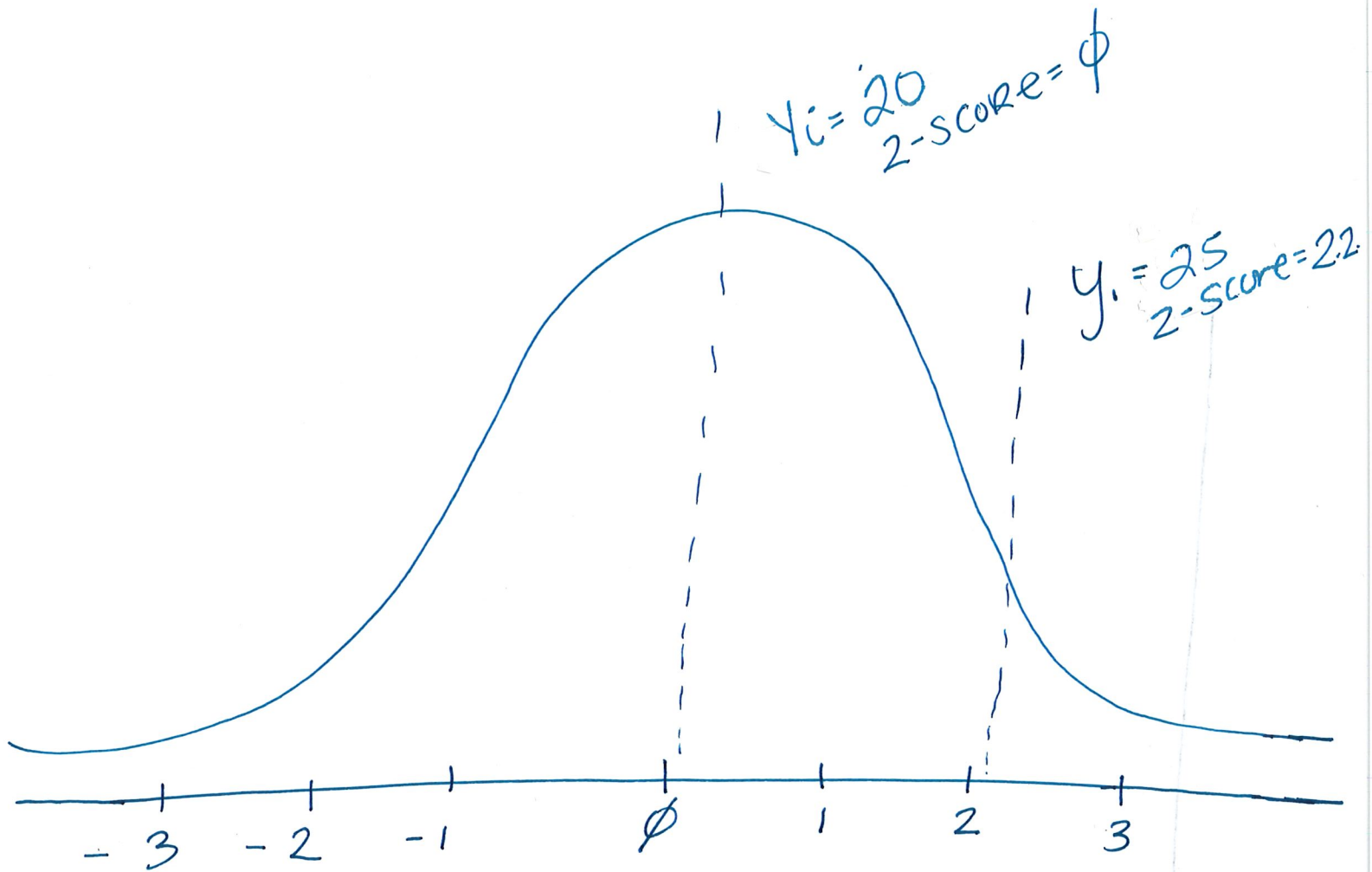


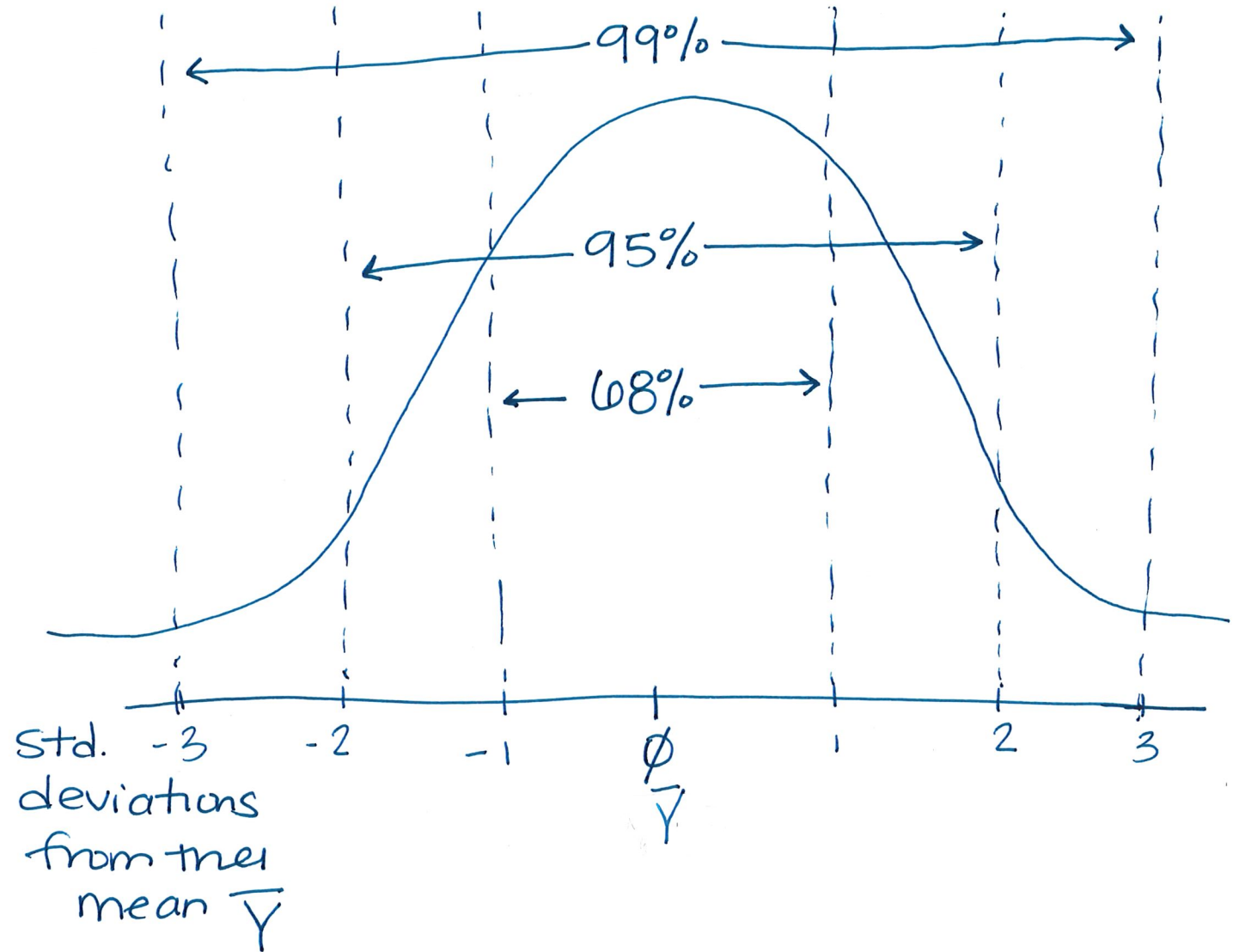
# Standard Normal Distribution



$Z\text{-score} = 0$  = obs has the same value  
as the mean

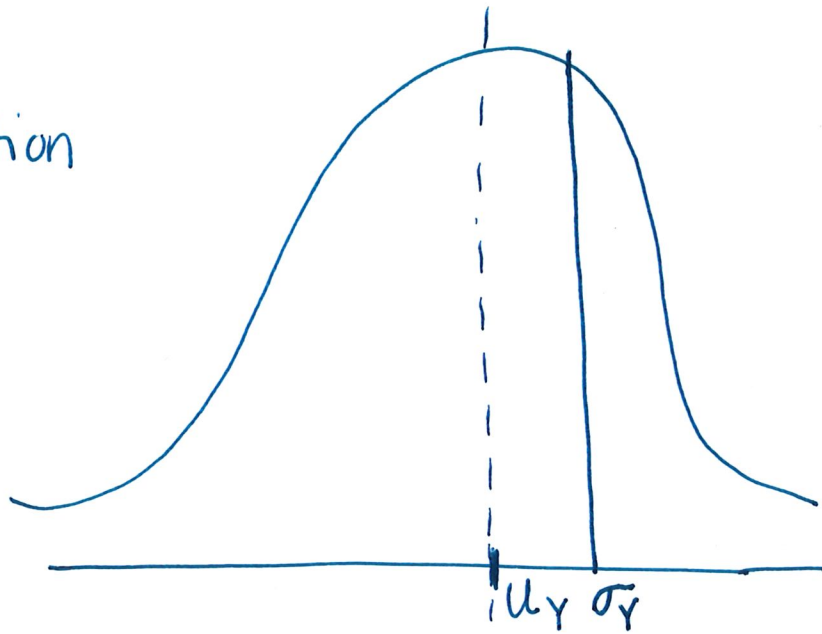
$Z\text{-score} = 2.2$  obs has value 2.2 std. dev  
greater than  
mean

# Empirical Rule (aka "68-95-99" Rule)

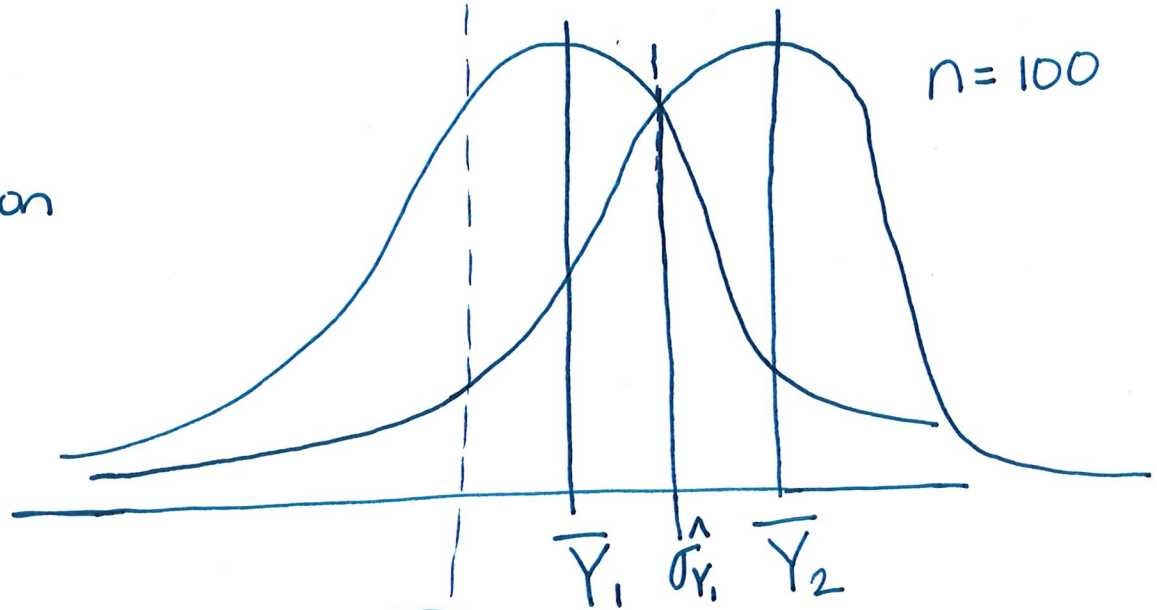


# The three pictures (mean)

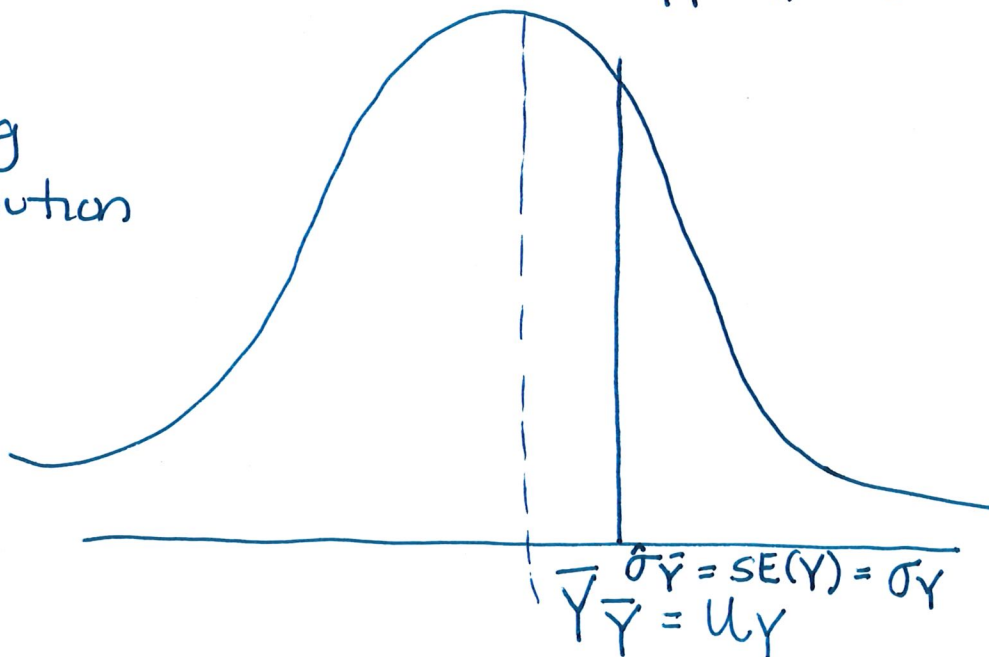
Population distribution



Sample distribution

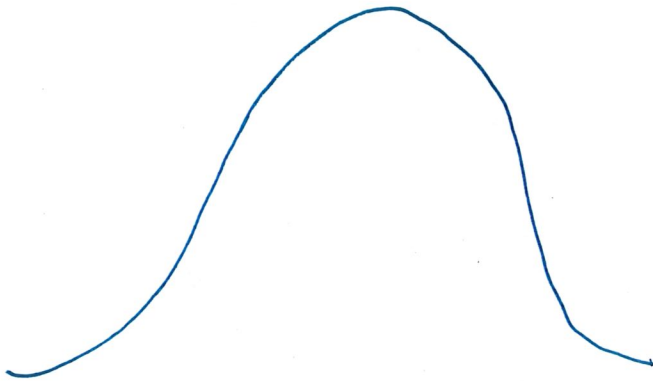


Sampling distribution

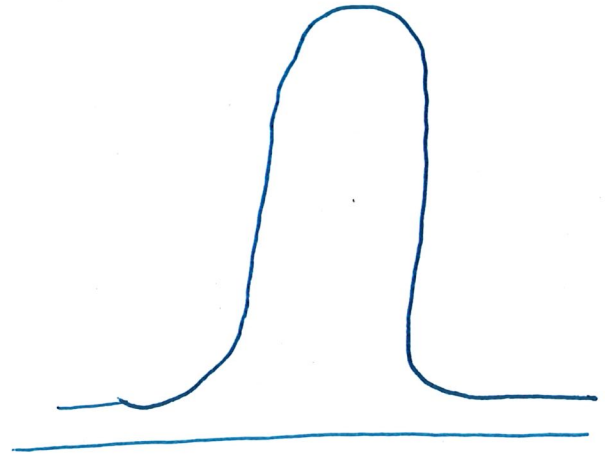


# Properties of Sample Standard Error

Sampling distributions



$n=10$



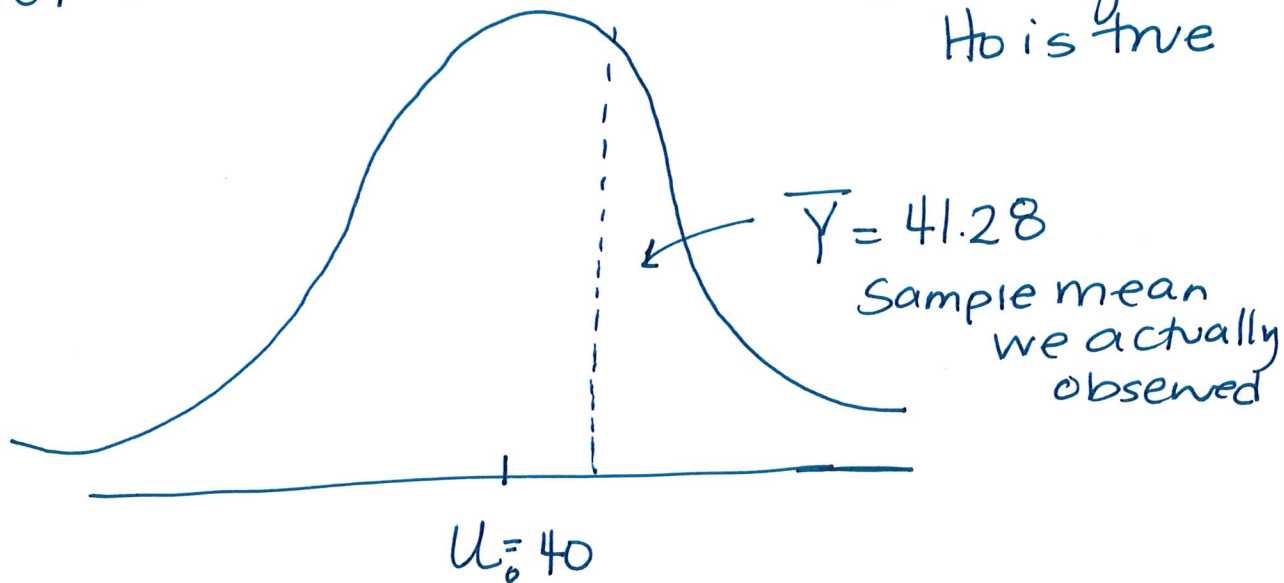
$n=1000$

## Step #2: Hypotheses (population mean)

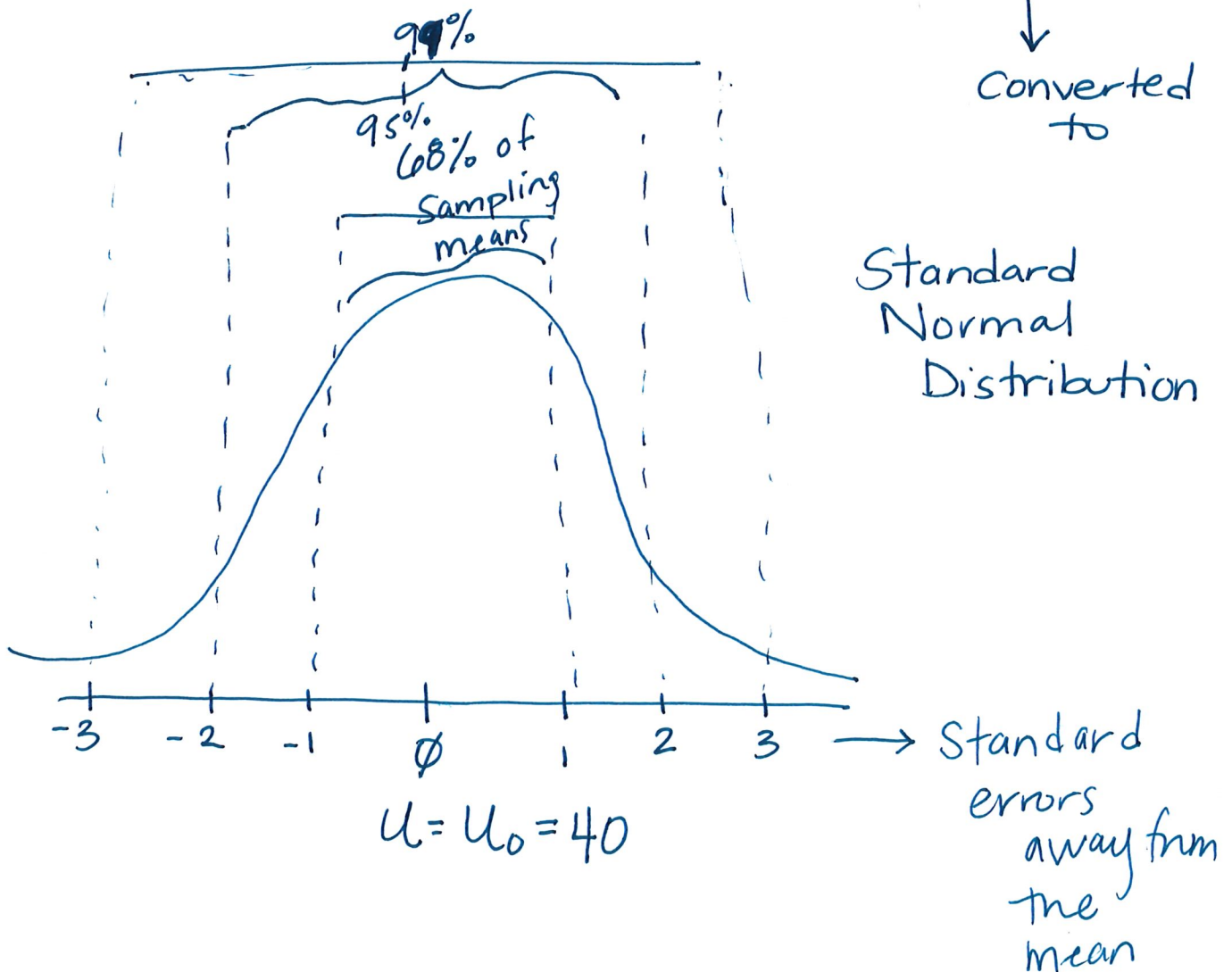
$$H_0: \mu = 40$$

$$H_a: \mu \neq 40$$

Sampling Dist  
assuming  
 $H_0$  is true



↓  
Converted  
to

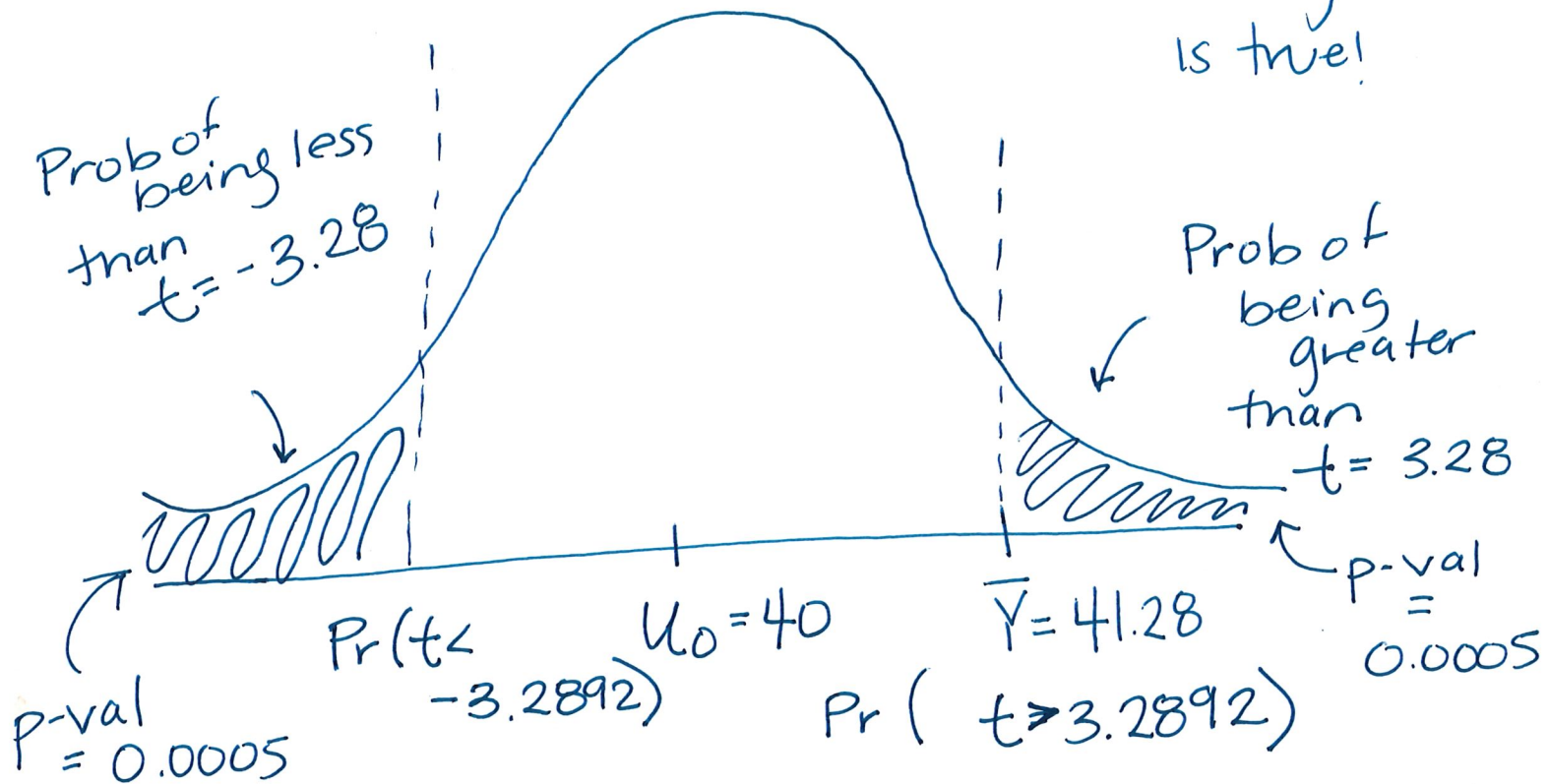


(5)

# Step #4: P-Value

(population mean)

Sampling distribution  
assuming  $H_0$   
is true!



$$p\text{-value} = 0.001$$



two-sided

$$0.0005 + 0.0005$$

$$pr(obs < -t) + pr(obs > t)$$

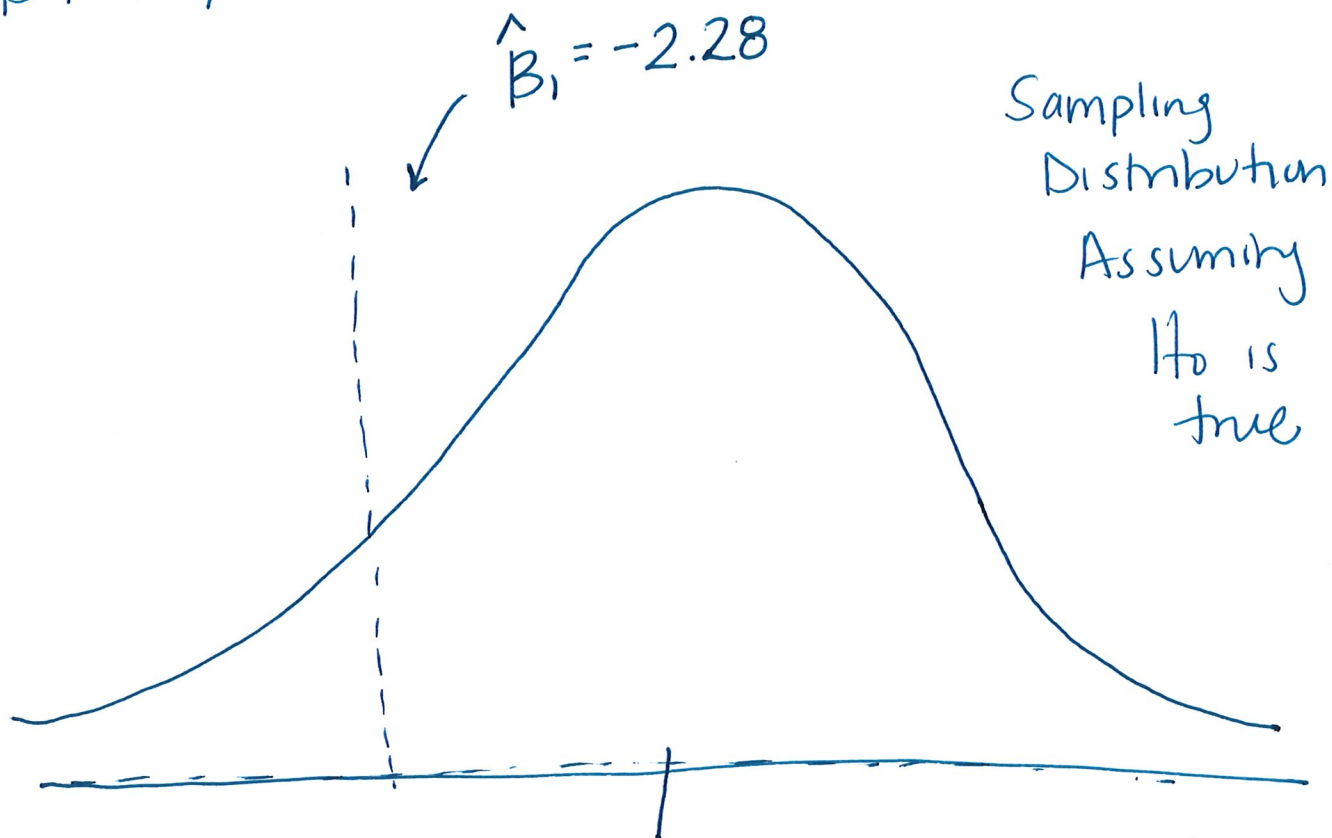


Using  $\hat{B}_1$  to test hypothesis about  $B_1$

(population Regression Coefficient)

$$H_0: B_1 = \phi$$

$$H_a: B_1 \neq \phi$$



$$H_0: B_1 = \phi$$

Converted to Standard Normal

each obs = regression coefficient from diff samples

