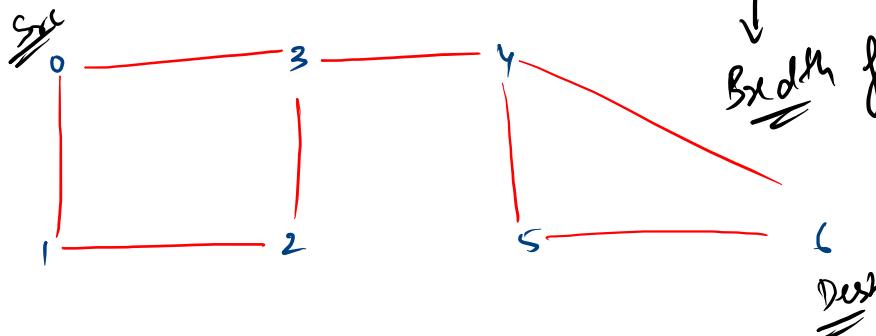
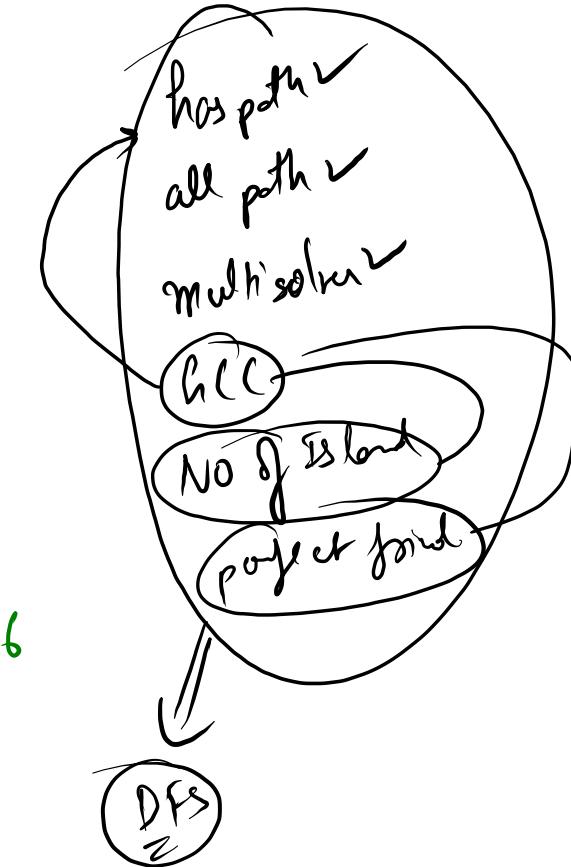
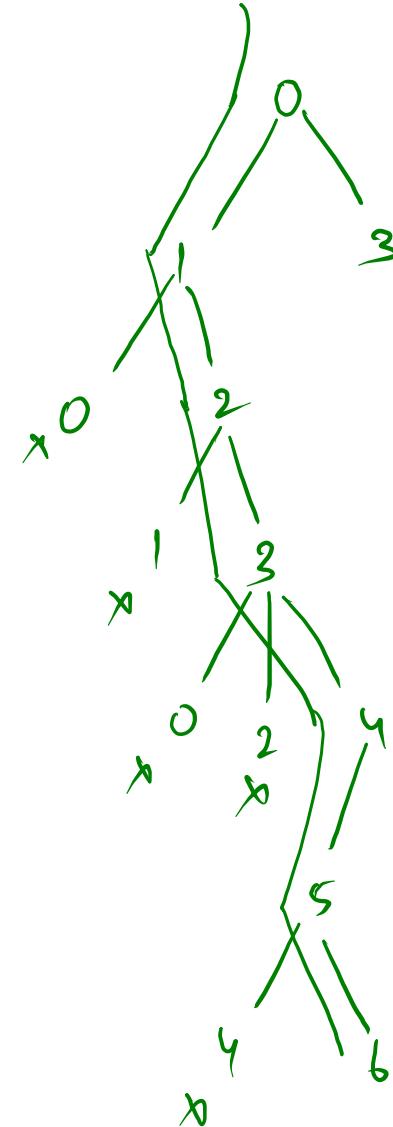
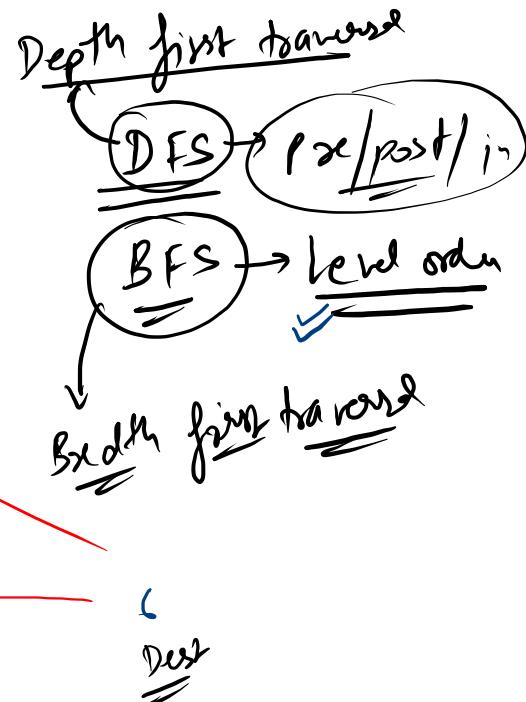


graph  $\rightarrow \{v, E\}$



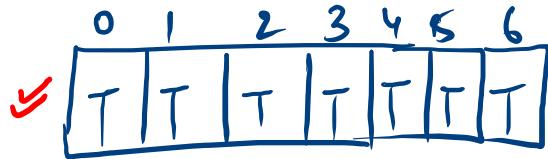
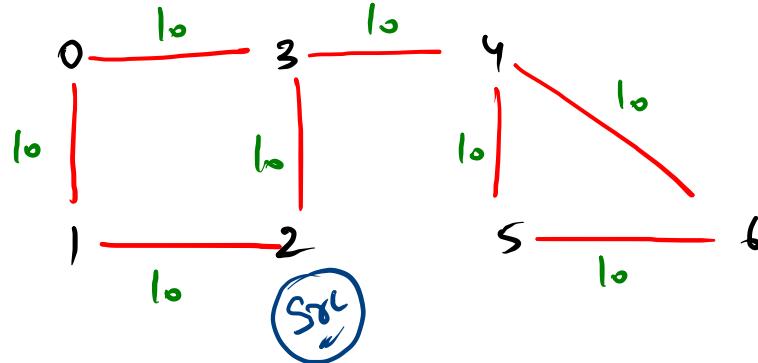
0	1	2	3	4	5	6
F	F	F	F	F	F	F

T T T T T T



~~vt x → psf~~

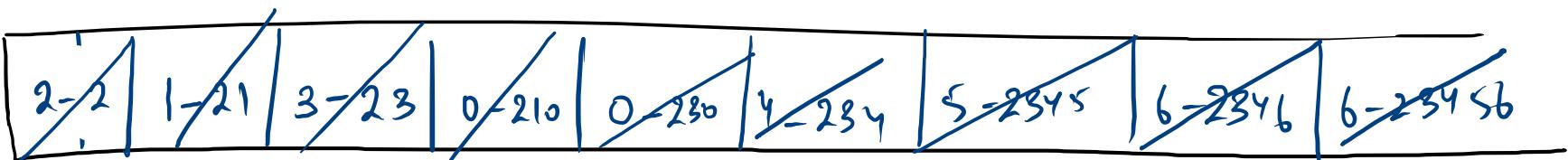
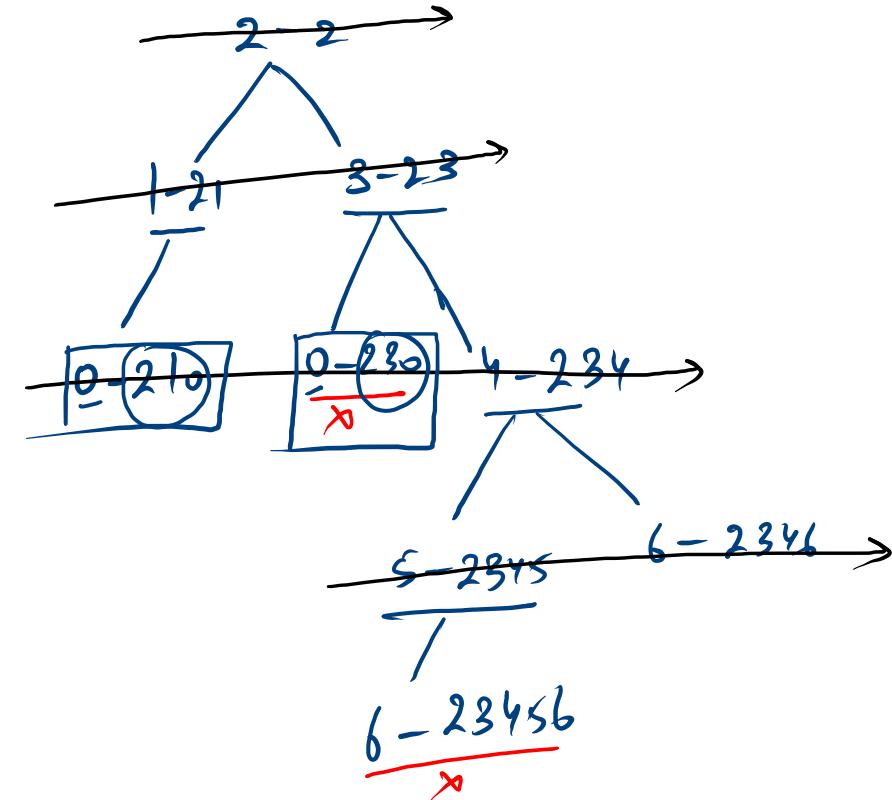
7 → vt x  
 8 → psf  
 E → src  
 0 1 10  
 1 2 10  
 2 3 10  
 0 3 10  
 3 4 10  
 4 5 10  
 5 6 10  
 4 6 10  
 2 → src

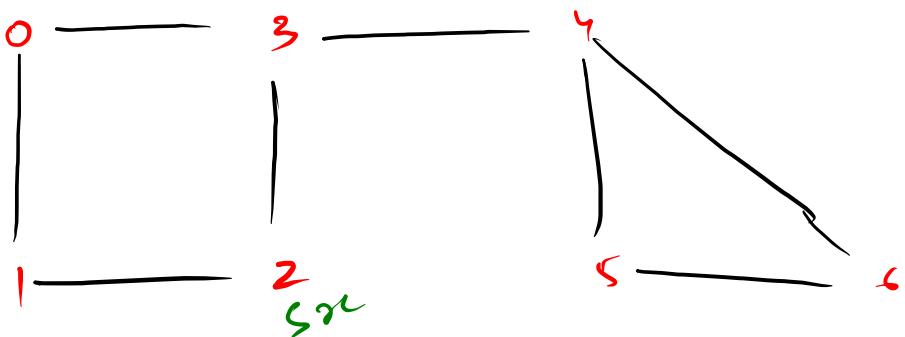


queue<pair>  
 =  
 ↗ vtx  
 ↗ psf  
 ↗ visited  
 ↗ boolean

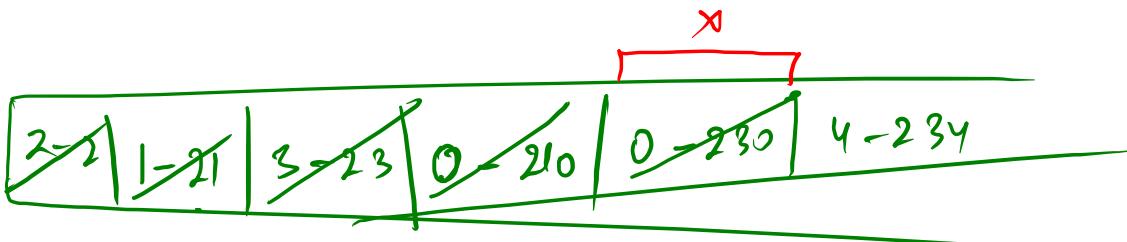
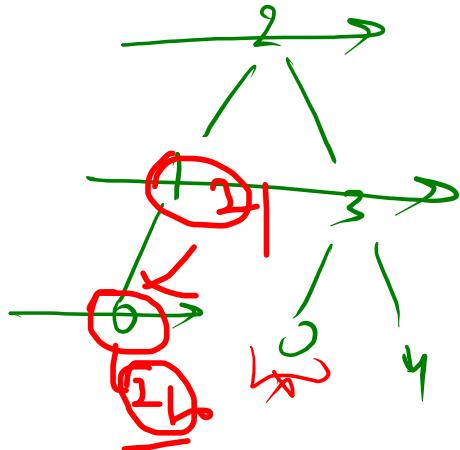
2@2 ✓  
 1@21 ✓  
 3@23 ✓  
 0@210 ✓  
 4@234 ✓  
 5@2345 ✓  
 6@2346 ✓

→ g  
 → p  
 → a





2@2  
1@21  
3@23  
0@210



0	1	2	3	4	5	6
T	T	T	T			

```

public static class Pair{
    int vtx;
    String psf;

    Pair(int vtx , String psf){
        this.vtx = vtx;
        this.psf = psf;
    }
}

public static void bfs(ArrayList<Edge>[] graph,int src){
    Queue<Pair> queue = new ArrayDeque<>();

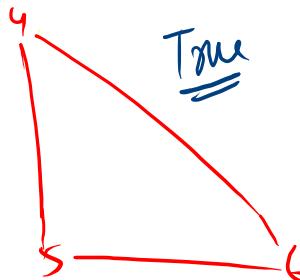
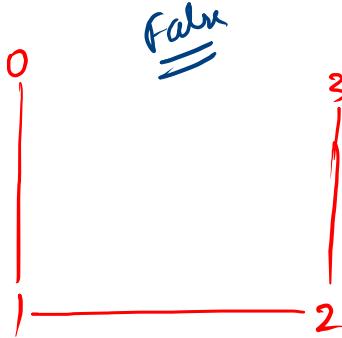
    queue.add(new Pair(src,""+src));
    boolean visited[] = new boolean[graph.length];
    while(queue.size() > 0){
        Pair fpair = queue.remove();

        if(visited[fpair.vtx] == false){
            visited[fpair.vtx] = true;
            System.out.println(fpair.vtx+"@"+fpair.psf);

            for(Edge e : graph[fpair.vtx]){
                if(visited[e.nbr] == false){
                    queue.add(new Pair(e.nbr,fpair.psf+e.nbr));
                }
            }
        }
    }
}

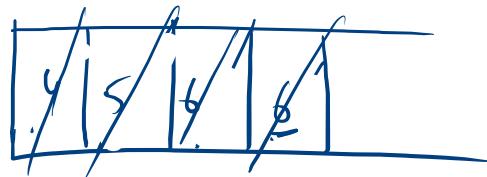
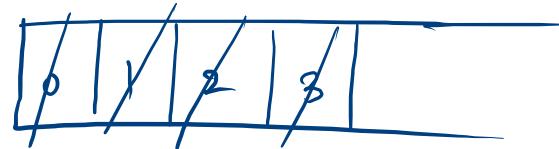
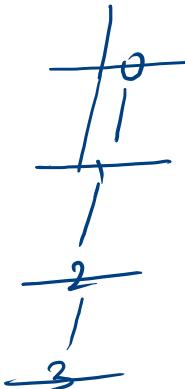
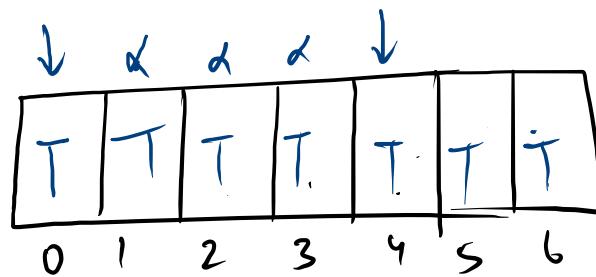
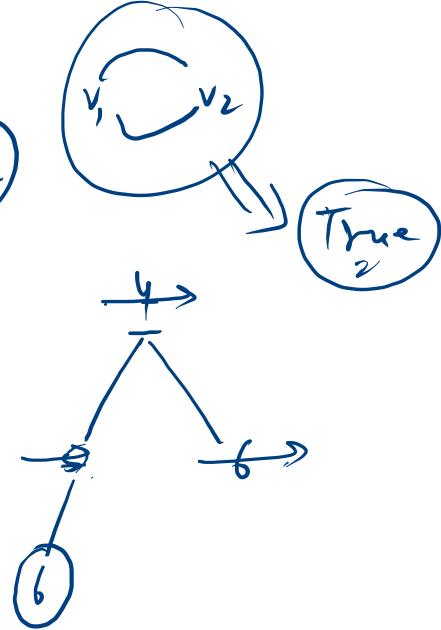
```

Cyclic

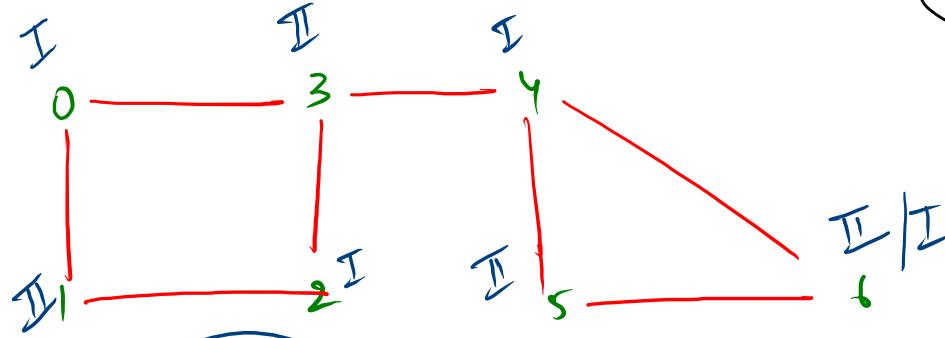


三

Graph



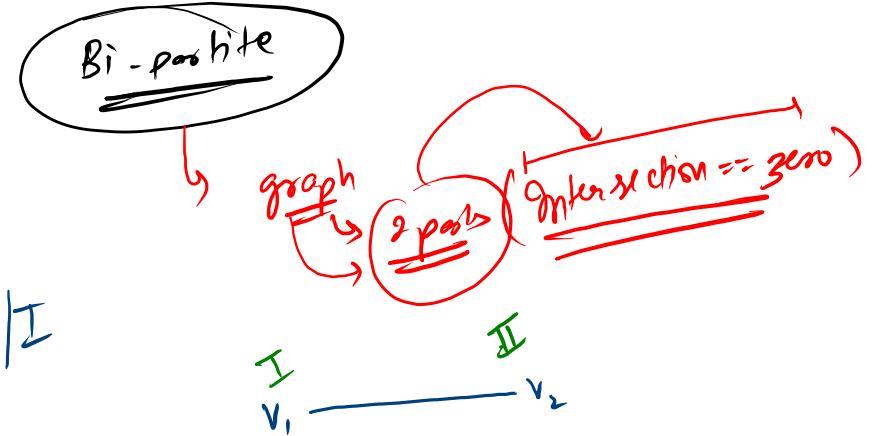
→ 7  
→ 8  
→ 0 1 10  
→ 1 2 10  
→ 2 3 10  
→ 0 3 10  
→ 3 4 10  
→ 4 5 10  
→ 5 6 10  
→ 4 6 10



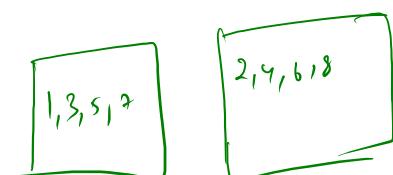
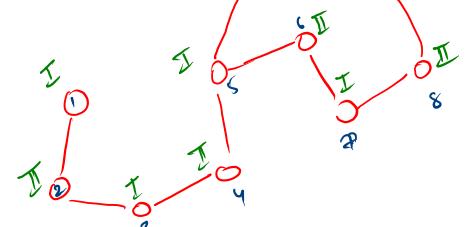
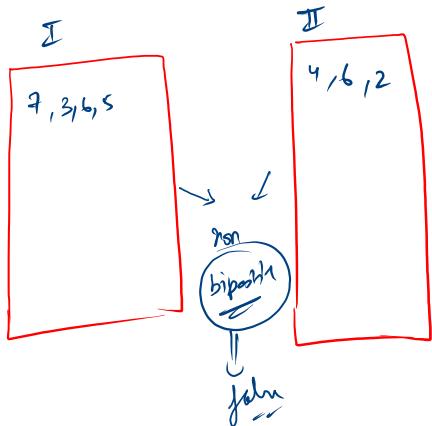
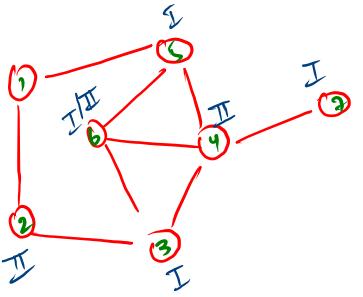
Non-bipartite

I  
0, 2, 4, 6

II  
1, 3  
5, 6

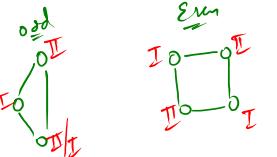


$$v_1 \xrightarrow{I} v_2$$

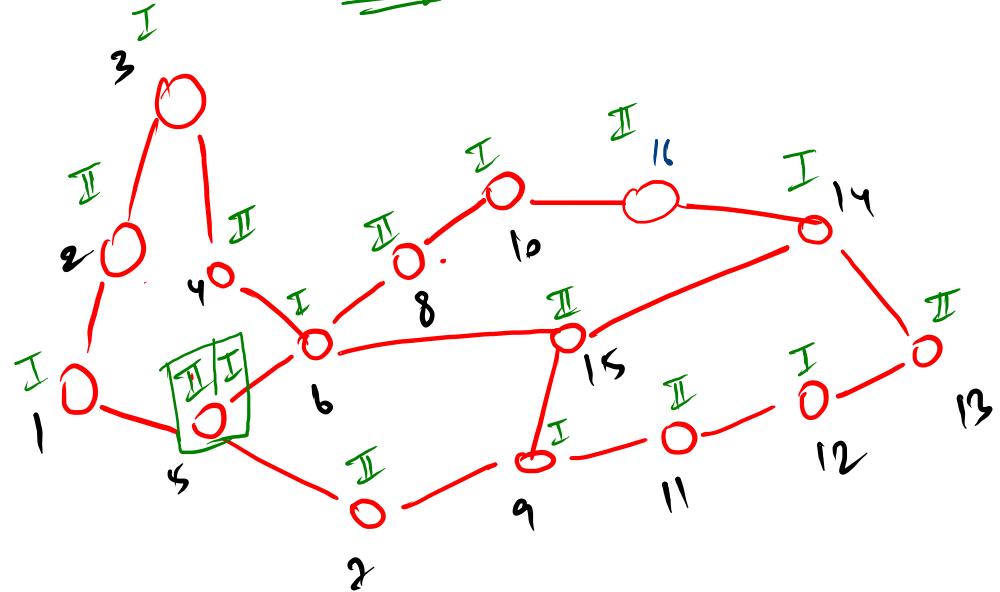


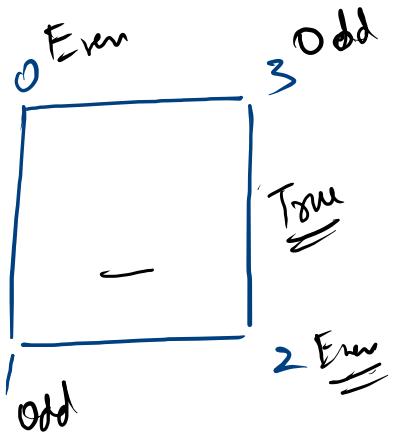
Observation

graph  $\rightarrow$  acycl  $\rightarrow$  (Bipartit  $\rightarrow$  true)  
 graph  $\rightarrow$  cycl  $\rightarrow$  odd  $\rightarrow$  (Bipartit  $\rightarrow$  false)  
 even  $\rightarrow$  (Bipartit  $\rightarrow$  true)

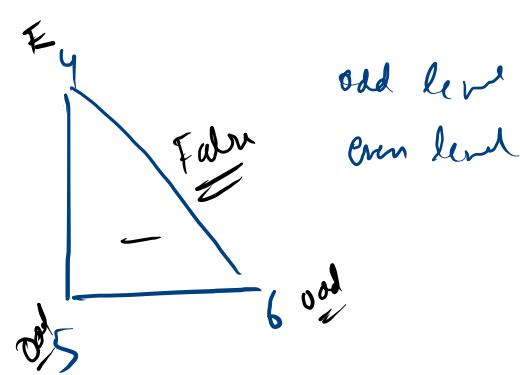


True / false?



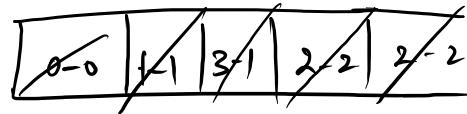
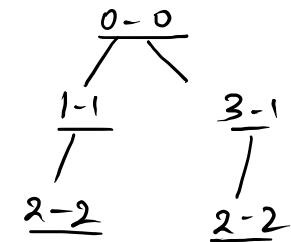
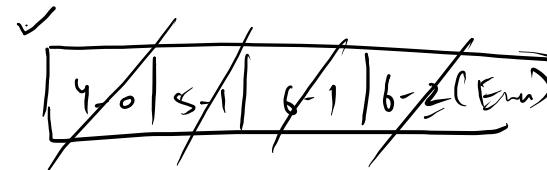
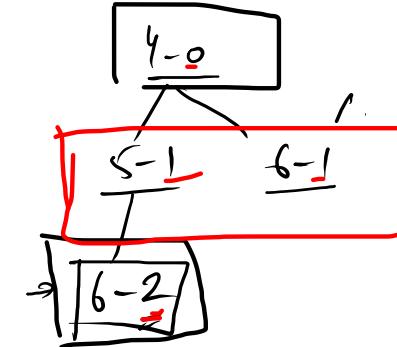


T	T	T	T	T	T	T
0	1	2	3	4	5	6
↑ d d	↓ d d	↑ d d	↓ d d	↑ d d	↓ d d	↑ d d



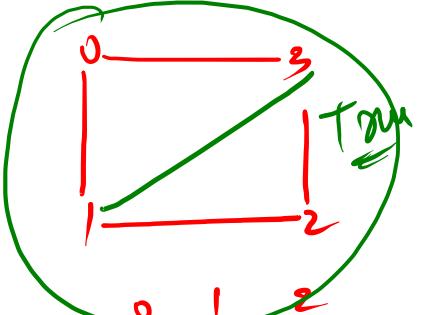
Integer      Integer

Wxx	level
4	0
5	1
6	1 (odd)



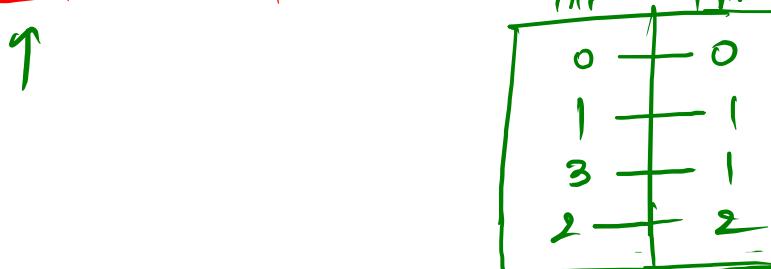
Integer      Integer

Wxx	level
0	0
1	1
3	1
2	2



$\text{true}$   
 $\text{false}$

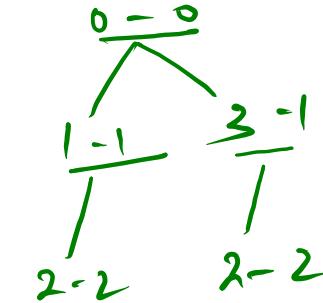
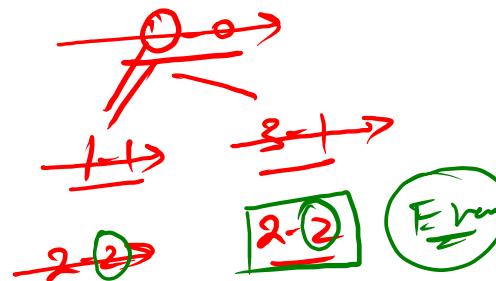
T	T	T	T	F	F	F
---	---	---	---	---	---	---



```

public static boolean isBipartite(ArrayList<Edge>[] graph){
    boolean visited[] = new boolean[graph.length];
    for(int v = 0 ; v < graph.length ; v++){
        if(visited[v] == false){
            boolean res = isCompBipartite(graph,v,visited);
            if(res == false){
                return false;
            }
        }
    }
    return true;
}

```

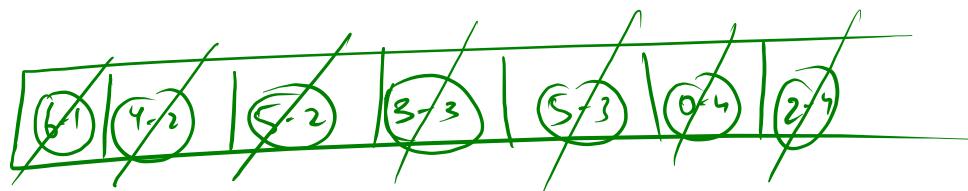
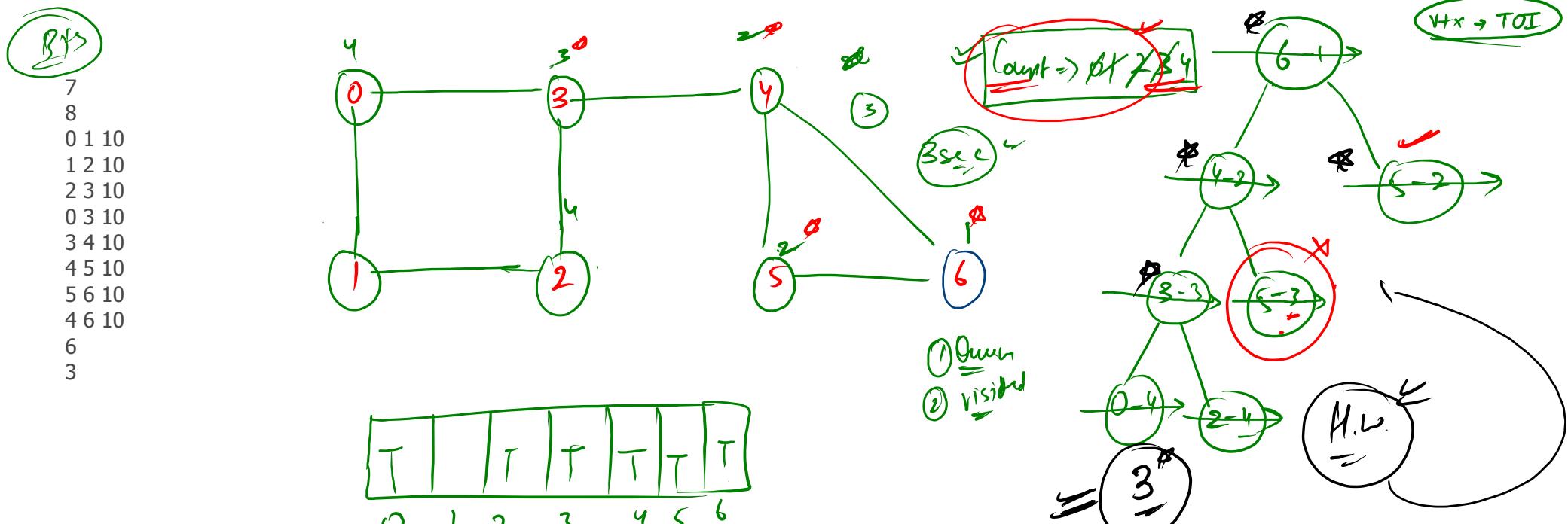
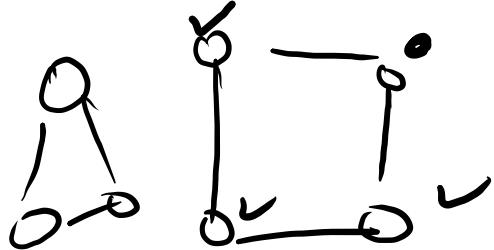


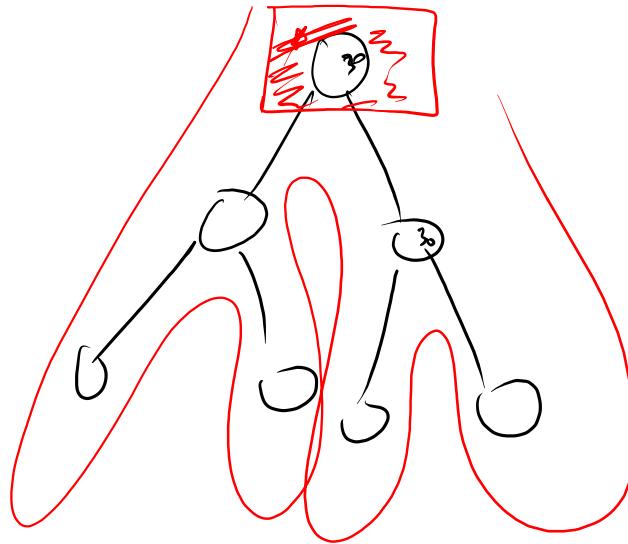
```

    Queue<BPair> queue = new ArrayDeque<>();
    queue.add(new BPair(src,0));
    HashMap<Integer, Integer> hm = new HashMap<>();
    while(queue.size() > 0){
        BPair pair = queue.remove();
        if(visited[pair.vtx] == true){
            if(pair.level%2 != hm.get(pair.vtx)%2){
                return false;
            }
        } else{
            hm.put(pair.vtx,pair.level);
            visited[pair.vtx] = true;
            for(Edge e : graph[pair.vtx]){
                if(visited[e.nbr] == false){
                    queue.add(new BPair(e.nbr,pair.level+1));
                }
            }
        }
    }
    return true;
}

```

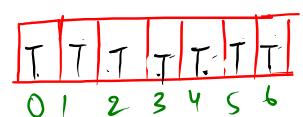
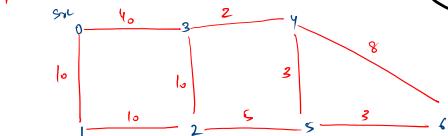
$2 \cdot 2 = 2 \cdot 2$





7  
 9  
 0 1 10  
 1 2 10  
 2 3 10  
 0 3 40  
 3 4 2  
 4 5 3  
 5 6 3  
 4 6 8  
 2 5 5  
 0

shortest path in terms of ws



V-WS

- ✓ 0 via 0 @ 0
- ✓ 1 via 01 @ 10
- ✓ 2 via 012 @ 20
- ✓ 3 via 0125 @ 25
- ✓ 4 via 01254 @ 28
- ✓ 5 via 01256 @ 28
- ✓ 6 via 012543 @ 30

0 - 0 - 0
1 - 0 1 - 1 0
2 - 0 1 2 - 2 0
3 - 0 1 2 3 - 3 0
4 - 0 1 2 5 - 2 8
5 - 0 1 2 5 4 - 2 8
6 - 0 1 2 5 6 - 2 8
3 - 0 1 2 5 6 3 - 3 0
6 - 0 1 2 5 6 3 6

PQ

this ws = 0 WS

0 - 0 - 0  
 1 - 0 1 - 1 0  
 2 - 0 1 2 - 2 0  
 3 - 0 1 2 3 - 3 0  
 4 - 0 1 2 5 - 2 8  
 5 - 0 1 2 5 4 - 2 8

6 - 0 1 2 5 6 - 2 8  
 3 - 0 1 2 5 6 3 - 3 0  
 6 - 0 1 2 5 6 3 6

- ↳ Introduction To Graphs And Its Representation
- ↳ Has Path?
- ↳ Print All Paths
- ↳ Multisolver - Smallest, Longest, Ceil, Floor, Kthlar...
- ↳ Get Connected Components Of A Graph
- ↳ Is Graph Connected
- ↳ Number Of Islands
- ↳ Perfect Friends
- ↳ Hamiltonian Path And Cycle
- ↳ Knights Tour
- ↳ Breadth First Traversal
- ↳ Is Graph Cyclic
- ↳ Is Graph Bipartite
- ↳ Spread Of Infection
- ↳ Shortest Path In Weights
- ↳ Minimum Wire Required To Connect All Pcs
- ↳ Order Of Compilation
- ↳ Iterative Depth First Traversal

Double

H.W. / HCC application / 1 Line code  
some os recursion.

for tomorrow

