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ARRAY : Video -

74



Easy

Leetcode  
-1287

3 Approaches



Element Appearing  
More than 25% in  
Sorted Array.

Facebook  
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code story with MIK → 

Company :- Will update soon...

## 1287. Element Appearing More Than 25% In Sorted Array

Hint

Easy

1.1K

54



Companies

Given an integer array **sorted** in non-decreasing order, there is exactly one integer in the array that occurs more than 25% of the time, return that integer.

Example:-

arr = { 1, 2, 2, 6, 6, 6, 6, 7, 10 }

Out  $\rightarrow 6$

$n \rightarrow 100\%$

$n/2 \rightarrow 50\%$

$n/4 \rightarrow 25\%$

$n = 9$

freq =  $n/4$  ;

$9/4 = 2$

map:

1  $\rightarrow$  1

2  $\rightarrow$  2

6  $\rightarrow$  4

7  $\rightarrow$  1

10  $\rightarrow$  1

Approach - 1

T.C =  $O(n)$   
S.C =  $O(1)$

(i) freq of elements

(ii) freq  $> n/4 \rightarrow$  ans

# Approach - 2

(sorted).

arr = { 1, 2, 2, 6, 6, 6, 6, 7, 10 }, n = 9

Indices: 0 1 2 3 4 5 6 7 8

Arrows point to index 3 and 5, which are circled in yellow.

arr[i] == arr[i+2]

arr[3] == arr[5]

freq = n/4 = 9/4 = 2

Ans:

freq = n/4 ;

```
for (i = 0; i < n - freq; i++) {  
    if (arr[i] == arr[i + freq]) {  
        return arr[i];  
    }  
}
```

return -1;

# Approach-3

(Binary Search)  
(sorted array) ✓

$$n/4$$

$$\text{arr} = \{ \overset{0}{1}, \overset{1}{2}, \overset{2}{2}, \overset{3}{6}, \overset{4}{6}, \overset{5}{6}, \overset{6}{6}, \overset{7}{7}, \overset{8}{10} \}, n=9$$

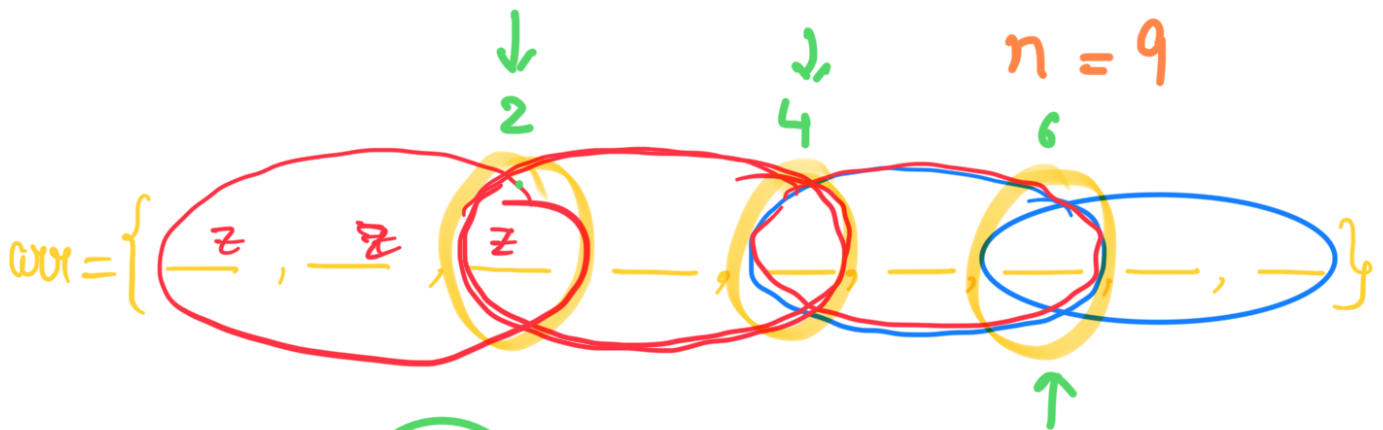
$i$  ↑

$$\text{left} = 3$$
$$\text{right} = 6$$

$$6 - 3 + 1 = 3$$

$$O(n * \log(n))$$

$$n/4 = 9/4 = 2$$



$$\left( \frac{n}{4} \right) = \frac{9}{4} = 2$$

$$\left( \frac{n}{2} \right) = \frac{9}{2} = 4$$

$$(3 * \frac{n}{4}) = 3 * 2 = 6$$

Candidates =  $\{ \text{nums}[n/4], \text{nums}[n/2], \text{nums}[3n/4] \}$

$\{ 1, 2, 2, 6, 6, 6, 6, 7, 10 \}$   $n = 9$

left = 3  
right = 6

$6 - 3 + 1 = 4 > n/4$

for (int & cand : 3 elements Candidates) {

$3 * \log(n)$   
 $\sim \log(n)$

left = BS Left ( );  $\rightarrow \log(n)$

right = BS Right ( );  $\rightarrow \log(n)$

} (right - left + 1 > n/4) {

} He can't ✓

}

$e - r$



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