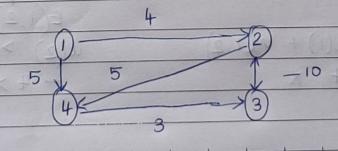
## OAA Assignment 3

\* Aim: Write a program to implement Bellman-Ford algorithm using Dynamic programming & verify lime complexity.

\* Theory:

- The Bellman Ford algorithm serves the single source shortest path problems in which edge weights may be negative.
- Algorithm returns a boolean value indicating whether or not there is a negative weight cycle that is reachable from the source.
- The algorithm relaxes edges, progressively decreasing an estimate V; S on the weight of the shortest path from source S to each vertex  $V \in V$  until it achieves actual shortest path weight S(S,V)
- Returns true if graph contains no negative weight cycles that are reachable from source.

Example: 1009



FOR EDUCATIONAL USE

<u>Sundaram</u>

	Edges Node Journal AS MAG
	$12 \rightarrow 4$ $1$ $N$ $6$
DUISA	10400 5 - 100 20 Jan Na 0 4 - 2 14 - 6 ml
	2 4 > 5 00 3 pm N N PM 9 1 8 6 4
	43 -> 3 4 N 90 5 81
	$3 2 \rightarrow -10$
	of off (113)
	1st path (4,3)
(14.0)	(152) 2 1002 2 1002 3 10 2 2002 - million 100 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 100 - 1000 - 1000 100 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 1000 - 10
	S(2) > d(1) + w(1,2) $00 > 8$
	is a montal particular molecular molecular ambienta -
	d(4) > d(1) + w(1,4) $d(2), > d(3) + w(3,2)$
Ar A.	$\omega(1) > \omega(1) + \omega(1) + \omega(2),  \omega(2),  \omega(3) + \omega(3) = 0$
	1000 > 1645 ob devesorpois especia 240 > 181-1016 of the control of the property of the proper
	vev until it achieves actual shortest path weight 3 (3 v
	(2,4)
SNA SOA	d(4) > d(2) + W(2,4) = 0.00000 04018 + 0.0000 04018 + 0.000000 04018 + 0.0000000000000000000000000000000000
	5 > 4 +5 32402 mar 1921 mar
	5 7 9
	2nd path 3nd path
	$E(1,2) \qquad \qquad E(1,2)$
	d(2) > d(1) + W(1,2) $d(2) > d(1) + W(1,2)$
	-2740X -4>4 X

Sundaram

	E(1,4)
	d(4) > d(1) + w(1,4) $d(4) > d(1) + w(1,4)$
	5 > 5 × 3 > 5 ×
	Totalize single sound (6.5)!
	E(2,4) $E(2,4)$ $E(2,4)$
	d(4) > d(2) + w(2,4) $d(4) > d(2) + w(2,4)$
	-573 V 4 (3) 71 MISA (V)
	3 > (V, U) only does tot (V
	E(4,3) (4,3) (4,3) (4,3)
	d(3) > d(4) + w(4,3) $d(3) > d(4) + w(4,3)$
	8 > 6 V de la
	The late of the state of the st
	E(3,2) $E(3,2)$
	d(2) > d(3) + w(3,2)
	-2 > 1 # 4 9 5d New Seps Jarov 1 -4 7 -6 2 10 10
	$d(2) \rightarrow -4$ $d(2) \rightarrow -6$
	The the state of the second section of the s
02	Consider 1st iteration in a management and on such a possible of
	$d(2) > d(1) + w(1,2)$ $-6 > 4 \times 10^{-10}$
	7 1 × 1 × 1 × 1 × 1 × 1 × 1 × 1 × 1 × 1
	1(1) + 1(1)
	d(4) > d(1) + w(1,4)
	$1 > 0+5 \times$
	$= \frac{1}{2} \left( \frac{1}{2} \right) = $
	d(4) > d(2) + w(2,4)
	Return Glas Graph costs on we had
	Returns false. Graph contains - ve cycle.

FOR EDUCATIONAL USE

aram

	E(14)
*	Algorithm < (+) by (+1) w + (1) by < (+) by
	X 2<8
	i) Initialize single source (G,S)
	in for i =t to GV #1
142	(ii) For each edge (U,V) EG, EV (I)
	IV) Relax (U, V, W)
	v) For each edge (U,V) ∈ E
	v) For each edge (U, v) ∈ € vi) if (V,d) < (U,d) + w(U,v)
8 4 Ju	(4) Li return le False (2,4) les 4 (4) les (2)
	vii) return true
	(26)2
- *	Time Complexity: Bettman Ford algorithm runs in time o(v.E) ti takes o(E) & worst case will be 0   VI IE
	takes o(E) & worst case will be 0 [VIIE]
	i I D II For alapithm
*	Conclusion: Thus we have implemented Bellman Ford algorithm.
	$(=+)\omega + (1)b \leq (=+)\omega$
	(+1)W+(1)b < (+1)
	4 6 + 0 < 1
	$(+3)\omega + (2)b < (+)b < (+)b$
	Returns helps wingph continues - ut cycle -
	FOR EDUCATIONAL USE
Sundaram	