# **Supplementary Material for GOP-ACK**

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### Appendix A. Design extension

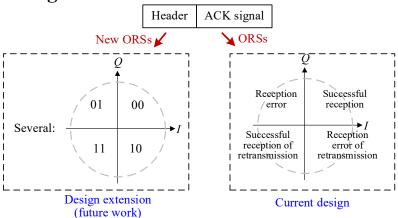


Fig. I. Design extension for the scenario where multiple devices coexist.

As a future extension of our design, we can easily add a lightweight header to each ACK signal in scenarios where multiple devices coexist. For instance, as illustrated in Fig. I, we can append each ACK signal with a header containing essential CTC control information and encode it with another type of ORS, where different quadrants are associated with distinct bit pairs.

We label our header as lightweight because it is specifically designed to convey control information exclusively for cross-technology communication. In contrast, the packet headers in current CTC ACK designs primarily carry control information for in-technology communication, rendering them redundant in the context of cross-technology scenarios. Moreover, the robustness of our header far surpasses existing headers since it is encoded with ORSs.

## Appendix B. Case study of ZigBee-to-WiFi feedback

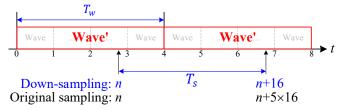


Fig. II. For ZigBee-to-WiFi feedback, ZigBee constructs a ZigBee-to-WiFi wave (called wave') that is comprised of 4 ZigBee-to-BLE waves, while WiFi performs down-sampling with 1/5 of the original sampling rate.

In this section, we follow the guidelines of our framework presented in Section III.B to design ZigBeetto-WiFi feedback. Recall that our approach requires

$$T_{w} = T_{s}. (1)$$

In ZigBee-to-BLE feedback shown in Section IV in the main file, to meet the requirement (1), ZigBee creates a wave of  $T_w = 1\mu s$ , while BLE adapts a sampling interval of  $T_s = 1\mu s$  to calculate one phase shift. In ZigBee-to-WiFi feedback, if ZigBee still creates a wave of  $T_w = 1\mu s$ , while WiFi adopts the default

sampling interval of calculating one phase shift, which is  $T_s = 0.8 \mu s$ , then  $T_w \neq T_s$ , thereby violating (1). To meet (1) for ZigBee-to-WiFi feedback, we only need to make the following modifications in comparison with ZigBee-to-BLE feedback:

ZigBee side modification. ZigBee constructs a ZigBee-to-WiFi wave (called wave') that is comprised of 4 ZigBee-to-BLE waves and hence the length of one wave is  $T_w = 4 \times 1\mu s$ , as shown in Fig. II. To achieve this, as shown in Fig. III, ZigBee sets one ZigBee-to-WiFi ACK bit sequence to B' = [B, B, B, B] in the TX firmware of ZigBee-to-BLE feedback, where B is one ZigBee-to-BLE ACK bit sequence.

WiFi side modification. WiFi performs down-sampling with  $\frac{1}{5}$  of the original sampling rate, as shown in Fig. II. In this way, the sampling interval of calculating one phase shift is  $T_s = 5 \times 0.8 = 4\mu s$ , which ensures  $T_w = T_s$  and hence meets (1). To achieve this, as shown in Fig. III, WiFi inserts one down sampler after its built-in sampler in its RX firmware, where the former reserves the 1st and 6-th sampling values and drops the others when receiving 6 sampling values from the latter. Note that since WiFi samples each wave' 6 times even with down-sampling, it detects an ACK signal successfully if the following two conditions are met:

• C1: Condition of a successful busy channel detection. Let  $\lambda = \frac{\sum_{m=1}^{6(M+1)} |C_{6m}|^2}{6(M+1)}$  denote the power of  $\{C_m\}_{m=1}^{6(M+1)}$ . C1 is satisfied if  $\lambda$  is greater than a threshold  $\hat{\lambda}$ , namely,

$$\lambda > \hat{\lambda}. \tag{2}$$

• C2: Condition of the number of detected ORSs. Recall that an ACK signal consists of M ORSs. In non-ideal conditions, a decoder cannot always detect all these ORSs successfully. Let  $N_{ORS}$  denote the number of detected ORSs. C2 is satisfied if  $N_{ORS}$  is greater than a threshold  $\widehat{N}_{ORS}$ , namely,

$$N_{ORS} > \widehat{N}_{ORS}. \tag{3}$$

Note that an ORS consists of two consecutive and identical waves. In ideal conditions, a decoder detects an ORS if the phase shift between the two wave sampling instances of the ORS,  $\Delta \varphi$ , is 0. In the presence of noise, however,  $\Delta \varphi$  is not always 0. Hence, in our design, a decoder detects an ORS m if there are more than  $N_{\varphi}$  of its corresponding phase values,  $\Delta \varphi_m$ , are smaller than a threshold  $\Delta \hat{\varphi}$ , namely,

$$\sum_{i=6M}^{6M+6} [\![\Delta \varphi_i < \Delta \hat{\varphi}]\!] > N_{\varphi}, \tag{4}$$

where [s] = 1 if the statement s is true and 0 otherwise.

The ACK decoding in ZigBee-to-WiFi feedback is the same as that in ZigBee-to-BLE feedback. More specifically, WiFi adopts Algorithm 1 in Section IV in the main file for ACK decoding, where  $\mathbf{C} = \mathbf{C}'$  and  $\Delta \boldsymbol{\varphi} = \Delta \boldsymbol{\varphi}'$ .

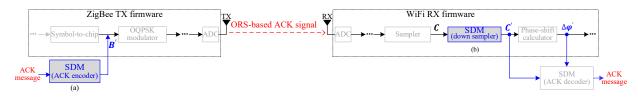


Fig. III. For ZigBee-to-WiFi feedback, ZigBee sets its ACK bit sequence to B' on the TX firmware of ZigBee-to-BLE feedback, and WiFi inserts one down sampler after its built-in sampler in its RX chain and adds C, C', and  $\Delta \phi'$  as in the RX firmware of ZigBee-to-BLE feedback.

## **Appendix C. Supplementary of Tables**

Below, we show the tables that helps better understanding the main file of the paper. More specifically, TABLE A lists the the abbreviations used in the paper, TABLE B shows the details of TABLE 2 in the main file, and TABLE C summarizes the main notations of our model.

TABLE A. A list of abbreviations.

:	
Abbreviation	Full name
ACK	Acknowledgement
BLE	Bluetooth Low Energy
BSU	Basic Signal Unit
CTC	Cross-Technology Communication
GOP-ACK	General and Offset-resistant Physical
	Acknowledgment
OQPSK	Offset Quadrature Phase-Shift Keying
ORS	Offset-Resistant Signal
RX	Receiving
SDM	Software-Defined Module
SNR	Signal-to-Noise Ratio

TABLE B. Mapping among bit sequences, ORS types, and ACK types.

Special bit sequence	Odd bits	I-pulses type	ORS type	ACK type
	Even bits	Q-pulses type		
1,1,1,1,1	1,1,1	Positive	Type-l $Q$ $w(t_1 + \Delta t)$ $w(t_2 + \Delta t)$ $I$ Quadrant 1	Type-1: successful reception
	1,1	Positive		
0,1,0,1,0	0,0,0	Negative	$(x_1 + \Delta t)$ $w(t_1 + \Delta t)$ $w(t_2 + \Delta t)$ $Q$	Type-2: reception error
	1,1	Positive		

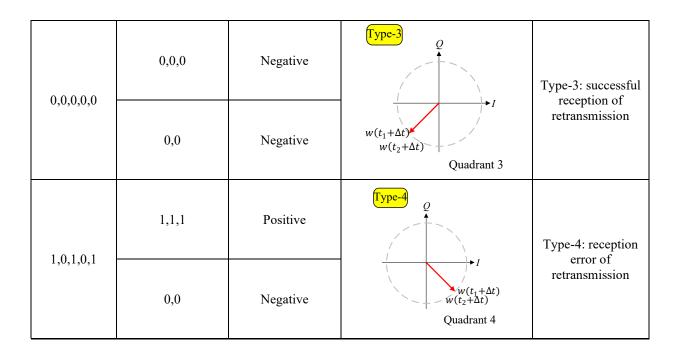


TABLE C. Main notions and their descriptions.

Notation	Description		
$C_m$	The <i>m</i> -th sampling instance.		
$C_m^I$	The in-phase component of $C_m$ .		
$C_m^I$ $C_m^Q$	The quadrature component of $C_m$ .		
$x_I(t)$	The in-phase component of an ACK signal.		
$x_Q(t)$	The quadrature component of an ACK signal.		
$\Delta arphi_m$	The <i>m</i> -th phase shift value.		
$\Delta\widehat{arphi}_{th}$	The phase shift threshold.		
λ	The power of sampling instances.		
$\hat{\lambda}_{th}$	The power threshold of sampling instances.		
$N_{ORS}$	The total number of detected ORSs.		
$N_{ORS}^{j}$	The number of detected type- <i>j</i> ORSs.		
$n_{j}$	The value of $N_{ORS}^{j}$ .		
$\widehat{N}_{ORS}^{th}$	The threshold of $N_{ORS}$ for ACK signal detection.		
$\sigma^2$	The noise power.		
τ	The sampling interval.		
$\Delta T$	The sampling offset.		
$\Delta t$	The value of $\Delta T$ .		
$P_{ACK}^s$	The successful ACK decoding probability.		
$P_{C1}(\Delta t)$	The successful probability of detecting busy channel under sampling offset $\Delta t$ .		
$P_{C2}(\Delta t)$	The probability of $N_{ORS} > \widehat{N}_{ORS}^{th}$ under sampling offset $\Delta t$ .		
$P_{C3}(\Delta t)$	The successful probability of decoding an ACK type under sampling offset $\Delta t$ .		

М	The total number of ORSs in an ACK signal.
M'	The number of waves in a long or short ACK signal.
${\mathcal T}$	The total number of ACK types.
$j_0$	The inferred ACK type.
$j^*$	The actual ACK type.
$p_{i^*}^j(\Delta t)$	The probability that the ACK decoder identifies a type- $j^*$ ORS as a type- $j$ ORS under
• ) • •	sampling offset $\Delta t$ .
Ω	A complete transmission time.
$T_{ m pkt}$	The duration of a packet transmission.
$T_{ m SIFS}$	The duration of a short interframe space.
$T_{ m ACK}$	The duration of an ACK signal.
$T_w$	The duration of one wave.

### Appendix D. Details of firmware-nonmodifying method

In this section, we provide more details about the firmware-nonmodifying method, which reuses all modules in firmware. Before this, we first specify the TX and RX firmware.

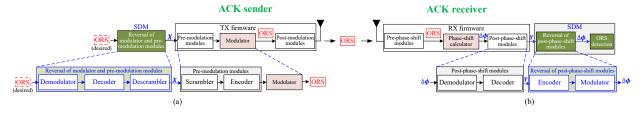


Fig. IV. Firmware-nonmodifying method: (a) reversal of modulator and pre-modulation modules; (b) reversal of post-phase-shift modules.

#### D.1 TX & RX firmware

Firmware is a type of software that provides low-level control over radio hardware. For a sender-receiver pair, we refer to the firmware installed on the sender side as TX firmware and the firmware on the receiver side as RX firmware.

A TX firmware comprises a one-directional TX path with pre-modulation modules, a modulator, and post-modulation modules, as shown in Fig. IV. Along the TX path, an upper-layer message passes through these modules in a predefined order, resulting in its conversion into a signal for transmission. First, following the TX path, the message is processed by the pre-modulation modules (e.g., scrambler, encoder, etc.) to become a bit sequence, which is then converted into a signal by the modulator. Finally, the signal passes through the post-modulation modules (e.g., filter, amplifier, upconverter, etc.) to be sent out.

An RX firmware consists of a one-directional RX path with pre-phase-shift modules, a phase-shift calculator, and post-phase-shift modules. Along the RX path, a received signal passes through these

modules in a predefined order, resulting in its conversion into a message. First, following the RX path, the signal passes through the pre-phase-shift modules (e.g., a downconverter, a filter, a sampler, etc.) to be converted into sampling instances, of which corresponding phase shifts are then calculated by the phase-shift calculator. Finally, the phase shifts are converted into a message by the post-phase-shift modules (e.g., a demodulator, a decoder, etc.).

#### D.2 Method

Consider TX and RX firmware that only allows access to the input and output interfaces. On an ACK sender side, we aim to reuse the entire TX path of the TX firmware to transmit a desired ORS. We can do so by following two steps below. First, we reuse the pre-modulation modules and the modulator in the TX firmware to generate the ORS. To achieve this, we need to construct a special input, X, as an input to the TX firmware. As X passes through the pre-modulation modules and modulator along the TX path, it will eventually be converted into the desired ORS. To construct X with this characteristic, like [1]–[8], we may create an SDM that reverses the pre-modulation and modulation operations in the TX firmware. For example, as shown in Fig. IV(a), if the pre-modulation modules are a scrambler and an encoder, we may create an SDM consisting of a demodulator, a decoder, and a descrambler in sequence. As a result, when we pass the desired ORS through the SDM, we can obtain X. In the second step, the ORS is sent out by reusing the post-modulation modules, which is straightforward. In this way, we can transmit the desired ORS without modifying the TX firmware.

On an ACK receiver side, we reuse the entire RX path of the RX firmware for ORS receptions. We can do so by following three steps below. First, upon detecting a signal, we reuse all the modules on the RX path to receive and decode the signal, obtaining the output,  $\mathbf{Y}$ , of the RX firmware. Then, like [9]–[12], etc., we employ another SDM, which reverses the operation of the post-phase-shift modules, to process  $\mathbf{Y}$  and yield the desired phase-shift,  $\Delta \boldsymbol{\phi}$ , namely, the output of the phase-shift calculator in the RX firmware. For example, as shown in Fig. IV(b), if the post-phase-shift modules consist of a demodulator and a decoder, we may create an SDM consisting of an encoder and a modulator in sequence. As a result, when we pass  $\mathbf{Y}$  through the SDM, we can obtain  $\Delta \boldsymbol{\phi}$ . Finally, if  $\Delta \boldsymbol{\phi}$  is zero, we detect an ORS. In this way, we can achieve an ORS reception without modifying the RX firmware.

## Appendix E. Supplementary of the performance model

Here, we first present the details of calculating,  $P_{C1}(\Delta t)$ , which is the probability of satisfying C1. Then, we calculate the joint probability mass function of  $N_{ORS}^1$ , ...,  $N_{ORS}^T$  under  $\Delta t$ ,  $P_{\Delta t}(n_1, ..., n_T)$ .

#### E.1 Calculation of $P_{C1}(\Delta t)$

In GOP-ACK, when receiving a long or short ACK signal consisting of M' waves, the decoder samples its each wave once. Then, the average power of these M' sampling instances,  $\lambda$ , is calculated as

$$\lambda = \frac{\sum_{m=1}^{M'} |C_m|^2}{M'}.$$
 (5)

According to C1, a busy channel is successfully detected when  $\lambda > \hat{\lambda}$ . Therefore, the successful probability  $P_{C1}(\Delta t)$  of detecting a busy channel is given as

$$P_{C1}(\Delta t) = P(\lambda > \hat{\lambda})$$

$$= P\left(\frac{\sum_{m=1}^{M'} |C_m|^2}{M'} > \hat{\lambda}\right)$$

$$= P\left(\sum_{m=1}^{M'} |C_m|^2 > M'\hat{\lambda}\right)$$
(6)

$$=P\left(\sum_{m=1}^{M'}\left[(C_m^I)^2+\left(C_m^Q\right)^2\right]>M'\hat{\lambda}\right).$$

Here, as specified in (7) in the main file,  $C_1^I$ ,  $C_1^Q$ , ...,  $C_{M'}^I$ , and  $C_{M'}^Q$  are 2M' Gaussian distributed random variables with the same variance  $\sigma^2/2$  but different means, which are  $x_I(\tau + \Delta t)$ ,  $x_Q(\tau + \Delta t)$ , ...,  $x_I(M'\tau + \Delta t)$ ,  $x_Q(M'\tau + \Delta t)$ , respectively. Furthermore, they are mutually independent since they correspond to different components of different waves. Then, according to [13],  $\sum_{m=1}^{M'} \left[ (C_m^I)^2 + (C_m^Q)^2 \right]$  is a non-central chi-squared random variable with 2M' degrees of freedom and a non-centrality parameter  $\sum_{m=1}^{M'} \left[ x_I^2 (m\tau + \Delta t) + x_Q^2 (m\tau + \Delta t) \right]$ . Then we can calculate have:

$$P_{C1}(\Delta t) = Q_{M'} \left( \frac{\sqrt{\sum_{m=1}^{M'} \left( x_I^2 (m\tau + \Delta t) + x_Q^2 (m\tau + \Delta t) \right)}}{\sigma}, \frac{\sqrt{M'\hat{\lambda}}}{\sigma} \right), \tag{7}$$

where  $Q_{M'}(a,b) = \frac{1}{a^{M'-1}} \int_b^\infty \varepsilon^{M'} e^{-\frac{a^2 + \varepsilon^2}{2}} I_{M'-1}(a\varepsilon) d\varepsilon$  is the generalized Marcum Q function of order M' and  $I_{M'-1}$  is the modified Bessel function of the first kind.

#### E.2 Calculation of $P_{\Delta t}(n_1, ..., n_T)$

Note that a type- $j^*$ ,  $j^*=1,...,\mathcal{T}$ , ACK signal consists of M type- $j^*$ ORSs. When receiving such a signal, a decoder detects the type of each ORS independently. Under a sampling offset  $\Delta t$ , for each detection operation, the decoder might identify type  $j^*$  as type j with probability  $p_{j^*}^j(\Delta t)$ ,  $j=1,...,\mathcal{T}$ . Recall that  $N_{ORS}^j$  is the number of detected type-j ORSs. Then,  $\left\{N_{ORS}^j\right\}_{j=1}^{\mathcal{T}}$  follows a multinomial distribution [14] with a probability mass function  $P_{\Delta t}(n_1,...,n_{\mathcal{T}}) = P_{\Delta t}\left(N_{ORS}^1=n_1,...,N_{ORS}^{\mathcal{T}}=n_{\mathcal{T}} \text{ under } \Delta t\right)$ :

$$P_{\Delta t}(n_1, \dots, n_T) = \begin{cases} \frac{M!}{\prod_{j=1}^T n_j!} \prod_{j=1}^T \left( p_{j^*}^j(\Delta t) \right)^{n_j}, & \text{when } \sum_j n_j = M, \\ 0, & \text{otherwise.} \end{cases}$$
(8)

Below, we explain how to calculate  $p_{j^*}^j(\Delta t)$  in (8). In our design, a decoder samples each of the M type- $j^*$ ORSs twice. Let  $C = C^I + jC^Q$  denote the first sampling instance of one received type- $j^*$ ORS. Let  $A_j$  be the area of quandrant j of the constellation diagram. In the case study of ZigBee-to-BLE feedback, a type- $j^*$ ORS is inferred as a type-j ORS if its C appears in  $A_j$ . Hence,

$$p_{j^*}^j(\Delta t) = \operatorname{Prob}(C \in A_j)$$

$$= \iint_{(C^I, C^Q) \in A_j} f(i, q) didq,$$
(9)

where f(i,q) is the the joint probability density function of two independent Gaussian random variables  $C^I$  and  $C^Q$  and is given as:

$$f(i,q) = \frac{1}{2\pi\sigma^2} e^{-\left[\left(i-x_I(t+\Delta t)\right)^2 + \left(q-x_Q(t+\Delta t)\right)^2\right]} \frac{1}{2\sigma^2}.$$
 (10)

### **Appendix F. Supplementary of evaluation**

We verify the accuracy of our theoretical model and compare the performance GOP-ACK with that of the state of the art via simulations. Our simulator is developed based on MATLAB 2020b [15]. It consists of ZigBee, BLE, AWGN channel, and WiFi modules. They are based on the OQPSK modulator module

[16], the Gaussian minimum shift keying modulator module [17], the white Gaussian noise generator module [18], and WLAN toolbox [19], respectively.

#### F.1 Model verification

We verify the successful probability of detecting a busy channel,  $P_{C1}(\Delta t)$ , the probability of detecting enough ORSs,  $P_{C2}(\Delta t)$ , and the successful probability of detecting ACK type,  $P_{C3}(\Delta t)$ , under different sampling offset  $\Delta t$  and noise power  $\sigma^2$ . The parameter settings are the same as in Section VI.B in the main file.

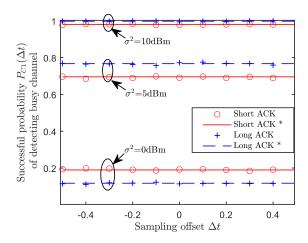


Fig. V.  $P_{C1}(\Delta t)$  vs. different  $\Delta t$  and  $\sigma^2$ .

Fig. V plots  $P_{C1}(\Delta t)$  vs.  $\Delta t$  and  $\sigma^2$ , when  $\Delta t = -0.5, ..., 0.5 \mu s$  and  $\sigma^2 = 0.5, 10$ dBm. From this figure, we have the following observations:

- Given  $\sigma^2$ ,  $P_{C1}(\Delta t)$  does not vary with  $\Delta t$ , manifesting that when detecting a busy channel, GOP-ACK can well resist sampling offsets that are inherent in CTC.
- Given  $\Delta t$ ,  $P_{C1}(\Delta t)$  decreases as  $\sigma^2$ . The reason is that when  $\sigma^2$  is lower, the power  $\lambda$  of sampling instances is often lower than  $\hat{\lambda}$ , leading to more frequent miss detections. These results imply that we should set a smaller  $\hat{\lambda}$  when  $\sigma^2$  is low.
- Given  $\Delta t$ ,  $P_{C1}(\Delta t)$  for short signals is higher (lower) than that for long signals when  $\sigma^2$  is low (high). This implies that for maximizing the busy channel detection performance solely, ZigBee should adopt a short (long) ACK signal when  $\sigma^2$  is low (high).

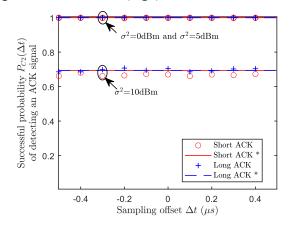


Fig. VI.  $P_{C2}(\Delta t)$  vs. different  $\Delta t$  and  $\sigma^2$ .

Fig. VI shows  $P_{C2}(\Delta t)$  vs. $\Delta t$  and  $\sigma^2$ , when  $\Delta t = -0.5, ..., 0.5 \mu s$  and  $\sigma^2 = 0, 5, 10 \, \text{dBm}$ . From it, we conclude that:

- Given  $\sigma^2$ ,  $P_{C2}(\Delta t)$  does not vary with  $\Delta t$ , manifesting that when detecting ACK signals, GOP-ACK can well resist sampling offsets that are inherent in CTC.
- Given  $\Delta t$ ,  $P_{C2}(\Delta t)$  is high except that when  $\sigma^2$  is as high as 15dBm, which indicates that only strong noise negatively impacts the successful probability of ORS detection.

Given  $\Delta t$  and  $\sigma^2$ ,  $P_{C2}(\Delta t)$  is the same, whether short or long signals, implying that our overlapping-ORS approach for short signals does not affect the signal detection performance.

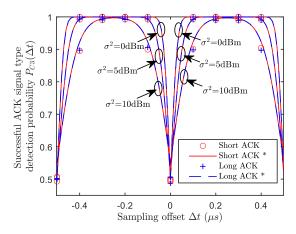


Fig. VII.  $P_{C3}(\Delta t)$  vs. different  $\sigma^2$  and  $\Delta t$ .

Fig. VII shows  $P_{C3}(\Delta t)$  vs. $\Delta t$  and  $\sigma^2$ , when  $\sigma^2 = 0, 5, 10$ dBm and  $\Delta t = -0.5, ..., 0.5 \mu s$ . From it, we have:

- Given  $\Delta t$ ,  $P_{C3}(\Delta t)$  decreases as  $\sigma^2$  increases, indicating the negative impact of noises on ACK decoding performance.
- Given  $\Delta t$  and  $\sigma^2$ ,  $P_{C3}(\Delta t)$  is the same, whether short or long signals, implying that our overlapping-ORS approach for short signals does not affect the performance of ACK message decoding.
- Given  $\sigma^2$ ,  $P_{C3}(\Delta t)$  decrease as  $|\Delta t|$  is close to 0 or 0.5 $\mu s$ . We explain the reason for the case of  $|\Delta t|$  being close to 0. As shown in Figs. 7(d') and (e') in the main file, when  $|\Delta t| \approx 0$ , we have  $(C^I, C^Q) \approx (0, -1)$ , where  $C^I$  and  $C^Q$  are the in-phase and quadrature components of the sampling instance C, respectively. In the presence of noise, with probability 0.5, C might appear in quadrants 3 or 4, e.g., when  $(C^I, C^Q) \approx (-0.01, -0.99)$  or (+0.01, -0.99). Since sampling offsets are inherent in CTC,  $|\Delta t|$  is rarely close to 0. Thus,  $P_{C3}(\Delta t)$  of GOP-ACK is high in general.

Lastly, in Figs. IV-VI, the close match between the theoretical and simulation curves manifests that our performance model is very accurate.

#### F.2 Comparison with the state of the art

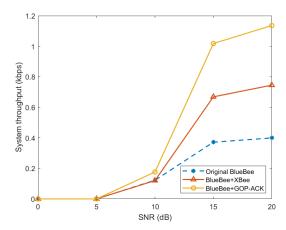


Fig. VIII. ZigBee-to-BLE throughput of the original BlueBee system, the Blue-Bee+GOP-ACK system, and the BlueBee+XBee system under dif-ferent SNRs.

Consider CTC communications between BLE and ZigBee. We compare three schemes in terms of system throughput:

- BlueBee [20]: BLE adopts the famous CTC design in [20] for BLE-to-ZigBee transmissions without ACK feedback and it repeatedly transmits each data 20 times to ensure one reliable reception.
- BlueBee+XBee: BLE adopts BlueBee for BLE-to-ZigBee transmissions while ZigBee adopts another famous XBee CTC design [21] for transmitting ZigBee MAC-layer ACK packet as feedback.
- BlueBee+GOP-ACK: BLE adopts BlueBee for BLE-to-ZigBee transmissions while ZigBee adopts our ZigBee-to-BLE design for ACK feedback.

In our simulation, for each simulation run, BLE sends 50,000 ZigBee packets, each consisting of a 32-bit preamble and a payload of 25 bytes (which is the typical payload length for ZigBee communications [1]). In each transmission, we set  $\Delta \hat{\varphi}_{th} = 0.6$ ,  $\hat{N}_{ORP}^{th} = 10$ , and M = 16 for BlueBee+GOP-ACK and assume a random sampling offset  $\Delta t$  that is uniformly distributed in  $[-0.5\mu s, 0.5\mu s]$ .

Fig. VIII plots the system throughput of the original BlueBee scheme, BlueBee+GOP-ACK, and BlueBee+XBee, when SNR varies from 0dB to 20dB. From this Figure, we can see that the system throughput of each scheme increases as SNR increases. In addition, when  $SNR \ge 10dB$ , BlueBee+GOP-ACK and BlueBee+XBee outperform the original BlueBee scheme because a BLE sender in the former two schemes only performs necessary retransmissions and hence avoids bandwidth waste. BlueBee+GOP-ACK outperforms BlueBee+XBee by 46.67-52.48%, manifesting that GOP-ACK is more efficient and robust than XBee.

#### Appendix G. Biographies



**Shumin Yao** received his Ph.D. and MS degrees from Macau University of Science and Technology, Macau, China, in 2022 and 2018, respectively, and his BS degree from Beijing Institute of Technology, Zhuhai, China, in 2016. He is currently a Postdoctoral researcher in Peng Cheng Laboratory, Shenzhen, China. His interests include semantic communication, cross-technology communication, wireless LAN, and Internet of Things.



Qinglin Zhao received his Ph.D. degree from the Institute of Computing Technology, the Chinese Academy of Sciences, Beijing, China, in 2005. From May 2005 to August 2009, he worked as a postdoctoral researcher at the Chinese University of Hong Kong and the Hong Kong University of Science and Technology. Since September 2009, he has been with the School of Computer Science and Engineering at Macau University of Science and Technology and now he is a professor. He serves as an associate editor of IEEE Transactions on Mobile Computing and IET Communications. His research interests include blockchain and decentralization computing, machine learning and its applications, Internet of Things, wireless communications and networking, cloud/fog computing,

software-defined wireless networking.



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