

LAB 2

Genetic Algorithm

$$F(x) = x^2$$

Step 1 : Initialization

- 1 Population size: choose a population size, say 6 individuals
- 2 Binary Representation: Each individual will be a 5-bit binary string
- 3 Randomly Initialize Population: Generate 6 random binary strings.
10101, 10011, 01100, 11001, 00010, 01011

Step 2 : Fitness Evaluation

11001 : profit = 625

convert binary to decimal

$$10101 = 441$$

$$00010 = 324$$

$$01100 = 144$$

$$11001 = 625$$

$$01011 = 49$$

00010 is an invalid individual

fitness values which did not make sense

Fitness Values : [441, 49, 144, 625, 324, 4]

10101 is the string we ?

Step 3 : Selection

Use a method like tournament selection,
we'll use tournament selection

selected individuals : ["11001", "10101", "10010"]

Step 4 : Crossover

- Pair selected individuals to create offspring
(single-point crossover)

Pair 1: 11001 & 10101 → crossover at point 2

→ offspring: 11001, 10101

Pair 2: 10010 & a random parent → 10010 & 00011

→ crossover → offspring: 10011

Offspring after crossover

New offspring: ["11001", "10101", "10011", "00010"]

Step 5: Mutation

introduce mutations to some of the offspring,
flip a random bit with a small probability

- If we mutate 10011 → 10001

Step 6: replacement

Replace the old population with the new offspring.

New population ["1100", "1010", "1001", "0010"]

Step 7: iteration

Repeat steps 2-6 for a predetermined number of generations or until convergence.

Code:

```
for i in range(generations):
```

```
    # Code for selection, crossover, mutation
```

```
    # Import random module for randomization
```

```
    import numpy as np
```

```
def fitness_function(x):  
    return x**2
```

```
population_size = 10
```

```
mutation_rate = 0.01
```

```
crossover_rate = 0.8
```

```
num_generations = 100
```

```
gene_length = 10
```

```
def initialize_population(size, gene_length):
```

```
    return [np.random.randint(0, 2, gene_length)
```

```
        .tolist() for _ in range(size)]
```

```
def binary_to_decimal(binary):  
    binary_str = ''.join(str(bit) for bit in  
                         reversed(list(bin(int(binary))[2:])))  
    return int(binary_str, 2) / (2 ** (gene_length - 1)) * 20 - 10
```

```
def evaluate_population(population):  
    return [fitness_function(binary_to_decimal(individual)) for individual in population]
```

```
def select(population, fitness_scores):  
    total_fitness = sum(fitness_scores)  
    selection_probs = [fitness / total_fitness for  
                       fitness in fitness_scores]  
    return population[random.choice(range(len(population)), p=selection_probs)]
```

```
def crossover(parent_1, parent_2):
```

```
    if random() < crossover_rate:  
        child_1 = parent_1[:crossover_point] + parent_2[crossover_point:]  
        child_2 = parent_2[:crossover_point] + parent_1[crossover_point:]  
        return [child_1, child_2]
```

```
def mutate(individual):
```

```
    for i in range(gene_length):  
        if random() < mutation_rate:  
            individual[i] = random()
```

def genetic_algorithm ():

population = create_population (population_size,
gene_length)

for generation in range (num_generations):

fitness_scores = evaluate_population (population)

best_fitness = max (fitness_scores)

print (f "Generation {generation}: Best Fitness
= {best_fitness:.4f} ")

new_population = []

population = new_population [: population
-size]

best_fitness = max (fitness_scores)

best_individual = population [fitness_scores.
index (best_fitness)]

best_solution = binary_to_decimal (best_individual)

print (f "\nBest solution found: x = {best_solution:
.4f}, f(x) = {fitness_function
(best_solution):.4f}")

genetic_algorithm ()

output

Gen 0 ; BF = 78.2611

Gen 1 ; BF = 80.3503

Gen 2 ; BF = 90.8360

Gen 3 ; BF : 98.8304

Gen 4 ; BF : 81.0508

Coren 5 : BF = 73.2611 8.2.1123

Coren 6 : BF = 8.2.1123

Coren 7 : BF = 8.2.1123

Coren 8 : BF = 83.1258

Coren 9 : BF = 88.1273

Coren 10 : BF = 88.1371

Best solution found: $x = 8.8856$, f(x) =

$$= 73.9544$$

~~8~~

$\sigma_1 = \text{middle} - 9 \text{ mm}$

$\sigma_2 = \text{middle} - \text{middle}$

(middle - 9 mm) mm - middle mm

$\sigma_3 = \text{middle} - \text{middle}$

$\sigma_4 = \text{middle} - \text{middle}$

$\sigma_5 = \text{middle} - \text{middle} - \text{middle}$

$\sigma_6 = \text{middle} - \text{middle}$

$\sigma_7 = \text{middle} - \text{middle}$

$\sigma_8 = \text{middle} - \text{middle}$

$\sigma_9 = \text{middle} - \text{middle}$

$\sigma_{10} = \text{middle} - \text{middle}$

$\sigma_{11} = \text{middle} - \text{middle}$

$\sigma_{12} = \text{middle} - \text{middle}$

$\sigma_{13} = \text{middle} - \text{middle}$

$\sigma_{14} = \text{middle} - \text{middle}$

$\sigma_{15} = \text{middle} - \text{middle}$

$\sigma_{16} = \text{middle} - \text{middle}$

$\sigma_{17} = \text{middle} - \text{middle}$

$\sigma_{18} = \text{middle} - \text{middle}$

$\sigma_{19} = \text{middle} - \text{middle}$

$\sigma_{20} = \text{middle} - \text{middle}$

(middle) mm

length

1100 mm, 79.1 mm

1000 mm, 79.1 mm

920 mm, 79.1 mm

800 mm, 79.1 mm

600 mm, 79.1 mm

Lab 3

Particle Swarm

1 → Define Objective Function - Specify the function

($f(x)$; fix) to minimize

$S \leftarrow \text{empty}$

2 → Initialize Parameters -

set num-particles, num-iterations,
c.1: inertia-weight, cognitive-coefficient,
f social-coefficient.

3 → Initialize Particles -

Randomly set positions & velocities for
num particles.

4 → Initialize pBest & pBest-fitness.

Determining Best & its fitness.

5 → Set Best known Solutions -

for each particle keep track of its
best known position & corresponding
fitness score.

6 → Select particles to swap

→ swap pos. of selected particles
update

calculate the fitness of new position

new positions of both particles

7 → Update Best known

If the new pos of particle has
better fitness score than previous

best

Σ do.]

• Update the best known position,
minimum distance

Pseudocode

Step 1: def f(x)

return $x^{**} 2$

Step 2: Initialize parameters

$N = 30$, $pN = 0.5$, $c1 = 1.5$, $c2 = 1.5$

Step 3: for each particle initialise their
positions & velocity: randomly with the
range $[10, 10], [-1, 1]$

Step 4: In this step we evaluate the
fitness by sending values to f

Step 5: updating values if current
value < best value update the best of the
own particle.

If curr value < global best update
global best values that is velocity
based on entire swarm.

Step 6: update velocity

Step 7: display the best ~~fit~~ value
found.

→ optimizes shapes of materials
↳ by adjusting design parameters
to achieve ↳
• minimizing weight
• maximizing strength
• reduced costs.

shape → is represented using variables
(length, width,
thickness)

Lab 4

Ant colony optimization:

Step 1: Initialization : set the nodes or elements according to the problem like cities in tsp.

no. of ants, n

no. of iterations m

pheromone evaporation rate ρ

pheromone influence factor, α

heuristic influence factor β .

Step 2: Initializing the state

Initialize pheromon levels for all edges between the nodes

define a visibility heuristic if applicable

Iteration starts from 1 and goes to m

Ant colo solution construction

Step 3: execution

for each ant Start at a random node.

travel between all nodes & find out the probability of the best path.

using the evaporation rate ρ , pheromone

influence factor, α , heuristic influence factor β
we choose the max and then choose the
best path. Incrementing its values
respectively.

higher the pheromone the greater is the
chance of choosing that path and the
other ant(solutions) following that path.

ACV FCV
Robot

→ to find the shortest, safest, and most
efficient path from start point to a
destination

→ robot - ant → deposits pheromones
→ marking better paths

→ robot uses a probabilistic rule to
decide its next step, balancing pheromone
strength & unexplored paths.

→ over multiple iterations, gives
optimal path, adjusting to obstacles.

Lab 5

Cuckoo Search.

- Step 1 Initialization :- set the no. of nests N and
 - Set the max iterations value.
- Step 2 Solution :- Generate a solution.
- Step 3 Calculation :- calculate the fitness of that particular solution
- Step 4 Iterations :- keep repeating this procedure and find different solution
- Step 5 Compare :- keep comparing the solution with a randomly chosen existing nest.
- Step 6 Choosing the best :- If it is better than the previous make that the optimal solution.
 - In this algorithm we find the best nest just like the cuckoo. i.e. to find the best solution.
 - the best nest should be able to accept the cuckoo.
 - nest is the solution space

→ egg is also solution.

→ optimization ~~to~~ relevant

→ Robotics ~~using pseudo code~~

~~With Pseudo code~~ Data mining

standard process of discovering patterns, trends, extracting. getting useful info from large database

Implementation In Data Mining.

→ for feature selection, clustering,

~~for clustering~~

• to group data points into clusters such that points in the same cluster are similar & points in different clusters are dissimilar.

• each nest ^{represented} → clustering configuration → centroids

• algo adjusts centroids over the iterations

→ optimizing clusters

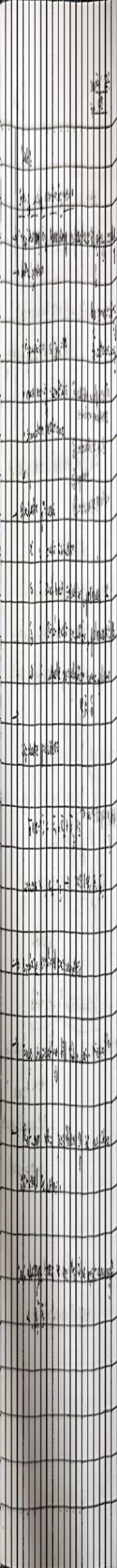
• follows random walk

Pseudocode

Initialize population of nests (solutions)
Define discovery rate ($p-a$), no. of iterations
& objective functions → proportion of nests
with new solution → to abandon and replace
FOR each iteration:
 FOR each nest:
 Generate a new solution by Levy flight
 Evaluate the fitness of the new solution
 If new solution is better:
 Replace the current nest
 solution to keep with the new solution
 the best one.
 Abandon a fraction ($p-a$) of nests & replace
 with new random solutions.
 Update this best solution found so far
 Return best solution

~~Q15/11~~

Final answer: ~~Q15/11~~



~~Notes~~

grey wolf optimization

→ Robotics - it helps the robot to find the best path using travelling Salesman

- the robot goes from A to B for the 1st time - (A)
- 2nd time - (B)
- 3rd time - (S)
- 4th time ... it times the values keeps updating as it finds better paths.

Implementation in
data Mining +
Disadvantages

Implementation in Data mining

→ process of discovering patterns, it reads, getting useful information from large dataset.

→ feature selection, clustering & classification optimization.

clustering

done by using similar measures
e.g. Manhattan distance

- to group data points into clusters such that points in the same cluster are more similar & points in different clusters are dissimilar
- ~~each~~ → (represented) clustering configuration
 - central point of a cluster
- This algorithm helps to adjust centroids over the iterations
 - ↳ to get a optimizing clusters

each wolf → potential clustering solution
centroid → wolf's position

Disadvantages of Cuckoo wolf algorithm

- 1] Premature convergence : can get stuck in local optima for complex problems
- 2] Lack of Diversity : Wolves often converge too quickly, reducing exploration
- 3] Scalability issues : Performance declines with large-scale dimensional problems
- 4] No guarantee of global optimum

Improvements

→ hybrid approaches:

combine GWO with GA, PSO to improve exploration & avoid local optima.

→ increased population-Diversity

↳ mutation-like strategies

10/10

ε

ε → length of each

ε → number of nodes

ε → number of edges

ε → number of vertices

ε → number of loops

ε → number of cycles

ε → number of paths

ε → number of components

ε → number of clusters

ε → number of communities

ε → number of regions

Lab 7

Parallel cellular Algorithm.

Output

Iteration 1 - Fitness : 5377.71222222223

$$\begin{bmatrix} [93 80 63 81 70 79 121 89 109 45] \\ [100 85 91 86 86 117 129 131 99 74 81] \\ [95 82 95 119 135 135 116 105 84 79] \end{bmatrix}$$

Iteration 2 - Fitness : 473.0400000000001

$$\begin{bmatrix} [88 85 85 89 100 119 113 105 80 78] \\ [87 88 91 103 116 119 113 98 88 81] \\ [85 89 98 108 116 114 109 98 88 85] \end{bmatrix}$$

Iteration 10 - Fitness : 1.528888888888892

$$\begin{bmatrix} [92 93 93 94 93 93 92 91 91] \\ [92 92 93 93 93 92 91 91 91] \\ [92 92 92 93 93 92 92 91 91] \end{bmatrix}$$

Best solution Fitness : 1.528888888888892

Gene Expression Algorithm.

Iteration 1: Best Fitness = -4.093999946842503, Best solution = [-4.28307512 0.4348]

-11- 2: -11 = -4.093999946842503, -11 - 912 [-4.28309512 0.4348]

-11- 3: -11 = -4.262850914664476 [-4.28309512 0.4348]

[12 10 12 15 10 15 10 15 10] [-4.28309512 0.4348]

[12 14 12 15 10 15 10 15 10] [-4.27432567035412P - 38.0017]

[15 15 10 11 13 11 13 11 10] [-4.28309512 0.075249]

-11- 9: -11 = -4.386638398263757 -11 [-4.39230095 0.075249]

[10 10 10 10 10 10 10 10 10] [-4.386638398263757 28.18877]

[12 12 12 12 12 12 12 12 12] [-4.39230095 0.075249]

Iteration 2: Best Fitness = -4.1000000000000005, Best solution = [-4.39230095 0.075249]

[10 10 10 10 10 10 10 10 10]

[10 10 10 10 10 10 10 10 10]

[10 10 10 10 10 10 10 10 10]

Iteration 3: Best Fitness = -4.1000000000000005, Best solution = [-4.39230095 0.075249]