# 69. Sqrt(x)

Solved 🕝









Given a non-negative integer  $\mathbb{R}$ , return the square root of  $\mathbb{R}$  rounded down to the nearest integer. The returned integer should be non-negative as well.

You **must not use** any built-in exponent function or operator.

• For example, do not use pow(x, 0.5) in c++ or x \*\* 0.5 in python.

#### Example 1:

Input: x = 4

Output: 2

Explanation: The square root of 4 is 2, so we return

2.

### Example 2:

Input: x = 8Output: 2

Explanation: The square root of 8 is 2.82842..., and since we round it down to the nearest integer, 2 is

returned.

#### Constraints:

•  $0 \le x \le 2^{31} - 1$ 

## Python:

class Solution:

def mySqrt(self, x: int) -> int: # Special cases for 0 and 1 if x < 2:

```
return x
     left, right = 1, x // 2 # sqrt(x) is always <= x // 2 for x >= 2
     while left <= right:
        mid = (left + right) // 2
        if mid * mid == x: # exact square root
          return mid
        elif mid * mid < x:
          left = mid + 1 # move right
          right = mid - 1 # move left
     return right # right will be floor(sqrt(x))
JavaScript:
* @param {number} x
* @return {number}
var mySqrt = function(x) {
  if (x < 2) return x; // sqrt(0) = 0, sqrt(1) = 1
  let left = 1, right = Math.floor(x / 2), ans = 0;
  while (left <= right) {
     let mid = Math.floor((left + right) / 2);
     if (mid * mid === x) {
        return mid; // perfect square
     } else if (mid * mid < x) {
        ans = mid; // store the best possible answer so far
        left = mid + 1;
     } else {
        right = mid - 1;
  }
  return ans;
};
Java:
class Solution {
  public int mySqrt(int x) {
     // Special cases
```

```
if (x < 2) {
        return x; // sqrt(0)=0, sqrt(1)=1
     }
     int left = 1, right = x / 2; // sqrt(x) cannot be more than x/2 for x \ge 2
     int ans = 0;
     while (left <= right) {
        int mid = left + (right - left) / 2;
        // Use long to avoid integer overflow when multiplying
        long square = (long) mid * mid;
        if (square == x) {
          return mid; // Exact square root found
       } else if (square < x) {
          ans = mid; // Possible answer, but keep searching right
          left = mid + 1;
       } else {
          right = mid - 1; // Square too large, move left
       }
     }
     return ans; // The floor of sqrt(x)
}
```