

1015. Smallest Integer Divisible by K

Solved

Medium

Topics

Companies

Hint

Given a positive integer k , you need to find the **length** of the **smallest** positive integer n such that n is divisible by k , and n only contains the digit 1 .

Return *the length of n*. If there is no such n , return -1.

Note: n may not fit in a 64-bit signed integer.

Example 1:

Input: $k = 1$

Output: 1

Explanation: The smallest answer is $n = 1$, which has length 1.

Example 2:

Input: $k = 2$

Output: -1

Explanation: There is no such positive integer n divisible by 2.

Example 3:

Input: $k = 3$

Output: 3

Explanation: The smallest answer is $n = 111$, which has length 3.

Constraints:

- $1 \leq k \leq 10^5$

Python:

```
class Solution(object):
    def smallestRepunitDivByK(self, k):
        # if k % 2 == 0 or k % 5 == 0: return -1 # this trick may save a little time
        hit, n, ans = [False] * k, 0, 0
        while True: # at most k times, because 0 <= remainder < k
```

```
ans, n = ans + 1, (n * 10 + 1) % k # we only focus on whether to divide, so we only need to keep the remainder.
```

```
if n == 0: return ans # can be divisible
```

```
if hit[n]: return -1 # the remainder of the division repeats, so it starts to loop that means it cannot be divisible.
```

```
hit[n] = True
```

JavaScript:

```
var smallestRepunitDivByK = function(K) {  
    let count = 1  
    let start = 1  
    let set = new Set()  
    while (start) {  
        let r = start % K  
        if (r === 0) {  
            break  
        }  
        if (set.has(r) === true) {  
            return -1  
        } else {  
            set.add(r)  
            start = r * 10 + 1  
            count++  
        }  
    }  
    return count  
};
```

Java:

```
class Solution {  
    public int smallestRepunitDivByK(int k) {  
        // if (k % 2 == 0 || k % 5 == 0) return -1; // this trick may save a little time  
        boolean[] hit = new boolean[k];  
        int n = 0, ans = 0;  
        while (true) { // at most k times, because 0 <= remainder < k  
            ++ ans;  
            n = (n * 10 + 1) % k; // we only focus on whether to divide, so we only need to keep the remainder.  
            if (n == 0) return ans; // can be divisible  
            if (hit[n]) return -1; // the remainder of the division repeats, so it starts to loop that means it cannot be divisible.  
            hit[n] = true;  
        }  
    }  
}
```