



Machine Learning with Apache Spark

Handling Massive Data Set (Part II)

CSCI316: Big Data Mining Techniques and Implementation



Large-Scale Machine Learning

— We know MR and Spark model is powerful for distributed computation (e.g., SQL and matrix operation), but how about machine learning?

Machine Learning Setting

- Ingredients of a learning algorithm [Goodfellow et al. 2016]
 - Task (i.e., classification, regression, clustering, etc.)
 - Performance measure (e.g., accuracy, MSE, etc.)
 - Experience (i.e., dataset w/o target values)
- The ML landscape is large. We consider:
 - a generic learning technique called gradient descent
 - We use *linear regression* as an example, but most ML models can be trained via gradient descent.



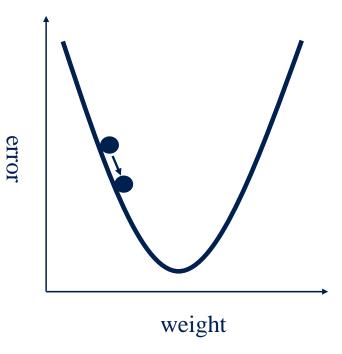
Linear Regression

- Linear regression builds a *linear function* that maps the data to the predicted values.
- We use vectors (called *feature vector*) to represent features of data.
- Given a *d*-dimensional vector \mathbf{x} , the *predicted value* is $\hat{\mathbf{y}} = \mathbf{w}^T \mathbf{x}$ where \mathbf{w} is a vector of parameters. Let \mathbf{y} denote the *true value*.
 - \mathbf{w}^T refers to a transpose of \mathbf{w} (i.e., column vector \rightarrow row vector)
 - If fixing the first element in x as 1, then we obtain the form $\hat{y} = w'^T x' + b$ where w' is the weights and b is the bias
- For a set of m samples, we have a $d \times m$ martix X (i.e., X includes all feature vectors) and a vector $1 \times m$ vector Y (i.e. Y includes all true values).
- The mean squared error is $MSE = \frac{1}{m} \sum_{i=1}^{m} (\hat{y}_i y_i)^2 = \frac{1}{m} ||\hat{y} y||_2^2$.
- The goal of training a linear regressor is finding some *w* that minimises the MSE.



Gradient Descent

- Start at a random point
- Repeat
 - Determine a descent direction
 - Choose a step size
 - Update
- Until stopping criterion is satisfied



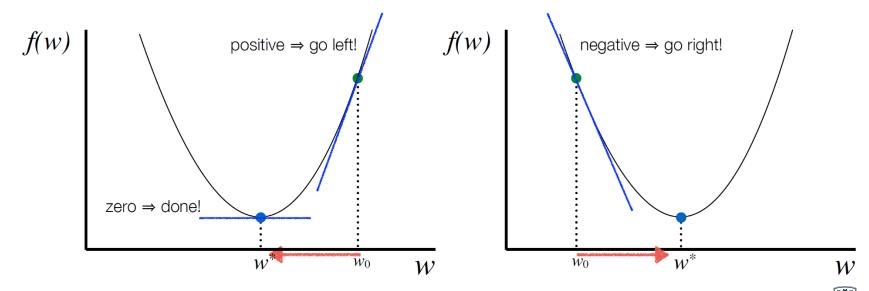


Direction of Descent - Slope

- Know the error function, for example, $f(w) = w^2$
- Then, $\frac{df(w)}{dw} = 2 \cdot w \Rightarrow -2$

Note. If f has one variable only, we write d (the standard derivative) rather than ∂ (the partial derivative).

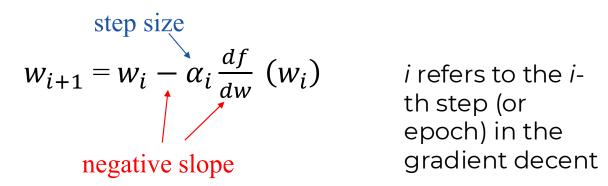
• Move in the *opposite direction* of the gradient.





Descent Direction and Magnitude (1D)

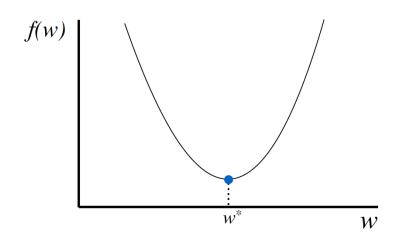
• The opposition direction of the slope points in the direction of steepest error descent in the weight space

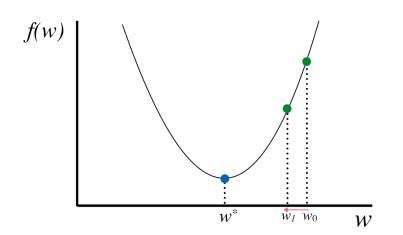


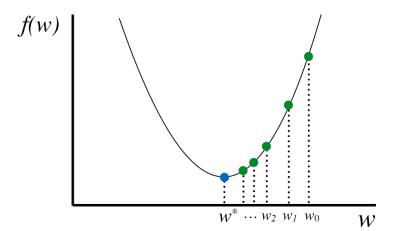
- Step size is a free parameter that has to be chosen carefully for each problem.
 - It can be (and usually is) updated dynamically during the iteration.



Descent Direction and Magnitude (1D)



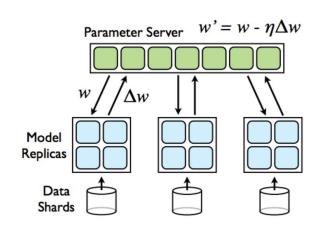




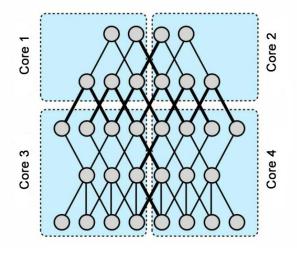


Large-Scale ML

- Recall that ML updates a model \mathcal{M} based on data X
 - For linear regression (with MSE as the cost function, without regularisation), the model is expressed by the vector **w**.
- Big data: the input data **X** is too large to hold in the main memory
- Big model: the model \mathcal{M} is too large to hold in the main memory
- Data parallelism and model parallelism



Data parallelism

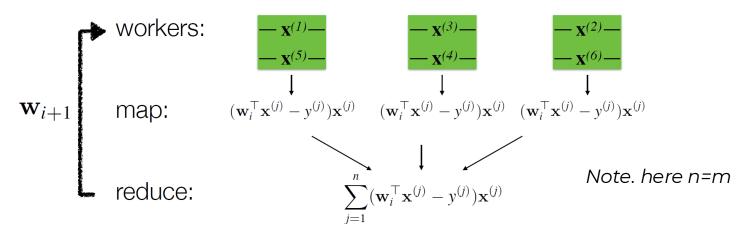


Model parallelism



Gradient Descent: Big m, Big d

- Weight update in Linear Regression: $\mathbf{w}_{i+1} = \mathbf{w}_i \alpha_i \sum_{j=1}^m (\mathbf{w}_i^T \mathbf{x}^{(j)} \mathbf{y}^{(j)}) \mathbf{x}^{(j)}$
- By data parallelism, we compute summands in parallel on workers receiving all w_i at every iteration.
- For example, let m = 6 and the number of works is 3:



• Bottleneck: transferring w_i between the driver (or parameter server) and the workers.

Stochastic Gradient Descent (SGD)

- Recall gradient descent for linear regression (with MSE), every iteration processes all samples (*m* is the total number of samples):
- $\mathbf{w}_{i+1} = \mathbf{w}_i \alpha_i \sum_{j=1}^m (\mathbf{w}_i^T \mathbf{x}^{(j)} \mathbf{y}^{(j)}) \mathbf{x}^{(j)}$
- The gradient is an *expectation* that can be approximated using a small set of samples drawn uniformly *at random* from the whole data set.
 - In particular, if the data set is highly redundant the gradient in the first half will be very similar to that in the second half.
- In SGD, we update the model with only one sample instead of m.
- SGD can improve the training speed and mitigate the large data issue
- Practice also shows that SGD helps the algorithm jump out of local minima and find the global minima.



Minibatch Gradient Descent

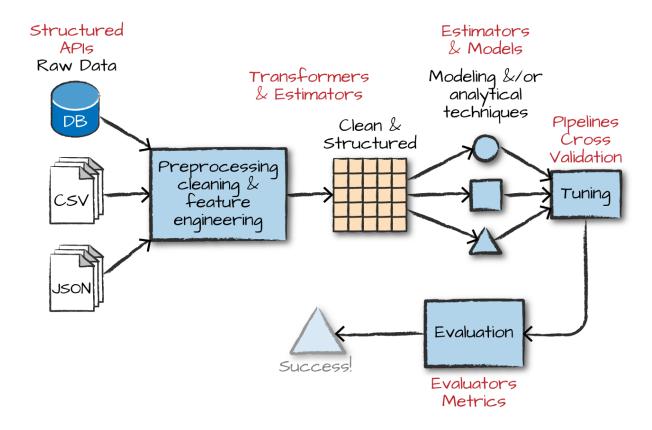
- Increase the batch size from 1 to a smaller number than m.
- Divide the data set into small batches of examples, compute the gradient using a single batch, makes an update, then move to the next batch of examples.
- E.g., a small batch of 16: $\mathbf{w}_{i+1} = \mathbf{w}_i \alpha_i \sum_{j=1}^{16} (\mathbf{w}_i^T \mathbf{x}^{(j)} \mathbf{y}^{(j)}) \mathbf{x}^{(j)}$
- Computing the gradient simultaneously using the matrix-matrix multiplications which are efficient, especially on GPUs
- Benefit: more stable than SGD
- For classification, ideally mini-batches need to be balanced for classes (e.g., using stratified sampling)



Spark MLlib – The Machine Learning Library of Spark

High-Level MLlib Concepts

• Spark's MLlib is conceptually similar to Scikit-Learn, but leverages Spark's powerful distributed computing engine.

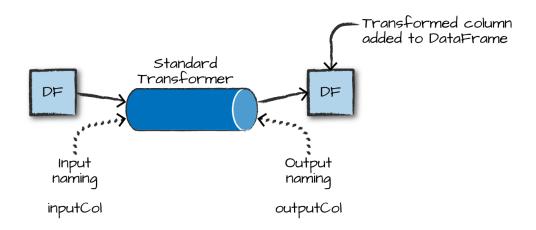




High-Level MLlib Concepts

Transformers

- functions that convert raw data in some way.
- E.g., to create a new interaction variable, to convert string categorical values into numerical values
- primarily used in pre-processing and feature engineering
- takes a DataFrame as input and produces a new DataFrame as output





High-Level MLlib Concepts

Estimators

- if provided with data, result in transformers
- algorithms that are used to train models

Evaluators

 evaluate how a given model performs according to criteria (e.g., accuracy, ROC)

Pipeline

- MLlib's highest-level data type
- Transformers, estimators and evaluators are all stages in a pipeline
- Similar to Scikit-Learn's pipeline API



• Example 1: a (synthetic) dataset

□ a categorical label with two values (good or bad), a categorical variable (colour), and two numerical variables.



- Feature Engineering with Transformers
 - As mentioned, transformers manipulate existing columns in and add new columns to a DataFrame
 - In MLlib, all inputs to ML algorithms in Spark must consist of type Double (for a label) and Vector[Double] (for features).
 - Note. our synthetic dataset does not meet this requirement
 - RFormula: a declarative language for specifying ML transformers and is simple to use (supports a limited subset of the R operators):
 - Separate target and terms
 - + Contact terms
 - Remove terms
 - : Interaction
 - All columns except the target/dependent variable



• In our case, we use all variables and also add in the interactions between some columns.

```
from pyspark.ml.feature import RFormula
supervised = RFormula(formula="lab ~ . + color:value1 +
color:value2")
```

- The next step is to fit and apply the RFormula transformer to data
 - Just call the fit and transform methods of an RFormula instance:



• Create a simple test set based on a sample split of the data

```
train, test = preparedDF.randomSplit([0.7, 0.3])
```

- Fit a model (we choose a **decision tree** classifier)
 - set the label columns and the feature columns; the column names—label and features—are actually the default labels.

Kick off a Spark job to train the model:

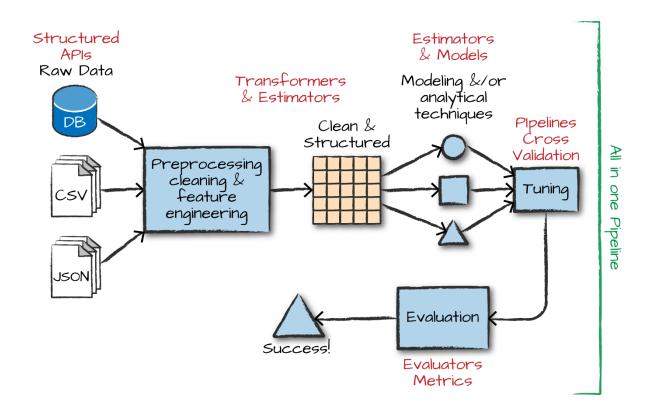
```
fittedLR = dt.fit(train)
```



Apply the model to the training dataset and see the prediction:

- Next, we can evaluate this model and calculate the performance metrics (e.g., TP rate and FN rate)
 - In practice, we also need to try out difference combinations of *model hyperparameters*
- Use the Pipeline interface to save the manual effort on model selection and hyperparameter tuning.

- Pipelining steps in an advanced analytics workflow
 - The Pipeline interface allows to set up a dataflow of a sequence of related operations that ends with an estimator.





• To build a pipeline, first split the data based on the *original* dataset df (not preparedDF)

```
train, test = df.randomSplit([0.7, 0.3])
```

- Recall that each stage in a Pipeline may be a transformer or an estimator.
- There are two estimators in our case: for RFormula and the logistic regression classifier.

o A "logical" pipeline is built in the last step.



- Training and Evaluation
 - Train several variations of the model by specifying different combinations of the hyperparameters
 - MLlib provides a ParamGridBuilder class for this purpose:

- \square In the above example code, we have selected:
 - 2 versions of RFormula
 - 3 options for the maxDepth parameter
 - 2 options for the maxBins parameters

Can call dt.explainParams() to retrieve a list of hyperparameters

More about the elastic net and regularization parameters in the next lecture



- Thus, we want to evaluate a total of <u>12</u> different combinations of parameters
- To determine which combination is optimal, use an *evaluator* and an *evaluation metric*.
 - We choose BinaryClassificationEvaluator and the areaUnderROC metric.

```
from pyspark.ml.evaluation import
    BinaryClassificationEvaluator
evaluator = BinaryClassificationEvaluator()\
    .setMetricName("areaUnderROC")\
    .setRawPredictionCol("prediction")\
    .setLabelCol("label")
```

• To actually perform the evaluation that determines a best model that we train, some kind of *validation* is needed



Dataset splits:

```
all data { training training validation testing
```

- The validation and testing usually can share common methods.
 - split the training dataset into two different groups (used below)
 - perform K-fold cross-validation, etc.

```
from pyspark.ml.tuning import TrainValidationSplit
tvs = TrainValidationSplit() \
    .setTrainRatio(0.75) \ #how to split training set
    .setEstimatorParamMaps(params) \
    .setEstimator(pipeline) \
    .setEvaluator(evaluator)
```



• We are ready to train the model:

```
tvsFitted = tvs.fit(train)
type(tvsFitted)
Out: pyspark.ml.tuning.TrainValidationSplitModel
```

• Finally, we can test it with our holdout dataset

```
evaluator.evaluate(tvsFitted.transform(test))
Out: 1.0
Or:
evaluator.evaluate(tvsFitted.bestModel.transform(test))
Out: 1.0
```



- Usually, a single pipeline in Spark includes one ML algorithm (as an estimator).
 - If you want to imply multiple competing ML algorithms (e.g., a DT classifier and a LR classifier), you may need to specify multiple pipeline manually.
- Persisting and Applying Models
 - To save the model (to facilitate future usage),

```
tvsFitted.bestModel.write().save("path...")
```

To load the model

```
from pyspark.ml.pipeline import PipelineModel
myModel = PipelineModel.load("path...")
```



Summary

- Large-Scale ML
 - Gradient Descent in distributed computation
 - Linear regression as an example
- Spark MLlib

