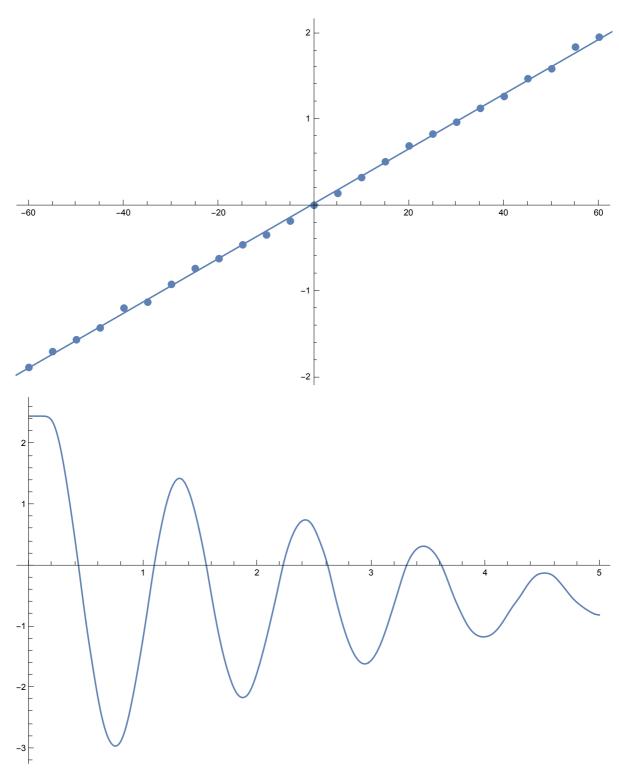
```
data = {
    {30, 1.38, 1.37}, {35, 1.46, 1.44}, {40, 1.52, 1.54},
    {45, 1.58, 1.6}, {50, 1.68, 1.68}, {55, 1.71, 1.74}, {60, 1.8, 1.79},
    {65, 1.88, 1.87}, {70, 1.93, 1.93}, {75, 2, 1.99}, {80, 2.05, 2.06},
    {85, 2.12, 2.14}, {90, 2.2, 2.2}, {95, 2.26, 2.27}, {100, 2.34, 2.33},
    \{105, 2.42, 2.42\}, \{110, 2.5, 2.51\}, \{115, 2.56, 2.56\},
    {120, 2.62, 2.61}, {125, 2.69, 2.7}, {130, 2.75, 2.75},
    {135, 2.84, 2.84}, {140, 2.89, 2.89}, {145, 3, 2.97}, {150, 3.05, 3.02}
  };
data[[All, 1]] = data[[All, 1]] - 90;
data[[All, 2]] = data[[All, 2]] - 2.2;
magicNumber = 2.3;
data[[All, 2]] = data[[All, 2]] * magicNumber;
separated = data[[All, {1, 2}]];
Append[separated, data[[All, {1, 3}]]];
angleModel = LinearModelFit[separated, x, x];
inverseModel = InverseFunction[angleModel[#θ] &];
Show[
 ListPlot[separated],
 Plot[angleModel[\theta], {\theta, -80, 80}]
data = Import[NotebookDirectory[] <> "Data/Experimento5.lvm", "TSV"];
data[[All, 2]] = LowpassFilter[data[[All, 2]], 0.1];
ListLinePlot[data, ImageSize → Full]
data[[All, 2]] = Map[inverseModel, data[[All, 2]]];
(* center on zero *)
data[[All, 2]] = data[[All, 2]] - Mean[data[[All, 2]]];
model = NonlinearModelFit [data, 2\pi \sqrt{\frac{1}{g} \left(1 + \frac{1}{4} \sin^2 \left(\frac{\theta}{2}\right)\right)}, {1, g}, {\theta}, {\theta}];
{\tt ListLinePlot[data,\ ImageSize \rightarrow Full]}
```



NonlinearModelFitnrInum: The functionvalue

 $\left\{-90.7281+6.28319\sqrt{1.[1.]}\text{ , }-90.7281+6.28319\sqrt{1.[1.]}\text{ , }-90.7281+6.28319\sqrt{1.[1.00001]}\text{ , }-90.7281+6.28319\sqrt{1.[1.00001]}\right\}$ $\sqrt{1.[1.00001]} \text{ , } \ll 43 \gg, -82.853 \& 6.28319 \sqrt{1.[1.00344]} \text{ , } -81.8506 + 6.28319 \sqrt{1.[1.00358]} \text{ , } -80.7835 + 1.28319 \sqrt{1.[1.00358]} \text{ , } -80.7835 + 1.28319 \sqrt{1.[1.00368]} \text{ , } -80.7835 + 1.28319 + 1$ 6.28319√1.[1.00373], ≪950≫}

is not a list of real numbers with dimensions {1000} at {I, g} = {1., 1.}. \gg

NonlinearModelFitnrlnum: The functionvalue

 $\left\{-90.7281+6.28319\sqrt{1.[1.]}\text{ , }-90.7281+6.28319\sqrt{1.[1.]}\text{ , }-90.7281+6.28319\sqrt{1.[1.00001]}\text{ , }-90.7281+6.28319\sqrt{1.[1.00001]}\right\}$ $\sqrt{1.[1.00001]} \text{ , } \ll 43 \gg \text{, } -82.8538 \text{-} 6.28319 \sqrt{1.[1.00344]} \text{ , } -81.8506 \text{+} 6.28319 \sqrt{1.[1.00358]} \text{ , } -80.7835 \text{+} -80.7835 \text{-} -80$ $6.28319\sqrt{1.[1.00373]}$, $\ll 950 \gg$

is not a list of real numbers with dimensions {1000} at {I, g} = {1., 1.}. \gg

