

Total No. of Questions : 8]

SEAT No. :

P-485

[Total No. of Pages : 3

[6003]-705

T.E. (Information Technology)

DESIGN AND ANALYSIS OF ALGORITHM

(2019 Pattern) (Semester - I) (314445(A)) (Elective - I)

Time : 2½ Hours]

[Max. Marks : 70

Instructions to the candidates :

- 1) Answer Q.1 or Q.2, Q.3 or Q.4, Q.5 or Q.6, Q.7 or Q.8
- 2) Neat diagrams must be drawn wherever necessary.
- 3) Figures to the right side indicate full marks.
- 4) Assume suitable data, if necessary.

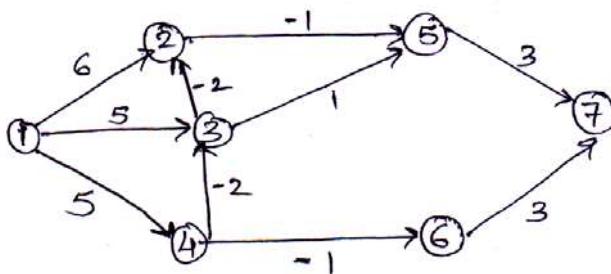
Q1) a) Explain the coin change making problem with suitable example. [9]

b) Solve the following instance of Knapsack problem by dynamic programming approach:

$n = 6; M = 165$ and $(p_1, p_2, p_3, p_4, p_5, p_6) = (w_1, w_2, w_3, w_4, w_5, w_6) = (100, 50, 20, 10, 7, 3)$. [9]

OR

Q2) a) Use Bellman Ford algorithm for finding the shortest path for the graph.[9]



b) What is dynamic programming? Is this the optimization technique? What are the drawbacks of dynamic programming. [9]

Q3) a) Explain 8-Queen problem and explain the following terms with respect to 8-Queens problem. [8]

- i) State space tree
- ii) Live node
- iii) Static tree
- iv) Solution state
- v) Answer state

b) State the principle of backtracking and write backtracking algorithm for graph coloring [9]

OR

Q4) a) What is Backtracking? Write an algorithm for backtracking solution to the 0/1 knapsack problem. [8]

b) Let $W = \{5, 10, 12, 13, 15, 18\}$ and $M = 30$. Find all possible subsets of W that sum to M . Draw the portion of state space tree. [9]

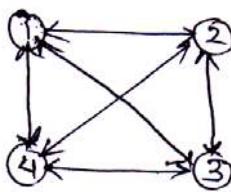
Q5) a) What is the difference between backtracking and branch & bound? Illustrate using the 0/1 knapsack problem. [9]

b) Write an algorithm for Least cost(LC) branch & bound. [9]

OR

Q6) What is traveling salesperson problem? Find solution to the following TSP using branch & bond. [18]

∞	10	15	20
5	∞	9	10
6	13	∞	12
8	8	9	∞



Q7) a) Explain NP-Hard, NP-Complete, Decision problem & Polynomial time algorithm. [9]

b) Prove that clique problem is NP complete. [8]

OR

Q8) a) Prove that satisfiability problem is NP complete. [9]

b) Prove that vertex cover problem is NP complete. [8]

