```
% Name
        : Rohan Singh Rajput
% Subject : Final Robotics Project EEL_5669
% Submitted :
             15 - Dec - 2015
%_____
% Objective : Simulation of Adaptive 2.5D Visual Servoing of Kinematically Redundant Robot
%
            Manipulators By : Y. Fang, A. Behal, W. E. Dixon, and D. M. Dawson
%
% Tools : MATLAB(2015b), Statistical Tool Box, Machine Learning Tool
             Box, Symbolic Tool Box, Simulink.
%
% Approch Taken: The Project is devided into two parts, first part discusses about the
              Kinmetics of Robot manipulations the resepctive output has been
%
              calculated on the basis of provided paper. The Error function of
%
              translation and rotation are being plotted in kinematics analysis part.
%
              For the Dynamics part the anlysis has been done using Peter Corke Robotics Tool Bo
x with the analysis of Puma 560 Robotics
             Manuplator.
%
%%%%************Code Starts Here***********************
clear;
close all;
clc;
p_star = [];
p = [];
p_star(:,1) = [7.4 13 1]';
p_star(:,2) = [12.4 13 1]';
p_star(:,3) = [17.2 8 1]';
p_star(:,4) = [22.2 8 1]';
p(:,1) = [-10.34 19.5 1]';
p(:,2) = [-9.94 \ 29.5 \ 1]';
p(:,3) = [0.46 39.5 1]';
p(:,4) = [0.86 49.5 1]';
ev = [];
ew = [];
for iterations=1:30
   syms g1 g2 g3 g4 g5 g6 g7 g8 a1 a2 a3 a4
   eq1 = a1*(p_star(1,1)*g1+p_star(2,1)*g2+p_star(3,1)*g3)-p(1,1);
   eq2 = a1*(p_star(1,1)*g4+p_star(2,1)*g5+p_star(3,1)*g6)-p(2,1);
   eq3 = a1*(p_star(1,1)*g7+p_star(2,1)*g8+p_star(3,1))-p(3,1);
   eq4 = a2*(p_star(1,2)*g1+p_star(2,2)*g2+p_star(2,3)*g3)-p(1,2);
   eq5 = a2*(p_star(1,2)*g4+p_star(2,2)*g4+p_star(2,3)*g6)-p(2,2);
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eq6 = a2*(p_star(1,2)*g7+p_star(2,2)*g8+p_star(2,3))-p(3,2);
   eq7 = a3*(p_star(1,3)*g1+p_star(2,3)*g2+p_star(3,3)*g3)-p(1,3);
   eq8 = a3*(p star(1,3)*g4+p star(2,3)*g5+p star(3,3)*g6)-p(2,3);
   eq9 = a3*(p_star(1,3)*g7+p_star(2,3)*g8+p_star(3,3))-p(3,3);
   eq10 =a4*(p_star(1,4)*g1+p_star(2,4)*g2+p_star(3,4)*g3)-p(1,4);
   eq11 = a4*(p star(1,4)*g4+p star(2,4)*g5+p star(3,4)*g6)-p(2,4);
   eq12 =a4*(p_star(1,4)*g7+p_star(2,4)*g8+p_star(3,4))-p(3,4);
   [a,b,c,d,e,f,g,h,i,j,k,1] = solve(eq1,eq2,eq3,eq4,eq5,eq6,eq7,eq8,eq9,g1,g2,g3,g4,g5,g6,g7,g8,a
1,a2,a3,a4);
   G = [a,b,c;d,e,f;g,h,1];
   G = vpa(G);
   alpha1 = i; alpha2 = j; alpha3 = k; alpha4 = l;
   al1=5;
   al2=0.2;
   al3=5;
   al4=2;
   al5=3;
   A_Matrix = [al1 al2 al4; 0 al3 al5; 0 0 1]
   %%%%%%%% Calculation of Euclidean Homogrophy********************
   H = double(inv(A_Matrix)*G*A_Matrix);
   %%%%%%% Function for decoposition of Euclidean Homogrophic Matrix *****
   function [R,t,n,d] = homog(H)
   [u,d,v] = svd(H);
   d = diag(d);
   d = sort(d, 'descend');
   dpr = d(2);
   ep = [1,0,1]';
   if d(1) \sim = d(2) \sim = d(3)
       x(1) = ep(1)*sqrt((d(1)^2 - d(2)^2)/(d(1)^2 - d(3)^2));
       x(2) = 0;
       x(3) = ep(3)*sqrt((d(2)^2 - d(3)^2)/(d(1)^2 - d(3)^2));
       if dpr > 0
           sth = ep(1)*ep(3)*(sqrt((d(1)^2)-(d(2)^2))*(d(2)^2)-(d(3)^2))/((d(1)+d(3))*d(2));
           cth = (d(2)^2 + (d(1)^*d(3)))/((d(1)+d(3))^*d(2));
           Rpr = [cth 0 -sth; 0 1 0; sth 0 cth];
           tpr = (d(1)-d(3))*[x(1) 0 -x(3)]';
           npr = x'
       end
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if dpr<0
       sth = ep(1)*ep(3)*(sqrt((d(1)^2)-(d(2)^2))*(d(2)^2)-(d(3)^2))/((d(1)-d(3))*d(2));
       cth = (-d(2)^2 + (d(1)*d(3)))/((d(1)-d(3))*d(2));
       Rpr = [cth 0 -sth; 0 1 0; sth 0 cth];
       tpr = (d(1)+d(3))*[x(1) 0 x(3)]';
       npr = x;
   end
end
if ((d(1) == d(2)) & ((d(1) == d(2)) \sim d(3))) \mid ((d(1) \sim d(2)) & (d(1) \sim d(2)) == d(3))
    if dpr>0
       npr = [0,0,1]';
       Rpr = eye(3);
       tpr = (d(3)-d(1))*npr;
    end
   if dpr<0
       npr = [0,0,1]';
       Rpr = [-1,0,0;0,-1,0;0,0,1];
       tpr = (d(3)+d(1))*npr;
   end
end
if d(1) == d(2) == d(3)
   if dpr>0
       Rpr = eye(3);
       tpr = 0;
       npr = [1,1,1]'
   end
   if dpr<0
       Rpr = -eye(3) + 2*(npr*npr');
       tpr = 2*dpr*npr;%n'
       npr = [1,1,1]';
   end
end
s = det(u)*det(v);
d = s*dpr;
n = v*npr;
t = u*tpr;
R = s*u*Rpr*v';
[R,xh,n_star] = homog(H);
n_star_trans = n_star';
th = acos(0.5*(trace(R)-1));
ux = (R - R')/(2*sin(th));
     = [ux(3,2);ux(1,3);ux(2,1)];
%%%%%%%%% Plot for Rotational Error************
ew(:,1) = u*th;
new_ew(iterations,:) = ew;
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%%%%%%%%*******Calcuating the Model M for the New Pixel Calculations********
   for i = 1:size(p,2)
      m(:,i) = inv(A_Matrix)*p(:,i);
      me(1,i) = m(1,i);
      me(2,i) = m(2,i);
   %%%%%%************Calculation for M Star matrix*******************
   for k = 1:size(p_star,2)
      m_star(:,k) = inv(A_Matrix)*p_star(:,k);
      me_star(1,k) = m_star(1,k);
      me_star(2,k) = m_star(2,k);
   end
   n_trans = n_star_trans*R;
   Z_by Z_Star= log(((1+(n_trans)*xh))*((n_star_trans)*m_star(:,1)))/((n_trans)*m(:,1));
   %%%%%%%%% Clacluation of Translation Errors******************
   ev(:,1) = [(me(1,1)-me_star(1,1)), (me(2,1)-me_star(2,1)), Z_by_Z_Star]';
   L_v = [-1,0,me(1,1);0,-1,me(1,2);0,0,1];
   L_v_w=[me(1,1)*me(2,1),-1-me(1,1).^2,me(2,1);
      1+me(2,1).^2,-(me(1,1)*me(2,1)),-me(1,1);
      -me(2,1), me(1,1), 0];
   %%%%%%% Provided Paramentes of Cmaera***********
   ko = 0.1;
     Tw = diag([0.5, 0.5, 0.5]);
   wc = -Tw*ew;
   Tv = diag([0.5, 0.5, 0.5]);
   syms d_star_cap_der(t)
   d_star_cap_der(t) = dsolve(diff(d_star_cap_der,t) == ko*((ev)')*L_v_w*(wc), d_star_cap_der(0) =
= -0.125);
   d_star_cap =vpa( d_star_cap_der(iterations));
   d_star=n_star_trans*m_star(:,1);
   gamma2=1/d star;
   vc=-(gamma2*inv(L_v))*((Tv*ev)+(d_star_cap*(L_v_w*wc)));
   for i=1:4
      m_{expand}(:,:,i)=[0,-m(3,i),m(2,i);m(3,i),0,-m(1,i);-m(2,i),m(1,i),0];
      m1_dot_bar(:,:,i)=-vc+m_expand(:,:,i)*wc;
      new_p(:,:,i)=A_Matrix*m1_dot_bar(:,:,i);
      p(:,i)=real(new_p(:,:,i));
   end
   end
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q=[1.5708 -0.7854 3.1416 0 0.7854 0.4363]';
J = p560.jacob0(q);
K = diag\{[200, 200, 200, 200, 200, 200]\}
qd = [vc(:,trail) ; wd(:,trail)]
pseudo_inv_j_dot=pinv(J)*qd;
C = p560.coriolis(q,qd)
M = p560.inertia(q);
G = p560.gravload(q);
%%%%%%%%%*******Calculating Torque Value Got from Peter Corke*******
yphi=M*(pseudo_inv_j_dot*vfd)+G+F;
vfd=(1/d_star)*ohma+ohmb;
ro=pseudo inv j dot*vfd-q dot;
torque= yphi + K*ro;
q_double_dot = inv(M)*(torque - C - G -F)
%%%%%%%%******Calculating q double integration*************
sym q_double_dot(trial)
q_double_dot(trial) = dsolve(diff(q_double_dot,t2) == inv(M)*(torque - C - G -F));
q = (q_double_dot(trail))';
end
%%%%%%%%%%************Plot for Translational Error**********
figure(1)
subplot(3,1,1);
plot(t,ev(1,:)); ylim([-4 2])
title('Translational Errors(ev)')
xlabel('Steps');
ylabel('Error along X')
%%%%%*******Error along Y**********
subplot(3,1,2);
plot(t,ev(2,:)); ylim([-.5 1.5]);
xlabel('Steps');
ylabel('Error along Y')
%%%%%*******Error along Z**********
subplot(3,1,3);
plot(t,ev(3,:)); ylim([-1 0.5])
xlabel('Steps');
ylabel('Error along Z')
%%%%%%*******Plot for rotational Error*********
figure(2)
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%%%%%*******Error along X*********
subplot(3,1,1);
plot(t,ew(1,:)); ylim([-0.05 0.15])
title('Rotational Errors(ew)')
xlabel('Steps');
ylabel('Error along X')
%%%%%*******Error along Y**********
subplot(3,1,2);
plot(t,ew(2,:)); ylim([-0.1 0.15]);
xlabel('Steps');
ylabel('Error along Y')
%%%%%*******Error along Z**********
subplot(3,1,3);
plot(t,ew(3,:)); ylim([-2 2])
xlabel('Steps');
ylabel('Error along Z')
%%%%%%%%% Plot for d star cap derivative function***********
figure(3)
plot(t,deriv_d); ylim([-.25 0])
title('Derivative of d star cap')
xlabel('Steps');
ylabel('Values')
%%%%%%%%%End of Kinematics Results*****************
%%%%%************Ploting Joint Torques of Robots******
figure(4)
%%%********Joint 1******
subplot(3,2,1);
plot(t,torque(1,:)); ylim([-100 50])
xlabel('Steps');
ylabel('Joint Torque 1 Nm')
title('Control Torque Input')
%%%%******* Joint 2 ********
subplot(3,2,2);
plot(t,torque(2,:)); ylim([-100 200]);
xlabel('Steps');
ylabel('Joint Torque 2 Nm')
title('Control Torque Input')
%%%%******** Joint 3 *********
subplot(3,2,3);
plot(t,torque(3,:)); ylim([-60 20])
xlabel('Steps');
ylabel('Joint Torque 3 Nm')
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%%%%******* Joint 4 *********
subplot(3,2,4);
plot(t,torque(4,:)); ylim([-100 50])
xlabel('Steps');
ylabel('Joint Torque 4 Nm')
%%%%******* Joint 5 ********
subplot(3,2,5);
plot(t,torque(5,:)); ylim([-100 200]);
xlabel('Steps');
ylabel('Joint Torque 5 Nm')
%%%%******* Joint 6 ********
subplot(3,2,6);
plot(t,torque(3,:)); ylim([-60 20])
xlabel('Steps');
ylabel('Joint Torque 6 Nm')
%%%%%%%%*********Plots are given below***************
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