

47201 Engineering thermodynamics

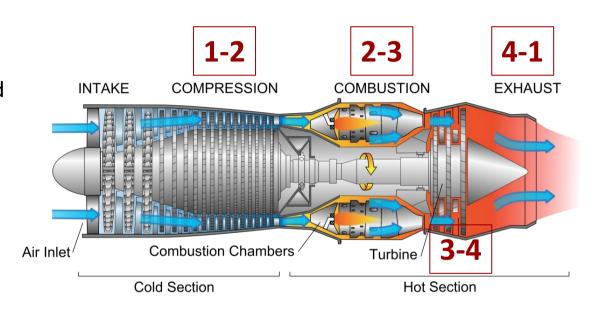
# Lecture 9c: Gas turbines and the Brayton cycle (Ch. 10.4-5)





### **Gas turbine**

- Gas turbines use rotary compressors to increase the pressure of air as it enters the combustion chamber
- Fuel is then injected into the combustion chamber, and it ignites, which causes a large increase in temperature and pressure
- The high pressure gas then is exhausted through a turbine where the enthalpy of the exhaust gas is converted to mechanical work
- The cycle can be optimized to produce work (often as electricity) or for propulsion
  - For work, the turbine should remove as much energy from the exhaust as possible.
  - For propulsion, the turbine only recovers enough work to power the compressor

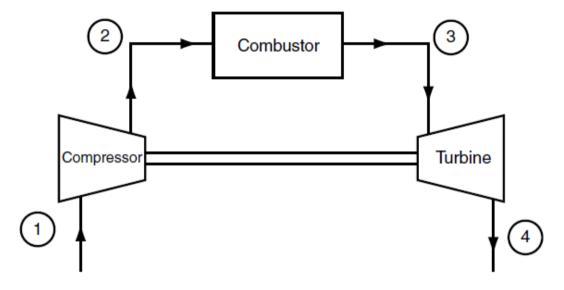






# **Gas turbine components**

- We can simplify a gas turbine engine as having three components: the compressor, combustor and turbine
- The compressor and turbine are mounted on a common shaft, which allows the turbine to power the compressor
- Air is taken in from the atmosphere and exhaust gas is rejected back to the atmosphere
- No heat exchanger for heat rejection is necessary because the heat is carried out with the exhaust gases



**Figure 10.8** Schematic diagram of a gas turbine.





# Gas turbine thermodynamic model – the Brayton cycle

An air standard model of a gas turbine engine is the Brayton cycle: It is modelled as having two heat exchangers, a compressor and a combustor. The cycle steps are:

- 1. Isentropic compression
- 2. Constant pressure heat addition
- 3. Isentropic expansion
- 4. Constant pressure heat rejection

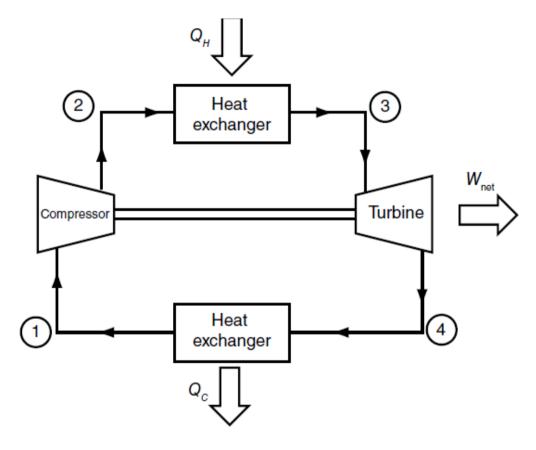
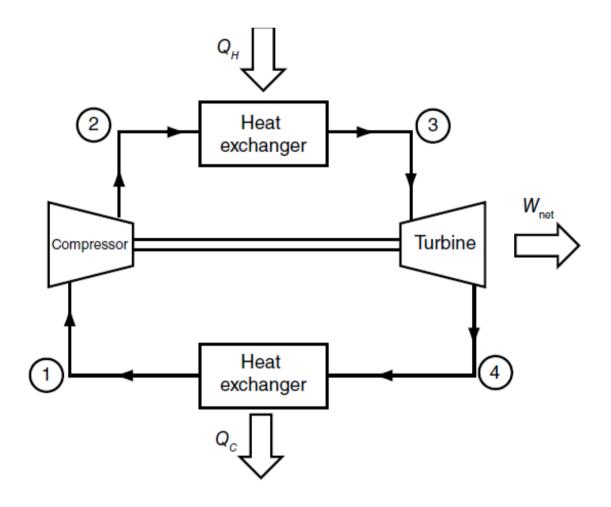


Figure 10.9 Gas turbine modelled as a closed cycle.





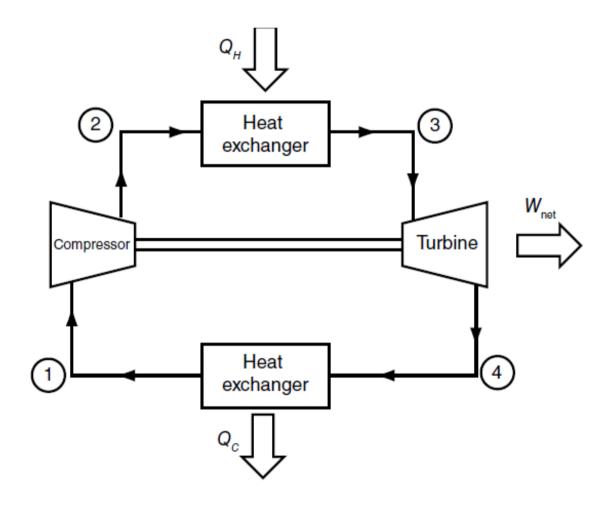
# **Brayton cycle P-v diagram**







# Brayton cycle T-s diagram







# **Brayton cycle analysis**

#### Looking at the work done at constant entropy:

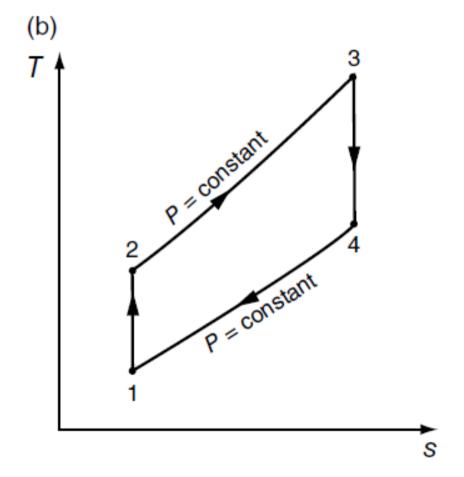
 $1 \rightarrow 2$  Isentropic compression  $w_{comp} = h_2 - h_1 = c_p(T_2 - T_1)$ 

 $3 \rightarrow 4$  Isentropic expansion

$$w_{turb} = h_3 - h_4 = c_p(T_3 - T_4)$$

We can then express how much of the turbines work is taken by the compressor:

$$bwr = \frac{w_{comp}}{w_{turb}} = \frac{h_2 - h_1}{h_3 - h_4}$$







# **Brayton cycle efficiency**

• The efficiency for the Brayton cycle is:

$$\eta_{th,Brayton} = \frac{W_{net}}{Q_H} = \frac{W_{turb} - W_{comp}}{Q_H} = \frac{Q_H - Q_C}{Q_H}$$



# Example 10.3

**Problem:** An air standard Brayton cycle with a compressor pressure ratio of 10 takes in air at 100 kPa and 300 K and a mass flow rate of 5 kg / s. The air leaves the combustor at 1260 K. Find the efficiency of the cycle and the net power output. Use air tables to find the properties of air.

**Find:** Efficiency  $\eta_{th,Brayton}$  of the cycle, net power output  $W_{net}$  of the cycle.

#### **Assume:**

- 1. Steady state
- 2. Isentropic compression and expansion
- 3. Constant pressure heat addition and extraction



# DTU

# **Example 10.3 solution**

The solution procedure is mostly the same as for the other air standard cycles. To solve, we will using the following steps:

- 1. State 1 is fully defined, so we can look up enthalpy, entropy etc. directly.
- 2. We can find state 2 because we know the entropy  $(s_1)$  and the pressure ratio
- For state 3, we know the pressure and the temperature, which will fully define the state. We can look up entropy, enthalpy etc.
- 4. For state 4, the entropy is known (same as  $s_3$ ) and we know pressure is the same as the inlet.
- 5. The cycle is fully defined, and we can calculate the specific work and efficiency

