## 

Note: This is a sample question with the solution. It aims at helping you better understand the **Bottom-Up Computation** method.

## **Bottom-Up Computation**

1. Consider a 2-D data array containing **two** dimensions A and B. The data contained in the array is as follows:

$(a_0,b_0):1$	$(a_0,b_1):1$
$(a_1,b_0):1$	$(a_1,b_1):1$
$(a_2, b_0): 1$	$(a_2,b_1):1$

Now, we want to construct the iceberg cube for dimension A and B. If we set  $mini\_support = 2$  with the order of  $A \to B$ , how many cells would be considered/computed? Draw the trace tree and you should report the number of cells to be considered/computed. For these cells, you should also list each cell with its count and report whether the cell is expansible in the **BUC** process.

## **Solution:**

Trace Tree in Figure 1.

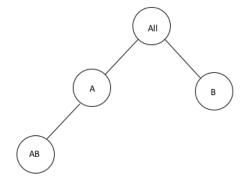


Figure 1: The trace tree.

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If we follow the order of  $A \to B$ , the cells with their information (count, expansibility) that need to be computed are listed as follows:

All 
$$(*,*): 6$$
 - expansion

A  $(a_0,*):2$  - expansion

A  $(a_1,*):2$  - expansion

A  $(a_2,*):2$  - expansion

AB  $(a_0, b_0) : 1$ 

AB  $(a_0, b_1): 1$ 

AB  $(a_1, b_0): 1$ 

AB  $(a_1, b_1): 1$ 

AB  $(a_2, b_0): 1$ 

AB  $(a_2, b_1): 1$ 

B  $(*, b_0): 3$ 

B  $(*,b_1):3$ 

Thus, there are totally 12 cells which would have to be computed.