

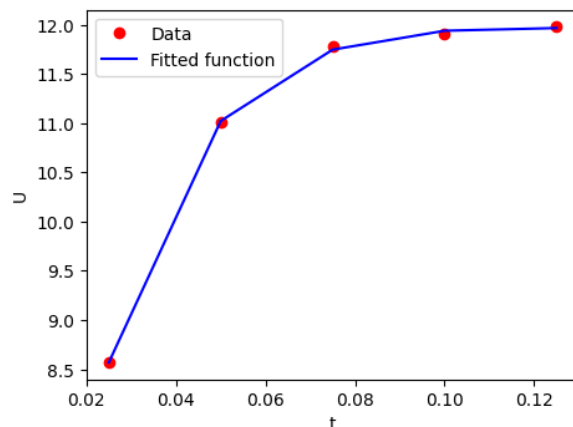
1. Import the required Python modules: NumPy, Matplotlib, and SciPy's optimization library.
2. Define input data as arrays t (time) and u (voltage across a capacitor)
3. Define the model function that will fit the data. The `decay_linear_func` function combines an exponential decay term and a linear trend, and takes as input the time variable t and four parameters A , B , C , and D . The function returns the output variable UC that represents the voltage across a capacitor in an RLC circuit.

```
# Define the model function to fit the data
def decay_linear_func(t, A, B, C, D):
    # Optional: Print the parameter values for debugging
    # print(A, B)
    return A * np.exp(-t / B) + C * t + D
```

- a.
4. Fit the model function to the data using `curve_fit` from SciPy's optimization library. The `curve_fit` function optimizes the values of the parameters to minimize the difference between the model function and the data points. The initial guess for the parameters $p0$ is set to $(12, 0.05, 0, 0)$.
- a. The $p0$ parameter is set to $(12, 0.05, 0, 0)$, which specifies an initial guess of $A = 12$, $B = 0.05$, $C = 0$, and $D = 0$. These values are chosen based on a visual inspection of the data.

```
# Fit the model function to the data using curve_fit
x, y = opt.curve_fit(decay_linear_func, t, u, p0=(12, 0.05, 0, 0))
```

- b.
5. Send the acquired data back to the `decay_linear_func` to calculate the best fit for $UC(t)$
6. Plots the given points and the best fit.
7. We can see that the fitted function $UC(t)$ is of the same form as the solution to the differential equation, with $A = x[0]$ and $RC = x[1]$. Therefore, to calculate the value of RC , we can use the value of $x[1]$ obtained from `curve_fit()`
8. Prints RC value.



After comparing the data points and the fitted function it is accurate.

```
RC = 0.021241635874803978
```

RC value