Chapter 1: Introduction

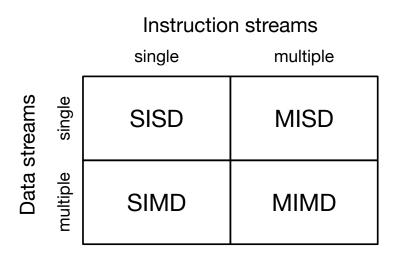
Elements of Parallel Computing

Eric Aubanel

Parallel Computing

Solving a computing problem in less time by breaking it down into parts and computing those parts simultaneously.

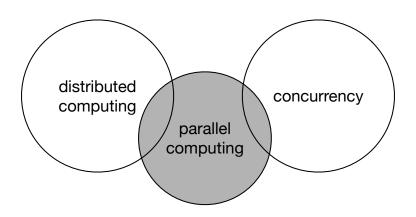
Flynn's Taxonomy



MIMD

- Shared Memory
- Distributed Memory

Overlapping Discplines



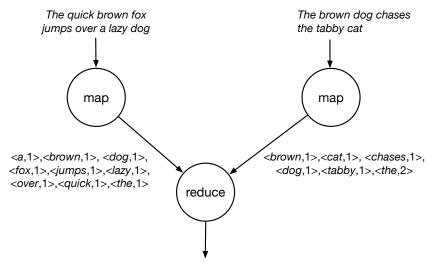
Parallel Computers

- Multicore processors
 - Olukotun and Hammond, The Future of Microprocessors, Queue, September 2005
- Manycore processors
 - lots of cores
 - different architecture than general purpose multicores
 - emphasize throughput
- Multicore/Manycores on a Network
 - Clusters
 - Clouds

Word Count

```
Input: collection of text documents
Output: list of (word, count) pairs
foreach document in collection do
   foreach word in document do
       if first occurrence of word then
           add \langle word, 1 \rangle to ordered list
       else
           increment count in (word, count)
       end
   end
end
```

Word Count with MapReduce



<a,1>,<brown,2>,<cat,1>,<chases,1>,<dog,2>,<fox,1>,<jumps,1>,<lazy,1>,<over,1>,<quick,1>,<tabby,1>,<the,3>

Parallel Programming Models

- Implicit
 - MapReduce
- Semi-Implicit

 parallel for $i \leftarrow 0$ to n-1 do $c[i] \leftarrow a[i] + b[i]$ end
- Explicit

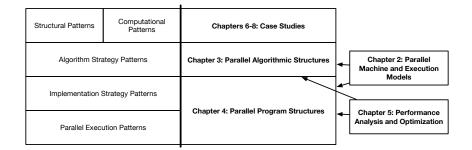
 scatter(0, a, n/p, aLoc)

 scatter(0, b, n/p, bLoc)

 for $i \leftarrow 0$ to n/p 1 do $cLoc[i] \leftarrow aLoc[i] + bLoc[i]$ end

 gather(0, c, n/p, cLoc)

Berkeley's Our Pattern Language (OPL)



Structural Pattern: Pipe and Filter



Computational Pattern: Matrix × Vector

$$\begin{bmatrix} \frac{A_{00} A_{01} A_{02} A_{03}}{x_1} & X & x_1 \\ \frac{X_1}{x_2} & X_3 & X \end{bmatrix} = b_0 \quad \text{core 0}$$

$$\begin{bmatrix} \frac{A_{10} A_{11} A_{12} A_{13}}{x_1} & X & x_1 \\ \frac{X_0}{x_1} & X_2 & X_3 \\ \frac{X_0}{x_1} & X_2 & X_3 \end{bmatrix} = b_1 \quad \text{core 2}$$

$$\begin{bmatrix} \frac{A_{20} A_{21} A_{22} A_{23}}{x_3} & X & x_1 \\ \frac{X_0}{x_1} & X_2 & X_3 \\ \frac{X_0}{x_1} & X_2 & X_3 \end{bmatrix} = b_2 \quad \text{core 3}$$

$$\begin{bmatrix} \frac{A_{30} A_{31} A_{32} A_{33}}{x_1} & X & x_1 \\ \frac{X_0}{x_1} & X_2 & X_3 \\ \frac{X_0}{x_1} & X_2 & X_3 \end{bmatrix} = b_3$$

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