

1. True/False There is no possibility of a tie in K-NN when K is odd. Briefly explain. (2 points)

When $k=1$ if two points are equidistant from the test point and they have different labels, there will be a tie.

2. Given the training data in table 2, what value of K would you choose for K-NN? Justify your choice. (3 points).

x_1	x_2	label
0	0	-1
0	1	1
1	0	1
1	1	1

Table 2: Training data.

$K=1$ Because otherwise (e.g. $k \geq 3$) ~~every test sample would be predicted as positive.~~

3. Name two ways in which K-NN and K-Means are similar and three ways in which they differ. (5 points)

Similar

- + Both have hyperparameter K .
- + Both use distance as a measure of similarity.

Different

- K-NN is supervised & K-means is unsupervised.
- No training involved in K-NN / no model.
- K-NN has high computational expense at test time. Calculate N distances. K-means only needs K distances.

1. Name two ways in which K-NN and K-Means are similar and two ways in which they differ. (4 points)

See 622 #3

2. Given the training data in table 1, for what value of K would K-NN classify the following test point as 1? $t = (-1, 0)$. For what value of K would K-NN classify the test point as -1? (2 points)

↓
 $K \geq 3$

x_1	x_2	label
0	0	-1
0	1	1
1	0	1
1	1	1

↓
 $K = 1$

Table 1: Training data.

3. What value of K would be overfitting and what value would be underfitting for K-NN and K-Means respectively? Briefly explain. (4 points)

K-NN	$K=1$ each point predicted by 1 neighbor	$K=N$ always predict same class
K-Means	$K=N$ each cluster contains 1 point. over	$K=1$ one cluster of all data under