

# QUANTUM COMMUNICATION

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Communication

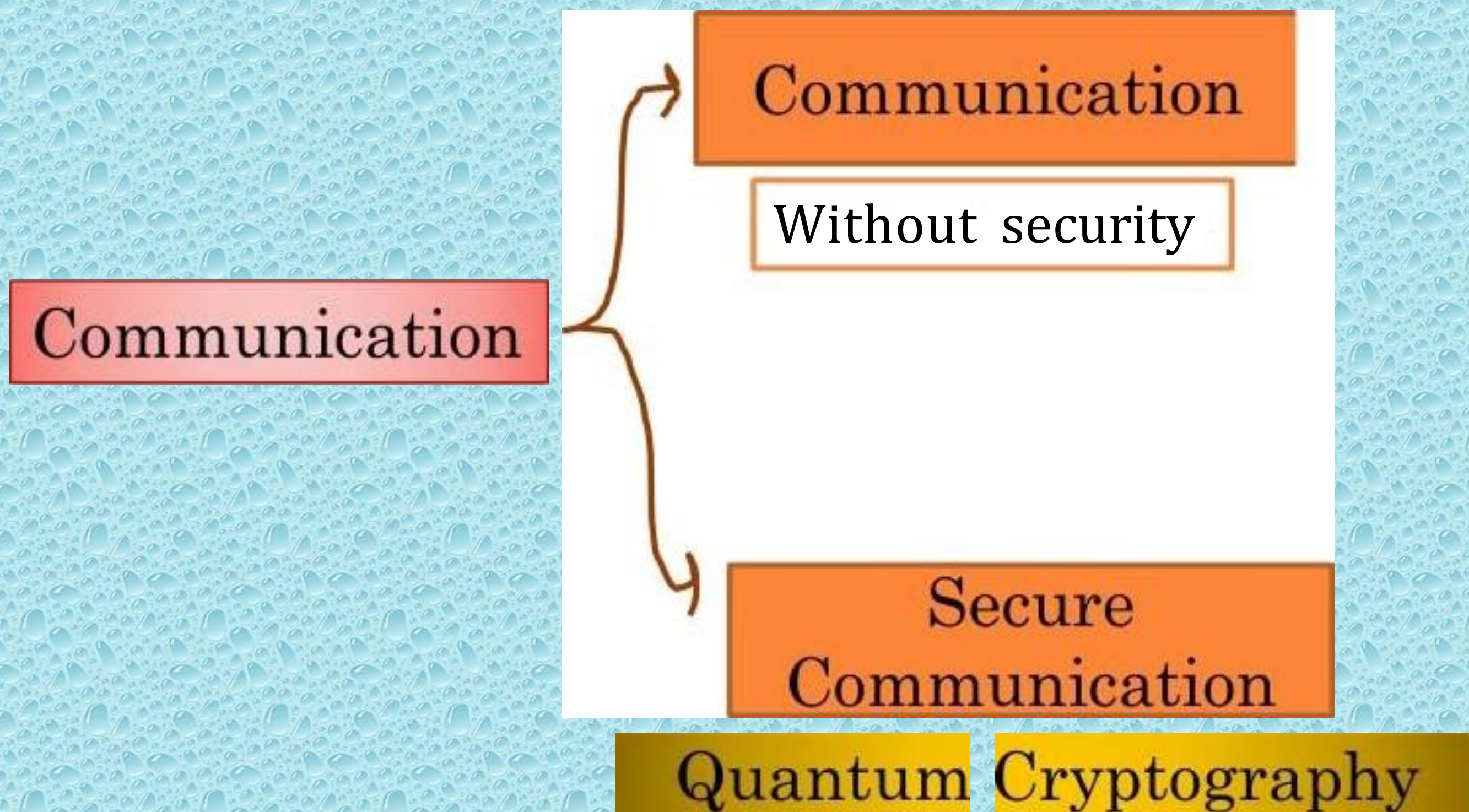


Communication

Without security

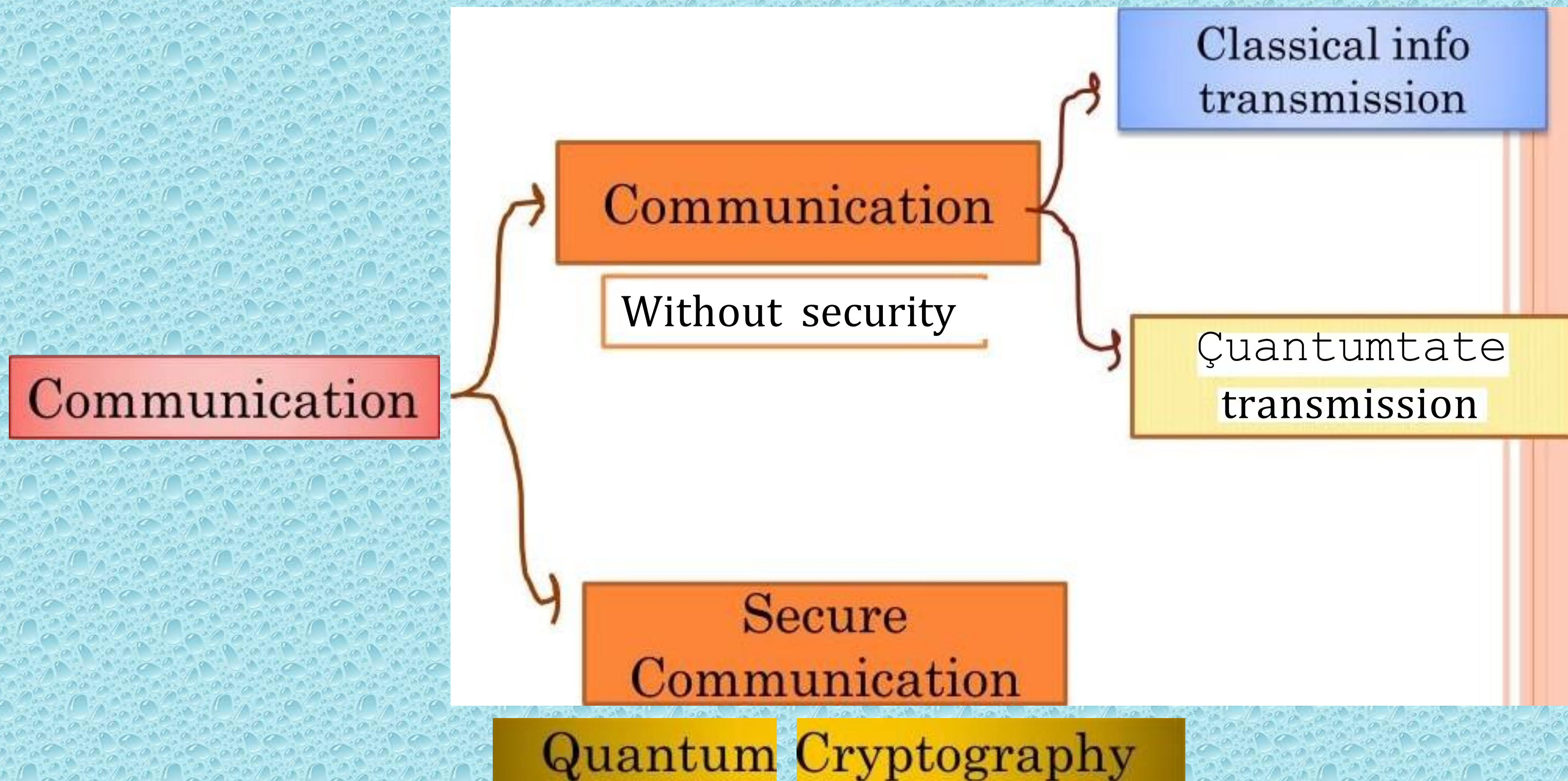


# OUTLINE



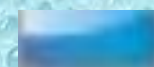
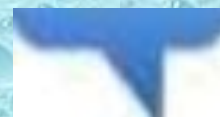
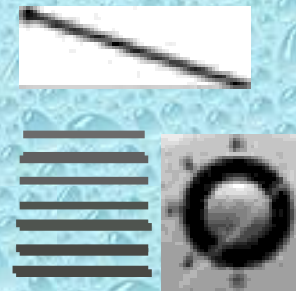
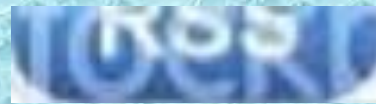


# OUTLINE





# COMMUNICATION





# WHAT IS COMMUNICATION?

# WHAT IS COMMUNICATION?

At least 2 parties

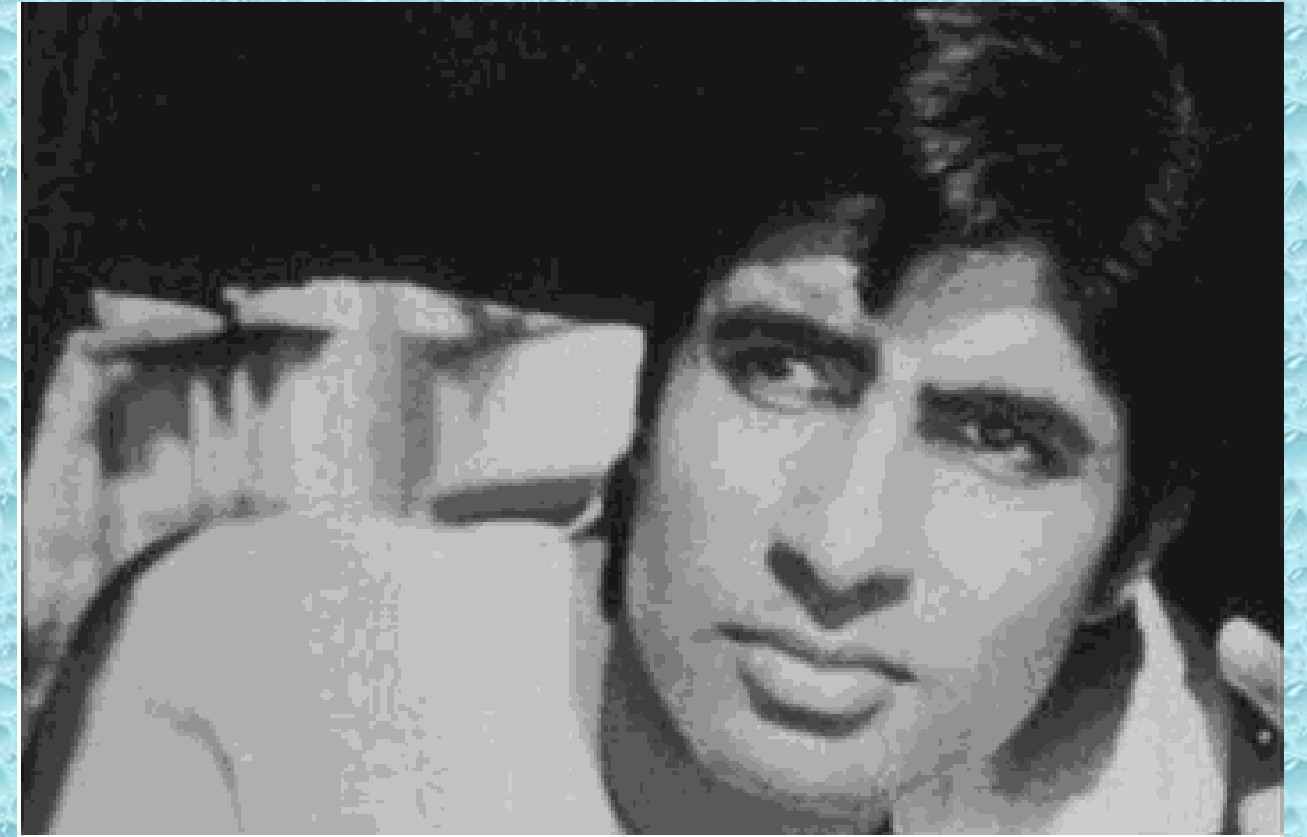


# WHAT IS COMMUNICATION?

At least 2 parties



Sender



Receiver



# WHAT IS COMMUNICATION?

At least 2 parties



Sender  
Alice



Receiver  
Bob



# WHAT IS COMMUNICATION?

At least 2 parties



Sender  
Alice



Receiver  
Bob

a process by which  
'nformation is sent by a sender to a rece'ver  
via some medium



# WHAT IS COMMUNICATION ?

Alice (Encoder) encode  $s$



Sends



Bob (Decoder)  
receive  $s$  & decode  $s$

# WHAT IS COMMUNICATION?

Information is physical

--Landauer



# WHAT IS COMMUNICATION?

Information's physical

---Landauer

information must be encoded in, and decoded from a physical system.

# WHAT IS COMMUNICATION?

Information's physical

---Landauer

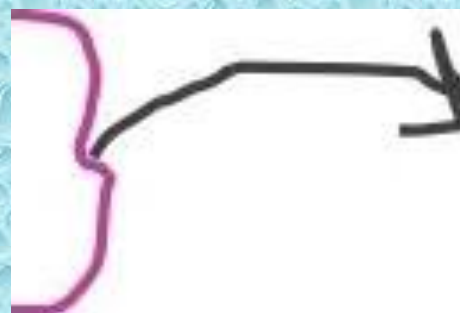
information must be encoded in, and decoded from a physical system.

Classical World

encoding/decoding

red-green balls,

sign of charge of a particle.



Only orthogonal states



# WHAT IS COMMUNICATION ?

Information 's phys'cal

---Landauer

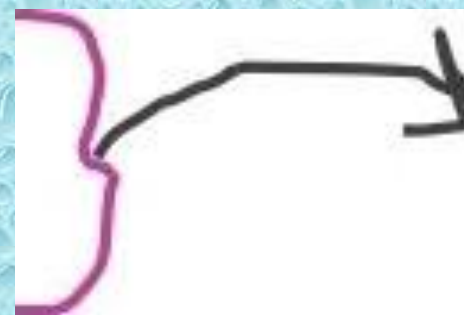
information must be encoded in, and decoded from a physical system.

Classical World

encoding/decoding

red-cmcm balls,

sign of charge of a particle.



Only orthogonal states

Quantum World Nonorthogonal states



# WHAT IS COMMUNICATION?

Information is physical

---Landauer

Do quantum states advantageous?



# **Classical Information Transmission via Quantum States**

## **Part 1**



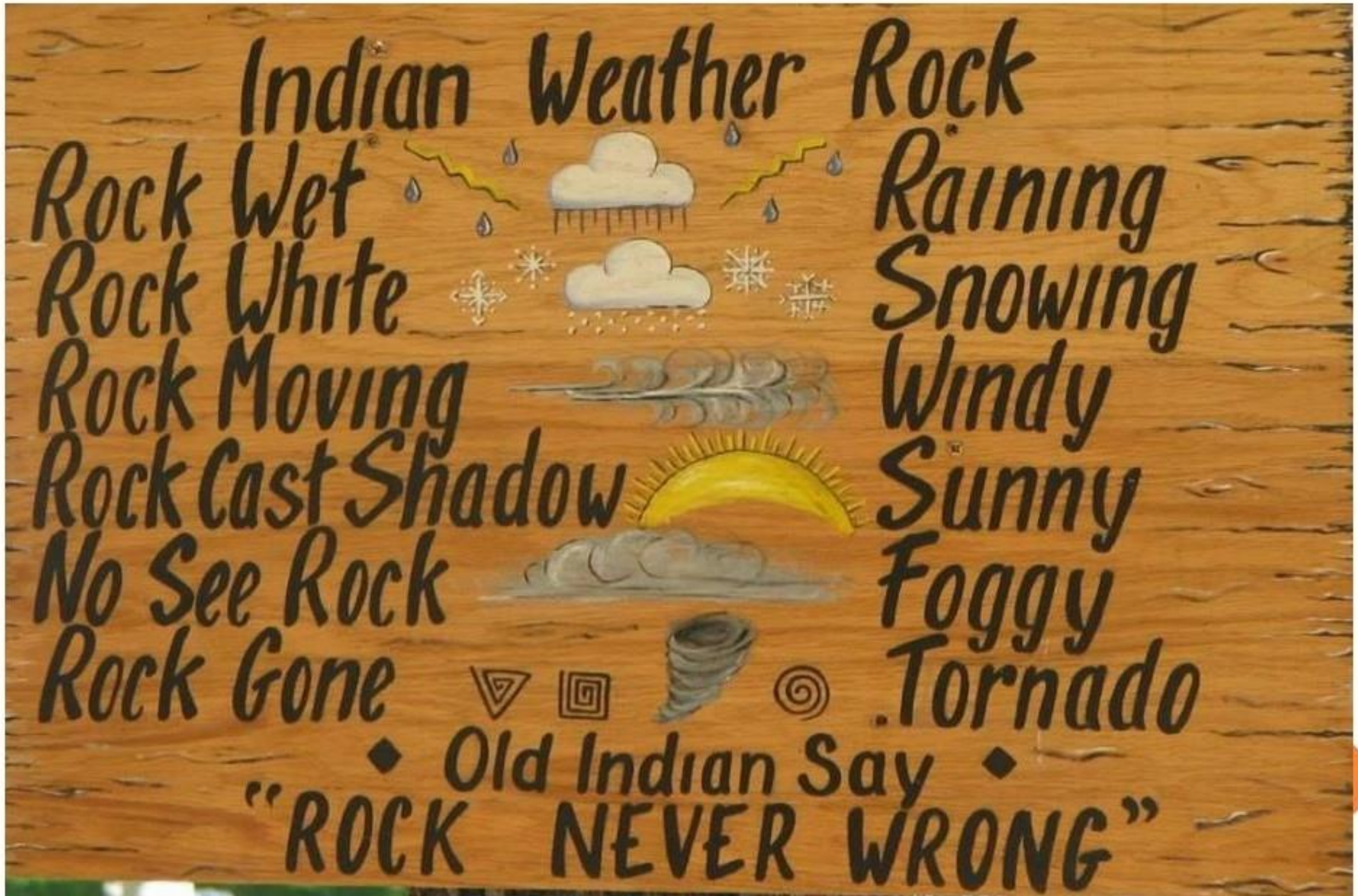
# Quantum Dense Coding

Bennett & Wiesner, PRL 1992





# CLASSICAL PROTOCOL





# CLASSICAL PROTOCOL



Sunny



# CLASSICAL PROTOCOL



Sunny



Windy



# CLASSICAL PROTOCOL

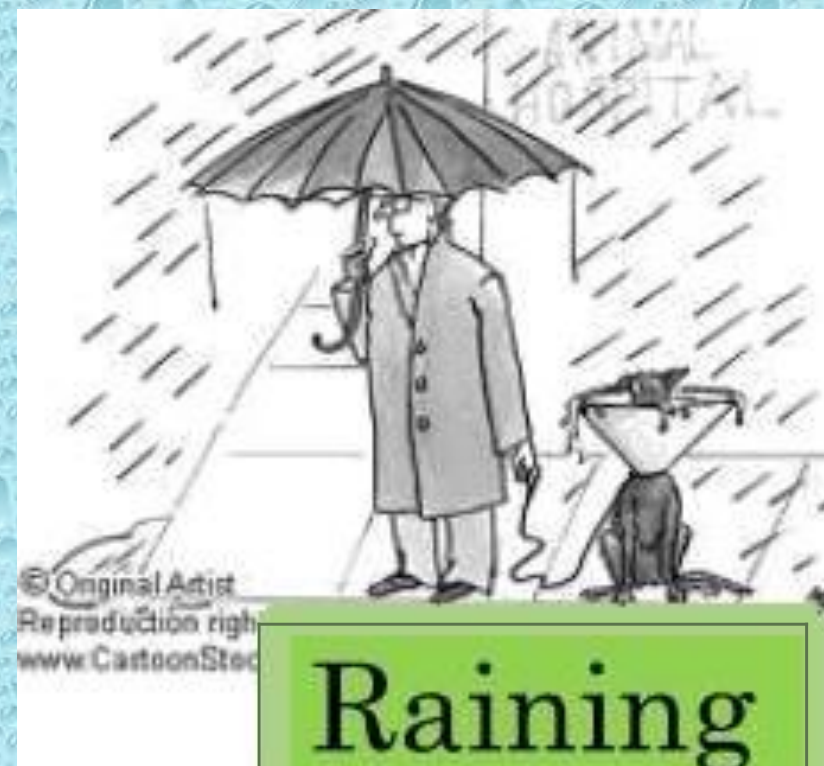
Sunny



Snowing



Windy



Raining



# CLASSICAL PROTOCOL

Sunny



Snowing



Windy





# CLASSICAL PROTOCOL

Sunny

2 bits



Snowing



Raining



# CLASSICAL PROTOCOL

funny

2 bits

Classical computer unit:

Bit = one of  $\{0, 1\}$



# CLASSICAL PROTOCOL

Alice

Bob

Message

Encoding

Decoding

Sunny

00



Sending

Snowing

01



Distinguishable  
by color

Windy

10



Raining

11





# CLASSICAL PROTOCOL

Alice

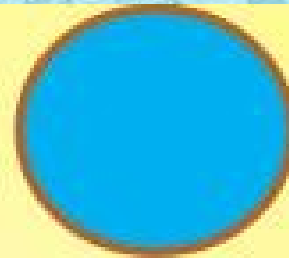
Bob

Message

Encoding

Decoding

Sunny



2 bits



4 dimension

by color

Windy



Raining





What abt Quantum?





# QUANTUM PROTOCOL

Alice

Bob

Message

Sunny



Snowing

$$|\psi^-\rangle = \frac{1}{\sqrt{2}} (|\uparrow\rangle \otimes |\downarrow\rangle - |\downarrow\rangle \otimes |\uparrow\rangle)$$

Windy

Ringlet state

Raining



Alice

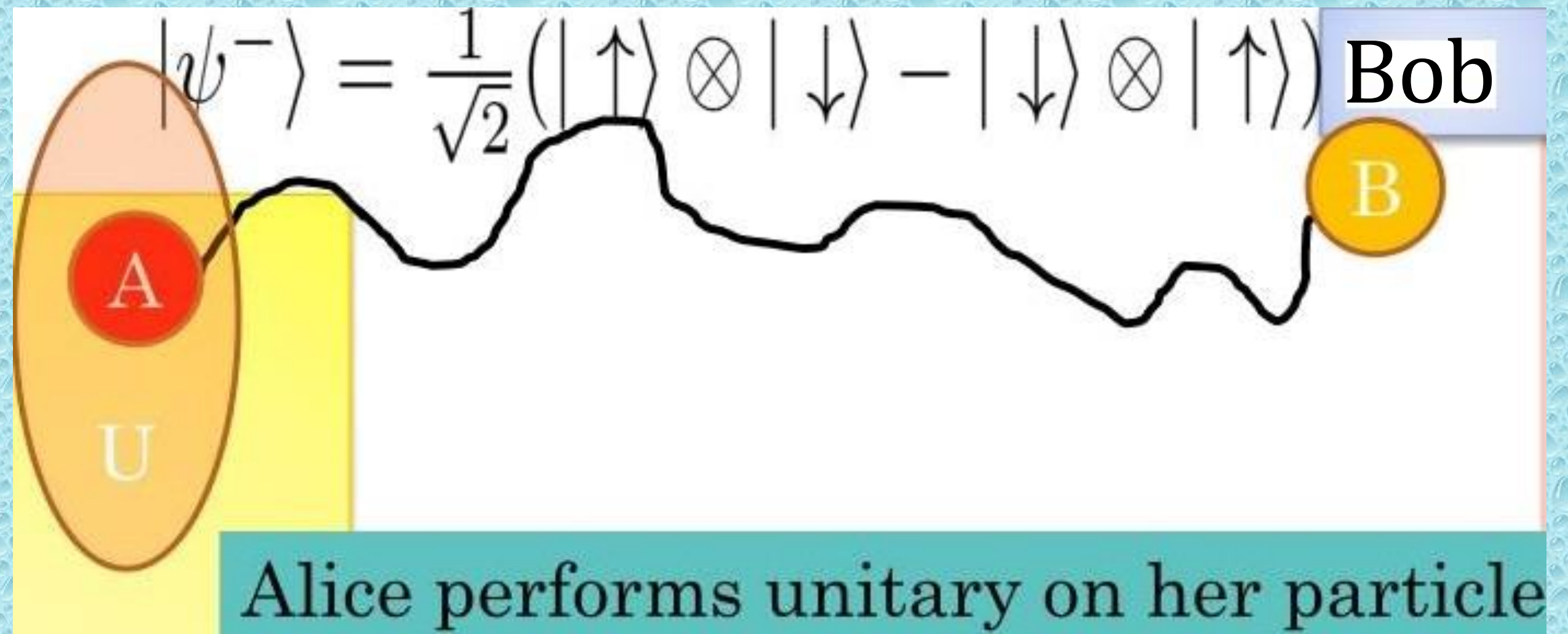
Message

Sunny

Snowing

Windy

Raining



I

$\sigma_z$

$\sigma_x$

$\sigma_y$



Alice

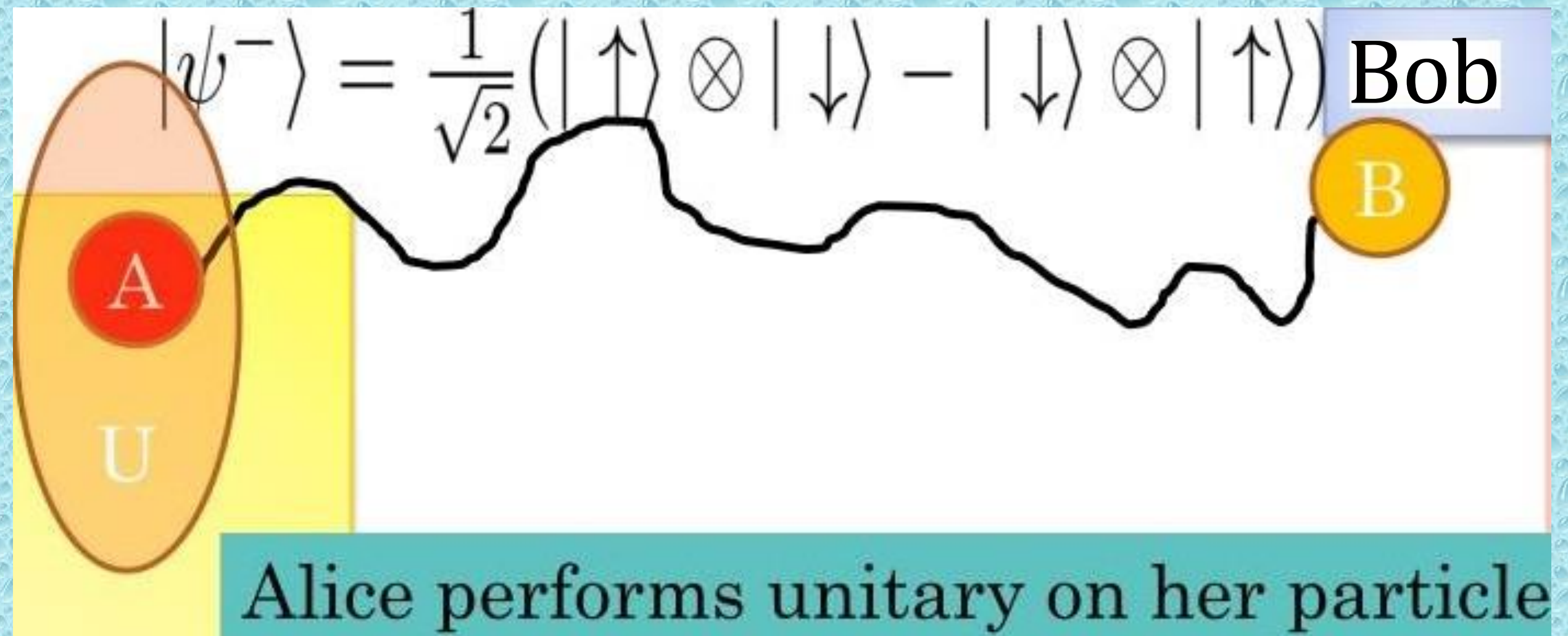
Message

Sunny

Snowing

Windy

Raining



I

$\sigma_z$

Creates 4 orthogonal states

Singlet, Triplets

$\sigma_x$

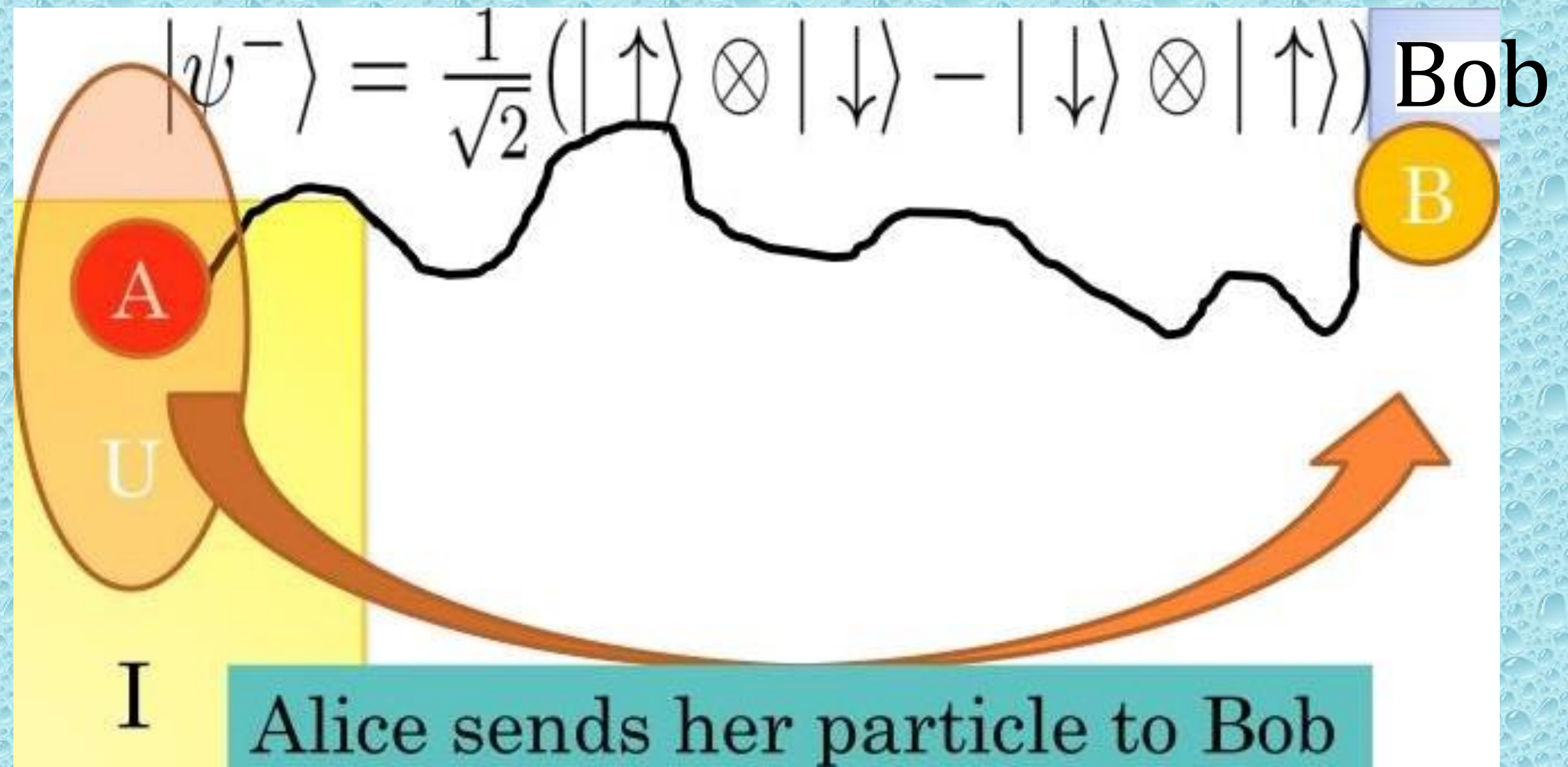
$\sigma_y$



Alice

Message

Sunny



Snowing

$\sigma_z$

Windy

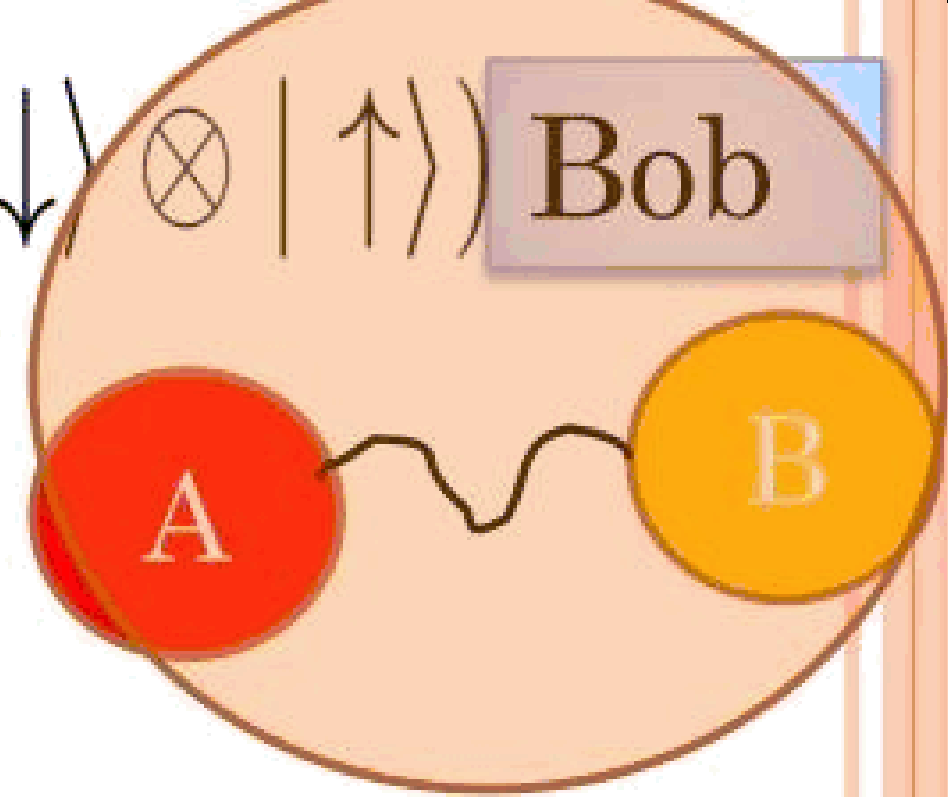
$\sigma_x$

Raining

$\sigma_y$



Alice

$$|\psi^-\rangle = \frac{1}{\sqrt{2}} (| \downarrow \rangle \otimes | \uparrow \rangle - | \uparrow \rangle \otimes | \downarrow \rangle)$$
A diagram of a person's head in profile, facing right. The head is light orange. Inside the head, there are two circular regions labeled 'A' (red) and 'B' (yellow), connected by a wavy line. Above the head, there is a rectangular box divided into two sections. The left section is white and contains a downward arrow. The right section is white and contains an upward arrow. To the right of the head, there is a rectangular box labeled 'Bob'.

Message

Sunny

I

Bob has 2 particles:

one of the triplets or singlet

Snowing

$\sigma_z$

Windy

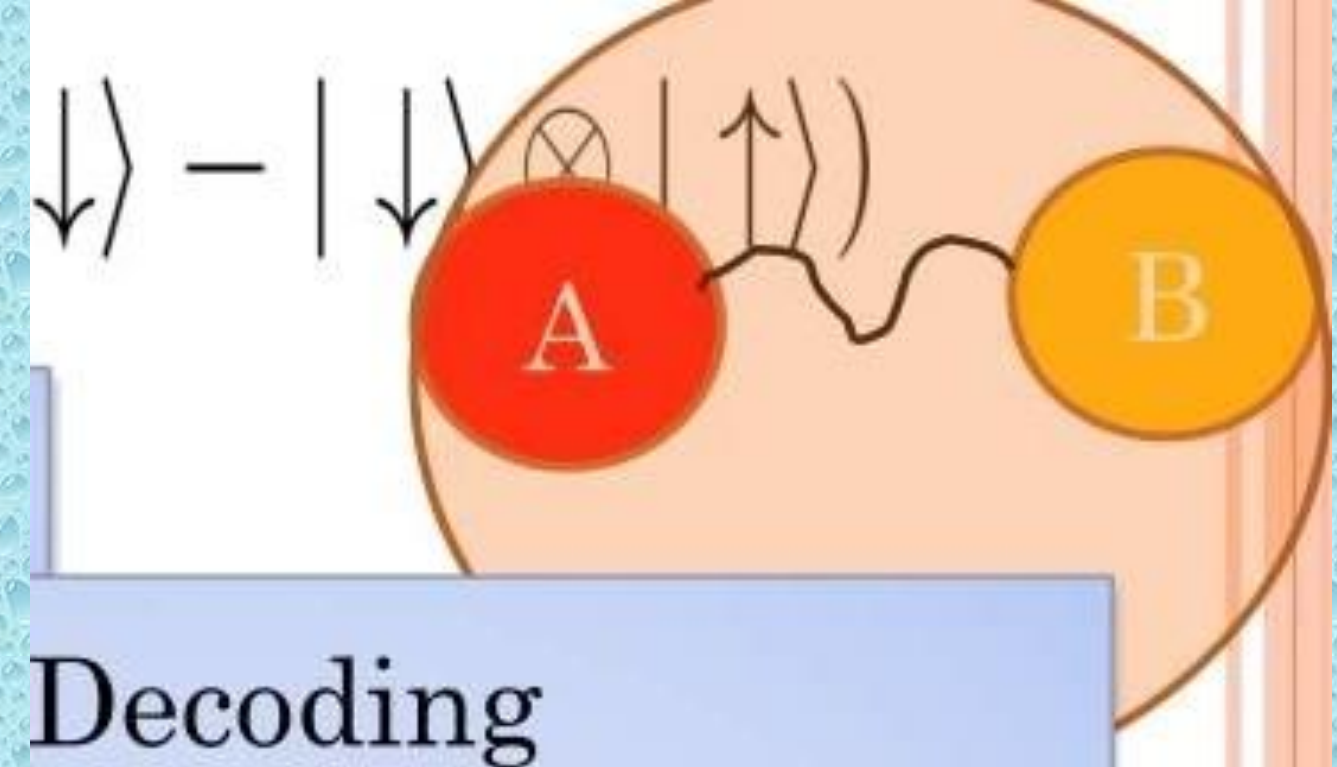
$\sigma_x$

Raining

$\sigma_y$



$$|\psi^-\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle \otimes |\downarrow\rangle - |\downarrow\rangle \otimes |\uparrow\rangle)$$



Alice

Bob

Message

Sunny

I

Snowing

$\sigma_z$

4 orthogonal states  
Possible to distinguish

Windy

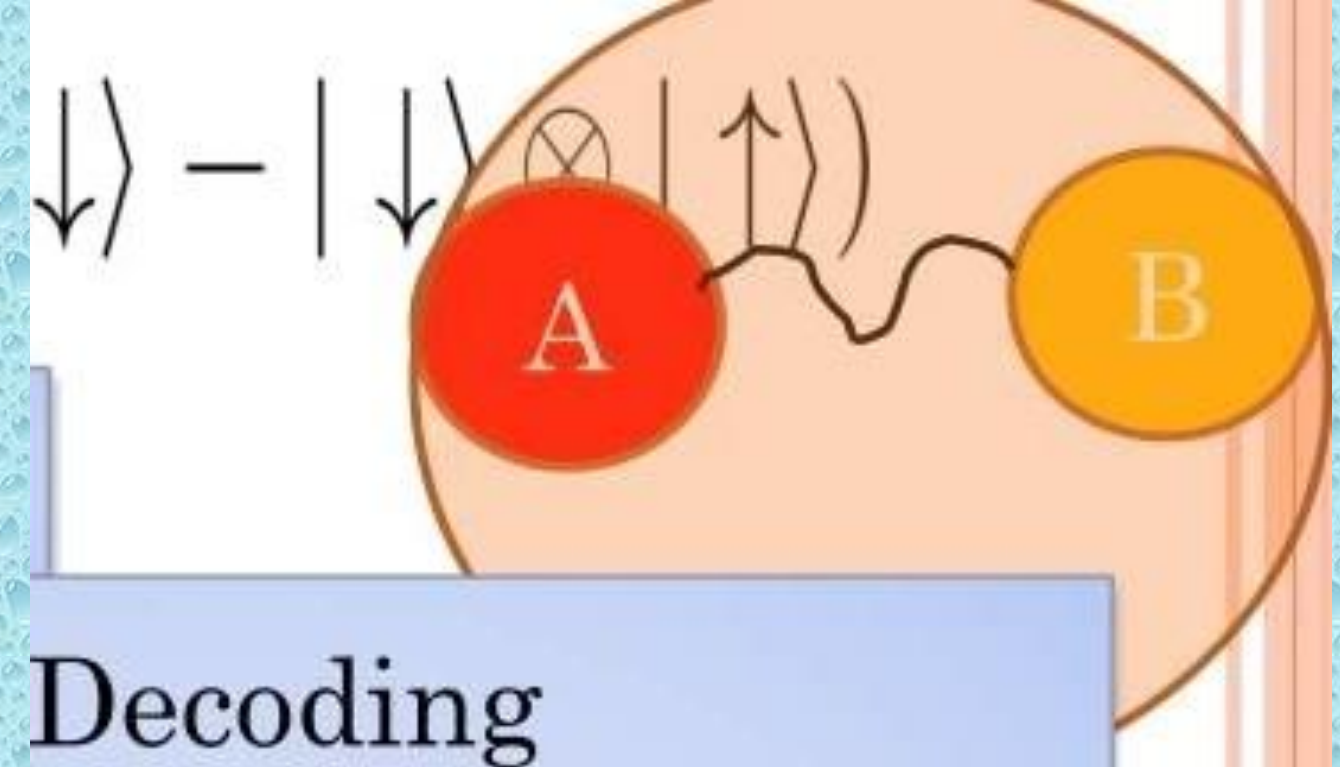
$\sigma_x$

Raining

$\sigma_y$



$$|\psi^-\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle \otimes |\downarrow\rangle - |\downarrow\rangle \otimes |\uparrow\rangle)$$



Alice

Bob

Message

Sunny

I

Snowing

$\sigma_z$

Windy

$\sigma_x$

Raining

$\sigma_y$

4 orthogonal states  
Possible to distinguish

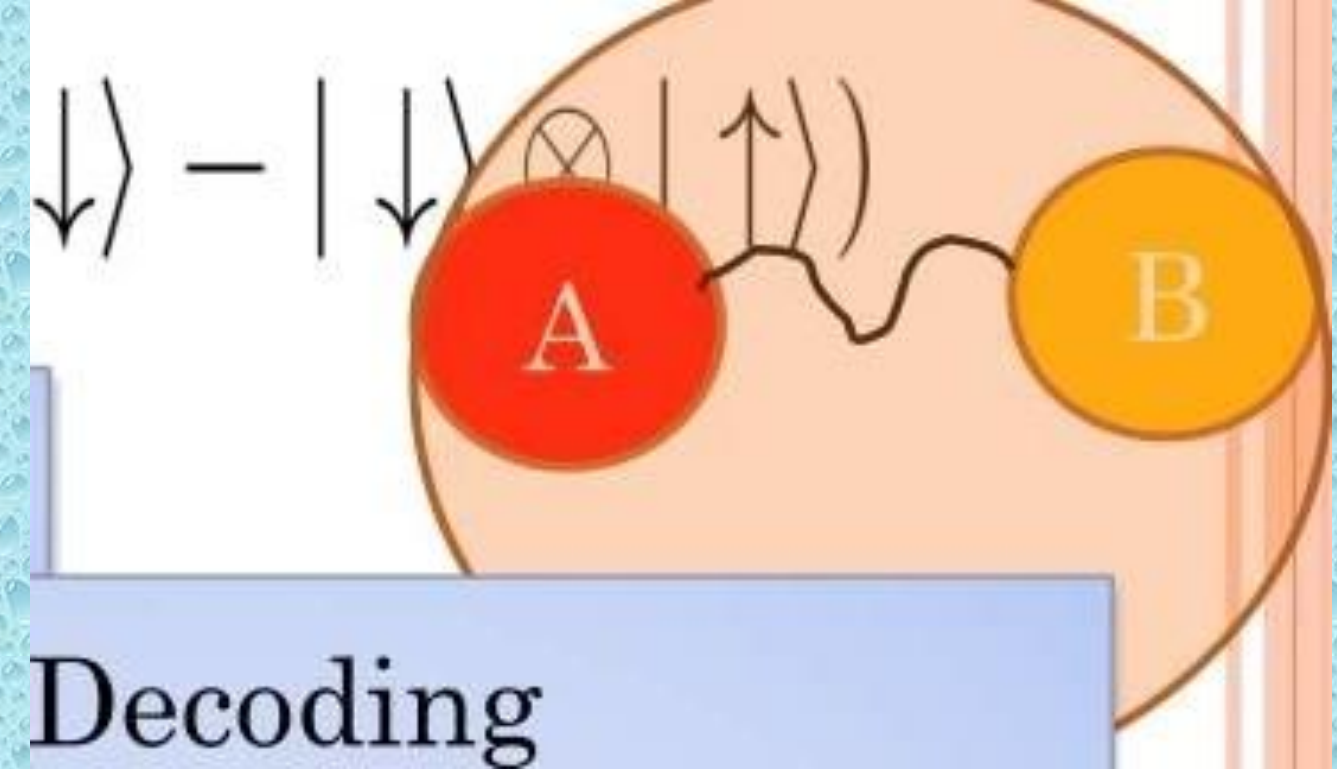
Decodes message



$$|\psi^-\rangle = \frac{1}{\sqrt{2}} (|\uparrow\rangle \otimes |\downarrow\rangle - |\downarrow\rangle \otimes |\uparrow\rangle)$$

Alice

Bob



Message

Sunny

I

2 bits



2 dimension

Possible to distinguish

Windy

$\sigma_x$

Raining

$\sigma_y$



# MORAL

Classical

Vs.

Quantum

Task: sending 2 bits

Encoding: 4 Dimensions

Encoding: 2 Dimensions



# MORAL



Classical

Vs.

Quantum

Task: sending 2 bits

Encoding: 4 Dimensions

Encoding: 2 Dimensions

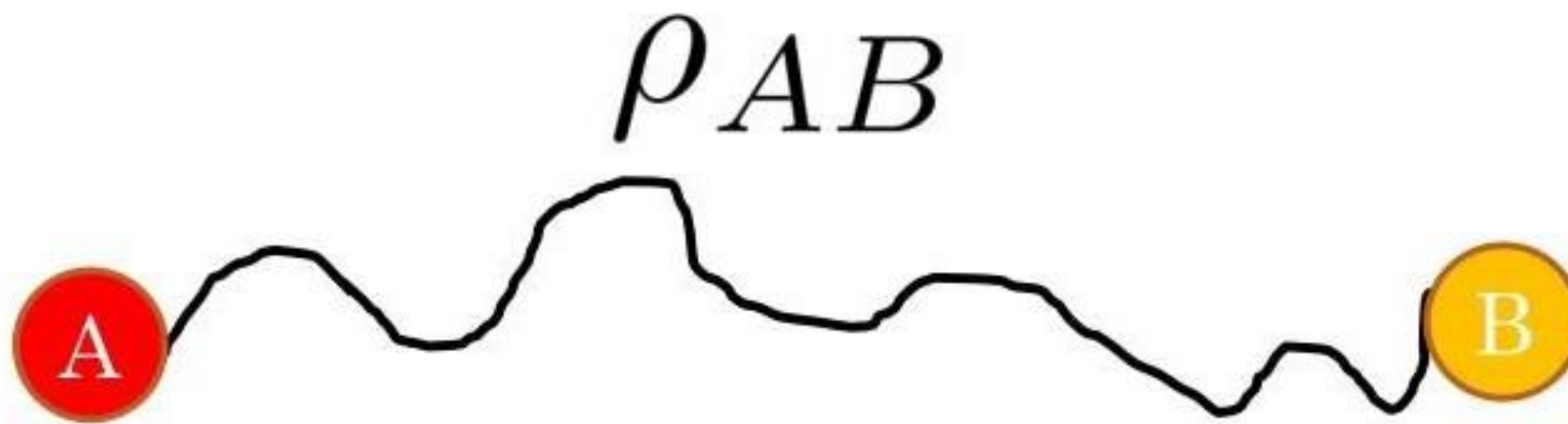
*Bennett & Weisner, PRL 69, 2881 ('92).*



# **DENSE CODING FOR ARBITRARY STATE**

**Hiroshima, J. Phys. A '01;  
Ziman & Buzek, PRA '03,  
Bruss, D'Ariano, Lewenstein, Macchiavello, ASD, Sen,  
PRL' 04**



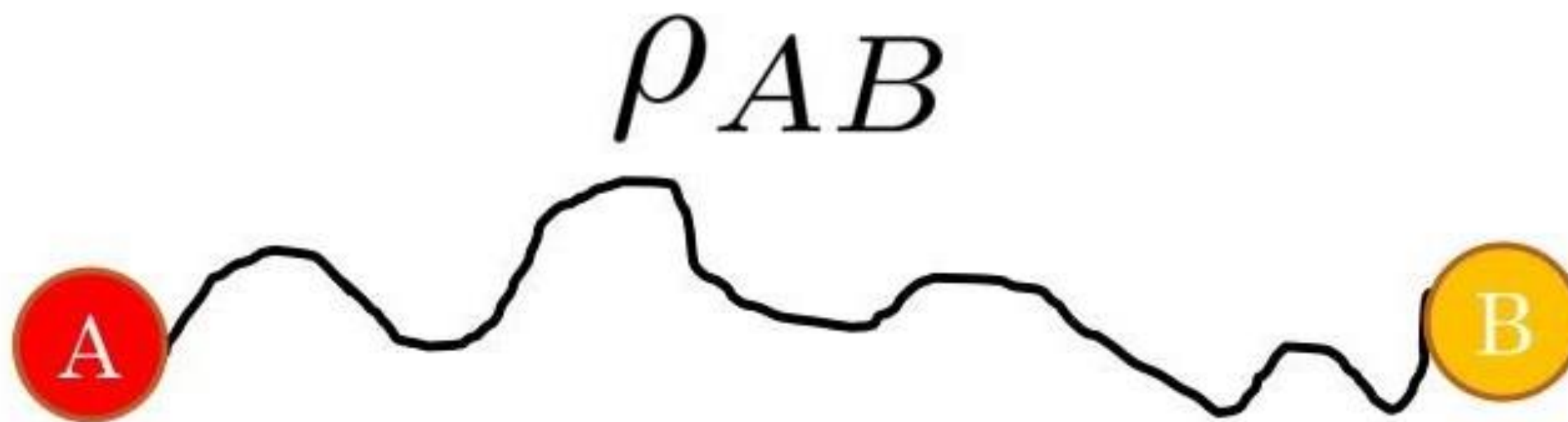


Alice & Bob share a state  $\rho_{AB}$





# Encoding



Alice's aim:  
to send classical info i





# Encoding



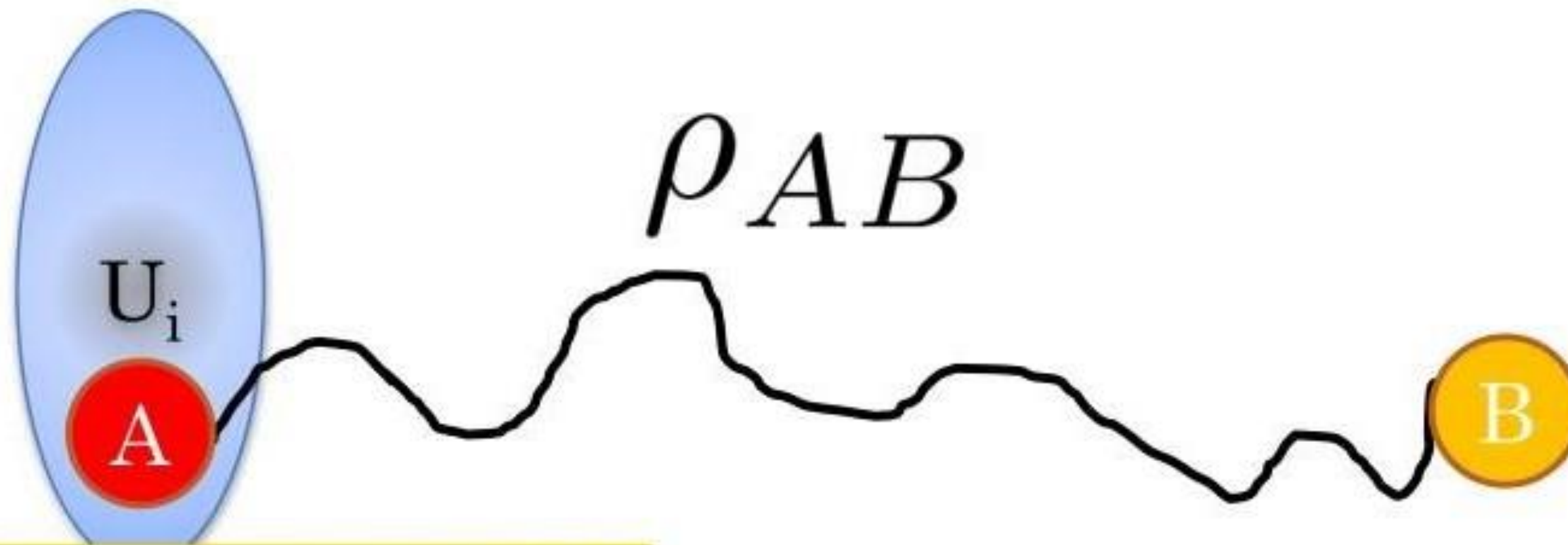
$$\rho_{AB}$$



Alice's aim:  
to send classical **info**  $i$   
which occurs with probability  **$p_i$**



# Encoding

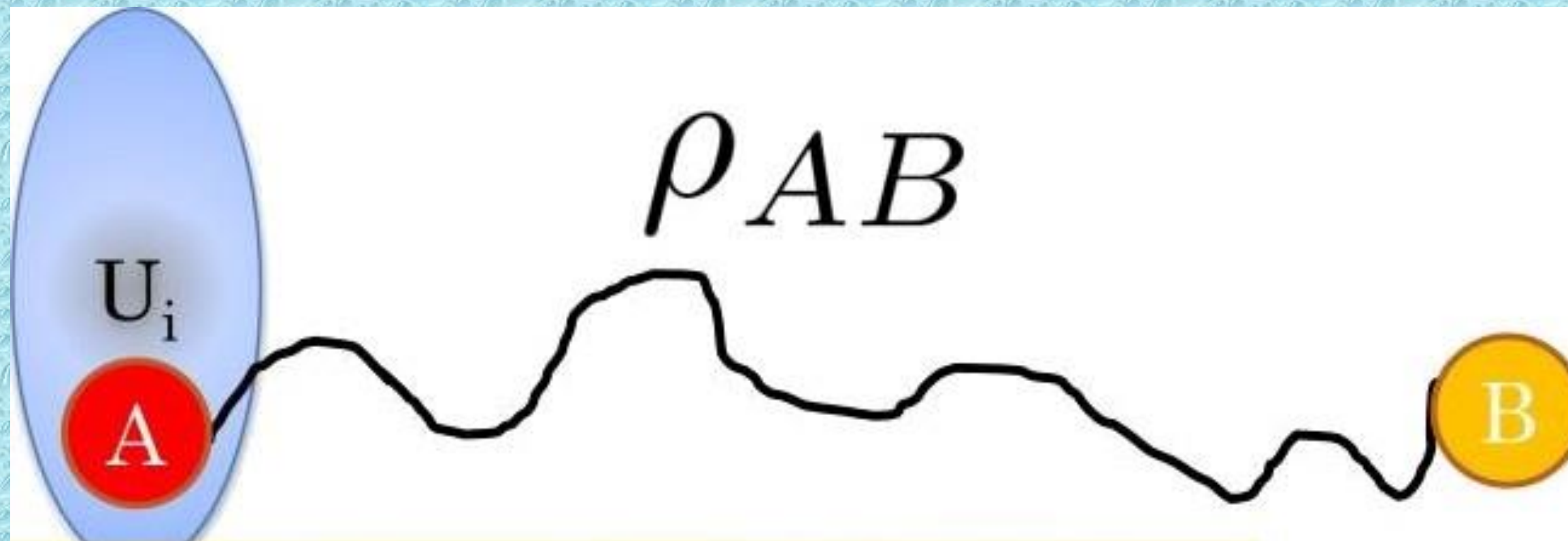


Alice performs  $p_i, U_i$





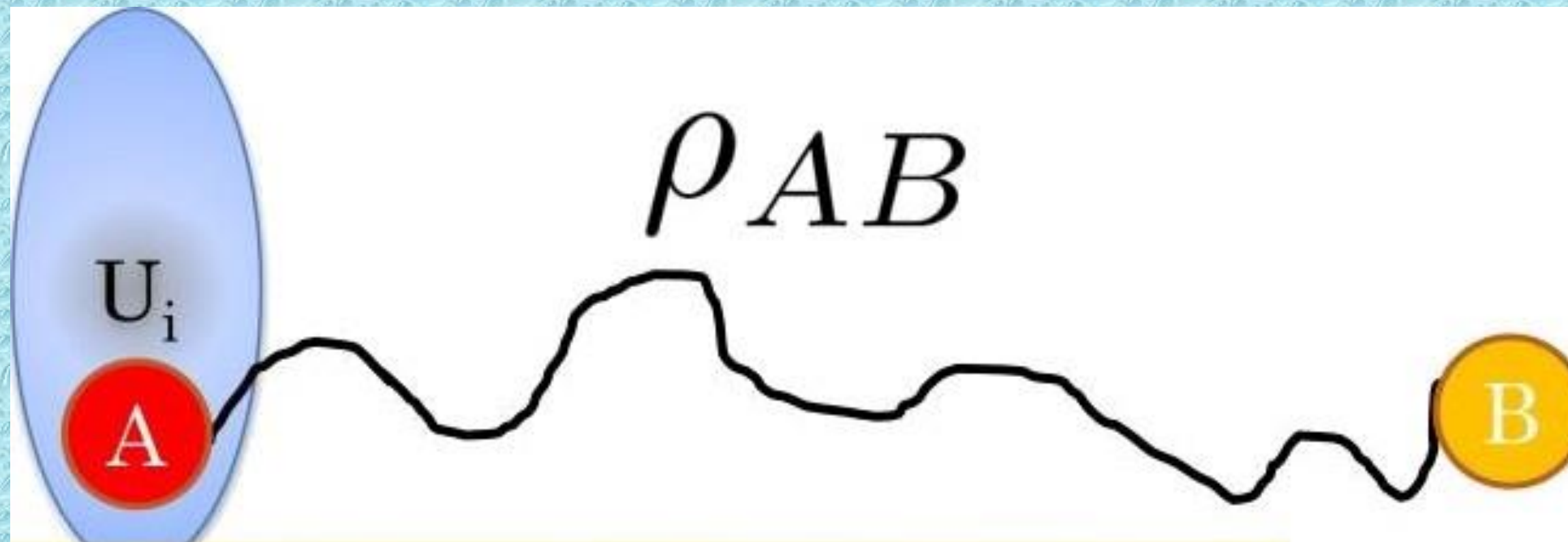
# Encoding



Alice performs  $p_i$   $U_i$   
she produces the ensemble  $\mathcal{E} = \{p_i, \rho_i\}$



# Encoding



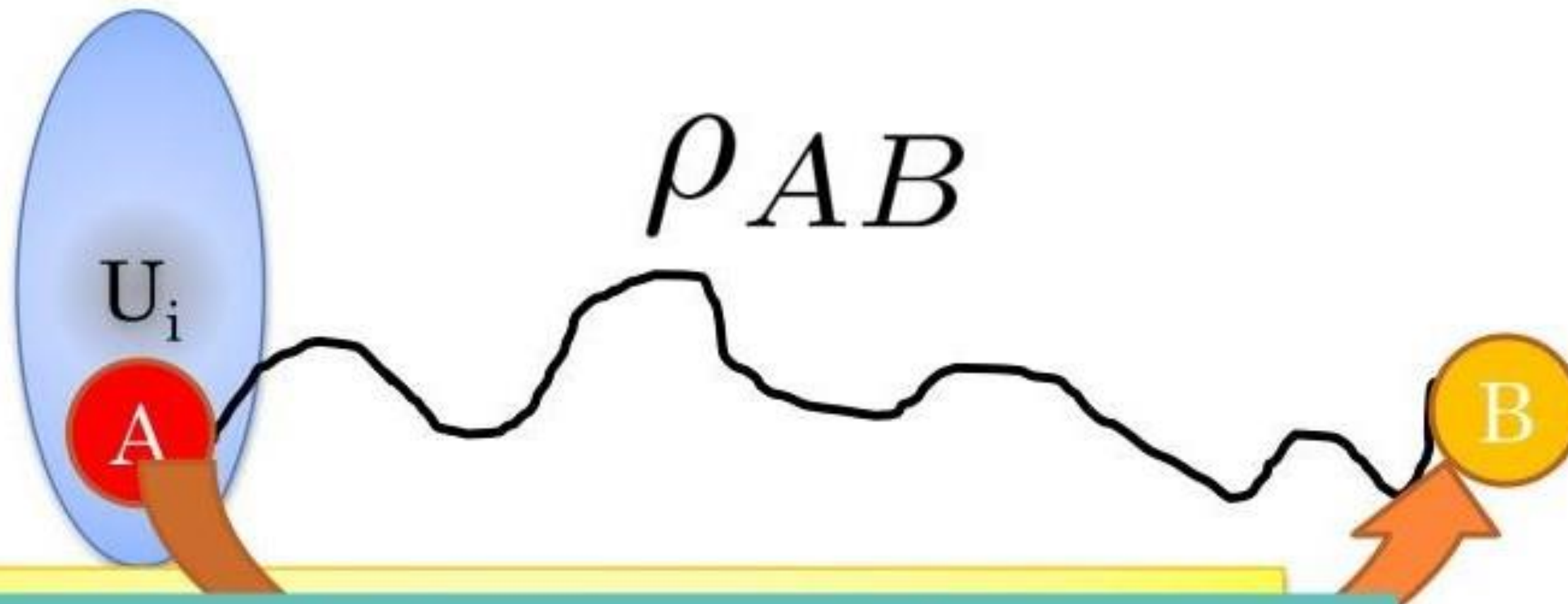
Alice performs  $p_i U_i$   
 she produces the ensemble  $\rho = \{p_i \rho_i\}$

---


$$\rho = \sum_i p_i U_i^A \otimes I^B \rho_{AB}(U_i^A) \otimes I^B$$



# Sending



Alice sends her particle to Bob





# Decoding



Alice

Bob



# Decoding

Alice



Bob's task:  
Gather info abt i



# Quantum Communication

- Quantum Communication enables secure information exchange using quantum mechanics principles.
- Keywords: Quantum Bits (Qubits), Quantum States, Information Security
- Unlike classical communication, quantum communication utilizes the properties of quantum mechanics, such as superposition and entanglement, to enhance security and efficiency.
- The Quantum Internet enables quantum devices to exchange information using quantum states such as qubits.
- Keywords: Quantum Signals, Qubits, Entanglement, Quantum Teleportation
- Difference from Classical Internet: Classical bits operate on binary values (0s and 1s), while quantum bits (qubits) can exist in a superposition of states, providing enhanced security and computational power.



# Quantum vs classical communication

## ➤ Conventional Communication Systems

- Transmitter sends data as a sequence of bits (0s and 1s).
- The bit sequence undergoes several processing steps before reaching the receiver.
- Transmission is based solely on bits.
- If any branch or interference occurs between the receiver and transmitter, it can be detected.

## ➤ Quantum Communication Systems

- Transmitter sends data as qubits.
- A single qubit can represent two bits of information.
- In general,  $n$  qubits can represent  $2^n$  bits of information.
- The presence of branches or interference between the receiver and transmitter cannot be detected due to:
  - Entangled particles.
  - Quantum states.



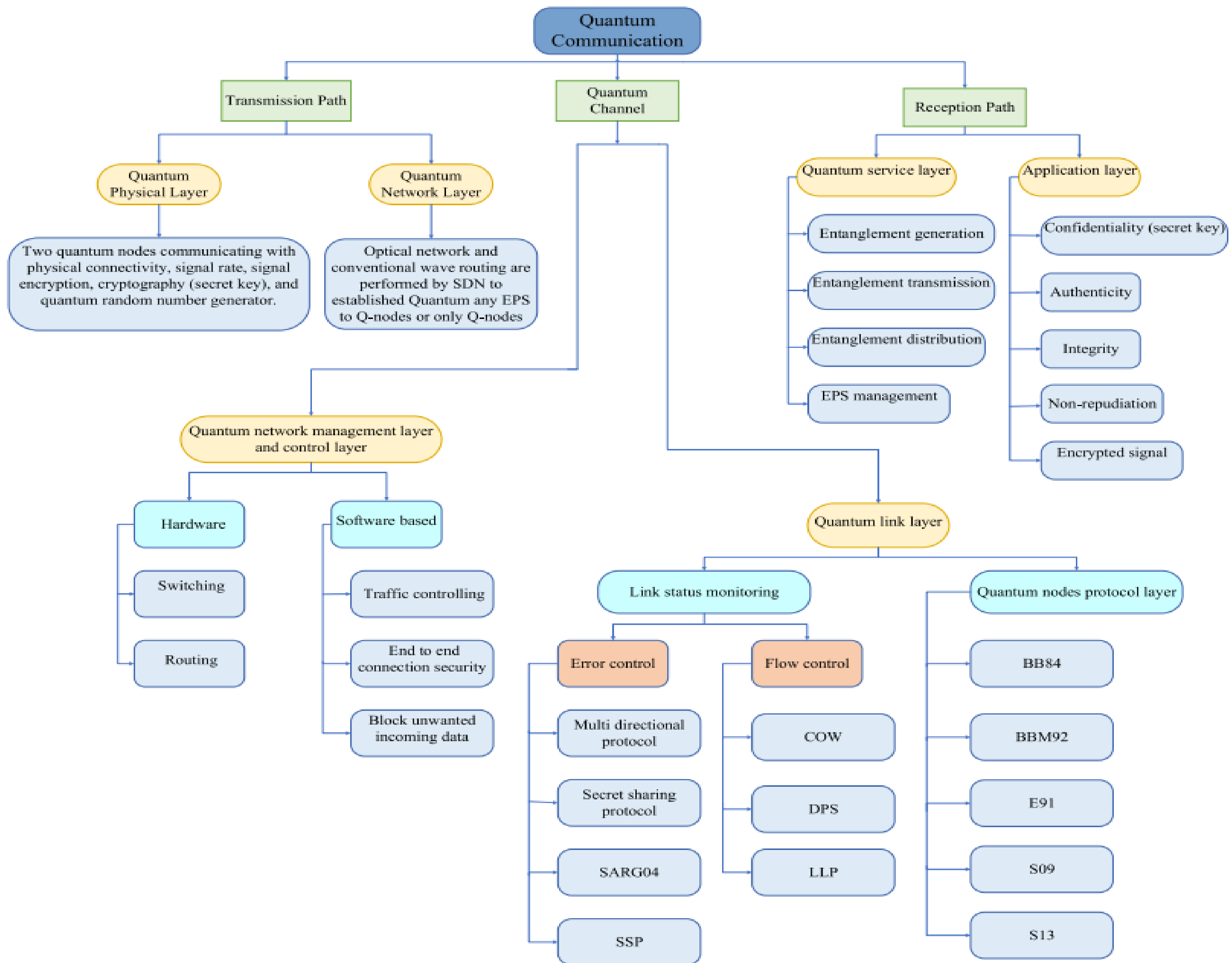
# Key Concepts:

Superposition: A fundamental property allowing qubits to be in multiple states simultaneously.

Entanglement: A phenomenon where qubits become correlated, so the state of one qubit affects the state of another, no matter the distance.

Quantum Teleportation: The process of transferring quantum states between qubits using entanglement and classical communication.





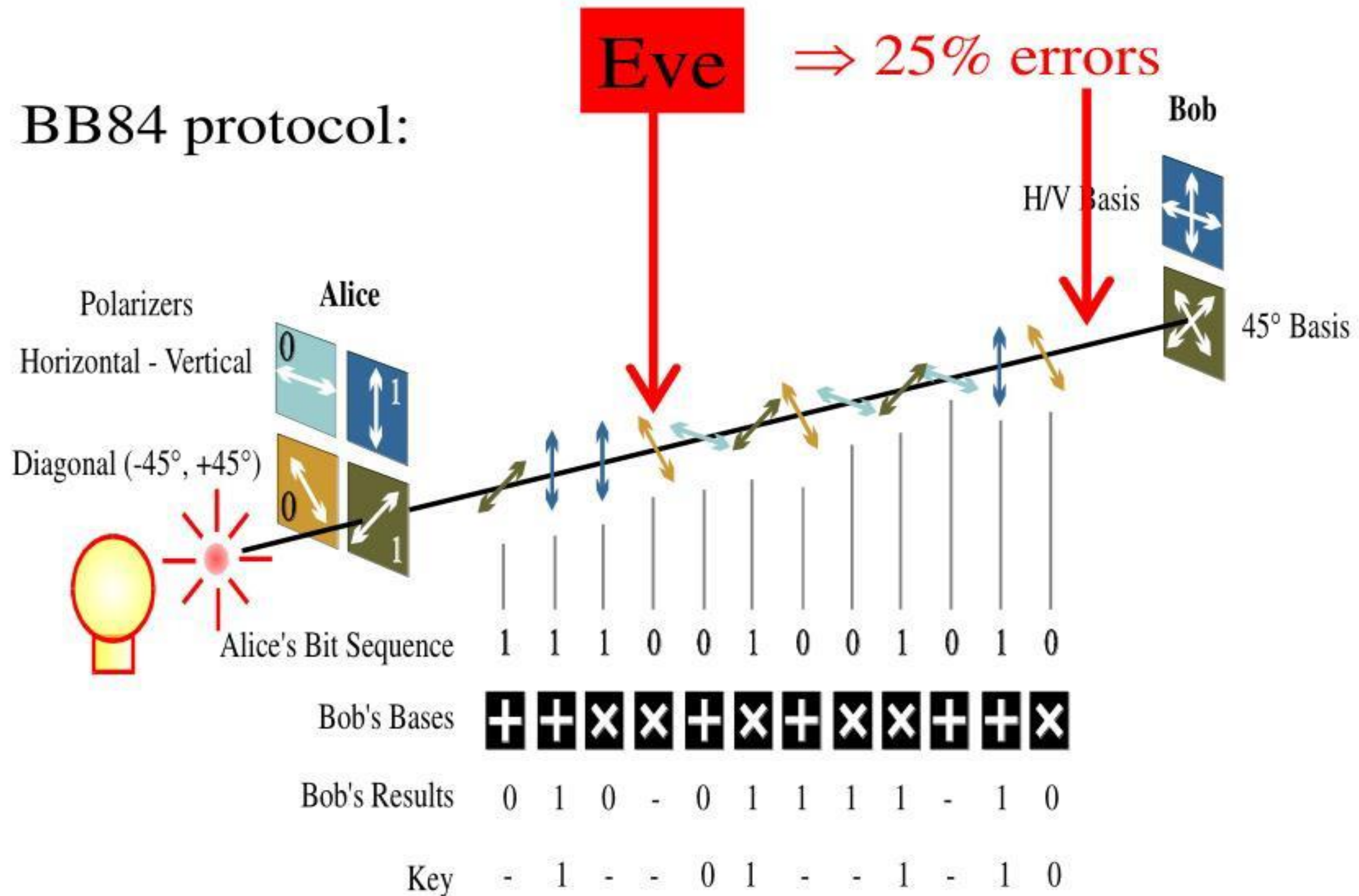
# BB84 PROTOCOL

- This protocol is mainly designed based on Heisenberg's uncertainty principle and which is also familiarized as BB84 protocol.
- Steps of BB84 protocol are as:
- **Step 1:** Alice selects an  $n$  arbitrary bit using a flipping coin.
- **Step 2:** Alice must flip the coin  $n$  times more to determine the basis, for each matching corresponding arbitrary bit.
- **Step 3:** Bob receives the arbitrary bits that Alice prepared in their corresponding bases.
- **Step 4:** Bob does not know the source corresponding to each arbitrary bit. Now, he tosses the coin  $n$  number of times. So that he can measure the received qubits in the obtained number of basis after tossing the coin. Bob declares the receiving of states.
- **Step 5:** Alice and Bob use a classical channel to publicly compare their bases. They discard bits where their bases disagree, resulting in  $\lfloor n/2 \rfloor$  bits. Bob then randomly selects  $\lfloor n/4 \rfloor$  bits from the remaining  $\lfloor n/2 \rfloor$  bits and compares them. If the discrepancies exceed a permissible threshold, they discard the entire series, indicating potential eavesdropping by Eve; otherwise, the remaining bits form their shared key.





## BB84 protocol:





# BBM92 PROTOCOL

- Both classical information and quantum information are mixed in this protocol.
- **Step 1:** Alice generates strings of EPR pairs  $q$  with the size  $n$  and then transmits strings of qubits  $q_b$  from every single EPR pair with the size of  $n$  to Bob via a quantum channel. The other strings of qubits  $q_a$  remain from every single pair with the size of  $n$ .
- **Step 2:** Alice generates a string of bits with the size of  $n$  arbitrary, which is denoted as  $B_a$ .
- **Step 3:** Bob receives  $q_b$  and then randomly generates string of bits  $B_b$  with the size of  $n$ .
- **Step 4:** Now, Alice measures every single qubit of  $q_b$  corresponding to bits  $B_a$  if  $B_{ai} = 0$ , then it uses  $x$  axis; else if  $B_{ai} = 1$ , then it uses  $z$  axis.
- **Step 5:** After that, Bob measures every single qubit of  $q_b$  corresponding to the bits of  $B_b$  if  $B_{bi} = 0$ , then it will use  $x$  axis; else if  $B_{bi} = 1$ , then it will use  $z$  axis.
- Bob transmits his measurement axis by choices by  $B_b$  to Alice via the public channel & after receiving  $B_b$ , Alice transmits her axis choice  $B_a$  to Bob via the public channel and the Bob receives  $B_a$ .
- **Step 7:** Alice and Bob discard instances where measurements are taken on different axes or where detection fails due to imperfect quantum efficiency. The remaining instances are then used to generate their private key  $(K_{\{a,b\}})$ .



# E91 PROTOCOL

- In 1991, E91 protocol was first proposed by A. Ekert.
- He tested eavesdropping by using generalized Bell's theorem. In order to generate identical random numbers at distant locations, his method utilized Bohm's version of the EPR.
- E91 is composed of the following steps
- **Step 1:** Alice and Bob obtain their entangled photons from a prime source, in one out of four utmost entangled states ( $|\psi_1\rangle$  to  $|\psi_4\rangle$ ) Consider the source produce EPR pair  $|\psi_3\rangle$
- **Step 2:** Now, Alice measures her particle, which she received from entangle pair among any of the 0-, 45-, and 90-degree bases.
- **Step 3:** Next, Bob measures his particle, which he received from entangle pair among any of the 45, 90, and 135 degree bases.
- **Step 4:** After that, Alice and Bob measure the particle in a same base and remove the particle from a different base. If the base is the same, they obtain a common key. If any bits or particles remain that are known by shifted key.
- **Step 5:** Finally, Alice and Bob check the system and then make the decision by interchanging the key's hashes, either accepting or throwaway the keys.