

# **Introduction to High Performance Scientific Computing**

**Autumn, 2017**

**Lecture 3**

# Basic data input/output

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**To open a file for reading or writing:**

```
outfile = open("output.txt", "w") #open file with flag "w" for writing  
infile = open("input.txt", "r") #open file with flag "r" for reading
```

# Basic data input/output: write to file

---

Write two numbers to file, *output.txt*:

```
outfile = open("output.txt", "w") #open file with flag "w" for writing
outfile.write("This is a header for output.txt \n \n") #header
```

# Basic data input/output: write to file

---

Write two numbers to file, *output.txt*:

```
outfile = open("output.txt", "w") #open file with flag "w" for writing
outfile.write("This is a header for output.txt \n \n") #header
x = 2.0 #some data to be written
y = 1.0

outfile.write("x = %6.3f, y = %6.3f \n" %(x,y)) #write data
outfile.close() #close file
```

# Basic data input/output: write to file

---

**Write two numbers to file, *output.txt*:**

```
outfile = open("output.txt","w") #open file with flag "w" for writing
outfile.write("This is a header for output.txt \n \n") #header
x = 2.0 #some data to be written
y = 1.0

outfile.write("x = %6.3f, y = %6.3f \n" %(x,y)) #write data
outfile.close() #close file
```

**If we run this code and look at *output.txt*:**

```
$ cat output.txt
```

```
This is a header for output.txt
```

```
x = 2.000, y = 1.000
```

# Basic data input/output: read from file

---

Read from file, *input.txt*, separate out numbers

```
infile = open("input.txt", "r") #open file with flag "r" for reading

temp = infile.readline() #first read header
temp = infile.readline()

#loop through lines in file
for line in infile:
    print line
```

## Output:

x = 2.000, y = 1.000

x = 3.000, y = 10.000

x = 4.000, y = 100.000

x = 5.000, y = 1000.000

# Basic data input/output: read from file

---

Read from file, *input.txt*, separate out numbers

```
infile = open("input.txt", "r") #open file with flag "r" for reading

temp = infile.readline() #first read header
temp = infile.readline()

#loop through lines in file
for line in infile:
    print line

words = line.split() #separate last line into words
print "words=", words
```

**Output:** words= ['x', '=', '5.000,', 'y', '=', '1000.000']

# Basic data input/output: read from file

---

Use *line.split* to break line into words

```
infile = open("input.txt","r") #open file with flag "r" for reading

temp = infile.readline() #first read header
temp = infile.readline()

#loop through lines in file
for line in infile:
    print line

words = line.split() #separate last line into words
print "words=",words
```

**Output:** words= ['x', '=', '5.000,', 'y', '=', '1000.000']



# Basic data input/output: read from file

---

And then the last word is y

```
infile = open("input.txt","r") #open file with flag "r" for reading

temp = infile.readline() #first read header
temp = infile.readline()

#loop through lines in file
for line in infile:
    print line

words = line.split() #separate last line into words
print "words=",words

y = float(words[-1]) #pick out y, convert from string to float
print "y=",y
```

**Output:** y= 1000.0

# Functions

---

**Basic idea: input → function → output**

```
def function_name(input1,input2,inputN):  
    #Code with operations involving input variables  
    #that assigns values to output variables  
  
    return output1,output2,outputM
```

- **Again: extent of function “block” set by colon and indentation**

# Functions: an example

---

Add three numbers:

```
In [5]: def sum3(x,y,z):  
...:     #return sum of three numbers, x,y,z  
...:     return x+y+z  
...:
```

```
In [6]: sum3(1,2,3)
```

```
Out[6]: 6
```

- Function name is `sum3` and can be called from command line
- Typically include functions in scripts and *import* them into command line (or other scripts)

# Functions: a few details

---

```
def example(x,y,z):  
    '''Example of a python function,  
    returns twice the first input variable  
    and the product of the 2nd and 3rd input  
    variables'''  
  
    x2 = 2*x  
  
    return x2,y*z  
  
In [45]: from function_example import example  
  
In [46]: example(1,2,3)  
Out[46]: (2, 6)
```

- Here, we have *imported* the function into the terminal and called it with input 1,2,3 generating output 2,6
- *x2* is a *local* variable and cannot be accessed from the terminal...

# Functions: a few details

---

```
In [45]: from function_example import example
```

```
In [46]: example(1,2,3)
```

```
Out[46]: (2, 6)
```

```
In [47]: x2
```

```
-----  
-----  
NameError                                Traceback (most recent call  
last)  
<ipython-input-47-e2ee9ad17fdf> in <module>()  
----> 1 x2
```

```
NameError: name 'x2' is not defined
```

- Here, we have *imported* the function into the terminal and called it with input 1,2,3 generating output 2,6
- *x2* is a *local* variable and cannot be accessed from the terminal...

# Functions: a few details

---

- **Be careful when sending a mutable object (e.g. a list) into a function: it can change!**

```
def example2(x,y,z):  
    '''Another example of a python function which  
    returns twice the first input variable  
    and the product of the 2nd and 3rd input  
    variables, but now we assume that x is a list and  
    only double its 1st element.'''  
  
    x[0] = x[0]+1  
  
    return x,y*z
```

```
In [98]: a=[1,2,3]
```

```
In [99]: example2(a,2,3)
```

```
Out[99]: ([2, 2, 3], 6)
```

```
In [100]: a
```

```
Out[100]: [2, 2, 3]
```

# Functions: keyword arguments

---

- Can easily set default values for optional input arguments

```
def example3(x,y,z=1):  
    '''Example of a python function,  
    returns twice the first input variable  
    and the product of the 2nd and 3rd input  
    variables, and z has a default value of 1'''  
  
    return 2*x,y*z
```

```
In [105]: example3(1,2,3)  
Out[105]: (2, 6)
```

```
In [106]: example3(1,2)  
Out[106]: (2, 2)
```

# Demo: computing sqrt with Newton's method

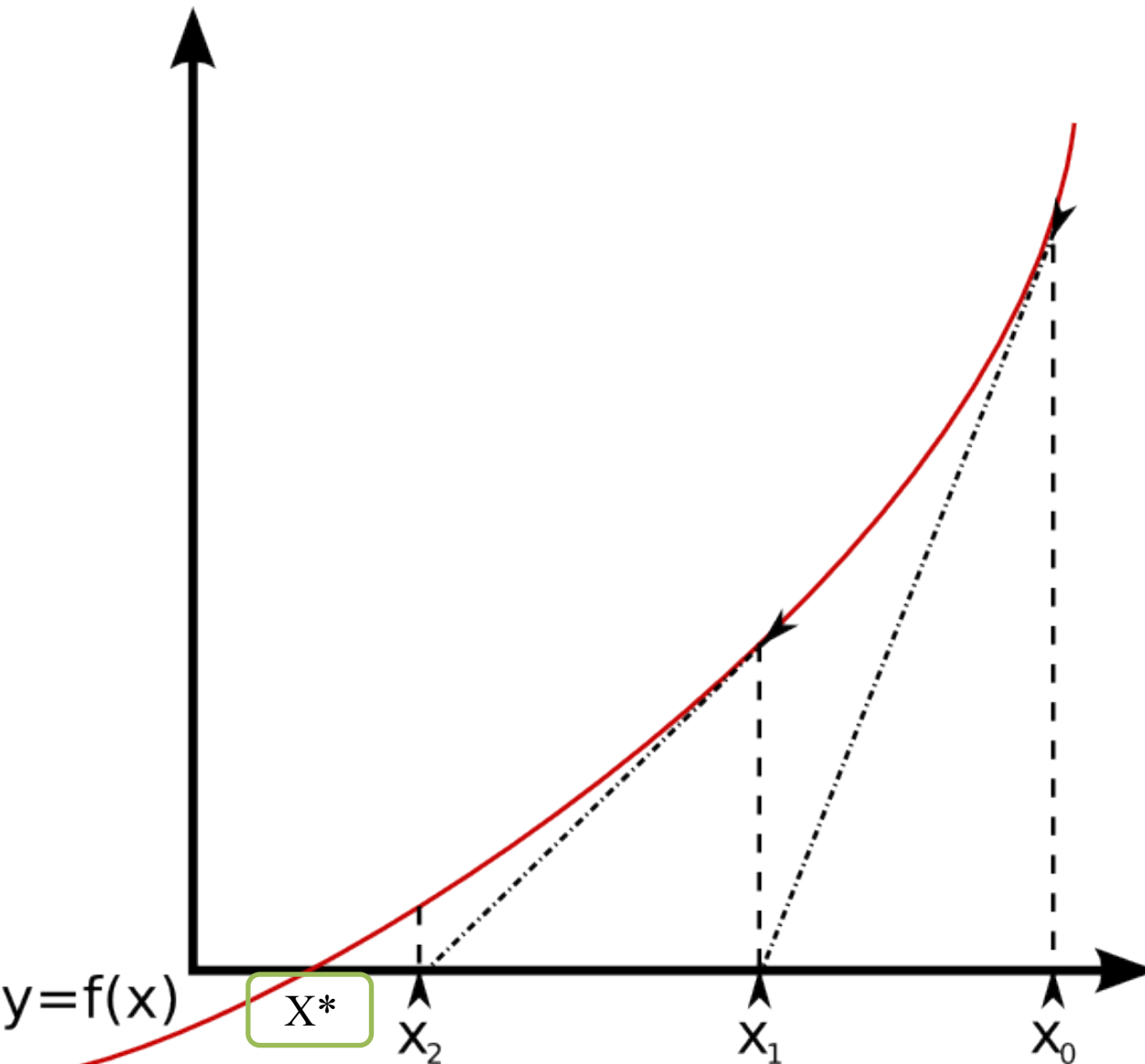
---

Newton's method: solve  $f(x)=0$

1. guess solution  $x_1$
2. compute  $f(x_1)$
3. Is  $f(x_1)$  sufficiently close to zero?
4. If not, compute  $df/dx$  and use Newton's formula to generate new guess,  $x_2$
5. Repeat steps 2-4



# Demo: computing sqrt with Newton's method



Want to find  $x^*$ :

1. Guess  $x_0$
2. Estimate  $x^*$  based on tangent at  $x_0$
3. Repeat

# Demo: computing sqrt with Newton's method

---

We want to solve:  $x = \sqrt{a}$

Or:  $x^2 - a = 0$

with  $\frac{df}{dx} = 2x$

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General Newton's method:  $x_1 = -f_0 / \frac{df}{dx}|_{x_0} + x_0$

Here,  $x_0$  is the initial guess

# Demo: computing sqrt with Newton's method

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Or:  $x^2 - a = 0$

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General Newton's method:  $x_1 = -f_0 / \frac{df}{dx}|_{x_0} + x_0$

Here,  $x_0$  is the initial guess

For our function, Newton's method becomes:

$$x_1 = \frac{a}{2x_0} + \frac{x_0}{2}$$

Let's code this!

# Demo: computing sqrt with Newton's method

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General Newton's method:  $x_1 = -f_0 / \frac{df}{dx}|_{x_0} + x_0$

Here,  $x_0$  is the initial guess

For our function, Newton's method becomes:

$$x_1 = \frac{a}{2x_0} + \frac{x_0}{2}$$

Let's code this!: *see mysqrt.py for details*