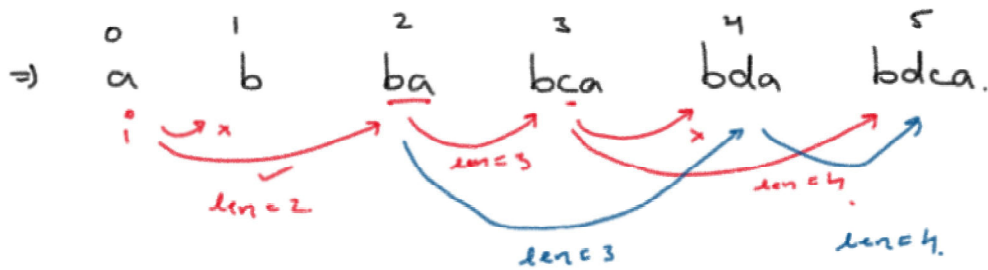


given $\{ ab \quad abc \quad cabc \quad pcabc \quad pcabc f \} = 5$ words in chain

$+c$ suff c pre p pre f suffix.

Initially \Rightarrow 1 word in chain

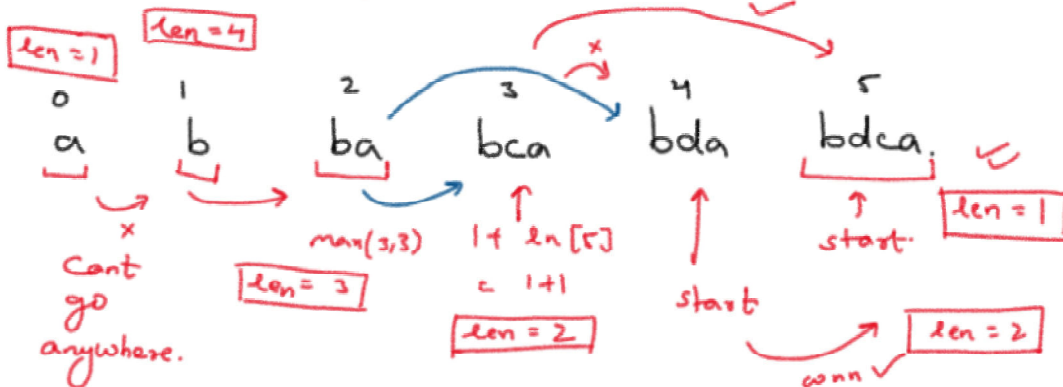


longest subsequence

$a=0$

so len=4

start string length = x to string length = $x+1$ \rightarrow ①



0 1 2 3 4 5

a b ba bca bda bdca

len array

1 4 3 2 2 1

MAX.

final

algo:

0 1 2 3 4 5

a b ba bca bda bdca

-1	-1	-1	-1	-1	1
----	----	----	----	----	---

len.

\uparrow start $\xrightarrow{\text{len}=1}$
 can move to only len[^] 2? & a to ba is possible.

$$\text{len}[0] = \max(\text{len}[0], 1 + \text{solve}(2)) \longrightarrow \textcircled{1}$$

0 1 2 3 4 5
 a b ba bca bda bdca.

-1	-1	-1	-1	-1	1
----	----	----	----	----	---

\uparrow start $\xrightarrow{\text{only can go to len}=3}$

$$\Rightarrow \text{len}[2] = \max(\text{len}[2], \text{solve}(3) \text{ \& \; } \text{solve}(4)) \longrightarrow \textcircled{2}$$

0 1 2 3 4 5
 a b ba bca bda bdca.

-1	-1	-1	-1 2	-1	1
----	----	----	-----------------	----	---

\uparrow start $\xrightarrow{\text{can go to 4. possible}}$

$$\begin{aligned}
 \text{so } \text{len}[3] &= \max(\text{len}[3], 1 + \text{solve}(5)) \\
 &= \text{len}[3] = \max(-1, 2) = 2.
 \end{aligned}$$

0 1 2 3 4 5
 a b ba bca bda bdca.

-1	-1 1	-1 3	2	-1 2	1
----	-----------------	-----------------	---	-----------------	---

4

\uparrow start $\xrightarrow{\text{possible.}}$

4

start ↑ ↘ possible.

go back to ②

$$\text{len}[2] = \max(-1, 3) = 3$$

go back to ①

$$\text{len}[1] = \max(-1, 4) = 4$$

 returns 4
as
answer

How to check if it is valid?

"bca" to "bdca" is valid or not?

remove each character & see once.

"bca", "dca" → false

"bca", "bca" → truefn
check.

0	1	2	3
b	d	c	a
↑	↑		
char.			

for $i=0 \rightarrow s = \text{substr}(1, \text{end})$
 for $0 \leq i < n-1 \rightarrow s = \text{substr}(0, i) + \text{substr}(i+1, \text{end})$
for $i = n-1 \rightarrow s = \text{substr}(0, \text{end}-1)$