

Answer all questions completely. Put a box around the final solution. Put your name on it. Show your work.

By hand:

- Write the output expression for the circuits in Figure 1 and Figure 2.

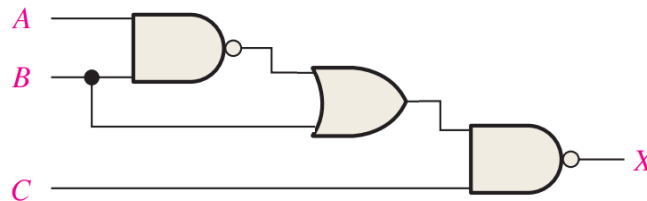


Figure 1

Starting from the left, the first gate gives $(AB)'$

Then adding the next gate gives $(AB)' + B$

Then adding the last gate gives $X = (((AB)' + B)C)'$

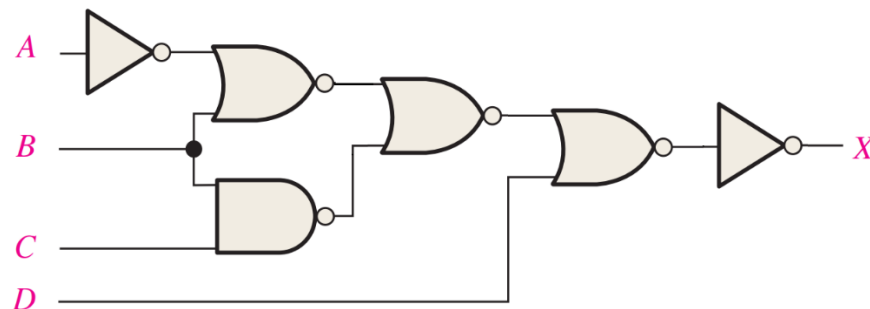


Figure 2

Starting on the left, the first NOR gate gives $(A' + B)'$

The first NAND gate gives $(BC)'$

Putting both of these into the next gate gives $((A' + B)' + (BC)')'$

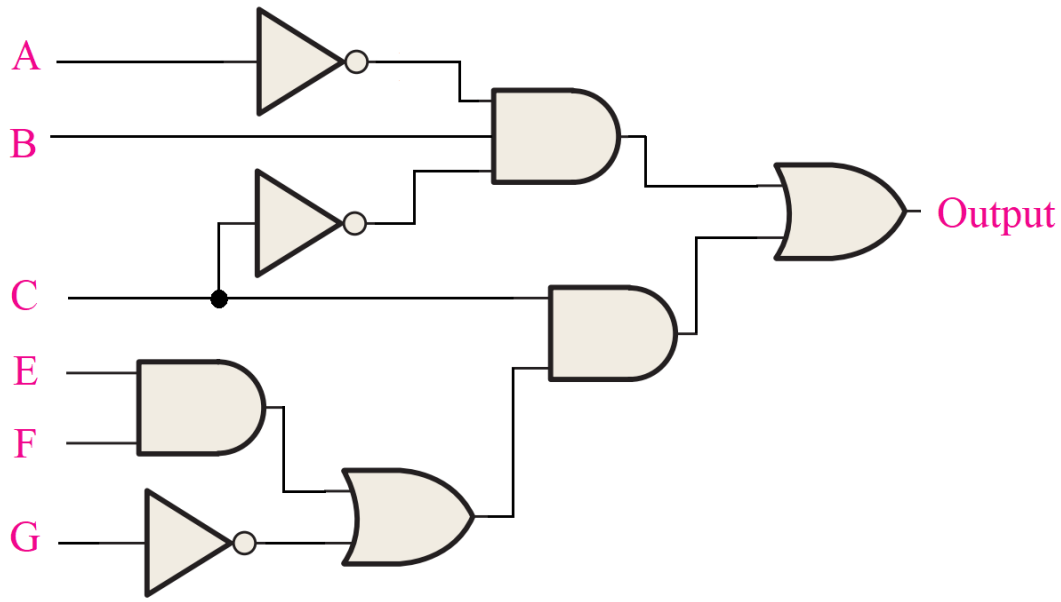
Adding the next NOR gate gives $((((A' + B)' + (BC)')' + D)'$

Then the last NOT gives $X = ((A' + B)' + (BC)')' + D$

You can distribute one of the NOTs to give $X = (A' + B)BC + D$

- Implement the following expression using only AND, OR, and NOT gates: $A'BC' + C(EF + G')$

This is one way to implement the circuit



3. Create a circuit that implements the following truth table.

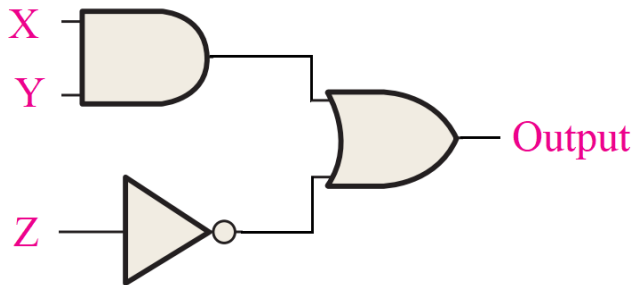
X	Y	Z	Output
0	0	0	1
0	0	1	0
0	1	0	1
0	1	1	0
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	1

One option is a minimized SOP expression using a Karnaugh map. The map would be

		Z	
		0	1
XY	00	1	0
	01	1	0
	11	1	1
	10	1	0

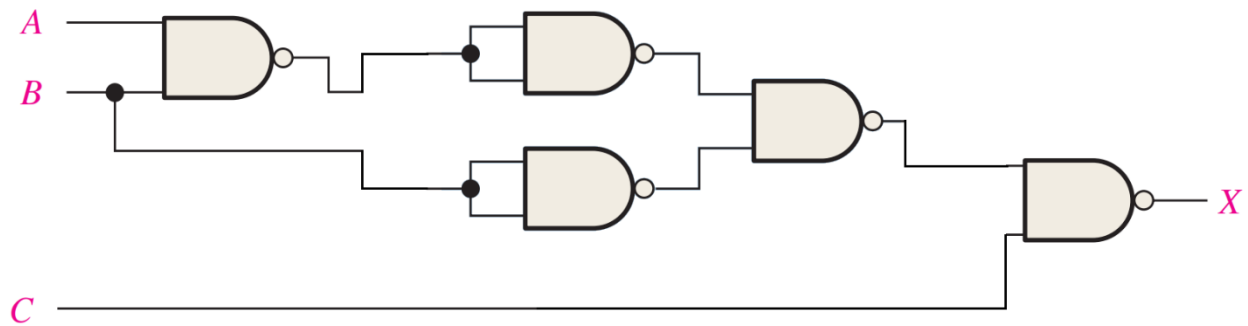
Writing the SOP expressions for the two circles gives
 $Z' + XY$

Creating a circuit for this expression would look like



4. Implement the circuit in Figure 1 using only NAND gates.

Only one OR gate needs to be replaced with NAND gates using the table that shows the equivalents



5. Implement the circuit in Figure 2 using only NOR gates.

The two NOT gates and the one NAND gate needs to be replaced with NOR gates using the table that gives the equivalents.

