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Standard I Section D Roll No. 147

Subject AI LAB

24/8/24

## Tic - Tac - Toe

- 1) Step 1:- Make an array of 9 blocks :-
- 2) Step 2:- Let CPU or Human make any random move one by one
- 3) Step 3:- for second step choose the nearest free box from the last entered value.
- 4) Step 4:- check for computer :-  
if any ( $n \bmod 3$ ) == some values place the 3rd value from the CPU to the next position. [for row]
- 5) Step 5:- transpose the matrix of array values and then check for the columns using step 4
- 6) Step 6:- if all the  $n \bmod 3$  matches connect the points and declare that player as winner.
- 7) Step 7:- check for diagonal elements  
if [block  $1 = 5 = 9$ ] mark win  
if [block  $3 = 5 = 7$ ] mark win
- 8) Step 8:- stop

24/8/24

## Program

```
board = [sts(i) for i in range(1,10)]
```

```
def display_board():
```

```
    print(f" {board[0]} | {board[1]} | {board[2]}\n    - +---+--\n    {board[3]} | {board[4]} | {board[5]}\n    - +---+--\n    {board[6]} | {board[7]} | {board[8]}\n    - +---+--\n    {board[9]} | {board[10]} | {board[11]}
```

```
    print("- +---+--")
```

```
    print(f" {board[3]} | {board[4]} | {board[5]}\n    - +---+--\n    {board[6]} | {board[7]} | {board[8]}\n    - +---+--\n    {board[9]} | {board[10]} | {board[11]}
```

```
    print(f" {board[6]} | {board[7]} | {board[8]}\n    - +---+--\n    {board[9]} | {board[10]} | {board[11]}
```

```
def check_winner(players)
```

```
win_combinations = [
```

```
[0, 1, 2]
```

```
[3, 4, 2]
```

```
[6, 7, 8]
```

```
[0, 3, 6]
```

```
[1, 4, 7]
```

```
[2, 5, 8]
```

```
[0, 4, 8]
```

```
[2, 4, 6]
```

```
]
```

```
for combination in win_combinations:
```

```
    if all(board[i] == player for i in combination):
```

```
        return True
```

```
return False
```

```
def user_more():
    while True:
```

try:

position = int(input("Enter your move  
(1-9): "))

if position in range(1, 10) &  
break

else:

print("Invalid move. Try again.")

except ValueError:

print("Please enter a valid no.")

```
def computer_more():
```

empty\_cells = [i for i in range(1, 10) if  
board[i-1] not in ['x', 'o']]  
if not empty\_cells:

```
def play_game():
    current_player = random.choice(["user", "comp"])
```

print(f"\n{current\_player.capitalize()} plays  
first!")

for i in range(1):  
 display\_board()

if current\_player == "user":  
 user\_more()

if check\_wins("x")

display\_board()

print("User wins!")

return

else:

computer - move()

display - board()  
putS("It's tie")

if name == "min":  
play - game()

Output:-

User plays first

Enter your move (1-9) : 5

1	2	3
4	X	6
7	8	9

Computer's move: 8

1	2	3
4	X	6
7	0	9

Enter your move: 1

X	2	3
4	X	6
7	0	9

Computer's move: 9

X	2	3
4	X	6
7	0	0

Ents yers move (1-9): 7

$$\begin{array}{r} \times 2 3 \\ 4 x 6 \\ \times 0 0 \end{array}$$

Computer move: 4

$$\begin{array}{r} \times 2 3 \\ 0 x 6 \\ \times 0 0 \end{array}$$

Ents yers move: 3

$$\begin{array}{r} \times 2 x \\ 0 x 6 \\ \times 0 0 \end{array}$$

~~player x wins //~~

Dom  
21/9/14

1/10/24

## Vacuum Cleaner & Agent

+ Algorithm

Step 1:- Initialize Grid [rows] [columns] with  
with clean and dirty.

set vacuum position to  $[0,0]$   
set cleaned cells to 0

Step 2:- Display the grid status

while all cells are not "clean"

If current cell is "dirty":

set current cell to "clean"  
and increment clean cells to +1

Step 3:- Move the vacuum cleaner to next  
position (Right, Down, Left, up).

Step 4:- check the grid status if all the  
cells are "clean".

if clear:

set the vacuum position to  $[0,0]$   
exit the program.

Step 5:- if all the grid are not clean  
go to step 2.

Step 6:- if vacuum initial position is  $(x,x)$  set

to  $(0,0)$ .

+ Lathering program:-

$[0 | c]$  → check if initial cell is clean  
 ↓  
 Vacuum position is not clean and move to right.  
 Position  $(0,2)$ .

D	→ D
C	← D →

→ check if:  
 cell is clean or dirty:  
 if dirty:

set to "clean"

move at right:

check if clean or dirty

if dirty:

set O to clean:

if right = NULL

go left

check cells:

if dirty:

set to clean:

and move left:

Proceed

Program:-

```
def initialize_grid(m, m) [row, columns  
return [ [ "dirty" if i in range(m) ] for i in  
range(m) ] ]
```

```
def print_grid(grid):
```

```
for row in grid:
```

```
print(" ".join(row))
```

```
print()
```

```
def is_grid_clean(grid)
```

```
for row in self.grid
```

```
print(" ".join(row))
```

```
print()
```

```
if is_grid_clean(self):
```

```
return all(["dirty" not in row for row in  
self.grid])
```

```
def clean(self):
```

```
for i in range(self.m):
```

```
for j in range(self.m):
```

```
self.vacuum(i, j)
```

```
print("All cells are clean")
```

```
def vacuum(self, i, j)
```

```
print("vacuum at position (" + str(i) + ", " + str(j) + ")")
```

```
if self.grid[i][j] == "dirty":
```

```
print("clean cell (" + str(i) + ", " + str(j) + ")")
```

```
self.grid[i][j] = 'clean'
```

if -- none or = "gar":

$$n, m = 1, 2 / 2, 2$$

vacuum-clean = Vacuumcleaner ( $n, m$ )

pit (Initial Grid:)

vacuum-clean grid:)

vacuum - cleaner . pit-grid ()

vacuum - cleaner . clean ()

output:

Dirty / Dirty

vacuum at position (-1, 0)

clean cell (0, 0)

clean (Dirty)

Vacuum at position (0, 1)

clean cell (0, 1)

clean / clean

All cells are clean!

~~✓~~ 11/01/24

## 8-puzzles (DFS)

+ Algorithm:

```
def DFS_8puzzle (initial-state, goal-state,
```

```
stack = [(initial-state, 0)]
```

```
visited = set()
```

```
while stack:
```

```
    current-state, depth = stack.pop(0)  
    if current-state == goal-state  
        return goal-state achieved
```

```
    def find-blank-tile (state):  
        return state.index(0)
```

```
def swap (state, i, j)
```

```
    new-state = state[:]
```

```
    new-state[i], new-state[j] = merge  
    return new-state
```

```
def get_neighbours (state)
```

```
    neighbor = []
```

```
    index = find-blank-tile (state)
```

```
    max_index = index // 3
```

```
    moves = [(-1, 0), (1, 0), (0, -1), (0, 1)]
```

in moves :

new\\_sol : row + move(0). col + move(1)

if  $0 \leq \text{new\_row} < 3$  and  $0 \leq \text{new\_col} < 3$

new\\_state = sumf(state, enter new state)

neighbour.append(new\_state)

neighbours"

if current state == goal-state

return path + [current state]

for neighbours in get-neighbours

if (tuple(neighbours)) not in visited :

state.append((neighbours, path + [current]))

if solution != no solution :

print puzzle(state)

else

path(path)

Exp :-

1	3	8
4	6	5
②	7	7 X

1	2	3
4	5	6
7	8	

Proceed  
OK

1	3	8		1	3	8	1 2 8
4	6	5	→	4	X	5	4 2 5
2	*	7		2	6	7	6 2 4 7

## Manhattan Distance

Algo:-

- 1) Initialize the search:

Define initial and final state.

Create a priority queue for the A\* algorithm and set to 1 such visited state.

Push the initial states into priority queue with movement cost as 0.

- 2) Calculate Manhattan Distance:  $f(n) = g(n) + h(n)$  for a given state calculate the sum of manhattan distance of all tiles.

If the value from the lowest priority queue

If the goal cell is reached return the solution path.

or generate all possible valid moves.

- 3) Backtrack and avoid loops.

Keep track of visited state to avoid cycles.

- 4) End condition:- If the priority queue is empty no solution is found.  
If the goal is reached return solution path.

1	2	3
4	5	6
7	8	X

1	X	3
4	2	5
6	7	8

2
3

1	2	3
5	X	3
6	7	8

1	2	3
4	5	6
7	8	X

~~Proceed~~

Program:

from collections import deque

goal\_state = [[1, 2, 3],  
[4, 5, 6],  
[7, 8, 0]]

moves = [(1, 0),  
(1, 1),  
(0, -1),  
(0, 1)]

def manhattan\_distance(state):

distance = 0

for i in range(3):

for j in range(3):

if state[i][j] != 0:

goal\_i, goal\_j = derived(state[i][j], -1, 2)

dist = abs(i - goal\_i) + abs(j - goal\_j)

return distance

def is\_goal\_state(state):

return state == goal\_state

def get\_neighbors(state):

neighbors = []

for i in range(3):

for j in range(3):

current\_state = [

[4, 1, 3],

[7, 2, 0],

[5, 8, 0]]

if path:

path("solution found")

for state in path:

for row in state:

fill(row)

path()

else:

path("No solution found")

output:-

(1, 1, ?

2, 2, ?

3, 0, 0)

4, 1, ?

2, 2, ?

5, 0, ?)

6, 1, ?

7, 2, ?

0, 0, ?)

$\rightarrow$  [1, 1, ?]  $\rightarrow$  [0, 1, ?]  $\rightarrow$  [1, 0, ?]

0, 2, ?

7, 5, ?)

0, 1, ?

0, 2, ?

1, 0, ?)

6, 1, ?

7, 2, ?

2, 5, ?)

-12)

$\rightarrow$  [1, 2, ?]  $\rightarrow$  [1, 2, ?]

4, 5, ?)

7, 0, ?)

0, 1, ?

0, 2, ?

1, 0, ?)

6, 1, ?

7, 2, ?

2, 5, ?)

No. of moves taken to place each value:-

Value 1: 9 moves

Value 2: 9 moves

Value 3: 7 moves

Value 4: 9 moves

Value 5: 3 moves

Value 6: 8 moves

Value 7: 6 moves

Value 8: 4 moves

Value 9: 6 moves

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## LAB - 4

+ 8 puzzle using A\*

$$\begin{array}{ccc} 1 & 8 & 2 \\ 3 & \times & 4 \\ 7 & 6 & 5 \end{array}$$

Initial state

$$\begin{array}{ccc} 2 & 8 & 1 \\ \times & 4 & 3 \\ 7 & 6 & 5 \end{array}$$

Final state

+ Algorithm:

+ step 1:- create a 9 valued of  $3 \times 3$  tuple.

step 2:- mark the empty spot as 0.

step 3:- open list and closed list [egation]  
open list will store all the possible current moves and closed list will store all the moves that are not available.

step 4:- from the 0 position calculate  $f(n)$  and  $g(n)$  for all the possible moves.

step 5:- calculate the initial state time using  $f(n) + g(n) = r(n)$

step 6:- chose the least  $r(n)$  and perform the available moves.

Step 7:- go to step # 3 again and calculate the next position and add the data in open list () and close list ()

Step 8:- perform these positions till we go to the final

$$g=0, f=h=3, f=g+h=3$$

Step 7:-  $g_i$ :

1	2	3
0	4	6
7	5	8

$$g=1, h=4, f=5$$

0	2	3
1	4	6
7	5	8

$$g=1, h=2, f=3$$

1	2	3
4	0	6
7	5	8

$$g=1, h=6, f=3$$

1	2	3
7	4	6
0	5	8

$$g=2, h=1, f=3$$

1	2	3
4	5	6
7	0	8

$$g=2, h=3, f=5$$

1	2	3
4	6	0
7	5	8

$$g=2, h=3, f=3$$

1	0	3
4	2	6
7	5	8

$$g=7, h=3, f=5$$

1	2	3
4	5	6
0	7	8

$$g=3, h=6, f=3$$

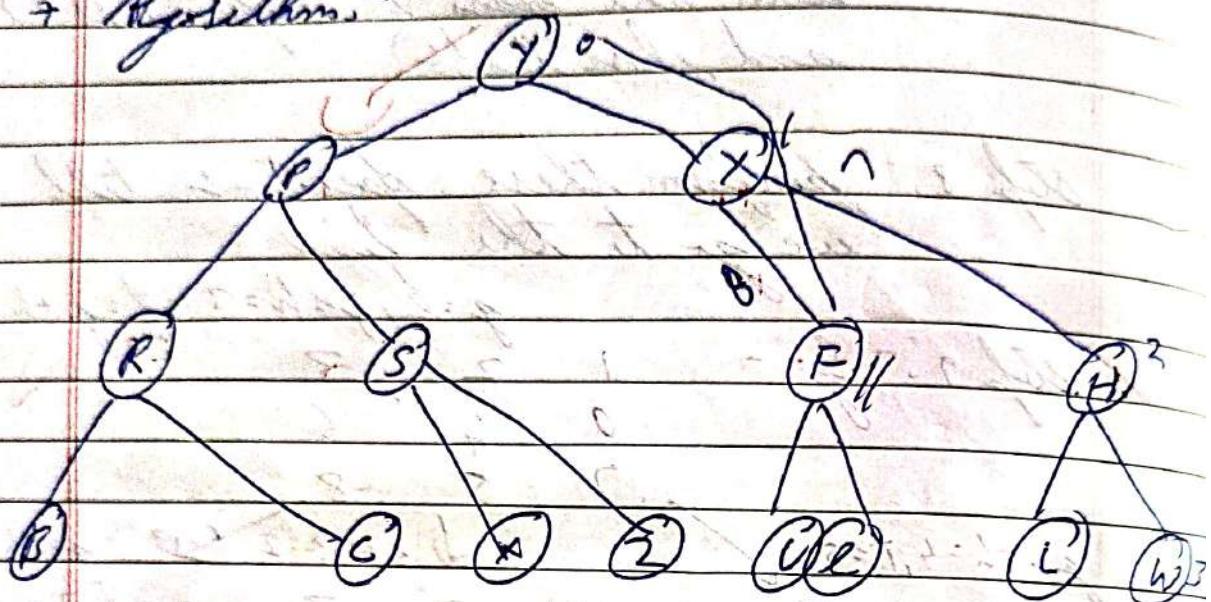
1	2	3
4	5	6
7	8	0

final destination

1	2	3
4	5	6
7	8	0

IDS

→ Algorithm:-



Iterative DFS (src, target, limit = max)

2

for limit 0 to limit\_max:

if (DFS (src, target, limit == true))

return true.

return false.

Depth-First (src, target, limit)

if (src == target)

return true

if (limit <= 0) ("if max depth reached")

return false

for each i adjacent of src

if Depth-First (i, target, limit - 1)

return true.

## 8 Puzzle

```
def H_m(state, target):
```

return sum( $|x_i - y_i|$  for  $x, y$  in zip(state, target))

```
def F_m(state_with_lvl, lvl, target)
```

$state, lvl = state\_with\_lvl$

return H\_m(state, target) + lvl

if  $b <= 5$ : directions.append('d')

if  $b >= 3$ : directions.append('u')

if  $b \cdot 7L = 2$ : directions.append('r')

```
def display_state(state)
```

print("current state: ")

for i in range(0, 9, 3)

print(state[i:i+3])

print()

```
def astar(MC, target)
```

all = [S.state[0]]

visited\_states = []

iterations = 0

while all:

iterations += 1

current = min(all, key = lambda x: F\_m(x, target))

all.remove(current)

display\_state(current[0])

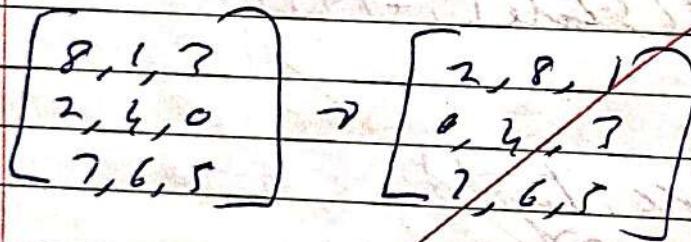
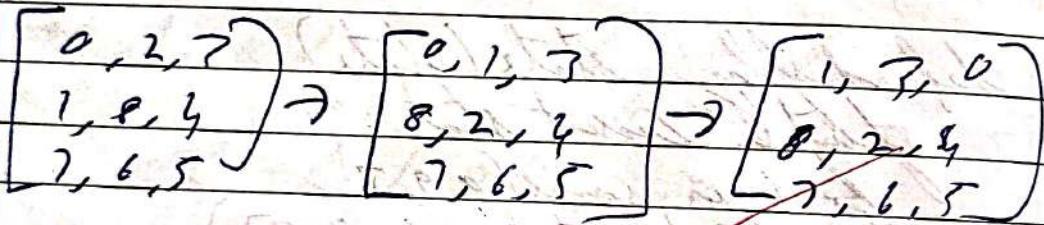
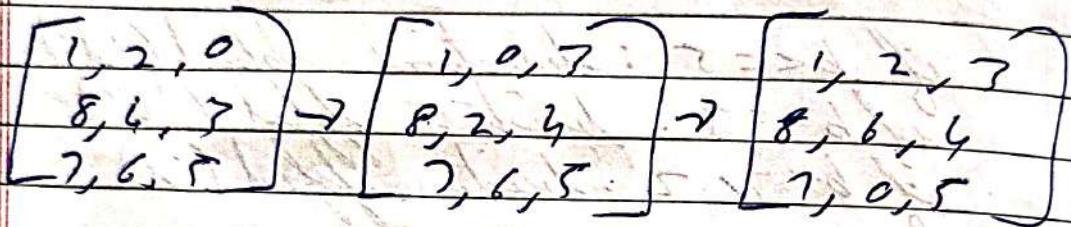
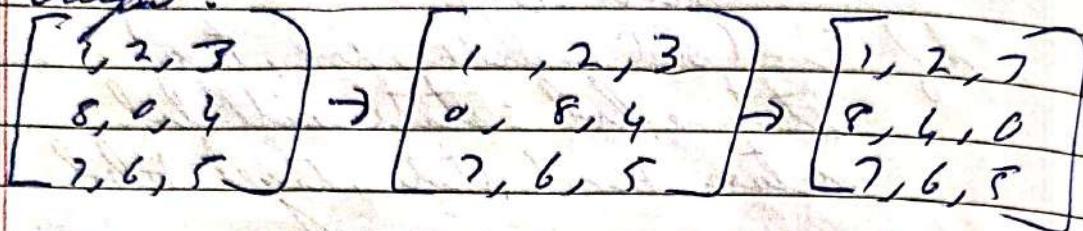
if current[0] == target:

return f"found with {iterations} iterations"

return 'Not found'

$\text{src} = (1, 2, 3, 8, 4, 7, 6, 5)$   
 $\text{target} = (2, 8, 1, 0, 4, 3, 7, 6, 5)$   
 $\text{ft}(\text{astar!src, target})$

Output:



Found 40 iterations.

SDF

```

def iterative-deeping-search(graph, start,
                               goal):
    def depth_limited_search(node):
        if node == goal:
            return node
        else:
            return None
        elif depth_limited_search(node) is not None:
            return node + result
        else:
            for child in graph.get(node, []):
                result = depth_limited_search(child, goal, depth_limited_search - 1)
                if result is not None:
                    return node + result
            return None
    while True:
        result = depth_limited_search(start, goal, depth_limited_search)
        if result is not None:
            break
        depth_limited_search += 1

def get_user_input_graph():
    graph = {}
    def get_user_input_graph():
        for i in range(1, len(graph) + 1):
            node1, node2 = input().split()
            if node1 in graph:
                graph[node1].append(node2)
            else:
                graph[node1] = [node2]
            if node2 in graph:
                graph[node2].append(node1)
            else:
                graph[node2] = [node1]
    return graph

def main():
    graph = get_user_input_graph()
    print(graph)

```

if path:  
path found  $\{ \rightarrow \}$  join path  $\{ \rightarrow \}$ )

else if  
path ("No path found")  
if none in  $\{ \rightarrow \}$  nor  
none()

path:

Find no of edges: 16

Find each edge

YP

YX

PS

PS

Xf

Xh

Ab

AC

Sv

S2

fv

fl

L1

LW

~~Path~~  
~~Path~~

Find the slanting road = Y  
only node f

Path found  $\{ \rightarrow \} \rightarrow \{ \rightarrow \} \rightarrow f$

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# Annealing Algorithm

Algorithm :-

- + step 1:- Import math and random
- + step 2:- Define the objective function  
Eg:-  $f(x) = (x - 3)^2$
- + step 3:- Set the current solution to the initial solution [the current solution is generated randomly]
- + step 4:- Simulated annealing function  
set the initial state, temperature cooling rate & no of iterations as input.
- + step 5:- Temperature function  
The algorithm iterates to a fixed no of time.  
In iterations new state is generated by making a small changes
- + step 6:- If the new solution is accepted and is low then it is accepted or is temporarily stored in the storage
- + step 7:- as each iteration is done

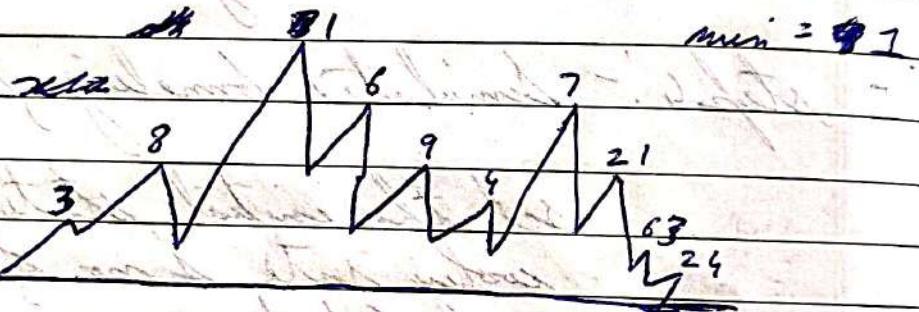
Q8

reduce the temperature according to the cooling rate.

step 8: As the temperature is reduced to the lowest the iterations will reduce.

step 9: When the cooling rate is the lowest step iteration and give the last answer.

Eg:-  $f(x) = (x+3)^3$



Temperature = 100

cooling rate = 10

$x^*$  is generated randomly first ( $g = 1$ )

iterations ()

every iteration this initial value is compared with the next generated value if its the best solution its stored in the best solution variable.

Temperature =  $100 - 10/\text{Iteration}$  (Temperature - cooling)

The loop is executed till the Temp = 0 and the last solution is considered as the best solution.

Project presentation

Program

```
import math
import random
```

```
def objective_function(x):
    return 10 * len(x) + sum([(x_i ** 2 - 10 *
        math.cos(2 * math.pi * x_i)) for
        x_i in x])
```

~~If formula = if ( $f(n) < f(m)$ ) accept 'n'  
otherwise accept 'm' with  
 $p = \exp\left(\frac{-f(n) - f(m)}{T}\right)$~~

~~If get\_neighbours(x, step\_size=0.1):  
 neighbours = x[:]  
 index = random.randint(0, len(x)-1)  
 neighbours[index] += random.uniform(-step\_size, step\_size)  
 return neighbours~~

~~for i in range(n\_iterations):  
 T = temp / float(i+1)  
 candidate = get\_neighbours(current, step\_size)  
 candidate\_eval = objective(candidate)  
 if candidate\_eval < best\_eval or random.random() < math.exp((current\_eval - eval) / T):  
 current = candidate~~

~~If i % 100 == 0:  
 print(f"iteration {i} : {T}, best~~

Evaluation & best end:  $\{ \text{best}^2 \}$

return best, best\_end, scores

bound =  $[-5.0, 5.0]$  for  $x$  in  $\text{range}(2)$

n\_iterations = 1000

step\_size = 0.1

temp = 90

init\_scores, scores (step\_size)

find t' best solution: {best?}

Output:-

Iteration 0: Temperature 20.000 Best End = 19.67156

Iteration 100: Temperature 0.099 Best End = 17.92648

Iteration 200: Temperature 0.050 Best End = 17.9270

Iteration 300: Temperature 0.025 Best End = 17.92970

Iteration 400: Temperature 0.020 Best End = 17.90970

Iteration 500: Temperature 0.020 Best End = 17.90970

Best score: 17.909695094049816 //

17.909695094049816

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## LAB-36 (8 queens)

Q								
	Q							
		Q						
			Q					
				Q				
					Q			
						Q		
							Q	
								Q

Hill climbing search for 8-queens:

function hill-climb():

current-state = random-initial-state()

current-cost = evaluate-state(current-state)

while current != cost = 0:

neighbors = generate-neighbors(current-state)

best-neighbors = None

best-cost = current-cost

// evaluate each neighbor and find the one  
with fewest attacking pairs.

for neighbor in neighbors:

neighbor-cost = eval-state(neighbor)

if neighbor-cost < best-cost:

best-cost = neighbor-cost

//Move to best neighbour.

current\_state = best\_neighbour

current\_cost = best\_cost

return current\_state //

//Evaluate states (state):

attnbjy\_fair = 0

for i = 0 to len(state) - 1:

for j = i + 1 to len(state) - 1:

if state[i] == state[j] or

abs(state[i] - state[j]) == abs(i - j)

attnbjy\_fair += 1

return attnbjy\_fair

A\*

//Initialization

open\_list = []

closed\_list = set()

state\_start = random.initial\_state()

g\_start = 0

f\_start = eval\_heuristic(start\_state)

f\_start = g\_start + h\_start

~~open\_list.push((f\_start, g\_start, start\_state))~~

Main loop //

while open\_list is not empty:

f\_current, g\_current = open\_list.pop()

if eval\_heuristic(next\_state) == 0:

return next-state

not queen placed  $\Rightarrow$  not queen

1) Final neighbors :  $[f(m) = g(m) + h(m)]$   $\rightarrow$  that's  
 g-neighbor = g - next + ) Heuristic value  
 h-neighbor = end-heuristic (neighbors)  
 f-neighbor = g-neighbor + h-neighbor  
 open-list.push(f-neighbor, g-neighbor, neighbor)

Outputs :- A\*

Q	+	+	+	+	+	+	+
+	+	+	+	+	+	Q	+
+	+	+	+	Q	+	+	+
+	+	+	+	+	+	+	Q
+	Q	+	+	+	+	+	+
+	+	+	Q	+	+	+	+
+	+	+	+	+	Q	+	+
+	+	Q	+	+	+	+	+

Will change :-

+	Q	+	+	+	+	+	+
+	+	+	+	+	+	+	Q
+	+	+	+	+	Q	+	+
+	+	Q	+	+	+	+	+
+	+	+	+	+	+	+	Q
+	+	+	Q	+	+	+	+
Q	+	+	+	+	+	+	+
+	+	+	+	+	+	+	+
+	+	+	Q	+	+	+	+

No solution found

✓ 110/2A

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## LAB-7

### Entailments - literals

Problem:-

Knowledge base:

- 1) Alice is the mother of Bob
- 2) Bob is the father of Charlie
- 3) A father is a person parent
- 4) A mother is a parent
- 5) All parents have children
- 6) If someone is a parent, their children are siblings
- 7) Alice is now married to David.

step by step solution

1) Hypothesis : "charlie is a sibling of bob"

2) Knowledge process :-

→ Considering statement 1 & 4, we can conclude that Alice is a parent of Bob.

→ Considering statement 2 & 3, we can conclude that Bob is a parent of Charlie.

→ Considering statement 6, we say that if children are siblings then they must have a common parent.

→ Considering statement 1 & 2, we can say

that bob & charlie don't have a same parent

∴ Therefore charlie & bob are not siblings.

3) Conclusion :-

The hypothesis "charlie is a sibling of bob" is not Entailed by the knowledge base.

+ literals Knowledge processing :-

+1) Alice is mother of bob  
 $M(Alice, bob)$

2) Bob is father of charlie:  
 $F(Bob, charlie)$

3) A father is a parent, & mother is parent  
 $P(Alice)$  and  $P(Bob)$

4) All parents have children  
 $\exists y \forall x C(x,y)$  and  $\exists y \forall x P(x,y)$

5) If someone is parent their children is sibling  
 $C(Alice, Bob) \wedge C(Bob, charlie)$

6) Conclusion :-

Entailment  $S(Bob, charlie)$  is true.

Program:-

class Family tree :

```
def __init__(self, 'Bob', 'Alice'):
    self.father_of = {'Charlie': 'Bob'}
    self.married_to = {'Alice': 'David'}
```

def print\_all(self):

```
print("1. Alice is the mother of Bob", "Bob"
      "in self.mothers_of and self.mothers_"
      "of ['Bob'] := 'Alice'")
```

```
print("2. Bob is the father of Charlie",
      "Charlie" in self.father_of)
      self.father_of['Charlie'] := 'Bob'
```

```
print("3. A father is a parent", "Bob" in
      self.father_of)
```

```
print("4. All parents have children")
```

```
print("5. If someone is a parent")
```

~~print("6. If Alice is married to David") in
 self.married\_to of ('David', 'Alice') in
 self.married\_to)~~

main()

family tree = family tree()

family-tree problem()

Output:-

- 1) Alice is mother of Bob : True
- 2) Bob is father of Charlie : True
- 3) A father is present : True
- 4) A mother is present : True
- 5) All parents have children : True
- 6) Bob & Charlie are siblings : True
- 7) Alice is married to David : True

Conclusion: Charlie is sibling of Bob : True //

19/11/64

11/11/21

Lab - 8

## First order logic and Unification:

1) John loves mary & blie gives him book

2) Socrates teaches

- i) Every student gives a book to someone
- ii) John teaches philosophy to every student
- iii) There is a person who teaches philosophy to a student
- iv) blie gives a pen to every teacher
- v) anyone who teaches philosophy loves a philosopher.

+ Predicates :

$\text{gives}(x, y, z)$ :  $x$  gives  $y$  to  $z$ .

$\text{teaches}(x, y, z)$ :  $x$  teaches  $y$  to  $z$ .

$\text{loves}(x, y)$ :  $x$  loves  $y$

$\text{student}(x)$

$\text{teacher}(x)$

$\text{philosopher}(x)$

## First-order-logic:-

1)  $\forall x (\text{student}(x) \rightarrow \exists y (\text{gives}(x, \text{book}, y)))$

2)  $\forall x (\text{student}(x) \rightarrow \text{teacher}(\text{John}, \text{philosophy}, x))$

3)  $\text{teacher}(x, \text{philosophy}, y, y) \wedge \text{student}(y)$

- 4)  $\forall x (\text{Teacher}(x) \rightarrow \text{Gives}(x, \text{Hildegard}, y))$   
 5)  $\exists x \exists y (\text{Teacher}(x, \text{Philosophy}, y) \wedge \text{Student}(y))$

### + Unification

- 1)  $\forall x (\text{Student}(x) \rightarrow \exists y (\text{Gives}(x, \text{Rock}, y)))$   
 $\exists x \exists y (\text{Teacher}(x, \text{Philosophy}, y) \wedge \text{Student}(y))$   
 $\forall x (\text{Student}(x) \rightarrow \exists y (\text{Gives}(x, \text{Rock}, y)))$   
 $= \text{Student}(x, \text{Rock}, y)$
- 2)  $\exists x \exists y (\text{Teacher}(x, \text{Philosophy}, y) \wedge \text{Student}(y))$   
 $\rightarrow \text{Teacher}(\text{Student}, \text{Philosophy}, y)$

~~Done~~

~~Done~~

Output :-

Original Predicates:

$\text{Gives}(\text{Alice}, \text{Rock}, \text{Rob})$

$\text{Teacher}(\text{Bob}, \text{Philosophy}, \text{Alice})$

Unification successful with substitutions  
 $y \rightarrow \text{Rock}$

~~8/11/2024~~

7/12/24

## Week 7

Solve FOL using Forward chaining.

Problem:- As per the law, it is crime for an American to sell weapons to hostile nations. An enemy of America has some missiles. If all the missiles were sold to it by Robert who is American citizen.

Law :- "Robert is criminal."

Facts :-

- i) Country A is an enemy of America.
- ii) Country A has missiles.
- iii) Robert sold missiles to country A.
- iv) Robert is an American citizen.

Representation in FOL :-

- 1) ~~It is a crime for an American to sell weapons to hostile nations.~~
- + ~~American (P)  $\wedge$  Weapons (q)  $\wedge$  Sells (P, q, r)  $\wedge$  Hostile (s)  $\Rightarrow$  Criminal (r)~~
- 2) Country A has some missiles:  
 $\exists x \text{ Area (A, } x) \wedge \text{ Missiles (x)}$
- 3) All of the missiles were sold to country A by Robert

$\forall x \text{ Missile}(x) \wedge \text{owns}(A, x) \Rightarrow \text{sells}(R, x)$

4) Missiles are weapons

missile( $x$ )  $\Rightarrow$  weapon( $x$ )

5) Enemy of America is known as hostile  
 $\forall x \text{ Enemy}(x, \text{America}) \Rightarrow \text{Hostile}(x)$

6) Robert is American  
American(Robert)

7) The country A, an enemy of America  
Enemy(A, America)

Observation:-

From 7 & 5

We consider Country A is hostile to America  
Enemy(A, America)  $\Rightarrow$  Hostile(A)

From 6 & 3

We identify that Robert is American  
sold missiles to country(A) ~~A America(R)~~

~~∴ if we consider that Robert is criminal  
Robert (criminal) / OP?~~

Output?

Robert is a criminal //

3/12/23

LAB-10

# 1 TIC-TAC-TOE using Min-Max

def evaluate(board)

row = 3

col = 3

grid = row \* col

def min\_max(board, depth, player)

i = 0

for i in 1 to 100

if i % 2 == 0

Ai

min\_max()

else

Ai2

min\_max()

score = evaluate(board)

if score == 10 or score == -10:

return score

~~if maximizing player(Ai)~~

best = -float('inf')

for j in range(3):

for j in range(3):

if board[i][j] == ' ':

if board[i][j] == 'x':

if board[i][j] == 'o':

return best

def find\_best\_move(board):

best\_val = float('inf')

best\_move = (None)

for i in range(7):

for j in range(7):

if board[i][j] == '-':

move\_val = min\_max(board, 0, False)

if move\_val > best\_value:

-15

move\_value = best\_value

0

return best\_move

10

Output :-

current board

X 0 X

0 0 X

- - X

The best move is (3,3)

1/2/23

LAB-10

8- Queens by alpha-beta pruning

def grid():

size = 8x8

def is safe(self, size, row, col)

for i in range(col):

if board[row][i] == 1:

return False

for i, j in zip(range(row, self.size),

range(col, -1, -1)):

if board[i][j] == 1:

return False

return False

alpha\_beta\_search(self, board, col, alpha, beta,  
maximizing\_player)

if col >= self.size: // if all queens are placed

else non-player:

best\_board = None

for row in range(self.size)

board[row][col] = 1

if val > best\_val:

best\_val = val

min():

~~of pt board (self board)~~

~~Output :-~~

~~Rowed~~

~~a . . . . .  
a . . . . .  
a . . . . .  
a . . . . .  
a . . . . .~~

~~X v b X~~