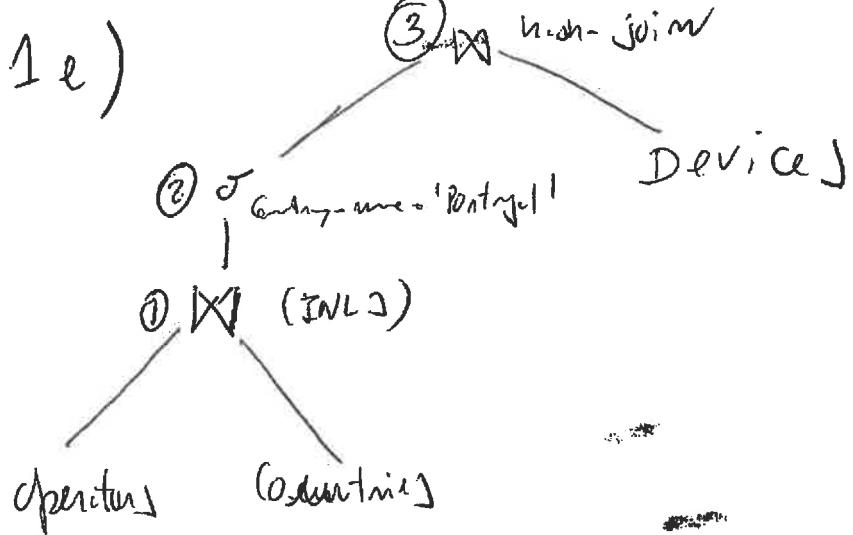
Since the number of expected rows is ~ 2 devices  
and  $2 \times 5 = 10$  registers.

1d) ~~NO~~  
SELECT SUM(~~cost~~)  
FROM cells WHERE  
width < duration ≤ 1000

10.000.000 triples → 305 blocks / Vitrin  
Bei der verarbeitung → 305.000 Blöcke müssen so viele  
~~gefunden~~ & ~~abgetragen~~ werden als triplets  
die ~~enthalten~~ in einer Linie sind kann die Anzahl  
an Containing ist um Linien so man die Anzahl  
an 68K Blöcken!  
Um auf diese Weise möglich zu machen ist es nötig  
die + Punkte gefunden:

1d) SELECT SUM(cost)  
FROM cells  
WHERE duration ≤ 1000

NO: [REDACTED] + need to get from [REDACTED]  
Exp: a lot of values [REDACTED]  
Cost: [REDACTED]



① operators is the outer addition with 740 tuples and 11 blocks  
 So the cost will be ~~and the index p[20]~~ and the memory of outer which is ~~several~~ ~~several~~

$$11 * (t_7 + t_S) + 740 * c$$

$$\text{So } c = (2+1) * (t_7 + t_S)$$

$$\text{therefore the cost} \rightarrow 11 * (t_7 + t_S) + 740 * 3 * (t_7 + t_S)$$

$$= 11 * 11t_7 + 740 * 3 * 11t_7$$

$$= 121t_7 + 24420t_7 = 24541t_7$$

(mark that ~~both~~<sup>the blocks of</sup> operators and the BT-tree and Cartesian all fit in memory, so one could in fact reduce the time to)

$$\underbrace{1 * t_S + 11 * t_7}_{\text{operator}} + \underbrace{1 * t_S + 5 * t_T}_{\text{BT-tree}} + \underbrace{1 * t_S + 3 * t_T}_{\text{Cartesian}}$$

~~as 11 in 6 tuples~~

~~could be used to reduce the time?~~

result HJ  $\rightarrow$  740 tuples

② does not cost anything since it can be done quickly by filtering in memory

$$0 * t_S + 0 * t_T$$

resulting in 4 tuples

③ the hash-join simply constructs a memory block of the 4 tuples in ~~advise~~ ~~advise~~ of the 4 tuples. This is the cost so just reading the Device table (denoted ~~for partition~~)

$$1 * t_S + 3028 * t_T \text{ resulting in 1 row written}$$

## 2a) RAID 6

protects against two disk failures therefore  
is more fault tolerant. This is  
important in large arrays because of

- latent failures
- errors are more common
- increase rebuild time with one failure  
protects given better performance
- redundant loss

2b) The null bitmap is essential to treat  
Query Condition like ~~IS NULL~~, additionally  
it is required to handle correctly the semantics of  
conditions like  $\text{NOT}(\forall = ?)$ .

The deleted bitmap is used to avoid changing  
all the bitmaps when a value is deleted (soft-deletion)  
this is important to guarantee that removed values  
are not returned.

2d)

$1 \times (b_n + b_s) \rightarrow$  read the relations for partitioning

$1 \times (b_n + b_s) \rightarrow$  write the partitions

$1 \times (b_n + b_s) \rightarrow$  read the build end file

$(4 \times M_h) \rightarrow$  for overflow of partitions

$+ 2 \left( \frac{b_n}{b_b} + \frac{b_s}{b_b} \right) \rightarrow$  b<sub>b</sub> blocks are read at a time  
so we need to read  $\frac{b_n}{b_b}$  blocks from a and S

the same for output if we use b<sub>b</sub> blocks?

$2 \times M_h \rightarrow$  seeks → read the partitions, one for the build -  
one for the build