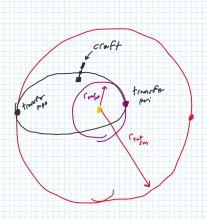
QI

a) find total DV for transfer

/ su = 1.3271.10" kn//s= ladius of mercury: 2440.5 km $\mu_{sun} = 1.3271 \cdot 10^{11} \text{ km}/s^{2}$ Condits of mercury: 2440.5 km $\mu_{sun} = 2.2032 \cdot 10^{4} \text{ km}^{2}/s^{2}$ Condits of satistic: 60,268 km $\mu_{sun} = 1.2671 \cdot 10^{8} \text{ km}^{2}/s^{2}$ $\mu_{sun} = 1.2671 \cdot 10^{8} \text{ km}^{2}/s^{2}$ $\mu_{sun} = 1.4985 \cdot 10^{20} \text{ kg}$ $\mu_{sun} = 3.3010 \cdot 10^{23} \text{ kg}$ $\mu_{sun} = 3.3010 \cdot 10^{23} \text{ kg}$ $\mu_{sun} = 1.32.041 \cdot 10^{6} \text{ km}$ $\mu_{sun} = 3.3010 \cdot 10^{23} \text{ kg}$ $\mu_{sun} = 1.32.041 \cdot 10^{6} \text{ km}$ $\mu_{sun} = 3.3010 \cdot 10^{23} \text{ kg}$ $\mu_{sun} = 1.32.041 \cdot 10^{6} \text{ kg}$ $\mu_{sun} = 1.32.041 \cdot 10^{6} \text{ kg}$ $\mu_{sun} = 1.32.041 \cdot 10^{6} \text{ kg}$ M sut = 5.6632.1026 kg

Confour = 400 km + planet codist = 2,840.5 km

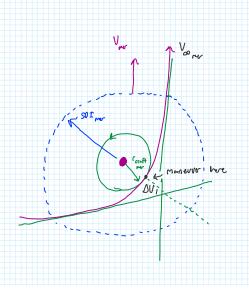
Croft = [0000 km + planet radius = 70,268 km



$$\begin{array}{c} \cdot \text{ V}_{transfer} = \sqrt{2\left(\frac{M_{sun}}{C_{rev}_{sun}} - \frac{M_{sun}}{C_{rev}_{sun}} + C_{sus}_{sun}\right)} = \sqrt{2\left(\frac{1.3271 \cdot 10^{11}}{57.909 \cdot 10^6} - \frac{1.3271 \cdot 10^{11}}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6))}\right)} = 66.3726 \text{ ker/s} \\ \cdot \text{ V}_{transfer} = \sqrt{2\left(\frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{(C_{rus} + C_{sus}_{sun})}\right)} = \sqrt{2\left(\frac{1.3271 \cdot 10^{11}}{(432.041 \cdot 10^6} - \frac{1.3271 \cdot 10^{11}}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6))}\right)} = 2.6840 \text{ ker/s} \\ - \sqrt{2\left(\frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}}\right)} = \sqrt{2\left(\frac{1.3271 \cdot 10^{11}}{(432.041 \cdot 10^6} - \frac{1.3271 \cdot 10^{11}}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6))}\right)} = 2.6840 \text{ ker/s} \\ - \sqrt{2\left(\frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}}\right)} = \sqrt{2\left(\frac{1.3271 \cdot 10^{11}}{(432.041 \cdot 10^6} - \frac{1.3271 \cdot 10^{11}}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6))}\right)} = 2.6840 \text{ ker/s} \\ - \sqrt{2\left(\frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}}\right)} = \sqrt{2\left(\frac{1.3271 \cdot 10^{11}}{(432.041 \cdot 10^6} - \frac{1.3271 \cdot 10^{11}}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6))}\right)} = 2.6840 \text{ ker/s} \\ - \sqrt{2\left(\frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}}\right)}\right)} = \sqrt{2\left(\frac{1.3271 \cdot 10^{11}}{(432.041 \cdot 10^6} - \frac{1.3271 \cdot 10^{11}}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6)}\right)}\right)} = \sqrt{2\left(\frac{M_{sun}}{C_{sus}} + \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}}\right)}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6)})}} = \sqrt{2\left(\frac{M_{sun}}{C_{sus}} + \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{C_{sus}}\right)}{(57.909 \cdot 10^6 + (432.041 \cdot 10^6)}}\right)} = \sqrt{2\left(\frac{M_{sun}}{C_{sus}} + \frac{M_{sun}}{C_{sus}} - \frac{M_{sun}}{$$

· NOW 2000 in on mercury:

$$V_{\text{hypholor}} = \sqrt{2\left(\frac{\mu_{\text{nur}}}{\sigma_{\text{nur}}} + \frac{V_{\text{obs}}^{2}}{2}\right)} = \sqrt{2\left(\frac{2.2032.10^{4}}{2840.5} + \frac{(18.506)^{2}}{2}\right)} = \sqrt{8.9152 \text{ km/s}}$$



• SO I mer =
$$\binom{r_{mr}}{r_{syn}}^{2/s} = 57.909.10^{6} \left(\frac{5.3010.10^{25}}{1.9485.10^{30}}\right)^{2/5} =$$

The assuming circ orbit, one = $\binom{r_{mr}}{r_{mr}}$

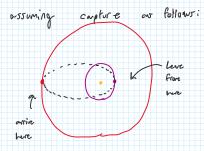
· now zoom in on saturn:

* ASSLMING periapsits of hyperbola Is SAME AS PAPHENG ORBIT!!

$$V_{hyperbola} = \sqrt{2\left(\frac{\mu_{sh}t}{c_{creft}} + \frac{V_{as}}{z}\right)} = \sqrt{2\left(\frac{1.2671 \cdot 10^{2}}{70268} + \frac{(6.4427)^{2}}{Z}\right)} = 60.4546 \text{ km/s}$$

$$. SOI_{s \rightarrow t} = \left(\frac{M_{s \rightarrow t}}{M_{s \rightarrow 0}}\right)^{2/5} = \left(\frac{5.6832 \cdot 10^{26}}{19985 \cdot 10^{50}}\right) = \underbrace{\left(\frac{5.6832 \cdot 10^{26}}{19985 \cdot 10^{50}}\right)}_{5.4640 \cdot 10^{7} \text{ km}}$$

· FIND TOF :



in we can assure an allipse during believering transfer:

$$r_0 = r_{out}$$
 $g = \frac{r_0 + r_{out}}{z} = 7.44975.10^8$

$$(r_p = a(1-e)) = \frac{r_p}{a} = 1-e$$
 $e = 1-\frac{r_p}{a} = \frac{r_{min}}{a} = 0.9223$

E=180° * assuming instant capture

$$t - T : \sqrt{\frac{\kappa^{3}}{\mu_{sm}}} \left(E - e \sin(E) \right)$$

$$+ = \sqrt{\frac{(7.44975 \cdot 10^{4})^{3}}{1.3271 \cdot 10^{8}}} \left(\pi - 0.422 \beta \sin(\pi) \right)$$

