Dynamic Programming

Video - 76

Note :- This playlist is only for explanation of dps & solutions.

See my "DP Concepts & dps" playlist for understanding DP from scratch...

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Leetcode - 1155 Medium

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1155. Number of Dice Rolls With Target Sum

Hint

Medium 4.3K 138

Companies

You have `n` dice and each die has `k` faces numbered from `1` to `k`.

Given three integers `n`, `k`, and `target`, return *the number of possible ways (out of the* k^n *total ways) to roll the dice, so the sum of the face-up numbers equals* `target`. Since the answer may be too large, return it **modulo** $10^9 + 7$.

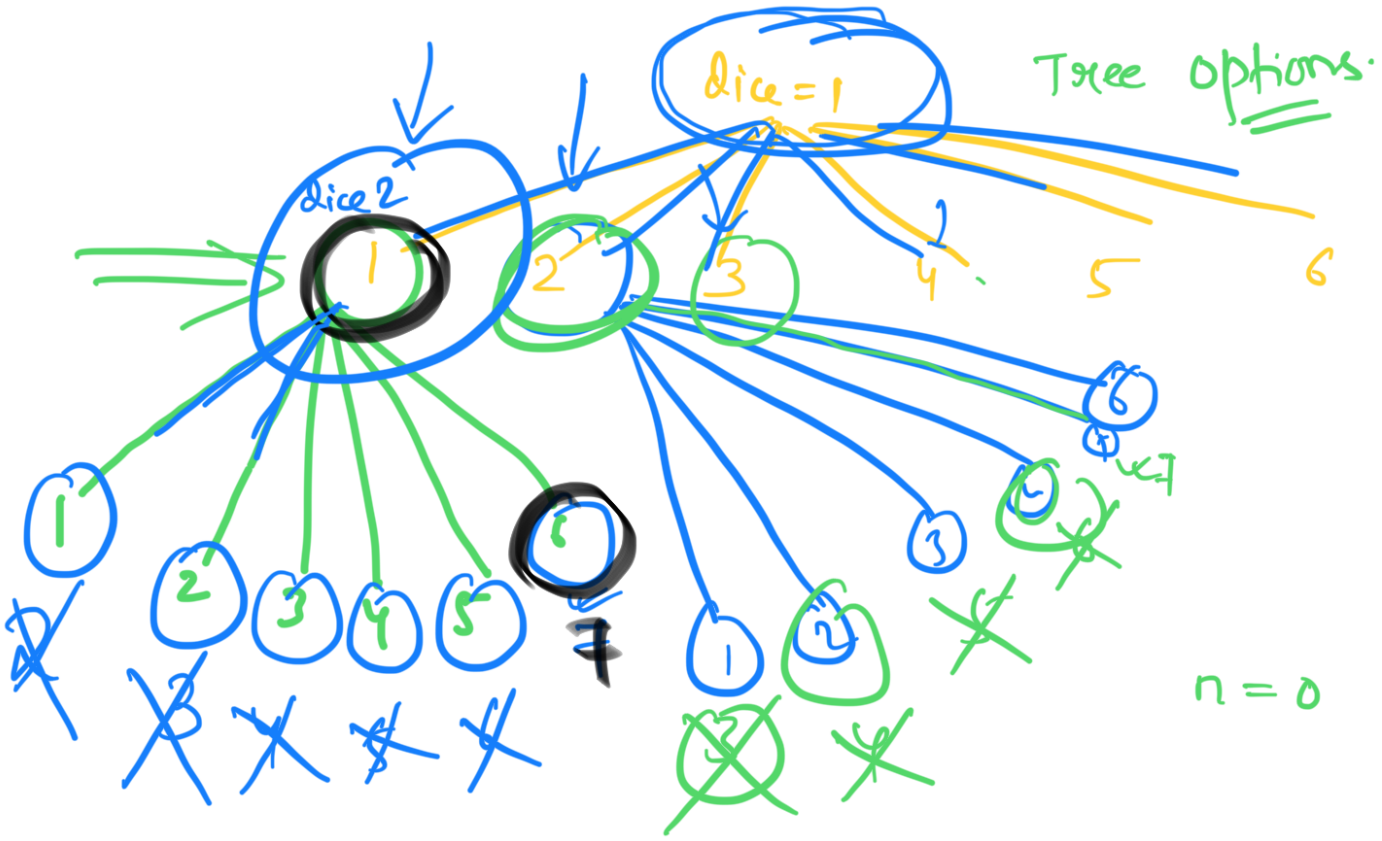
Example :- $n = 2$, $K = 6$, target = 7

Output : 6

dice 1	dice 2	target = 7
1	6	✓
2	5	✓
3	4	✓
4	3	✓
5	2	✓
6	1	✓

Thought Process

n = 2, K = 6, target = 7




```
Solve(int n, int K, int target) {
    if (target < 0) return 0;
    if (n == 0) return (target == 0);
    if (t[n][tar] != -1) ret
    int ways = 0;
    for (face = 1 ; face <= K ; face++) {
        ways += Solve(n-1, K, target-face)
```

%. MOD

```
}
return dp[n][target] = ways;
}
```

T.C = K * K * K .... n dices.

$= O(K^n)$ possibilities.

Memoize = dp[31][1001]

Bottom Up :-

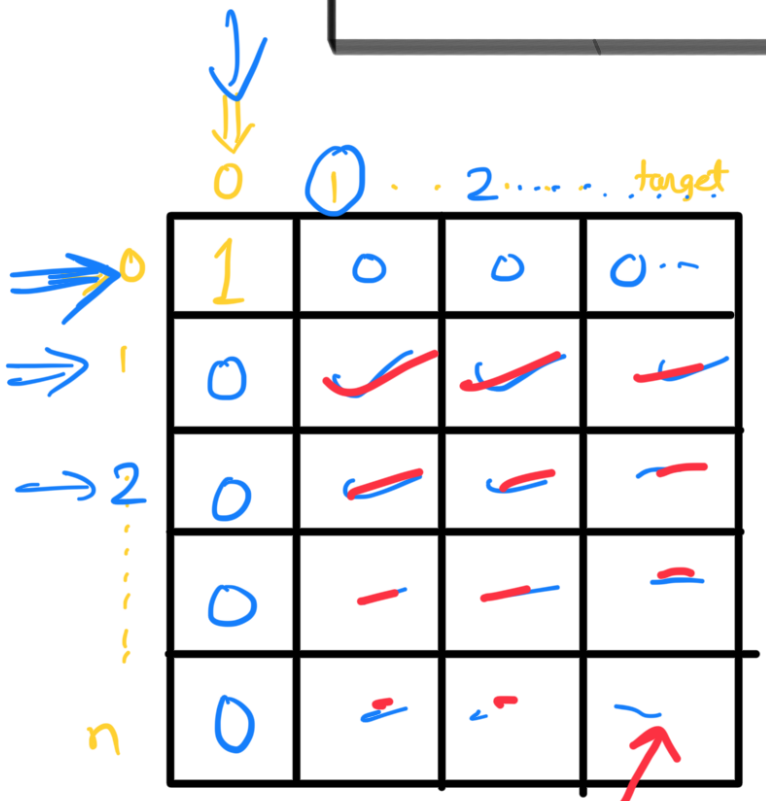
dp[n+1][target+1];

```
int solve(int n, int k, int target) {
    if(target < 0) {
```

```
        return 0;
    }

    if(t[n][target] != -1) {
        return t[n][target];
    }

    if(n == 0) {
        return target == 0;
    }

    int ways = 0;
    for(int face = 1; face <= k; face++) { //one dice rolled
        ways = (ways + solve(n-1, k, target - face)) % MOD;
    }

    return t[n][target] = ways;
}
```

t[i][j] = no of ways to obtain sum = "j" if we have i dices.

t[0][0] = 1 ;



return t[n][target]

```
for(i=1;  i<n+1 ;  i++) {

    for(j=1 ; j<target+1 ; j++) {

        // dice = i
```

```
// target = j
int ways = 0;
for (face = 1; face <= K; face++){
    ways = (ways + t[i-1][j-face])%M
}
t[i][j] = ways;
}
}
return t[n][target];
```