

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB RECORD

Bio Inspired Systems (23CS5BSBIS)

Submitted by

Rudraksh Singh (1BM23CS276)

in partial fulfillment for the award of the degree of

BACHELOR OF ENGINEERING

in

COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

(Autonomous Institution under VTU)

BENGALURU-560019

Aug-2025 to Jan-2025

B.M.S. College of Engineering,
Bull Temple Road, Bangalore 560019
(Affiliated To Visvesvaraya Technological University, Belgaum)
Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled “Bio Inspired Systems (23CS5BSBIS)” carried out by **Rudraksh Singh (1BM23CS276)**, who is a bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

Swathi Sridharan Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
--	--

Index

Sl. No.	Date	Experiment Title	Page No.
1	29/08/25	Genetic Algorithm for Optimization Problems	4-6
2	12/09/25	Particle Swarm Optimization for Function Optimization	7-9
3	10/10/25	Ant Colony Optimization for the Traveling Salesman Problem	10-12
4	17/10/25	Cuckoo Search (CS)	13-15
5	17/10/25	Grey Wolf Optimizer (GWO)	16-17
6	07/11/25	Parallel Cellular Algorithms and Programs	18-20
7	07/11/25	Optimization via Gene Expression Algorithms	21-24

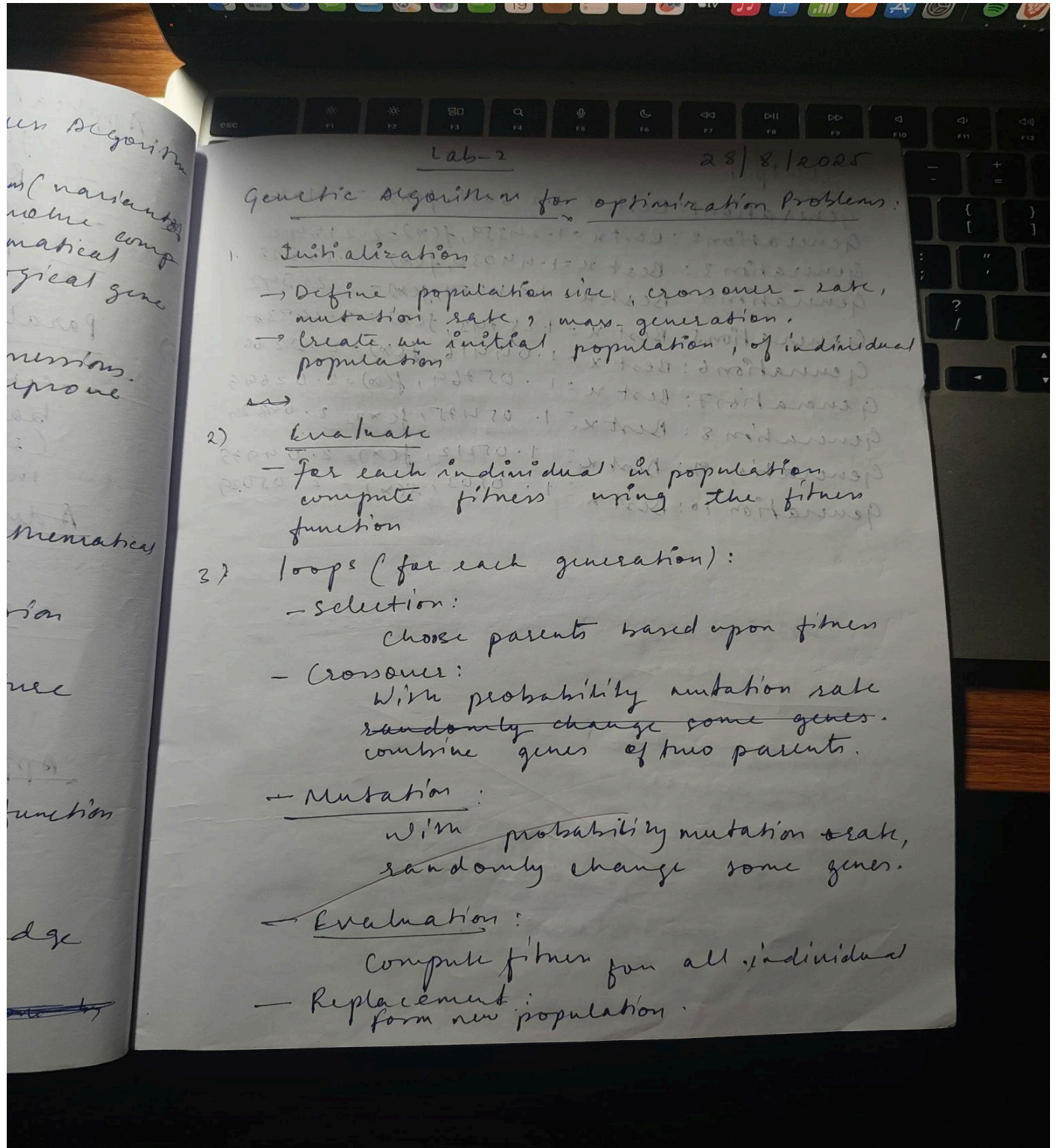
Github Link:

<https://github.com/RudrakshSingh11/BIS-Lab.git>

Program 1

Genetic Algorithm for Optimization Problems

Algorithm:



Output:

Generation 1: Best $x = 1.26631$, $f(x) = 2.210372$
Generation 2: Best $x = 1.24359$, $f(x) = 2.21842$
Generation 3: Best $x = 1.44030$, $f(x) = 2.37893$
Generation 4: Best $x = 1.24359$, $f(x) = 2.21842$
Generation 5: Best $x = 1.25743$, $f(x) = 2.22338$
Generation 6: Best $x = 1.04416$, $f(x) = 2.02661$
Generation 7: Best $x = 1.05769$, $f(x) = 2.02699$
Generation 8: Best $x = 1.05475$, $f(x) = 2.04384$
Generation 9: Best $x = 1.05212$, $f(x) = 2.04978$
Generation 10: Best $x = 1.0503$, $f(x) = 2.05029$

Code:

```
import numpy as np

# Objective function to maximize
def fitness_function(x):
    return x**2

# Initialize parameters
population_size = 50
mutation_rate = 0.1
crossover_rate = 0.7
num_generations = 50
lower_bound = -10
upper_bound = 10

# Create initial population
def initialize_population(size, lower, upper):
    return np.random.uniform(lower, upper, size)

# Evaluate fitness for the population
def evaluate_fitness(population):
    return np.array([fitness_function(x) for x in population])

# Selection using roulette wheel selection
def select_parents(population, fitness):
    total_fitness = np.sum(fitness)
    selection_probs = fitness / total_fitness
    parents_indices = np.random.choice(len(population), size=2,
p=selection_probs)
    return population[parents_indices]

# Crossover to create offspring
def crossover(parent1, parent2):
    if np.random.rand() < crossover_rate:
        return (parent1 + parent2) / 2 # Linear crossover
    return parent1

# Mutation to introduce diversity
def mutate(offspring):
    if np.random.rand() < mutation_rate:
        return np.random.uniform(lower_bound, upper_bound)
    return offspring

# Genetic Algorithm main function
def genetic_algorithm():
    # Initialize population
```

```

    population = initialize_population(population_size, lower_bound,
upper_bound)

    for generation in range(num_generations):
        # Evaluate fitness of the population
        fitness =
        evaluate_fitness(population)

        # Track the best solution
        best_fitness_idx = np.argmax(fitness)
        best_solution = population[best_fitness_idx]
        best_fitness_value = fitness[best_fitness_idx]

        print(f"Generation {generation}: Best Solution = {best_solution},
Fitness = {best_fitness_value}")

        # Create the next generation
        new_population = []
        for _ in range(population_size):
            parent1, parent2 = select_parents(population, fitness)
            offspring = crossover(parent1, parent2)
            offspring = mutate(offspring)
            new_population.append(offspring)

        population = np.array(new_population)

        # Final evaluation
        final_fitness = evaluate_fitness(population)
        best_fitness_idx = np.argmax(final_fitness)
        best_solution = population[best_fitness_idx]
        best_fitness_value = final_fitness[best_fitness_idx]

        return best_solution, best_fitness_value

# Run the genetic algorithm
best_solution, best_fitness_value = genetic_algorithm()
print(f"Best Solution Found: x = {best_solution}, f(x) =
{best_fitness_value}")

```

Output :

```

Generation 0: Best Solution = -9.967365011554792, Fitness = 99.34836527356666
Generation 1: Best Solution = -9.169251894044368, Fitness = 84.07518029643623
Generation 49: Best Solution = 9.123059138454053, Fitness = 83.23020804373002
Best Solution Found: x = 9.05670095588789, f(x) = 82.02383220438064

```

Program 2

Particle Swarm Optimization for Function Optimization

Algorithm:

Lab 4: Particle Swarm Optimization (PSO algorithm). (11/1/25)

1. Define the problem
 - Select the mathematical function $f(x)$ to optimize (minimize/maximize)
 - Define the search space (range of possible values for each variable)
2. Initialize Parameters
 - Number of particles in the swarm
 - Number of dimensions of problem statement
 - Number of iterations
 - Inertia weight (w) — controls exploration vs exploitation
 - Cognitive coefficient (c_1) — tendency to follow personal best
 - Social coefficient (c_2) — tendency to follow global best
3. Initialize Particle
 - Randomly assign each particle a position within search space
 - Randomly assign an initial velocity to each particle

- Set each particle's personal best position = current position.

4. Evaluate fitness

- Compute the fitness of each particle using objective function.
- Updating the personal best fitness if the current fitness is better.
- Identify the global best position (best among particles).

5. Update Velocity

Move each particle to its new position.

- #### 6. Update position: move particle to new position.
1. Iterate: $x(i)(t+1) = x(i)(t) + v(i)(t+1)$

Repeat 4-6 steps until maximum

2. Output Best solⁿ

Return the global best position and its corresponding solⁿ.

Code:

```
import numpy as np

# Step 1: Define the Problem
def fitness_function(position):
    # Example: Minimize the Sphere function
    return np.sum(position**2)

# Step 2: Initialize Parameters
def initialize_parameters():
    params = {
        'N': 50, # Number of particles
        'dim': 2, # Dimensionality of the problem
        'max_iter': 200, # Maximum number of iterations
        'minx': -10, # Minimum bound for position
        'maxx': 10, # Maximum bound for position
        'w': 0.5, # Inertia weight
        'c1': 1.5, # Cognitive coefficient
        'c2': 1.5 # Social coefficient
    }
    return params

# Step 3: Initialize Particles
class Particle:
    def __init__(self, position, velocity):
        self.position = position
        self.velocity = velocity
        self.bestPos = position.copy()
        self.bestFitness = float('inf')

def initialize_swarm(N, dim, minx, maxx):
    swarm = []
    for _ in range(N):
        position = np.random.uniform(minx, maxx, dim)
        velocity = np.random.uniform(-1, 1, dim)
        swarm.append(Particle(position, velocity))
    return swarm

# Step 4: Evaluate Fitness
def evaluate_fitness(swarm):
    for particle in swarm:
        particle.fitness = fitness_function(particle.position)

# Step 5: Update Velocities and Positions
def update_particles(swarm, best_pos_swarm, w, c1, c2, minx, maxx):
    for particle in swarm:
        r1, r2 = np.random.rand(), np.random.rand()
```

```

        particle.velocity = (w * particle.velocity +
                             r1 * c1 * (particle.bestPos - particle.position)
                             r2 * c2 * (best_pos_swarm - particle.position))
        particle.position += particle.velocity
        # Clip position to be within bounds
        particle.position = np.clip(particle.position, minx, maxx)

# Step 6: Iterate
def pso():
    params = initialize_parameters()
    swarm = initialize_swarm(params['N'], params['dim'], params['minx'],
                             params['maxx'])
    best_pos_swarm = swarm[0].position.copy()
    best_fitness_swarm = float('inf')

    for _ in range(params['max_iter']):
        evaluate_fitness(swarm)

        for particle in swarm:
            if particle.fitness < particle.bestFitness:
                particle.bestFitness = particle.fitness
                particle.bestPos = particle.position.copy()
            if particle.fitness < best_fitness_swarm:
                best_fitness_swarm = particle.fitness
                best_pos_swarm = particle.position.copy()

        update_particles(swarm, best_pos_swarm, params['w'], params['c1'],
                        params['c2'], params['minx'], params['maxx'])

    # Step 7: Output the Best Solution
    return best_pos_swarm, best_fitness_swarm

best_position, best_fitness = pso()

print("Best Position:", best_position)
print("Best Fitness:", best_fitness)

```

Output :

```

Best Position: [-9.19971249e-25  1.71937901e-24]
Best Fitness: 3.802611270068504e-48

```


Program 3

Ant Colony Optimization for the Traveling Salesman Problem

Algorithm:

Labs: Ant Colony Optimization for TSP. 9/10/25

Step 1: Initialization

- Define the problem: Setup the cities and distance between each pair of cities.
- Initialize pheromone levels: Assign a small positive constant value to pheromone level on all edges (paths between cities).
- Set parameters: Number of ants, importance factors (α for pheromone level influence, β for heuristic influence), evaporation rate (ρ) and the number of iterations.

Step 2: Ant placement

- Place each ant on a randomly selected city (or a predefined starting city)

Step 3: Construct solution (Tour Building)

For each ant:

- Start from the assigned city
- Select the next city to visit based upon the probability distribution influenced by:

- Repeat activities until all are visited exactly once.
- Return to starting city to complete the tour.

Step 4: Update Pheromones.

- Evaporate pheromone:
Reduce the pheromone level on all edges by a factor to simulate evaporation.
- Deposit pheromone:
For each ant, deposit pheromone on edges used in the tour.
The amount deposited is typically proportional to the quality (inverse of total tour length).

Step 5: Check Termination criteria

- If stopping condition (like maximum iterations or convergence to a solution) is met, stop.

• Else go to step 2

Step 6: Output the best tour found

- Return the best (shortest) tour found by the ants during iteration.

Code:

```
import numpy as np
import random

class AntColony:
    def __init__(self, cities, num_ants=10, alpha=1.0, beta=2.0, rho=0.5,
iterations=100):
        self.cities = cities
        self.num_ants = num_ants
        self.alpha = alpha
        self.beta = beta
        self.rho = rho
        self.iterations = iterations
        self.num_cities = len(cities)
        self.pheromone = np.ones((self.num_cities, self.num_cities))
        self.distance = self.calculate_distances()
    def calculate_distances(self):
        distances = np.zeros((self.num_cities, self.num_cities))
        for i in range(self.num_cities):
            for j in range(i + 1, self.num_cities):
                distances[i][j] = distances[j][i] =
np.linalg.norm(np.array(self.cities[i]) - np.array(self.cities[j]))
        return distances
    def select_next_city(self, current_city, visited):
        probabilities = []
        for next_city in range(self.num_cities):
            if next_city not in visited:
                pheromone = self.pheromone[current_city][next_city] **
self.alpha self.beta
                heuristic = (1 /
self.distance[current_city][next_ci
ty]) **
                probabilities.append(pheromone *
heuristic)
            else:
                probabilities.append(0)

        total = sum(probabilities)
        probabilities = [p / total for p in probabilities]
        return np.random.choice(range(self.num_cities), p=probabilities)
    def construct_solution(self):
        for _ in range(self.num_ants):
            visited = [0]
            current_city = 0
            for _ in range(1, self.num_cities):
                next_city = self.select_next_city(current_city, visited)
                visited.append(next_city)
                current_city = next_city
            visited.append(0) # Return to starting city
```

```

yield visited
    def update_pheromones(self, solutions): self.pheromone
        *= (1 - self.rho) # Evaporation for solution in
        solutions:
length = self.calculate_tour_length(solution) pheromone_deposit = 1 / length
    for i in range(len(solution) - 1):
        self.pheromone[solution[i]][solution[i + 1]] +=
pheromone_deposit
def calculate_tour_length(self, solution):
    return sum(self.distance[solution[i]][solution[i + 1]] for i in
range(len(solution) - 1))

    def run(self): best_solution =
        None
best_length = float('inf')
for _ in range(self.iterations):
solutions = list(self.construct_solution()) self.update_pheromones(solutions)
for solution in solutions:
length = self.calculate_tour_length(solution) if length <
    best_length:
best_length = length best_solution = solution
    return best_solution, best_length
    cities = [(0, 0), (1, 2), (2, 1), (4, 4), (2, 4)]
aco = AntColony(cities)
best_route, best_distance = aco.run()
print("Best Route:", best_route) print("Best
Distance:", best_distance)

```

Output :

Best Route: [0, 1, 4, 3, 2, 0]

Best Distance: 12.313755207963359

Program 4

Cuckoo Search (CS)

Algorithm:

Lab 5: Cuckoo Search Optimisation.

Input:

- $n \rightarrow$ number of nests.
- $p_a \rightarrow$ probability of abandoning a nest
- $\alpha \rightarrow$ step size (controls leaping flight length)
- $\text{maxGen} \rightarrow$ max number of generations
- $f(x) \rightarrow$ objective function to optimise

Output:

Best solution x_{best} & its fitness f_{best}

1. Initialise n ~~best~~ nest (candidate solutions) randomly.

For each nest i :

$x_i =$ random solutions within search range

Evaluate fitness $f_i = f(x_i)$

End For For

2. Find the current best nest (lowest fitness):

$x_{\text{best}} =$ best solution among all nest

3. Repeat until maximum generations:

For each cuckoo i :

Generate a new solⁿ by Levy flight:

$$\text{new-}x = x_i + \alpha \times \text{Levy}(x)$$

Evaluate fitness of new solution:

$$f_{\text{new}} = f(\text{new-}x)$$

Randomly choose another nest j :

If $f_{\text{new}} < f_j$;

Replace nest j with new x

End If.

End For.

A fraction (p_a) of worst nest are abandoned:

For each nest:

If $\text{rand}() < p_a$:

Replace with a new random solⁿ.

End if

End for

Keep the best nest found so far:

If any new solⁿ is better than x_{best} :

Update x_{best} & f_{best}

m4
16/10/25.

Code:

```
import numpy as np
import math
# Objective function to optimize (example: Sphere function)
def objective_function(x):
    return np.sum(x**2)

# Lévy Flight distribution
def levy_flight(beta=1.5, size=1):
    sigma_u = (math.gamma(1 + beta) * np.sin(np.pi * beta / 2) /
               math.gamma((1 + beta) / 2) * beta * (2 ** ((beta - 1) /
2)))**(1 / beta)
    u = np.random.normal(0, sigma_u, size)
    v = np.random.normal(0, 1, size)
    step = u / (np.abs(v) ** (1 / beta))
    return step

# Cuckoo Search Algorithm
def cuckoo_search(objective_function, dim, lower_bound, upper_bound,
num_nests=25, max_iter=100, pa=0.25):
    # Initialize nests with random solutions within bounds
    nests = np.random.rand(num_nests, dim) * (upper_bound - lower_bound) +
lower_bound
    fitness = np.apply_along_axis(objective_function, 1, nests)

    # Initialize the best solution
    best_nest_idx = np.argmin(fitness)
    best_nest = nests[best_nest_idx]
    best_fitness = fitness[best_nest_idx]

    # Iterate for a fixed number of generations or until convergence
    for iteration in range(max_iter):
        for i in range(num_nests):
            # Generate a new solution using Lévy flight
            step = levy_flight(size=dim)
            new_nest = nests[i] + 0.01 * step
            new_nest = np.clip(new_nest, lower_bound, upper_bound)

            # Evaluate the new solution
            new_fitness = objective_function(new_nest)

            # If the new solution is better, replace the old solution
```

```

        if new_fitness < fitness[i]:
            nests[i] = new_nest
            fitness[i] = new_fitness

# Abandon the worst nests for i in
    range(num_nests):
if np.random.rand() < pa: # Probability to abandon
nests[i] = np.random.rand(dim) * (upper_bound - lower_bound)
+ lower_bound
fitness[i] = objective_function(nests[i])

# Find the current best nest best_nest_idx =
    np.argmin(fitness) best_nest =
    nests[best_nest_idx] best_fitness =
    fitness[best_nest_idx]

    # print(f"Iteration {iteration+1}, Best Fitness: {best_fitness}") return

best_nest, best_fitness

# Example usage of Cuckoo Search

# Define the problem dimensions and bounds dim
= 5 # Dimension of the solution space
lower_bound = -5 # Lower bound of the search space
upper_bound = 5 # Upper bound of the search space

# Run Cuckoo Search
best_solution, best_fitness = cuckoo_search(objective_function, dim, lower_bound,
upper_bound, num_nests=25, max_iter=100, pa=0.25)

print(f"Best Solution: {best_solution}")
print(f"Best Fitness: {best_fitness}")

```

Output :

```

Best Solution: [0.64982748 0.55961241 2.01501756 0.93987275 0.31984962]
Best Fitness: 5.78140211553397

```

Program 5

Grey Wolf Optimizer (GWO)

Algorithm:

Grey Wolf Optimization:

Algorithm:

input:

Number of wolves - N
max no. of iterations T_{max}
Objective function $f(x)$
Search space bound

Output:

Best solⁿ found tx_{best}

Algorithm GreyWolf ($N, T_{max}, bounds$)

Step 1: Define objective function $f(x)$
and determine space bound

Step 2: Initialize parameter
control param 'a' decreases linearly
from 2 to 0 across iteration.

Step 3: Initialize population

control

for ~~int~~ $i \leftarrow 1$ to N do:

$x[i] \leftarrow \text{Random sol}^n (bounds)$

$fitness[i] \leftarrow f(x[i])$

end for

$\alpha \leftarrow$ best wolf with min/max fitness.
 $\beta \leftarrow$ second best wolf
 $\delta \leftarrow$ third best wolf.

Step 4: Stochastic optimization
 for $t \leftarrow 1$ to T_{\max} do:
 // update control param

$$a = 2 - \frac{2t}{T_{\max}}$$

for $i \leftarrow 1$ to N do:
 for $d \leftarrow 1$ do dimension do:
 $v_1 \leftarrow \text{rand}(0, 1)$
 $v_2 \leftarrow \text{rand}(0, 1)$

// compute co-eff vectors.
 $A = 2a \cdot v_1 - a$
 $C = 2 \cdot v_2$

// calculate distance to α, β, γ .

$$D_\alpha = |C_1 \cdot x_\alpha - x_i|$$

$$D_\beta = |C_2 \cdot x_\beta - x_i|$$

$$D_\gamma = |C_3 \cdot x_\gamma - x_i|$$

// compute candidate positions

$$x_1 = x_\alpha - A_1 \cdot D_\alpha$$

$$x_2 = x_\beta - A_2 \cdot D_\beta$$

$$x_3 = x_\gamma - A_3 \cdot D_\gamma$$

// update position

$$x_i(t+1) = (x_1 + x_2 + x_3) / 3$$

end for
 end for
 end for
 steps: 04

iteration
 1
 2
 3
 4
 5
 12

Code:

```
import numpy as np

# Objective function (example: Sphere function)
def objective_function(x):
    return np.sum(x**2)
N, dim, T = 30, 10, 100 # Number of wolves, dimensions, iterations
lower_bound, upper_bound = -10, 10

wolves = np.random.uniform(lower_bound, upper_bound, (N, dim))

alpha_pos, beta_pos, delta_pos = np.zeros(dim), np.zeros(dim), np.zeros(dim)
alpha_score, beta_score, delta_score = float('inf'), float('inf'), float('inf')
for t in range(T):
    for i in range(N):
        fitness = objective_function(wolves[i]) # Evaluate fitness
        if fitness < alpha_score:
            delta_score, delta_pos = beta_score, beta_pos.copy()
            beta_score, beta_pos = alpha_score, alpha_pos.copy()
            alpha_score, alpha_pos = fitness, wolves[i].copy()
        elif fitness < beta_score:
            delta_score, delta_pos = beta_score, beta_pos.copy()
            beta_score, beta_pos = fitness, wolves[i].copy()
        elif fitness < delta_score:
            delta_score, delta_pos = fitness, wolves[i].copy()
    a = 2 - t * (2 / T)
    for i in range(N):
        r1, r2 = np.random.rand(dim), np.random.rand(dim)
        A, C = 2 * a * r1 - a, 2 * r2
        wolves[i] += A * (abs(C * alpha_pos - wolves[i]) +
                        abs(C * beta_pos - wolves[i]) +
                        abs(C * delta_pos - wolves[i]))

        wolves[i] = np.clip(wolves[i], lower_bound, upper_bound)
print("Best Solution:", alpha_pos)
print("Best Score:", alpha_score)
```

Output :

Best Solution: [-1.28434275 1.94786008 0.82301541 -1.85113457 -2.08806377
3.74582237

0.84065243 0.8938704 -1.22271966 -0.29007149]

Best Score: 31.023829961456407

Program 6

Parallel Cellular Algorithms and Programs

Algorithm:

Parallel Cellular Algorithms

Input: → Population or data grid with N cells
→ Neighbourhood structure $N(i)$ for each cell
→ Fitness function f
→ maximum Iteration T_{max}

Output: Best solⁿ or final cell states

Algorithm:

- Initialize each cell C_i in the grid with random or given value
- Evaluate the fitness $f(C_i)$ of each cell in parallel
- for $t=1$ to T_{max} do:

In parallel for each cell C_i :

- a. Get neighbours $N_i = N(C_i)$
- b. Apply local update rule based on C_i & N_i :

$$C_i = \text{Update}(C_i, N_i)$$

- c. Evaluate $f(C_i)$

Synchronize all cells to update:
 $C_T = C_i$

End for

Collect best solⁿ (or final grid states)

Localupdate:

Update (C_i, NP_i) :

Select the best neighbor C_{best} in NP_i set

Generate a new candidate C_i' by combination C_i and C_{best} .

If $F(C_i') < F(C_i)$:

return C_i'

else:

return C_i

M4

~~Simulation game~~

~~Evolutionary and interaction-based evolution of particles.~~

Genetic algorithm routing in cloud computing

Iteration 1, Best makespan: 23

Iteration 2, Best makespan: 21

Iteration 3, Best makespan: 20

Iteration 4, Best makespan: 18

Iteration 5, Best makespan: 17

Iteration 6, Best makespan: 16

Iteration 7, Best makespan: 15

Iteration 8, Best makespan: 14.

Best task assignment: [0, 2, 1, 1, 0, 2, 2, 0, 1, 0]
makespan: 12

M4
30/10/25.

Code:

```
import numpy as np
import random
import concurrent.futures

def rastrigin(x):
    A = 10
    return A * len(x) + sum([(xi ** 2 - A * np.cos(2 * np.pi * xi)) for xi in x])

GRID_SIZE = (10, 10)
DIM = 2
RADIUS = 1
ITER = 100
BEST = None

def init_grid(size, dim):
    return [[np.random.uniform(-5.12, 5.12, size=(dim,)) for _ in range(size[1])]
            for _ in range(size[0])]

def fitness(cell):
    return rastrigin(cell)

def update_state(grid, i, j, radius):
    curr = grid[i][j]
    fitness_curr = fitness(curr)
    neighbors = [grid[ni][nj] for dx in range(-radius, radius+1) for dy in range(-radius, radius+1)
                 if 0 <= (ni := i+dx) < len(grid) and 0 <= (nj := j+dy) < len(grid[0]) and (dx or dy)]
    if neighbors:
        best_neigh = min(neighbors, key=fitness)
        return curr + 0.1 * (best_neigh - curr)
    return curr

def run_iteration(grid, radius):
    new_grid = [[None for _ in range(len(grid[0]))] for _ in range(len(grid))]
    with concurrent.futures.ThreadPoolExecutor() as ex:
        futures = [ex.submit(update_state, grid, i, j, radius) for i in range(len(grid)) for j in range(len(grid[0]))]
        for idx, future in enumerate(futures):
            i, j = divmod(idx, len(grid[0]))
            new_grid[i][j] = future.result()
    return new_grid
```



```

def track_best(grid): global
    BEST
    best_cell, best_fitness = None, float('inf')
    for row in grid:
        for cell in row:
            f = fitness(cell)
            if f < best_fitness:
                best_fitness = f
                best_cell = cell
    if BEST is None or best_fitness < fitness(BEST):
        BEST = best_cell

def parallel_cellular_algorithm(): global
    BEST
    grid = init_grid(GRID_SIZE, DIM)
    for _ in range(ITER):
        grid = run_iteration(grid, RADIUS)
        track_best(grid)
        print(f"Best Fitness: {fitness(BEST)}")
        print("Best Solution:", BEST)
        print("Best Fitness:", fitness(BEST))

parallel_cellular_algorithm()

```

Output:

```

Best Fitness: 2.4309484366586602
Best Fitness: 2.4309484366586602
Best Fitness: 0.0007801439196555293
Best Fitness: 0.0007801439196555293
Best Fitness: 0.0007801439196555293
Best Solution: [ 0.00129305 -0.00150346]
Best Fitness: 0.0007801439196555293

```

Program 7

Optimization via Gene Expression Algorithms

Algorithm:

Lab 3: Optimization via Gene Expression Algorithm 4/9/25

1. Initialize Parameter: Set population size, gene length, generations and mutation/crossover rates, function and terminal set.
2. Generate initial Population: Randomly create chromosome (linear string of symbols).
3. Decode chromosome: Convert each chromosome into expression tree.
4. Evaluate fitness: Use the fitness function to score each expression.
5. Select parents: choose fittest chromosome for reproduction.
6. Apply Genetic Operator:
 - Crossover: Swap parts between parents.
 - Mutation: Randomly alter genes.
 - Transposition: Move gene segments.
7. Create new Generation: Form a new population from modified chromosome.
8. Repeat step 3-7 until ~~max~~ max.

- generation as convergence is reached.
- 9: Return best solution: Output the chromosome for best fitting fitness for optimal solⁿ.

MG
4/9/25

Application: Designing antiviral drugs
training targeting conserved
viral proteins.

- align protein sequences from pathogens
- help identify conserved active sites
- Guides the design of drugs targeting those conserved viral proteins.

Output:

~~Geno~~: Best fit

Alignment:

M	K	T	A	Y	I	A	K	R	G	I	S	P	V
M	K	T	A	Y	I	A	K	R	G	I	S	P	V

Alignment Score: 68

Code:

```
import numpy as np

# Define the mathematical function to optimize (example: minimize  $f(x) = x^2$ )
def optimization_function(x):
    return np.sum(x**2) # Modify this for other functions to optimize

# Parameters
POPULATION_SIZE = 50 # Number of individuals
GENE_LENGTH = 5      # Number of genes (dimensions of the problem)
MUTATION_RATE = 0.1  # Probability of mutation
CROSSOVER_RATE = 0.7 # Probability of crossover
GENERATIONS = 100    # Number of generations
SEARCH_SPACE = (-10, 10) # Range of values for genes

# Initialize Population
def initialize_population():
    return np.random.uniform(SEARCH_SPACE[0], SEARCH_SPACE[1],
                              (POPULATION_SIZE, GENE_LENGTH))

# Evaluate Fitness (lower is better for minimization)
def evaluate_fitness(population):
    fitness = np.array([optimization_function(ind) for ind in population])
    return fitness

# Selection (Roulette Wheel Selection)
def select_parents(population, fitness):
    # Convert fitness to probabilities (lower fitness is better)
    inverted_fitness = 1 / (fitness + 1e-6) # Avoid division by zero
    selection_prob = inverted_fitness / np.sum(inverted_fitness)
    selected_indices = np.random.choice(np.arange(POPULATION_SIZE),
                                         size=POPULATION_SIZE, p=selection_prob)
    return population[selected_indices]
```



```

# Crossover (Blend Crossover)
def crossover(parents):
    offspring = np.empty_like(parents)
    for i in range(0, POPULATION_SIZE, 2):
        p1, p2 = parents[i], parents[i+1]
        if np.random.rand() < CROSSOVER_RATE:
            alpha = np.random.rand() # Blending factor
            offspring[i] = alpha * p1 + (1 - alpha) * p2
            offspring[i+1] = alpha * p2 + (1 - alpha) * p1
        else:
            offspring[i], offspring[i+1] = p1, p2
    return offspring

# Mutation (Random Perturbation)
def mutate(offspring):
    for i in range(POPULATION_SIZE):
        if np.random.rand() < MUTATION_RATE:
            mutation_point = np.random.randint(0, GENE_LENGTH)
            offspring[i][mutation_point] += np.random.uniform(-1, 1)
            # Keep within search space
            offspring[i][mutation_point] =
np.clip(offspring[i][mutation_point], SEARCH_SPACE[0], SEARCH_SPACE[1])
    return offspring

# Gene Expression (Translate Genetic Code into Solutions)
def gene_expression(genes):
    # In this simple example, the genes directly represent the solution
    return genes

# Main Algorithm
def gene_expression_algorithm():
    # Initialize population
    population = initialize_population()
    best_solution = None
    best_fitness = float('inf')

    # Iterate through generations
    for generation in range(GENERATIONS):
        # Evaluate fitness
        fitness = evaluate_fitness(population)

        # Track the best solution
        current_best_idx = np.argmin(fitness)
        if fitness[current_best_idx] < best_fitness:
            best_fitness = fitness[current_best_idx]

```


Output:

```
Generation 2: Best Fitness = 11.641082640808637
```

```
...
```

Generation 99: Best Fitness = 0.02233046748484963

Generation 100: Best Fitness = 0.02233046748484963

Optimal Solution Found:

Best Solution: [0.07226226 -0.11854791 0.03245473 -0.01236219 0.04299877]

Best Fitness: 0.0223304674848496