

no. of ways to climb n stairs?

$$n=4$$

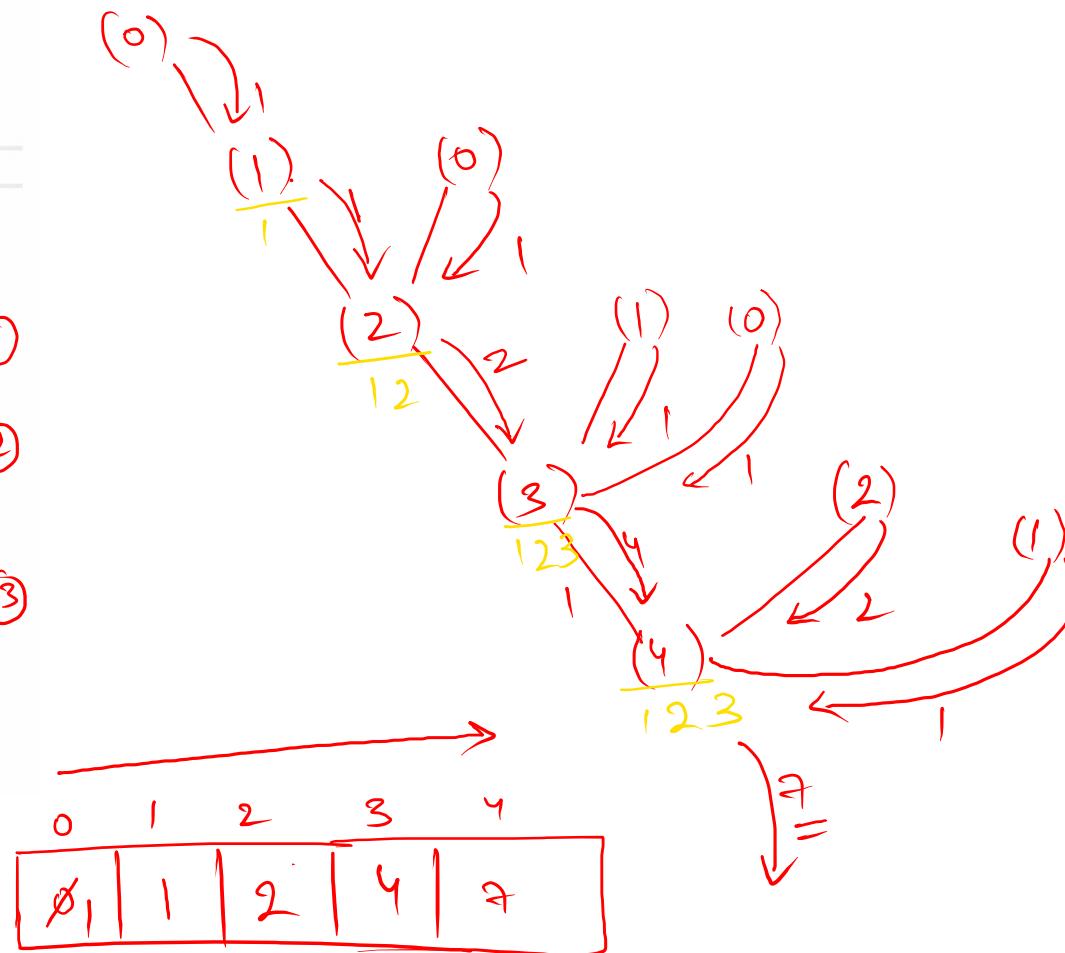
$0, 1, 2, 3, 4$

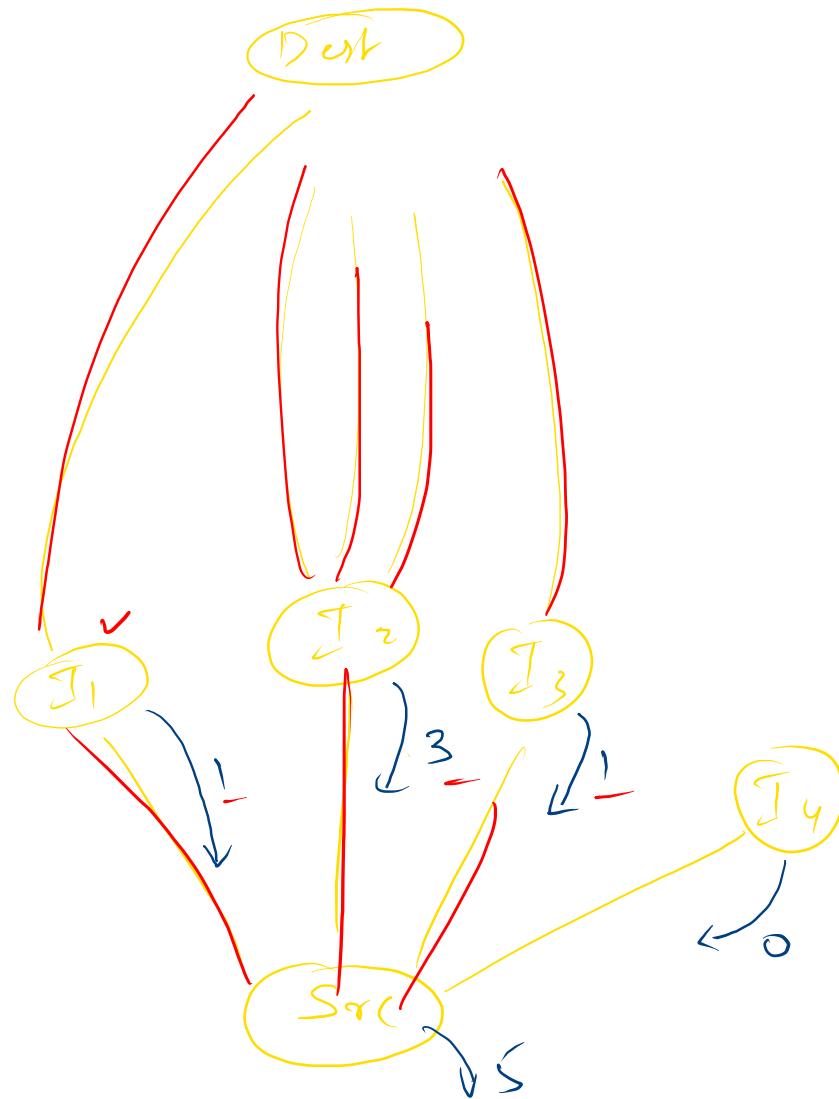
$= ?$

$n=4 \rightarrow ?$

$n=4$

```
public static int climbStairs(int n,int dp[]){
    if(n == 0){
        return dp[n] = 1;
    }
    if(dp[n] != 0){
        return dp[n];
    }
    int tways = 0;
    if(n-1 >= 0){
        tways += climbStairs(n-1,dp); // 1 len -①
    }
    if(n-2 >= 0){
        tways += climbStairs(n-2,dp); // 2 len -②
    }
    if(n-3 >= 0){
        tways += climbStairs(n-3,dp); // 3 len -③
    }
    return (dp[n] = tways);
}
```

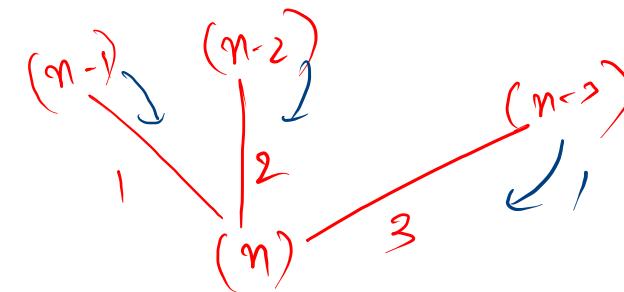
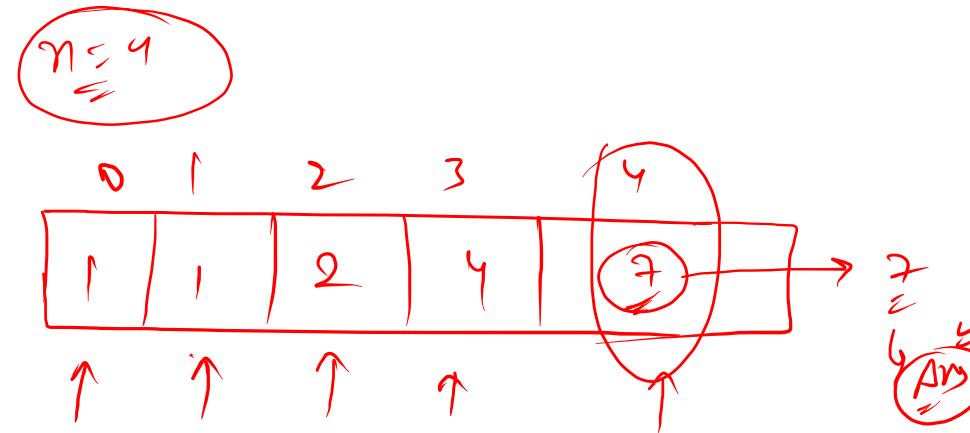




```

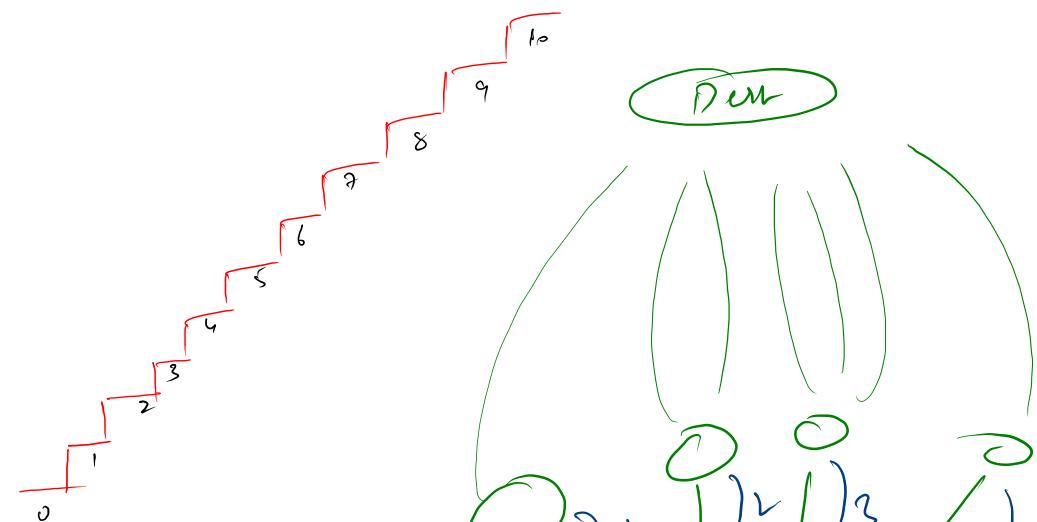
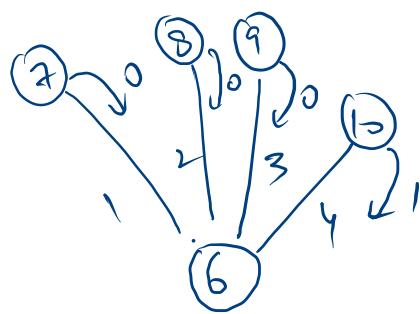
public static int climbStairsT(int n){
    int dp[] = new int[n+1];
    for(int i = 0 ; i <= n ; i++){
        if(i == 0){
            dp[0] = 1;
        }else if(i == 1){
            dp[i] += dp[i-1];
        }else if(i == 2){
            dp[i] = dp[i-1] + dp[i-2];
        }else{
            dp[i] = dp[i-1] + dp[i-2] + dp[i-3];
        }
    }
    return dp[n];
}

```



$\rightarrow n$ (Stairs)

0	1	2	3	4	5	6	7	8	9	10
3	3	0	2	1	2	4	2	0	0	0



0	1	2	3	4	5	6	7	8	9	10
5	3	0	2	1	1	1	0	0	0	1

Tabulation

① Memory

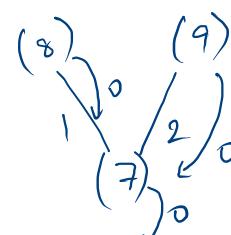
② Meaning

③ (Transcrib & solve)

Easier

\Rightarrow Complex

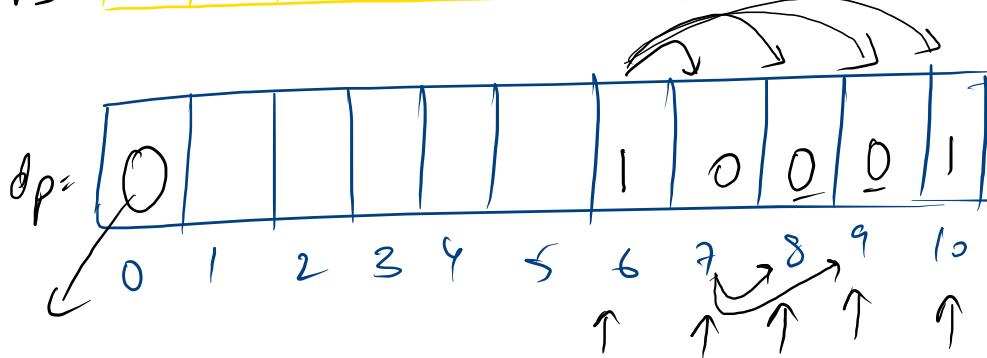
dpl[i] \rightarrow no. ways to climb from i^{th} \rightarrow dst (n^{th})



0 ↘

0	1	2	3	4	5	6	7	8	9
3	3	0	2	1	2	4	2	0	0

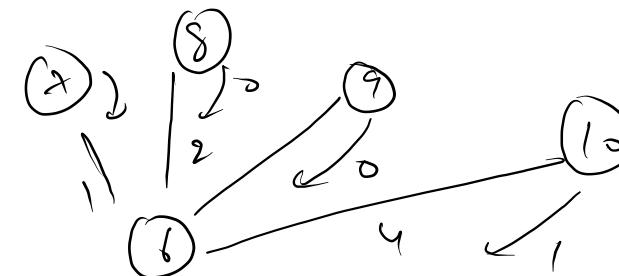
moves:



maxJump = 4

len = $1 \leq 4$

```
int dp[] = new int[n+1];  
  
for(int i = n ; i >= 0 ; i--){  
    if(i == n){  
        dp[i] = 1;  
    }else{  
        int maxJump = moves[i];  
        for(int len = 1 ; len <= maxJump && len + i <= n ; len++){  
            dp[i] += dp[i+len];  
        }  
    }  
}
```



=n

$src \leq 0$

$dest = 10$



0	1	2	3	4	5	6	7	8	9	10
3	3	0	2	1	2	4	2	0	0	0

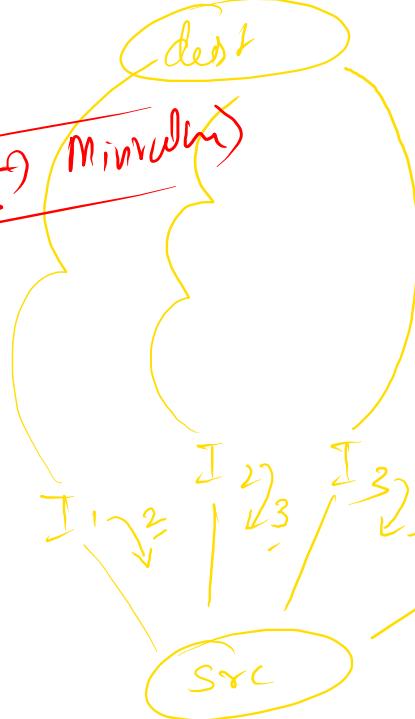
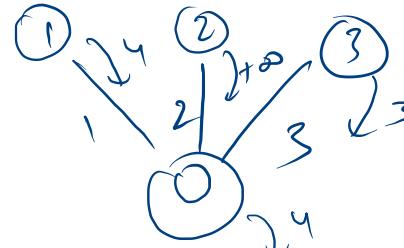
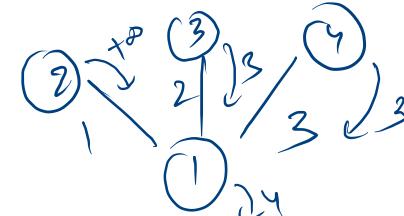
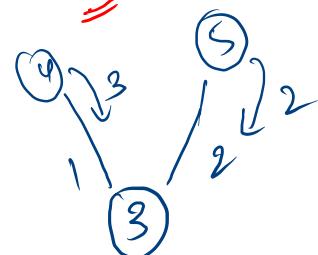
+∞
Max-value + 1

Minval - 1

more

$\delta p[] =$

0	1	2	3	4	5	6	7	8	9	10
4	-	+∞	3	3	2	1	+∞	+∞	+∞	0



2 $\min(S_1, S_2, S_3, S_4) + 1$

	0	1	2	3	4	5
0	9	1	4	2	8	2
1	9	3	6	5	0	4
2	1	2	4	1	4	6
3	2	0	7	3	2	2
4	3	1	5	9	2	4
5	2	7	0	8	5	1

Cost =

	0	1	2	3	4	5
0	23	23	24	20	21	19
1	24	22	23	18	13	18
2	20	19	14	13	13	13
3	21	19	19	12	7	7
4	23	20	19	16	7	5
5	23	21	14	14	6	1

dp =

$\begin{matrix} (9,3) \\ \diagdown \end{matrix} / \begin{matrix} (5,1) \\ \diagup \end{matrix}$ $\begin{matrix} (5,1) \\ \diagup \end{matrix} / \begin{matrix} (4,4) \\ \diagdown \end{matrix}$

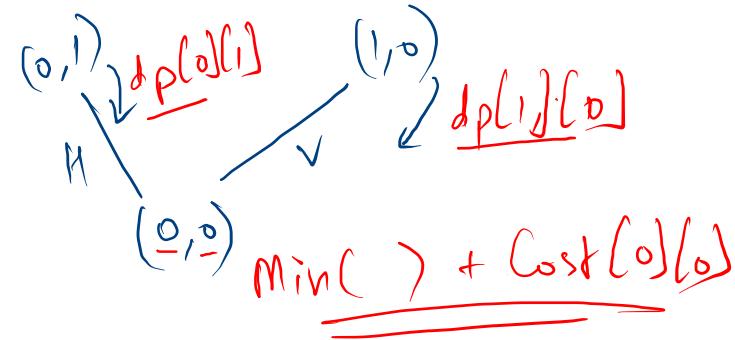
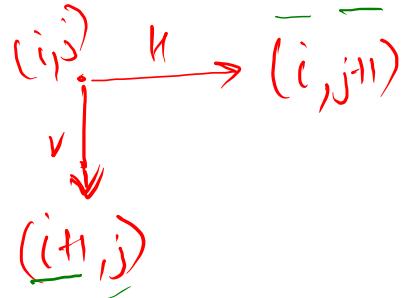
src $\Rightarrow (0,0)$

$\Leftarrow M_1 \Rightarrow dp[i][j] \Rightarrow$ min cost to travel from $(i,j) \rightarrow$ dest

$M_2 \Rightarrow dp[i][j] \Rightarrow$ min cost to travel from src $\Rightarrow (i,j)$

To find \Rightarrow min cost to travel from src \Rightarrow dest

Given \Rightarrow dir =



	0	1	2	3	4	5
0	0	1	4	2	8	2
1	4	3	6	5	0	4
2	1	2	4	1	4	6
3	2	0	9	3	2	2
4	3	1	5	9	2	4
5	2	7	0	8	5	1

Cost:

nr=6
nc=6



dp:
→

nr=6
nc=6
c
s
y
s y 3

```

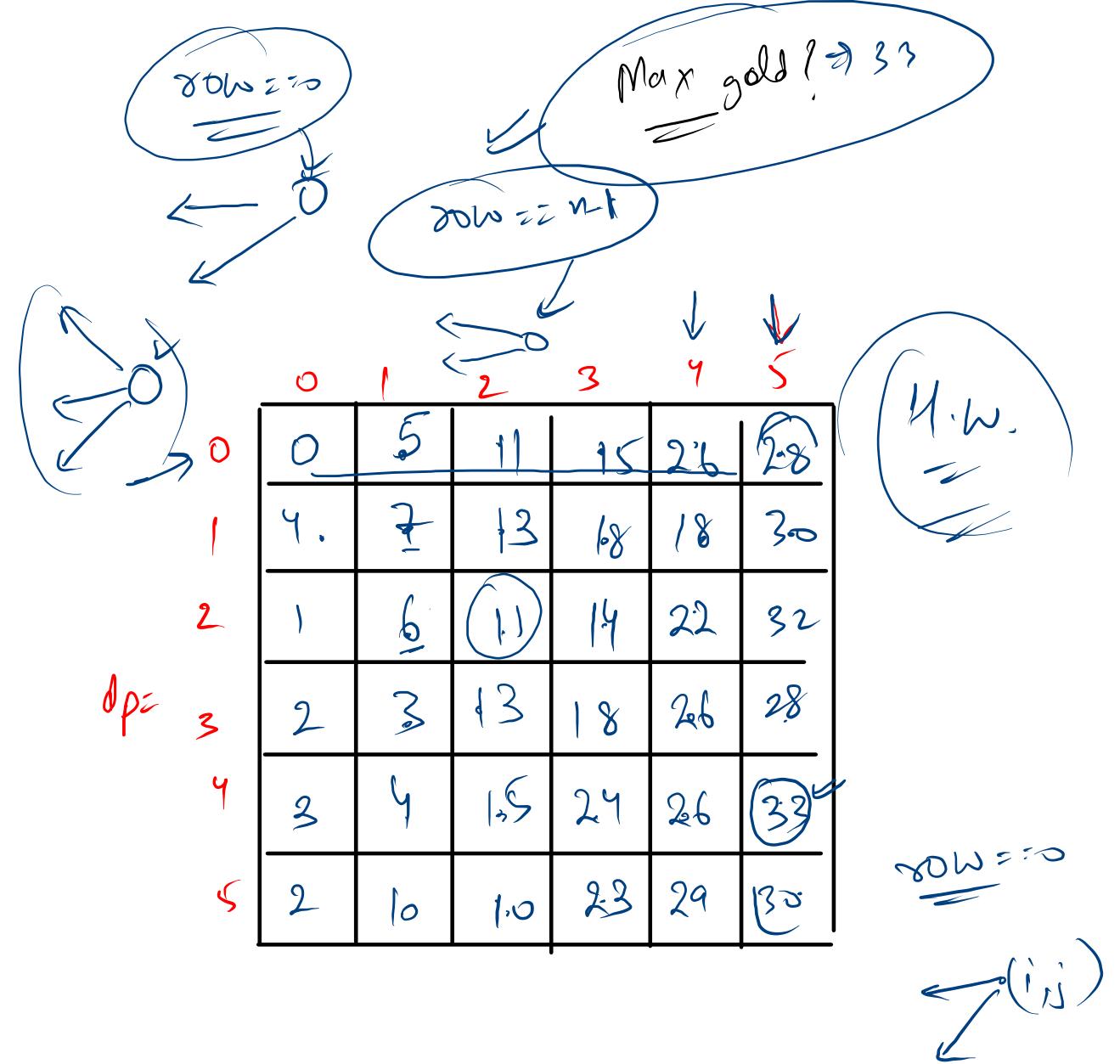
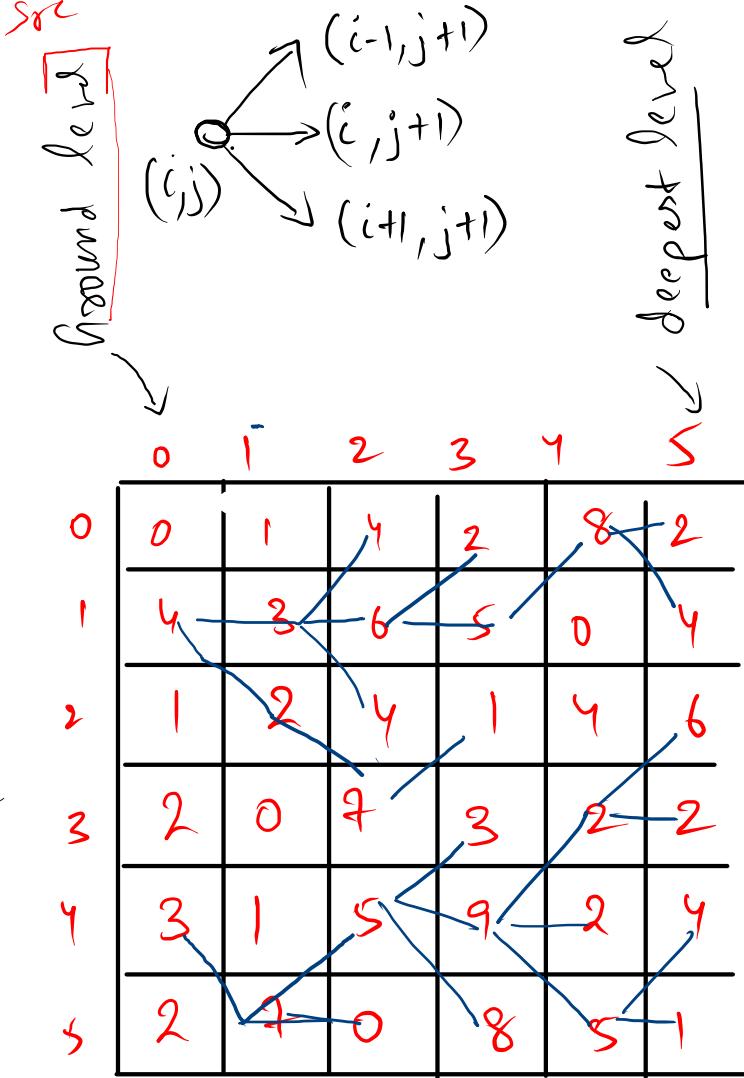
int dp[][] = new int[nr][nc];

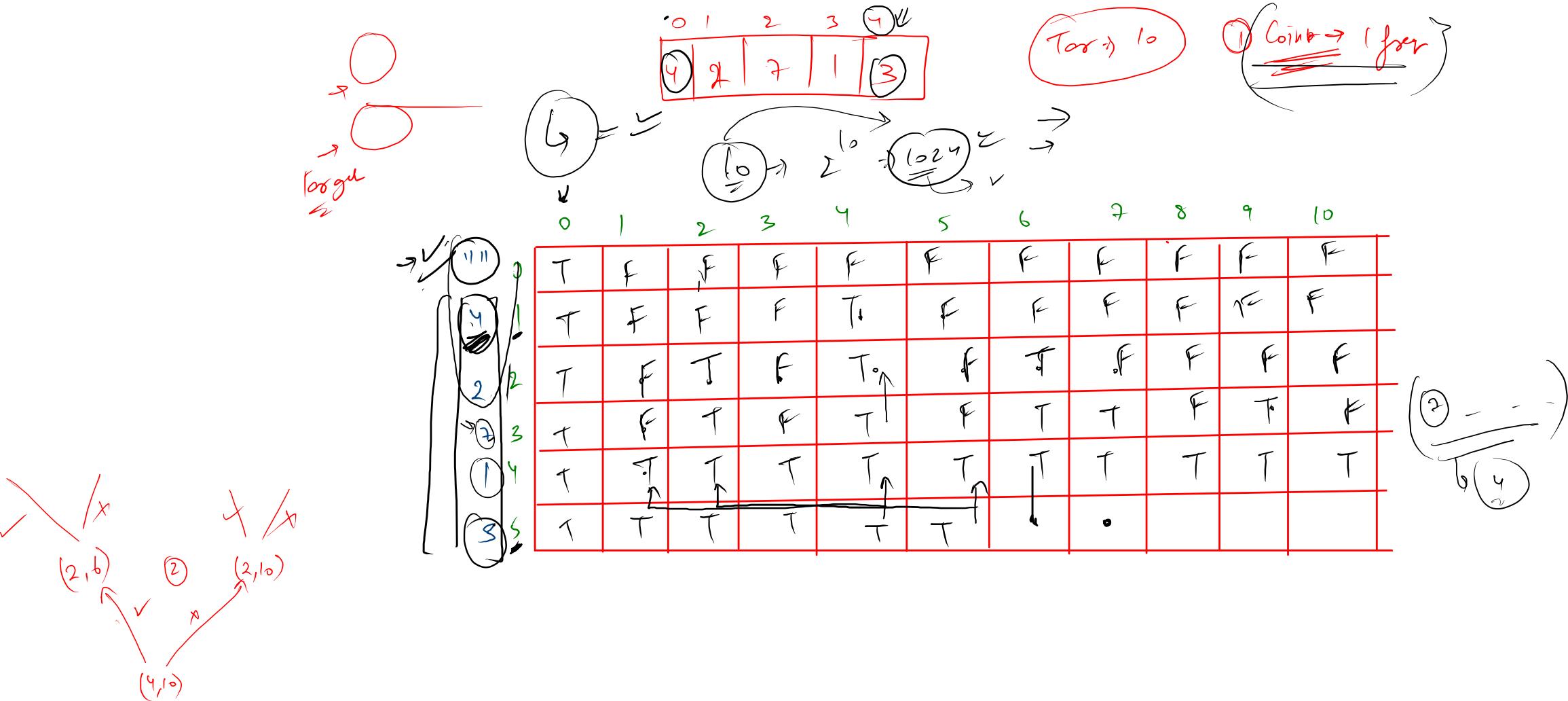
for(int r = nr-1 ; r >= 0 ; r--){
    for(int c = nc - 1; c >= 0 ; c--){
        if(r == nr-1 && c == nc-1){
            dp[r][c] = cost[r][c];
        }else if(r == nr-1){
            dp[r][c] = dp[r][c+1] + cost[r][c];
        }else if(c == nc-1){
            dp[r][c] = dp[r+1][c] + cost[r][c];
        }else{
            dp[r][c] = Math.min(dp[r][c+1],dp[r+1][c])+cost[r][c];
        }
    }
}

System.out.println(dp[0][0]);

```

mine =





	0	1	2	3	4	5	6	7	8	9	10
0	T	F	F	F	F	F	F	F	F	F	F
1	T	F	F	F	T	-	-	-	-	-	-
2	-	-	-	-	-	-	-	-	-	-	-
3	-	-	-	-	-	-	-	-	-	-	-
4	-	-	-	-	-	-	-	-	-	-	-
5	-	-	-	-	-	-	-	-	-	-	-
6	-	-	-	-	-	-	-	-	-	-	-
7	-	-	-	-	-	-	-	-	-	-	-
8	-	-	-	-	-	-	-	-	-	-	-
9	-	-	-	-	-	-	-	-	-	-	-
10	-	-	-	-	-	-	-	-	-	-	-

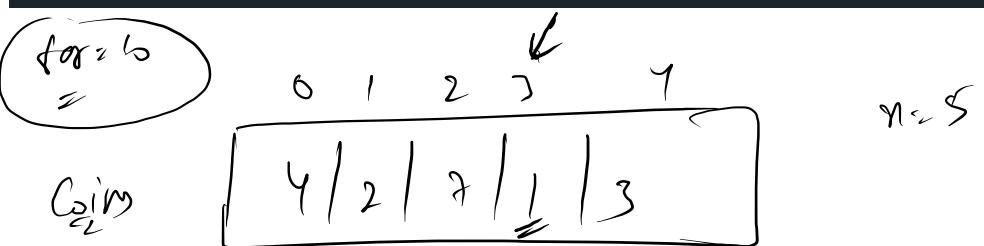
✓ inc
✓ exc

```
// begin
boolean dp[][] = new boolean[n + 1][tar + 1];

for (int r = 0 ; r <= n ; r++) {
    for (int t = 0 ; t <= tar ; t++) {
        if (r == 0 && t == 0) {
            dp[0][0] = true;
        } else if (r == 0) {
            dp[r][t] = false;
        } else if (t == 0) {
            dp[r][t] = true;
        } else {
            int coin = coins[r - 1];
            boolean inc = (t - coin >= 0) ? dp[r - 1][t - coin] : false; // inc
            boolean exc = dp[r - 1][t]; // exc

            dp[r][t] = inc || exc;
        }
    }
    if (dp[r][tar] == true) {
        System.out.println(true);
        return;
    }
}

System.out.println(false);
```



Q=8

✓ Coins =

0	1	2	3
2	3	5	6

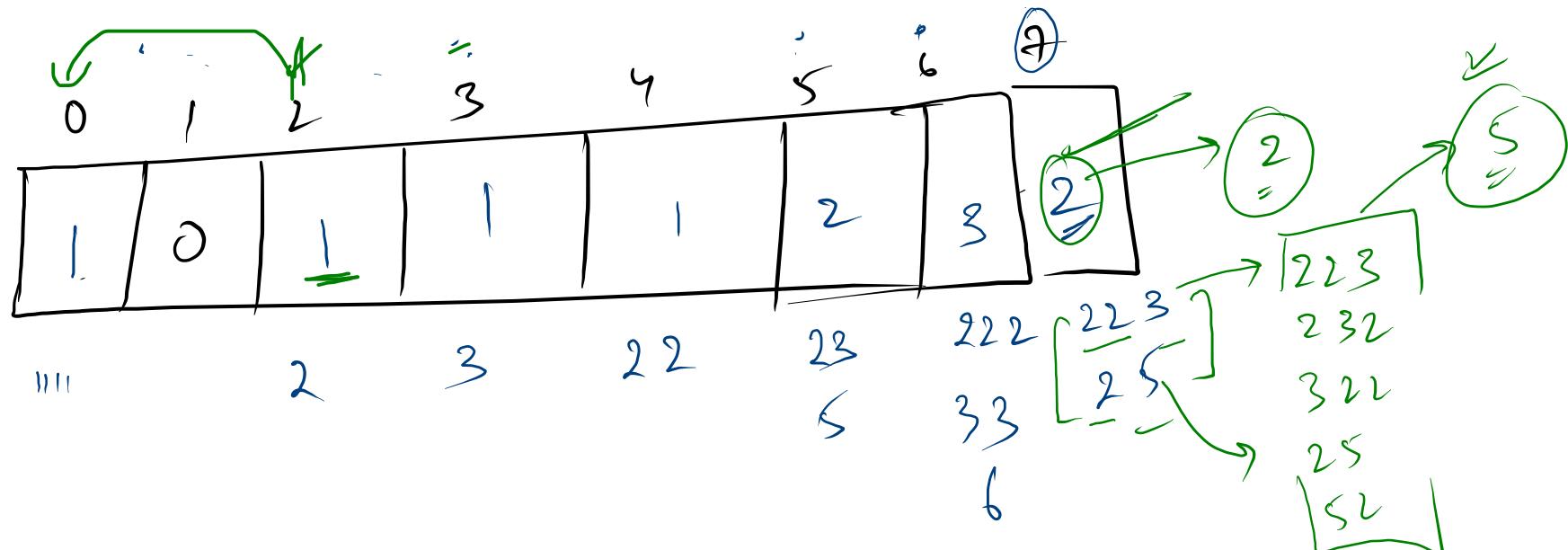
✓ for = ?

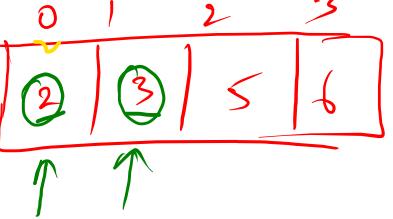
* (hence
↳ (unlimited denominations)
inc/exc)

Coins = 6

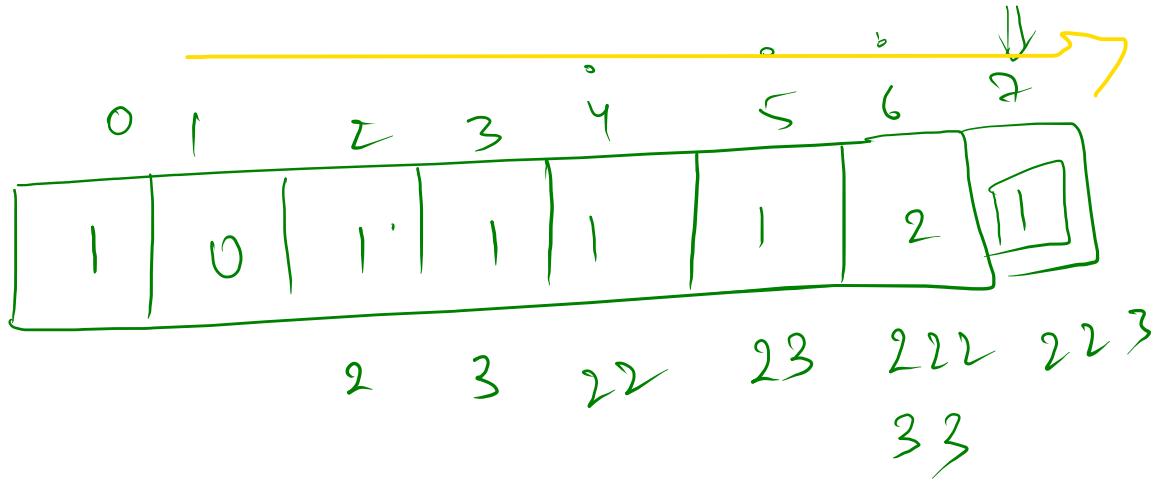
Permutation
↳ Arrangement
Select

Combination
↳ Selection



✓ Coins = 

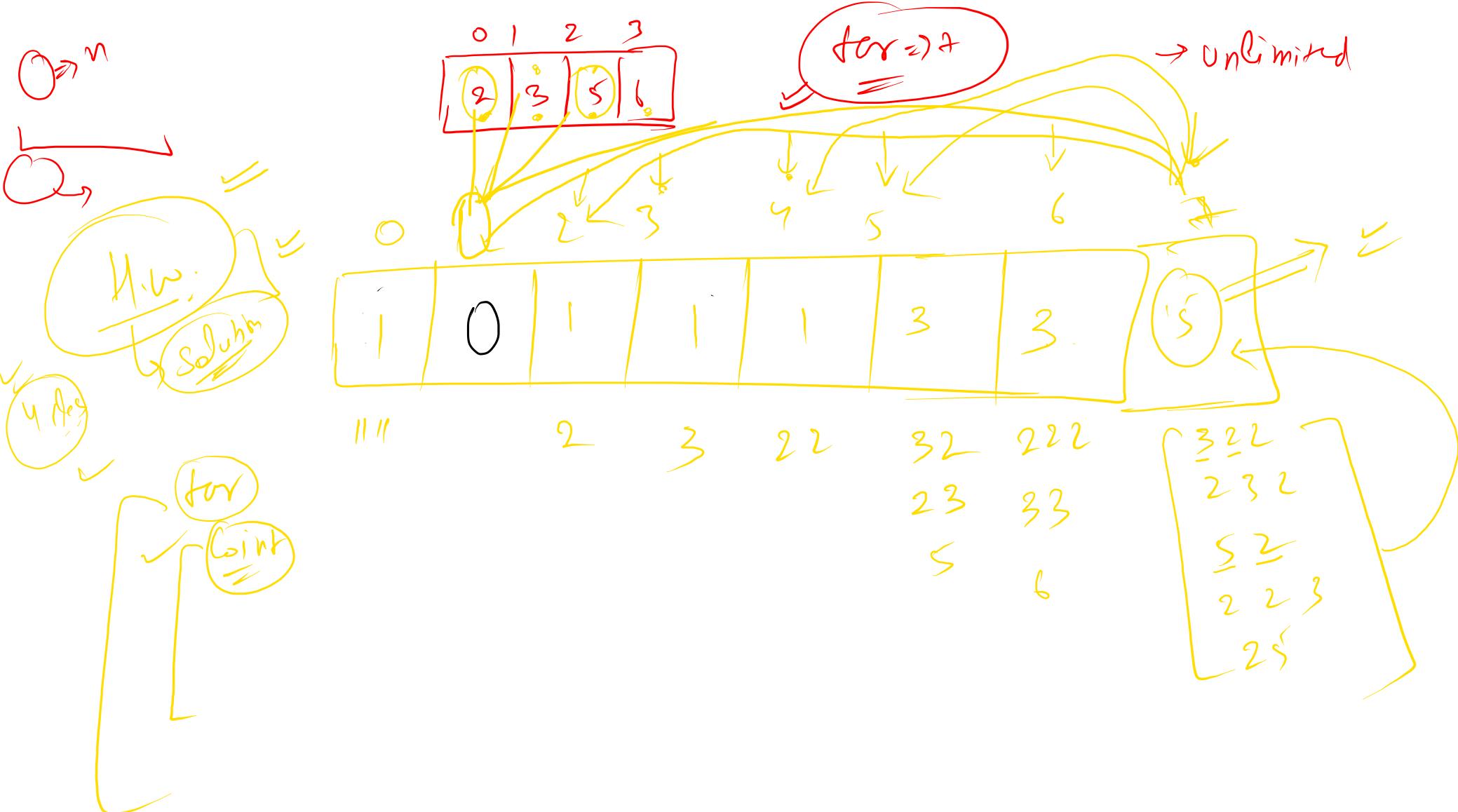
$f(0) = 7$
=



```

→ int dp[] = new int[tar+1];
→ dp[0] = 1;
for(int coin : coins){
    for(int t = coin ; t <= tar ; t++){
        dp[t] += dp[t-coin];
    }
}
System.out.println(dp[tar]);

```



- </> Climb Stairs *done*
- </> Climb Stairs With Variable Jumps *done*
- </> Climb Stairs With Minimum Moves *(Hw)* ↗
- </> Min Cost In Maze Traversal *done*
- </> Goldmine *(Hw)* ↗
- </> Target Sum Subsets - Dp *done*
- </> Coin Change Combination *done*
- </> Coin Change Permutations *(Hv)* ↗

$$8 \geq 5 + 3$$