

LAB 1

TIC TAC TOE (User v/s computer)

Algorithm.

Step 1 → Create a 3×3 matrix which will give 9 empty boxes.

Step 2 → Assign X to O to the user depending on the symbol he chooses And then assign the other to the computer. Assign - to represent empty spaces.

Step 3 → If the user starts the next turn will be given to the computer. This will happen till one of them win or till all the null spaces are filled which results in a tie.

Step 4 → Now if the user starts, the computer should place O in such a way that it should not let the user make a row on a column or a diagonal with X's. (basically should not let the user win).

Step 5 → If the user or the computer creates a row or a column or a

diagonal with three respective symbols, will be the winner of that particular round in the tic-tac-toe game.

Q9

If all the moves are done and there are no empty space left and none of them have made a row or a column or a diagonal then it will be considered as a tie.

$\left\{ \begin{array}{l} \text{if } a[0][0] = a[1][1] = a[2][2] = \text{player 1} \\ \text{if } a[0][2] = a[1][1] = a[2][0] = \text{player 2} \end{array} \right.$

$\begin{cases} \text{if } a[0][0] = a[1][1] = a[2][2] = \text{player 1} \\ \text{if } a[0][2] = a[1][1] = a[2][0] = \text{player 2} \end{cases}$

if $a[0][1] = a[1][2]$ then
if $a[0][1] = a[2][1]$ then
if $a[1][0] = a[2][0]$ then
else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$

else if $a[0][1] = a[2][1]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$

else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$

~~else if $a[0][1] = a[2][1]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

~~else if $a[1][0] = a[1][2]$ then
 $\left[\begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} \right]$~~

code :-

```

import random
def print_board( board):
    for row in board:
        print ("|".join(row))
        print ("_ " * 9)

def check_winner(board):
    for i in range(3):
        if board[i][0] == board[i][1] == board[i][2] == "X":
            return board[i][0]
        if board[0][i] == board[1][i] == board[2][i] == "X":
            return board[0][i]
        if board[0][0] == board[1][1] == board[2][2] == "X":
            return board[0][0]
        if board[0][2] == board[1][1] == board[2][0] == "X":
            return board[0][2]
    return None

```

```

def is_board_full(board):
    return all(cell != " " for row in board for cell in
              row)
def ai_move(board):
    for i in range(3):
        for j in range(3):
            if board[i][j] == " ":
                board[i][j] = "O"
                if check_winner(board) == "O":
                    return
                board[i][j] = " "

```

```
for i in range(3):  
    for j in range(3):  
        if board[i][j] == "":  
            board[i][j] = "X"  
        if check_winner(board) == "X":  
            board[i][j] = "O"  
        return "  
    board[i][j] = ""  
if board[1][1] == "":  
    board[1][1] = "O"  
return "
```

corners = [(0,0), (0,2), (2,0), (2,2)]

random.shuffle(corners)

for corner in corners:

if board[corner[0]][corner[0]] == corner[1]:

board[corner[0]][corner[1]] = "O"

return

sides = [(0,1), (1,0), (1,2), (2,1)]

random.shuffle(sides)

for side in sides:

if board[side[0]][side[1]] == "":

board[side[0]][side[1]] = "O"

return

def play_game():

board = [[" " for _ in range(3)] for _ in range(3)]

print("Welcome to tic tac toe!")

print_board(board)

white turn:

white turn:

try

row = int(input("Enter row (1-3):")) - 1

col = int(input("Enter column (1-3):")) - 1

if board[row][col] == " ":

board[row][col] = "x"

break

else:

print("cell already taken, choose
another.")

except (ValueError, IndexError):

print("invalid input. Please enter numbers
between 1 and 3.")

print_board(board)

if check_winner(board) == "x":

print("You win!")

break

if is_board_full(board):

print("It's a draw!")

break

print("AI's turn ...")

ai_move(board)

print_board(board)

if check_winner(board) == "o":

print("AI wins!")

break

if is_board_full(board):

print("It's a draw!")

break

if name == "main":

play game()

Output

Enter rows (1-3): 2

Enter rows (1-3): 2

and columns (1-3). Type blank "" to quit

1 0 0

x 1 0

0 0 1

last matrix

0	x	0
0	x	
0	x	x

* AI wins!

1m
24/9/01

(*o*) (bread) win - broad -> ?

(*x*) (bread) draw -> ?

draw

(*bread) win - bread -> ?

(*bread) win -> ?

LAB 2

Vacuum cleaner

Algorithm.

- 1) Create 2 rooms using class

class room:

def __init__(self, a):

self.state = a

def suck(self):

self.state = "clean"

- 2) Instantiate the class and take user input.

a = int(input("Room A state:"))

b = int(input("Room B state:"))

room_list = []

room_list.append(room(a))

room_list.append(room(b))

: ("user")

- 3) Perception sequence:

for i in room_list:

if (i.state == "dirty"):

i.suck()

code

class Room:

def __init__(self, a):

self.state = a

def suck(self):

self.state = "clean"

n = 2 : (4) for i in range(1, n+1):

roomList = []

for i in range(n):

a = str(input("Enter room " + str(i+1) + " state:"))

roomList.append(Room(a))

start = int(input("Enter starting room number:"))

print("Before cleaning")

print("Room " + str(start) + " state: ")

for i in range(len(roomList)):

print(str(i+1) + " " + str(roomList[i].state))

count = 0

while count < len(roomList):

if roomList[start].state.lower() == "dirty":

roomList[start].suck()

start = (start + 1) % len(roomList)

count += 1

print("\n")

point ("After cleaning")
point ("Room 1 state")

for i in range (len (roomlist)):
 point (f"String {roomlist[i].state}")

Output : (for 2)

Enter room 1 state: dirty

Enter room 2 state: dirty

Enter starting room number: 1

Before cleaning

Room State

1 dirty

2 dirty

After cleaning

Room State

1 clean

2 clean.

(X) 10/24

(for +)

Enter room 1 state: dirty

Enter room 2 state: dirty

Enter room 3 state: dirty

Enter room 4 state: dirty

Enter starting room number: 1

Before cleaning

room state

1 dirty

2 dirty

3 dirty

4 dirty

After cleaning

room state

1 clean

2 clean

3 clean

4 clean.

Dust & dirt 1 more extra

Dust & dirt 2 more extra

Dust & dirt 3 more extra

Dust & dirt 4 more extra

Reduces many different paths

Lab 3

8 word puzzle using DFS and Manhattan distance

	1	2	3		1	2	3
7	6	5		4	5	6	
8	4			7	8		

In an 8 word puzzle who have 9 boxes with 8 with movable puzzle

DFS

start-state = []

goal-state = []

stack = push (start-state)

visited-set = { }

moves = 0 ([])

f(i,j)

visited-set.add (current-state)

if (current-state == goal-state)

return moves

if (not in visited-set)

left = f(i, j-1)

right = f(i, j+1)

up = f(i-1, j)

bottom, loop, down = f(i+1, j)

{ bottom } + { top }

point moves

code:-

```
def manhattan(puzzle, goal):  
    dist = 0  
    for i in range(9):  
        if puzzle[i] == 0:  
            goal_idx = goal.index(puzzle[i])  
            dist += abs(i // 3 - goal_idx // 3) +  
                    abs((i % 3) - goal_idx % 3)
```

return dist

```
def dfs_manhattan(puzzle, goal, visited, path):
```

if puzzle == goal:

return path

```
visited.add(tuple(puzzle))
```

index = puzzle.index(0)

```
moves = [(1, 3), (-1, 3), (3, 1), (-3, 1)]
```

next_states = []

for move, cond in moves:

new_idx = index + move

~~if 0 <= new_idx < 9 and (new_idx // 3 == index // 3 or (new_idx // 3 - index // 3) == 1 or (new_idx // 3 - index // 3) == -1):~~

new_puzzle = puzzle[:]

new_puzzle[index], new_puzzle[new_idx] = new_puzzle[new_idx], new_puzzle[index]

if tuple(new_puzzle) not in visited:

next_states.append((new_puzzle, manhattan(new_puzzle, goal)))

next_states.sort(key=lambda state: state[1])

for state in next_states:

res = dfs_manhattan(state, goal, visited, path+[state])

return res

if one:

return set
return None

def prettyf (res):

: $\theta = 0$ (if all terminals don't change)

for j in range(3): start swap all

for k in range(3): swap all

print(res[i], end = " ")

$\theta + 1$ (if all terminals change)

"\n"

start = [1, 2, 3, 4, 0, 5, 6, 7, 8]

goal = [0, 1, 2, 3, 4, 5, 6, 7, 8]

result = dfs_manhattan (start, goal, set(),
[start])

for i in result:

prettyf(i)

print("----")

output

1	1	2	4		1	2	4	{ 1st
3	6	5		2	3	6	5	{ 2
0	7	8		7	0	8		

3	1	2		0	1	2	{ last
0	+	5		3	4	5	
6	7	8		6	7	8	

8/10/24

Manhattan distance

- start at initial list of the given matrix (3x3)
- compare each element in the index to the final state and see how far it is from the final state

manhattan (current-state, final-state)

if the tile is not in blank-tile

(current x, current y) = position of the current tile

= (current x - goal x) +

(current y - goal y)

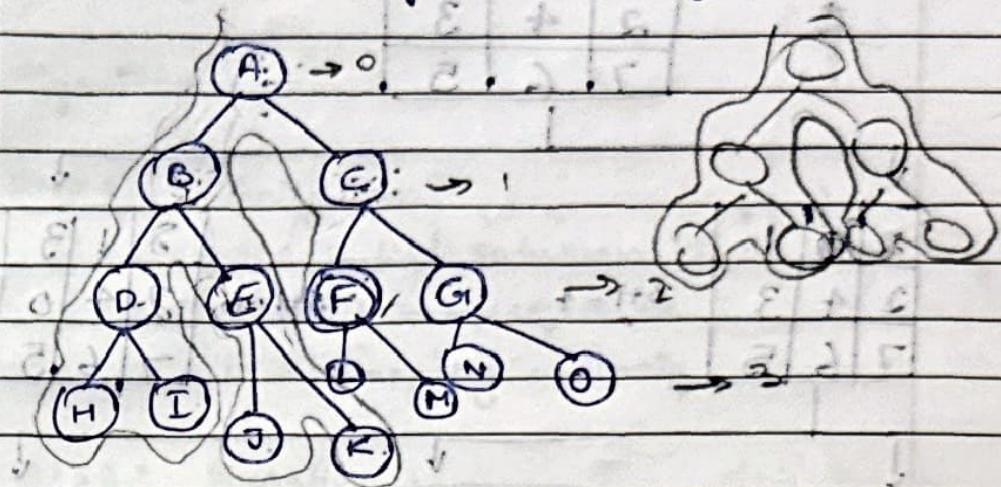
between total distance

1	2	3	4	5	6	7	8	9
8	2	3	1	5	4	7	6	9
7	6	4	3	2	1	8	5	0

1	2	3	4	5	6	7	8	9
8	2	3	1	5	4	7	6	9
7	6	4	3	2	1	8	5	0

LAB 4

Q) Iterative deepening search algorithm.



Normal : $A \rightarrow B \rightarrow D \rightarrow H \rightarrow I \rightarrow E$
 $E \rightarrow O \rightarrow S \rightarrow C \rightarrow F$

Iteration 1 : (depth = 0)

Iteration 2 : (depth = 1), $A \rightarrow B \rightarrow C$

Iteration 3 : (depth = 2) ($A \rightarrow B \rightarrow D \rightarrow E$)
 $C \rightarrow F$

adj-matrix = []

visited = []. 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0

def dfs (root, depth, curdepth)

if (curdepth > depth):
 return

if (root == target):

return root

else: for i in adj-matrix [root]: if visited [i] == 1:

if adj-matrix [i] and visited [i]:

return dfs (i, depth, curdepth + 1)

Done

ii) A* (puzzle)

Initial

8	1	0
2	4	3
7	6	5



8	0	1
2	4	3
7	6	5

$$3+1=4$$

8	1	3
2	4	0
7	6	5

0	8	1
2	4	3
7	6	5

8	1	0
2	4	3
7	6	5

8	4	1
2	0	3
7	6	5

$$2+3=5$$

$$10 = 4 + 3 + 6$$

2	8	1
0	4	3
7	6	5

final

path

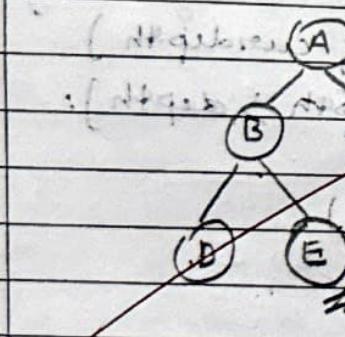
C → B → A

C → D → A

A → B → C

(target = door D) → E

door mentioned



f(A) = 10 : target = door A or 1st gate

f(B) = 8 : target = door B or 2nd gate

f(C) = 9 : target = door C or 3rd gate

f(D) = 11 : target = door D or 4th gate

f(E) = 12 : target = door E or 5th gate

P ↑ T ↑

Lab 5

If difference is high P ↓

Annealing Algorithm.

Algorithm :

Step 1: Initialization

- choose initial solution 's'
- set initial temperature T
- set a stopping criteria

Step 2: Iteration :

while

{

- generate neighbours create neighbouring solution 's₁' for 's'
- calculate energy difference : compute cost of E(s) & neighbouring E(s₁)

Note down the cost

Step 3: Acceptance criteria:

$E(s_1) \leq E(s) \rightarrow \text{accept } s_1$
 $E(s_1) > E(s) \rightarrow \text{new solution } s_1$

else

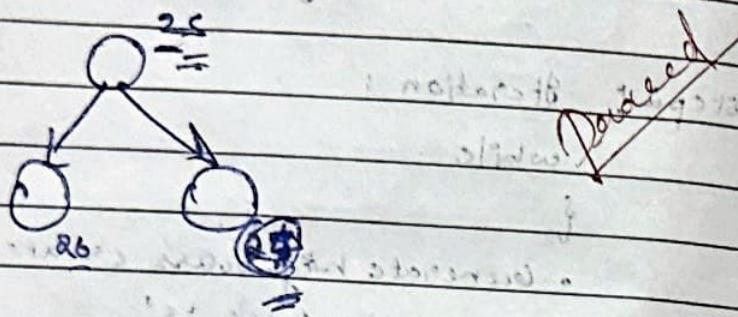
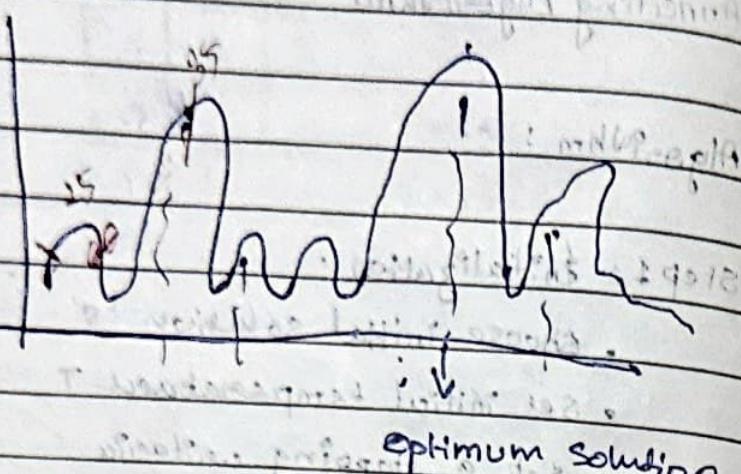
: (1.0 if accepted) s' with probability

$$(1 - P) = \exp \left(\frac{-E(s) - E(s')}{T} \right)$$

$(1 - P) = \exp \left(\frac{-E(s) - E(s')}{kT} \right)$

- update s to s' as new solution if accepted.

Step 4: Termination: Return the best solution (S_{opt}) found



Code

```
import math
```

```
import random
```

```
def objective_function(x):
```

return $10^4 \sin^2(x) + \sum [x_i^2 - 10^4 \cos(2\pi \text{math.pi} * x_i)]$ for $x_i \in x$

```
def get_neighbors(x, step_size=0.1):
```

```
neighbors = x[::]
```

```
index = random.randint(0, len(st) - 1)
```

```
neighbors[index] = random.uniform(-step_size,
```

```
step_size)
```

```
def simulated_annealing (objective, bound, n_iterations,
                         step_size, temp):
    best = [random.uniform(bound[0], bound[1]) for
            _ in range(n_iterations)]
    best_eval = objective(best)
    current, current_eval = best, best_eval
    scores = [best_eval]
    for i in range(n_iterations):
        t = temp / float(i + 1)
        if candidate_eval < best_eval or random.
            candidate_eval / t)
        if candidate_eval < best_eval:
            scores.append(candidate_eval)
    if i % 100 == 0:
        return best, best_eval, scores
```

~~bounds = [(-5.0, 5.0) for _ in range(2)]~~
~~n_iterations = 1000~~

~~step_size = 0.1~~

~~temp = 10~~

~~best, scores, scores = simulated_annealing (
 objective_function, bounds, n_iterations,
 step_size, temp)~~

~~print('best: {}')~~

~~print('scores: {}')~~

Iteration	Temperature	Best evaluation
100	0.099	16.931
200	0.050	16.920
300	0.033	16.916
400	0.025	16.916
500	0.020	16.915
600	0.017	16.915
700	0.014	16.914
800	0.012	16.914
900	0.011	16.914

Best solution [-1.989041739988688, -4.975245
2557 4428]

Best score : 28.853764247621321

(a) create initial population & choose
and mutation 1.0

1.0 = 16.9210
0.0 = 16.9210

population before first generation 16.9210
and mutation 0.0 = 16.9210

(Srand f) wing
(S rand f) wing

Lab 6

1) A* implementation for 8-queens.

	1	2	3	4	5	6	7	8	eg.
1					Q				8x8 board
2			Q						8-queens
3				Q					
4						Q			
5					Q				
6								Q	
7						Q			
8	Q								

function 8-Queen-A-star():

initial = random-position()

open-list = priority Queue()

open-list.push(initial, heuristic())

while (open-list != 0):

current = open-list.pop-min()

if (heuristic(current) == 0)

return current # Solution found

for neighbor in generate(current):

open-list.push(neighbor, heuristic())

return "No solution"

function heuristic(l)

count = 0

if (same row || same column || Same diagonal)

count = 1

return count

ii) 8-Queens - hill climbing

function 8-Queen-Hill-Algo () *

initial = generate_random();

while True :

 conflict = heuristic (state)

 if (conflict == 0)

 return current # solution found

 for neighbor in generate (current):

 if new-conflict < current-conflict,

 current = new-state.

return "No Solution"

function heuristic (state):

count = 0

if (same-row | same-column | same-diagonal):

 count ++

return count

after 8 queen - 7 loops

- the might not find the solution in
other algorithms.

~~for loop~~

output for A*

Q (1 standard solution)

. Q (one more)

(one more) Q (one more)

. Q

. Q (one more)

. Q (one more)

. Q

. Q (one more)

. Q

Output for hill climbing.

• Q

• . . . • • Q

• Q

• . . . Q

• Q

Q

• Q

•

21/10/2018 11:12 - classmate

Hill climbing (0, 0) 110 - classmate

valley of local maxima

local (global) & future

metres west (10m, 80) 0 just ~ 19

10m, 80, 19, 19

valley 21.81 metres away, metres 11.2

2000 m above ground.

(global) 1000 ~ 9

(global) 1000 ~ 10

Unknown minimum (best) 110 - classmate

1000 ~ 10

(global) 1000 ~ 9.1 110 - classmate

(global) 1000 ~ 9

Lab 7

Propositional entailment

function $\text{TT-Entails}(\text{KB}, \alpha)$ return true or false

Inputs: KB , the knowledge base, a sentence in propositional logic

α , the query, a sentence in propositional logic

Symbol s \leftarrow a list of the proposition symbol in $\text{KB} \wedge \alpha$

return $\text{TT-Check-All}(\text{KB}, \alpha, \text{symbols}, \{\})$

function $\text{TT-Check-All}(\text{KB}, \alpha, \text{symbols}, \text{model})$

return true or false

if Empty? (symbols) then

if PL-True? (KB, model) then return

PL-True? (α, model)

else return false ((when KB is false,
always return false))

else do

$P \leftarrow \text{First}(\text{symbols})$

$\text{rest} \leftarrow \text{Rest}(\text{symbols})$

return $(\text{TT-Check-all}(\text{KB}, \alpha, \text{rest}, \text{model} \cup \{P = \text{true}\}))$

and

$\text{TT-Check-all}(\text{KB}, \alpha, \text{rest}, \text{model} \cup \{P = \text{false}\})$

Knowledge Base

Premise

- 1) R1 : Alice is the mother of Bob
- R2 : Bob is the father of Charlie
- R3 : A father is a parent.
- R4 : A mother is a parent.
- R5 : All parents have children
- R6 : If someone is a parent, their children are siblings
- R7 : siblings
- R7 : Alice is married to David.

Hypothesis

2)

"Charlie is a sibling of Bob"

Entailment Process

~~R2 → R3~~ ∵ Bob is a parent

~~R5~~ ∵ Bob has a child since he is a parent

~~R2 → Charlie is a child of Bob~~

~~R6 → If someone is a parent, their children are siblings~~

Therefore, Charlie being a child of Bob
cannot be sibling.

Lab 8

Implementation of first Order logic

Translate natural language sentences into first Order logic

1] "John is a human"

→ Human (John)

2] "Every human is mortal"

→ $\forall x \text{ (Human}(x) \rightarrow \text{mortal}(x))$

3] "John loves Mary"

→ Love (John, Mary)

4] "There is someone who loves Mary"

$\exists x \text{ (Love}(x, \text{Mary}))$

5] "All dogs are animals"

→ $\forall x \text{ (Dog}(x) \rightarrow \text{animal}(x))$

6] "Some dogs are brown"

→ $\exists x \text{ (Dog}(x) \wedge \text{Brown}(x))$

Translation

Eats (x , Apple)

Eats / Riya, y)

Eats (Riya, Apple)

Algorithm

Step 1 : If Ψ_1 or Ψ_2 is a variable or constant, then

a) If Ψ_1 or Ψ_2 are identical, then return NIL

b) Else if Ψ_1 is a variable -

a) Then if Ψ_1 occurs in Ψ_2 , then
return Failure

b) Else return $\{(\Psi_2 / \Psi_1)\}$.

c) Else if Ψ_2 is a variable,

a. If Ψ_2 occurs in Ψ_1 , then return failure.

b. Else return $\{(\Psi_1 / \Psi_2)\}$

d) Else return $\{(\Psi_1 / \Psi_2)\}$; Failure

Step 2 : If the initial predicate symbol, in Ψ_1 , \neq
 Ψ_2 are not same, then return failure.

Step 3 : If Ψ_1 and Ψ_2 have a different number of
arguments, then return failure.

Step 4 : Set substitution set (SUBST) to NIL ;

Step 5: For $i = 1$ to the number of elements in
 Ψ_1 ,

a) call unify function with the i th element
 of Ψ_1 , and i th element of Ψ_2 , and put
 the result into S .

b) If $S = \text{failure}$ then returns failure,

c) If $S \neq \text{NIL}$ then do,

a. Apply S to the remainder of both L₁ & L₂

b. subst = Append (S, subst)

Step 6: Return subst

Ques

Output

- Enter a sentence like "John loves many".
1. John is a human.
 2. Every human is mortal.
 3. John loves.
 4. There exists someone who loves many.

Enter a sentence: John loves many.

First-order logical translation: $\exists x L(john, x)$

1911/12
SipA

1. John is a student. Standard English: John is a student.
Logical translation: $\exists x S(x)$. Standard English: John is a student.

2. John (John) is not a student. Standard English: John is not a student.
Logical translation: $\neg \exists x S(x)$. Standard English: John is not a student.

3. John is tall. Standard English: John is tall.
Logical translation: $\exists x T(x)$. Standard English: John is tall.

4. John is tall and John is not tall. Standard English: John is tall and John is not tall.

Logical translation: $T(x) \wedge \neg T(x)$. Standard English: John is tall and John is not tall.

5. John is tall or John is not tall. Standard English: John is tall or John is not tall.

Logical translation: $T(x) \vee \neg T(x)$. Standard English: John is tall or John is not tall.

Translating English

Labs 9 at 10:30 result as follows with regard to the
query ϕ (country(A, a))

Forward Reasoning Algorithm

function FQL-FG - ASK (KB, ϕ) return a substitution σ
Input: KB , knowledge base, a set of first-order
definite clauses

ϕ , the query, an atomic sentence.

local variables: new, the new sentences inferred
on each iteration

repeat until new is empty as follows

new $\leftarrow \emptyset$

for each rule in KB do

$(p_1 \wedge \dots \wedge p_n \rightarrow q) \leftarrow \text{standardize } q$ ← standardize
← unify p_i with some sentence in KB

if q is for each θ such that $\text{SUBST}(\theta, p_1 \wedge \dots \wedge p_n) =$

$\text{SUBST}(\theta, p'_1 \wedge \dots \wedge p'_n)$

for some $p'_1 \dots p'_n$ in KB

$(\phi \wedge \text{body}(\theta) \leftarrow \text{SUBST}(\theta, q)) \leftarrow \text{body}$

if q' does not unify with some sentence

already in KB or in new then add q' to new

else if q' does not unify with any sentence in KB then add q' to new

$\phi \text{ country}(A, a)$

if ϕ is not fail, the return ϕ

else add ϕ to new and return false.

else return ϕ is fail

else return ϕ is true

wherever ϕ occurs in a pattern and ϕ

$(\phi \text{ country}(A, a))$

→ If it is a crime for an American to sell weapons to hostile nations

→ Let's say p , q & r are variables

American(p) \wedge weapon(q) \wedge sells(p, q, r) \wedge And
Hostile(r) \Rightarrow Criminal(p)

Country A has some missiles

$\exists x$ owns(A, x) \wedge missile(x)

Existential instantiation; introducing a new constant t_1 :

owns(A, t_1) \wedge missile(t_1)

→ All of nine missiles were sold to country A by Robert.

$\forall x$ Missile(x) \wedge owns(A, x) \Rightarrow sells(Robert, x)

→ missile(x) \rightarrow weapon(x)

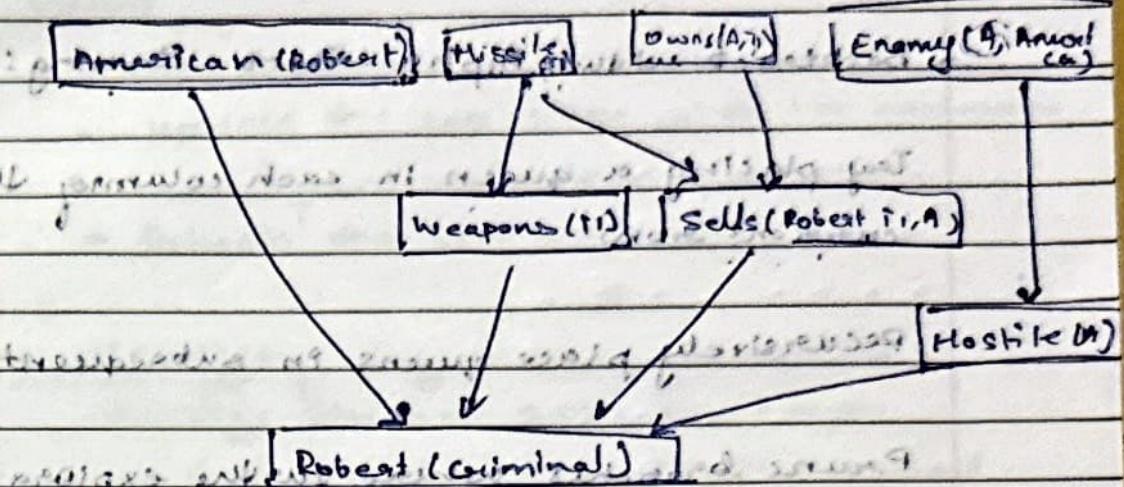
missile(x) \Rightarrow weapon(x)

→ Country A, America is known as hostile

$\forall x$ enemy($x, America$) \Rightarrow Hostile(x)

→ Robert is an American
American(Robert)

→ The country A, an enemy of America,
enemy(A, America)



The Alpha - Beta, Tree Search algorithm

for solving 8 Queens Problem

Algorithm.

→ Initialize the Board : Create an 8×8 board where each row will hold the column numbers of the queen(s) placed in that row. Start with no queens placed ($\text{Board} = [0 \dots 7] \times 8$)

→ Define isSafe function to check if placing a queen at (row, column) is safe. i.e., no 2 queens with the same column or same row or diagonals (row + col = constant)

→ Alpha - Beta Search algorithm

Alpha - Beta search found for maximizing board with no player's invalid placement of queens

(X' sing) > more info

↓
Previous Beta - Alpha search found for minimizing
(minimizing) by minimizing players (invalid state)

→ Backtrack with Alpha-Beta Pruning:

Try placing a queen in each column. The current row

Recursively place queens in subsequent rows.

Prune branches in which the exploration is unnecessary (based on alpha & beta values)

→ Return solution if a win is found, or else return the board configuration

Minimax Algorithm for Tic-Tac-Toe

→ check if the game is over and who won
if a player wins, return the score:
(+1 for 'X' win, -1 for 'O' win)

0 for a draw, for a tie

→ If the board is full & no one has won, return 0 (draw)

→ Maximizing player (X) will - call it
and initialize the best score to -infinity

(Second): For each available move on the board

- Take the move (place 'X')

- call the minimax function recursively,
switching to the minimizing player (O)

- Undo the move.
- Update the best score with the maximum value from the recursive call.
- Return the best score.

→ Minimizing Player (O):

- Initialize the best score to +infinity.
- For each available move on the board:
 - Make the move (place 'O').
 - Call minimax function recursively, switching to the maximizing player (X).
- Undo the move.
- Update the best score with the minimal value from the recursive call.
- Return the best score.

→ Find the best move for the maximizing player (X):

- For each available move, evaluate the move using the minimax function.
- Return the move with the highest score.

~~Done~~

~~Output for 8 queens~~ ~~some sub-optimal~~

and AI has to find only one solution.

• Q ~~some bad sub-solutions~~

• . . . Q ~~some bad sub-solutions~~

• Q .

Q : (0,1) possible position

• . . Q : (1,2) possible position

• . . . Q : (2,3) possible position

• (1,2,3,4) some bad ones.

previous Qs positions, remaining ones.

① b
② b
③ b
④ b
⑤ b
⑥ b
⑦ b
⑧ b

~~Output B for TIC-TAC-TOE~~ ~~some~~

and AI has to find only one solution.

visual representation: row by row

X O X

. Neat

O X O

: (0,0) best and Neat.

optimization sub-optimal, some bad sub-solutions

The best move for AI is: (2,0) equal

and strategies, some sub-optimal ones too.

obviously maximum safe prior action.

so best and Neat move with respects.

3 X