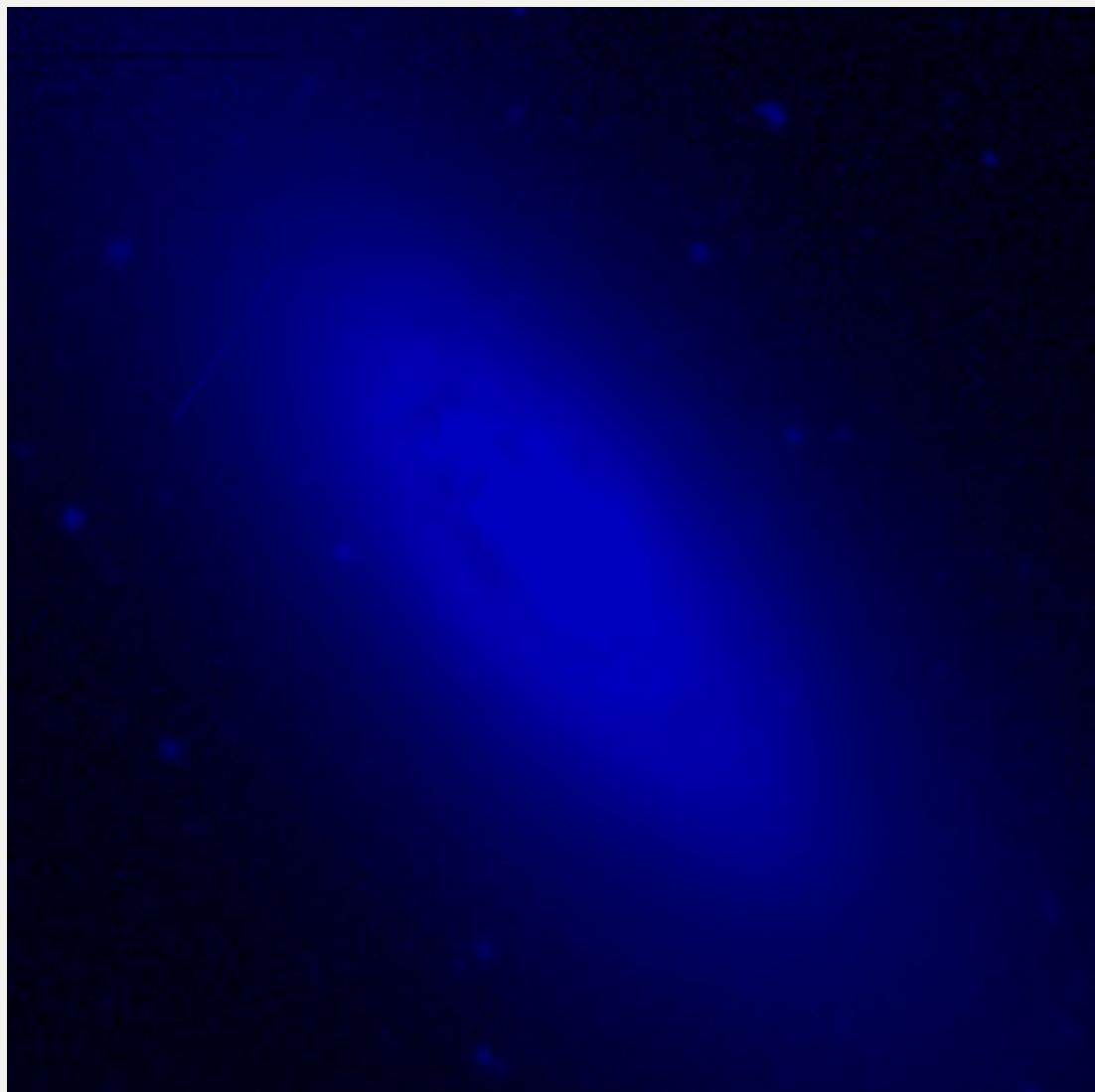


20250416 Stellar Mass Map

IC3392

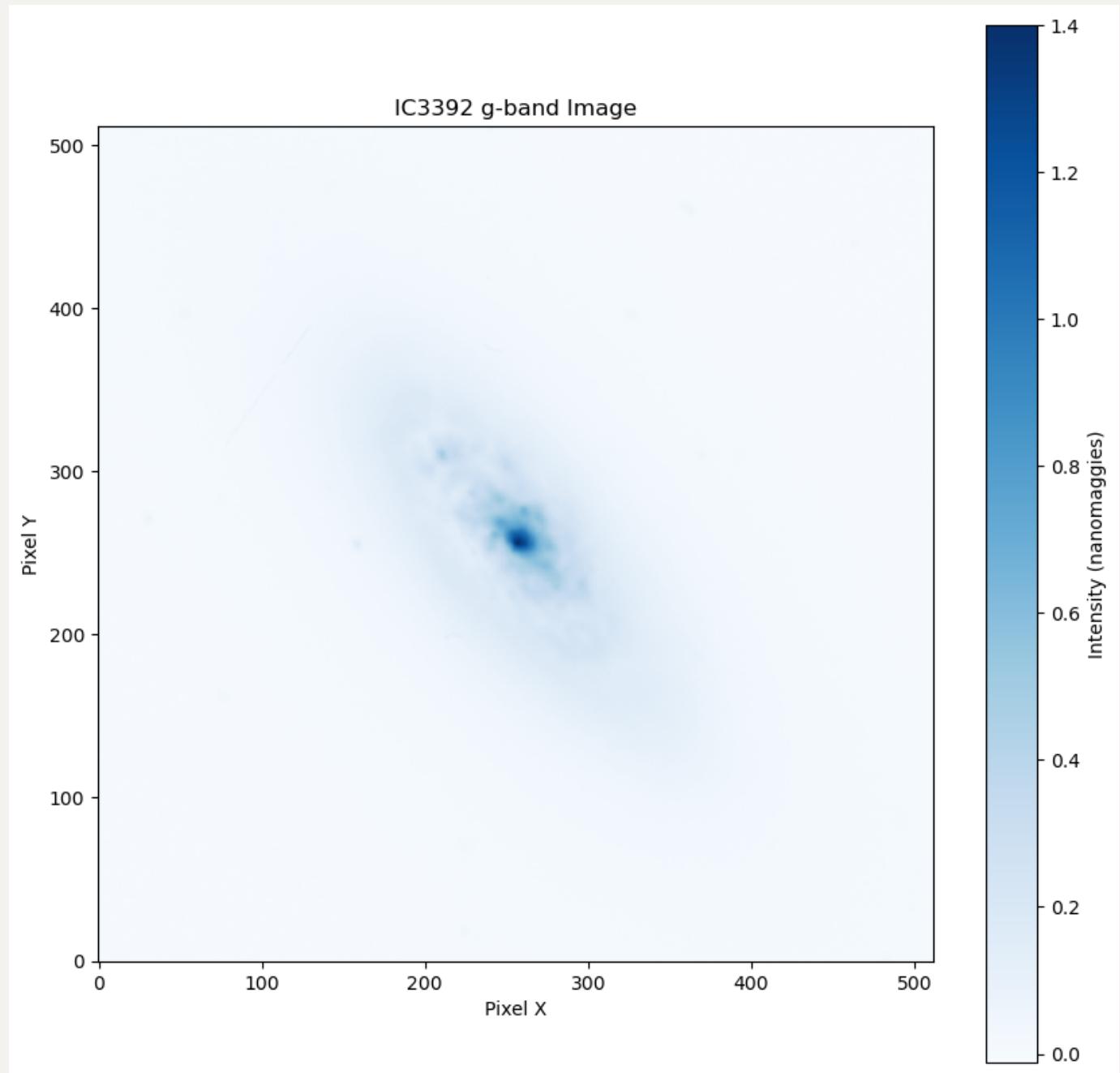
coordinate query by NOIRlab <https://astroarchive.noirlab.edu/portal/search/>

<https://www.legacysurvey.org/viewer/jpeg-cutout?ra=187.18031864729997&dec=14.99943425062&layer=ls-dr10&pixscale=0.262&size=512&bands=g>



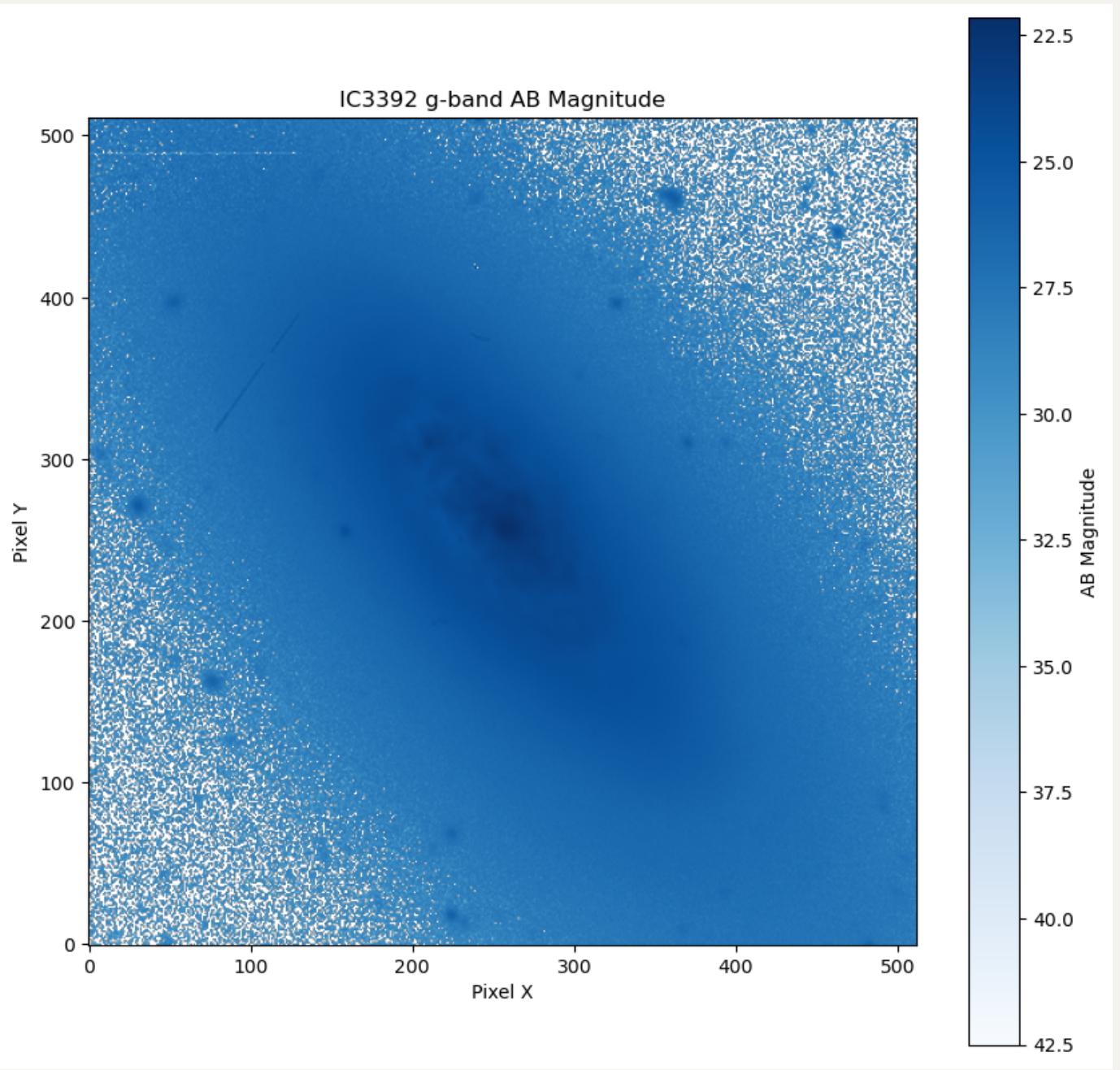
```
wget "https://www.legacysurvey.org/viewer/fits-cutout?ra=187.18031864729997&dec=14.99943425062&layer=ls-dr10&pixelscale=0.262&bands=gi&size=512" -O IC3392_DESI_gi.fits
```

I extract `.fits` file and check the g band image first:

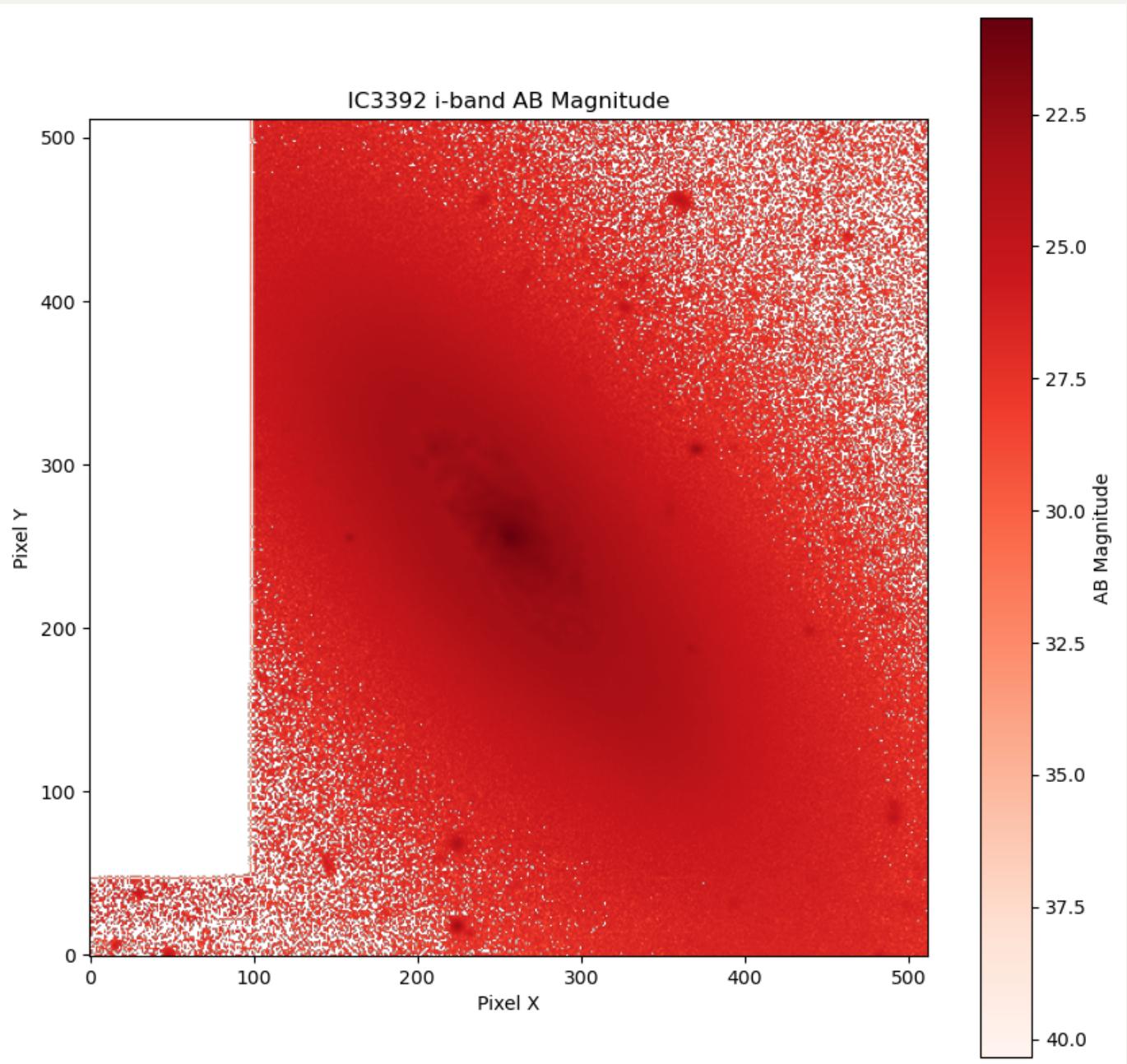


According to the DESI DR10 document, <https://www.legacysurvey.org/dr10/description/>, the brightnesses of objects are all stored as linear fluxes in units of nanomaggies. The conversion from linear fluxes to magnitudes is $m = 22.5 - 2.5 \log_{10}(flux)$.

Then i convert nanomaggies to AB magnitude:



Similarly, I can do for i band:

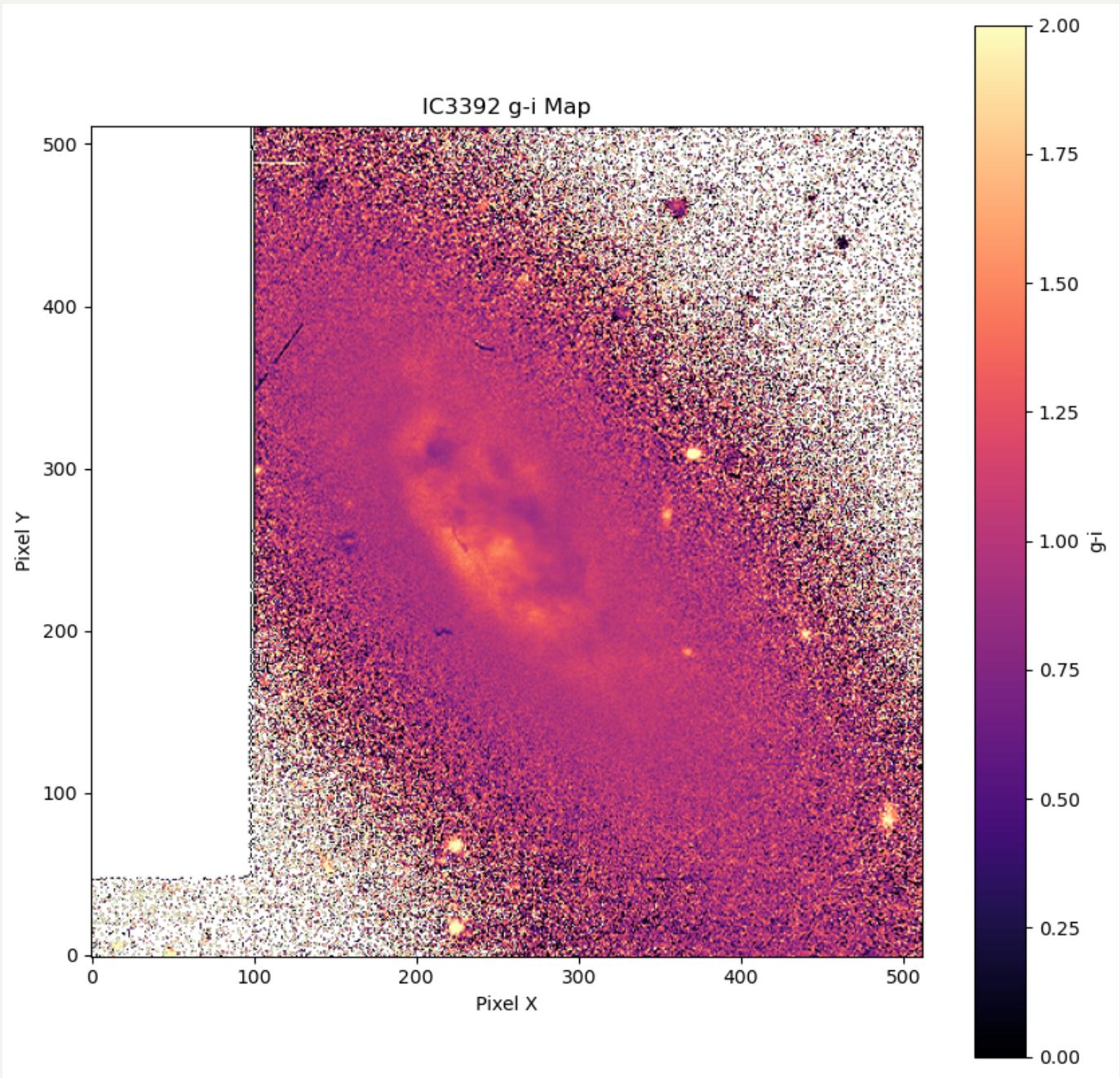


The blank rectangle area is `nan` data (negative flux).

In Taylor+2011 (<https://academic.oup.com/mnras/article/418/3/1587/1060932#91710255>), they propose an empirical relation between $(g-i)$ colour, i -band luminosity and stellar mass as:

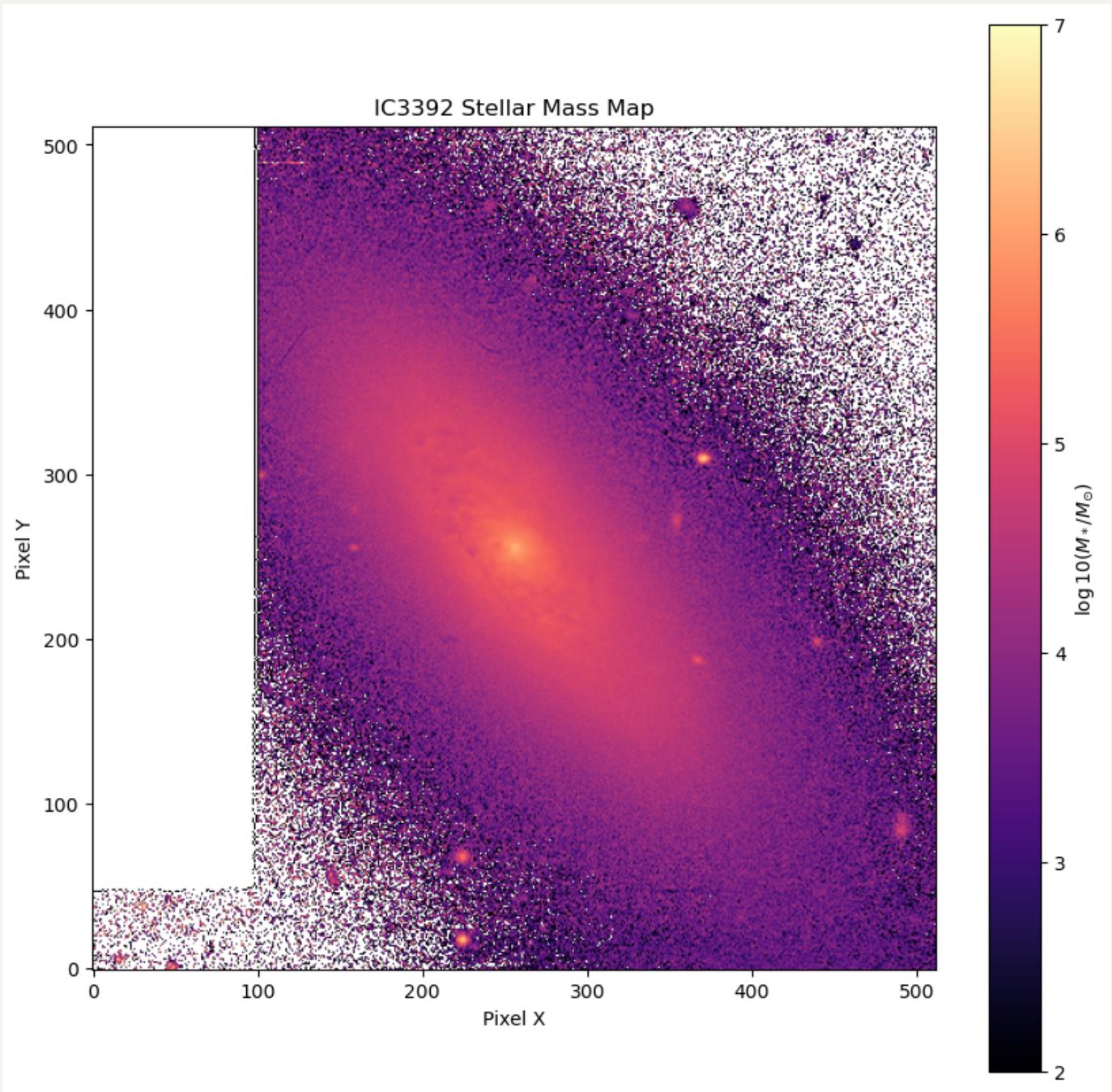
$$\log(M_*/M_{\odot}) = 1.15 + 0.7(g-i) - 0.4M_i \text{, where } M_i \text{ is the absolute magnitude in the restframe i-band, expressed in the AB system.}$$

Here is the $g-i$ color map:



The distance I use to calculate absolute i band magnitude is 13.63Mpc from Soria+2021: h <https://academic.oup.com/mnras/article/512/3/3284/6517474>. It is a median redshift-independent distance from NED, and standard deviation of the published values.

Now i can derive the stellar mass map, and then sum up to get total stellar mass in solar masses: $4.41e+11$, or $\log_{10}(11.64)$.



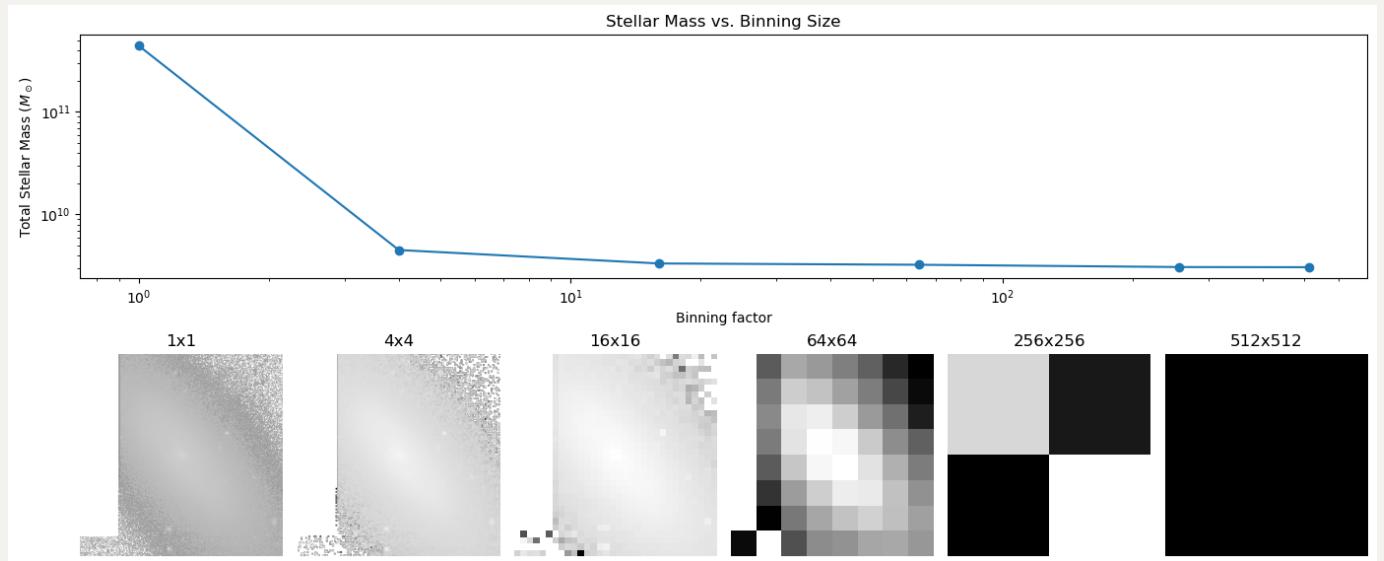
Alternatively, I estimate the stellar mass by integrating g and i band flux first. In this case, I have total stellar mass (integrated flux): $3.10e+09$, or $\log_{10}(9.49)$ solar masses, which is quite different from the previous method.

My understanding is that,

1. mathematically, the conversion formula is non-linear, which means $\sum_i M(Flux_i) \neq M(\sum_i Flux_i)$;
2. this empirical relation is calibrated by the total magnitude from the galaxy

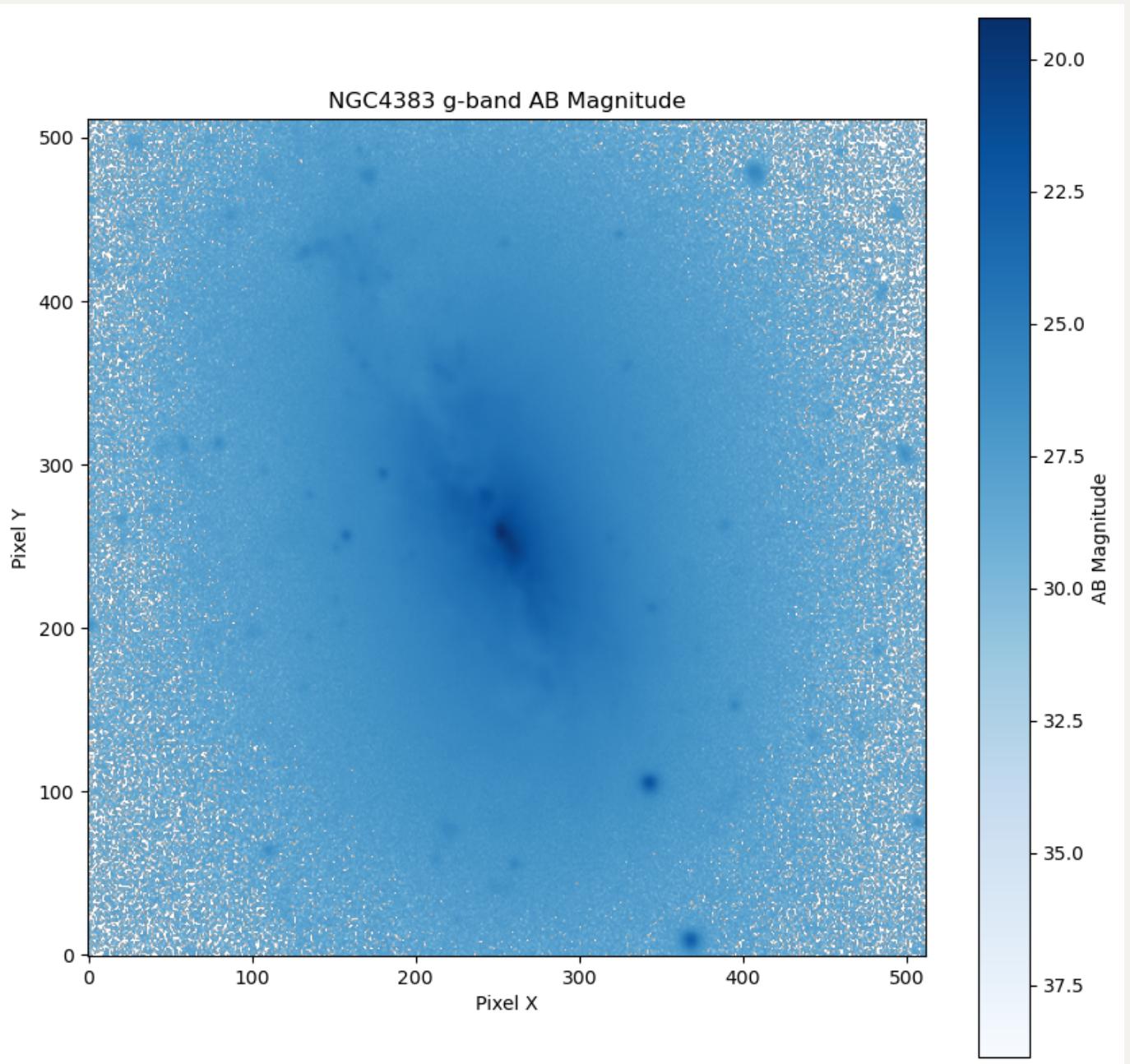
- when we calculate the flux from a single pixel, we actually include the flux emitted from adjacent pixels, and so integrating pixel-by-pixel leads to overestimated total magnitude, and thus much higher stellar mass in this case. It is a binning effect.

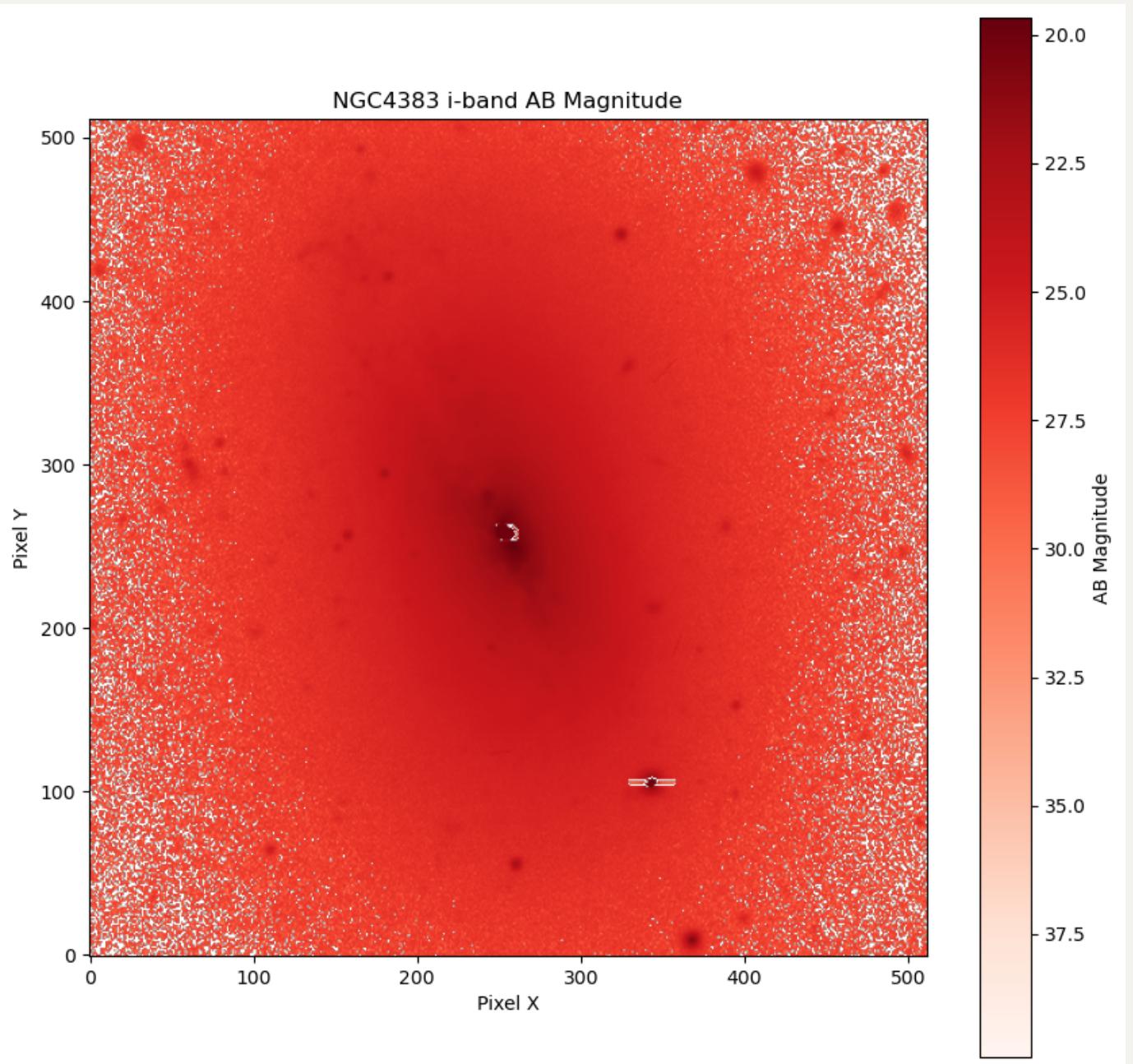
In fact, this should show a convergence if I choose large bin sizes. Here I choose the bin sizes in 1×1 (single pixel per bin), 4×4 , 16×16 , 64×64 , 256×256 , and 512×512 (total galaxy):



And it indeed converges to $\log(9.49)$ with increasing bin size. As a comparison, the stellar mass in Soria+2021 is $\log(9.75 \pm 0.09)$, which is derived from WISE W1 and W2 fluxes, as calibrated by Cluver et al. (2014) (see also Jarrett et al. 2019). The median NED distances were adopted.

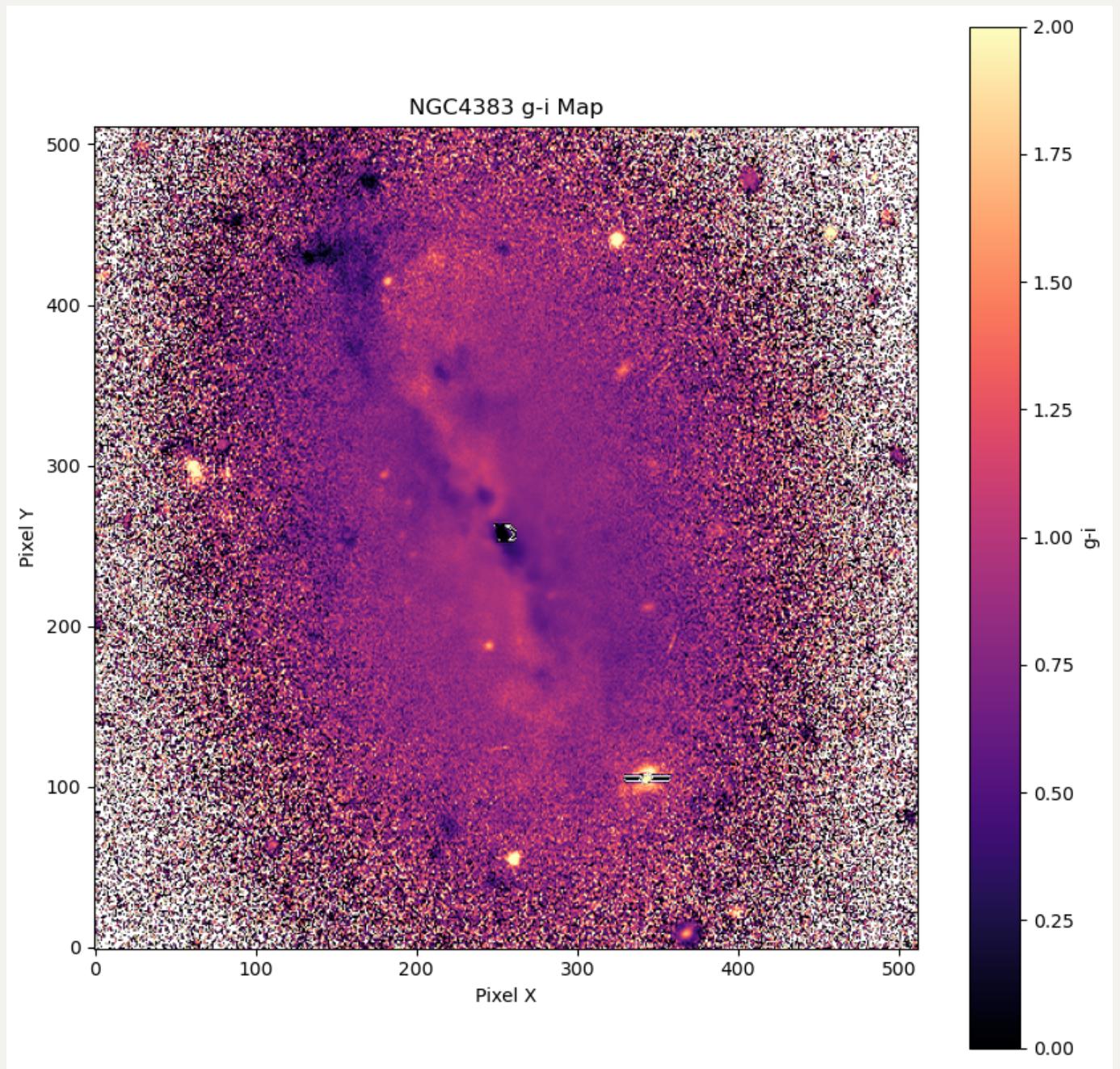
NGC4383

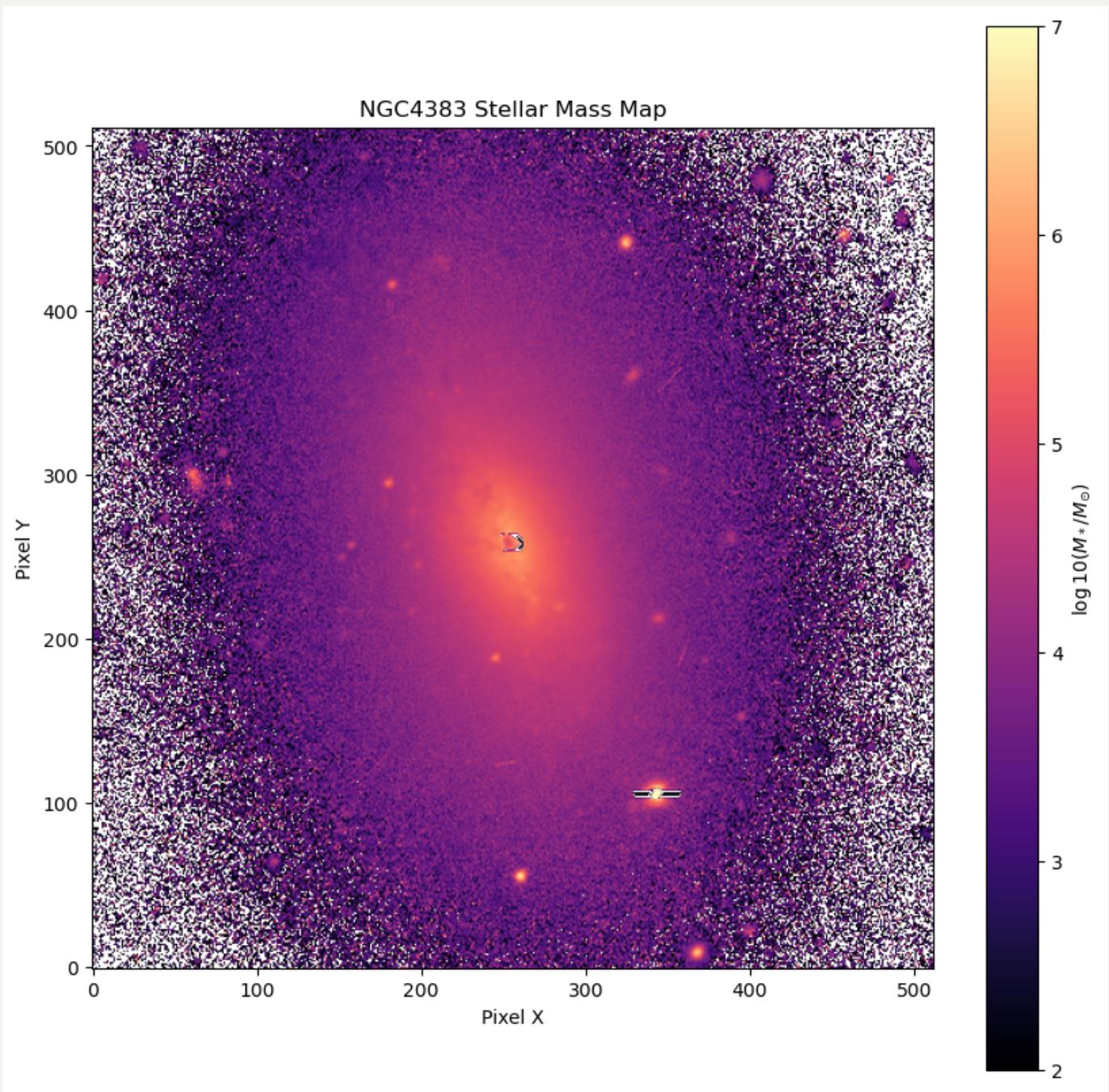




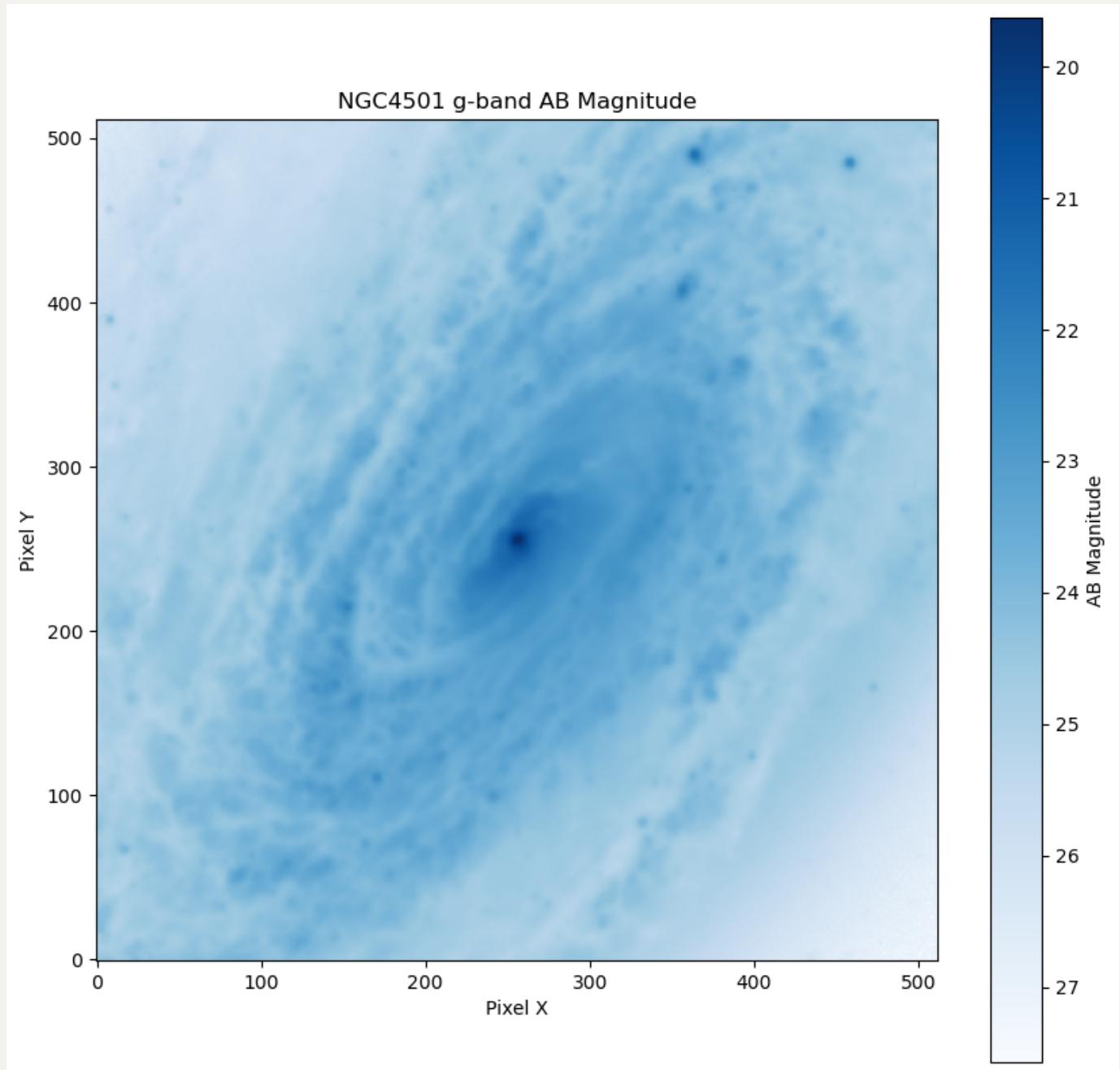
In Adam's paper (<https://academic.oup.com/mnras/article/530/2/1968/7642869>), he assume that NGC 4383 is at the distance of Virgo, 16.5 Mpc (Mei et al. 2007) and NGC 4383 is an intermediate-mass galaxy ($\log(M^*/M_\odot) = 9.44$; Leroy et al. 2019).

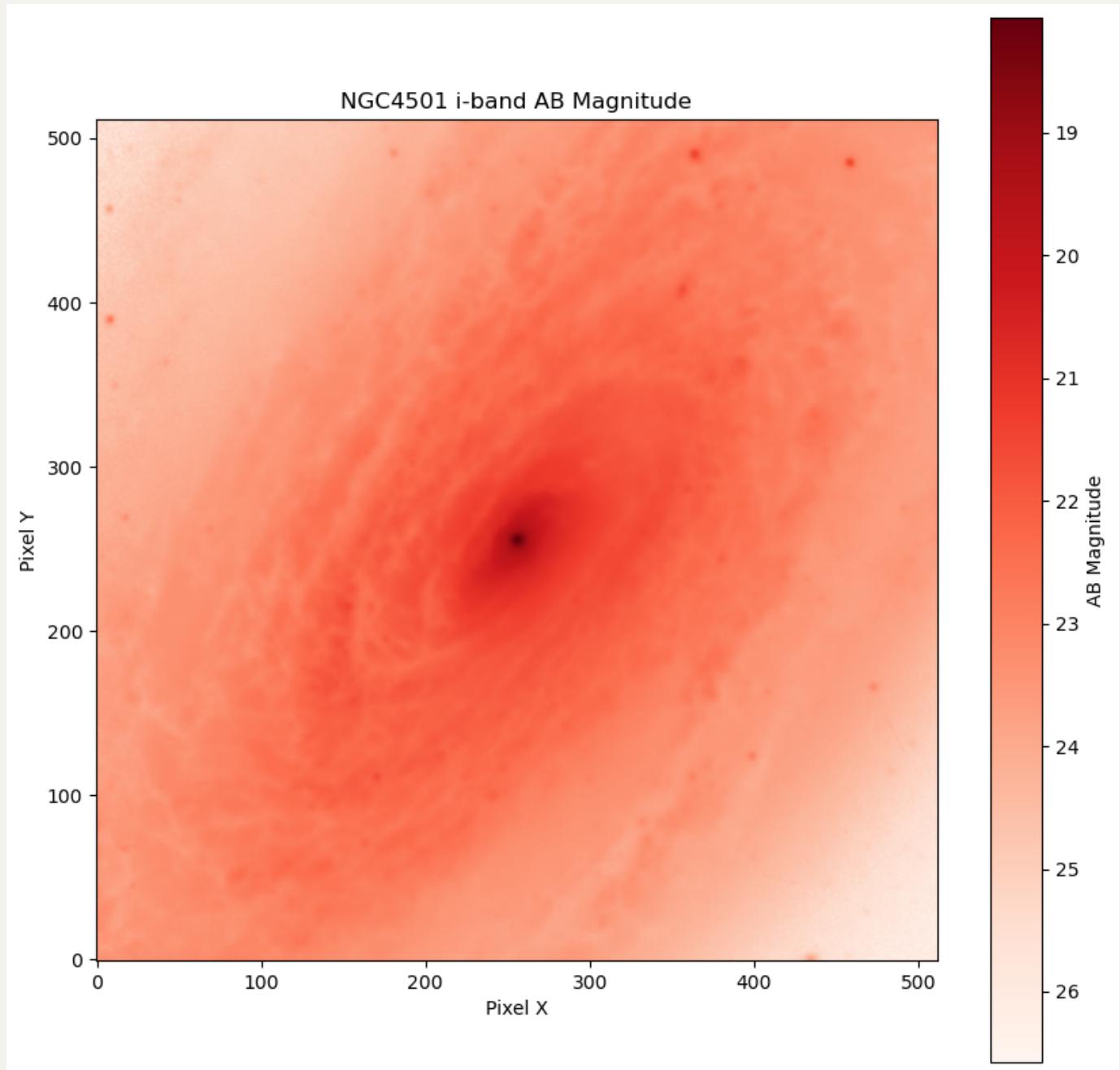
I use the same distance and get $\log_{10}(9.41)$ solar masses in total. Below is stellar mass map.



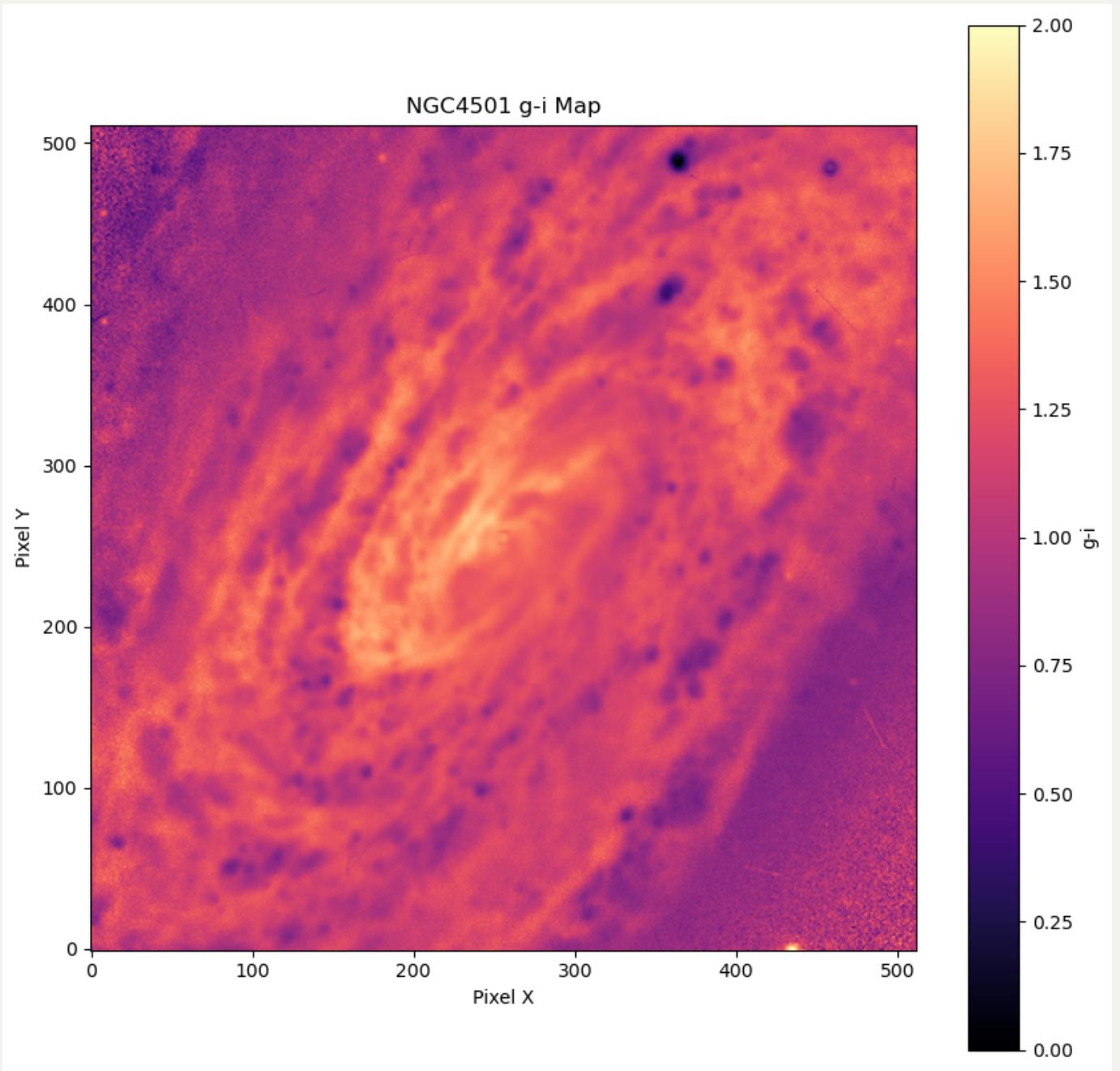


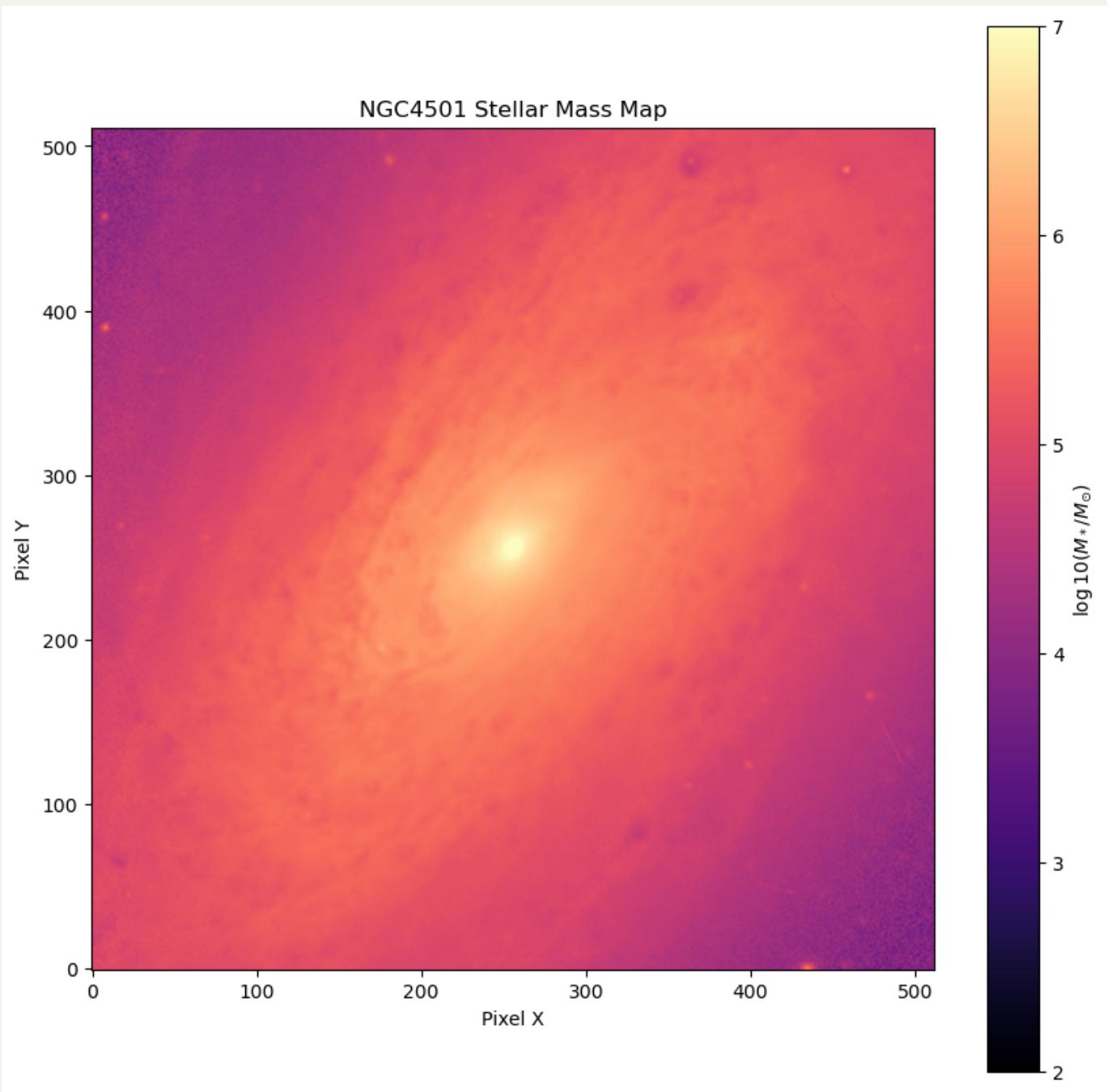
NGC4501



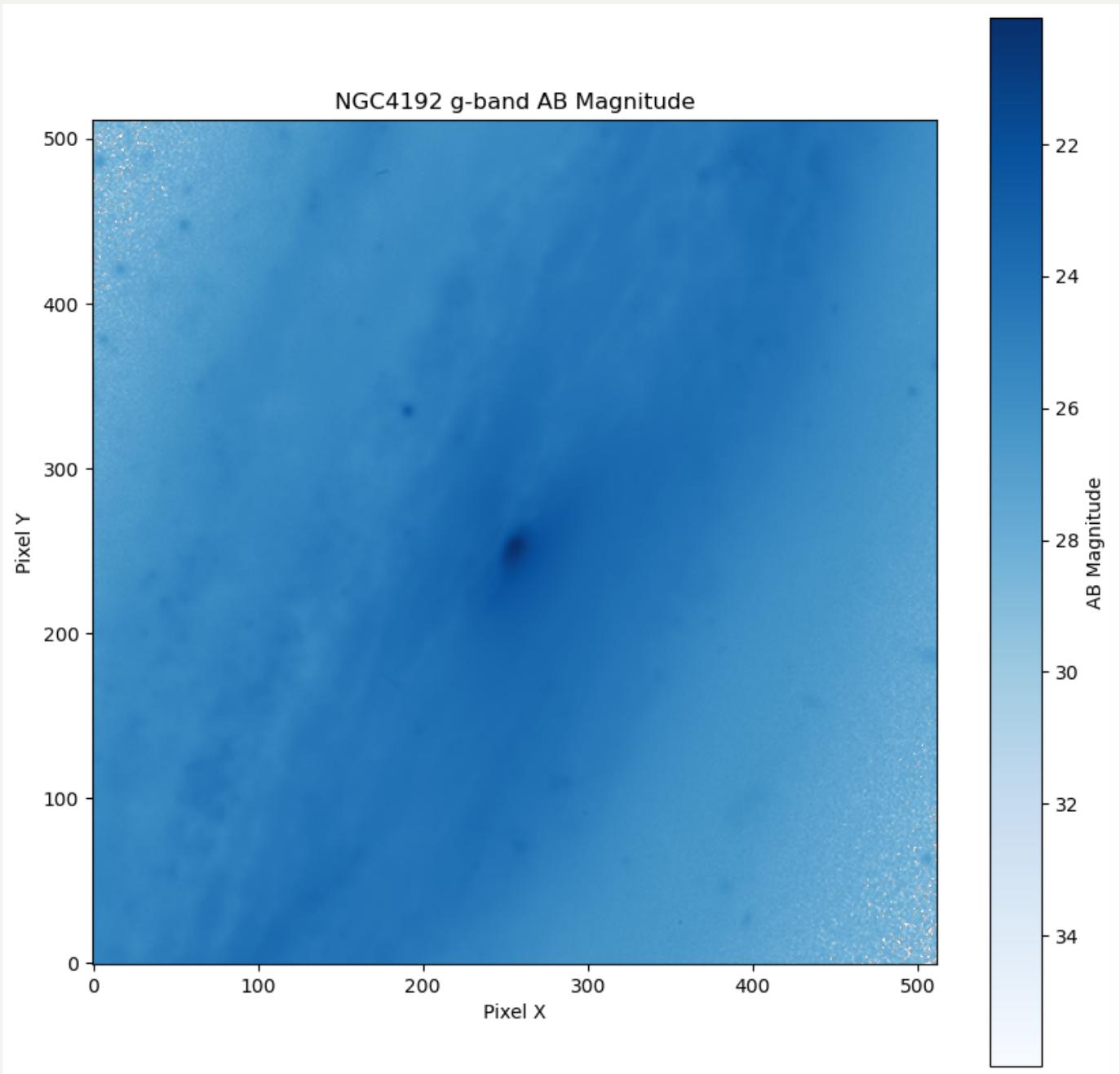


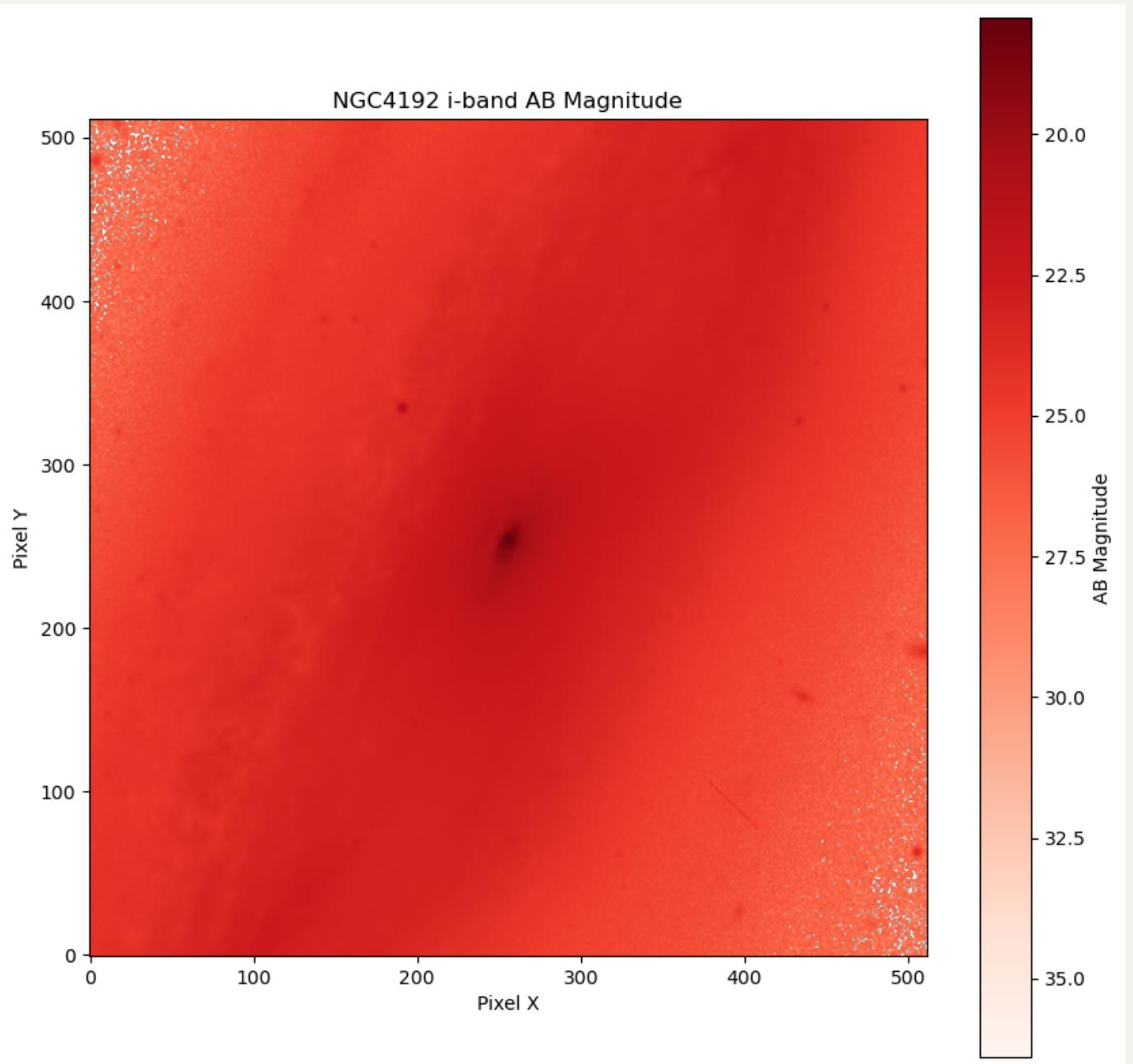
In Soria+2021, they have 17.10 ± 4.58 Mpc and $\log(11.03 \pm 0.09)$ solar masses, while I get $\log(10.75)$.





NGC4192





In Soria+2021, they have 13.55 ± 2.93 Myr and $\log(10.63 \pm 0.09)$ solar masses, while I get $\log(10.25)$.

