

Job Scheduling

JD:

0	1	2	3	4	5
6	5	4	3	2	1

days = 2 \rightarrow number of cuts = ? = 1

2
3
4
5
6

day 1

\Rightarrow diff = 6

1

day 2.

diff = 1

\Rightarrow

ans = 7

JD:

0	1	2	3	4	5
6	5	4	3	2	1

days = 3 \rightarrow cuts = 2

day 1

⑥

day 2

⑤

day 3

④ 3 2 1

Total. return

15

⑥

⑤ 4

③ 2 1

14

⑥

⑤ 4 3

② 1

13

⑥

⑤ 4 3 2

①

12

⑥ 5

④

③ 2 1

13

⑥ 5

④ 3

② 1

12

⑥ 5

④ 3 2

①

11

⑥ 5 4

③

② 1

11

⑥ 5 4

③ 2

①

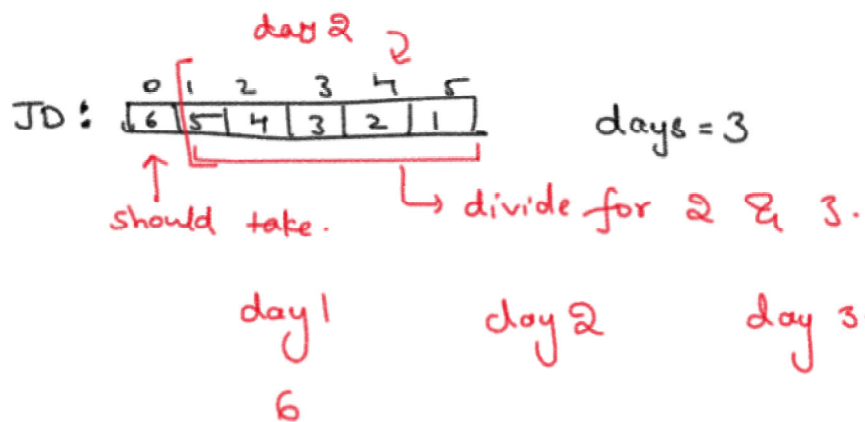
10

⑥ 5 4 3

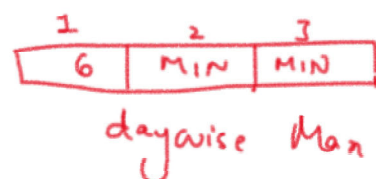
②

①

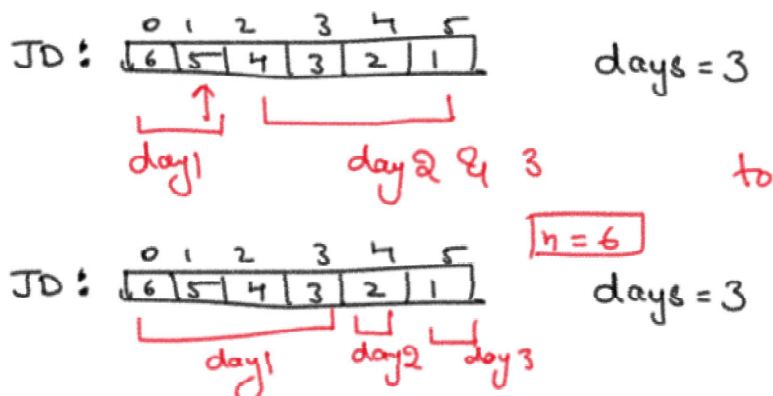
ans. lowest count



starting from day 0.



Next Iteration:

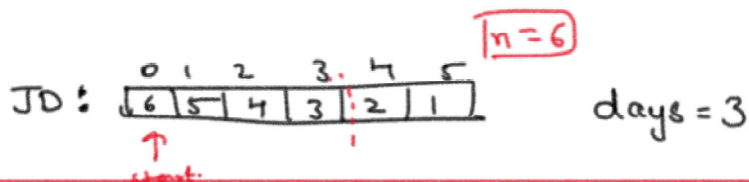


```
for (i=0; i ≤ n-d; i++)
{
    // process
}
```

↑ track max of that day also

daywiseMAX[day] = max()

process:



```
function solve (JD, days, curr day) {
    left start
```

```
for (int start; start ≤ n-d, start++) {
```

```
    daywiseMAX[currday] = max (same, JD[curr])
```

Track max.

daywiseMAX[currday] = max(same, JD[curr])

// assign for next day.

solve(JD, dayleft-1, curr_{day}+1, start+1);

// populates next day.

sum = sum.(daywiseMAX)

ans = min(sum, ans)

}

return ans

}

f(days_{left}, curr_{day}, start_{index})

for(int start; start < n-d, start++) {

daywiseMAX[currday] = max(same, JD[curr])

// assign for next day.

solve(JD, dayleft-1, curr_{day}+1, start+1);

// populates next day.

sum = sum.(daywiseMAX)

ans = min(sum, ans)

}

days = 3

JD:

0	1	2	3	4	5
6	5	4	3	2	1

 ↑ ↑

f(3, 1, 0)

0	1	2	3
6	5	4	3

 6 5

start = 0 :

f(2, 2, 1)

0	1	2	3
6	1	2	3

days = 3

day 0

day 1

day 2

Total (min)

6

1

2 3

10 → min

6

1 2

3

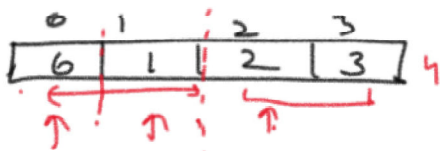
11

6 1

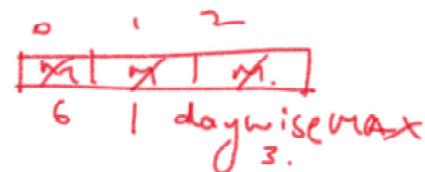
2

3

11



days = 3



$f(3, 0, 0)$
 days curr
 left day pos

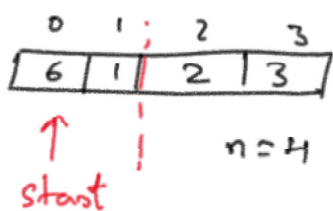
$f(2, 1, 1)$

$f(1, 2, 2)$
Ans

$f(1, 2, 3)$

```
for (int start; start <= n-d, start++) {
    daywiseMAX[currday] = max(same, JD[curr])
    // assign for next day.
    solve(JD, dayleft-1, curr+1, start+1);
    // populates next day.
    sum = sum + (daywiseMAX)
    ans = min(sum, ans)
}
```

NEW ALGO :



days = 3

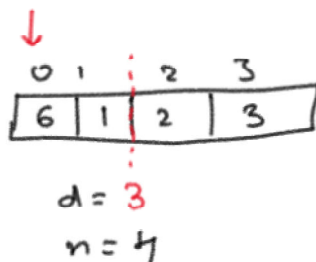
① $start \leq n-d$. [can be inside for loop]

② If $(d == 1)$ { right max } return.

Maintain a

2D array: $dp[ind][day]$

return. $dp[0][3]$



for (start <= n-d; start++) {

max = max(max, v[i]);

// then can or cannot break.

$dp[start][day] = \min(dp[start][day],$
 $\max + \text{solve}(start+1, day-1))$