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LECTURE NOTES

Branch / Faculty: BRANCH CIVYL Year / Sem.: III rd Subject: DSA
Topic: Queue Unit: II Lecture No.

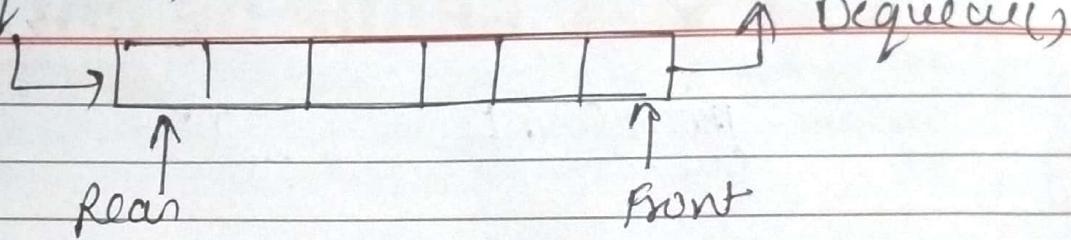
Queue :-

Queue is a linear data structure where the first element is inserted from one end called REAR Deleted from the other end called FRONT

- ⇒ Front points to the beginning of the queue and Rear points to the end of the queue
- ⇒ Queue follows the FIFO (first in first out) structure
- ⇒ According to its FIFO structure, elements inserted first will also be removed first
- ⇒ This contrasts with stacks, which are last in first out (LIFO)
- ⇒ The process to add an element into queue is called Enqueue & The process of removal of an element from the queue is Dequeue

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Enqueue()



A real world example of queue can be single-lane one-way road, where the vehicle enters first and exits first.

Representation of queue :-

Queue may be represented in the computer by means of one-way lists or linear array.

→ Unless otherwise stated or implied each of our queue will be maintained by a linear array QUEUE & two pointer variables.

FRONT :- Containing the location of the front element of the queue

REAR :- Containing the location of the rear element of the queue



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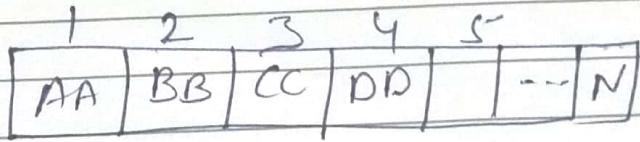
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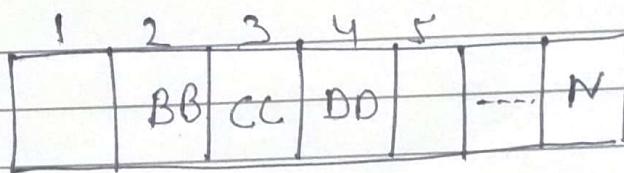
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The Condition $FRONT = NULL$, indicates that the queue is empty.

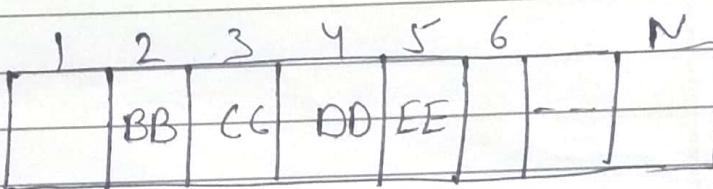
$FRONT = 1$
 $REAR = 4$



$FRONT = 2$
 $REAR = 4$



$FRONT = 2$
 $REAR = 6$



The above figure shows the way the array Queue will be stored in memory with N elements.

→ Observe that whenever an element is deleted from the queue, the value of Front is increased by 1.
i.e.

$$Front = Front + 1$$

→ Whenever an element is added to the queue, the value of REAR is increased by 1.
i.e. $REAR = REAR + 1$

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This means that after N insertions,
the rear element of the queue will
occupy $\text{QUEUE}[N]$. This occurs
even though the queue itself
may not contain many elements.



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Queue:

Inception :-

```
int queue[5];
int Rear = -1
int Front = 0
```

void insert (int n)

{
if (Rear == 4)

printf ("queue is overflow");
exit(0);

}

else

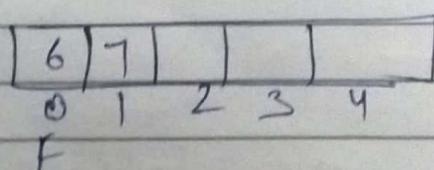
{

Rear = rear + 1;

queue[Rear] = n;

}

}



R = 1

R = 0 value of 6

R = 1 value of 7

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Algorithms

Insert (queue, rear, max, item)

Here :-

queue is queue

rear is insert position

max is size

item is value

Step 1

If check the queue is overflow,
if ($\text{rear} = \text{max}$) then

{
 print the "queue is overflow";
 exit;
}

3

Step 2

Set $\text{rear} = \text{rear} + 1$

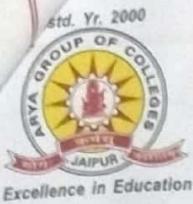
Step 3

Store the value rear position;

Set $\text{queue}[\text{rear}] = \text{item};$

Step 4

exit



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Deletion

```
int queue[5];  
int Recur = -1  
int front = 0
```

```
void delete()
```

```
{  
    if (recur > front)
```

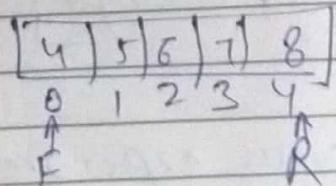
```
        printf ("queue is underflow");  
        exit(0);  
}
```

```
else
```

```
i = queue[front];  
front = front + 1;
```

```
printf ("%d", i);
```

```
}
```



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Algorithm :-

delete (que, front, Rear, item)

firstly we check the queue is underflow

Step 1

if (Rear < front) then

print the queue is underflow

exit();

end if

Step 2 Remove the value from front.

Set item = que[front];

Step 3

Increment the front by 1

Set front = front + 1;

Step 4

Exit.

Note:-

Suppose we want to insert an element item into a queue at the time queue does occupy last part of the array. i.e Rear = N

→ One way to do this is to simply move the array changing front & rear entire queue to the beginning of the array, changing front & rear according.

→ The above procedure is very expensive thus we adopt the concepts of circular queue.

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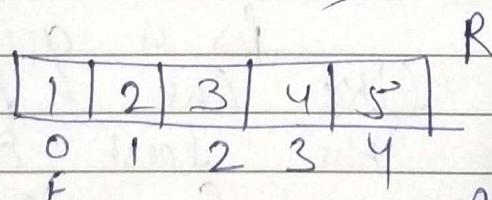
Q.

What is the problem with Simple, linear or static queue & how we can solve it?

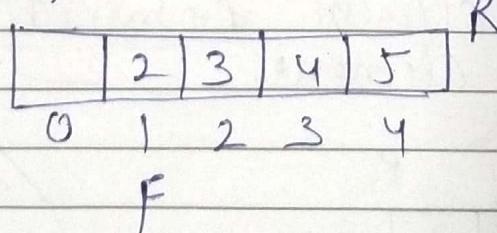
When we work with simple queue some time we face a problem on the time of insertion the problem is we says queue is full if the rear is max but this not always be true.

for example:- In case first rear is max position & we say queue is full. Actually full but in case second rear is also on maxm position we say queue is full & but not actually full.

=>



=>



so if we have space from the front we can not utilize.

Solution:

There are various type solution when we delete the value front shift a head but to utilize utilize if shift all the values front & rear position one back.

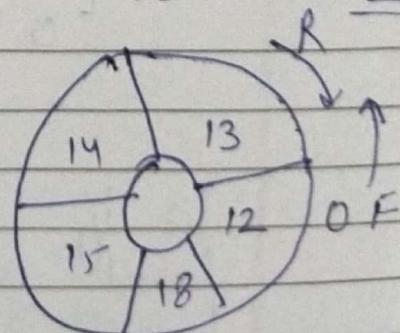
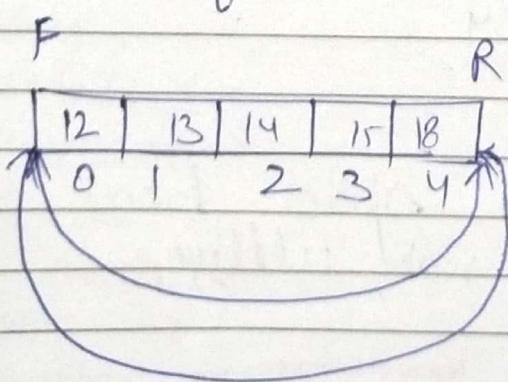
11	12	13	14	18
0	1	2	3	4

but this method is not a good method because in this method we required to shift all the elements & rear front position one back only to one.

So to solve this problem we require other better alternative which is circular queue.

Circular queue -

Is a queue in which we assume like the first element come after the last element & the last element remains before the first element. like a circular.



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represented of circuit Queue

a)

Initially Empty

$$F=0$$

$$R=0$$

1	2	3	4	5	

b)

A, B & C inserted

$$F=0$$

$$R=3$$

1	2	3	4	5	

c)

A deleted

$$F=2$$

$$R=3$$

1	2	3	4	5	

d)

D & E inserted

$$F=2$$

$$R=5$$

1	2	3	4	5	

e)

B & C deleted

$$F=4$$

$$R=5$$

1	2	3	4	5	

f)

F inserted

$$F=4$$

$$R=1$$

1	2	3	4	5	

g)

D deleted

$$F=5$$

$$R=1$$

1	2	3	4	5	

h)

G & H inserted

$$F=5$$

$$R=3$$

1	2	3	4	5	

i)

E deleted

$$F=5$$

$$R=3$$

1	2	3	4	5	

j)

F deleted

$$F=2$$

$$R=3$$

1	2	3	4	5	

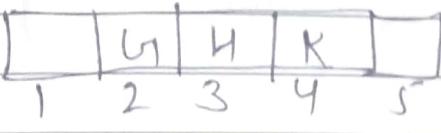
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K>

R inserted

$$F = 2$$

$$R = 4$$

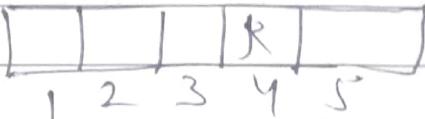


7

U & H deleted

$$F = 4$$

$$R = 4$$

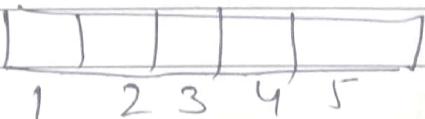


m7

R deleted

$$F = 0$$

$$R = 0$$



Queue is empty.

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Circular queue:

Insertion :-

int cqu[05];

int Rear = -1

int Front = -1

void insert (int n)

{ if (Front == 0 && Rear == 4) || (Front == Rear + 1)

{ printf (" queue is overflow");
exit(0);

}

else if (Front == -1 && Rear == -1)

{

Front = 0;

Rear = 0;

}

else if (Rear == 4) - R = 4

Rear = 0;

R = 0'

else

Rear = rear + 1;

cqu[Rear] = n;

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{

Algorithm 6-

insert (Cque, Rear, front, Item, Max)

Here :-

Cque is Circular queue
 Rear is Insert position.
 Item is insert value
 Max is size.

Step 1 we check the overflow Queue,

if (Front == 0 && Rear == MAX) || (Front == Rear - 1)

print ("overflow");

exit (0);

End If

Step 2 if (Front == -1 && Rear == -1) (queue is empty)

{
 set front = 0
 set rear = 0

End If

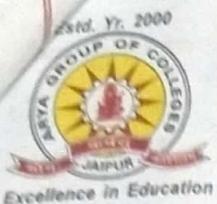
Step 3 if (Rear == max) then
 set Rear = 0

Otherwise

set Rear = Rear + 1

End If

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Step 4

Store the value on rear position.

Set Cque[Recu] = item

Step 5

Exit

Program :- Dequeue (deletion in queue)

void DLL()

{

if (Front == -1 && Rear == -1)

printf (" Queue is Underflow");

exit(0);

}

item = Cque[Front];

if (Rear == Front)

{

Front = -1;
Rear = -1;

}

else if (Front == 4)
Front = 0;

else

Front = Front + 1
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Print " deleted value is = 'd', item);
Date:

Algorithm:

Deletion (que, Rear, Front, item, max)

Step 1

we check the underflow condition.

if (Rear == -1 & front == -1) then
 print-f ("underflow");

exit(0);
 Endif.

Step 2

Delete the value from queue.

Set item = que[front]

Step 3

if (front == Rear) (means this is last element)
 set of Front--

set of Rear--

Endif

Step 4

if (front == max) then

Set Front = 0;

Otherwise

Set front = front + 1;

End if

Step 5

Exit.



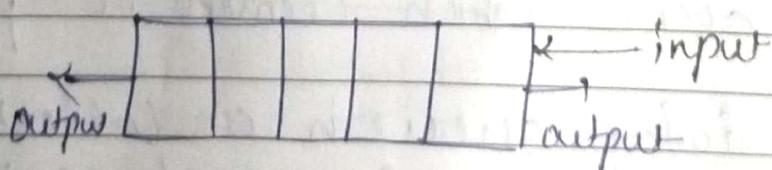
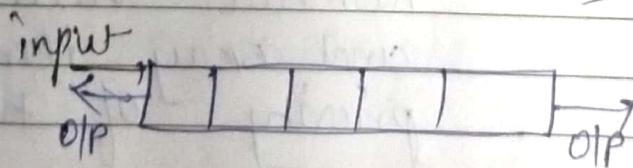
DE-queues

This queue means double ended queue in which insertion & deletion is perform from both end.

We mainly categorised into two categories

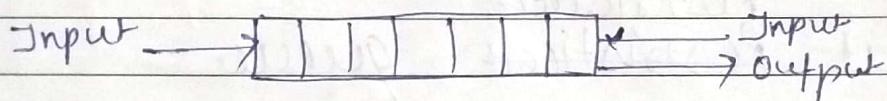
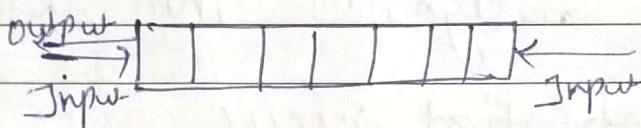
- ① Input Restricted queue
Restricted
- ② Output Restricted queue

⇒ Input Restricted deques are those in which output can be perform both end but input is perform only one end.



Output Restricted

In which output can be perform only from one end but input can be perform from both end.



Priority Queue :-

This queue is a queue in which we assign the numeric value to each and every item called priority of the item

which decides which element is processed when

\Rightarrow A priority queue is a collection of elements such that each element has been assigned a priority.

The order in which elements are deleted and processed comes from the following rules.



- ① An element of higher priority is procured before any element of lower priority
- ② Two elements with the same priority are procured according to the order in which they were added to the queue.
- A prototype of a priority queue is a time-sharing system.
- There are various ways of maintaining a priority queue in H/o.
- ↳ one-way list
↳ multiple queue.

One-way list representation of a priority Queue :-

One way to maintain a priority queue in H/o is by means of a one-way list, as follows.

Q) Each node in the list will contain three items of information :-



- * An information field INFO
- + A priority no. PRN.
- * A link no. LNK

by
A node x precedes a node y in the list

- when x has higher priority than y
- when both have the same priority

but x was added to list before y

Notes- Thus the order in the one-way list corresponds to the order of the priority queue.

priority no. will operate the usual way
the lower the priority no. the higher
the priority

Array Representation of a priority Queue :-
 Another way to maintain a priority queue in H/S is to use a separate queue for each level of priority (for each priority no.)

- ⇒ Each such queue will appear in its own circular array & must have its own pair of pointers, Front & Rear.
- ⇒ In fact, each queue is allocated the same amount of space, a 2-D array (Queue can be used instead of the linear array).

The following figure indicate this representation for one priority queue observe that $FRONT[K]$ and $REAR[K]$ contain respectively the Front & Rear elements of the row that maintains the queue with priority no. K



	FRONT	REAR		1	2	3	4	5	6
1	2	2					AA		
2	1	3		2	BB	CC	XX		
3	0	0		3					
4	5	1		4	FF			DD	EE
5	4	4		5				66	



Application of Queues

Round Robin algo

A popular use of queue data structure is the scheduling problem in the operating system.

- Round-Robin is one of the simplest scheduling algo for processes is an operating system, which assigns time slices to each process in equal portion and in order, handling all process without priority.
- This scheduling designed for time-sharing system in which CPU is shifted to the next process after fixed interval time, which is called 'time quantum' slice.
- Completion Time :- Time at which process completes its execution.

Burst Time :- Burst Time refers to the time required in milliseconds by a process for its execution.

Turn Around Time :- Time difference b/w completion time & arrival time.

$$TAT = CT - AT$$

Waiting Time (WT) :-

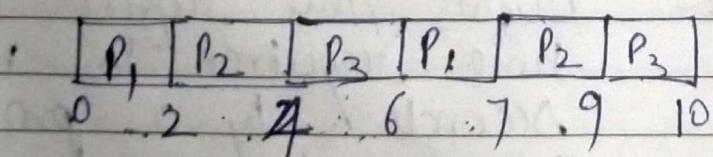
Time difference b/w turn around time & burst time.

$$WT = TAT - BT$$

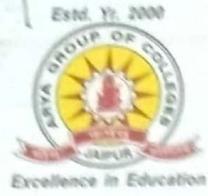
for exap-

Process	Burst time	Arrival time	CT	TAT	WT
P ₁	2	0	7	7	4
P ₂	3	0	9	9	5
P ₃	1	0	10	10	7

given time quantum = 2



Average waiting time $\rightarrow \frac{4+5+7}{3} = \frac{16}{3} = 5.33$



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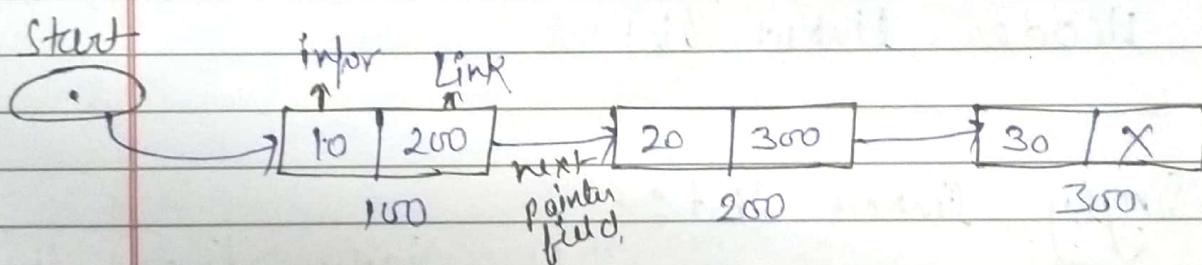
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Linked Lists :-

A linked list or one-way list is a linear collection of data elements called nodes, where the linear order is given by means of pointers.

- ⇒ Each node is divided into two parts.
 - ① Information of the element
 - ② Link field or nextpointer, contains the address of the nextnode in the list



- ⇒ The linked list contain a list pointer variable "Start" which contain the address of the first node in the list.
- ⇒ The pointer to the last node contains a special value called the null value. | pointer.

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Syntax

struct node

{ int data;

struct node *next;

};

struct node *start = 0, *newnode;

Types of linked list :-

- (1)
- (2)
- (3)
- (4)

Singly linked list -

Doubly linked list

Circular linked list

Header linked list

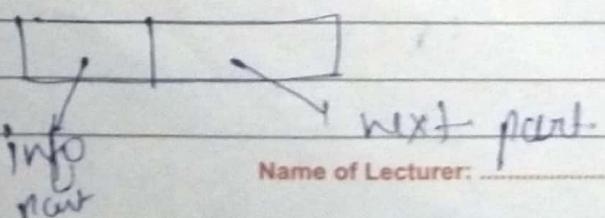
Singly linked list -

A Singly linked list is a special type of linked list in which each node has only one link that points to the next node in the linked list.

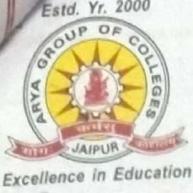
=>

Traversal of items can be done in the forward direction only due to the linking of every node to its next node.

Each node have two parts :-



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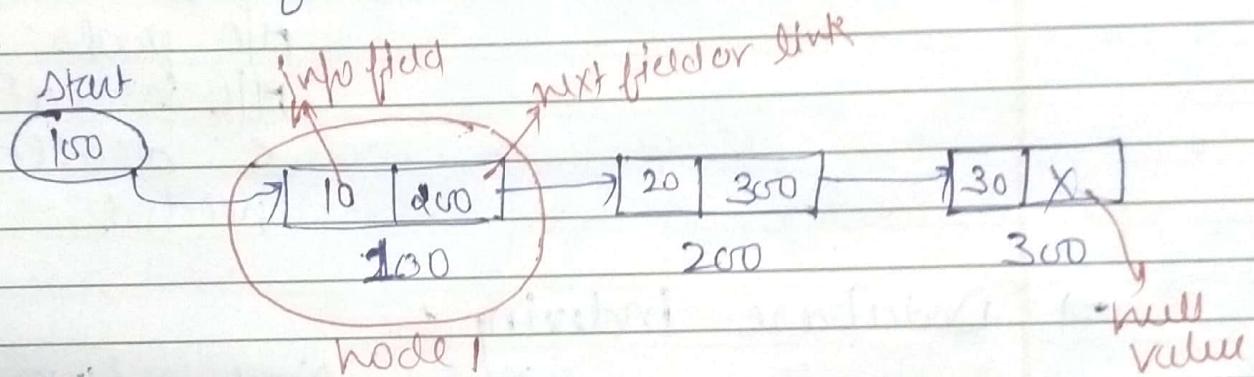
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→ The **Start** Contains the Starting address of the linked list i.e. It contains the address of the first node of the linked list.

→ Next part of the last node contains the **null value** which indicates that it is the end of linked.



Characteristics of a singly linked list -

- Each node holds a single value & a reference to the next node in the list.
- The list has a head, which is a reference to the first node in the list and a tail, which is a reference to the last node in the list.
- The nodes are not stored in a contiguous block of memory, but instead, each node holds the address of the next node in the list.

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→ Accessing elements in a singly linked list required traversing the list from the head for the desired node, as there is no direct access to a specific node in MLO.

Application of Singly Linked List :-

→ Memory Management :-

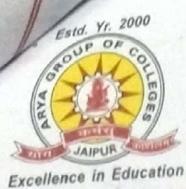
Singly linked lists can be used to implement MLO pools, in which MLO is allocated & deallocated as needed.

→ Database indexing :-

Singly linked lists can be used to implement linked lists in database allowing for fast insertion and deletion operations.

→ Representing polynomials and sparse matrices

Singly linked list can be used to efficiently represent polynomials and sparse matrices, where most elements are zero.



Operating Systems

Operating Systems :-
Singly linked lists are used
in operating system for tasks such as
scheduling processes and managing system
resources.

Advantages & Disadvantages of Singly Linked List :-

Advantages :-

Advantages :- It is a dynamic data structure that is, it can grow & shrink during run-time

2

Insertion & deletion operations are easier.

3

Efficient memory utilization (no need to pre allocate memory)

9

Linear data structures such as stack & queue can be easily implemented using linked list.

Disadvantages :-

Reverse Traversing is very difficult in case of single linked list.

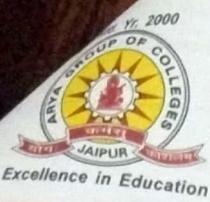
- No random access in Linked List, we have to access each node sequentially.

Representation of linked list in memory :-

- Let list be a linked list. Then LIST will be maintained in memory as follows :-
- first of all LIST requires two linear array "INFO" and "LINK", such that INFO[] and LINK[] contain respectively the information part & next pointer field of a node LIST.
- LIST also require a variable name such as START, which contains the location of the begining of the list.

NOTE:- We will chose '0' to indicate null value.

The following example of linked list indicate that the nodes of a list need not occupy adjacent element in the array INFO and LINK.



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- More than one list may be maintain in the same linear arrays INFO & LINK
- However, each list must have its own pointers variable giving location of first node.

START	INFO	LINK
9		
2		
3 O		6
4 T		0
5		
6 □		11
7 X		10
8		
9 N	3	
10 I	4	
11 E	7	
12		

START = 9
So INFO[9] = N is the first character
LINK[9] = 3 INFO[3] = O
LINK[3] = 6 INFO[6] = □(Null)
LINK[6] = 11 INFO[11] = F
LINK[11] = 7 INFO[7] = X
LINK[7] = 10 INFO[10] = I
LINK[10] = 4 INFO[4] = T
LINK[4] = 0 The list ended



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Algo for Create a node in Single linked list!

Step 1

Include alloc.h

We will be allocating mlo using dynamic memory allocation in this library all functions are included.

Step 2

Define node structure

struct node

{

int data;

struct node * next;

} *start = null;

Step 3

We create a node using DMA method:-

→ We don't have prior knowledge about no. of nodes. So we can call malloc function to create node at run time.

newnode = (struct node *) malloc (size of (struct))

Step 4

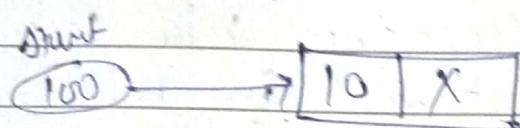
FILL the information in newly created node :-

→ Whenever we create a new node, make its next field Null.

newnode -> next = null;

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Step 5 Create very first node:-
if node created in the above step
is very first node then
we need to assign it as starting
node.



newnode = 100

Set start = temp = newnode

Step 6 Create second or n^{th} node :-

⇒ Let assume, we have 1 node already
created i.e. we have first node.

⇒ Now we have called `Create()` function
again

else

$\{$
temp → next = newnode ;
temp = newnode ;
 $\}$

in which we create link between temp &
newnode, and now temp pointer to
the newnode pointer.

Step 7 Stop.