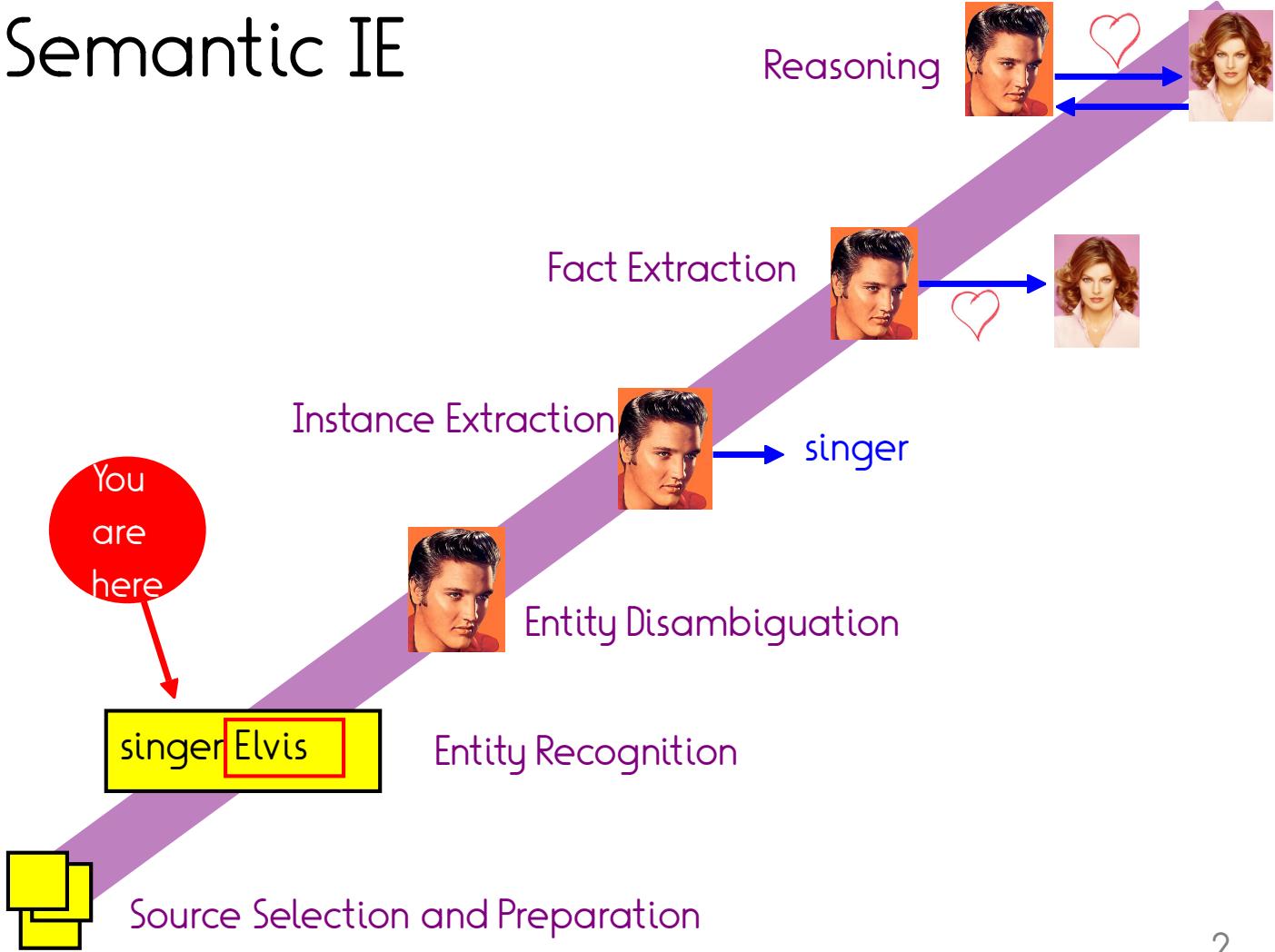


Named Entity Recognition

Nada Mimouni

Based on Slides by:
Fabian M. Suchanek

Semantic IE



Overview

- Named Entity Recognition
 - ...by dictionary
 - ...by regex

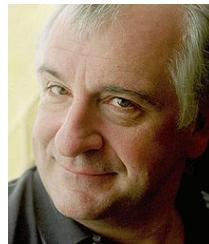
Named Entity

A **named entity** is an instance that has a name.

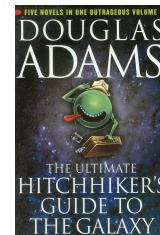
This typically concerns people, organizations, and artifacts.



Télécom
ParisTech



Douglas Adams



Hitchhiker's
guide to
the galaxy

Def: Named Entity Recognition

Named entity recognition (NER) is the task of finding entity names in a corpus.

In homage to Douglas Adams' book "Hitchhiker's Guide to the Galaxy", Google replies to the question of "life, the universe, and everything" with the number "42".

[Try it out](#)

(In its basic form, NER does not care to which entity the name belongs. It just finds names.)

NER is difficult

Douglas Adam wrote the book The Hitchhiker's guide to the galaxy in...

In the beginning the Universe was created. This has made a lot of people very angry and been widely regarded as a bad move.

X
Capital Letters Were Always The Best Way Of Dealing With Things
You Didn't Have A Good Answer To.

Cable and Wireless a major company...

Microsoft and Dell both agreed...

X
Alexander the Great

Def: Dictionary

A dictionary (also: gazetteer, lexicon) is a set of entity names.

NER by dictionary finds only names of the dictionary.

It can be used if the entities are known upfront.

US states: {Alabama, Alaska, California, ...}

...lived in Los Angeles, California, while...

- US states
- countries
- Dow Jones companies
- Actors of a given movie
- ...

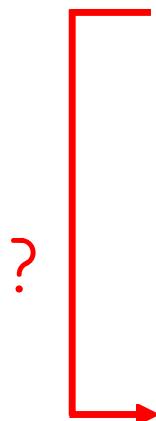
Naive Dictionary NER is slow

?

Books by Douglas Adams: {
Life, the Universe and Everything
Hitchhiker's Guide to the Galaxy
Mostly Harmless
... }

The Hitchhiker's Guide to the
Galaxy has "Don't Panic" on it,
in large, mostly friendly letters.

Naive Dictionary NER is slow



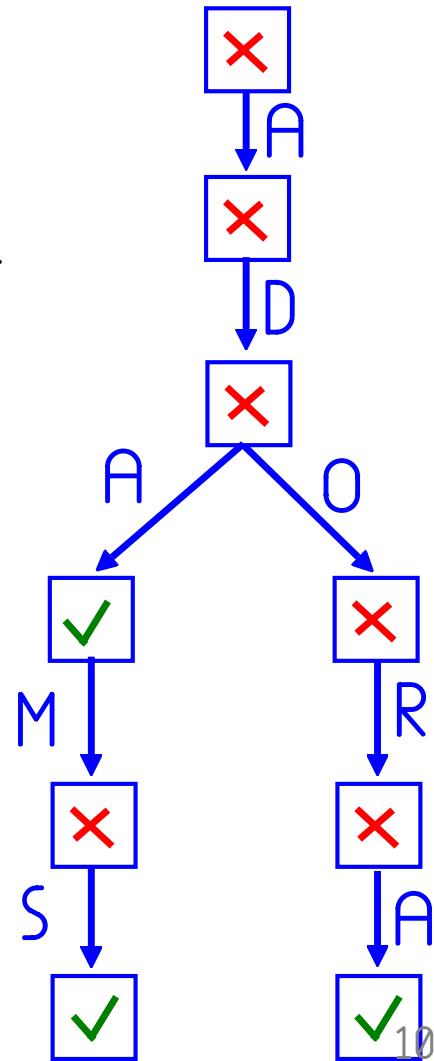
Books by Douglas Adams: {
Life, the Universe and Everything
Hitchhiker's Guide to the Galaxy
Mostly Harmless
... }

The Hitchhiker's Guide to the
Galaxy has "Don't Panic" on it,
in large, mostly friendly letters.

$$O(\text{textLength} \times \text{dictSize} \times \text{maxWordLength})$$

Def: Trie

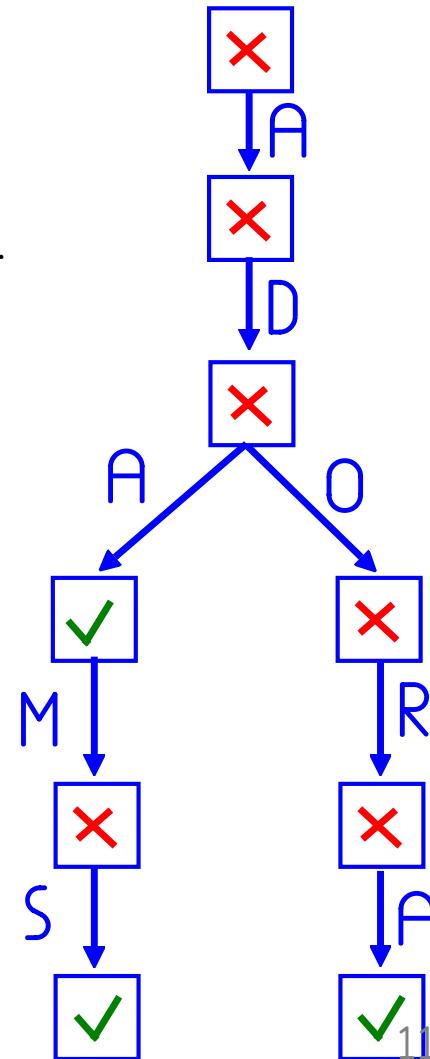
A trie is a tree, where nodes are labeled with booleans and edges are labeled with characters.



A trie contains strings

A trie contains a string, if the string denotes a path from the root to a node marked with "true".

{ADA, ADAMS, ADORA}

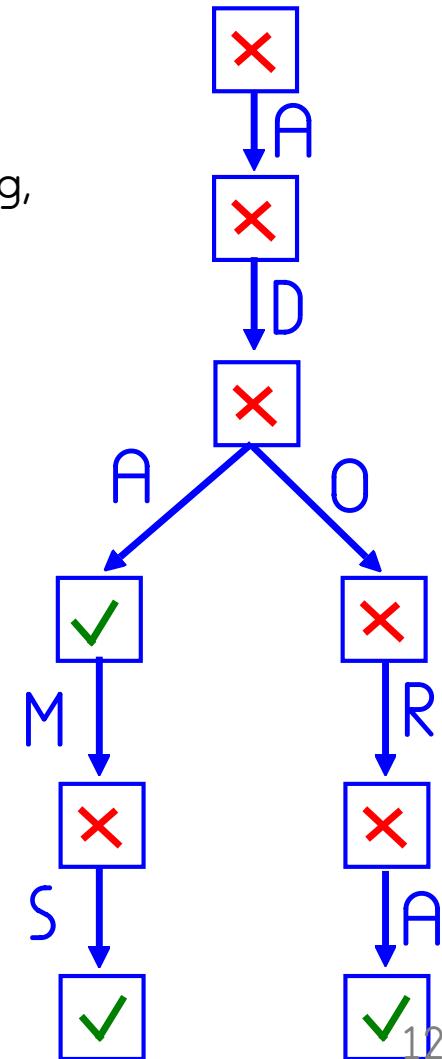


Adding strings (1)

To add a string that is a prefix of an existing string,
switch node to "true".

{ADA, ADAMS, ADORA}

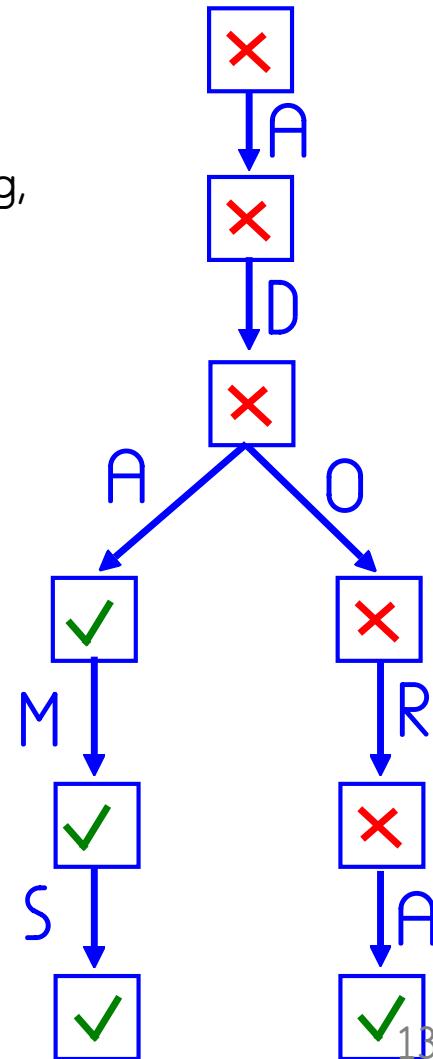
+ ADAM



Adding strings (1)

To add a string that is a prefix of an existing string,
switch node to "true".

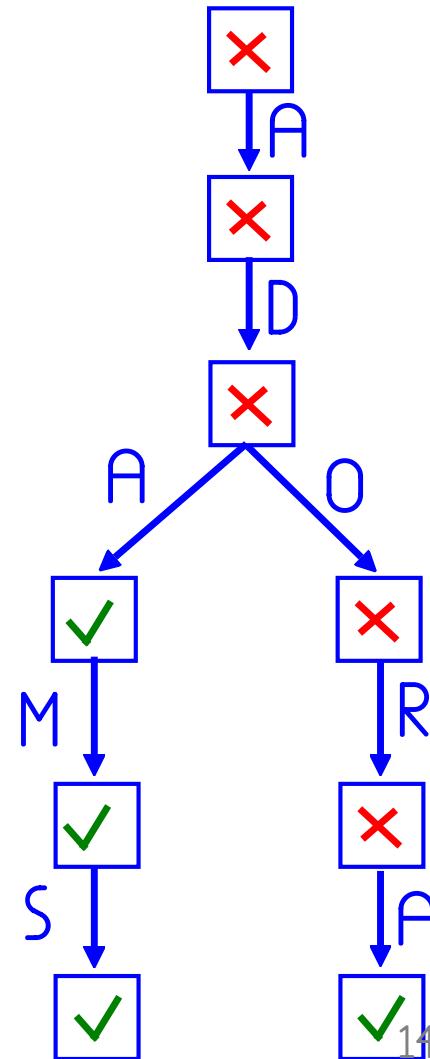
{ADA, ADAM,
ADAMS, ADORA}



Adding strings (2)

To add another string, make a new branch.

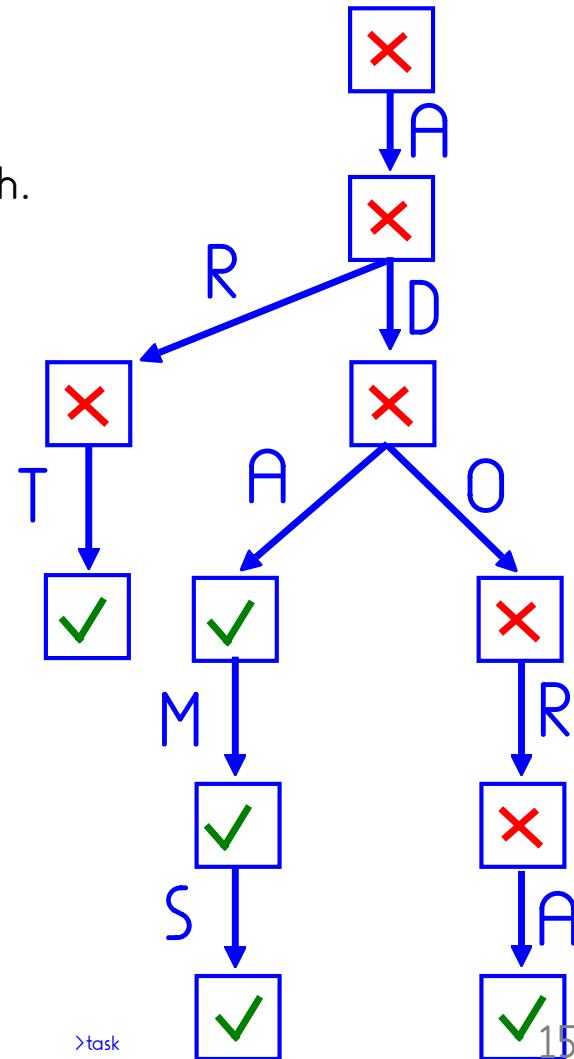
{ADA, ADAM,
ADAMS, ADORA} + ART



Adding strings (2)

To add another string, make a new branch.

{ADA, ADAM,
ADAMS, ADORA, ART}

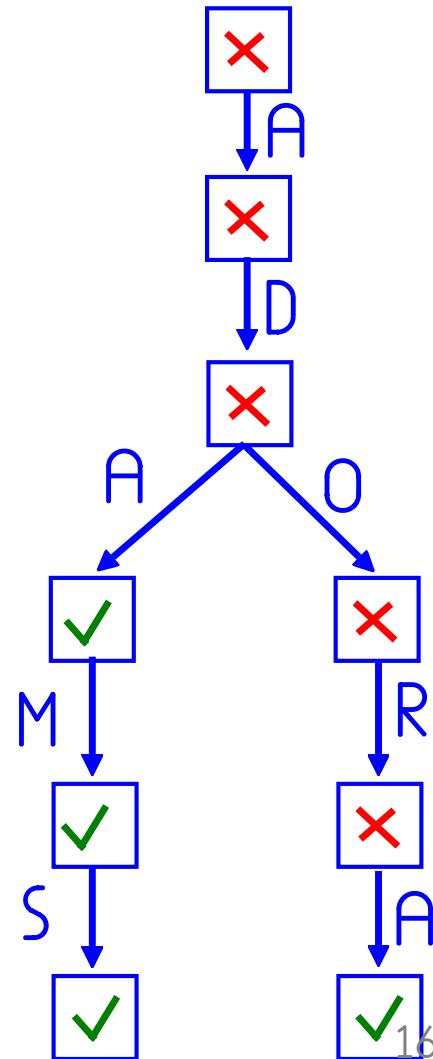


Task: Tries

Start with an empty trie.

Add

- bon
- bonbon
- on

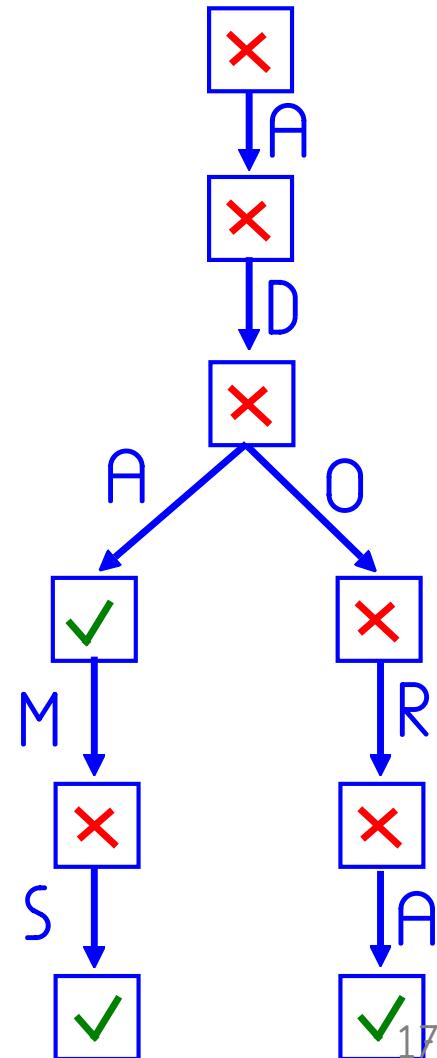
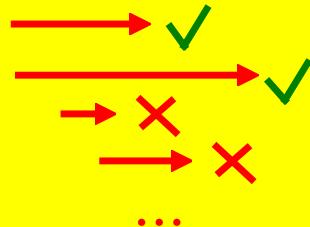


Tries can be used for NER

For every character in the doc

- advance as far as possible
in the trie and
- report match whenever
you meet a "true" node

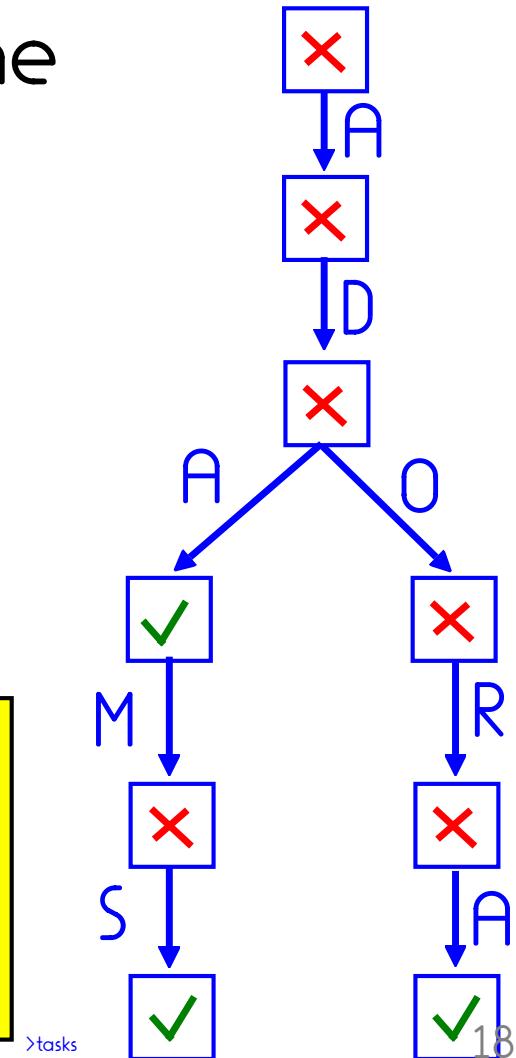
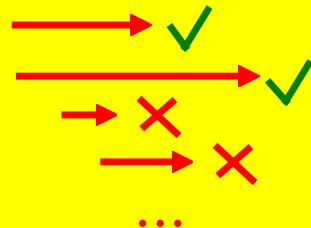
Adams adores Adora.



Tries have good runtime

$$O(\text{textLength} \times \text{maxWordLength})$$

Adams adores Adora.

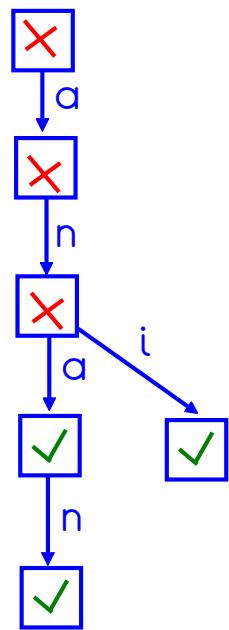


Task: NER with tries

Do NER with the trie from the last task
on the document

on aime un bon bonbon.

One more example

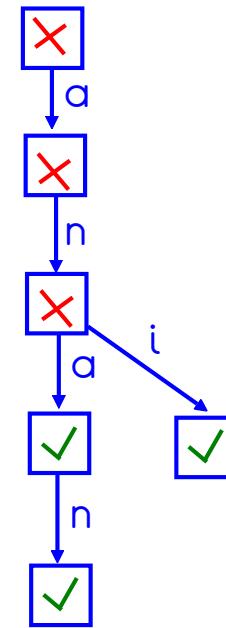


kofi anan eats an ananas in panama, ana!

Tricks with Tries

In practice, you can

- force tries to respect word boundaries
- ignore upcase/lowercase
- preprocess the string
- ignore nested words
- ...



kofi anan eats an ananas in panama, ana!

Dictionary NER

Advantages:

- very efficient,

Disadvantages: dictionaries

- have to be given upfront
- have to be maintained to accommodate new names
- cannot deal with name variants
- cannot deal with infinite or unknown sets of names
(e.g., people's names)

Overview

- Named Entity Recognition
 - ...by dictionary
 - ...by regex

Some names follow patterns

The trilogy consist of 5 books,
written in 1979, 1980, 1982,
1984 and 1992 respectively.

Years

Dr. Frankie and Dr. Benji
have no doctoral title.

People
with
titles



Main street 42
West Country

Addresses

>alphabet

Def: Alphabet, Word

An **alphabet** is a set of symbols.

$$\mathcal{A} = \{a, b, c, d, e, f, 0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$$

We will use as alphabet always implicitly the set of all unicode characters.

$$\mathcal{A} = \{0, \dots, 9, a, \dots, z, A, \dots, Z, !, ?, \dots\}$$

A **word** over an alphabet \mathcal{A} is a sequence of symbols from \mathcal{A} .

Since we use the alphabet of unicode characters, words are just strings.

hello!, 42, 3.141592, Douglas and Sally

also with spaces!

Def: Language

A **language** over an alphabet S is a set of words over S .

$$L_1 = \{\text{Arthur Dent, Ford Prefect, Marvin}\}$$

$$L_2 = \{1900, 1901, 1982, 2013, 2017, \dots\}$$

$$L_3 = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$$

$$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\}$$

$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\}$$

$$L_6 = \{a, aa, aaa, \dots\}$$

$$L_7 = \{ab, abab, ababab, \dots\}$$

$$L_8 = \{c, ca, caa, caaa, \dots\}$$

$$L_9 = \{, a, aa, aaa, \dots\}$$



Set of strings

we want to describe

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$$L_8 = \{c, ca, caa, caaa, \dots\}$$

$$L_9 = \{ , a, aa, aaa, \dots\} \quad a^*$$



Set of strings

we want to describe



Our description

(much shorter than the original set!)

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$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\}$$

$$L_6 = \{a, aa, aaa, \dots\} \quad aa^* = a^+$$

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$$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\}$$

$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\} \quad a^+ | b^+$$

$$L_6 = \{a, aa, aaa, \dots\} \quad aa^* = a^+$$

$$L_7 = \{, ab, abab, ababab, \dots\} \quad (ab)^*$$

$$L_8 = \{c, ca, caa, caaa, \dots\} \quad ca^*$$

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$$L_3 = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$$

$$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\} \quad (a \mid b)^*$$

$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\} \quad a^+ \mid b^+$$

$$L_6 = \{a, aa, aaa, \dots\} \quad aa^* = a^+$$

$$L_7 = \{, ab, abab, ababab, \dots\} \quad (ab)^*$$

$$L_8 = \{c, ca, caa, caaa, \dots\} \quad ca^*$$

$$L_9 = \{, a, aa, aaa, \dots\} \quad a^*$$



Set of strings

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$$L_2 = \{1900, 1901, 1982, 2013, 2017, \dots\}$$

$$L_3 = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\} \quad (0|1|\dots|9) = [0-9]$$

$$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\} \quad (a|b)^*$$

$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\} \quad a^+ | b^+$$

$$L_6 = \{a, aa, aaa, \dots\} \quad aa^* = a^+$$

$$L_7 = \{, ab, abab, ababab, \dots\} \quad (ab)^*$$

$$L_8 = \{c, ca, caa, caaa, \dots\} \quad ca^*$$

$$L_9 = \{, a, aa, aaa, \dots\} \quad a^*$$



Set of strings

we want to describe

Our description

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Def: Language

A language over an alphabet S is a set of words over S .

$$L_1 = \{\text{Arthur Dent, Ford Prefect, ...}\}$$

$$L_2 = \{1900, 1901, 1982, 2013, 2017, \dots\} \quad [0-9][0-9][0-9][0-9] = [0-9]^4$$

$$L_3 = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\} \quad (0|1|...|9) = [0-9]$$

$$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\} \quad (a|b)^*$$

$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\} \quad a^+ | b^+$$

$$L_6 = \{a, aa, aaa, \dots\} \quad aa^* = a^*$$

$$L_7 = \{, ab, abab, ababab, \dots\} \quad (ab)^*$$

$$L_8 = \{c, ca, caa, caaa, \dots\} \quad ca^*$$

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Set of strings

we want to describe



Our description

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Def: Language

A language over an alphabet S is a set of words over S .

$$L_1 = \{\text{Arthur Dent, Ford Prefect, ...}\} \quad [A-Z][a-z]^+$$

$$L_2 = \{1900, 1901, 1982, 2013, 2017, \dots\} \quad [0-9][0-9][0-9][0-9] = [0-9]^4$$

$$L_3 = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\} \quad (0|1|...|9) = [0-9]$$

$$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\} \quad (a|b)^*$$

$$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\} \quad a^+ | b^+$$

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$$L_9 = \{, a, aa, aaa, \dots\} \quad a^*$$



Set of strings
we want to describe



Our description
(much shorter than the original set!)

Regular expressions

A regular expression (regex) describes a language.

$L_1 = \{\text{Arthur Dent, Ford Prefect, ...}\}$	$[\text{A-Z}][\text{a-z}]^+ [\text{A-Z}][\text{a-z}]^+$
$L_2 = \{1900, 1901, 1982, 2013, 2017, \dots\}$	$[0-9][0-9][0-9][0-9] = [0-9]^4$
$L_3 = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$	$(0 1 ... 9) = [0-9]$
$L_4 = \{a, ab, abb, bbba, aaabbab, ababa, \dots\}$	$(a b)^*$
$L_5 = \{a, b, aa, bb, aaa, bbb, \dots\}$	$a^+ b^+$
$L_6 = \{a, aa, aaa, \dots\}$	$aa^* = a^*$
$L_7 = \{, ab, abab, ababab, \dots\}$	$L(E \mid F) = L(E) \cup L(F)$
$L_8 = \{c, ca, caa, caaa, \dots\}$	ca^*
	$L(EF) = \{w_1 w_2 : w_1 \in L(E), w_2 \in L(F)\}$
$L_9 = \{, a, aa, aaa, \dots\}$	a^*
	$L(E^*) = \{w_1 w_2 \dots w_n : w_i \in L(E), n \geq 0\}$
	$L(x) = \{x\}$ for symbols x



The language of a regular expression

Def: Regular expressions

A **regular expression** (regex) over an alphabet S is one of the following:

- the empty string
- an element of S
- a string of the form XY
- a string of the form (XIY)
- a string of the form $(X)^*$

->formal-grammars

where X and Y are regexes

A regex is associated
to a language:

$$L(E \mid F) = L(E) \cup L(F)$$

$$L(EF) = \{w_1 w_2 : w_1 \in L(E), w_2 \in L(F)\}$$

$$L(E^*) = \{w_1 w_2 \dots w_n : w_i \in L(E), n \geq 0\}$$

$$L(x) = \{\underline{x}\} \text{ for symbols } x$$

the regular
expression

its language

(\emptyset is a special regex that cannot appear as part of other regexes. It represents the empty language and does not match any string.)

Real-world example

Segment N°1
(E-billet)
Départ : Chambery 04/12/2017 06:24
Arrivée : Paris Gare De Lyon 04/12/2017 09:15
Train : SNCF 6960
Classe : Seconde (TGV PRO 2nde)
Siège de M. Thierry [REDACTED] : Voiture 006, Siège 101

Segment N°2
(E-billet)
Départ : Paris Gare De Lyon 08/12/2017 18:45
Arrivée : Chambery 08/12/2017 21:40
Train : SNCF 6951
Classe : Seconde (TGV PRO 2nde)
Siège de M. Thierry [REDACTED] : Voiture 007-Loisir, Siège 105

Train
Train

Départ[\n\s]*(:)[\n\s]*(?`departure_station_name'.*)
\s*(?`start_date`\d{2}\/\d{2}\/\d{4})\s*(?`start_time`\d{2}:\d{2})[\n\s]*Arrivée[\n\s]*(:)[\n\s]*(?`arrival_station_name'.*)\s*(?`end_date`\d{2}\/\d{2}\/\d{4})\s*(?`end_time`\d{2}:\d{2})[\n\s]*Train[\n\s]*(:)[\n\s]*(?`company_name'.*)\s+ (?`train_number`\d{2,5})

Example from Wipolo via Dhouha Bouamor

Regular expressions cheat sheet

$L(a) = \{a\}$	Simple symbol
$L(ab) = \{ab\}$	Concatenation
$L(a \mid b) = \{a, b\}$	Disjunction
$L(a^*) = \{, a, aa, aaa, \dots\}$	Kleene star
$L(a^+) := L(aa^*)$	shorthand for "one or more"
$L([a-z]) := L(a b \dots z)$	shorthand for a range
$L(a\{2,4\}) := L(aalaaaalaaaa)$	shorthand for a given number
$L(a\{3\}) := L(aaa)$	shorthand for a given number
$L(a?) := L(\mid a)$	shorthand for "optional"
$L(.) := \{a b \dots 0 \dots \$ \dots\}$	shorthand for "any symbol"
$L(\backslash.) := \{.\}$	escape sequence for special symbols

Task: Regexes

$L(a) = \{a\}$	Simple symbol
$L(ab) = \{ab\}$	Concatenation
$L(a \mid b) = \{a, b\}$	Disjunction
$L(a^*) = \{\text{, } a, aa, aaa, \dots\}$	Kleene star
$L(a^+) := L(aa^*)$	shorthand for "one or more"
$L([a-z]) := L(a b \dots z)$	shorthand for a range
$L(a\{2,4\}) := L(aalaaaalaaaa)$	shorthand for a given number
$L(a\{3\}) := L(aaa)$	shorthand for a given number
$L(a?) := L(\mid a)$	shorthand for "optional"
$L(.) := \{a b \dots 0 \dots \$ \dots\}$	shorthand for "any symbol"
$L(\backslash.) := \{.\}$	escape sequence for special symbols

Define regexes for

- numbers
- phone numbers

- HTML tags
- Names of the form "Dr. Blah Blub"

Try it

Helpful Web page

<https://regex101.com/>

REGULAR EXPRESSION

```
: / ([A-Z][a-z]*)+ / g
```

TEST STRING

```
Elvis Presley
```

EXPLANATION

- ▼ / ([A-Z][a-z]*)+ / g
 - ▼ 1st Capturing Group ([A-Z][a-z]*)+
 - + Quantifier — Matches between **one** and **unlimited** times, as many times as possible, giving back as needed (**greedy**)
A repeated capturing group will only capture the last

MATCH INFORMATION

Match 1

Full match 0-14 `Elvis Presley`
Group 1. 6-14 `Presley`

Named regexes

When using regular expressions in a program, it is a good idea to name them:

String digits = "[0-9]+";

String separator = "(|-)";

String pattern = digits+separator+digits;

But: Human beings, who are almost unique in having the ability to learn from the experience of others, are also remarkable for their apparent disinclination to do so. (Douglas Adams)

Regex groups

A regex group is a sequence of the form (...) in a regex.

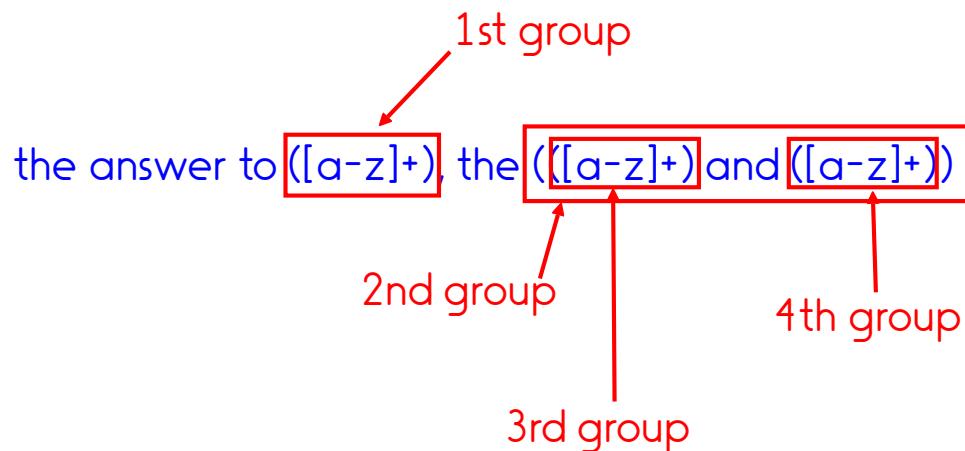
the answer to **([a-z]+)** the (([a-z]+) and ([a-z]+))

1st group



Regex groups

A regex group is a sequence of the form (...) in a regex.



Groups are numbered by the order of their opening parenthesis.

Regex groups

He found the answer to life,
the universe, and everything

the answer to ([a-z]+), the (([a-z]+) and ([a-z]+))

1st group: life

2nd group: universe and everything

3rd group: universe

4th group: everything

Try it out!

FSM>90

45

How can we match regexes?

?

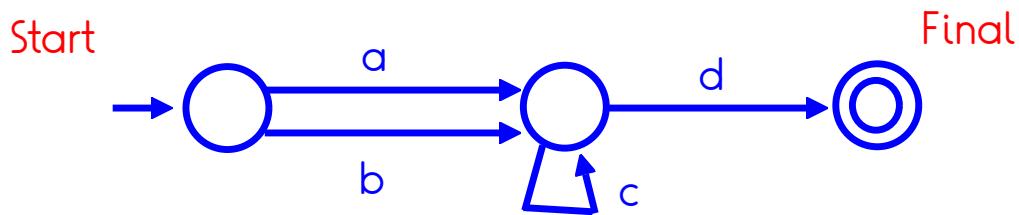
Douglas Adams fictional character names:

[A-Z][a-z]*ch[a-z]*

The Hitchhiker meets the Golgafrinchan civilisation,
but falls in love with a girl named Fenchurch.

Def: Finite State Machine

A **finite state machine** (FSM) is a directed multi-graph, where each edge is labeled with a symbol or the empty symbol ε . One node is labeled "start" (typically by an incoming arrow). Zero or more nodes are labeled "final" (typically by a double circle).

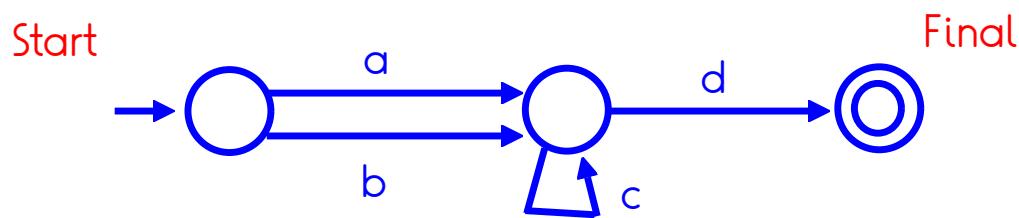


[>details](#)

See a more formal definition in [Wikipedia](#)

Def: Acceptance

An FSM **accepts** (also: generates) a string, if there is a path from the start node to a final node whose edge labels are the string.



ad ✓

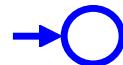
bccd ✓

bb ✗

>details

Notation

- start node



- final node

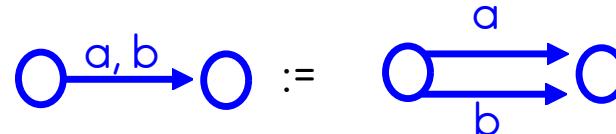


- empty transition

(can be walked without
accepting a symbol)



- multiple edges



>details
>task
>trafo

Task: FSM

Draw an FSM that accepts the following strings

br

kbr

brbr

kbrbr

brbrbr

kbrbrbr ...

Draw an FSM that accepts the following strings

ling

ping

pong

long

lingping

lingpong

pingpong

>trafo

50

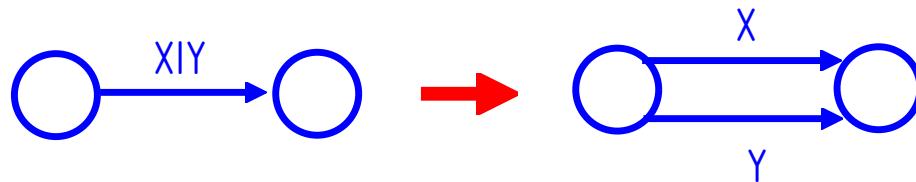
Transforming a regex to a FSM (1)

1. Simplify the regex to contain only concatenation, alternation, kleene star

2. Start with this configuration:



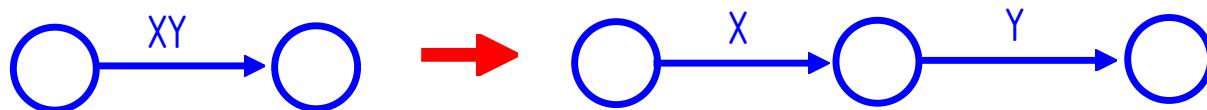
3. Handle alternation:



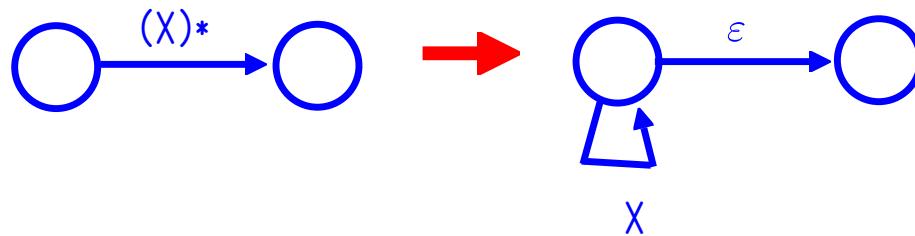
>details

Transforming a regex to a FSM (2)

4. Handle concatenation:



5. Handle Kleene star:



6. Proceed recursively, until all edges are single symbols

[>details](#)

FSM = Regex

For every regex, there is an FSM that accepts exactly the words of the language of the regex (and vice versa).

Examples:

- k?(br)+
- ((l|p)(il|o)ng)*
- f{2,3}

[>details](#)

Runtime of regexes

Given a word of length l and given an FSM with n states,
determining whether the FSM accepts the word

- takes $O(l)$ time if no state has several outgoing edges
with the same label
- $O(l \times n^2)$ else (by making it deterministic on the fly)

There is a looooot more to say about FSMs, e.g.:

- making them deterministic
- compressing them
- making them more powerful
- learning FSMs from examples

Here, we only use them for IE

Regexes in programming

Regex

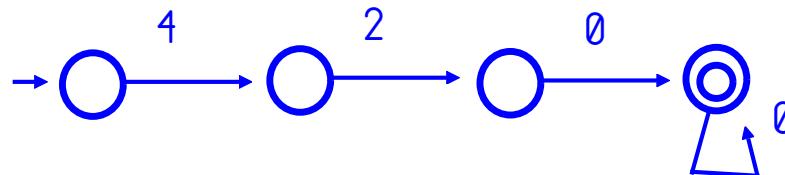
 $42(0)^+$

you

Simplified regex

 $420(0)^*$

FSM



your
programming
language

Matcher

His favorite numbers
are 42, 4200, and 19.

Example: Regexes in Java

```
Pattern pattern = Pattern.compile("42(0)+");
Matcher matcher = pattern.matcher("His favorite numbers are...");
while(matcher.find())
    System.out.println(matcher.group());
```

→ 4200

His favorite numbers
are 42, 4200, and 19.

Example: Regexes in Python

```
import re

pattern = re.compile("42(0)+")
match = pattern.search(line)
if match!=None:
    print(match.group())
```

→ 4200

His favorite numbers
are 42, 4200, and 19.

Entity Recognition

We have seen 2 methods to do entity recognition:

- Tries (if the set of names is known)
- Regexes (if the names follow a pattern)

Douglas N. Adams had the idea for the "Hitchhiker's Guide" while lying drunk in a field near Innsbruck

References:

Sunita Sarawagi: Information Extraction

->dipre
->disambiguation
->evaluation
->named-entity-annotation