

# STAT207 Final Project - Predicting Loan Approval

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```
#Imports here
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
from sklearn.model_selection import cross_val_score
from sklearn.preprocessing import StandardScaler
from sklearn.metrics import roc_auc_score
from sklearn.model_selection import KFold
from sklearn.metrics import roc_curve
from sklearn.cluster import KMeans
```

## 1. Introduction

In this project, we are trying to predict the likelihood of a person gaining approval for a loan based on a variety of characteristics. This data is useful for financial institutions who lend consumers money like banks, credit card companies, BNPL apps, etc.

I think for this type of research we would need to prioritize minimizing false positive outcomes. This is as we don't want to lend money to people who would be unable to repay. Overstating loan approval probability can have negative consequences as consumers don't tend to behave rationally with debt and are often unable to pay back loans they take.

We saw this in the 2008 housing crisis, where people took on a lot of debt and invested in real estate even if they were not financially able to pay it back (1).

We also see these negative effects today, with student loan defaults and delinquencies seeing a sharp rise. (2).

### Research Goal Statement

Primary Research Goal - To build a predictive model that will effectively predict loan approval status for new datasets.

Secondary Research Goal - To build a model that can yield interpretative insights about the nature of the relationship between the variables in our dataset

## 2. Dataset Discussion

The dataset used in this project was obtained from kaggle on the 23rd of April at the following link: <https://www.kaggle.com/datasets/taweilo/loan-approval-classification-data?resource=download>.

The rows in this dataset represent loan applications, their details, and whether or not they were approved. This data was collected by synthesizing existing Credit Risk and Financial Risk for Loan Approval datasets on kaggle. This dataset is not inclusive of all the different varieties of loan applicants. One example of a major category omitted is auto loan applicants. Since the number of loan applicants in the US is so vast and diverse, being inclusive of all different types of applicants is not possible. Based on the answer to our research question, the person in our research motivation may try to imporve or change certain parts of their application before applying for a loan. They also may be encourage or discouraged from taking on debt in general based on their profile and their ability to change different aspects of their profile.

### Variables

- Response Variable: "loan\_status" indicator variable. 1: loan approved, 0: loan rejected
- Explanatory Variables
  - "person\_age" - Applicants age. Numerical Explanatory Variable
  - "person\_gender" - Applicants gender. Categorical Explanatory Variable
  - "person\_income" - Applicants yearly income. Numerical Explanatory Variable
  - "loan\_amnt" - Dollar amount of loan requested. Numerical Explanatory Variable
  - "loan\_intent" - Reason for loan. Categorical Explanatory Variable
  - "previous\_loan\_defaults\_on\_file" - Wether or not the applicant has previously defaulted on a loan. Categorical Explanatory Variable
  - "loan\_int\_rate" - Loan interest rate. Numerical Explanatory Variable

These 7 explanatory variables were selected as they are expected to provide significant predictive power to the model while not providing issues with multicollinearity as they are not strongly related to each other.

```
df = pd.read_csv("loan_data.csv")
df

    person_age  person_gender  person_education  person_income \
0            22.0        female          Master      71948.0
1            21.0        female     High School      12282.0
2            25.0        female     High School      12438.0
3            23.0        female       Bachelor      79753.0
4            24.0         male          Master      66135.0
```

...	...	...	...	...	...
44995	27.0	male	Associate	47971.0	
44996	37.0	female	Associate	65800.0	
44997	33.0	male	Associate	56942.0	
44998	29.0	male	Bachelor	33164.0	
44999	24.0	male	High School	51609.0	
	person_emp_exp	person_home_ownership	loan_amnt	loan_intent	\
0	0	RENT	35000.0	PERSONAL	
1	0	OWN	1000.0	EDUCATION	
2	3	MORTGAGE	5500.0	MEDICAL	
3	0	RENT	35000.0	MEDICAL	
4	1	RENT	35000.0	MEDICAL	
...	...	...	...	...	...
44995	6	RENT	15000.0	MEDICAL	
44996	17	RENT	9000.0	HOMEIMPROVEMENT	
44997	7	RENT	2771.0	DEBTCONSOLIDATION	
44998	4	RENT	12000.0	EDUCATION	
44999	1	RENT	6665.0	DEBTCONSOLIDATION	
	loan_int_rate	loan_percent_income	cb_person_cred_hist_length		\
0	16.02	0.49		3.0	
1	11.14	0.08		2.0	
2	12.87	0.44		3.0	
3	15.23	0.44		2.0	
4	14.27	0.53		4.0	
...	...	...		...	...
44995	15.66	0.31		3.0	
44996	14.07	0.14		11.0	
44997	10.02	0.05		10.0	
44998	13.23	0.36		6.0	
44999	17.05	0.13		3.0	
	credit_score	previous_loan_defaults_on_file	loan_status		
0	561	No	1		
1	504	Yes	0		
2	635	No	1		
3	675	No	1		
4	586	No	1		
...	...	...	...	...	...
44995	645	No	1		
44996	621	No	1		
44997	668	No	1		
44998	604	No	1		
44999	628	No	1		

```
[45000 rows x 14 columns]

ognumrows = df.shape[0]
ognumrows

45000
```

### 3. Dataset Cleaning

Looking at our dataset, we don't observe any implicit missing values. This can be verified by observing the datatypes of the numerical variables, which are all int or float. Similarly looking at the unique values of the categorical variables we are considering, we don't observe any values like "none" or blank spaces, indicating we don't have any implicit missing values.

Looking at our categorical explanatory variables, we can see in all the variables we are considering for our project that each level for these variables has a significant amount of observations, indicating none of them should be dropped from our dataset.

Considering the scatterplot of our numerical explanatory variables, we notice outliers specifically for observations with extremely high ages ( $> 100$ ). The pro of dropping these observations with extremely high ages is that it will make our model better at predicting loan approval for the overwhelming majority of applicants. The con is that the model will be worse at predicting loan approval for applicants older than 100 years old. Considering this age group is extremely rarely seen among loan applicants it is beneficial for our analysis to drop these outliers. Dropping these outliers dropped 7 rows from our dataset.

```
df.dtypes

person_age           float64
person_gender        object
person_education     object
person_income         float64
person_emp_exp       int64
person_home_ownership object
loan_amnt            float64
loan_intent           object
loan_int_rate         float64
loan_percent_income   float64
cb_person_cred_hist_length float64
credit_score          int64
previous_loan_defaults_on_file object
loan_status           int64
dtype: object

print(df["person_gender"].unique())
print(df["loan_intent"].unique())
```

```

print(df["previous_loan_defaults_on_file"].unique())
['female' 'male']
['PERSONAL' 'EDUCATION' 'MEDICAL' 'VENTURE' 'HOMEIMPROVEMENT'
 'DEBTCONSOLIDATION']
['No' 'Yes']

df[ "person_gender" ].value_counts()
person_gender
male      24841
female    20159
Name: count, dtype: int64

df[ "loan_intent" ].value_counts()
loan_intent
EDUCATION        9153
MEDICAL          8548
VENTURE          7819
PERSONAL         7552
DEBTCONSOLIDATION 7145
HOMEIMPROVEMENT   4783
Name: count, dtype: int64

df[ "previous_loan_defaults_on_file" ].value_counts()
previous_loan_defaults_on_file
Yes      22858
No       22142
Name: count, dtype: int64

df[ "person_age" ].max()
144.0

df = df[df[ "person_age" ] <= 100]
numrows1 = df.shape[0]
ognumrows = numrows1

7

df.head()

  person_age person_gender person_education person_income person_emp_exp \
0       22.0      female        Master     71948.0            0
1       21.0      female  High School    12282.0            0
2       25.0      female  High School    12438.0            3
3       23.0      female    Bachelor    79753.0            0
4       24.0        male        Master     66135.0            1

  person_home_ownership  loan_amnt loan_intent  loan_int_rate \

```

```

0          RENT    35000.0    PERSONAL      16.02
1          OWN     1000.0    EDUCATION     11.14
2        MORTGAGE   5500.0    MEDICAL      12.87
3          RENT    35000.0    MEDICAL      15.23
4          RENT    35000.0    MEDICAL      14.27

  loan_percent_income  cb_person_cred_hist_length  credit_score \
0              0.49                      3.0            561
1              0.08                      2.0            504
2              0.44                      3.0            635
3              0.44                      2.0            675
4              0.53                      4.0            586

  previous_loan_defaults_on_file  loan_status
0                  No             1
1                 Yes             0
2                  No             1
3                  No             1
4                  No             1

numvars = ['person_age', 'person_income', 'loan_amnt', 'loan_int_rate']
catvars = ['person_gender', 'previous_loan_defaults_on_file', 'loan_intent']
features = numvars + catvars
response = 'loan_status'

```

## 4. Preliminary Analysis

In this section, we will explore the relationships between our response variable, loan approval status, and the explanatory variables. We will investigate both the individual relationships between the response and each explanatory variable, as well as the relationships between pairs of explanatory variables. Additionally, we will examine potential interaction effects between numerical and categorical explanatory variables to gain a comprehensive understanding of the factors influencing loan approval.

### Relationships between the Response Variable and the Explanatory Variables

To visualize the relationships between the response variable (loan\_status) and each explanatory variable, we will use appropriate plots such as box plots for numerical variables and bar plots for categorical variables. These visualizations will help us identify which explanatory variables exhibit strong or weak relationships with loan approval.

```

df.head()

  person_age person_gender person_education person_income person_emp_exp \
0       22.0         female           Master      71948.0            0

```

```

1      21.0      female    High School     12282.0      0
2      25.0      female    High School     12438.0      3
3      23.0      female    Bachelor      79753.0      0
4      24.0      male     Master       66135.0      1

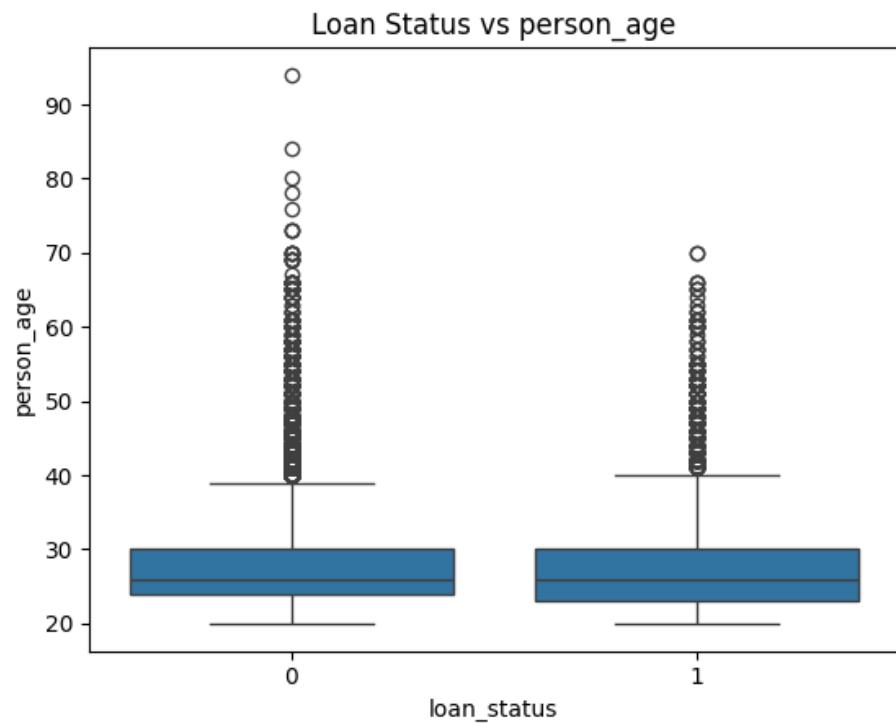
  person_home_ownership  loan_amnt loan_intent  loan_int_rate \
0            RENT      35000.0   PERSONAL        16.02
1            OWN       1000.0   EDUCATION       11.14
2          MORTGAGE      5500.0   MEDICAL        12.87
3            RENT      35000.0   MEDICAL        15.23
4            RENT      35000.0   MEDICAL        14.27

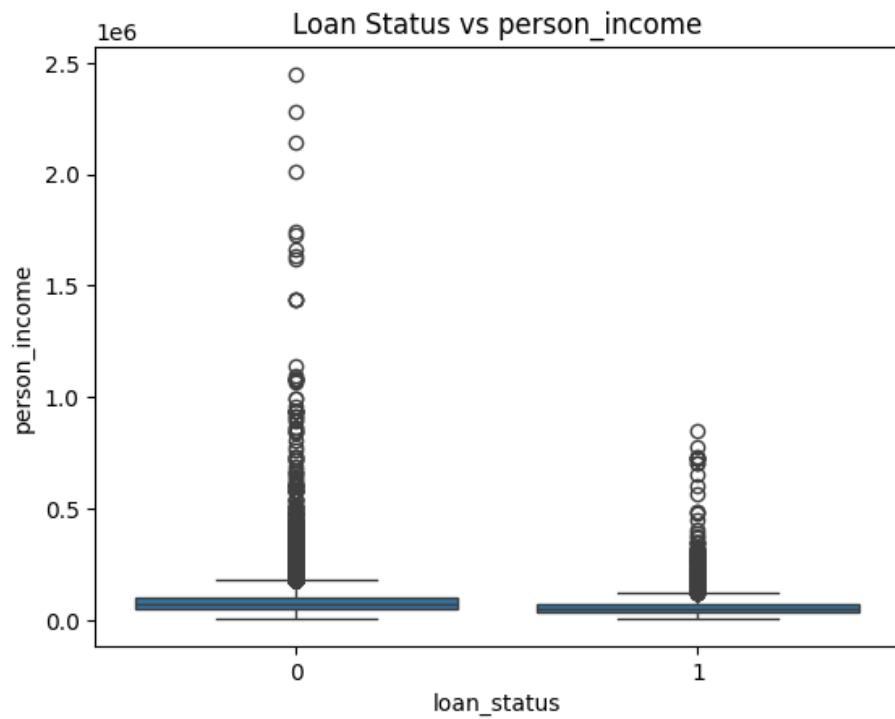
  loan_percent_income  cb_person_cred_hist_length  credit_score \
0            0.49                  3.0             561
1            0.08                  2.0             504
2            0.44                  3.0             635
3            0.44                  2.0             675
4            0.53                  4.0             586

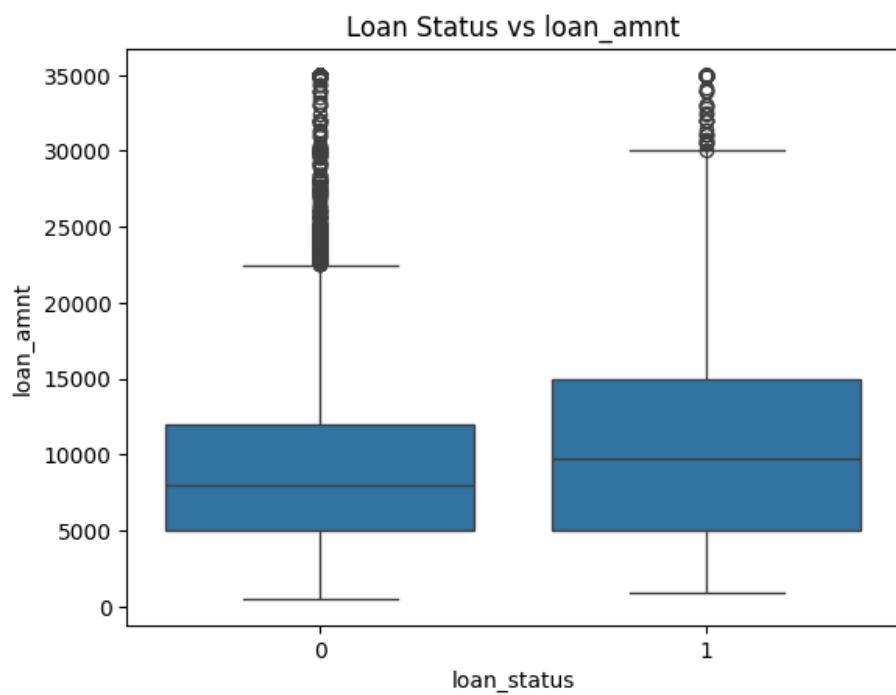
  previous_loan_defaults_on_file  loan_status
0                  No           1
1                 Yes           0
2                  No           1
3                  No           1
4                  No           1

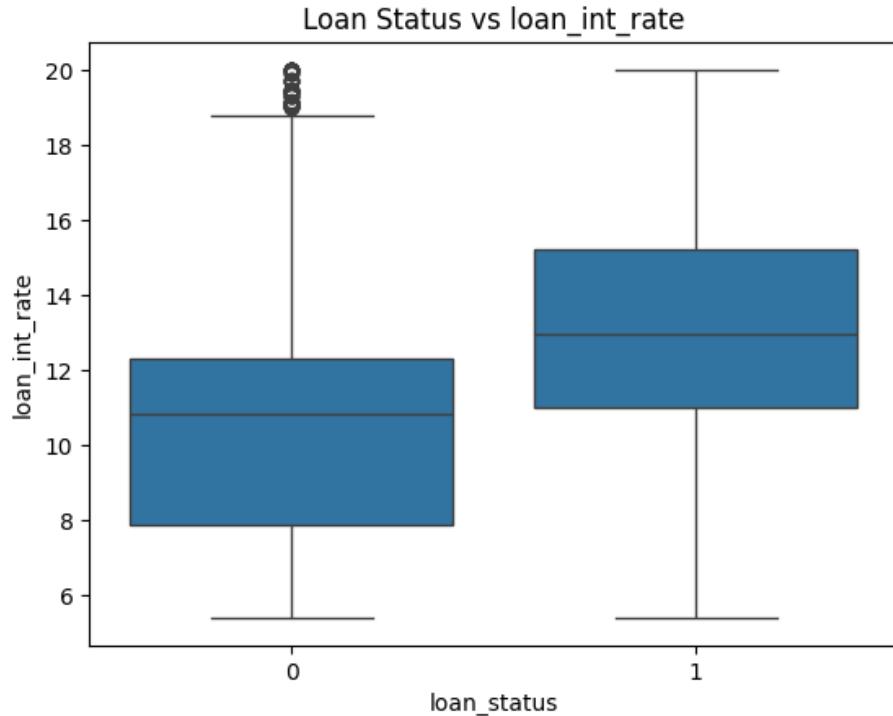
for var in numvars:
    sns.boxplot(x='loan_status', y=var, data=df)
    plt.title(f"Loan Status vs {var}")
    plt.show()

```









Side-by-side boxplots were created for numerical explanatory variables (person\_age, person\_income, loan\_amnt, loan\_int\_rate) against loan\_status.

**Person Age:** The distribution of person\_age was quite similar across both approved and rejected loans, with slightly younger applicants being more common in both groups. This suggests that person\_age has only a **weak association** with loan approval.

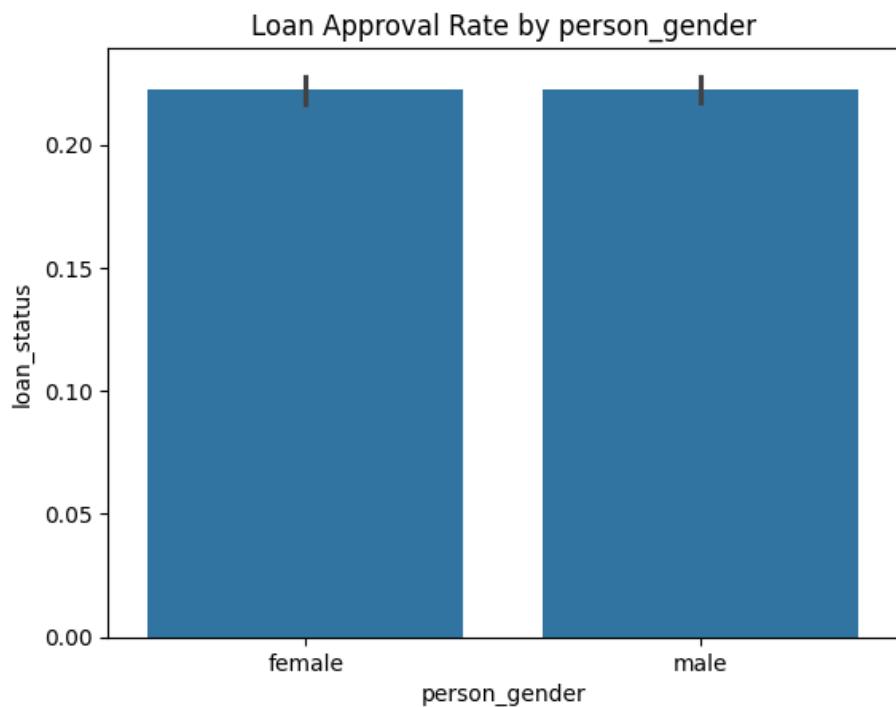
**Person Income:** Although there are many extreme income outliers, overall, the distributions of person\_income for approved and rejected applicants were quite similar. Thus, person\_income also appears to have a **weak association** with loan approval.

**Loan Amount:** The boxplots show that applicants requesting higher loan\_amnt amounts were more likely to be approved. The median loan amount was noticeably higher among approved applicants, which indicates that loan\_amnt has a **moderate positive** relationship with loan approval.

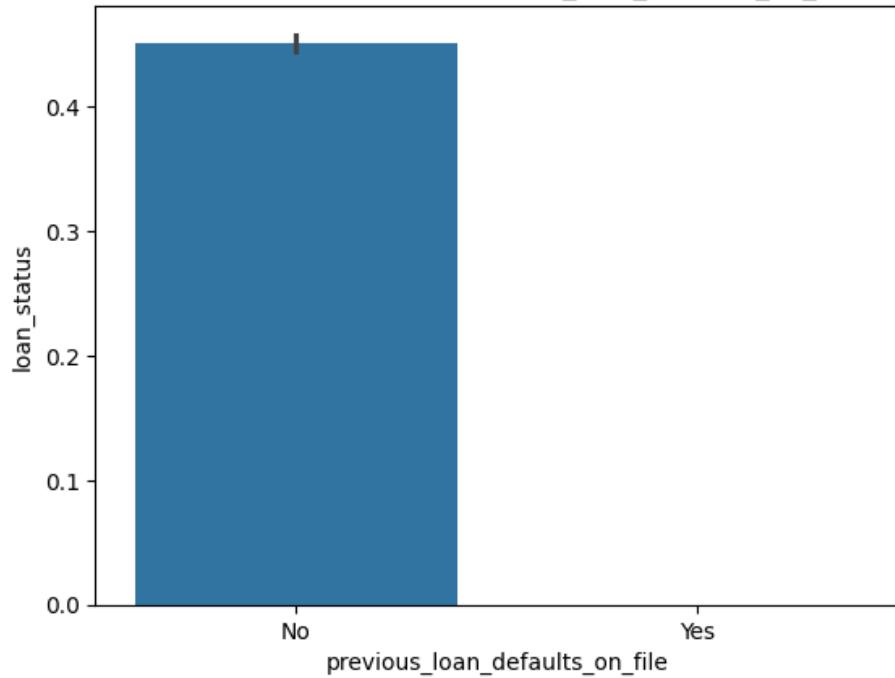
**Loan Interest Rate:** The distribution of loan interest rate was quite different across both approved and rejected loans. This suggests that loan interest rate has a **strong association** with loan approval.

```
for var in catvars:
    sns.barplot(x=var, y='loan_status', data=df)
```

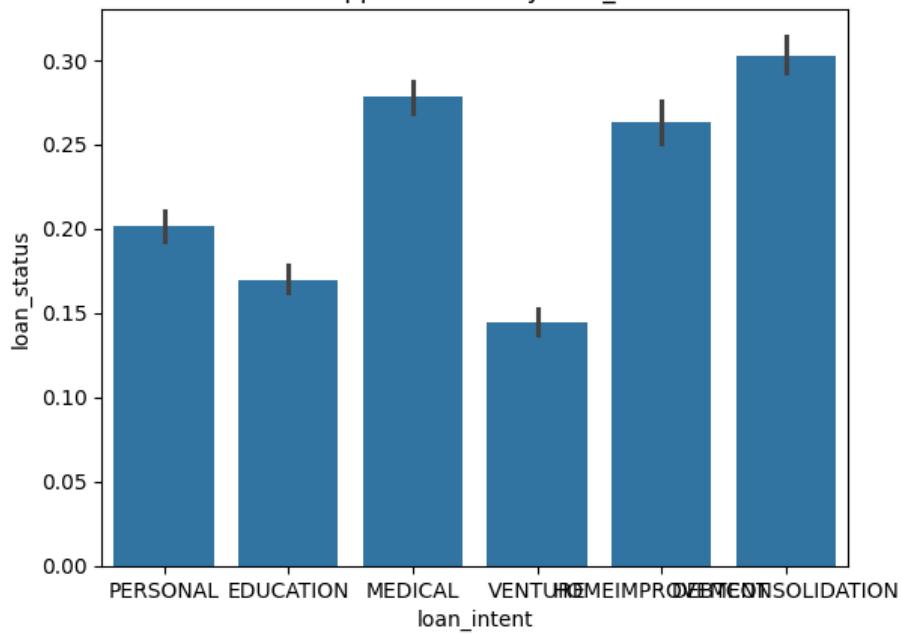
```
plt.title(f"Loan Approval Rate by {var}")  
plt.show()
```



Loan Approval Rate by previous\_loan\_defaults\_on\_file



Loan Approval Rate by loan\_intent



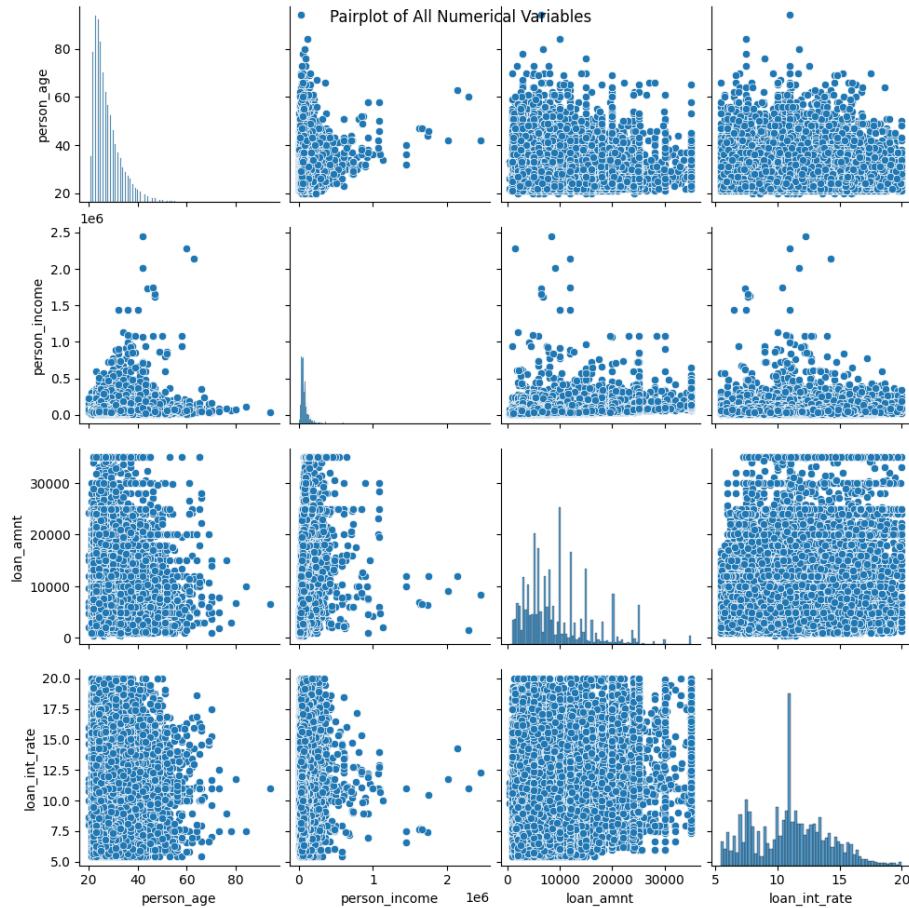
**Person Gender:** Gender seems to have **minimal influence** on loan approval rates.

**Loan intent:** Loan intent categories show varying approval rates, implying that the purpose of the loan may be a **significant factor** in the decision-making progress.

**Previous Loan Defaults:** Applicants with previous defaults almost never got approved, as shown by the barplot. Thus, previous\_loan\_defaults\_on\_file is a **very strong categorical predictor**: having a past default drastically lowers approval chances.

### Relationships between Explanatory Variable Pairs

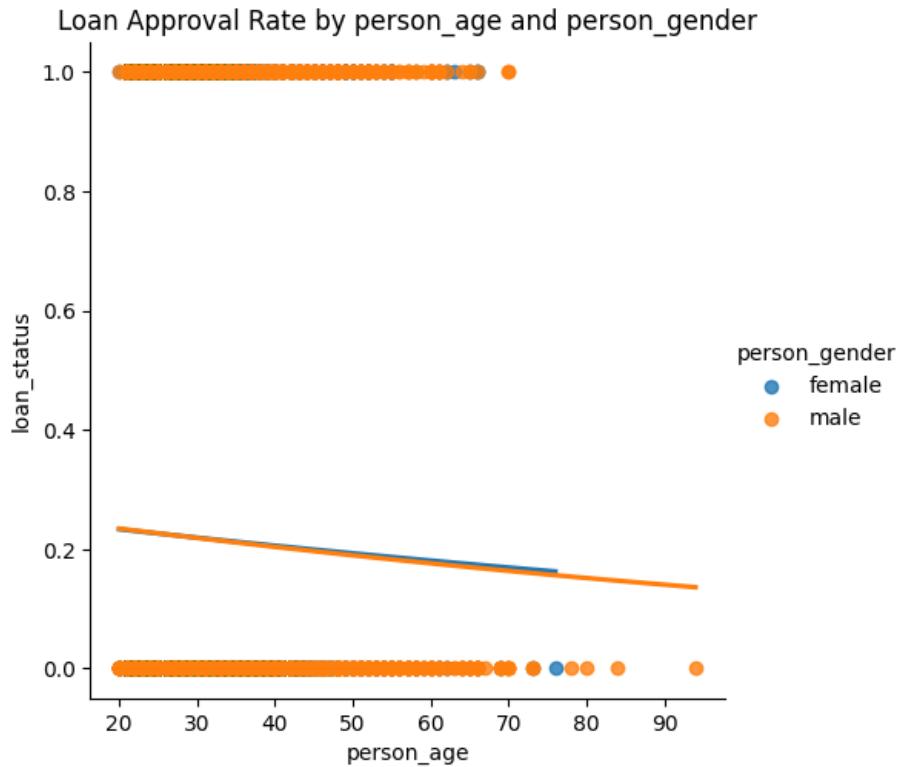
```
sns.pairplot(df[numvars])
plt.suptitle("Pairplot of All Numerical Variables")
plt.show()
```

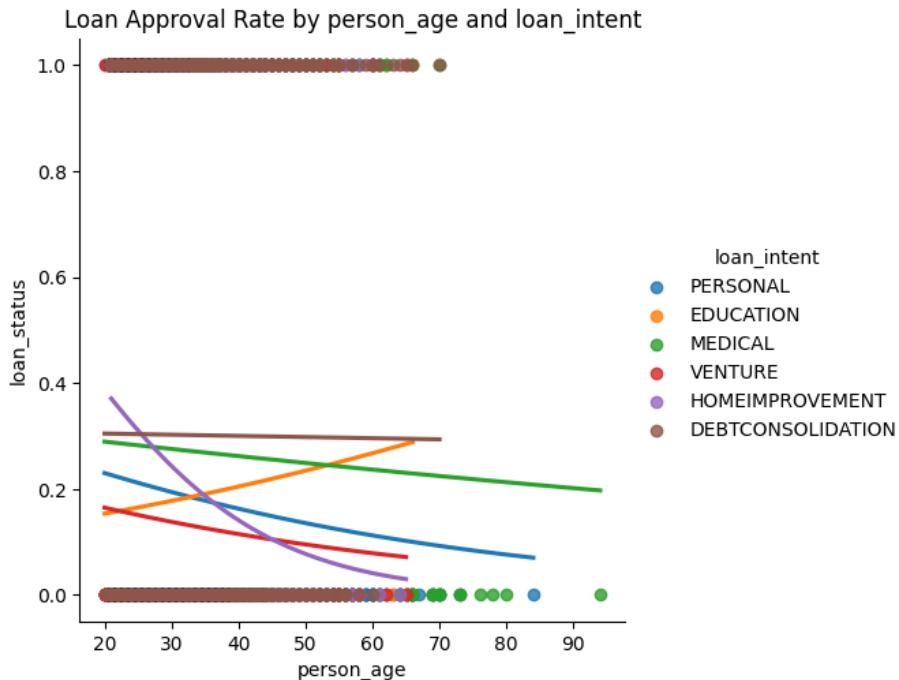


Based on the pairplot, there are **no strong linear relationships** between any pair of numerical explanatory variables. This indicates that multicollinearity should not be a major concern when building the logistic regression model. Each explanatory variable likely provides independent information about the likelihood of loan approval.

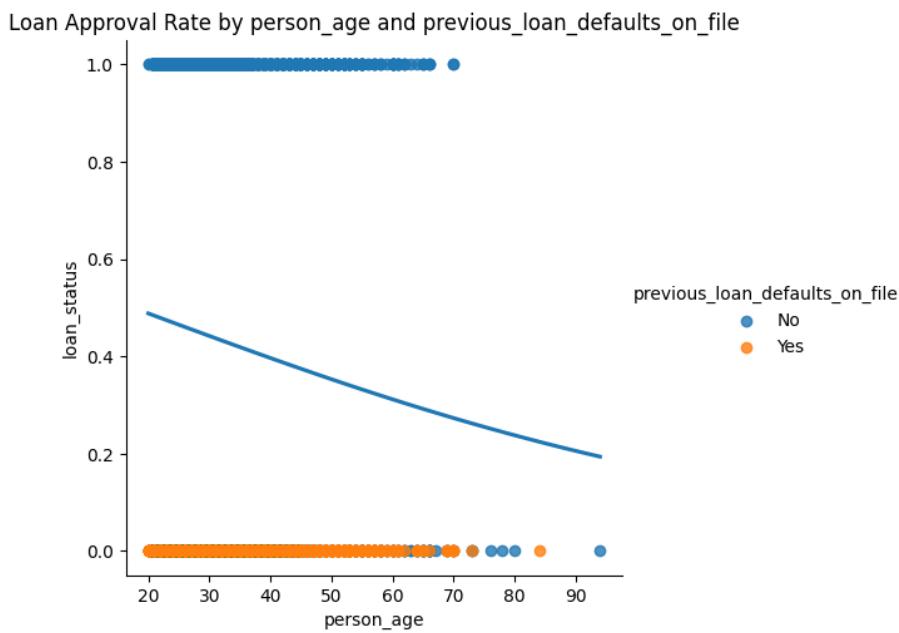
### Interaction Effects

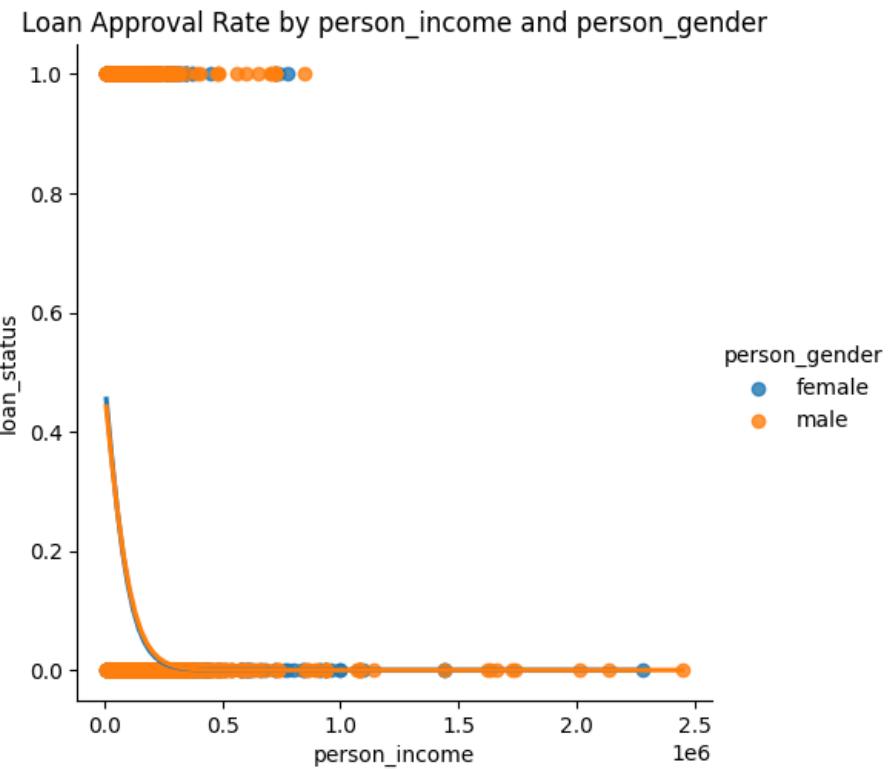
```
for num_var in numvars:  
    for cat_var in ['person_gender', 'loan_intent', 'previous_loan_defaults_on_file']:  
        sns.lmplot(x=num_var, y="loan_status", hue=cat_var, data=df, logistic=True, ci=False)  
        plt.title(f"Loan Approval Rate by {num_var} and {cat_var}")  
        plt.show()
```

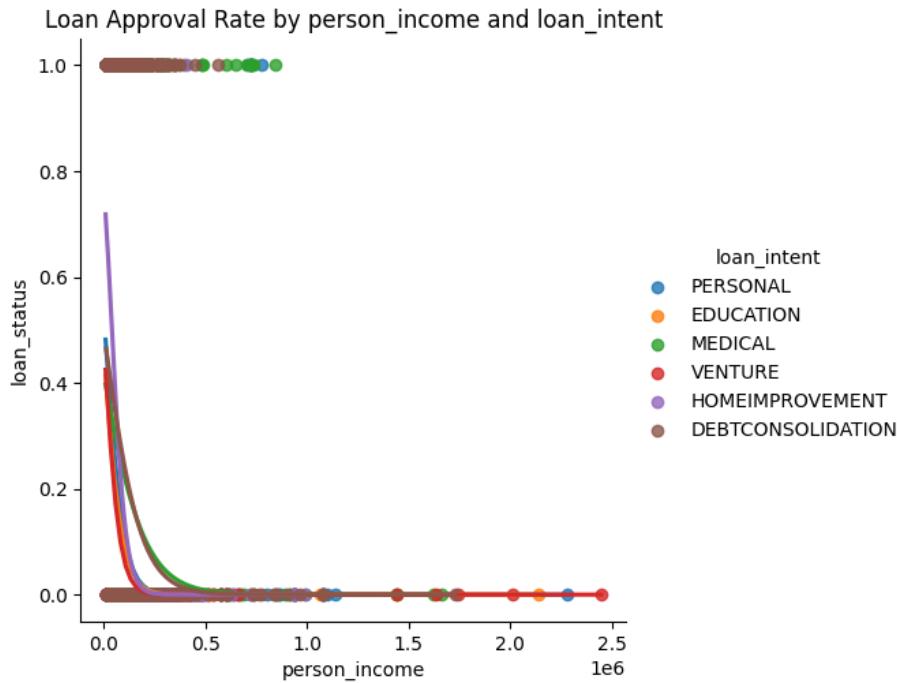




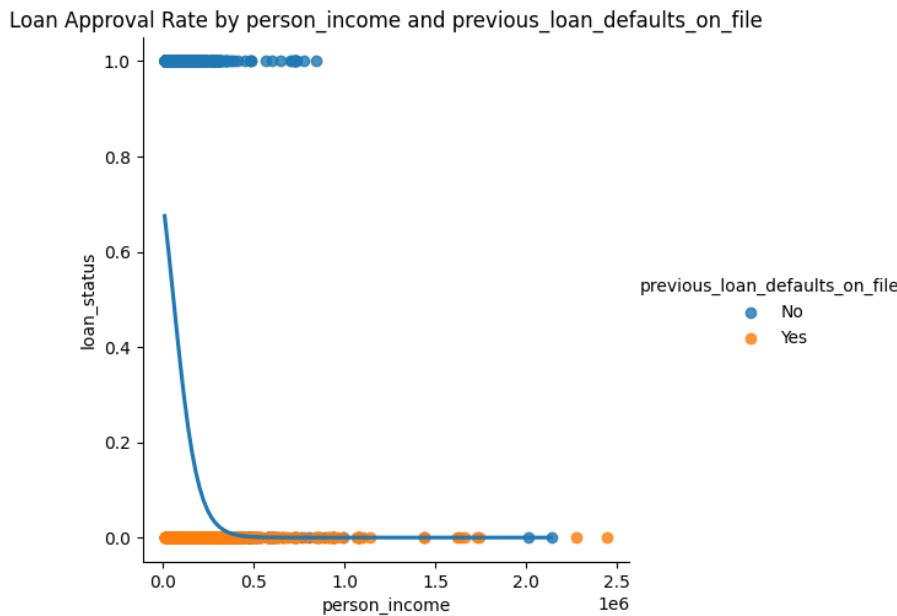
```
/Library/Frameworks/Python.framework/Versions/3.11/lib/python3.11/site-packages/numpy/lib/na
    return function_base._ureduce(a,
```

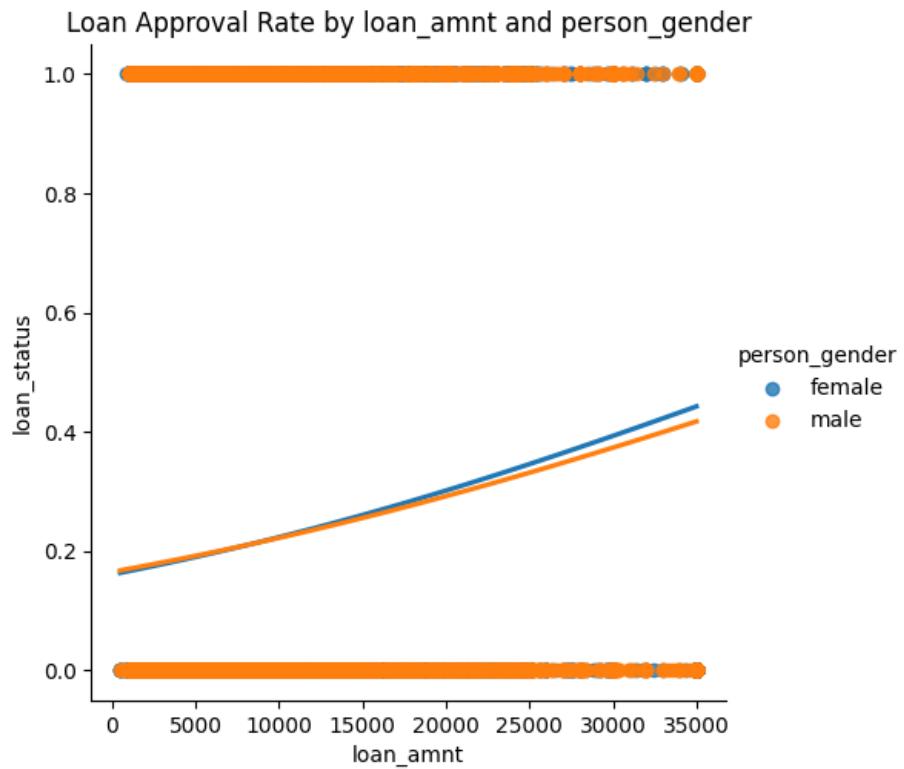


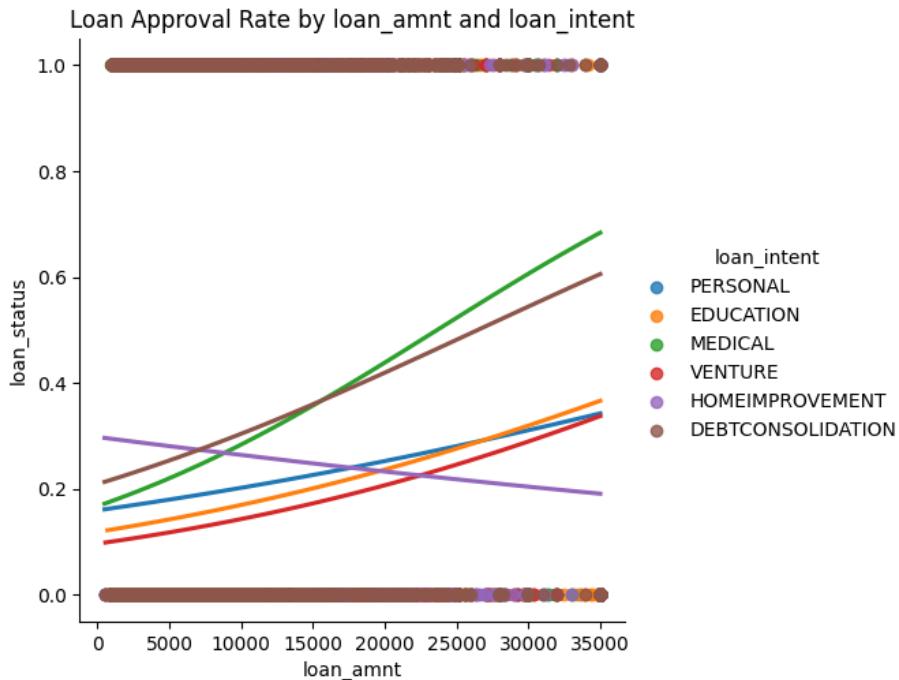




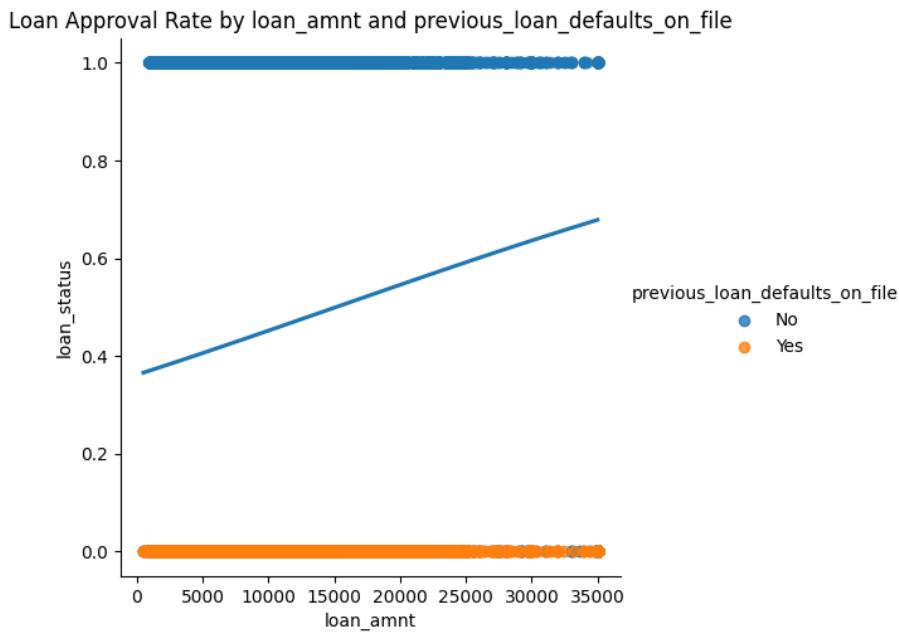
```
/Library/Frameworks/Python.framework/Versions/3.11/lib/python3.11/site-packages/numpy/lib/nanfunctions.py:1000: VisibleDeprecationWarning: return function_base._ureduce(a,
```

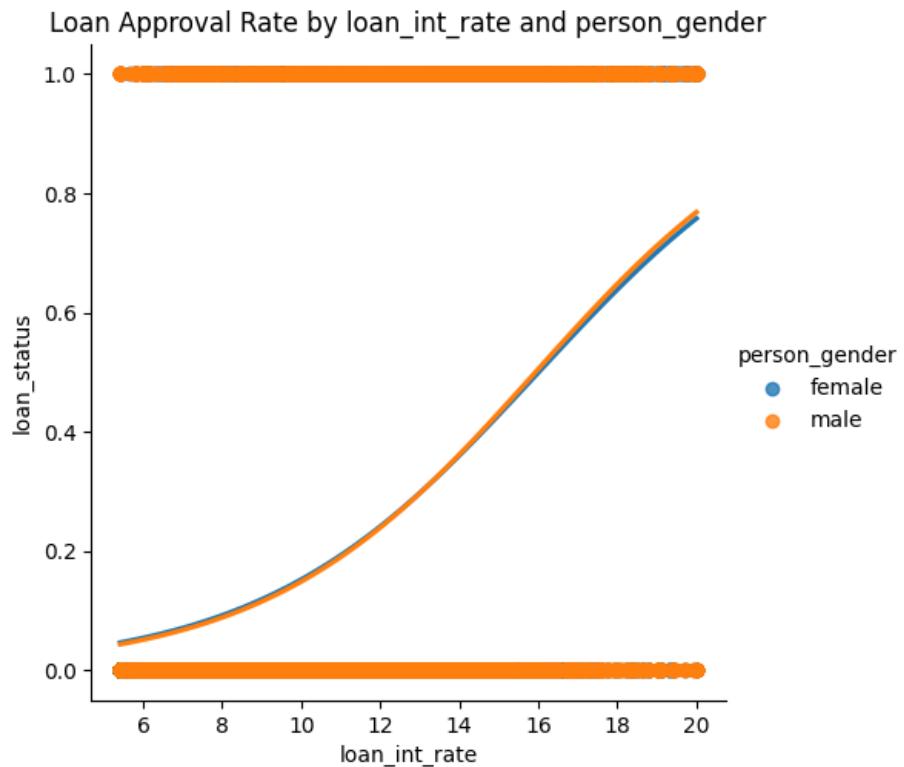


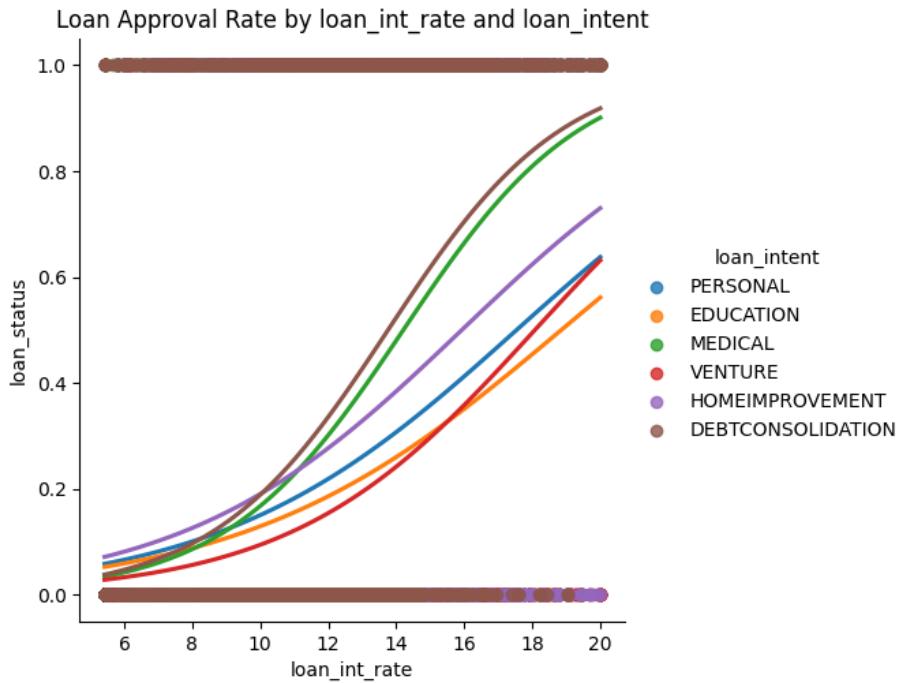




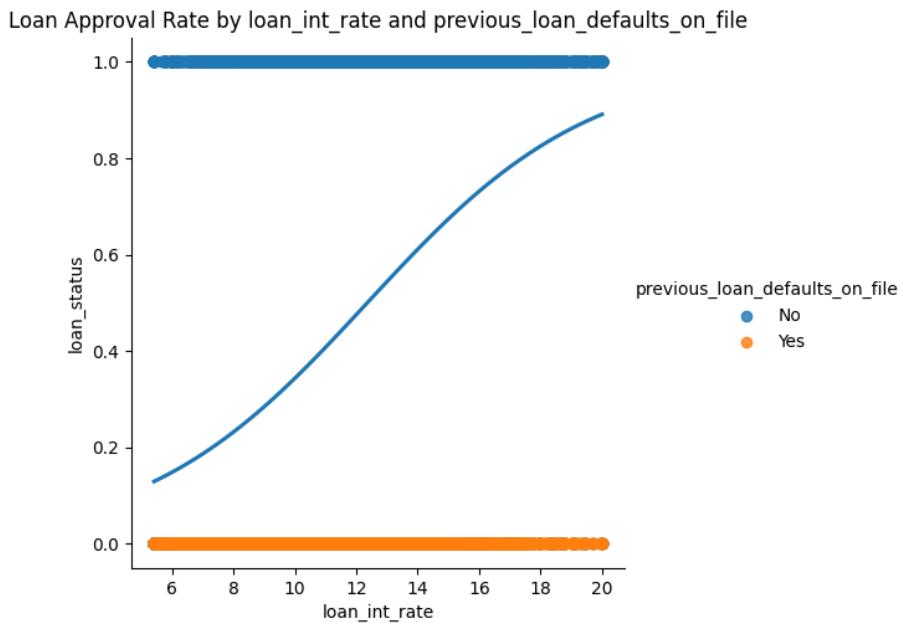
```
/Library/Frameworks/Python.framework/Versions/3.11/lib/python3.11/site-packages/numpy/lib/nanfunctions.py:110: VisibleDeprecationWarning: function _ufrompyobj is deprecated, use ufunc.at instead
    return function_base._ureduce(a,
```







```
/Library/Frameworks/Python.framework/Versions/3.11/lib/python3.11/site-packages/numpy/lib/nan
    return function_base._ureduce(a,
```



We assessed interaction effects between each numerical explanatory variable and categorical explanatory variable (gender, loan intent, previous defaults). Below are the results based on the interaction plots::

**person\_age and person\_gender:** The interaction plot suggests **no significant interaction**. The slopes for males and females are very similar and close to parallel.

**person\_age and loan\_intent:** Slopes differ more noticeably across different loan intents, suggesting that **loan intent may interact with age** to impact loan approval.

**person\_age and previous\_loan\_defaults\_on\_file:** A strong interaction is observed. The approval rates for applicants with and without previous defaults behave very differently with age. This indicates a **strong interaction**.

**person\_income and person\_gender:** Both genders show a downward trend, with slightly differences in slopes, suggesting a **weak interaction**.

**person\_income and loan\_intent:** The slopes vary across different loan intents, suggesting a **possible interaction** between income and loan purpose.

**person\_income and previous\_loan\_defaults\_on\_file:** Clear difference in slopes between applicants with and without defaults, indicating a **strong interaction**.

**loan\_amnt and person\_gender:** Very similar slopes between males and females, suggesting **no significant interaction**.

**loan\_amnt and loan\_intent:** Different loan intents have visibly different slopes, indicating **interaction between loan amount and loan purpose**.

**loan\_amnt and previous\_loan\_defaults\_on\_file:** Strongly different approval patterns for applicants with/without defaults. **A strong interaction effect is present.**

**loan\_int\_rate and person\_gender:** Slopes are similar between genders, indicating **no interaction**.

**loan\_int\_rate and loan\_intent:** There are variations in slopes across different loan intents, with some loan types showing a stronger effect of credit score on approval. This suggests a **potential interaction** between credit score and loan purpose.

**loan\_int\_rate and previous\_loan\_defaults\_on\_file:** **A very strong interaction** is observed. Applicants with previous defaults have extremely low approval probabilities regardless of credit score, while those without defaults show higher approval probabilities that decrease as credit score worsens.

## 5. Model Data Preprocessing

First, our response variable `loan_status` was already a binary (0/1) indicator variable, where 1 represents loan approval and 0 represents loan rejection, so no transformation was necessary for the response variable.

Next, we created our **features matrix and target array**. We deleted the variables of `person_age` and `person_gender` since there are no large interaction with the response variable. The features matrix included both the numerical explanatory variables. The target array contained the corresponding values of the `loan_status` variable.

It was important to scale all numerical explanatory variables. We applied **standard scaling** to the numerical features to ensure they were on comparable scales. For the categorical explanatory variables, we created **indicator (dummy) variables**, and then turn True/False into 1/0 variables.

```
from sklearn.preprocessing import StandardScaler
df_model = df[features + [response]].copy()

df_scaled = df_model.copy()

scaler = StandardScaler()
df_scaled[numvars] = scaler.fit_transform(df_scaled[numvars])
df_scaled = pd.get_dummies(df_scaled, columns=catvars, drop_first=True)

#Turn all True/False into 1/0
for col in df_scaled.columns:
    if df_scaled[col].dtype == "bool":
        df_scaled[col] = df_scaled[col].astype(int)

X_scaled = df_scaled.drop(columns=["loan_status"])
y = df_scaled["loan_status"]

X_scaled.head()

   person_age  person_income  loan_amnt  loan_int_rate  person_gender_male \
0      -0.972715     -0.125715    4.025004      1.682992                  0
1      -1.141929     -1.067987   -1.359230      0.044832                  0
2      -0.465073     -1.065523   -0.646611      0.625573                  0
3      -0.803501     -0.002455    4.025004      1.417798                  0
4      -0.634287     -0.217516    4.025004      1.095537                  1

   previous_loan_defaults_on_file_Yes  loan_intent_EDUCATION \
0                           0                      0
1                           1                      1
2                           0                      0
3                           0                      0
```

```

4          0          0

  loan_intent_HOMEIMPROVEMENT  loan_intent_MEDICAL  loan_intent_PERSONAL \
0                  0                  0                  1
1                  0                  0                  0
2                  0                  1                  0
3                  0                  1                  0
4                  0                  1                  0

  loan_intent_VENTURE
0          0
1          0
2          0
3          0
4          0

y.head()

0    1
1    0
2    1
3    1
4    1
Name: loan_status, dtype: int64

```

## 6. Feature Selection with k-Fold Cross-Validation

We select LASSO to find out whether there is a feature that doesn't provide enough predictive power. We choose LASSO instead of Ridge and elastic net because LASSO tends to set slopes of variables with little predictive power zero, from which we can easily identify redundant variables.

We try lambdas ranging from 0.00001 to 0.1 with 100 trials and find that lambda of 0.00001 generated the best model. The best model has an auc of 0.9388. The slopes of the best model demonstrates that all variables bring enough predictive power into the model.

```

lambda_range = np.linspace(0.00001, 0.1, 100)
auc_scores = []
models = []
for lam in lambda_range:
    log_mod = LogisticRegression(penalty='l1', solver='liblinear', C=1/lam, max_iter=1000)
    cross_val = KFold(n_splits=5, shuffle=True, random_state=207)
    test_fold_auc=cross_val_score(log_mod, X_scaled, y, cv=cross_val, scoring="roc_auc")
    auc_scores.append(np.mean(test_fold_auc))
    models.append(log_mod)

best_index = np.argmax(auc_scores)

```

```

best_lambda = lambda_range[best_index]
best_auc = auc_scores[best_index]
best_mod = models[best_index]

plt.figure(figsize=(8, 5))
plt.plot(lambda_range, auc_scores, marker='o')
plt.xlabel('Lambda')
plt.ylabel('AUC')
plt.legend()
plt.grid(True)
plt.show()

print("Best Lambda:", best_lambda)
print("Highest Average AUC:", best_auc)

Cell In[19], line 10
    print("Best Lambda:" best_lambda)
    ^
SyntaxError: invalid syntax. Perhaps you forgot a comma?

best_mod.fit(X_scaled, y)
best_mod.coef_[0]

array([-0.07651247, -1.65765415,  0.62972975,  0.87464123,
       0.03121984, -16.44922874, -0.8696228, -0.13032501,
      -0.28654369, -0.69664404, -1.13540222])

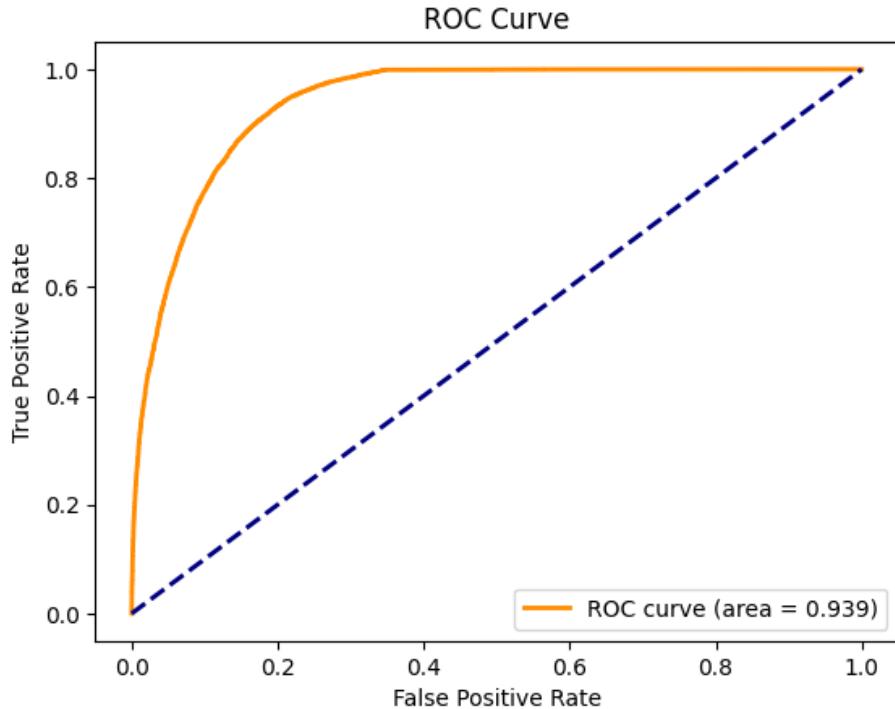
pred_y = best_mod.predict_proba(X_scaled)[:, 1]

def plot_roc(fpr, tpr, auc, lw=2):
    plt.plot(fpr, tpr, color='darkorange', lw=lw,
              label='ROC curve (area = ' + str(round(auc, 3)) + ')')
    plt.plot([0, 1], [0, 1], color='navy', lw=lw, linestyle='--')
    plt.xlabel('False Positive Rate')
    plt.ylabel('True Positive Rate')
    plt.title('ROC Curve')
    plt.legend(loc="lower right")
    plt.show()

def plot_roc_curve(a, b):
    fpr, tpr, thresholds = roc_curve(a, b)
    auc = roc_auc_score(y_true=a, y_score=b)
    plot_roc(fpr, tpr, auc)

plot_roc_curve(y, pred_y)

```



```
full_mod = LogisticRegression(penalty='none', max_iter=1000)
cross_val = KFold(n_splits=5, shuffle=True, random_state=207)
test_fold_auc=cross_val_score(log_mod, X_scaled, y, cv=cross_val, scoring="roc_auc")
print(test_fold_auc.mean())
print(test_fold_auc.std())

0.9382195869291478
0.0012878140753577842
```

## 7. Best Model Discussion

According to the average test auc score, the LASSO model outperforms the full model. Therefore, LASSO is the best model.

```
from sklearn.model_selection import train_test_split

df_train, df_test = train_test_split(df_model, test_size=0.2, random_state=555)
df_train.head()

  person_age  person_income  loan_amnt  loan_int_rate person_gender \
29512        39.0       37327.0     10375.0           8.90      male
1677         21.0       35455.0     8000.0           8.90      male
26979        30.0       145301.0    15000.0          10.99  female
```

```

2250      21.0      38606.0    13000.0      13.11      male
16683     22.0      74488.0    12000.0      13.49      male

  previous_loan_defaults_on_file      loan_intent  loan_status
29512           Yes      EDUCATION      0
1677            Yes      EDUCATION      0
26979           No   HOMEIMPROVEMENT      0
2250            No      EDUCATION      1
16683          Yes      MEDICAL      0

scaler = StandardScaler()
df_train[numvars] = scaler.fit_transform(df_train[numvars])
df_train = pd.get_dummies(df_train, columns=catvars, drop_first=True)
for col in df_train.columns:
    if df_train[col].dtype == "bool":
        df_train[col] = df_train[col].astype(int)

df_train.head()

      person_age  person_income  loan_amnt  loan_int_rate  loan_status \
29512    1.915444    -0.662247    0.125732    -0.706484      0
1677    -1.141818    -0.691190   -0.249989    -0.706484      0
26979    0.386813     1.007103    0.857398   -0.004933      0
2250    -1.141818    -0.642473    0.541002    0.706689      1
16683   -0.971970    -0.087714    0.382803    0.834244      0

      person_gender_male  previous_loan_defaults_on_file_Yes \
29512                1                           1
1677                1                           1
26979                0                           0
2250                1                           0
16683                1                           1

      loan_intent_EDUCATION  loan_intent_HOMEIMPROVEMENT \
29512                  1                           0
1677                  1                           0
26979                  0                           1
2250                  1                           0
16683                  0                           0

      loan_intent_MEDICAL  loan_intent_PERSONAL  loan_intent_VENTURE
29512                  0                   0                   0
1677                  0                   0                   0
26979                  0                   0                   0
2250                  0                   0                   0
16683                  1                   0                   0

```

```

X_train = df_train.drop(columns=["loan_status"])
y_train = df_train["loan_status"]

model = LogisticRegression(penalty='l1', solver='liblinear', C=1/best_lambda, max_iter=1000)
df_slopes = pd.DataFrame(model.coef_[0], index=X_train.columns, columns=["Slope"])
df_slopes

Slope
person_age           -0.098622
person_income         -1.717790
loan_amnt             0.630811
loan_int_rate          0.883997
person_gender_male    0.021128
previous_loan_defaults_on_file_Yes -15.565764
loan_intent_EDUCATION      -0.852173
loan_intent_HOMEIMPROVEMENT -0.124539
loan_intent_MEDICAL        -0.283975
loan_intent_PERSONAL       -0.732838
loan_intent_VENTURE         -1.134097

model.intercept_
array([-0.21679644])

```

Equation:

$$\hat{p} = \frac{1}{1 + \exp\left(-\left[ -1.18539112 \right.\right.}$$

$$\left.\left. - 0.022838 \cdot \text{person\_age} \right.\right.$$

$$\left.\left. - 0.000026 \cdot \text{person\_income} \right.\right.$$

$$\left.\left. + 0.000098 \cdot \text{loan\_amnt} \right.\right.$$

$$\left.\left. + 0.260390 \cdot \text{loan\_int\_rate} \right.\right.$$

$$\left.\left. + 0.010904 \cdot \text{person\_gender\_male} \right.\right.$$

$$\left.\left. - 14.967081 \cdot \text{previous\_loan\_defaults\_on\_file\_Yes} \right.\right.$$

$$\left.\left. - 0.927160 \cdot \text{loan\_intent\_EDUCATION} \right.\right.$$

$$\left.\left. - 0.193122 \cdot \text{loan\_intent\_HOMEIMPROVEMENT} \right.\right.$$

$$\left.\left. - 0.341704 \cdot \text{loan\_intent\_MEDICAL} \right.\right.$$

$$\left.\left. - 0.782793 \cdot \text{loan\_intent\_PERSONAL} \right.\right.$$

$$\left.\left. - 1.179984 \cdot \text{loan\_intent\_VENTURE} \right.\right]$$

```

for i in range(len(numvars)):
    for m in range(i + 1, len(numvars)):
        if abs(df_train[numvars].corr()[numvars[i]][numvars[m]]) >= 0.7:
            print(numvars[i], numvars[m], df_train[numvars].corr()[numvars[i]][numvars[m]])

```

```

df_train[numvars].corr()

      person_age  person_income  loan_amnt  loan_int_rate
person_age      1.000000    0.143927   0.048725    0.014395
person_income    0.143927    1.000000   0.306158   -0.003958
loan_amnt       0.048725    0.306158   1.000000    0.143510
loan_int_rate    0.014395   -0.003958   0.143510    1.000000

```

There is no issue of multicollinearity. Since the training data is scaled and there is no issue of multicollinearity, we can interpret the magnitudes of the slopes as indicating how important the corresponding explanatory variable is when it comes to predicting out response variable. `previous_loan_defaults_on_file` is the most important explanatory variable as indicated by the slopes. As the lambda value is low and no slope is set to zero, we believe that there is no issue of overfitting.

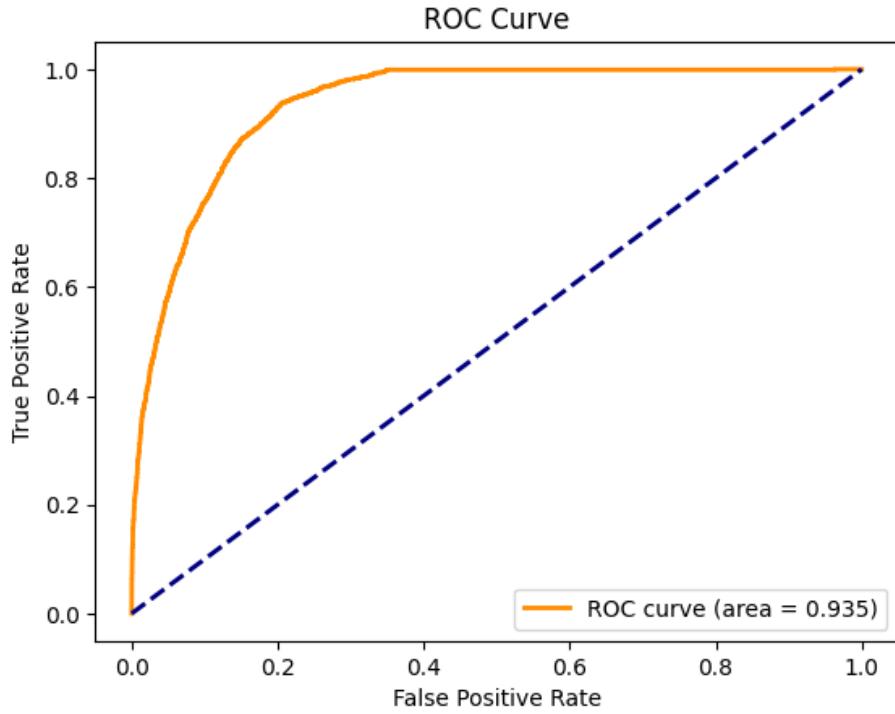
```

df_test[numvars] = scaler.fit_transform(df_test[numvars])
df_test = pd.get_dummies(df_test, columns=catvars, drop_first=True)
for col in df_test.columns:
    if df_test[col].dtype == "bool":
        df_test[col] = df_test[col].astype(int)

X_test = df_test.drop(columns=["loan_status"])
y_test = df_test["loan_status"]

y_test_pred = model.predict_proba(X_test)[:, 1]
plot_roc_curve(y_test, y_test_pred)
print(roc_auc_score(y_true=y_test, y_score=y_test_pred))

```



0.9352743756826806

The test auc score of this model is 0.935, which is pretty high. Since this is to predict whether we approve the loan, we should be careful not to provide it to someone who will never pay back. Therefore, we should choose a threshold with low false positive rate. However, we don't want to deny all clients. Therefore, we want the threshold with the lowest false positive rate that has a true positive rate above 60.

```
fpr, tpr, thresholds = roc_curve(y_test, y_test_pred)
df_res = pd.DataFrame({"FPR": fpr, "TPR": tpr, "Thresholds": thresholds})
best = df_res[df_res['TPR'] > 0.6].nsmallest(1, 'FPR')
print('Threshold', best['Thresholds'].values[0])
print('FPR', best['FPR'].values[0])
print('TPR', best['TPR'].values[0])

Threshold 0.5968519140342083
FPR 0.05297729544480937
TPR 0.6002004008016032
```

The threshold that satisfies the requirement is 0.597, which has a true positive rate of 0.6 and false positive rate of 0.05. This means that 60% of all the actual positive cases are correctly predicted as positive. Meanwhile, the False Positive Rate is 5%, meaning that 5% of the actual negative cases are incorrectly

predicted as positive.

## 8. Additional Analysis/Insight

To further investigate the characteristics of loan applicants, we conducted a cluster analysis using K-Means clustering. This analysis, outside the scope of our initial research goals, aims to identify distinct groups of applicants based on their profile features. This additional analysis can offer deeper insights into applicant behavior and patterns, which can help refine our understanding of loan approval determinants and better tailor our model for specific subgroups.

```
KMeans_model = KMeans(n_clusters=3, random_state=207)
cluster_labels = KMeans_model.fit_predict(X_scaled)
df['cluster'] = cluster_labels
/var/folders/kj/xx0t04xd2j3fqt15rhd_rzcr0000gn/T/ipykernel_10617/2329045320.py:1: SettingWithCopyWarning
  A value is trying to be set on a copy of a slice from a DataFrame.
  Try using .loc[row_indexer,col_indexer] = value instead

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#inplace-modifications
df['cluster'] = cluster_labels
cluster_summary = df.groupby('cluster')[numvars + ['loan_status']].mean()

cluster_summary
   person_age  person_income    loan_amnt  loan_int_rate  loan_status
cluster
0         28.787065    73870.252341    7449.259528      8.205212    0.103022
1         29.549471   133890.468783   19319.571794     12.275271    0.274154
2         26.042338    61273.942107    7135.830852     12.893825    0.303528
```

Based on this result, we can summarize the characteristics of our clusters as below:

**Cluster 0:** This cluster is composed of applicants with the lowest yearly income and loan amount, as well as a low interest rate and moderate age. This group has the lowest loan approval rate of just 10%, suggesting these applicants are generally considered high-risk.

**Cluster 1:** This group has the highest yearly income and loan amount, along with moderate age and interest rate. This cluster has a moderate loan approval rate of 27%, indicating a moderate risk profile.

**Cluster 2:** This group is characterized by the youngest age and lowest yearly income, but moderate loan amounts and high interest rates. Despite this, they have the highest loan approval rate of 30%, suggesting they might represent a specific niche of applicants who are considered more favorably despite their youth and income level.

This additional analysis extends our secondary research goal by providing more interpretative insights about the nature of the relationships between the variables in our dataset. The person considering taking on an educational loan, as mentioned in our introduction, can use these profiles to gauge where they fall in the broader loan applicant pool. If they fall into cluster 0, they may consider lowering their requested loan amount, or if they are in cluster 2, they may use that information to make further research into if there are specific characteristics in that group that can further increase their chances of loan approval. Financial institutions could use these cluster profiles to better understand the reasons behind loan application outcomes. For instance, the high approval rate in Cluster 2, despite the low yearly income and moderate interest rates, may point to the influence of other factors not explicitly captured in our analysis, such as quality of degree sought or university of attendance.

## 9. Conclusion

In this project, we aimed to build a predictive model for loan approval status and gain interpretative insights into the factors influencing these decisions. We successfully constructed a LASSO logistic regression model that achieved a high average test AUC score of 0.935. This indicates a strong ability to discriminate between loan applications that are likely to be approved versus those likely to be rejected. Our feature selection process, guided by K-fold cross-validation, ensured that the model utilized the most relevant variables while mitigating overfitting. Further insights were gained from a cluster analysis, which allowed us to identify different groups of applicants based on their characteristics and approval patterns.

### Recommendation

Given the high AUC score, I would cautiously recommend this model to be used by the U of I grad a few years out of college that we mentioned in our introduction. The model's high AUC score on test data suggests that it generalizes well to new, unseen data, which is critical for making reliable predictions. However, the model should be used as an advisory tool rather than a definitive decision-maker. The individual should weigh the model's prediction alongside their personal circumstances and financial goals. It should serve as a valuable piece of information in a broader decision-making process, and not a directive.

### Shortcomings/Caveats

While our LASSO logistic regression model demonstrates strong predictive performance, it is crucial to acknowledge the limitations of our analysis and potential areas for improvement. Though a test AUC score of 0.935 indicates strong discriminatory power on unseen data, we cannot definitively claim that our model achieves the absolute highest possible average test AUC score. This is because we explored only a limited set of model types. If we add backwards elimination with cross-validation and forward selection with cross-validation, we can improve or double-check our result. Furthermore, while we considered some

interaction effects, a deeper investigation into higher-order interactions or non-linear relationships between explanatory variables might further enhance the model's predictive capabilities. Additionally, we acknowledge the absence of formal statistical testing for overfitting; although the low lambda value suggests a minimal risk of overfitting, future work should include these tests to rigorously assess this possibility. In addition to the limitations of model exploration and evaluation, our study's scope could be expanded by incorporating more feature selecting, particularly financial ratios, to capture a more holistic view of an applicant's financial situation. Addressing these shortcomings will pave the way for future refinements and a more comprehensive understanding of loan approval prediction.

### **Future Work**

Based on what we learned, one promising direction for future work would be to incorporate financial ratio data and explore a broader range of features related to an applicant's financial situation. Key ratios such as debt-to-income, loan-to-value, and credit utilization are commonly used in credit risk assessment. Including these metrics would enhance the model's ability to capture applicants' overall financial health and improve its accuracy in predicting loan approval status. Furthermore, analyzing these ratios within different clusters could lead to a more nuanced understanding of financial risk factors among various applicant segments.

### **References**

- (1) Mian, Atif, and Amir Sufi. *House of Debt: How They (and You) Caused the Great Recession, and How We Can Prevent It from Happening Again*. University of Chicago Press, 2014. <https://press.uchicago.edu/ucp/books/book/chicago/H/bo20832545.html>
- (2) Stein, Tristan, and Emily Wielk. "Student Loan Default: How Policy and Politics Are Failing Borrowers." Bipartisan Policy Center, 16 Apr. 2025, <https://bipartisanpolicy.org/blog/student-loan-default-how-policy-and-politics-are-failing-borrowers/>.