

CPSC-354 Report

Rohm Tandon
Chapman University

07/01/2024

Abstract

This report contains assignments throughout the fall 2024 semester and is intended for the purpose of documenting my work and showing my progress in CPSC 354 - Programming Languages, taught by Jonathan Weinberg.

Contents

1	Introduction	1
2	Week by Week	1
2.1	Week 1	1
2.2	Week 2	5
2.3	6
3	Lessons from the Assignments	6
4	Conclusion	7

1 Introduction

This report, prepared for CPSC 354 - Programming Languages at Chapman University, is a comprehensive account of my academic voyage over the semester. It includes a detailed compilation of my notes, homework solutions, and critical reflections on the coursework. This report serves as a bridge between the theoretical knowledge imparted in lectures and the practical skills essential for future pursuits in both graduate studies and the software industry.

2 Week by Week

2.1 Week 1

Notes

In week 1 we learnt about Lean as a programming language and its correlation to discrete math. We also learnt about other proof assistants. We then shifted our focus to the NNG tutorial world as you can see below.

Homework

Tutorial world

Level 5 / 8 : Adding zero

Active Goal

Objects:

$a\ b\ c : \mathbb{N}$

Goal:

$a + (b + 0) + (c + 0) = a + b + c$

rw [add_zero]

Active Goal

Objects:

$a\ b\ c : \mathbb{N}$

Goal:

$a + b + (c + 0) = a + b + c$

rw [add_zero]

Active Goal

Objects:

$a\ b\ c : \mathbb{N}$

Goal:

$a + b + c = a + b + c$

rfl

level completed! 🏆

Level 5:

Discrete math's lemmas tell us that anything added to 0 will give the result of that number itself. So; $A+0=A$. Using this we can bring the left hand side down to $a+b+c$. From here we can use the property of reflexivity to show that both sides are equal, hence solving the puzzle.

Level 6 / 8 : Precision rewriting

Objects:

$a, b, c : \mathbb{N}$

Goal:

$$a + (b + 0) + (c + 0) = a + b + c$$

```
rw [add_zero c]
```

Active Goal

Objects:

$a, b, c : \mathbb{N}$

Goal:

$$a + (b + 0) + c = a + b + c$$

```
rw [add_zero b]
```

Active Goal

Objects:

$a, b, c : \mathbb{N}$

Goal:

$$a + b + c = a + b + c$$

```
rfl
```

level completed! 🏆

Level 6:

Level 7 / 8 : add_succ

Theorem `succ_eq_add_one`: For all natural numbers a , we have $\text{succ}(a) = a + 1$.

Active Goal

Objects:
 $n : \mathbb{N}$

Goal:
 $\text{succ } n = n + 1$

`rw [one_eq_succ_zero]`

Active Goal

Objects:
 $n : \mathbb{N}$

Goal:
 $\text{succ } n = n + \text{succ } 0$

`rw [add_succ]`

Active Goal

Objects:
 $n : \mathbb{N}$

Goal:
 $\text{succ } n = \text{succ } (n + 0)$

`rw [add_zero]`

Level 7:

Level 8 / 8 : 2+2=4

$2 + 2 = 4$.

example : (2 : ℕ) + 2 = 4 := by

```

2 rw[three_eq_succ_two]
3 rw[two_eq_succ_one]
4 rw[one_eq_succ_zero]
5 rw[succ_eq_add_one]
6 rw[one_eq_succ_zero]
7 rw[add_succ]
8 rw[add_zero]
9 rw[add_succ]
10 rw[add_succ]
11 rw[add_zero]
12 rfl

```

Level completed! 🎉

No Goals

Level 8:

Comments and Questions

(Delete and Replace:) Here you should write your own critical reflection on the content of the week. If you can surprise me with something I have not seen before, you are on the right track.

Ask at least one **interesting question**¹ on the lecture notes. Also post the question on the Discord channel so that everybody can see and discuss the questions.

¹It is important to learn to ask *interesting* questions. There is no precise way of defining what is meant by interesting. You can only learn this by doing. An interesting question comes typically in two parts. Part 1 (one or two sentences) sets the scene. Part 2 (one or two sentences) asks the question. A good question strikes the right balance between being specific and technical on the one hand and open ended on the other hand. A question that can be answered with yes/no is not an interesting question.

2.2 Week 2

Notes

In week 2 we learnt about recursion and its application in other problems such as the Towers of Hanoi game we played. We also learnt about its various benefits such as breaking down complexity of problems and being more concise.

Homework

Addition world

Level 1 / 5 : zero_add

Theorem `zero_add`: For all natural numbers n , we have $0 + n = n$.

```
theorem zero_add (n : ℕ) : 0 + n = n := by

1 induction n with d hd
2 rw[add_zero]
3 rfl
4 rw[add_succ]
5 rw[hd]
6 rfl
7 |
```

Level 1:

Level completed! 🎉

Level 2 / 5 : succ_add

Theorem `succ_add`: For all natural numbers a, b , we have $\text{succ}(a) + b = \text{succ}(a + b)$.

```
theorem succ_add (a b : ℕ) : succ a + b = succ (a + b) := by

1 induction b with d hd
2 rw[add_zero]
3 rw[add_zero]
4 rfl
5 rw[add_succ, add_succ]
6 rw[hd]
7 rfl
8 |
```

Level 2:

Level completed! 🎉

Level 3 / 5 : add_comm (level boss)

Theorem `add_comm`: On the set of natural numbers, addition is commutative. In other words, if a and b are arbitrary natural numbers, then $a + b = b + a$.

```
theorem add_comm (a b : ℕ) : a + b = b + a := by

1 induction b with d hd
2 rw[add_zero, zero_add]
3 rfl
4 rw[add_succ, succ_add, hd]
5 rfl
6 |
```

Level 3:

Level 4:

Level 5:

Once again this is proof by mathematical induction similar to the previous one. This time we add the zeroes and then use reflexivity for the first part of the proof. Then to prove the second part we use the successor function until bringing back the induction we used like the previous question. Then to complete the proof we use reflexivity again.

Discord Question: Since recursion has so many benefits and also breaks down the complexity of problems, why aren't we taught to use it as our primary method? In other words, why isn't it the first method of problem solving we're taught?

...

3 Lessons from the Assignments

(Delete and Replace): Write three pages about your individual contributions to the project.

On 3 pages you describe lessons you learned from the project. Be as technical and detailed as possible. Particularly valuable are *interesting* examples where you connect concrete technical details with *interesting* general observations or where the theory discussed in the lectures helped with the design or implementation of the project.

Write this section during the semester. This is approximately a quarter of a page per week and the material should come from the work you do anyway. Just keep your eyes open for interesting lessons.

Make sure that you use L^AT_EX to structure your writing (eg by using subsections).

4 Conclusion

(Delete and Replace): (approx 400 words) A critical reflection on the content of the course. Step back from the technical details. How does the course fit into the wider world of software engineering? What did you find most interesting or useful? What improvements would you suggest?

References

[BLA] Author, [Title](#), Publisher, Year.