

Reactive and Event Based Systems

Lecture 1: Course Introduction, Process Modeling, Automata, and Formal Languages

Tijs Slaats
Hugo Lopez
Thomas Hildebrandt
Monday 22nd of November 2021



Overview

- **Course Introduction**
- Process Modelling
- Brief introduction to automata & formal languages

Reactive and Event Based Systems

Reactive and event-based systems follow an architectural style where components *react* to *events* generated by the environment or system itself.

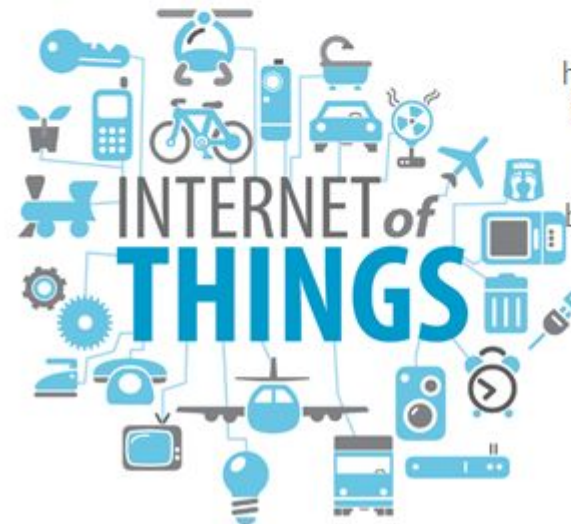
Examples: IoT data platforms, low-latency websites, mobile apps, ...

Industries: Logistics, smart cities, future transportation, games, next-gen farming, ...

Reactive principles:

- Responsiveness
- Flexibility
- Resiliency
- Adaptability and elasticity
- Scalability

Source: <https://www.cmarix.com/5-effective-tips-to-build-an-engaging-and-user-focused-retail-app/>



Source:
<https://mitechnews.com/internet-of-things/how-big-is-iot-2020-6-billion-connected-devices-by-2020/>

Reactive and Event Based Systems

Course divided in three main parts:

- Week 2 - 3: *Declarative event-based processes* (Tijs Slaats)
- Week 4 - 5: *Formal models and programming languages for reactive and message based systems* (Thomas Hildebrandt)
- Week 6 - 7: *Streaming & Compliance* (Hugo A. Lopez)
- Week 8 Course conclusion

Lectures: Monday, 10:15am - 12:00pm, Kursussal 3, Universitetsparken 15 (Zoo).

Assignments: Fridays, 10:15am - 12:00pm, øv - A112, Universitetsparken 5, HCØ.

Reading: Reading for the course will be article-based, these will be announced on-the-fly.

Reactive and Event Based Systems

Assignments:

- 3 Assignments, 1 for each part.
- All contain implementation with relevant technologies
 - Reflections also important
- Mandatory! (Pass/fail, need to pass all to take the exam)
- Feedback provided by us for preparation to exam
- Groups of 2-3 students
 - Exceptions for single student groups granted on an individual basis, send us an email or message on Absalon.
- Submissions in Absalon

Reactive and Event Based Systems

Exam:

- Individual oral exam of 20 min
- Each student prepares three 8-min presentations for each of the three assignments
- One presentation to be given decided at random at the exam
- Questions on presentation as well as on the whole curriculum
- Notes and laptop allowed

Tentative schedule Part A

Week 2:

- *Lecture*: DCR Graphs, Hierarchy, Semantics
- *Assignments*: Part a: Modelling Event Patterns as DCR Graphs
- *Reading*:
 - A case for declarative process modelling: Agile development of a grant application system
 - Hierarchical Declarative Modelling with Refinement and Sub-processes

Week 3:

- *Lecture*: Process Mining, Process Conformance, Process Discovery
- *Assignments*: Part b: Implementing a conformance checker for DCR Graphs
- *Reading*:
 - The Analysis of a Real Life Declarative Process
 - DisCoveR: Accurate & Efficient Discovery of Declarative Process Models

Tentative schedule Part B

Week 4:

- *Lecture*: Formal process languages as foundation for programming languages for distributed, reactive and event based
- *Assignments*: Jolie 1
- *Reading*: TBA
-

Week 5:

- *Lecture*:
- *Assignments*: Jolie 2
- *Reading*: TBA
-

Tentative schedule Part C

Week 6:

- *Lecture*: Process Compliance
- *Assignments*: Part A: Model legislative policies using DCR graphs
- *Reading*: Business Process Compliance Using Reference Models of Law.

Week 7:

- *Lecture*: Online Process Mining
- *Assignments*: Part B: Conformance Checking Laws
- *Reading*: TBD

Overview

- Course Introduction
- **Process Modelling**
- Brief introduction to automata & formal languages

Processes

Process: “A series of actions or steps taken in order to achieve a particular end.”^[1]

Examples:

- Production of car
- Handling of an insurance claim
- Treatment for lung cancer
- Software development
- Algorithms

[1] Oxford's free English dictionary

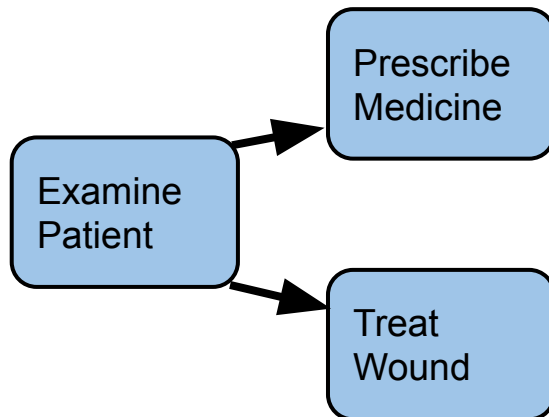
Process Modelling

How do we model a process?

- Plain text:

“Attach wheels and engine to frame.”

- Drawings:



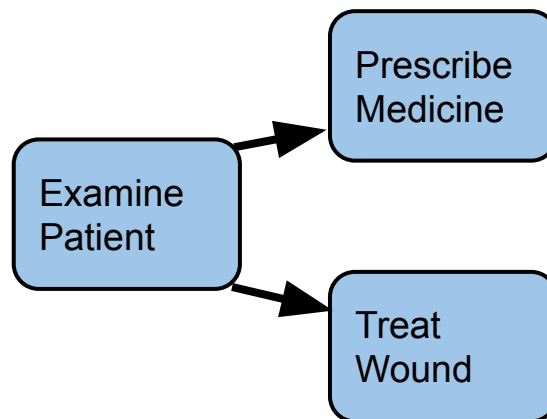
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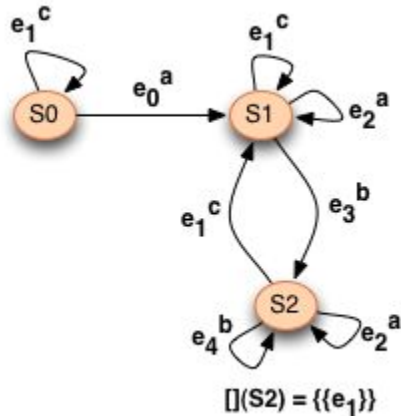
Allowed to happen at the same time?

Do we do both or choose one?

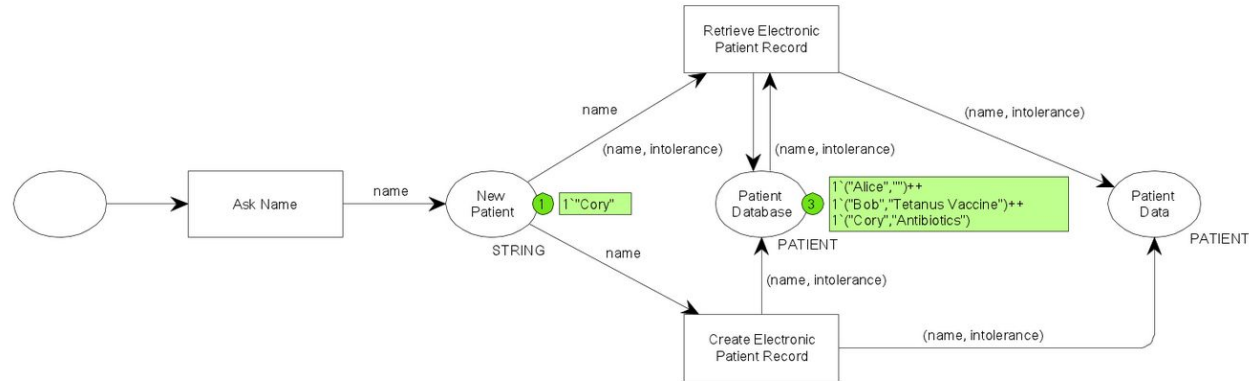
Ambiguity!

Process Modelling and Computer Science

We need a well-defined language for our models: **Formal Methods**



$e_0|e_1, e_1|e_2$
 $e_2|e_3, e_2|e_4$



- (Recieve Claim \Rightarrow \Diamond Evaluate Claim)
- (Approve Claim \Rightarrow \Diamond Payout Claim)
- (\neg Payout Claim W Approve Claim)

Process Modelling and Computer Science

Formal models offer:

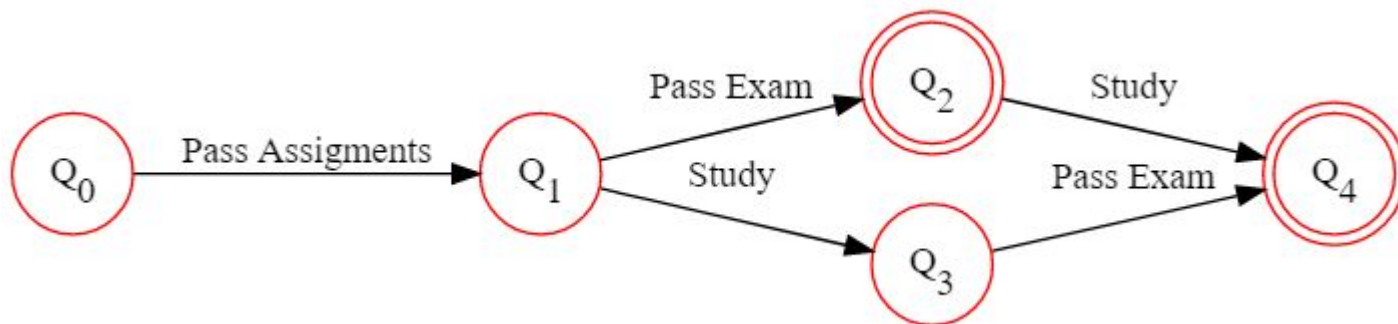
- Unambiguous semantics
- Verification
- Model checking
- Conformance checking
- Simulation
- Execution
 - Automated (fx assembly lines)
 - User guidance (fx call centers)

Overview

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- **Brief introduction to automata & formal languages**

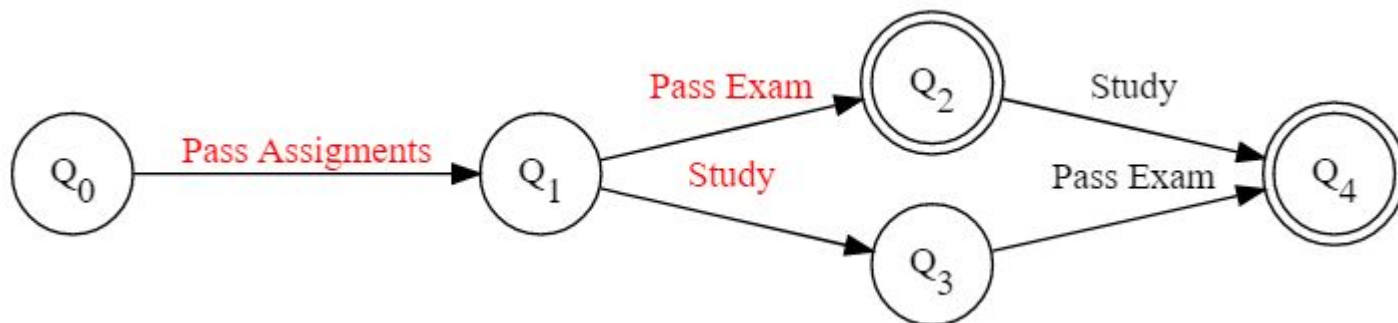
Finite State Automata

- One of many ways to formally model a process
- Consists of:
 - A finite set of states Q
 - An alphabet Σ
 - A transition function δ such that $\delta: Q \times \Sigma \rightarrow Q$
 - A *starting state* $q_0 \in Q$
 - A set of *accepting states* $F \subseteq Q$



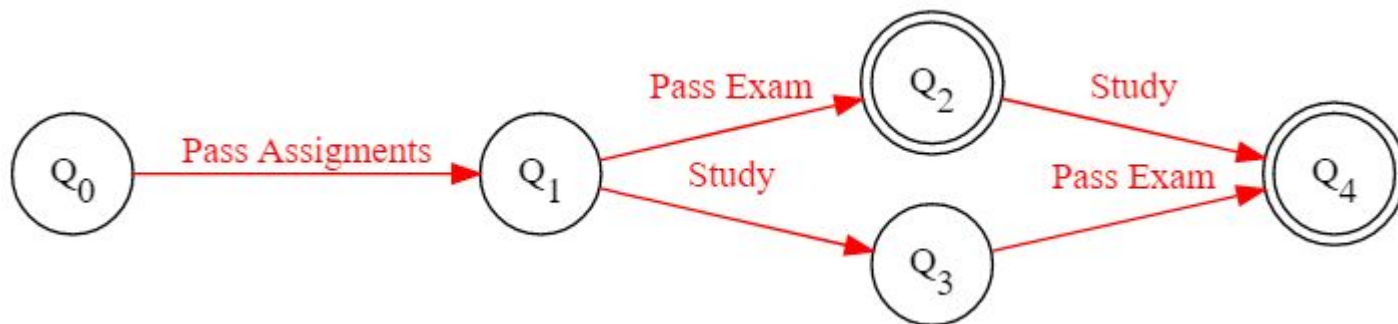
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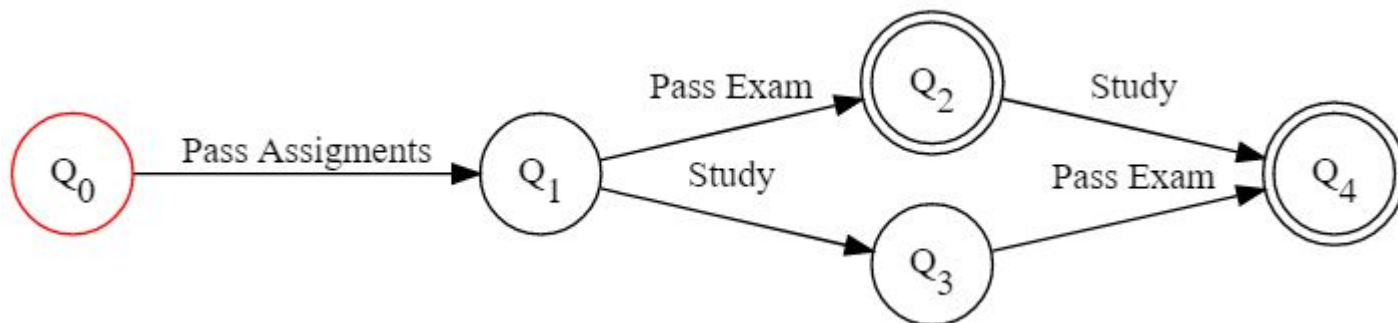
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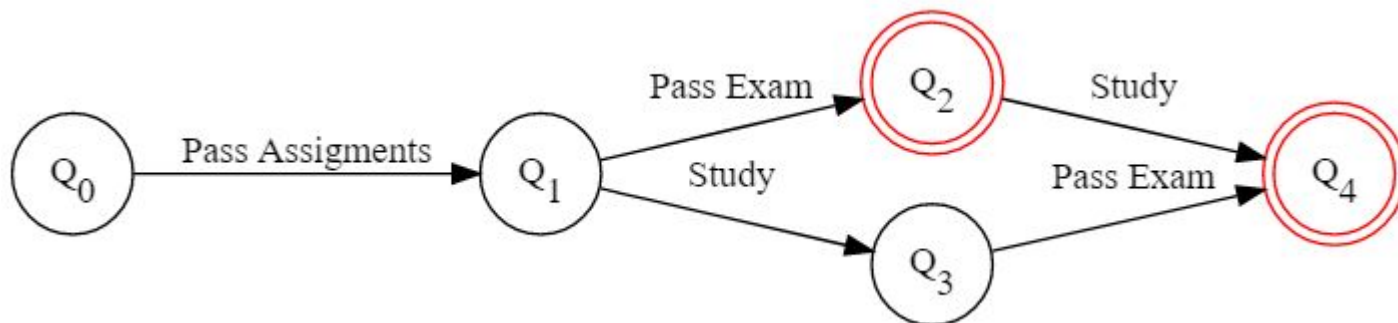
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Finite State Automata

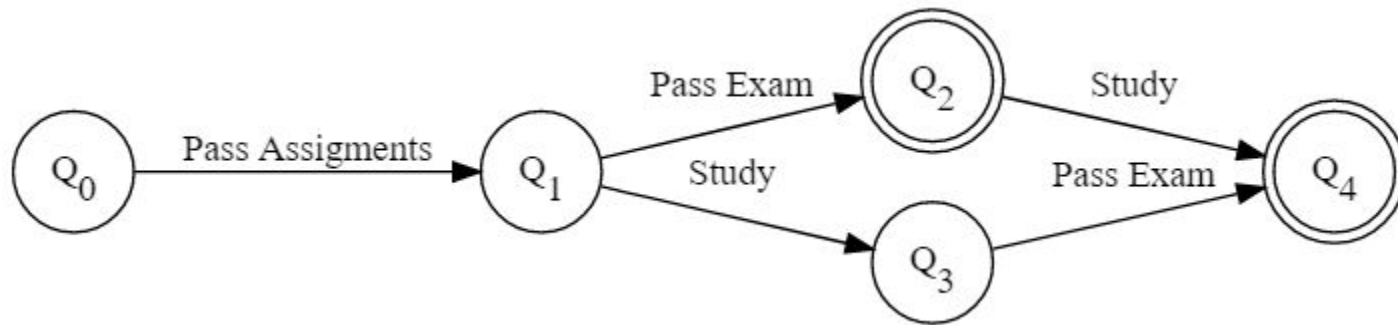
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Formal languages

Runs / executions:

The different ways we can execute the process, consisting of the intermediate states and steps taken.



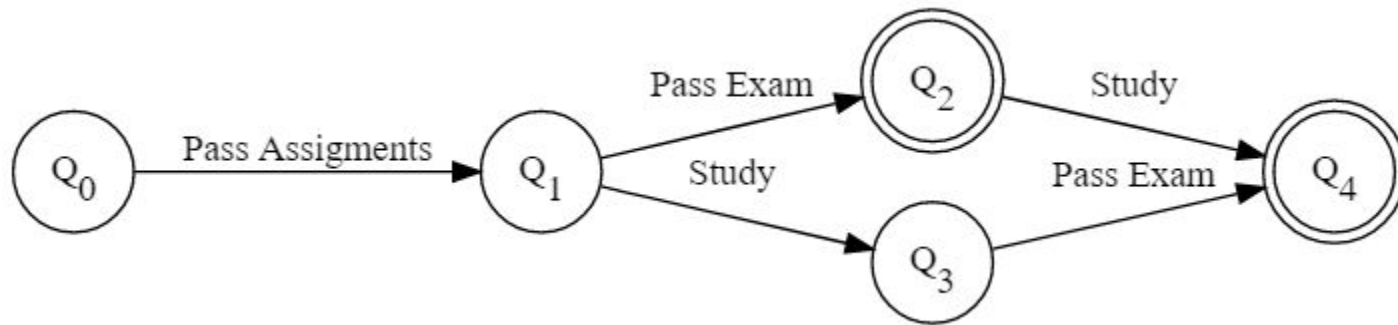
Runs / executions:

Question: What are the runs of this model?

Formal languages

Runs / executions:

The different ways we can execute the process, consisting of the intermediate states and steps taken.



Runs / executions:

Q0

Q0 $\xrightarrow{\text{PA}}$ Q1

Q0 $\xrightarrow{\text{PA}}$ Q1 $\xrightarrow{\text{PE}}$ Q2

Q0 $\xrightarrow{\text{PA}}$ Q1 $\xrightarrow{\text{S}}$ Q3

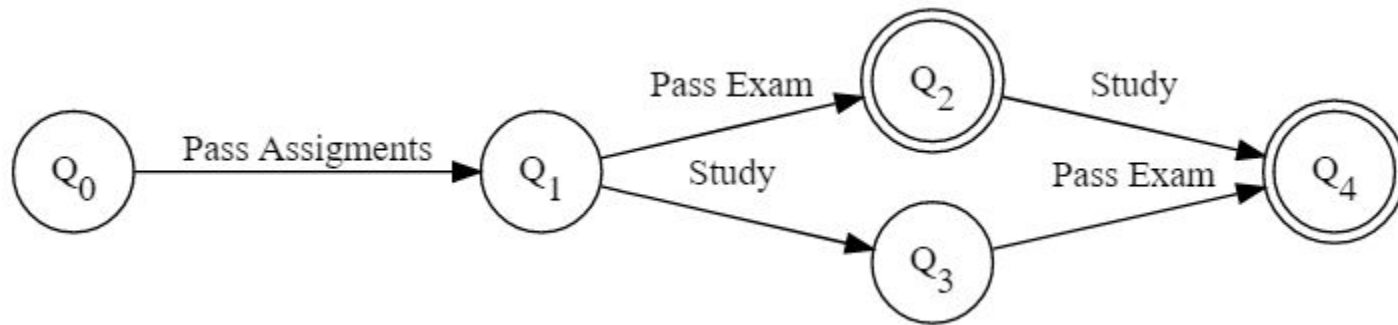
Q0 $\xrightarrow{\text{PA}}$ Q1 $\xrightarrow{\text{PE}}$ Q2 $\xrightarrow{\text{S}}$ Q4

Q0 $\xrightarrow{\text{PA}}$ Q1 $\xrightarrow{\text{S}}$ Q3 $\xrightarrow{\text{PE}}$ Q4

Formal languages

Accepting runs / executions:

The different ways we can execute the process, consisting of the intermediate states and steps taken, which *satisfy the accepting condition*.



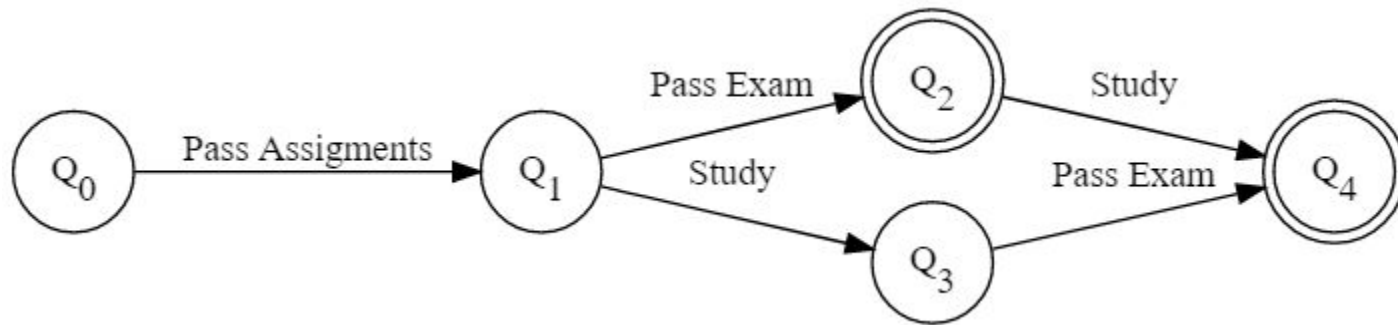
Accepting runs / executions:

Question: What are the accepting runs of this model?

Formal languages

Accepting runs / executions:

The different ways we can execute the process, consisting of the intermediate states and steps taken, which *satisfy the accepting condition*.



Accepting runs / executions:

$Q_0 \xrightarrow{\text{PA}} Q_1 \xrightarrow{\text{PE}} Q_2$

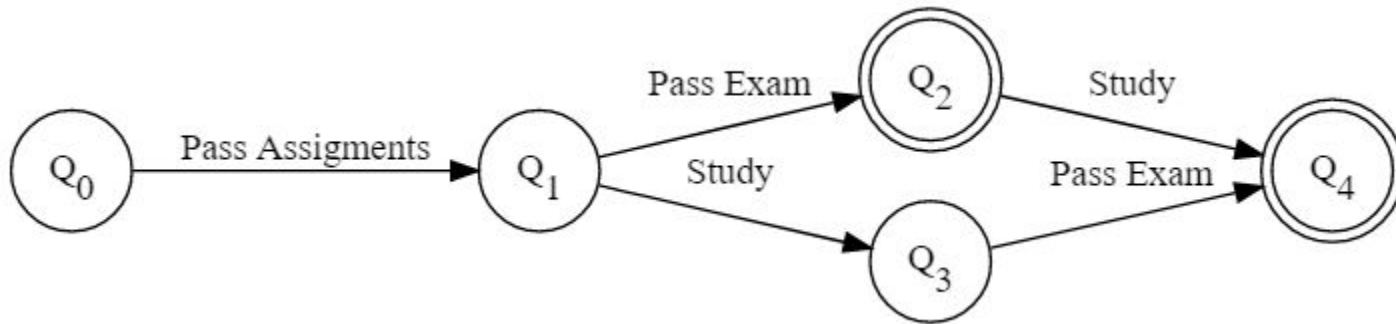
$Q_0 \xrightarrow{\text{PA}} Q_1 \xrightarrow{\text{PE}} Q_2 \xrightarrow{\text{S}} Q_4$

$Q_0 \xrightarrow{\text{PA}} Q_1 \xrightarrow{\text{S}} Q_3 \xrightarrow{\text{PE}} Q_4$

Formal languages

Traces:

The possible sequences of activities that the process can exhibit.



Traces:

<>

<PA>

<PA, PE>

<PA, PE, S>

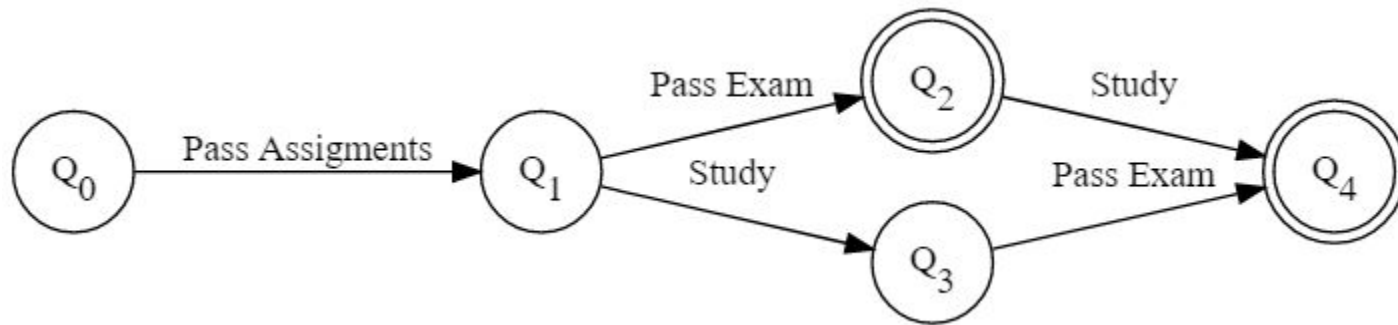
<PA, S>

<PA, S, PE>

Formal languages

Accepting traces:

The possible sequences of activities that the process can exhibit which correspond to an accepting run of the process.



Accepting traces:

<PA, PE>

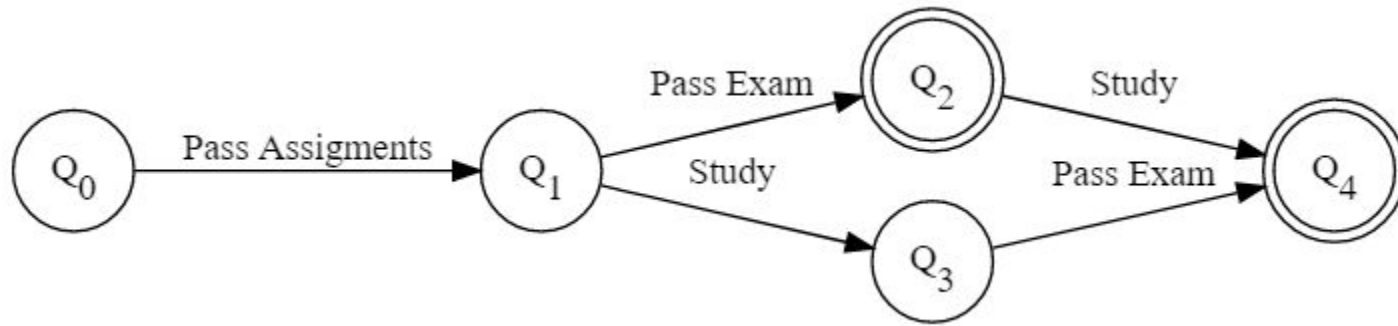
<PA, PE, S>

<PA, S, PE>

Formal languages

Language:

The set of all accepting traces.



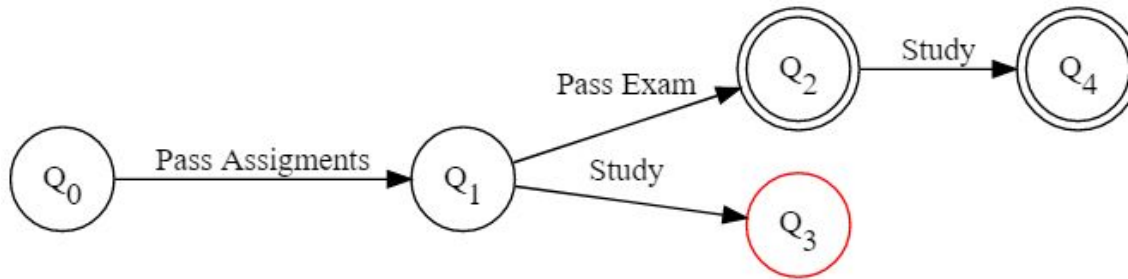
Language:

{<PA, PE>,
<PA, PE, S>,
<PA, S, PE>}

Deadlock & livelock

Deadlock:

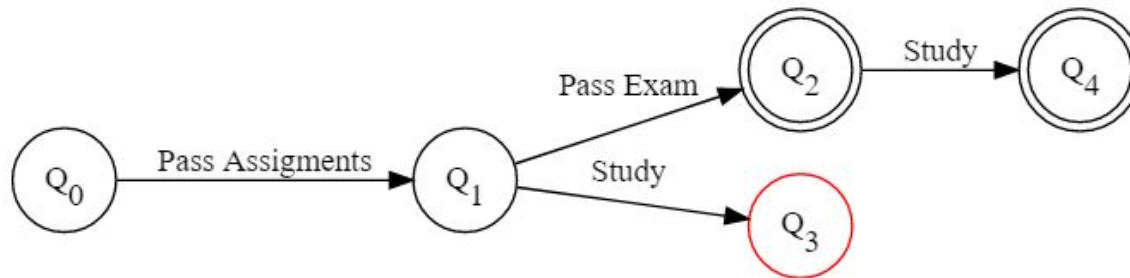
A state in a system or process from which we can do *no further actions*, but which is *not accepting*.



Deadlock & livelock

Deadlock:

A state in a system or process from which we can do *no further actions*, but which is *not accepting*.



Livelock:

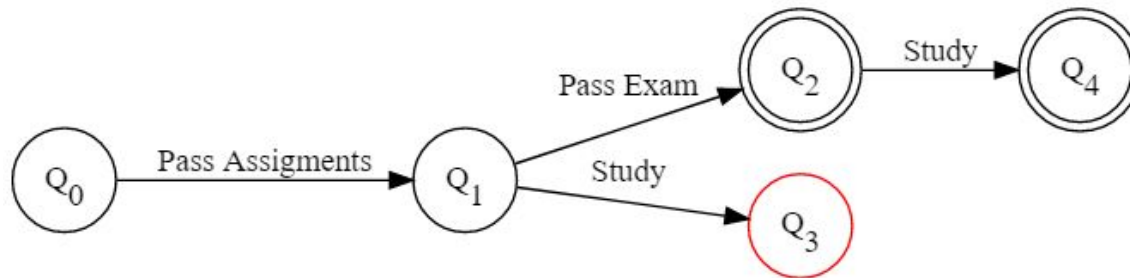
A state or set of states in a system or process, in which we *can still do actions*, but from which *no accepting run is possible*.

Question: How can we get from the model above to a model in livelock with one basic change?

Deadlock & livelock

Deadlock:

A state in a system or process from which we can do *no further actions*, but which is *not accepting*.



Livelock:

A state or set of states in a system or process, in which we *can still do actions*, but from which *no accepting run is possible*.

