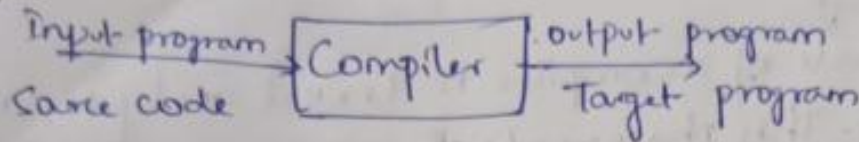


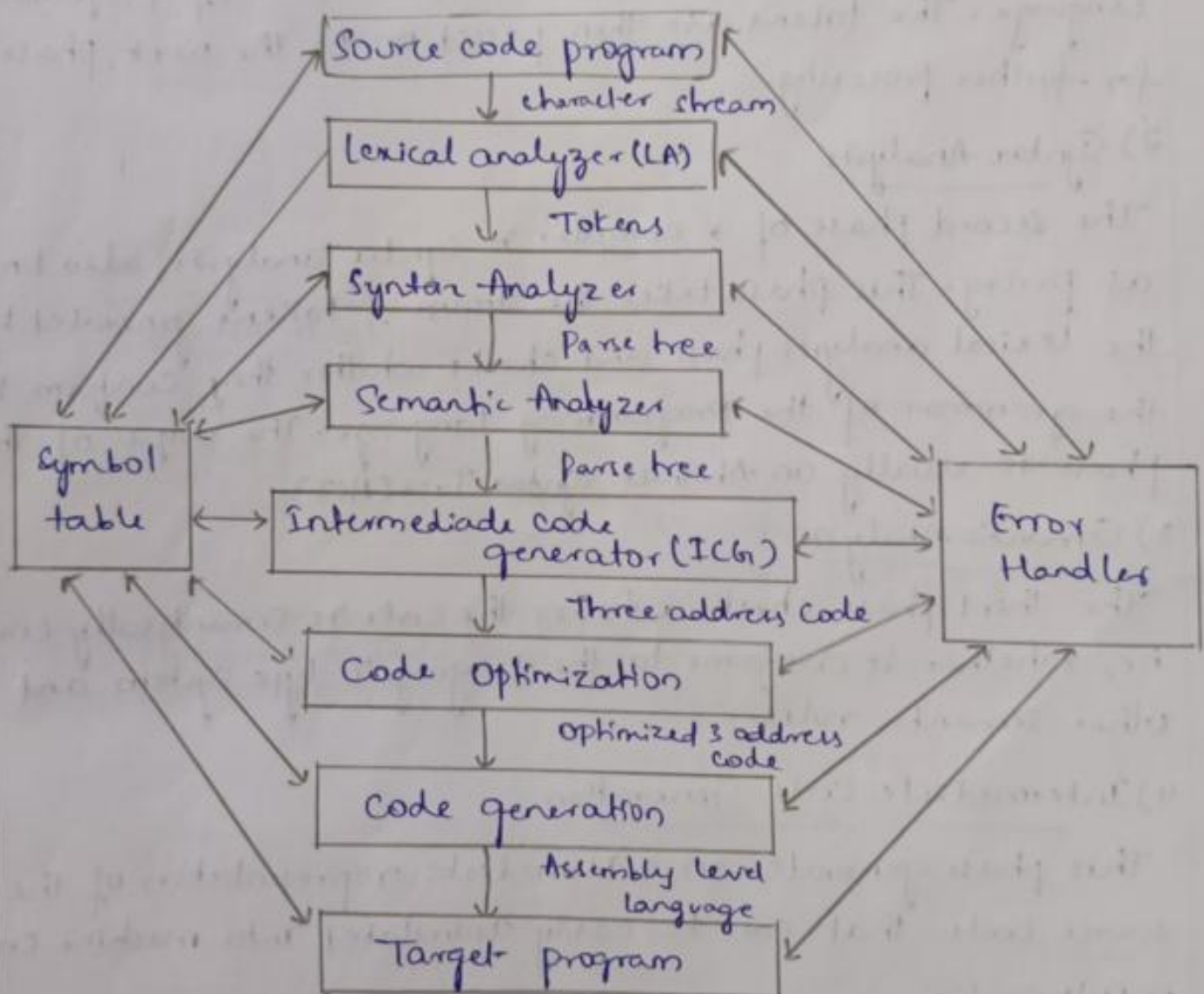
## ACD Assignment-1

- 1) Define a Compiler. Explain briefly about the different phases of a compiler with example.

A compiler is a program that helps in translating the computer code from one programming language into another programming language.



### Phases of a Compiler



There are 2 phases of compilers:

- 1) Analysts phase (front end of compiler)
- 2) Semantic phase (back end of compiler)

- The analysis phase creates an intermediate representation from the given source code.
- The synthesis phase creates an equivalent target program from the intermediate representation.

### 1) Lexical Analysis

The first phase of a compiler is lexical analysis, also known as scanning. This phase reads the source code and breaks it into a stream of tokens, which are basic units of programming language. The tokens are then passed on to the next phase for further processing.

### 2) Syntax Analysis

The second phase of a compiler is syntax analysis, also known as parsing. This phase takes the stream of tokens generated by the lexical analysis phase and checks whether they conform to the grammar of the programming language. The output of this phase is usually an Abstract Syntax Tree (AST).

### 3) Semantic Analysis

The third phase checks whether the code is semantically correct, i.e., whether it conforms to the language's type system and other semantic rules.

### 4) Intermediate Code Generation

This phase generates an intermediate representation of the source code that can be easily translated into machine code.

### 5) Optimization

This phase applies various optimization techniques to the intermediate code to improve the performance of the generated machine code.



## 6) Code Generation

This phase takes the optimized intermediate code and generates the actual machine code that can be executed by the target hardware.

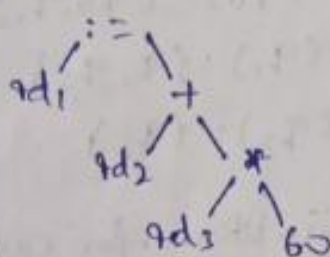
Ex: position := initial + rate \* 60

id1 := id2 + id3 \* 60

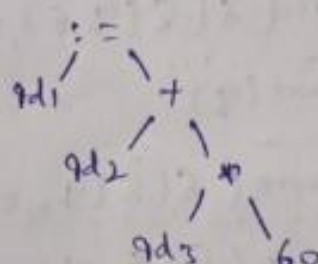
Lexical analyzer

id1, :=, id2, +, id3, \*, 60

Syntax analyzer



Semantic analyzer



int to float (or) int to real

Intermediate Code generator

t1 = int to float(60)

t2 = id3 \* t1

t3 = id2 + t2

id1 = t3

Code optimizer

t1 = id3 \* 60.0

t2 = id2 + t1 (or)

id1 = t2

t1 = id3 \* 60.0

id1 = id2 + t1

Code generator

MOVF id3 R2 // R2 = id3

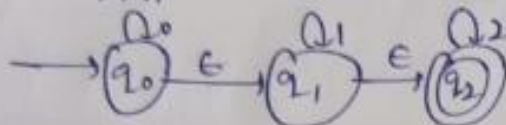
MULF #60.0, R2 // R2 = R2 \* 60.0

MOVF  $rd2R, // R_1: rd2$

ADDF  $R_2, R_1 // R_1: R_1 + R_2$

MOVF  $R_1, rd, // rd_1 = R_1$

- 2) Convert the given NFA with  $\epsilon$  to NFA without  $\epsilon$  and Construct DFA.



NFA with  $\epsilon$  to NFA without  $\epsilon$

Step 1:-  $\epsilon$ -closure( $q_0$ ) =  $\{q_0, q_1, q_2\}$   $\left[ \begin{array}{l} \because \epsilon\text{-closure}(p) = \{p\} \forall p \in Q \\ \text{if } \exists \epsilon\text{-closure}(p) = \{q\} \text{ s.t. } \delta(q, \epsilon) \neq \emptyset \\ \text{then } \epsilon\text{-closure}(p) = \{q, r\} \end{array} \right]$   
 $\epsilon$ -closure( $q_1$ ) =  $\{q_1, q_2\}$   
 $\epsilon$ -closure( $q_2$ ) =  $\{q_2\}$

Step 2:- Find  $\delta'$  transitions for each state

$\delta'(q, a) = \epsilon\text{-closure}(\delta(\hat{\delta}(q, \epsilon), a))$  where

$\hat{\delta}(q, \epsilon) = \epsilon\text{-closure}(q)$

$\rightarrow \delta'(q_0, 0) = \epsilon\text{-closure}(\delta(\hat{\delta}(q_0, \epsilon), 0))$   
 $= \epsilon\text{-closure}(\delta(\epsilon\text{-closure}(q_0), 0))$

$= \epsilon\text{-closure}(\delta(q_0, q_1, q_2), 0)$

$\delta'(q_0, 0) = \epsilon\text{-closure}(q_0) = \{q_0, q_1, q_2\}$

$\rightarrow \delta'(q_0, 1) = \epsilon\text{-closure}(\delta(\hat{\delta}(q_0, \epsilon), 1))$   
 $= \epsilon\text{-closure}(\delta(\epsilon\text{-closure}(q_0), 1))$   
 $= \epsilon\text{-closure}(\delta(q_0, q_1, q_2), 1)$

$\delta'(q_0, 1) = \epsilon\text{-closure}(q_1) = \{q_1, q_2\}$

$\rightarrow \delta'(q_0, 2) = \epsilon\text{-closure}(\delta(\hat{\delta}(q_0, \epsilon), 2))$   
 $= \epsilon\text{-closure}(\delta(\epsilon\text{-closure}(q_0), 2))$   
 $= \epsilon\text{-closure}(\delta(q_0, q_1, q_2), 2)$

$\delta'(q_0, 2) = \epsilon\text{-closure}(q_2) = \{q_2\}$



$$\begin{aligned} \rightarrow \delta'(q_1, 0) &= \epsilon\text{-closure}(\delta(\hat{\delta}(q_1, \epsilon), 0)) \\ &= \epsilon\text{-closure}(\delta(q_1, q_2), 0) \\ &= \epsilon\text{-closure}(\phi) = \phi \end{aligned}$$

$$\begin{aligned} \rightarrow \delta'(q_1, 1) &= \epsilon\text{-closure}(\delta(\hat{\delta}(q_1, \epsilon), 1)) \\ &= \epsilon\text{-closure}(\delta(q_1, q_2), 1) \end{aligned}$$

$$\delta'(q_1, 1) = \epsilon\text{-closure}(q_1) = \{q_1, q_2\}$$

$$\begin{aligned} \rightarrow \delta'(q_1, 2) &= \epsilon\text{-closure}(\delta(\hat{\delta}(q_1, \epsilon), 2)) \\ &= \epsilon\text{-closure}(\delta(q_1, q_2), 2) \\ &= \epsilon\text{-closure}(q_2) = \{q_2\} \end{aligned}$$

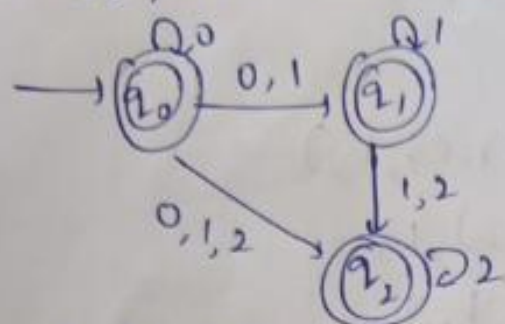
$$\begin{aligned} \rightarrow \delta'(q_2, 0) &= \epsilon\text{-closure}(\delta(\hat{\delta}(q_2, \epsilon), 0)) \\ &= \epsilon\text{-closure}(\delta(q_2), 0) \\ &= \epsilon\text{-closure}(\phi) = \phi \end{aligned}$$

$$\begin{aligned} \rightarrow \delta'(q_2, 1) &= \epsilon\text{-closure}(\delta(\hat{\delta}(q_2, \epsilon), 1)) \\ &= \epsilon\text{-closure}(\delta(q_2), 1) \\ &= \phi \end{aligned}$$

$$\begin{aligned} \rightarrow \delta'(q_2, 2) &= \epsilon\text{-closure}(\delta(\hat{\delta}(q_2, \epsilon), 2)) \\ &= \epsilon\text{-closure}(\delta(q_2), 2) \\ &= \epsilon\text{-closure}(q_2) = \{q_2\} \end{aligned}$$

Input State	0	1	2
$q_0$	$\{q_0, q_1, q_2\}$	$\{q_1, q_2\}$	$\{q_2\}$
$q_1$	$\phi$	$\{q_1, q_2\}$	$\{q_2\}$
$q_2$	$\phi$	$\phi$	$\{q_2\}$

As  $\epsilon\text{-closure}(q_0)$ ,  $\epsilon\text{-closure}(q_1)$ ,  $\epsilon\text{-closure}(q_2)$  contains final state  $q_2$ , here the final states are  $q_0, q_1$  and  $q_2$



Convert to DFA

$$\rightarrow \delta'([q_0], 0) = \{q_0, q_1, q_2\}$$

$$\delta'([q_0], 1) = \{q_1, q_2\}$$

$$\delta'([q_0], 2) = \{q_2\}$$

$$\delta'([q_0, q_1, q_2], 0) = \{q_0, q_1, q_2\}$$

$$\delta'([q_0, q_1, q_2], 1) = \delta'([q_0], 1) \cup \delta'([q_1], 1) \cup \delta'([q_2], 1) = \{q_1, q_2\}$$

$$\delta'([q_1, q_2], 0) = \delta'([q_1], 0) \cup \delta'([q_2], 0)$$

$$= -$$

$$\delta'([q_1, q_2], 1) = \delta'([q_1], 1) \cup \delta'([q_2], 1) = \{q_1, q_2\}$$

$$\delta'([q_1, q_2], 2) = \delta'([q_1], 2) \cup \delta'([q_2], 2) = \{q_2\}$$

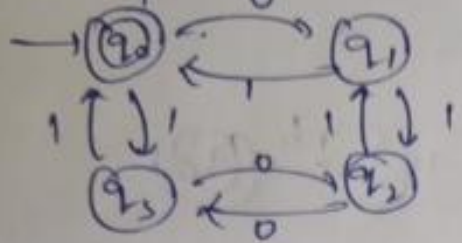
$$\delta'([q_2], 0) = -, \delta'([q_2], 1) = -, \delta'([q_2], 2) = \{q_2\}$$

DFA

state \ q/p	0	1	2
$q_0$	$\overset{A}{\{q_0, q_1, q_2\}}$	$\overset{B}{\{q_1, q_2\}}$	$q_2$
$A \ \{q_0, q_1, q_2\}$	$\overset{A}{\{q_0, q_1, q_2\}}$	$\overset{B}{\{q_1, q_2\}}$	$q_2$
$B \ \{q_1, q_2\}$	-	$\overset{B}{\{q_1, q_2\}}$	$q_2$
$(q_2)$	-	-	$q_2$



- 3) Design FA with  $\Sigma = \{0, 1\}$  accepts even number of 0's and even no. of 1's.


$$\{ \{ 20, 9, 2, 1, 3, 10, 1 \}, 8, 9, \{ 7, 3 \} \}$$

	0	1
$q_0$	$q_1$	$q_3$
$q_1$	$q_0$	$q_2$
$q_2$	$q_3$	$q_1$
$q_3$	$q_2$	$q_0$

- 4) Construct E-NFA for the given regular expression  $(a+tb)^*abb$

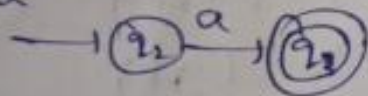
$$r = (a+b)^f abb$$

 $\gamma_1, \gamma_2$ 

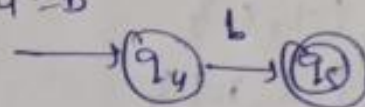
$$r_1 = (a+b)^n$$

 $\tau_1, \tau_4$ 

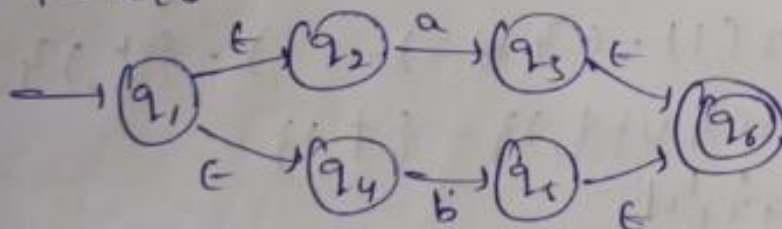
$$r_1 = a$$



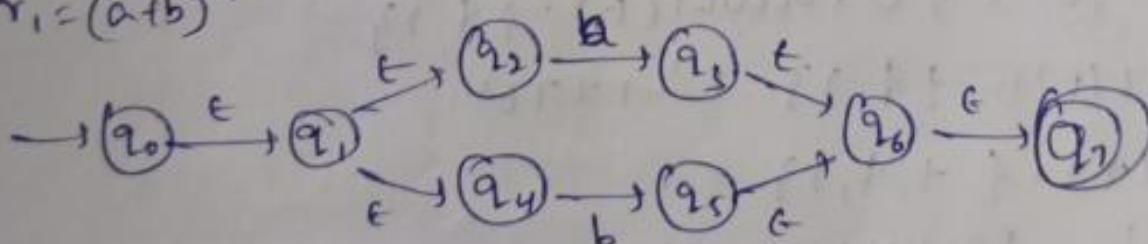
$$\pi_4 = b$$



$$r_3 + r_4 = a + b$$



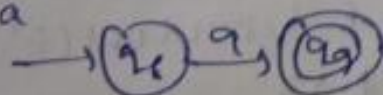
$$r_1 = (a+b)^4$$



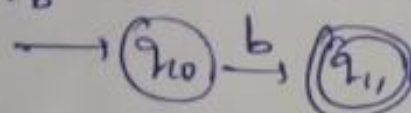
$$\gamma_2 = ab^1b$$

 $\gamma_5, \gamma_6, \gamma_7$ 

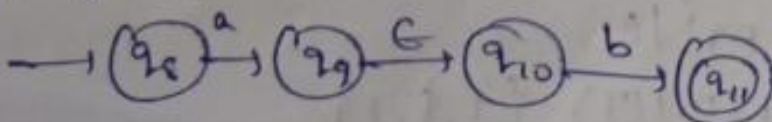
$$r_5 = a$$



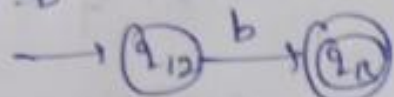
$$r_6 = b$$



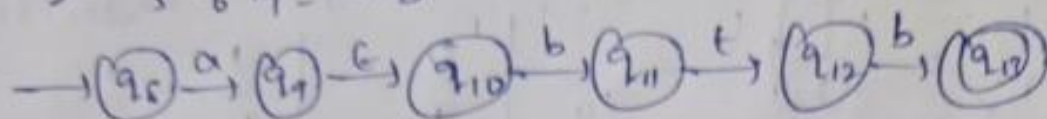
$$r_5 \times r_6 = ab$$



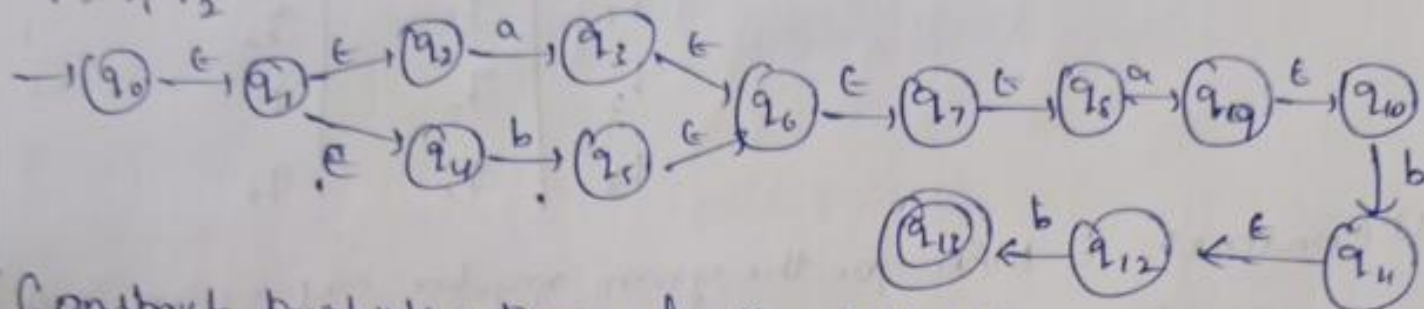
$$r_1 = b$$



$$r_2 = r_5 r_6 r_7 = abb$$



$$r = r_1 r_2$$



- 5) Construct predictive parser for the following grammar  
 $E \rightarrow TE'$   $E' \rightarrow +TE' / \epsilon$   $T \rightarrow FT'$   $T' \rightarrow *FT' / \epsilon$   $F \rightarrow id / (E)$   
 and parse the string  $id + id * id$

$$FIRST(E) = \{ (, id \}$$

$$FIRST(T') = \{ *, \epsilon \}$$

$$FIRST(E') = \{ +, \epsilon \}$$

$$FIRST(F) = \{ (, id \}$$

$$FIRST(T) = \{ (, id \}$$

$$FOLLOW(E) = \{ FIRST(1) - \epsilon \} = \{ \$, ) \}$$

$$FOLLOW(E) = \{ \epsilon, \epsilon \} \cup \{ \$, ) \} = \{ \$, ) \}$$

$$FOLLOW(E') \quad E \xrightarrow{\alpha} T E' \xrightarrow{\beta} \beta$$

$$= \{ \epsilon - \epsilon \} \cup FOLLOW(E) = \{ \$, ) \}$$

$$FOLLOW(F') = \{ \$, ) \} \quad E' \rightarrow +TE'$$

$$FOLLOW(T) = \{ +, \$, ) \}$$

$$E \rightarrow TE' \quad FOLLOW(T) = FIRST(E') = \{ +, \epsilon \} - \epsilon \cup FOLLOW(E)$$

$$E' \xrightarrow{\alpha} T E' \xrightarrow{\beta} \beta \quad FOLLOW(T) = \{ +, \epsilon \} - \epsilon \cup FOLLOW(E')$$

$$= \{ +, \$, ) \}$$

$$FOLLOW(T') = \{ +, \$, ) \}$$

$$T \rightarrow FT' \quad T' \rightarrow *FT' / \epsilon$$

$$FOLLOW(T') = FOLLOW(T) = \{ +, \$, ) \}$$



$$\text{FOLLOW}(F) = \text{FIRST}(T') - \epsilon \cup \text{FOLLOW}(T) = \{*, +, \$, )\}$$

	$\text{FIRST}(\alpha)$	Predictive parsing Element
$E \rightarrow TE'$	$(, id$	$M[E, (], M[E, id]$
$E' \rightarrow +TE'   \epsilon$	$+$	$M[E', +]$
$E' \rightarrow \epsilon$	$\$, )$	$M[E', \$], M[E', )]$
$T \rightarrow FT'$	$(, id$	$M[T, (], M[T, id]$
$T' \rightarrow *FT'$	$*$	$M[T', *]$
$T' \rightarrow \epsilon$	$+, \$, )$	$M[T', +], M[T', \$], M[T', )]$
$F \rightarrow (E)$	$($	$M[F, (]$
$F \rightarrow (id)$	$id$	$M[F, id]$

Terminals	$+$	$*$	$($	$)$	$\$$	$id$
$E$			$E \rightarrow TE'$			$E \rightarrow TE'$
$E'$	$E' \rightarrow +TE'   \epsilon$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$	
$T$			$T \rightarrow FT'$			$T \rightarrow FT'$
$T'$	$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$	
$F$			$F \rightarrow (E)$			$F \rightarrow id$

Stack	2/p	o/p
$\$E'$	$id + id * id \$$	$E \rightarrow TE'$
$\$E' +$	$id + id * id \$$	$T \rightarrow FT'$
$\$E' + F$	$id + id * id \$$	$F \rightarrow id$
$\$E' + id$	$id + id * id \$$	$T' \rightarrow \epsilon$
$\$E'$	$+ id * id \$$	$E' \rightarrow +TE'$
$\$E' T *$	$id * id \$$	$T \rightarrow FT'$
$\$E' + F$	$id * id \$$	$F \rightarrow id$

\$E T id\$	<del>id + id \$</del>	$\tau^1 \rightarrow * F \tau^1$
<del>\$E T F\$</del>	<del>id \$</del>	$F \rightarrow id$
<del>\$E T id</del>	<del>id \$</del>	$\tau^1 \rightarrow \epsilon$
<del>\$E </del>	<del>\$</del>	$E^1 \rightarrow \epsilon$
<del>\$</del>	<del>\$</del>	Successful

6) Construct LR parsing table for the following grammar  
 1)  $E \rightarrow E+T$  2)  $E \rightarrow T$  3)  $T \rightarrow TF$  4)  $T \rightarrow F$  5)  $F \rightarrow F^*$   
 6)  $F \rightarrow a$  7)  $F \rightarrow b$

Step 1 :-  $E \rightarrow E$   
 Step 2 LR(0)

$E \rightarrow \cdot E$  (Augmented grammar)

$E \rightarrow \cdot E+T$   
 $E \rightarrow \cdot T$   
 $T \rightarrow \cdot TF$   
 $T \rightarrow \cdot F$   
 $F \rightarrow \cdot F^*$   
 $F \rightarrow \cdot a$   
 $F \rightarrow \cdot b$

Step 3

$goto(I_0, E)$   
 $E^1 \rightarrow \cdot E$   
 $E \rightarrow E \cdot +T$

$goto(I_0, T)$   
 $E \rightarrow T \cdot$   
 $T \rightarrow T \cdot F$   
 $F \rightarrow \cdot F^*$   
 $F \rightarrow \cdot a$   
 $F \rightarrow \cdot b$

$goto(I_0, F)$   
 $T \rightarrow F \cdot$   
 $F \rightarrow F \cdot *$

$goto(I_0, a)$   
 $F \rightarrow a \cdot$

$goto(I_0, b)$   
 $F \rightarrow b \cdot$

$goto(I_1, +)$   
 $E \rightarrow E+ \cdot T$   
 $T \rightarrow \cdot TF$   
 $T \rightarrow \cdot F$   
 $F \rightarrow \cdot F^*$

$goto(I_2, F)$   
 $T \rightarrow TF \cdot$   
 $F \rightarrow F \cdot *$   
 $goto(I_2, b)$   
 $f \rightarrow b \cdot$

$goto(I_2, a)$   
 $F \rightarrow a \cdot$   
 $goto(I_2, *)$   
 $f \rightarrow F* \cdot$



goto(2, T)

$E \rightarrow E + T$

$T \rightarrow T * F$

$F \rightarrow . F^*$

$F \rightarrow . a$

$F \rightarrow . b$

19

goto(2, F)

$T \rightarrow T F$

$F \rightarrow F . *$

23

goto(2, b)

$F \rightarrow b .$

goto(2, a)

$F \rightarrow a .$

goto(2, \*)

$F \rightarrow * .$

goto(29, F)

$T \rightarrow T F .$

$F \rightarrow F . *$

27

goto(29, a)

$F \rightarrow a .$

goto(29, b)

$F \rightarrow b .$

Step 4

$FOLLOW(E) = \{ \$, + \}$

$FOLLOW(T) = \{ \$, +, a, b \}$

$FIRST(E) = \{ a, b \}$

$FIRST(T) = \{ a, b \}$

$FIRST(F) = \{ a, b \}$

$E \rightarrow E + T$

$FOLLOW(E) = \{ \$, + \}$

$A \rightarrow T$

$FOLLOW(F) = \{ \$, +, *, a, b \}$

$E \rightarrow E .$

$E \rightarrow T .$

$T \rightarrow T F .$

$F \rightarrow a .$

$F \rightarrow b .$

$T \rightarrow T F .$

$F \rightarrow F .$

$E \rightarrow E + T .$

State	Action					goto		
	+	*	a	b	\$	E	T	F
0			S <sub>4</sub>	S <sub>5</sub>		1	2	3
1	S <sub>6</sub>			Accept	Accept			
2	r <sub>2</sub>		S <sub>4</sub>	S <sub>5</sub>	r <sub>2</sub>			7
3	r <sub>4</sub>	S <sub>6</sub>	r <sub>4</sub>	r <sub>4</sub>	r <sub>4</sub>			
4	r <sub>6</sub>	r <sub>6</sub>	r <sub>6</sub>	r <sub>6</sub>	r <sub>6</sub>			
5	r <sub>1</sub>	r <sub>7</sub>	r <sub>7</sub>	r <sub>7</sub>	r <sub>7</sub>			
6			S <sub>4</sub>	S <sub>5</sub>		4	9	3
7	r <sub>3</sub>	S <sub>6</sub>	r <sub>3</sub>	r <sub>3</sub>	r <sub>3</sub>			
8	r <sub>5</sub>	r <sub>5</sub>	r <sub>5</sub>	r <sub>5</sub>	r <sub>5</sub>			
9	r <sub>1</sub>		S <sub>4</sub>	S <sub>5</sub>	r <sub>1</sub>			7

Stack	I/p	Remarks
		$S_4$
$\emptyset$	$abb\$$	$r_1 \quad F \rightarrow a \quad \text{pop 2}$
$\emptyset a$	$ab\$$	$r_4 \quad T \rightarrow F \quad \text{pop 2}$
$\emptyset a b$	$ab\$$	$S_4$
$\emptyset T$	$ab\$$	$r_6 \quad F \rightarrow a \quad \text{pop 2}$
$\emptyset T a$	$b\$$	$r_3 \quad T \rightarrow TF \quad \text{pop 4}$
$\emptyset T a b$	$b\$$	$S_5$
$\emptyset T$	$b\$$	$r_7 \quad F \rightarrow b \quad \text{pop 2}$
$\emptyset T a b \$$	$\$$	$r_5 \quad \text{pop 4 } T \rightarrow TF$
$\emptyset T a b \$$	$\$$	$r_2 \quad E \rightarrow T \quad \text{pop 2}$
$\emptyset T a$	$\$$	
$\emptyset E$	$\$$	Accept

1) Construct CLR and LALR parsing table for following grammar  
 $S \rightarrow AA \quad A \rightarrow aA \quad A \rightarrow b$  I/p string is  $aab$

CLR

1)  $S' \rightarrow \cdot S, \$$   
 $S \rightarrow \cdot AA, \$$   
 $A \rightarrow \cdot aA, a/b$   
 $A \rightarrow \cdot b, a/b$

}  $I_0$

$\text{goto}(I_0, S)$   
 $S' \rightarrow S, \$ \} I_1$

$\text{goto}(I_0, A)$

$S \rightarrow A \cdot A, \$$   
 $A \rightarrow \cdot aA, \$$   
 $A \rightarrow \cdot b, \$$

}  $I_2$

$\text{goto}(I_0, a) \quad \text{first}(E, c/d) = c/d$

$A \rightarrow a \cdot A, a/b$   
 $A \rightarrow \cdot aA, a/b$   
 $A \rightarrow \cdot b, a/b$

}  $I_3$

$\text{goto}(I_0, b)$

$A \rightarrow b \cdot, a/b \} I_4$

$\text{goto}(I_2, a)$

$A \rightarrow a \cdot A, \$$   
 $A \rightarrow \cdot aA, \$$   
 $A \rightarrow \cdot b, \$$

}  $I_5$

$\text{goto}(I_2, b)$

$A \rightarrow b \cdot \} I_1$

$\text{goto}(I_3, A)$

$A \rightarrow aA \cdot, a/b \} I_6$

$\text{goto}(I_3, b)$

$A \rightarrow b \cdot, a/b \} I_4$



goto( $I_3, a$ )

$A \rightarrow a.A, a/b$

$A \rightarrow .aA, a/b$

$A \rightarrow .b, a/b$

$I_3$

goto( $I_6, A$ )

$A \rightarrow aA. \cdot, \$ \} I_9$

goto( $I_8, b$ )

$A \rightarrow b. \cdot, \$ \} I_7$

goto( $I_6, a$ )

$A \rightarrow a.A, \$$

$A \rightarrow .aA, \$$

$A \rightarrow .b, \$$

$I_6$

# CLR Parsing table

State	Action			goto	
	a	b	\$	c	A
0	$S_3$	$S_4$	Accept	1	2
1					
2	$S_6$	$S_7$			5
3	$S_3$	$S_4$			8
4	$r_3$	$r_3$			
5			$r_1$		
6	$S_6$	$S_7$			9
7			$r_3$		
8	$r_2$	$r_2$			
9			$r_2$		

③  $A \rightarrow b. \cdot, a/b \} I_4$

④  $C \rightarrow AA. \cdot, \$ \} I_5$

⑤  $A \rightarrow b. \cdot, \$ \} I_7$

⑥  $A \rightarrow aA. \cdot, a/b \} I_8$

⑦  $A \rightarrow aA. \cdot, \$ \} I_9$

State	Slp buffer	Remarks
0	aab\$	S <sub>3</sub>
0a2	ab\$	S <sub>3</sub>
0a2a3	b\$	S <sub>4</sub>
0a2a3b4	\$	Error

The given string is not accepted  
LALR

	a	b	\$	S	A
0	S <sub>26</sub>	S <sub>47</sub>		1	2
1			Accept		
2	S <sub>36</sub>	S <sub>47</sub>			5
36	S <sub>36</sub>	S <sub>47</sub>			89
47	r <sub>3</sub>	r <sub>3</sub>	r <sub>3</sub>		
5			r <sub>4</sub>		
89	r <sub>2</sub>	r <sub>2</sub>	r <sub>2</sub>		

State	Slp buffer	Remarks
0	aab\$	S <sub>36</sub>
0a36	ab\$	S <sub>36</sub>
0a36a36	b\$	S <sub>47</sub>
0a36a36b47	\$	r <sub>3</sub> A → b pop <sub>2</sub>
0a36a36b47\$	\$	r <sub>2</sub> A → aA pop <sub>4</sub>
0a36a36b47\$	\$	r <sub>2</sub> A → aA pop <sub>4</sub>
0A2	\$	Error

Given string is not accepted



8) Discuss about S-attributed and L-attributed SDTs in symbol directed translation

### S-attributed

- It uses only synthesized attribute
- Semantic actions are placed at right end of a production  
Ex:  $A \rightarrow BC \{ \}$
- Attributes are evaluated during bottom up parsing
- It is based on LR grammar
- These are implemented using LALR parser

### L-Attributed

- It uses both synthesized & inherited attribute
- Semantic actions are placed anywhere  
Ex:  $A \rightarrow \{ \} BC$ ,  $A \rightarrow BC \{ \}$ ,  $A \rightarrow B \{ \} C$
- Attributes are evaluated by translating parse tree to depth first
- It is based on LL grammar
- Implemented using predictive parser