

Array

(n > i) value

Array is a list of same type of elements.

all the elements are in contiguous location.
we can access it through index value.

int num[15]; // declare

int num[0] = 1; // assign

cout << num[0] << num[3] <<

Output

1 0

→ garbage value.

* when we pass an array to the function we pass the starting add. of an array, so any update will occur in actual array.

char array.

initializing

char ch[10];

`cin` stop executing when it get space, Enter, In;

for using space we use.

`cin.getline(string name, length of string)`

ex:- Hello : world.

* `cin.getline`

`cin.getline()` is a library function used to read the space from the input.

→ method 1

```
# define Max-name-Len 60 // define length
# define Max-address-Len 120
```

?int main()

char y-name[Max-name-len];

y-address[Max-address-len];

put length

`cin.getline(y-name, Max-name-len);`

`cin.getline(y-address, Max-address-len);`

return 0;

3

→ method 2

?int main()

string s, T;

getline (in, s);

Stringstream x(s);

while (getline(x, T, ' ')) {

cout << T << endl;

}

return 0;

}

→ Input Hello Roshan°

Output Hello

* char inbuilt functions

D length

: int length();

2) strcmp(s1, s2)

: Compares two strings.

strcmp(s1, s2)

!= 0 (not equal)

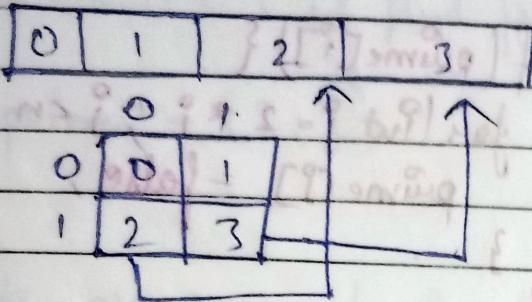
= 0 (equal)

3) copy

strcpy (dest, src) + "

2D Array

2D Array is stored in memory as
in linear form



→ Creating

`int arr[m][n]; // create`

`cin >> arr[i][j]; // input`

`cout << arr[i][j]; // output`

Sieve of Eratosthenes

- we take no. from 2 to n
- and mark all of it as prime
- then take 2 and make false all the elements which is divided by its.
- then move to next, and further go.
- finally we get the all prime.

→ Code

`void sieveerat(n) {`

`vector<bool> prime(n+1, true);
prime[0] = prime[1] = false;`

`for (int i=2; i<n; i++) {`

$\boxed{n(\log(n))}$

`if (prime[i]) {`

`for (int j=2*i; j<n; j=j+i) {`

`prime[j] = false;`

`}`

`}`

`}`

`for (int i=2; i<n; i++) {`

`if (prime[i])`

`cout << i << endl;`

`}`

`}`

segmented sieve

→ Drawback of sieve of Eratosthenes.

- ① An array of size $\Theta(n)$ may not fit in memory.

- * we divide the range $[0, n]$ into different segments such that the size of every segment is at most \sqrt{n} .
- * we have a range $[low, high]$ as input and $(high - low)$ is significantly large.

→ low = 6, high = 10

1) generate all prime number from 0 to
 $\lfloor \log(\lceil \log(\text{high}) \rceil) \rfloor$ In above example
 $\lfloor \log(\lceil \log(10) \rceil) \rfloor = 3$ i.e. find prime till 3

$\text{primes} = \{2, 3\}$

$\Theta(n \log \log n)$

2) Create an array of size $(n - l + 1)$, i.e.,
 $(10 - 6 + 1) = 5$

→ Marks multiple of $\text{prime}[] = \{2, 3\}$ as false

2 → 9, 6, 8, 10

3 → 9

left is 7, 10 7 is prime.

static & dynamic memory.

static — stack { small, defined }

dynamic → heap { large memory }

whenever we need to create a variable define array we must use heap memory, cuz in variable define array.

memory is declared after the compilation at run time. so may be stack is not as capable too to contain as that much of memory.

that why we use heap memory allocation for that.

→ new keyword is use to define the heap allocation.

$\text{char} * \text{ptr} = \text{new char};$



store the add. of heap memory provide by heap (`new char;`)

→ Release the allocated heap array

syntax:- `delete [] arr;`

macro

It is a piece of code in a program that is replace by the value macro.
It doesn't contain extra space for %.

Syntax: # define name expression.

ex: #define X 14

Inline function

It is same as macros there function is get replace just before compilation.

It's a function of one line of code.

int inline syntax return type function_name (parameter){
 statement
}

→ No need of extra space.

→ No need of function call; override

gives good performance with smaller ←

Recursion

Recursion when a function call itself till the base case is not true.

Base case is the condition which defines when the recursion is to be stop.
Base case is mandatory. (return)

ex :- Fibonacci sequence.

0, 1, 1, 2, 3, 5, 8

$$f(n) = f(n-1) + f(n-2)$$

int fib(int n){

 // Base case

 if (n == 0)

 return 0;

 if (n == 1)

 return 1;

$$\text{int ans} = f(n-1) + f(n-2);$$

 return ans;

}

→ Recursion tree

→ Searching in array :

→ Linear searching in array.

```
int main() {
```

```
    int a[n];
```

```
    cin >> n;
```

```
    int a[n];
```

```
    for (int i=0; i<n; i++)
```

```
        cin >> a[i];
```

```
    int key;
```

```
    cin >> key;
```

```
    cout << linearsearch(a, n, key);
```

```
}
```

```

int linearsearch (int a[n], int n, int key)
{
    for (int i = 0; i < n; i++)
    {
        if (a[i] == key)
            return i;
    }
    return -1;
}

```

→ Output

12, 13, 14, 15	// size of array.
15	// stored values.
3	// Key to find
3	// This is index value of 15

Linear searching is done in one way from starting to ending in sequence.

→ Binary search in array.

- * Concept is Binary search divide the list in to equal part from mid.
- Check whether the finding element is equal, smaller or greater to the mid no.

according to that if it smaller it goes right or it goes left.

do the same with the rest of half of the list.

rest we will understand by program

→ Program for Binary search in array

```
int binarysearch(int a[], int n, int key){  
    int s = 0; // start with index 0  
    int e = n; // end with given size of n
```

```
    while (s <= n) // run till start is less than or equal to n  
    {
```

① — $\text{int mid} = \frac{s+e}{2};$

~~if (mid >~~

~~if (a[mid] == key)~~

~~return mid;~~

}

~~else if (a[mid] > key)~~

~~{ move up down position ←~~

② — $e = mid - 1;$

~~{ move up down position ←~~

~~{ move up down position ←~~

③ ← ~~{ move up down position ←~~

}

~~{ move up down position ←~~

3. ~~int main() {~~

~~int n; cin > n;~~

~~int a[n];~~

~~for (int i = 0; i < n; i++)~~

~~cin > a[i];~~

~~int key; cin > key;~~

~~cout << binarysearch(a, n, key);~~

~~return 0;~~

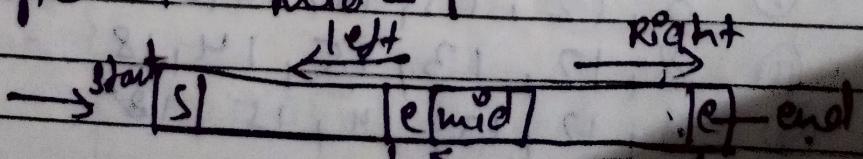
~~}~~

* (Explanation.)

1) find the mid of term of the list

2) $e = \text{mid} - 1$ mean when the mid term is greater than "key" then it has to search at the left side of the list

that why the end term is shifted to $\text{mid} - 1$



3) Now here $s = \text{mid} + 1$ is same
as logic in ② eq.

when mid is smaller than key
the start index shifts to "mid+1"

