

Part 1: Reasoning Under Uncertainty Basics

Q1.1)

To compute the table of the joint distribution $P(X, Y, Z)$ we can use the probability chain rule

$$P(X, Y, Z) = P(Z | Y, X) * P(Y | X) * P(X)$$

However, as Z and X are conditionally independent given Y , we can simplify the rule to

$$P(X, Y, Z) = P(Z | Y) * P(Y | X) * P(X)$$

Calculating the joint probabilities

$$P(X = 0, Y = 0, Z = 0)$$

$$= P(Z = 0 | Y = 0) * P(Y = 0 | X = 0) * P(X = 0) = 0.7 * 0.1 * 0.35 = 0.0245$$

$$P(X = 0, Y = 0, Z = 1)$$

$$= P(Z = 1 | Y = 0) * P(Y = 0 | X = 0) * P(X = 0) = 0.3 * 0.1 * 0.35 = 0.0105$$

$$P(X = 0, Y = 1, Z = 0)$$

$$= P(Z = 0 | Y = 1) * P(Y = 1 | X = 0) * P(X = 0) = 0.2 * 0.9 * 0.35 = 0.063$$

$$P(X = 0, Y = 1, Z = 1)$$

$$= P(Z = 1 | Y = 1) * P(Y = 1 | X = 0) * P(X = 0) = 0.8 * 0.9 * 0.35 = 0.252$$

$$P(X = 1, Y = 0, Z = 0)$$

$$= P(Z = 0 | Y = 0) * P(Y = 0 | X = 1) * P(X = 1) = 0.7 * 0.6 * 0.65 = 0.273$$

$$P(X = 1, Y = 0, Z = 1)$$

$$= P(Z = 1 | Y = 0) * P(Y = 0 | X = 1) * P(X = 1) = 0.3 * 0.6 * 0.65 = 0.117$$

$$P(X = 1, Y = 1, Z = 0)$$

$$= P(Z = 0 | Y = 1) * P(Y = 1 | X = 1) * P(X = 1) = 0.2 * 0.4 * 0.65 = 0.052$$

$$P(X = 1, Y = 1, Z = 1)$$

$$= P(Z = 1 | Y = 1) * P(Y = 1 | X = 1) * P(X = 1) = 0.8 * 0.4 * 0.65 = 0.208$$

X	Y	Z	P(Z Y)	P(Y X)	P(X)	P(X, Y, Z)
0	0	0	0.7	0.1	0.35	0.0245
0	0	1	0.3	0.1	0.35	0.0105
0	1	0	0.2	0.9	0.35	0.063
0	1	1	0.8	0.9	0.35	0.252
1	0	0	0.7	0.6	0.65	0.273
1	0	1	0.3	0.6	0.65	0.117
1	1	0	0.2	0.4	0.65	0.052
1	1	1	0.8	0.4	0.65	0.208

Q1.2)

To create the full joint table of X and Y we can use the product rule

$$P(X, Y) = P(Y | X) * P(X)$$

Calculating the joint probabilities

$$P(X = 0, Y = 0)$$

$$= P(Y = 0 | X = 0) * P(X = 0) = 0.1 * 0.35 = 0.035$$

$$P(X = 0, Y = 1)$$

$$= P(Y = 1 | X = 0) * P(X = 0) = 0.9 * 0.35 = 0.315$$

$$P(X = 1, Y = 0)$$

$$= P(Y = 0 | X = 1) * P(X = 1) = 0.6 * 0.65 = 0.39$$

$$P(X = 1, Y = 1)$$

$$= P(Y = 1 | X = 1) * P(X = 1) = 0.4 * 0.65 = 0.26$$

X	Y	P(Y X)	P(X)	P(X, Y)
0	0	0.1	0.35	0.035
0	1	0.9	0.35	0.315
1	0	0.6	0.65	0.39
1	1	0.4	0.65	0.26

Q1.3)

- a) To find $P(Z = 0)$ we can use the Sum rule for where $Z = 0$

$$P(Z = 0) = P(X = 0, Y = 0, Z = 0) + P(X = 0, Y = 1, Z = 0) \\ + P(X = 1, Y = 0, Z = 0) + P(X = 1, Y = 1, Z = 0)$$

$$P(Z = 0) = 0.0245 + 0.063 + 0.273 + 0.052$$

$$P(Z = 0) = 0.4125$$

- b) To find $P(X = 0, Z = 0)$ we can use the Sum rule for where $X = 0, Z = 0$

$$P(X = 0, Z = 0) = P(X = 0, Y = 0, Z = 0) + P(X = 0, Y = 1, Z = 0)$$

$$P(X = 0, Z = 0) = 0.0245 + 0.063$$

$$P(X = 0, Z = 0) = 0.0875$$

- c) To find $P(X = 1, Y = 0 | Z = 1)$ we can rearrange the product/chain rule to

$$P(X, Y | Z) = \frac{P(X, Y, Z)}{P(Z)}$$

We can then use the Sum rule to find $P(Z)$

$$P(X = 1, Y = 0 | Z = 1) = \frac{P(X=1, Y=0, Z=1)}{P(X=0, Y=0, Z=1) + P(X=0, Y=1, Z=1) + P(X=1, Y=0, Z=1) + P(X=1, Y=1, Z=1)}$$

$$P(X = 1, Y = 0 | Z = 1) = \frac{0.117}{0.0105 + 0.252 + 0.117 + 0.208}$$

$$P(X = 1, Y = 0 | Z = 1) = 0.199$$

- d) To find $P(X = 0 | Y = 0, Z = 0)$ we can rearrange the product/chain rule to

$$P(X | Y, Z) = \frac{P(X, Y, Z)}{P(Y, Z)}$$

We can then use the Sum rule to find $P(Y, Z)$

$$P(X = 0 | Y = 0, Z = 0) = \frac{P(X=0, Y=0, Z=0)}{P(X=0, Y=0, Z=0) + P(X=1, Y=0, Z=0)}$$

$$P(X = 0 | Y = 0, Z = 0) = \frac{0.0245}{0.0245 + 0.273}$$

$$P(X = 0 | Y = 0, Z = 0) = 0.0823$$

Q2)

- 1) To find $P(B = t, C = t)$ we can use the product rule

$$P(B = t, C = t) = P(B = t | C = t) * P(C = t)$$

$$P(B = t, C = t) = 0.2 * 0.4$$

$$P(B = t, C = t) = 0.08$$

- 2) A can either be t or f , and all probabilities must sum to 1. We also know that

$$P(A = t | B = t) = 0.3. \text{ So we can find } P(A = f | B = t) \text{ by subtracting}$$

$$P(A = t | B = t) \text{ from } 1$$

$$P(A = f | B = t) = 1 - P(A = t | B = t)$$

$$P(A = f | B = t) = 1 - 0.3$$

$$P(A = f | B = t) = 0.7$$

- 3) As A and B are conditionally independent given C , we can find $P(A = t, B = t | C = t)$

$$P(A = t, B = t | C = t) = P(A = t | C = t) * P(B = t | C = t)$$

$$P(A = t, B = t | C = t) = 0.5 * 0.2$$

$$P(A = t, B = t | C = t) = 0.1$$

4) As A and B are conditionally independent given C , we can simplify

$$P(A = t | B = t, C = t) \text{ to } P(A = t | C = t)$$

We already know that $P(A = t | C = t) = 0.5$, so

$$P(A = t | B = t, C = t) = 0.5$$

5) We can use the product/chain rule to find $P(A = t, B = t, C = t)$ by

$$P(A = t, B = t, C = t) = P(C = t) * P(A = t, B = t | C = t)$$

$$P(A = t, B = t, C = t) = 0.4 * 0.1$$

$$P(A = t, B = t, C = t) = 0.04$$

Part 2: Naive Bayes Method

Q2.1

No-recurrence-events

$$P(\text{Age} = 10 - 19 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$$

$$P(\text{Age} = 20 - 29 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.010526315789473684$$

$$P(\text{Age} = 30 - 39 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.11578947368421053$$

$$P(\text{Age} = 40 - 49 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.3263157894736842$$

$$P(\text{Age} = 50 - 59 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.34210526315789475$$

$$P(\text{Age} = 60 - 69 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.2$$

$$P(\text{Age} = 70 - 79 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.031578947368421054$$

$$P(\text{Age} = 80 - 89 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.012658227848101266$$

$$P(\text{Age} = 90 - 99 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$$

$$P(\text{Menopause} = \text{lt40} | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.031578947368421054$$

$$P(\text{Menopause} = \text{ge40} | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.4631578947368421$$

$$P(\text{Menopause} = \text{premeno} | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.5157894736842106$$

$$P(\text{Tumor} - \text{size} = 0 - 4 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.042105263157894736$$

$$P(\text{Tumor} - \text{size} = 5 - 9 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.02631578947368421$$

$$P(\text{Tumor} - \text{size} = 10 - 14 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.1368421052631579$$

$$P(\text{Tumor} - \text{size} = 15 - 19 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.12105263157894737$$

$$P(\text{Tumor} - \text{size} = 20 - 24 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.18421052631578946$$

$$P(\text{Tumor} - \text{size} = 25 - 29 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.16842105263157894$$

$$P(\text{Tumor} - \text{size} = 30 - 34 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.17894736842105263$$

$$P(\text{Tumor} - \text{size} = 35 - 39 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.06315789473684211$$

$$P(\text{Tumor} - \text{size} = 40 - 44 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.08947368421052632$$

$$P(\text{Tumor} - \text{size} = 45 - 49 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.015789473684210527$$

$$P(\text{Tumor} - \text{size} = 50 - 54 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.02631578947368421$$

$$P(\text{Tumor} - \text{size} = 55 - 59 | \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$$

$P(\text{Inv} - \text{nodes} = 3 - 5 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.08947368421052632$
 $P(\text{Inv} - \text{nodes} = 6 - 8 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.042105263157894736$
 $P(\text{Inv} - \text{nodes} = 9 - 11 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.015789473684210527$
 $P(\text{Inv} - \text{nodes} = 12 - 14 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.010526315789473684$
 $P(\text{Inv} - \text{nodes} = 15 - 17 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.021052631578947368$
 $P(\text{Inv} - \text{nodes} = 18 - 20 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$
 $P(\text{Inv} - \text{nodes} = 21 - 23 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$
 $P(\text{Inv} - \text{nodes} = 24 - 26 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$
 $P(\text{Inv} - \text{nodes} = 27 - 29 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$
 $P(\text{Inv} - \text{nodes} = 30 - 32 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$
 $P(\text{Inv} - \text{nodes} = 33 - 35 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$
 $P(\text{Inv} - \text{nodes} = 36 - 39 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.005263157894736842$

$P(\text{Node} - \text{caps} = \text{yes} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.12631578947368421$
 $P(\text{Node} - \text{caps} = \text{no} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.8789473684210526$

$P(\text{Deg} - \text{malig} = 1 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.29473684210526313$
 $P(\text{Deg} - \text{malig} = 2 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.5157894736842106$
 $P(\text{Deg} - \text{malig} = 3 \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.2$

$P(\text{Breast} = \text{left} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.5105263157894737$
 $P(\text{Breast} = \text{right} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.49473684210526314$

$P(\text{Breast} - \text{quad} = \text{left} - \text{up} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.3526315789473684$
 $P(\text{Breast} - \text{quad} = \text{left} - \text{low} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.3736842105263158$
 $P(\text{Breast} - \text{quad} = \text{right} - \text{up} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.11052631578947368$
 $P(\text{Breast} - \text{quad} = \text{right} - \text{low} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.09473684210526316$
 $P(\text{Breast} - \text{quad} = \text{central} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.08947368421052632$

$P(\text{Irradiat} = \text{yes} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.15789473684210525$
 $P(\text{Irradiat} = \text{no} \mid \text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.8473684210526315$

Recurrence-events

$P(\text{Age} = 10 - 19 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Age} = 20 - 29 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Age} = 30 - 39 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.20253164556962025$

$P(\text{Age} = 40 - 49 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.34177215189873417$

$P(\text{Age} = 50 - 59 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.27848101265822783$

$P(\text{Age} = 60 - 69 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.21518987341772153$

$P(\text{Age} = 70 - 79 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Age} = 80 - 89 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Age} = 90 - 99 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Menopause} = \text{lt40} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Menopause} = \text{ge40} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.3924050632911392$

$P(\text{Menopause} = \text{premeno} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.620253164556962$

$P(\text{Tumor} - \text{size} = 0 - 4 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.02531645569620253$

$P(\text{Tumor} - \text{size} = 5 - 9 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Tumor} - \text{size} = 10 - 14 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.02531645569620253$

$P(\text{Tumor} - \text{size} = 15 - 19 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.08860759493670886$

$P(\text{Tumor} - \text{size} = 20 - 24 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.17721518987341772$

$P(\text{Tumor} - \text{size} = 25 - 29 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.24050632911392406$

$P(\text{Tumor} - \text{size} = 30 - 34 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.2911392405063291$

$P(\text{Tumor} - \text{size} = 35 - 39 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.10126582278481013$

$P(\text{Tumor} - \text{size} = 40 - 44 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.08860759493670886$

$P(\text{Tumor} - \text{size} = 45 - 49 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.02531645569620253$

$P(\text{Tumor} - \text{size} = 50 - 54 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.05063291139240506$

$P(\text{Tumor} - \text{size} = 55 - 59 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Inv} - \text{nodes} = 0 - 2 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.5443037974683544$

$P(\text{Inv} - \text{nodes} = 3 - 5 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.20253164556962025$

$P(\text{Inv} - \text{nodes} = 6 - 8 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.13924050632911392$

$P(\text{Inv} - \text{nodes} = 9 - 11 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.0759493670886076$

$P(\text{Inv} - \text{nodes} = 12 - 14 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.0379746835443038$

$P(\text{Inv} - \text{nodes} = 15 - 17 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.05063291139240506$

$P(\text{Inv} - \text{nodes} = 18 - 20 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Inv} - \text{nodes} = 21 - 23 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Inv} - \text{nodes} = 24 - 26 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.02531645569620253$

$P(\text{Inv} - \text{nodes} = 27 - 29 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Inv} - \text{nodes} = 30 - 32 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Inv} - \text{nodes} = 33 - 35 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Inv} - \text{nodes} = 36 - 39 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.012658227848101266$

$P(\text{Node} - \text{caps} = \text{yes} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.4050632911392405$
 $P(\text{Node} - \text{caps} = \text{no} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.6075949367088608$

$P(\text{Deg} - \text{malig} = 1 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.11392405063291139$
 $P(\text{Deg} - \text{malig} = 2 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.3670886075949367$
 $P(\text{Deg} - \text{malig} = 3 \mid \text{Class} = \text{recurrence} - \text{events}) = 0.5443037974683544$

$P(\text{Breast} = \text{left} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.5569620253164557$
 $P(\text{Breast} = \text{right} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.45569620253164556$

$P(\text{Breast} - \text{quad} = \text{left} - \text{up} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.31645569620253167$
 $P(\text{Breast} - \text{quad} = \text{left} - \text{low} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.4050632911392405$
 $P(\text{Breast} - \text{quad} = \text{right} - \text{up} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.17721518987341772$
 $P(\text{Breast} - \text{quad} = \text{right} - \text{low} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.08860759493670886$
 $P(\text{Breast} - \text{quad} = \text{central} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.06329113924050633$

$P(\text{Irradiat} = \text{yes} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.3924050632911392$
 $P(\text{Irradiat} = \text{no} \mid \text{Class} = \text{recurrence} - \text{events}) = 0.620253164556962$

Q2.2

$P(\text{Class} = \text{no} - \text{recurrence} - \text{events}) = 0.7116104868913857$
 $P(\text{Class} = \text{recurrence} - \text{events}) = 0.2958801498127341$

Q2.3

Input vector: no-recurrence-events,50-59,premeno,50-54,0-2,yes,2,right,left_up,yes
Instance: 0 Score(Class = no-recurrence-events) = 5.0252361135206404E-6
Instance: 0 Score(Class = recurrence-events) = 1.185144746072391E-5
Predicted class: recurrence-events

Input vector: no-recurrence-events,50-59,ge40,35-39,0-2,no,2,left,left_up,no
Instance: 1 Score(Class = no-recurrence-events) = 4.1732849746988816E-4
Instance: 1 Score(Class = recurrence-events) = 4.345530735598768E-5
Predicted class: no-recurrence-events

Input vector: no-recurrence-events,50-59,premeno,10-14,3-5,no,1,right,left_up,no
Instance: 2 Score(Class = no-recurrence-events) = 5.8878218806890874E-5
Instance: 2 Score(Class = recurrence-events) = 1.622419224516929E-6
Predicted class: no-recurrence-events

Input vector: no-recurrence-events,40-49,premeno,10-14,0-2,no,2,left,left_low,yes
Instance: 3 Score(Class = no-recurrence-events) = 1.8965784203051642E-4
Instance: 3 Score(Class = recurrence-events) = 1.7066084343442433E-5
Predicted class: no-recurrence-events

Input vector: no-recurrence-events,50-59,ge40,15-19,0-2,yes,2,left,central,yes
Instance: 4 Score(Class = no-recurrence-events) = 5.434866736709343E-6
Instance: 4 Score(Class = recurrence-events) = 3.207415542941948E-6
Predicted class: no-recurrence-events

Input vector: no-recurrence-events,50-59,premeno,25-29,0-2,no,1,left,left_low,no
Instance: 5 Score(Class = no-recurrence-events) = 7.504740415831185E-4
Instance: 5 Score(Class = recurrence-events) = 6.480302920326064E-5
Predicted class: no-recurrence-events

Input vector: no-recurrence-events,60-69,ge40,25-29,0-2,no,3,right,left_low,no
Instance: 6 Score(Class = no-recurrence-events) = 2.5906825523534885E-4
Instance: 6 Score(Class = recurrence-events) = 1.2384056710871053E-4
Predicted class: no-recurrence-events

Input vector: recurrence-events,60-69,ge40,20-24,0-2,no,1,right,left_up,no
Instance: 7 Score(Class = no-recurrence-events) = 3.9405165026762883E-4
Instance: 7 Score(Class = recurrence-events) = 1.4921120960543075E-5
Predicted class: no-recurrence-events

Input vector: recurrence-events,40-49,ge40,30-34,3-5,no,3,left,left_low,no
Instance: 8 Score(Class = no-recurrence-events) = 4.8934838332255675E-5
Instance: 8 Score(Class = recurrence-events) = 1.0828136273080714E-4
Predicted class: recurrence-events

Input vector: recurrence-events,50-59,ge40,30-34,3-5,no,3,left,left_low,no
Instance: 9 Score(Class = no-recurrence-events) = 5.130265309026804E-5
Instance: 9 Score(Class = recurrence-events) = 8.822925852139842E-5
Predicted class: recurrence-events