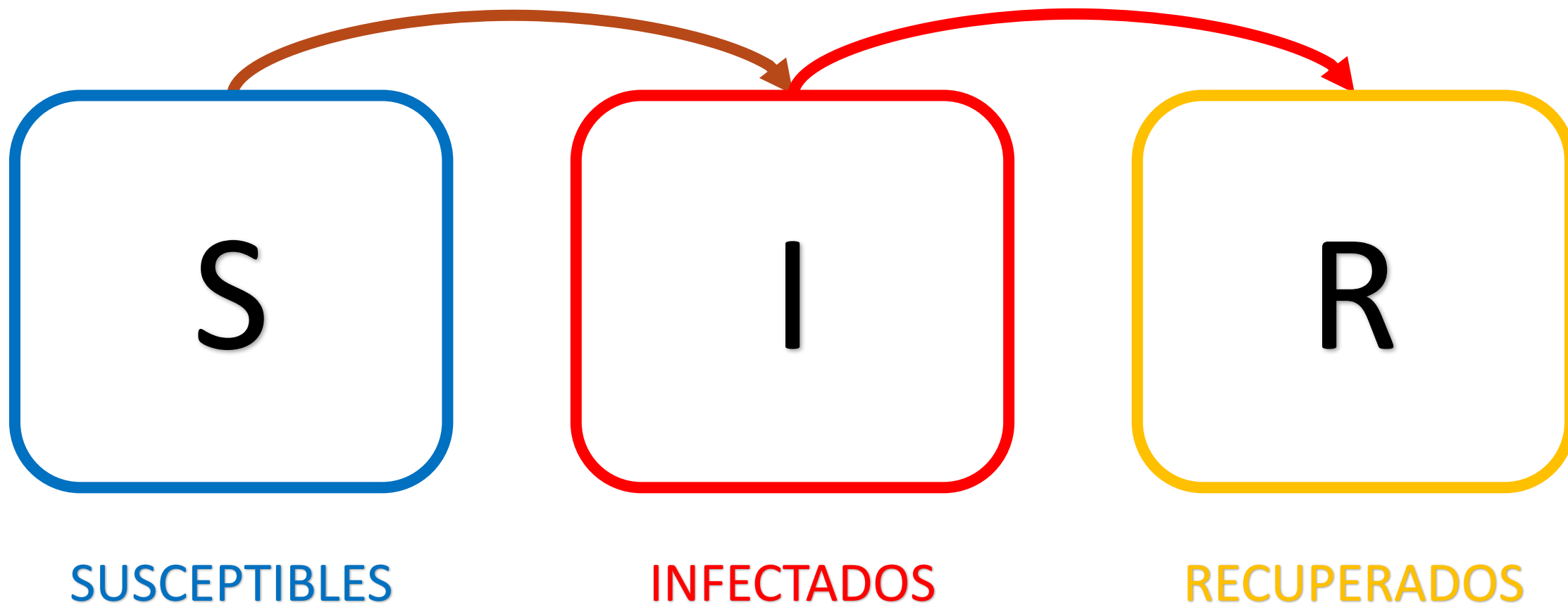


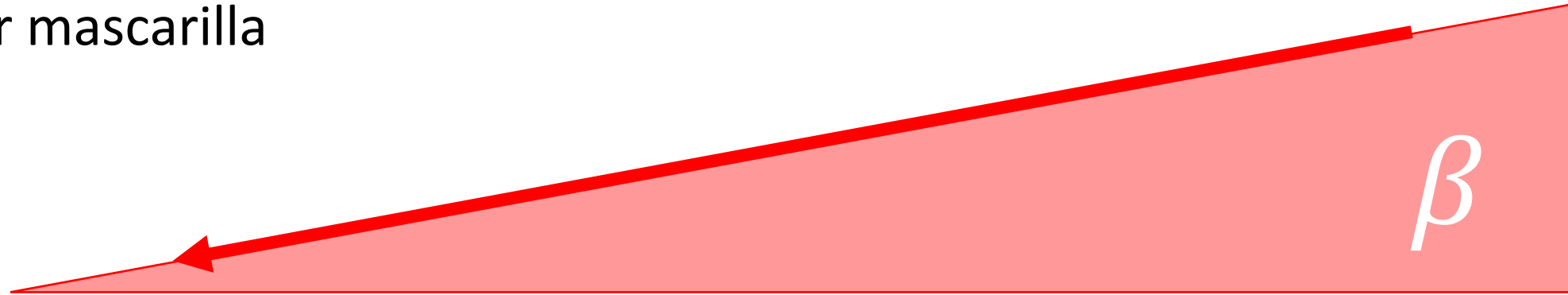
Modelo SIR

- Es un modelo de epidemiología y es el modelo matemático mas simple que permite describir como evolucionan las pandemias
- Claves para entender el modelo SIR
- El modelo SIR divide la población en tres categorías.



- El cambio diario del grupo de los **SUSCEPTIBLES** = $-\beta IS$
- El cambio diario del grupo de los **INFECTADOS** = $-\beta IS - \gamma I$
- El cambio diario del grupo de los **INFECTADOS** = $-\gamma I$
- La gente **SUSCEPTIBLE** solo puede DECRECER
- El numero de **INFECTADOS** puede sufrir un PICO
- La gente **RECUPERADA** solo puede CRECER

- Distanciamiento Social
- Lavarse las manos
- Llevar mascarilla



- Mejoras en la sanidad
- Tratamientos efectivos



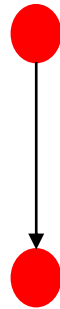
TASA REPRODUCTIVA BÁSICA

- $R_0 = \frac{\beta}{\gamma} S_0$
- R_0 = La cantidad de gente que un infectado es capaz de infectar mientras sea infeccioso

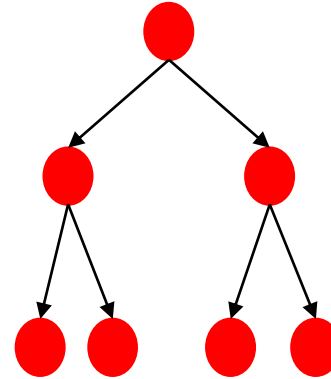
$$R_0 = 0.5$$



$$R_0 = 1$$



$$R_0 = 2$$



β

- $\beta = 0.002$
- β = Tasa de contagio diario
- Depende de como sea el patógeno en si mismo.
- Depende de como sean las vías de contagio y depende de como es la sociedad.

γ

- $\gamma = 0.5$
- $\gamma = 50 \%$ (par de días infectado)
- $\gamma = 0.25$
- $\gamma = 25 \%$ (4 días infectado)
-
- $\gamma = \frac{1}{\text{dias siendo infeccioso}}$

DIA 1

$$.002 \times 999 \times 1 = 1.998 \approx 2$$

$$\beta * S * I$$

$$\beta = 0.002$$



DIA 2

$$.002 * 999 * 1 \approx 2$$

$$\beta * S * I$$

$$\beta = 0.002$$

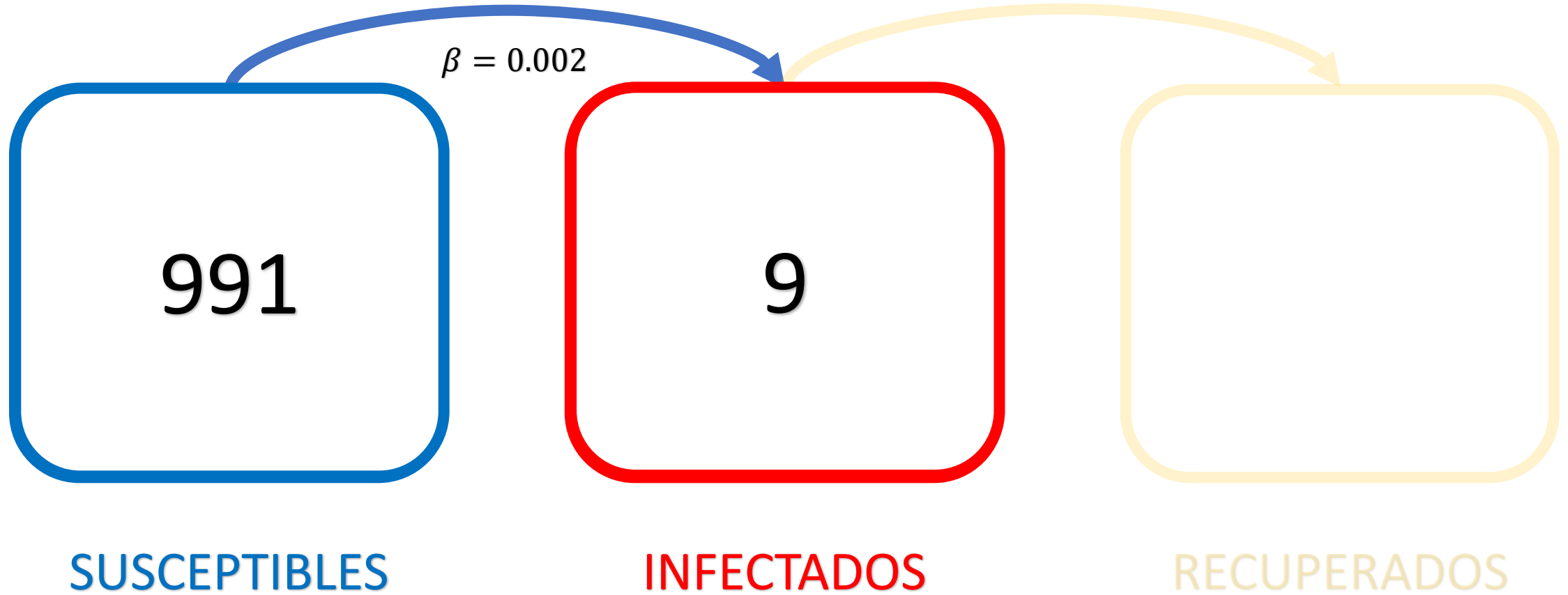


DIA 3

$$.002 * 997 * 3 \approx 6$$

$$\beta * S * I$$

$$\beta = 0.002$$

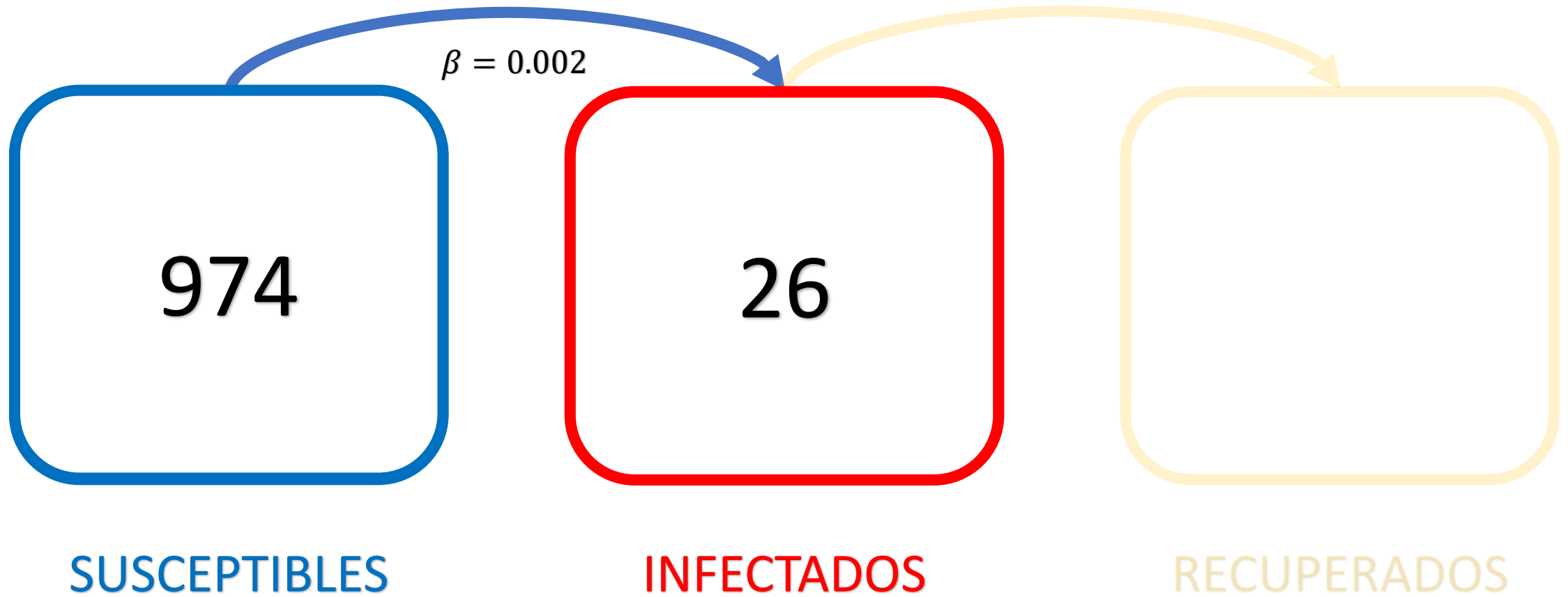


DIA 4

$$.002 * 991 * 9 \approx 17$$

$$\beta * S * I$$

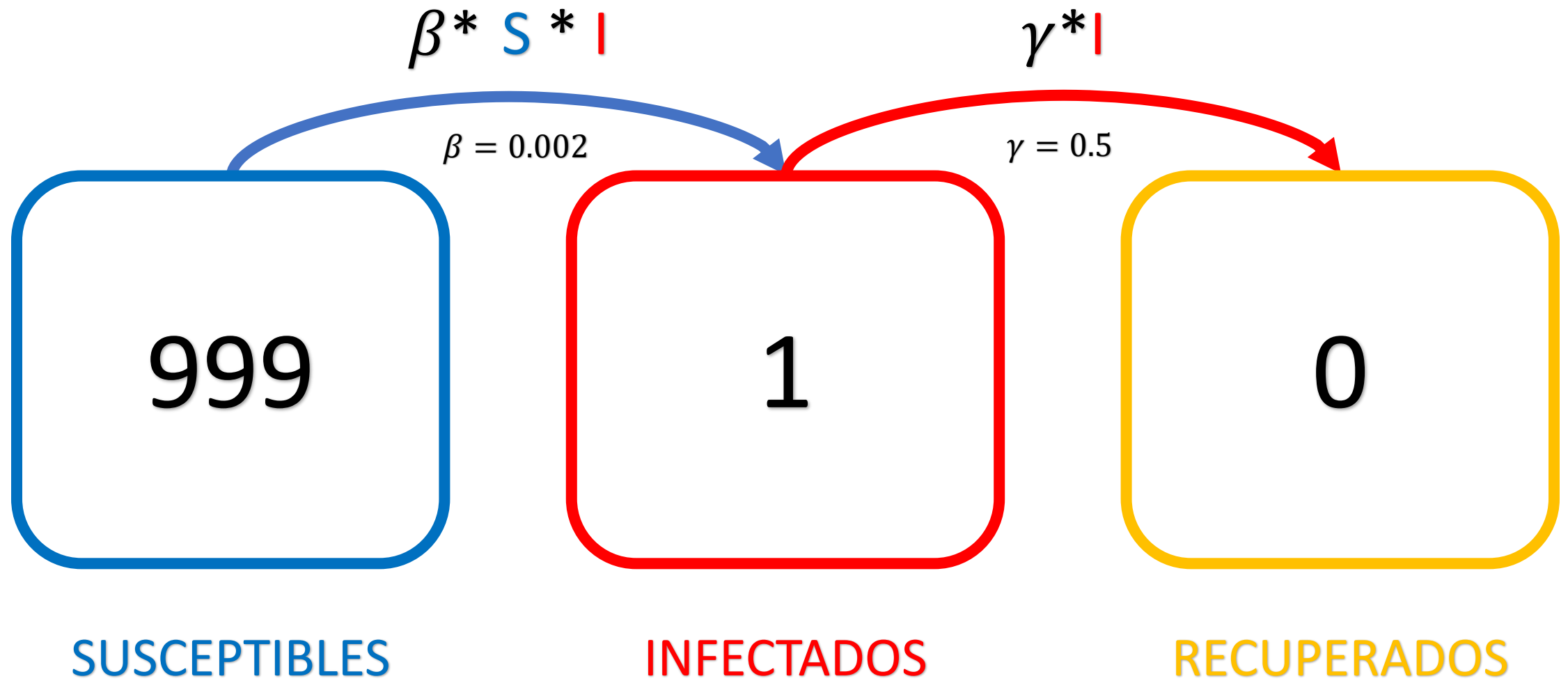
$$\beta = 0.002$$



DIA 1



DIA 1



DIA 2

$$.002 * 991 * 1 \approx 1$$

$$0.5 * 1 \approx 0$$

$$\beta * S * I$$

$$\gamma * I$$

$$\beta = 0.002$$

$$\gamma = 0.5$$

998

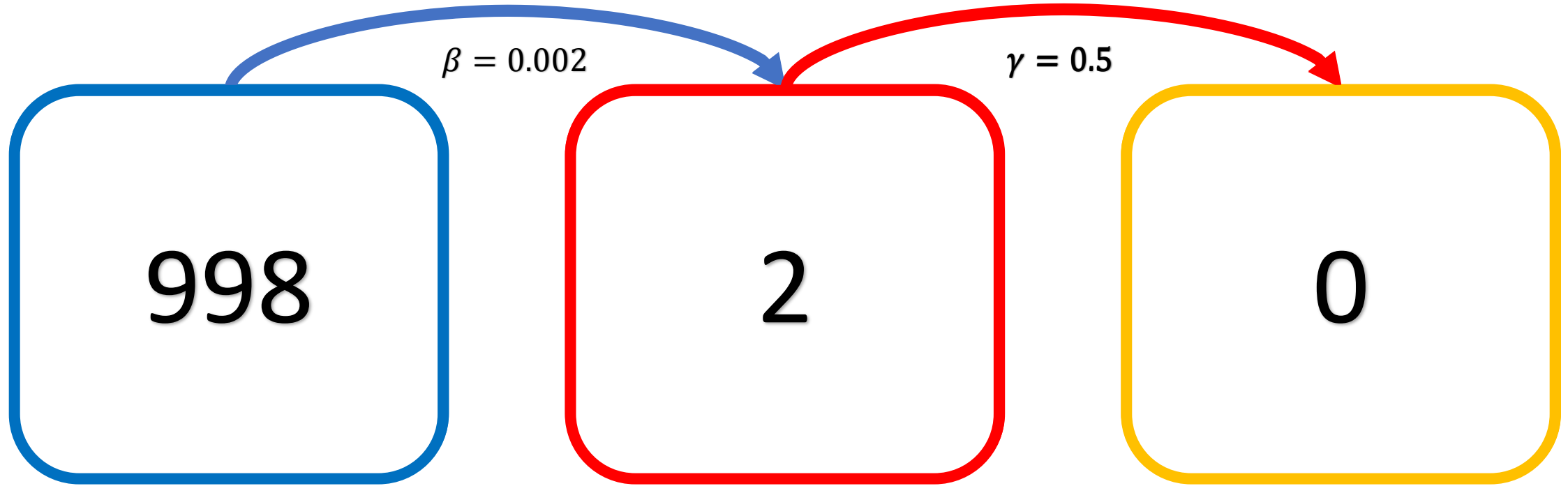
2

0

SUSCEPTIBLES

INFECTADOS

RECUPERADOS



DIA 2 \rightarrow 3

$$.002 * 998 * 2 \approx 3$$

$$0.5 * 2 \approx 1$$

$$\beta * S * I$$

$$\gamma * I$$

$$\beta = 0.002$$

$$\gamma = 0.5$$

998 - 3

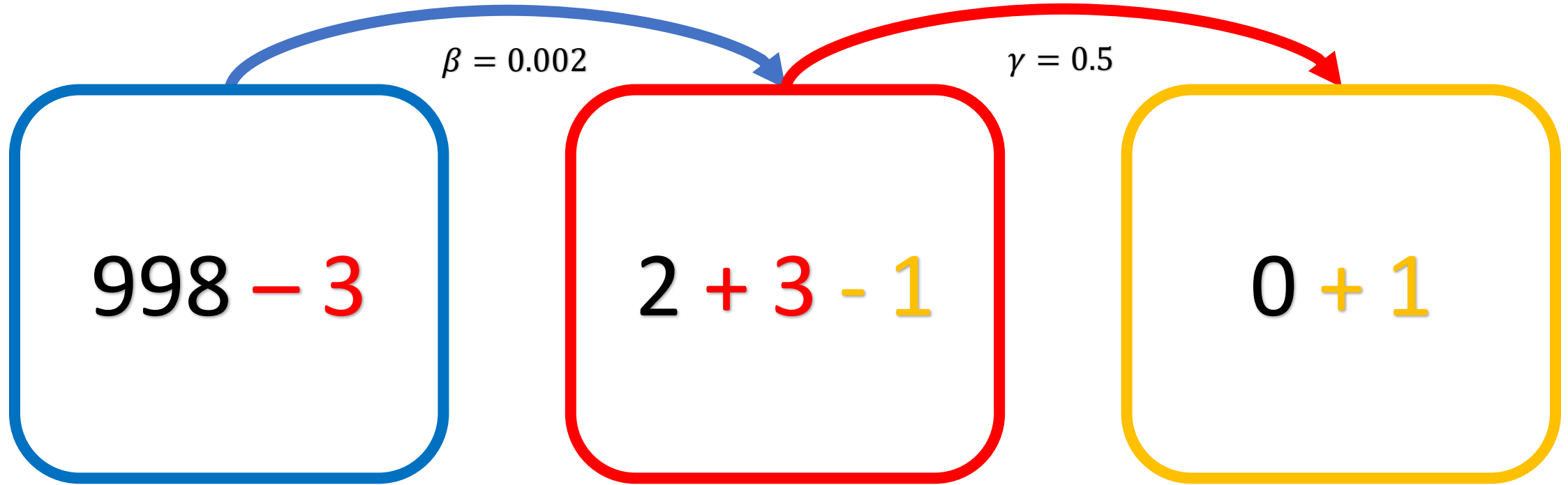
2 + 3 - 1

0 + 1

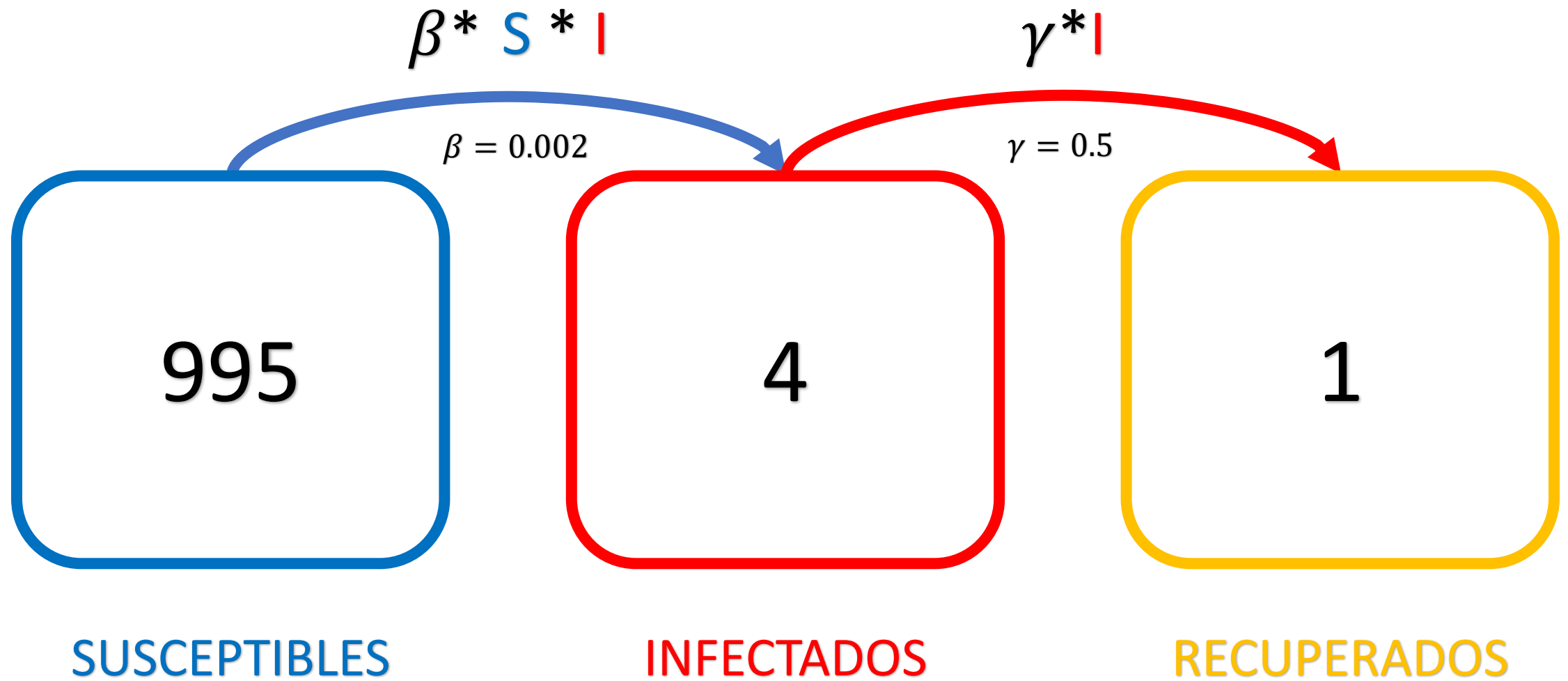
SUSCEPTIBLES

INFECTADOS

RECUPERADOS



DIA 3



DIA 3 -> 4

$$.002 * 995 * 4 \approx 7$$

$$0.5 * 4 \approx 2$$

$$\beta * S * I$$

$$\gamma * I$$

$$\beta = 0.002$$

$$\gamma = 0.5$$

995 - 7

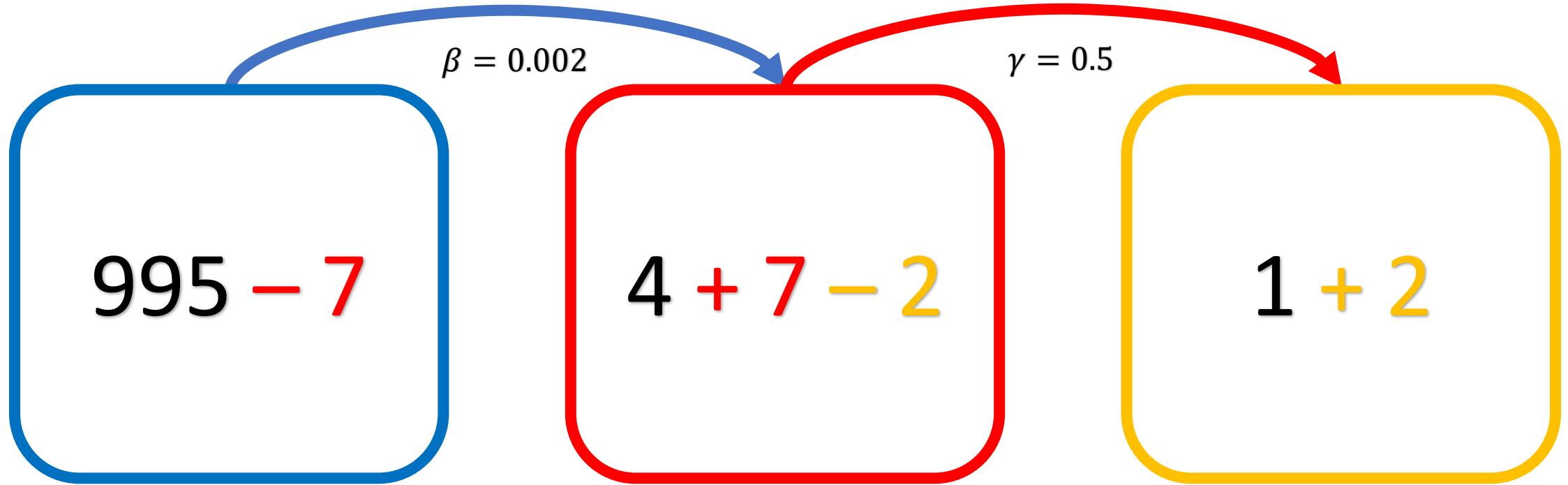
4 + 7 - 2

1 + 2

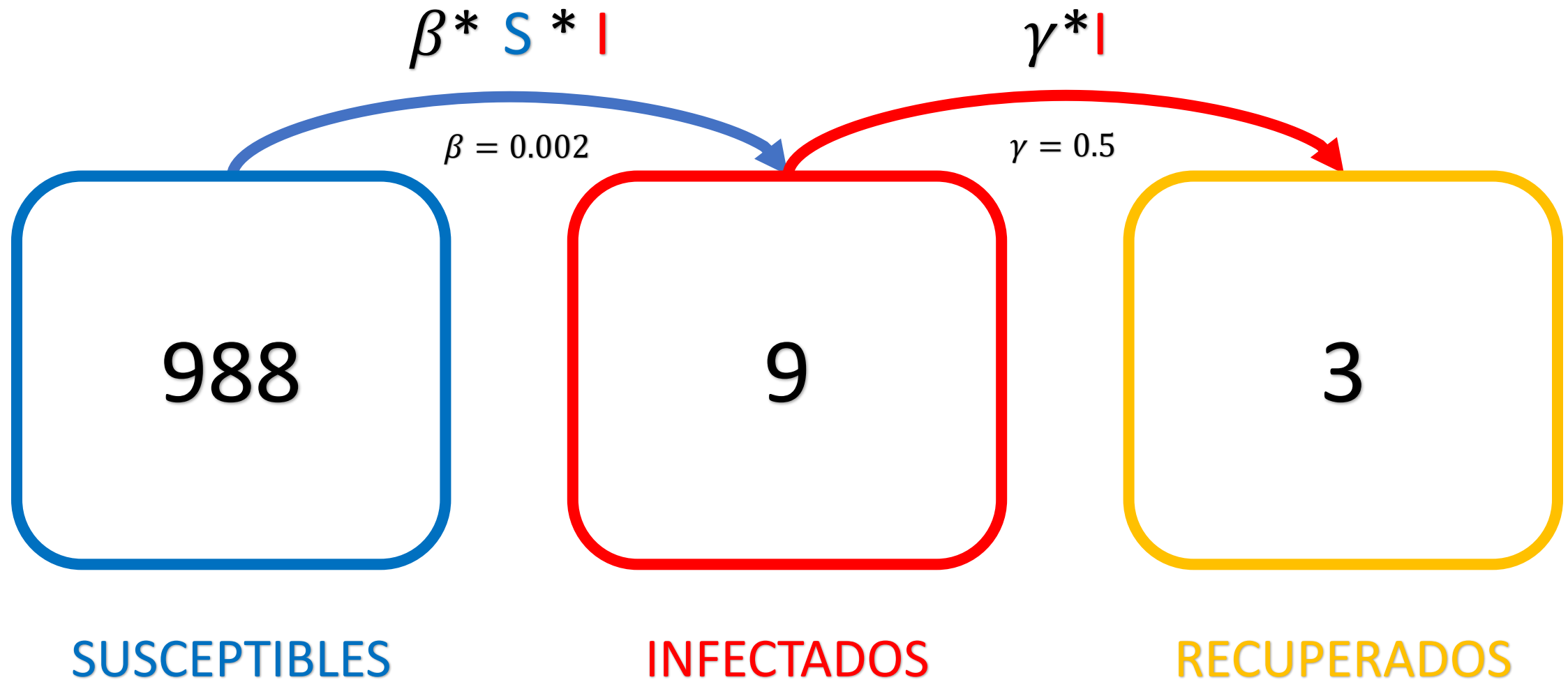
SUSCEPTIBLES

INFECTADOS

RECUPERADOS



DIA 4



DIA 4 -> 5

$$.002 * 988 * 9 \approx 17$$

$$0.5 * 9 \approx 4$$

$$\beta * S * I$$

$$\gamma * I$$

$$\beta = 0.002$$

$$\gamma = 0.5$$

$$988 - 17$$

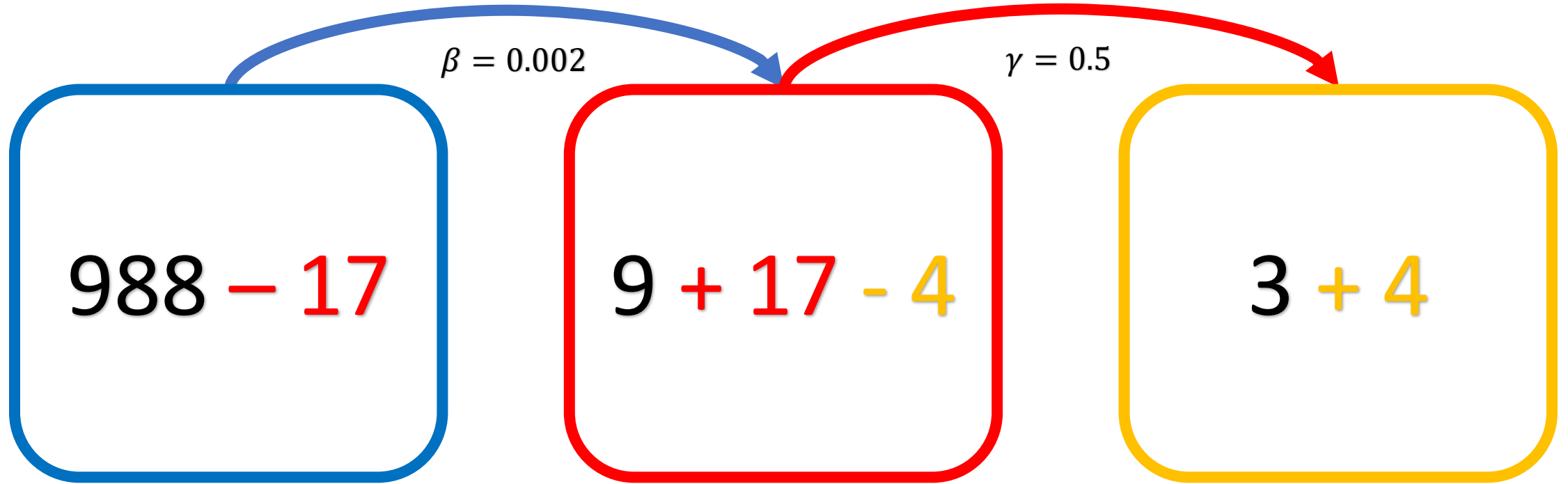
$$9 + 17 - 4$$

$$3 + 4$$

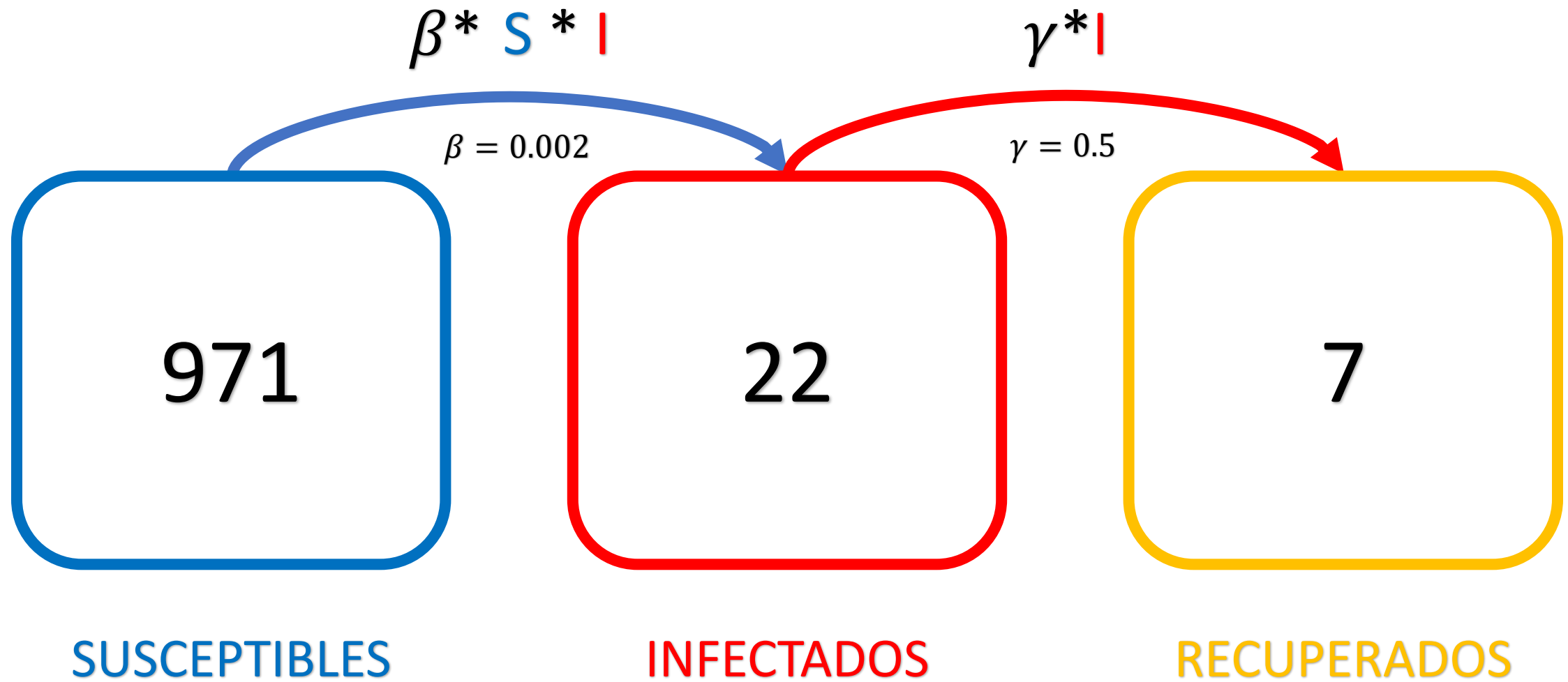
SUSCEPTIBLES

INFECTADOS

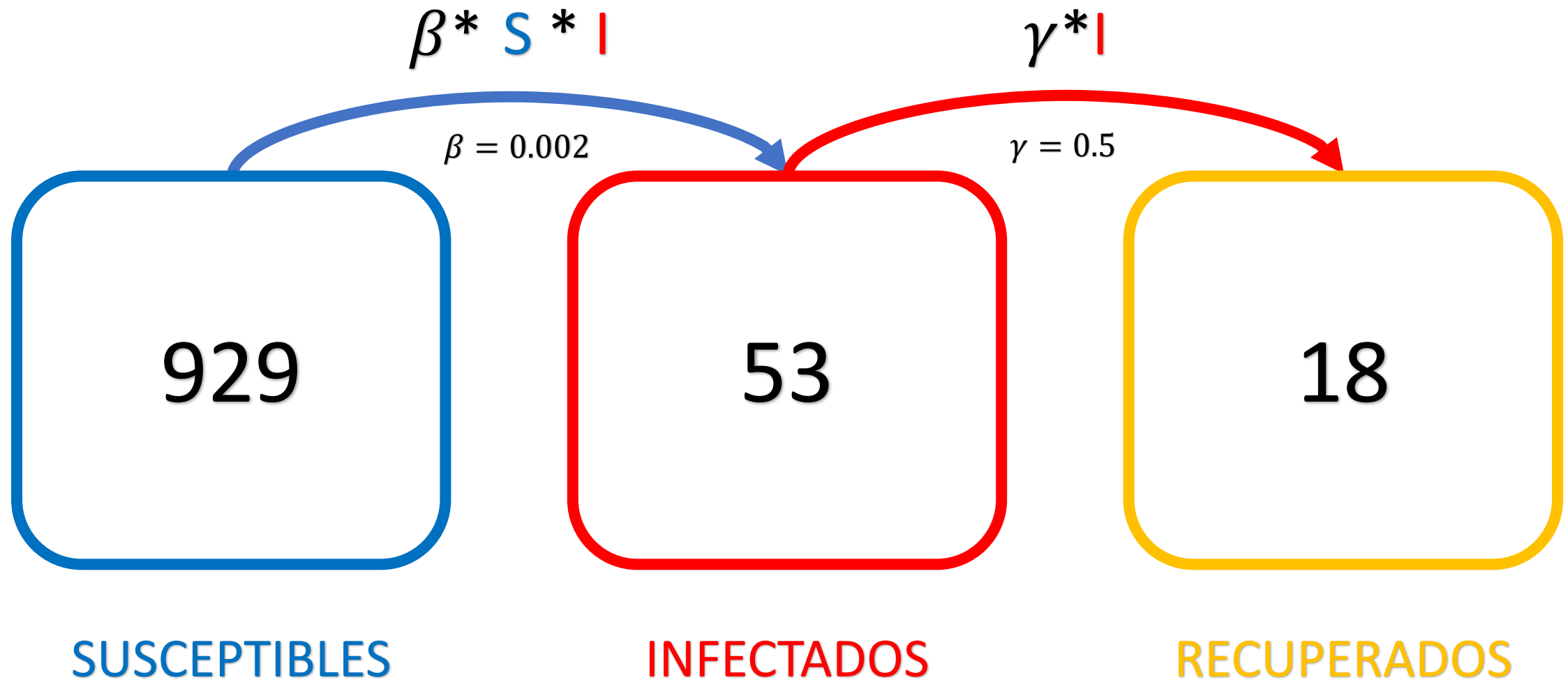
RECUPERADOS



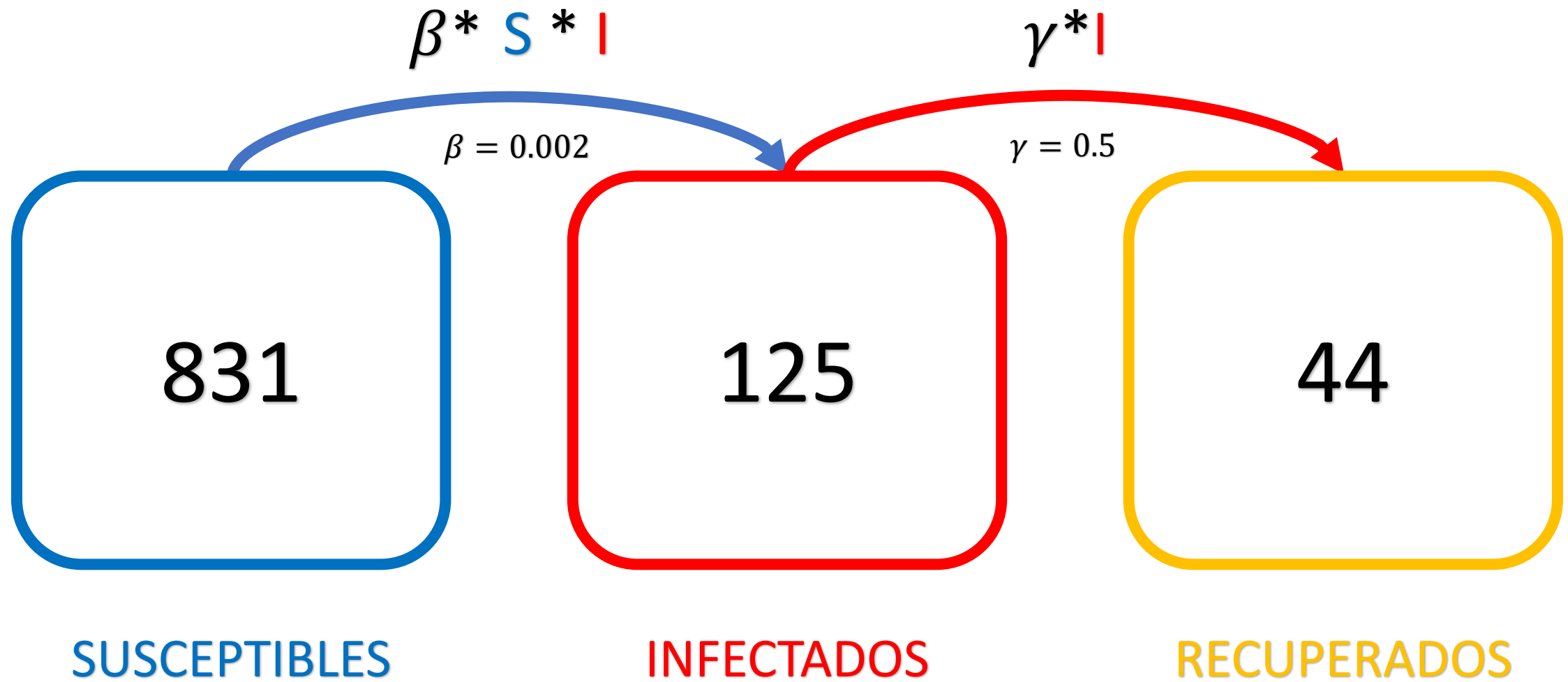
DIA 5



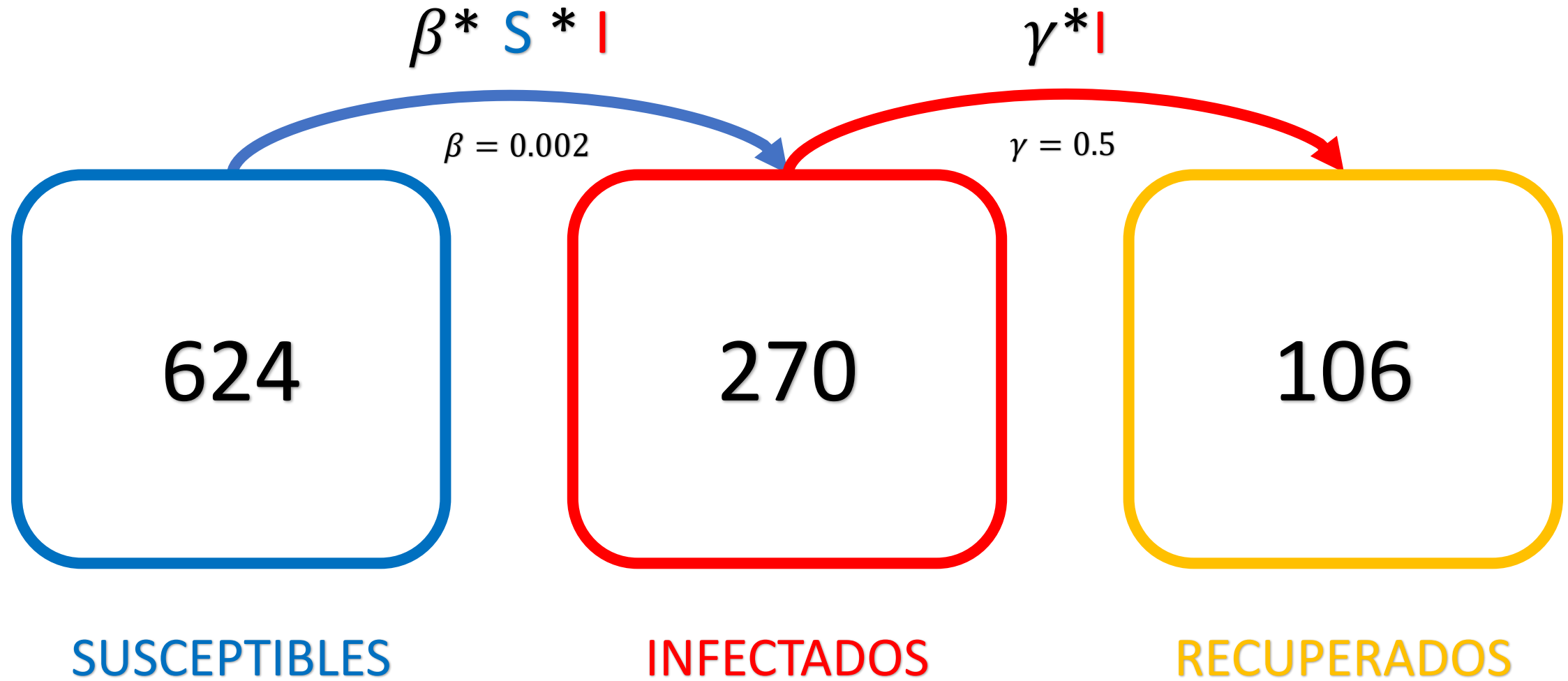
DIA 6



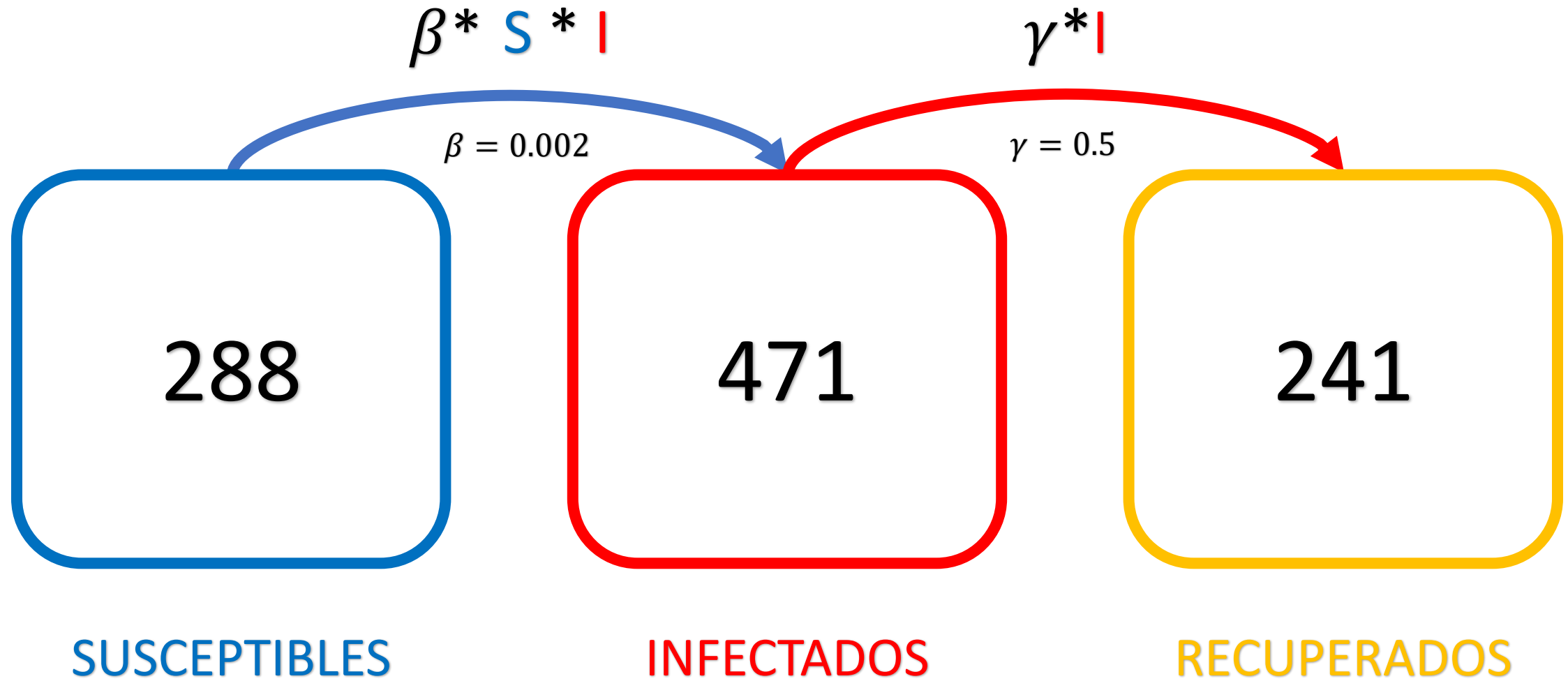
DIA 7



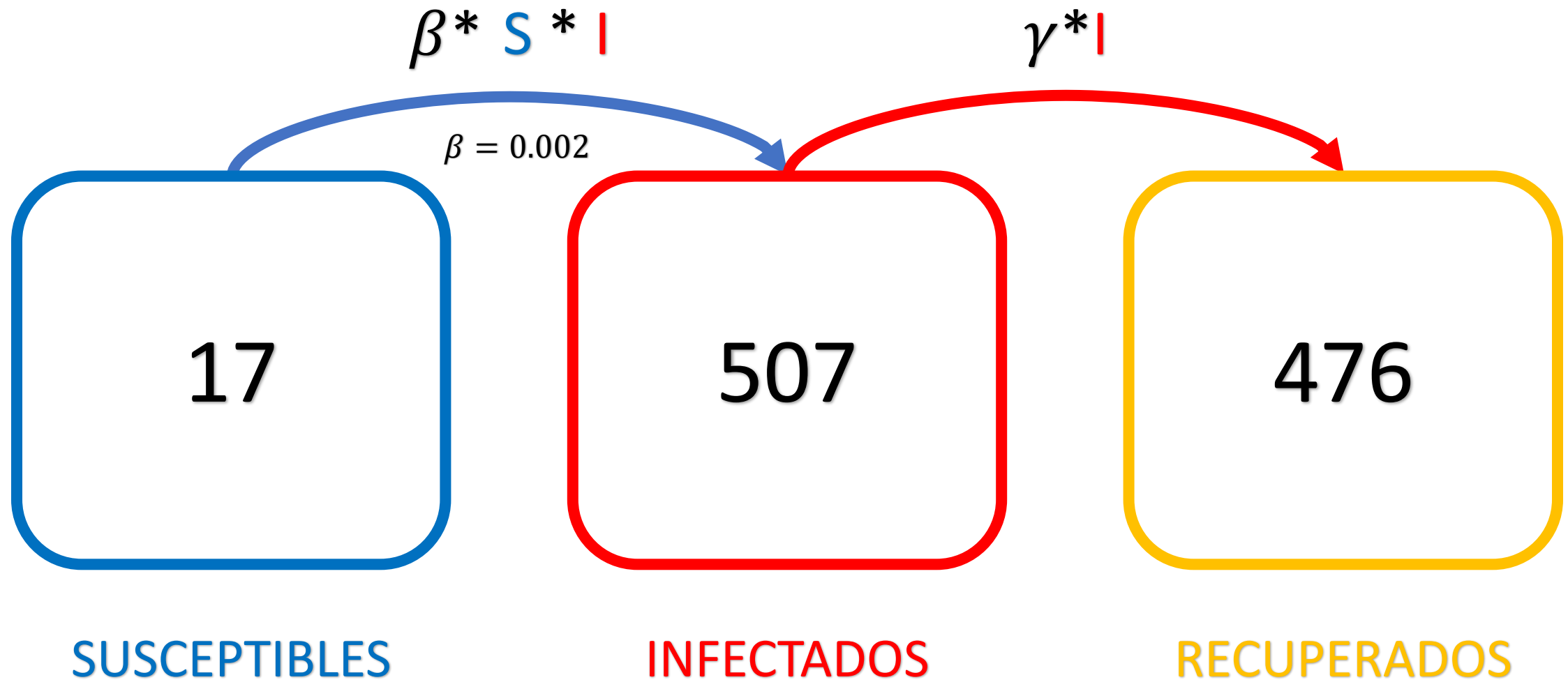
DIA 8



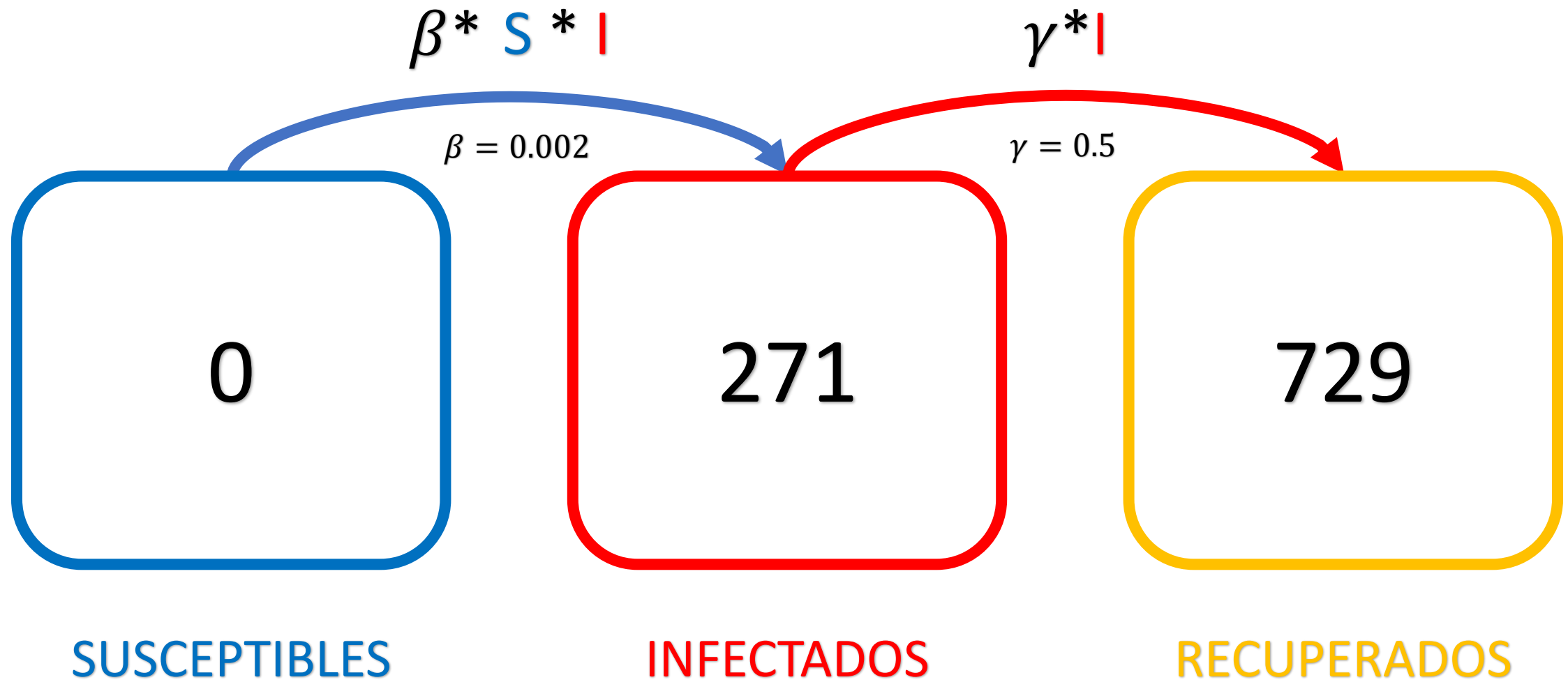
DIA 9



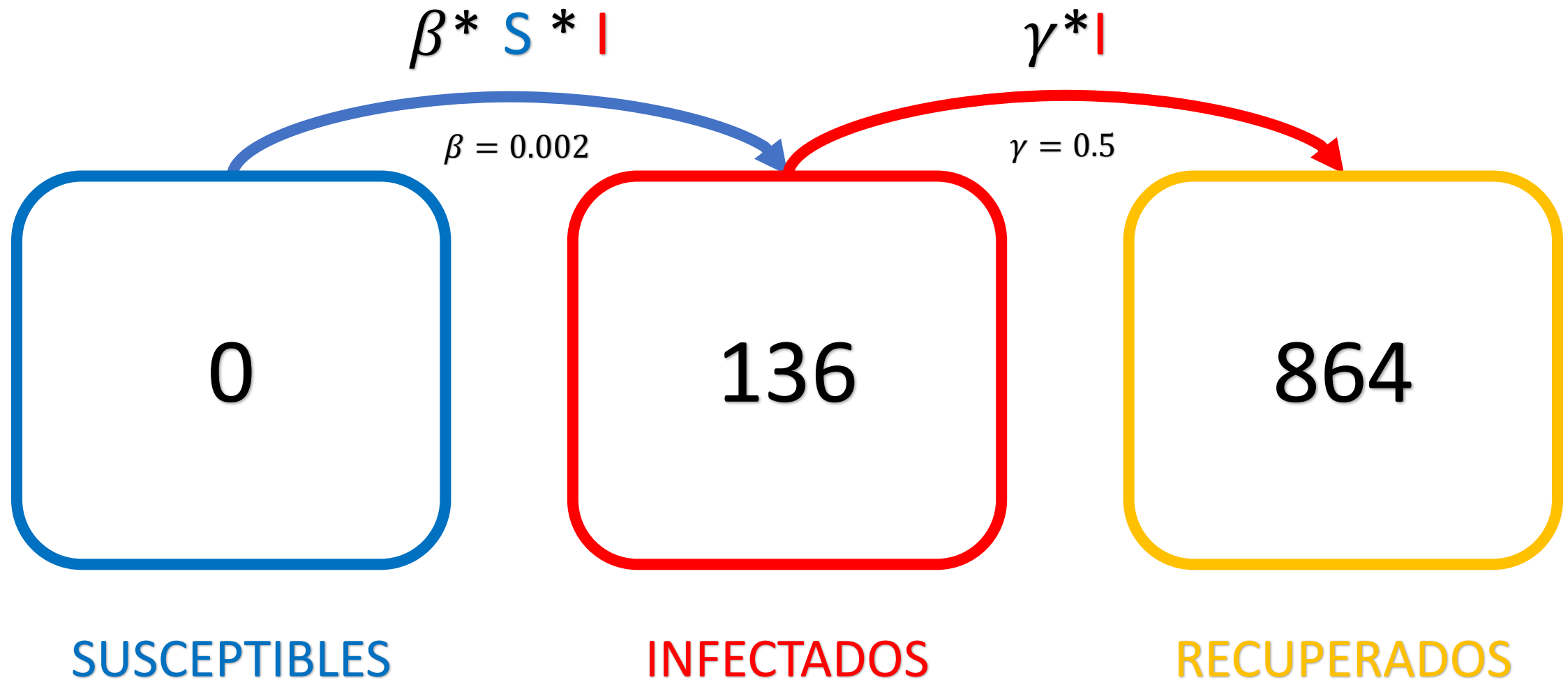
DIA 10



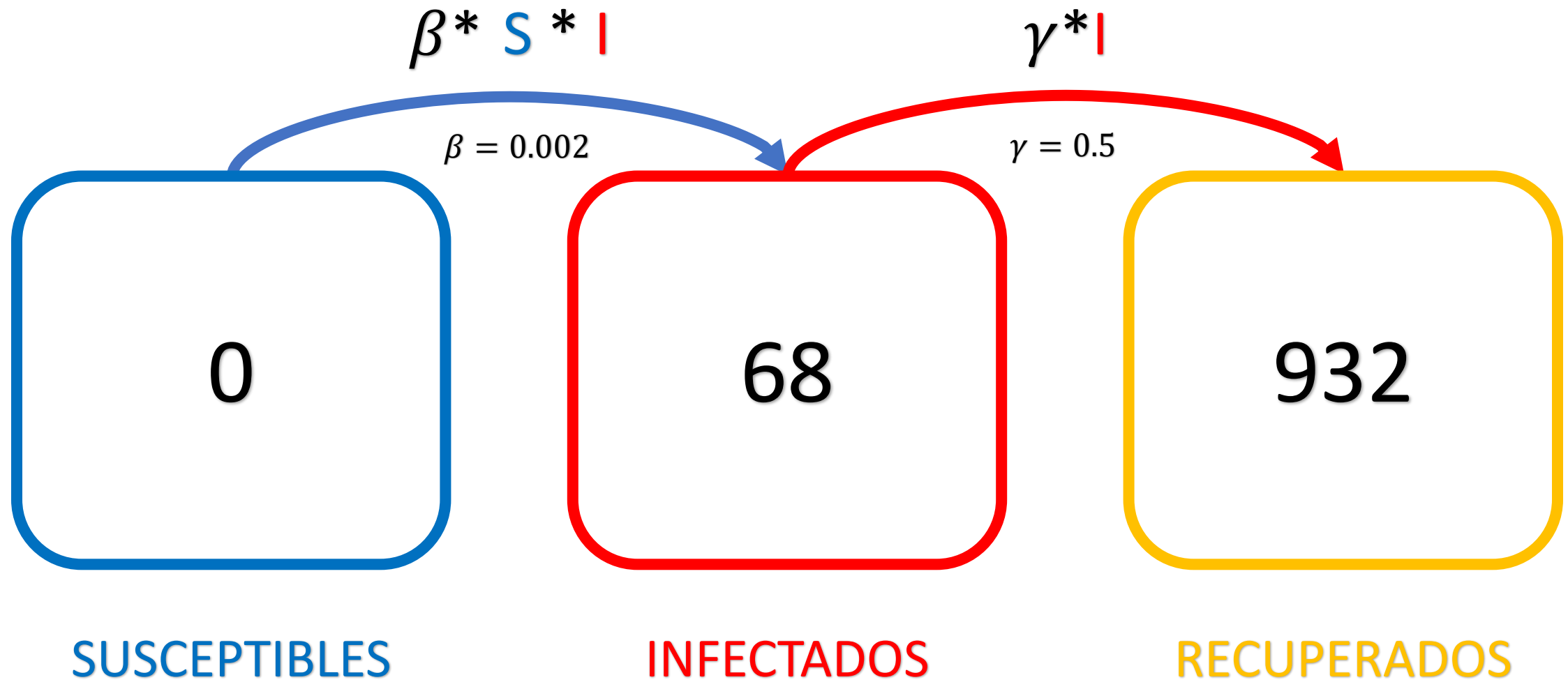
DIA 11



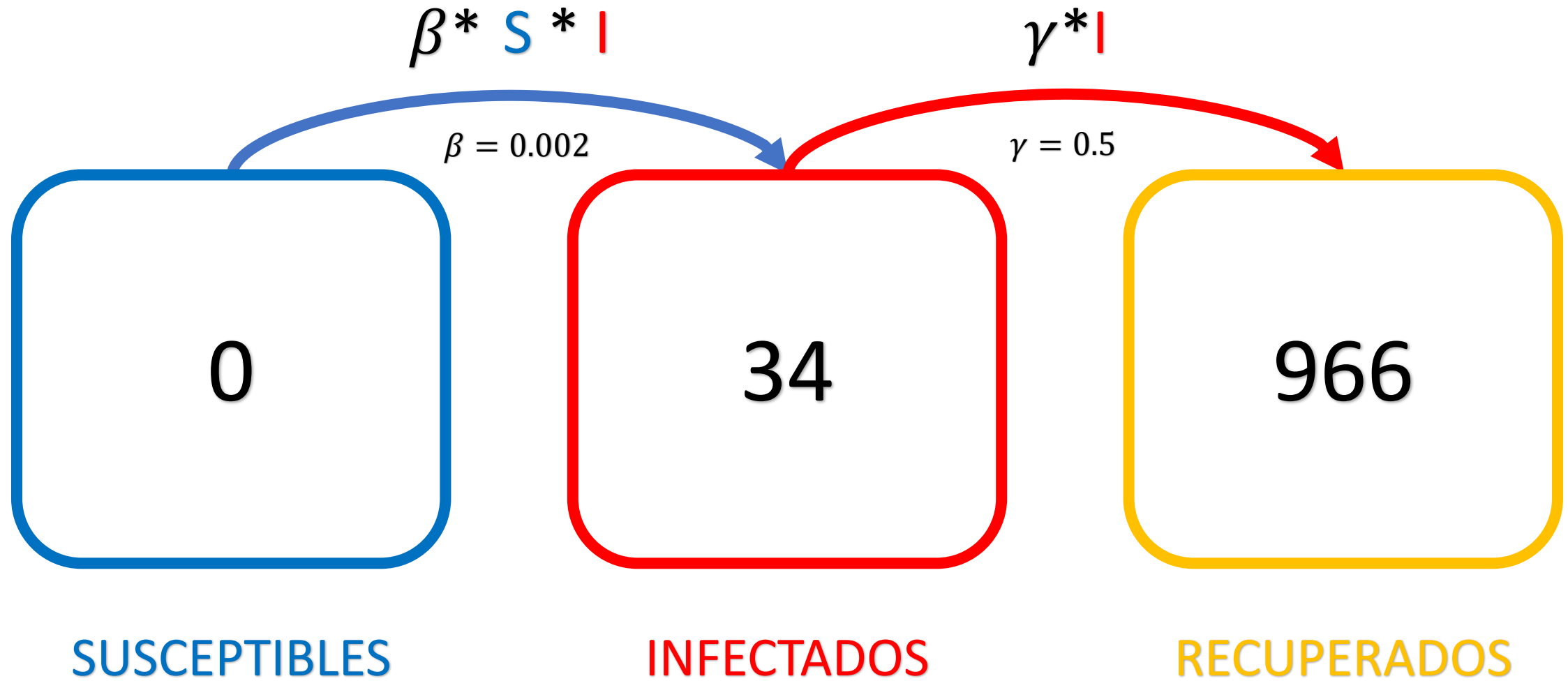
DIA 12



DIA 13



DIA 14



DIA 4 -> 5

$$.002 * 988 * 9 \approx 17$$

$$0.5 * 9 \approx 4$$

$$\beta * S * I$$

$$\gamma * I$$

$$\beta = 0.002$$

$$\gamma = 0.5$$

$$988 - 17$$

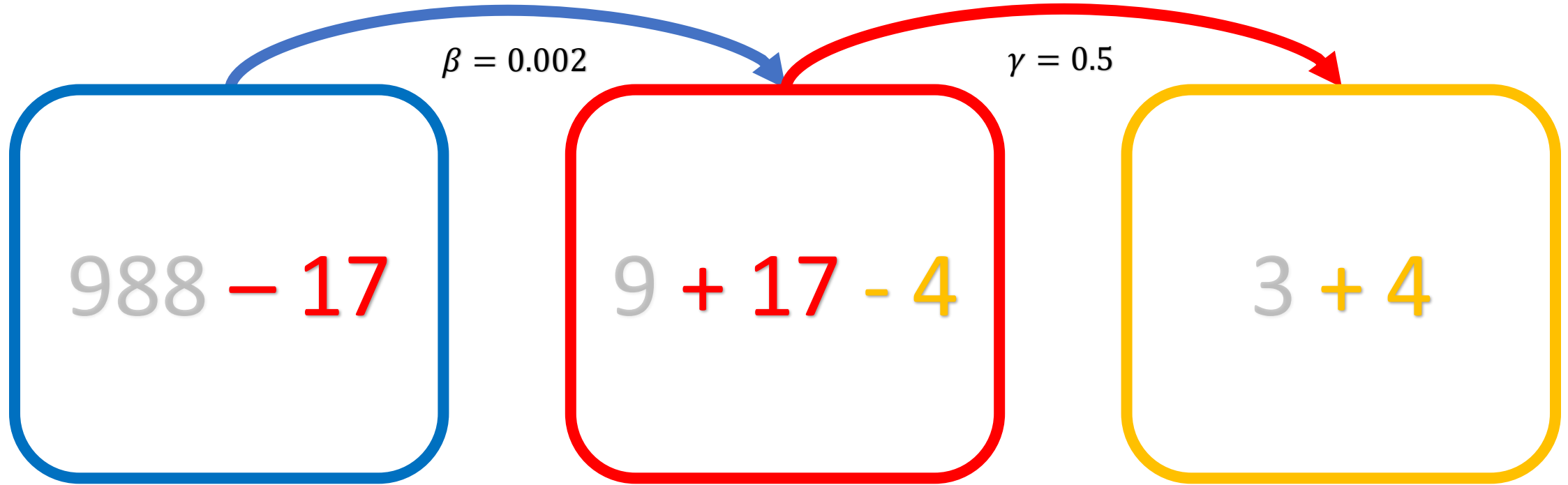
$$9 + 17 - 4$$

$$3 + 4$$

SUSCEPTIBLES

INFECTADOS

RECUPERADOS



DIA 4 -> 5

$$.002 * 988 * 9 \approx 17$$

$$0.5 * 9 \approx 4$$

$$\beta * S * I$$

$$\gamma * I$$

$$\beta = 0.002$$

$$\gamma = 0.5$$

$$988 - \beta * S * I$$

$$9 + \beta * S * I - \gamma * I$$

$$3 + \gamma * I$$

SUSCEPTIBLES

INFECTADOS

RECUPERADOS

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