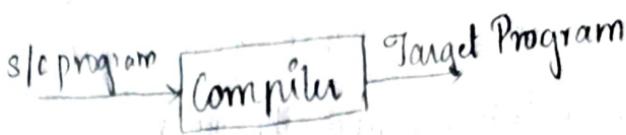
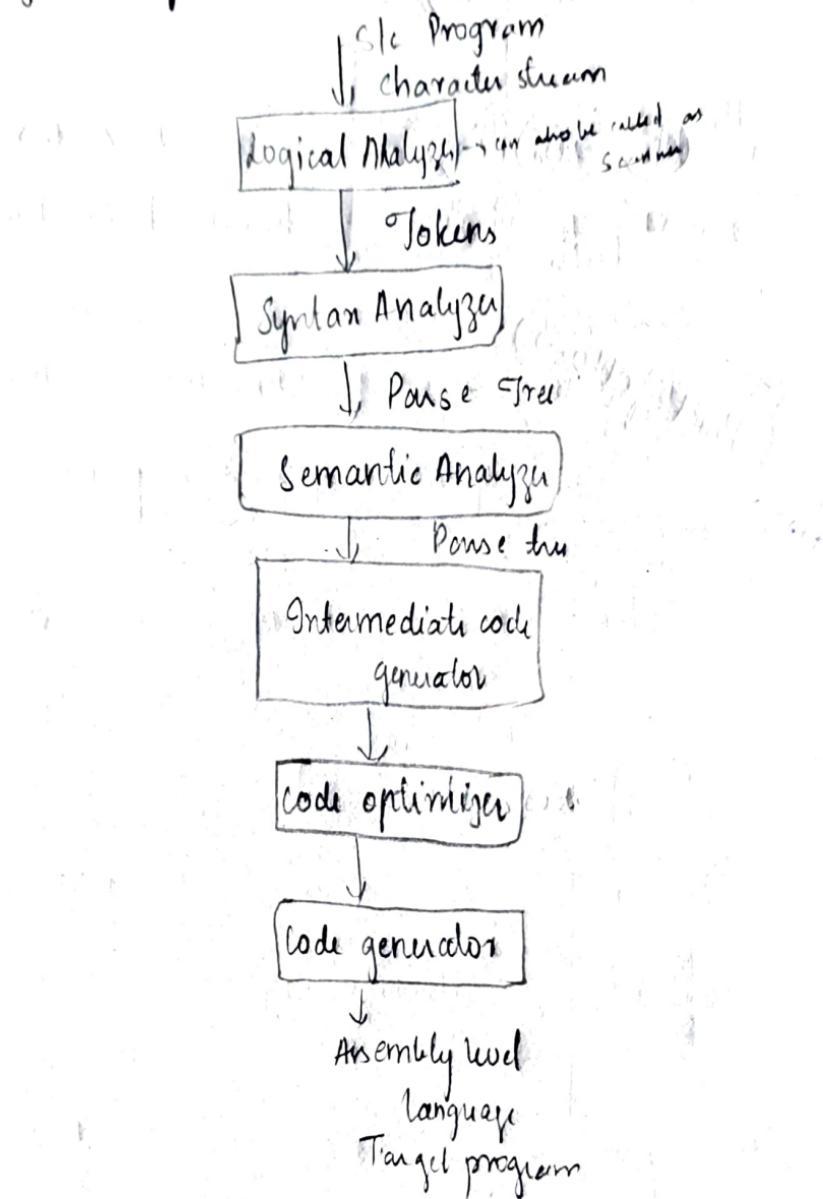


Phases of Compiler:



- 1) Analysis phase
- 2) Synthesis phase



Position = initial + rate * 60

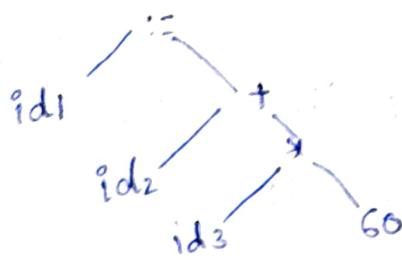
$$P = i + r \times 60$$

$$id1 := id2 + id3 \times 60$$

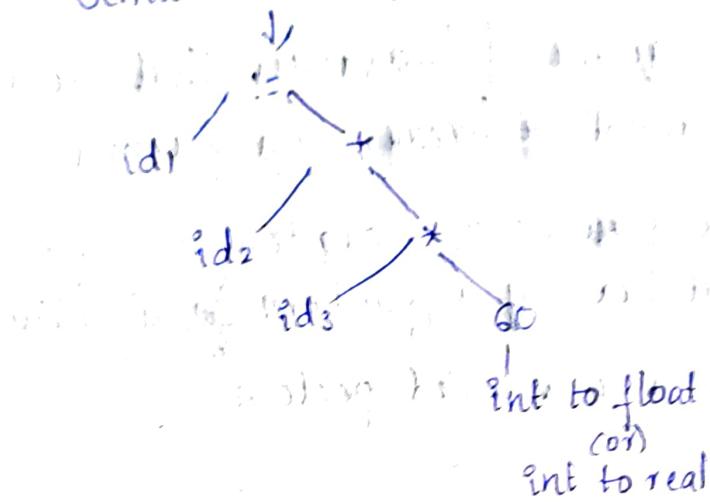
↓
Lexical analysis

$$id1, :, id2, +, id3, \times, 60$$

Syntax analyzer



Semantic analyzer



$$t_1 = \text{int to float}(60)$$

$$t_2 = id3 * t_1$$

$$t_3 = id2 + t_2$$

$$id1 = t_3$$

code optimizer

$$t_1 = id3 * 60.0$$

$$id1 = id2 + t_1$$

or

$$t_1 = id3 * 60.0$$

$$t_2 = id2 + t_1$$

$$id1 = t_2$$

Code generator

MOVF Id₃, R₂ // R₂ = Id₃

MULF #600, R₂ // R₂ = R₂ * 600

movf f - id₃ k₁ // R₁ = id₂

add f = k₁ id₁ // id = R

Token is a sequence of characters that are treated as unit as it cannot be broken down further.

Lexeme is a sequence of characters in source program that is matched by a pattern for a token.

Describing a rule is called pattern

Token

const

if

relation

id

num

Lexeme

const

if

<, >, =, <=, >=

pi, count, b5

3.14 / 15

informal description of pattern

// const

{ if }

<, >, =, <=, >=

letter followed by a letter

digit

any numeric constant

<id1> point to the symbol table for ϵ
<assign-operator>
<id2> point to symbol table for value m
<mult-ops>
<id3> point to the symbol table for value of c
<exp-op>
<ids> & point <num>

Term	Definition
1. prefix	a string obtained by removing zero or more trailing symbols of string
2. suffix	a string form by deleting zero or more leading symbols of string
3. substring of s	a string obtained by deleting a prefix & suffix from given string

Note: LUD

↓
Letters digits

- 1) LUD is the set of letters and digits
- 2) UD is the set of string consisting of a letter followed by a digit.
- 3) L^4 , L is the set of 2, letter strings
- 4) L^* is the set of all string of letters including ϵ

5) $L(L(0D))^*$ is the set of all strings of letters & digits beginning with letter

6) D^* is the set of all strings of one or more digits

Recognition of tokens

consider the following grammar

stmt \rightarrow if exp then stmt |
if exp then stmt else stmt | ε

exp \rightarrow term if op term | term

term \rightarrow id | num

in the above grammar the tokens are if, then, else, if op,

if \rightarrow if

then \rightarrow then

else \rightarrow else

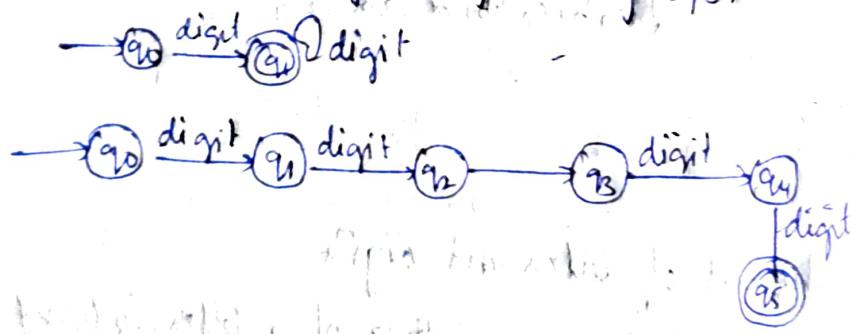
if op \rightarrow <, >, <=, >=, <>

id \rightarrow letter (letter | digit)

num \rightarrow digit + . digit

digit \rightarrow 0 - 9

Draw transition diagram for S280 & 3937



As a result of digit there are 4 states for digit

so there are 4 states for if, then, else

so there are 4 states for if op

Lexical Analysis:

Lexical analyzer eliminates the byte spaces, blank spaces, tab spaces and new line characters in the source program. It also identifies the keywords, identifiers, constants & punctuation marks.

Functions of lexical analyzer:

- 1) Read input characters from source program.
- 2) Dividing the program into valid tokens.
- 3) Removes byte space characters.
- 4) Remove comments.
- 5) Helps to identify tokens into the symbol table.
- 6) It generates lexical errors.

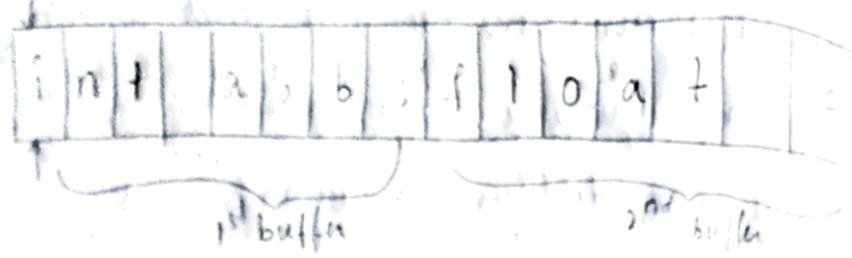
Lexical error: A character sequence which is not possible to scan any valid token is a lexical error.

ex: fi(a<b)

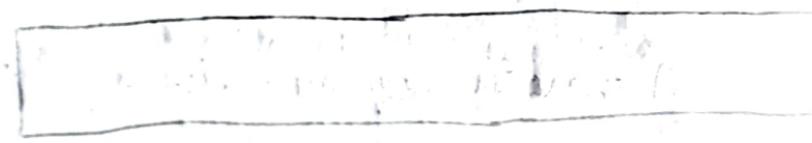
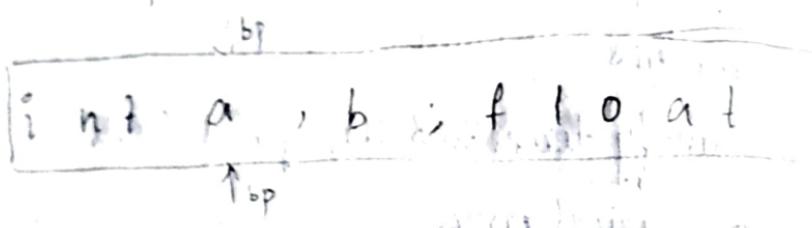
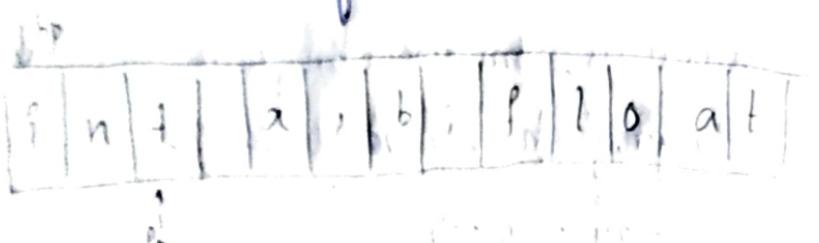
Lexical errors can be:

- 1) spelling error
- 2) Exceeding length of the error identifier
- 3) appearance of illegal character

Algorithm for Lexical Analyzer



Begin pointer and forward pointer will be pointing to the 1st character of lexeme.



if (forward at end of the 1st half) then

begin

reload 2nd half;

forward = forward + 1;

else

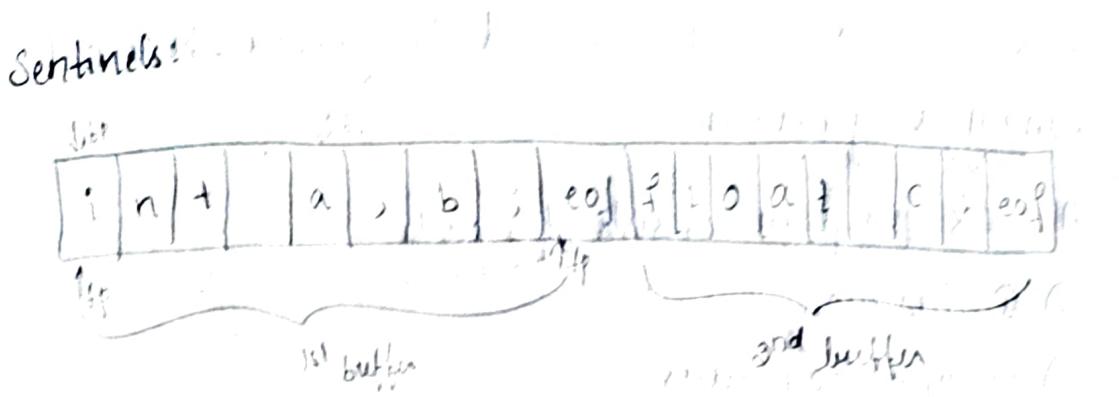
if (forward at 2nd half) then

begin

reload 1st half;

move forward pointer to beginning of the 1st half

end

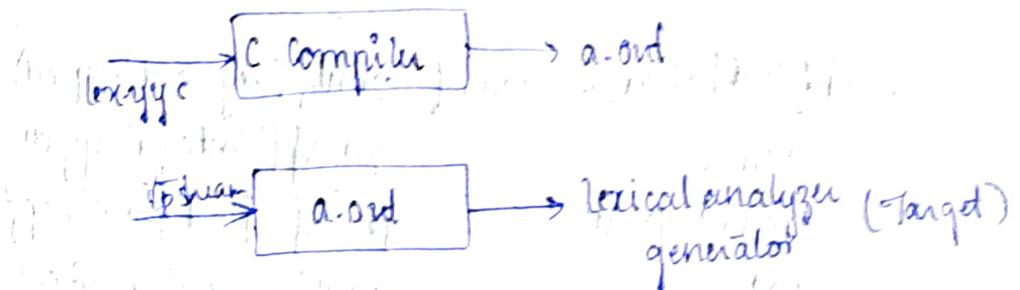


```

if (forward == eof) then
begin
  if (forward at end of 1st half) then
    if (forward at end of 2nd half) then
      begin
        unload 2nd half;
        forward = forward + 1
      end
    else
      if (forward at end of the 2nd half) then
        begin
          unload 1st half;
          move forward to begin of 1st half;
        end;
      else
        terminate the lexical analyzer
  end;
end;

```

LEX (Lexical analyzer Generator)



LEX is a tool which is used to generate the lexical analyzer generator.

A LEX program consists of 3 parts

1) Declaration

2) Translation rules

3) Auxiliary Procedures

• In declaration declare the variables in the LEX program.

• Translation rules

% %

P1 {action1}

P2 {action2}

Pn {actionn}

% %

where each P_n is a regular expression and each $\{action\}$ is a program fragment describing what actions are performed.

• Auxiliary procedures

These procedures can be compiled separately & loaded w/ lexical analyzer

DIGITS [0-9]

ID [a-zA-Z][a-zA-Z0-9]

% %

int|float|char|boolean|if printf("keyword", yytext)

DIGITS

DIGIT⁺ DIGIT⁺

ID⁺

printf("integer", yytext)

printf("float-point", yytext)

printf("identifier", yytext)

```

(           printf("open parenthesis", yytext);
</>|<:>|>|>|>
)           printf("close parenthesis", yytext);
,|`|~|;     printf("punctuation marks", yytext);

%:%
main()    yywrap();
{ yyin();
}
y         return 1;

```

yytext[0] will hold the 1st char of the lex
 yylex() fun makes a call to the yywrap() fun when
 it encounters the end of the ip. otherwise it will the
 prg continuously.

gedit filename.l
 lex filename.l
 gcc lex.yy.c

int keyword
 a identifier
 , punctuation
 b identifier
 ; punctuation

Algorithm : Eliminating LR

Input: Grammar G with no cycles or 'e' productions
Output: An equivalent grammar with no left recursion.
method: Apply the algorithm to grammar G then the resulting non left recursive grammar may have 'e' productions.

- i) Arrange the non terminals in order A_1, A_2, \dots, A_n
- ii) for (each i from 1 to n) {
 - iii) {for (each j from 1 to $i-1$) {
 - iv) Replace each production of the form $A_i \rightarrow A_j Y$ by the productions:
 $A_i \rightarrow S_1 | S_2 | \dots | S_k$ where S_1, S_2, \dots, S_k are all current A_j production
 $A_j \rightarrow S_1 | S_2 | \dots | S_k$ are all current A_j production
- v) eliminate the immediate LR among the A_i productions

Q) $S \rightarrow a | \wedge | T$
 $T \rightarrow T, S | S$

A $\rightarrow Aa | Ad | b$
B $\rightarrow Bb | e$
C $\rightarrow Cc | g$

Q) $E \rightarrow E(T) | T$
 $T \rightarrow T(F) | F$
 $F \rightarrow id$

A $\rightarrow ABd | Aa | a$
B $\rightarrow Be | b$

$S \rightarrow a|A|C$

$A \rightarrow A^2B \rightarrow$ given grammar is in left rec.

So rewrite as

$A \rightarrow ST^2$

$T \rightarrow ST^2E$

- 2) $E \rightarrow E(T)|T^2 \rightarrow S \rightarrow (T)E^2 \rightarrow E^2 \rightarrow (E)E$
 $A \rightarrow A^2B$
 $T \rightarrow T(T)|T^2 \rightarrow T \rightarrow (B)T \rightarrow T^2 \rightarrow (C)T$
- E and \rightarrow is not left recursive

- 3) $S \rightarrow ABC$ - not in 'left recursion'

$A \rightarrow Aa|Ad|b$

$B \rightarrow Bb|c$; $B \rightarrow BB^2$; $B^2 \rightarrow bB^2|\epsilon$

$C \rightarrow Cc|g$; $C \rightarrow gC^2$; $C^2 \rightarrow cc|e$

$A \rightarrow Aa|Ad|b$

$A' \rightarrow aA'$

$A' \rightarrow aA'|dA'|E$

- 4) $A \rightarrow ABD|Aa|a$; A is in left rec.

$A \rightarrow aA' \rightarrow B|dA'|a$

$A' \rightarrow B|dA'|aA'|E$

$B \rightarrow Bc|b$

$B \rightarrow bB'$

$B' \rightarrow cB'/G$

3) $S \xrightarrow{\alpha} assbs | a \xrightarrow{\beta} asb | abb | b$

not a left recursion it is left factoring

$s \rightarrow as'$

$s' \rightarrow sb | asb$

Top Down Parsing

The process of constructing the parse tree which starts from the root & goes down to the leaf is top down parsing

Top down parsers constructs from the grammar which is free from ambiguity & free from left recursion

Top down parsers uses LRD to construct a parse tree

Classification of TDP

with backtracking

1) Brute force technique

without Backtracking

1) RDP

2) PP

3) Non recursive

$E \rightarrow TE^{-1}$

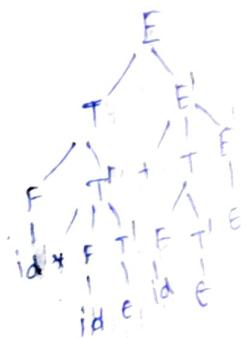
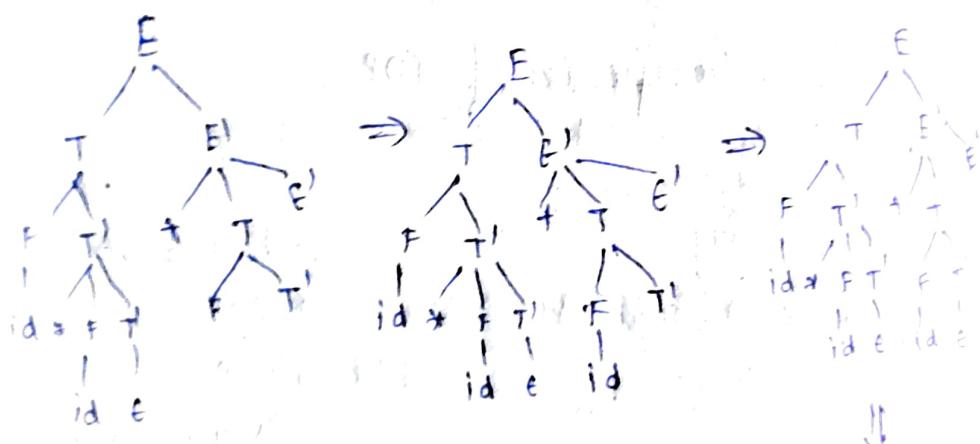
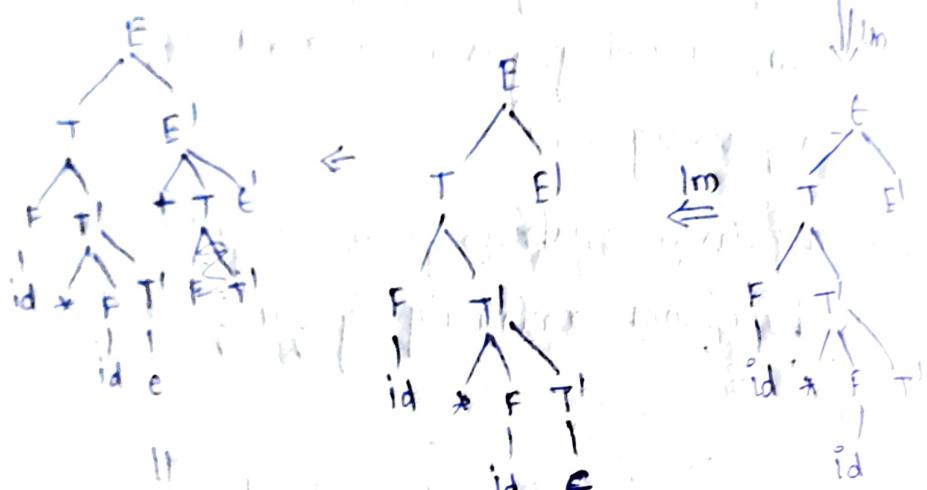
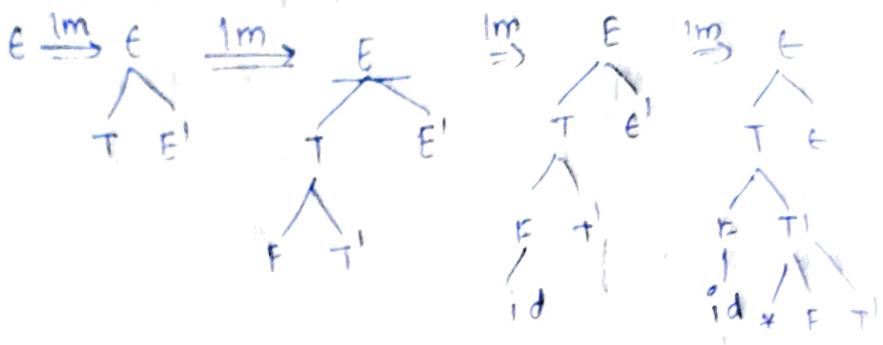
$E \xrightarrow{+} TE^{-1}/E$

$T \rightarrow FT^1$

$T^1 \rightarrow FT^1/S$

$F \rightarrow (E) / id$

$id * id + id$



(DP) With Backtracking (Brute Force Technique)

RDB (Recursive Descent Backtracking) involves backtracking
that is if a choice of a production rule doesn't work
we backtrack to try other alternatives.

In general RDB is not efficient (slower)

void A()

{ choose an A-production:

$A \rightarrow x_1, x_2, \dots, x_k$

for (i=1 to k)

{ if (x_i is a non-terminal)

call procedure x_i)

else

if (x_i equals the current i/p symbol a)

advance the i/p to the next symbol

else

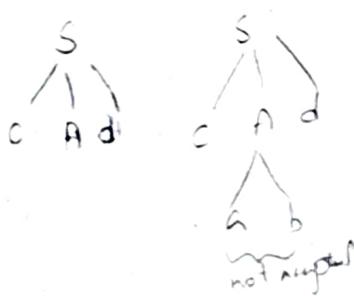
an error has occurred;

}

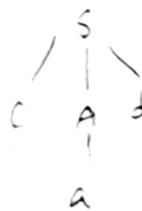
}

$S \rightarrow CAD$

$A \rightarrow abla$



$n = 20d$



RDP without backtracking

Consider the given grammar

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow (E) \mid id$$

Sol Eliminate the left recursion from the given grammar

$$E \rightarrow E + T \mid T$$

$$E' \rightarrow + TE' \mid E$$

$$T \rightarrow FT'$$

$$T' \rightarrow * FT' \mid E$$

$$F \rightarrow (E) \mid id$$

$$E \rightarrow TE'$$

$$T \rightarrow FT'$$

$$FT' E'$$

$$id TE'$$

$$F \rightarrow id$$

$$id * FT' E'$$

$$T' \rightarrow * FT'$$

$$id * id + TE'$$

$$F \rightarrow id$$

$$id * id + T' E'$$

$$T' \rightarrow E$$

$$id * id + id E'$$

$$E' \rightarrow + TE'$$

$$id * id + id F'$$

$$T \rightarrow F$$

$$id * id + id FT' E'$$

$$T' \rightarrow FT'$$

$$id * id + id T' E'$$

$$E' \rightarrow + TE'$$

$$id * id + id E'$$

$$E \rightarrow E$$

$$id * id + id E$$

FIRST

To compute $\text{FIRST}(x)$ for all grammar symbols x , apply the following rules until no more terminals or ϵ can be added to any first set

- i) If x is a terminal $\text{FIRST}(x) = \{x\}$,
- ii) If x is a non-terminal i.e. $X \rightarrow Y_1 Y_2 \dots Y_k$ is a production for some $k > 1$, then place ' a ' in $\text{FIRST}(X)$. If for some ' i ', ' a ' is in $\text{FIRST}(Y_i)$ & ϵ is in all of $\text{FIRST}(Y_1), \dots, \text{FIRST}(Y_{i-1})$
If ϵ is in $\text{FIRST}(Y_j)$ (for all) $\forall j = 1, 2, \dots, k$ then add ϵ to $\text{FIRST}(X)$

- iii) If $X \rightarrow C$ is a production then add C to $\text{FIRST}(X)$

Ex: Compute FIRST_T for the given grammar

$$E \rightarrow TE'$$

$$E' \rightarrow +TE'/\epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT'/\epsilon$$

$$F \rightarrow (e)/id$$

$$\text{FIRST}_T(E) = \text{FIRST}(T) = \text{FIRST}(F) = \{l, id\}$$

$$\text{FIRST}(E') = \{+, \epsilon\}$$

$$\text{FIRST}(T) = \{l, id\}$$

$$\text{FIRST}(T') = \{*, \epsilon\}$$

$$\text{FIRST}(F) = \{l, id\}$$

i) $S \rightarrow ABCDE$

$A \rightarrow a|b$

$B \rightarrow b|f$

$C \rightarrow c$

$D \rightarrow d|e$

$E \rightarrow e|\epsilon$

$\text{FIRST}(S) = \{a, b, c\}$

$\text{FIRST}(A) = \{a, \epsilon\}$

$\text{FIRST}(B) = \{b, \epsilon\}$

$\text{FIRST}(C) = \{c\}$

$\text{FIRST}(D) = \{d, \epsilon\}$

$\text{FIRST}(E) = \{e, \epsilon\}$

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Q) Compute FIRST for the following grammar.

$S \rightarrow ACB | cbB | Ba$

$A \rightarrow da$

$A \rightarrow da | Bc$

$\text{FIRST}(A) = \{d\}$

$B \rightarrow gle$

$A \rightarrow BC$

$C \rightarrow h|\epsilon$

$\text{FIRST}(A) = \{g, \epsilon\}$

$\text{FIRST}(A) = \{d, g, h, \epsilon\}$

$A \rightarrow Bc \Rightarrow A \rightarrow$

$\text{FIRST}(B) = \{g, \epsilon\}$

$\text{FIRST}(A)$

$\text{FIRST}(C) = \{h, \epsilon\}$

$\text{FIRST}(S) = \text{FIRST}(A) = \{d, g, \epsilon, h\} \cup \{a, b\}$

Q) Compute FIRST for following grammar.

$S \rightarrow iEtSS' | a$

$\text{FIRST}(C) = \{b\}$

$S' \rightarrow CS | \epsilon$

$\text{FIRST}(S) = \{i, a\}$

$E \rightarrow b$

$\text{FIRST}(S') = \{b, \epsilon\}$

* FOLLOW

to compute FOLLOW(A) for all non terminals A apply the following rules until nothing can be added to any follow set.

Rule 1: Place \$ in FOLLOW(s) where s is the start symbol & \$ is the input right end marker

$$\text{FOLLOW}(s) = \$ \quad \text{for}$$

Rule 2: If there is a production $A \rightarrow \alpha B \beta$ then everything in FIRST(B) except \$\epsilon\$ is in FOLLOW(B). $\text{FOLLOW}(B) = \text{FIRST}(B) - \{\epsilon\}$

Rule 3: If there is a production $A \rightarrow \alpha B \text{ or } A \rightarrow \alpha B B$, where FIRST(B) contains \$\epsilon\$ then everything in FOLLOW(A) is in FOLLOW(B)

$$\text{FOLLOW}(B) = \text{FIRST}(B) - \{\epsilon\} \cup \text{FOLLOW}(A)$$

Compute FOLLOW for the given grammar.

$$E \rightarrow TE'$$

$$\text{FIRST}(E) = \{l, id\}$$

$\alpha - B$

$$E' \rightarrow +TE'/\epsilon$$

$$\text{FIRST}(E') = \{+, \epsilon\}$$

$$\times \quad BB$$

$$T \rightarrow FT'$$

$$\text{FIRST}(T) = \{\epsilon, id\}$$

$=) - \epsilon$

$$T' \rightarrow \alpha FT'$$

$$\text{FIRST}(T') = \{+, \epsilon\}$$

$-)$

$$F \rightarrow (\epsilon)/id$$

$$\text{FIRST}(F) = \{(\}, id\} \quad \text{Follow}(E')$$

$$\text{FOLLOW}(E) = \{\$,)\}$$

$$E \rightarrow \overbrace{TE'}^{\text{Follow}(E')} \epsilon, E' \rightarrow +TE'$$

$$\text{FOLLOW}(E') = \{\$,)\}$$

$$\text{Follow}(E') = \{(\epsilon/\epsilon) \cup \text{Follow}(E)\}$$

$$\text{FOLLOW}(T) = \{+, \$,)\}$$

$$\times \quad \{\$ - \}$$

$$\text{FOLLOW}(T') =$$

$$\text{Follow}(E) \text{ for } E \xrightarrow{A} \overbrace{+TE'}^{\text{Follow}(E)}$$

$$\text{FOLLOW}(F) =$$

$$\text{Follow}(E) = \{\epsilon - \epsilon\} \cup \text{Follow}(E)$$

$$= \{\$,)\}$$

$$\text{FOLLOW}(T) = \frac{A}{E \rightarrow BE^1}, E^1 \rightarrow \frac{B}{TE^1}$$

$$\text{FOLLOW}(T) = \{\text{FIRST}(E^1) - \epsilon\} \cup \text{FOLLOW}(E)$$

$$\{+, \epsilon, (\}, \{)\})$$

$$\text{FOLLOW}(T) = \{+, \epsilon, (\}, \{)\})$$

$$\{+, \epsilon, (\}, \{)\})$$

$$\text{FOLLOW}(T') = \{T \rightarrow pT, T \rightarrow p * E P\}$$

Predictive Parsing:

Algorithm: Construction of a predictive parsing table

Input: Grammar G

Output: Parsing table H

Method: For each production $A \rightarrow \alpha$ of the grammar do the following

Step 1: For each terminal 'a' in $\text{FIRST}(A)$, add $A \rightarrow \alpha$ to $H[A, a]$

Step 2: If ϵ is in $\text{FIRST}(\alpha)$ then for each terminal 'b' in $\text{FOLLOW}(A)$ add $A \rightarrow \alpha$ to $H[A, b]$

Step 3: If ϵ is in $\text{FIRST}(\alpha)$ & $\$$ is in $\text{FOLLOW}(A)$ add $A \rightarrow \alpha$ to $H[A, \$]$

After performing the above 3 steps there is no production all in $H[A, a]$ then set $H[A, a]$ to error

Ex: Construct a predictive parsing table for the grammar

$$S \rightarrow aBa$$

$$B \rightarrow bB/e$$

$$\text{FIRST}(S) \rightarrow \{a\}$$

$$\text{FOLLOW}(S) = \{\$\}$$

$$\text{FIRST}(B) \rightarrow \{b, e\}$$

$$\text{FOLLOW}(B) = \{a\}$$

	$\text{First}(\alpha)$	PPE
$S \rightarrow aBa$	$\text{FIRST}(a, Ba) = \{a\}$	$H[S, a]$
$B \rightarrow bB$	$\text{FIRST}(bB) = \{b\}$	$H[B, b]$
$B \rightarrow e$	$\text{FOLLOW}(B) = \{a\}$	$H[B, a]$

$$\begin{array}{l} S \xrightarrow{*} aBa \\ S \rightarrow aBa \\ B \rightarrow bB \\ \text{Follow}(B) = \{a\} \end{array}$$

Non-terminal	a	b	\$
S	$s \rightarrow aBa$		
B	$B \rightarrow \epsilon$	$B \rightarrow bB$	

Construct PPT for grammar

$$E \xrightarrow{*} T E' E$$

$$E' \xrightarrow{*} + T E' / E$$

$$T \xrightarrow{*} F T'$$

$$T' \xrightarrow{*} * F T' / \epsilon$$

$$F \xrightarrow{*} (E) / id$$

$$\text{FIRST}(E) = \text{FIRST}(T) \Rightarrow \text{FIRST}(F) + \{ \{ \}, id \}$$

$$\text{FIRST}(E') = \{ +, \epsilon \}$$

$$\text{FIRST}(T) = \{ (, id \}$$

$$\text{FIRST}(T') = \{ *, \epsilon \}$$

$$\text{FIRST}(F) = \{ (, id \}$$

$$\text{FOLLOW}(E) = \{ \$,) \} \quad \text{Formula}$$

$$\text{FOLLOW}(E') = \{ \$,) \}$$

$$\text{FOLLOW}(+) = \{ \$ \} = \{ +, \$ \}$$

$$E \xrightarrow{*} T E'$$

$$\begin{aligned} \text{FOLLOW}(T) &= \text{FIRST}(E') - E \cup \text{FOLLOW}(E) \\ &= \{ +, \epsilon \} - E \cup \{ \$,) \} \\ &= \{ +, \$,) \} \end{aligned}$$

$$E' \xrightarrow{*} + T E'$$

$$\begin{aligned} \text{FOLLOW}(T) &= \text{FIRST}(E') - E \cup \text{FOLLOW}(E') \\ &= \{ +, \epsilon \} - E \cup \{ \$,) \} \\ &= \{ +, \$,) \} \end{aligned}$$

$\text{FOLLOW}(T)$

$$T \xrightarrow{\Delta} FT^1 \epsilon$$

$$\begin{aligned}\text{FOLLOW}(T^1) &= \text{FIRST}(\epsilon) - \epsilon \cup \text{FOLLOW}(T) \\ &= \epsilon - \epsilon \cup \{+, \$,)\} \\ &= \{+, \$,)\}\end{aligned}$$

$$(T^1 \rightarrow +FT^1 | (\epsilon))$$

$\text{FOLLOW}(F)$

$$T \xrightarrow{\Delta} FT^1$$

$$\begin{aligned}\text{FOLLOW}(F) &\supset \text{FIRST}(T^1) - \epsilon \cup \text{FOLLOW}(T) \\ &\supset \{\ast, \epsilon, ?\} - \epsilon \cup \{+, \$,)\} \\ &\supset \{+, \$,)\}\end{aligned}$$

terminals + * () , .

ϵ $E \rightarrow TE'$ $E' \rightarrow TEE'$ $E' \rightarrow EEE'$ $E' \rightarrow EEE'E''$

E' $E' \rightarrow TEE'$ $E' \rightarrow EEE'E''$ $E' \rightarrow EEE'E'E'''$

T $T \rightarrow FT^1$ $T^1 \rightarrow FTT^1$ $T^1 \rightarrow FTT^1T^2$ $T^1 \rightarrow FTT^1T^2T^3$

T^1 $T^1 \rightarrow E$ $E \rightarrow TEE'$ $E \rightarrow EEE'E''$ $E \rightarrow EEE'E'E'''$

E $E \rightarrow TEE'$ $E \rightarrow EEE'E''$ $E \rightarrow EEE'E'E'''$

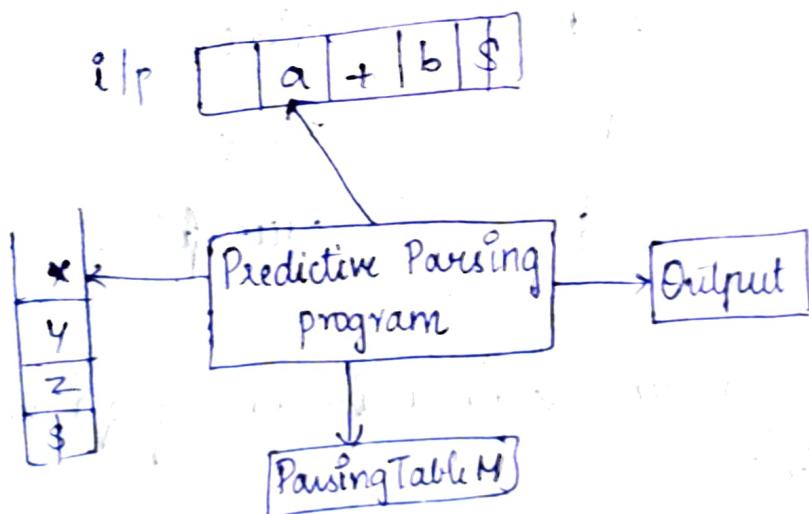
F $F \rightarrow FT^1$ $F \rightarrow FTT^1$ $F \rightarrow FTT^1T^2$ $F \rightarrow FTT^1T^2T^3$

T^1 $T^1 \rightarrow E$ $E \rightarrow TEE'$ $E \rightarrow EEE'E''$ $E \rightarrow EEE'E'E'''$

	First(α)	PPT
$E \rightarrow TE'$	$\text{First}(T) = \{\epsilon, \text{id}\}$	$H[E, \epsilon]$ $H[E, \text{id}]$
$E' \rightarrow +TE'$	Follow(E') +	$M[E', +]$
$E' \rightarrow E$	$\text{Follow}(E') = \{\$, +\}$	$H[E', \$], M[E', +]$
$T \rightarrow FT'$	$\text{First}(F) = \{\epsilon, \text{id}\}$	$H[T, \epsilon], H[T, \text{id}]$
$T' \rightarrow xFT'$	*	$(H[T', x])$
$T' \rightarrow E$	$\text{Follow}(T') = \{+, \$, +\}$	$H[T', +], H[T', \$], M[T', +]$
$F \rightarrow (\epsilon)$	$\text{FIRST}(\text{id}) = \{\text{id}\}$	$H[F, \epsilon]$
$F \rightarrow \text{id}$		$H[F, \text{id}]$

12/10/23

Model of a non-recursive predictive parser



Construct non recursive predictive parser for the following grammar.

$$E \rightarrow TE'$$

$$E' \rightarrow +TE'/\epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow xFT'/\epsilon$$

$$F \rightarrow (\epsilon)/\text{id}$$

SLP string: id + id * id

Stack	Input	SLP
\$E	id + id * id \$	$E \rightarrow TE'$
\$ET	id + id * id \$	$T \rightarrow FT$
\$ETF	id + id * id \$	$F \rightarrow id$
\$ET'id	id + id * id \$	$T' \rightarrow E$
\$ET'*	+ id * id \$	$E' \rightarrow + TE'$
\$ET'F	id * id \$	$T \rightarrow FT$
\$ET'F'	id * id \$	$F \rightarrow id$
\$ET'F'X	* id \$	$T' \rightarrow * ET$
\$ET'F'X	* id \$	$F \rightarrow id$
\$ET'id	id \$	$T' \rightarrow E$
\$E'	\$	$E' \rightarrow E$
\$	\$	successful

Construct non recursive predictive parsing for the grammar:

$$S \rightarrow a/b/(T)$$

$$T \rightarrow T, S/S$$

SLP string: (b)

Q1: check whether given grammar is in left recursion or not
 $S \rightarrow a/b/(T)$ is not in LR

$T \rightarrow T, S/S$ is in LR so it be rewritten as

$$\begin{aligned} A &\rightarrow A^1 \\ A &\rightarrow B^1 \\ A^1 &\rightarrow A^2 \end{aligned}$$