```
import numpy as np # import built-in librairies (super useful)
import matplotlib.pyplot as plt
# make graphics show up in Jupyter notebook
import os
import pylab
def data_generator(mean, std, n_measurements = 500, n_samples =
  \hookrightarrow 20): # function name and arguments
    11 11 11
    Generates an array of measurements from a standard

→ distribution.

    Parameters
    mean : float
           Desired mean value of the measurements.
    std : float
          Desired standard deviation of the measurements.
    n_measurements : int, optional
                      Number of separate measurements. Default is
                         \hookrightarrow 500 measurements.
    n_samples : int, optional
                 Number of samples taken per measurement. Default
```

```
\hookrightarrow is 20 samples.
            per measurement.
Returns
data : ndarray, shape (n_measuremets, n_samples)
       Array representing the experimental data. Each
          → measurement
       (composed of many samples) is a row of this array:
                  | sample0 | sample1 | sample2 | ...
        meas1
                  | sample0 | sample1 | sample2 | ...
        meas2
                  | sample0 | sample1 | sample2 | ...
        meas3
11 11 11
# The following array has n_measurements rows, and n_samples

→ columns

return np.random.normal(loc = mean, scale = std, size = (
  → n_measurements, n_samples))
```

Yes, it does make sense to transpose this.

```
data = np.transpose(data)
```

So now we handle the nan and put each row into its own python list, run it through numpy again, and put the means into another list.

```
data_1 = []
```

```
row = 0
for i in data:
    data_c = []
    for j in i:
        if not np.isnan(j):
            data_c.append(j)
    data_l.append(data_c)
    row += 1
#print(np.array(data_1))
means = []
stds = []
for i in data_l:
    means.append(float(np.mean(np.array(i))))
    stds.append(float(np.std(np.array(i),ddof=1)))
print(means, "\n", stds)
```

```
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```

These values do agree with manual calculations! We will choose the 2nd distance, 40cm to generate our data.

```
sim_data = data_generator(means[1], stds[1])
```

We will now plot this as a histogram:

```
flattened = (sim_data.flatten())
plt.hist(flattened, bins=10);
```

That doesn't look very Gaussian! Let's change the amount of bins, and see something much more pleasant:

There we go! Let's investigate the mean and standard deviation of that.

```
The mean is 2.424413181754666, and the standard deviation is: \hookrightarrow 0.03158646374472155.
```

We will now be plotting a histogram of all of the means from each trial. So we will first make a list of means.

```
sd_means = []

for i in sim_data:
    sd_means.append(np.mean(i))

sdm_count, sdm_bins, _ = plt.hist(sd_means, bins=25);

np.savetxt("sdm_count.txt", bins)

np.savetxt("sdm_bins.txt", bins)
```

The means and standard deviations are as follows:

```
The mean of the means is: 2.424413181754666, and the standard \hookrightarrow deviation is: 0.006913237452666442
```

Okay, quick detour, let's find the area under our histogram so that we can normalize our Gaussian.

Great! With that out of the way, let me start getting my values for my Gaussian. Let's make a function:

```
outputs = []
for i in np.linspace(2, 3, num=500):
   outputs.append(gaussian(i, mean_means, mean_stds))
```