

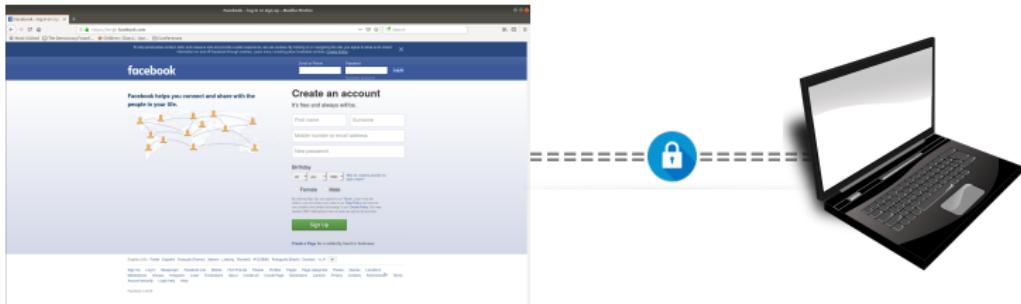
# Cryptography: Symmetric encryption

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School of Informatics  
University of Edinburgh

January 13, 2021

# Goal: confidentiality

- ▶ Secure communications



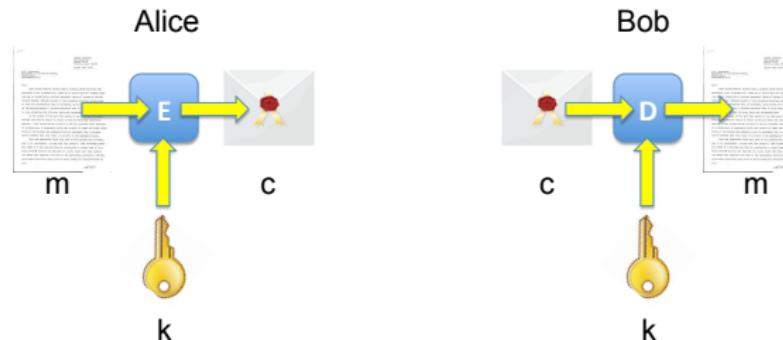
- ▶ File protection



# Symmetric encryption schemes

A symmetric cipher consists of two algorithms

- ▶ encryption algorithm  $E : \mathcal{K} \times \mathcal{M} \rightarrow \mathcal{C}$
  - ▶ decryption algorithm  $D : \mathcal{K} \times \mathcal{C} \rightarrow \mathcal{M}$
- st.  $\forall k \in \mathcal{K}$ , and  $\forall m \in \mathcal{M}$ ,  $D(k, E(k, m)) = m$



- ▶ same key  $k$  to encrypt and decrypt
- ▶ the key  $k$  is secret: only known to Alice and Bob

## What is a good encryption scheme?

An encryption scheme is secure against a given adversary, if this adversary cannot

- ▶ recover the secret key  $k$
- ▶ recover the plaintext  $m$  underlying a ciphertext  $c$
- ▶ recover any bits of the plaintext  $m$  underlying a ciphertext  $c$
- ▶ ...

## Kerckhoff's principle

The architecture and design of a security system/mechanism should be made public

### No security through obscurity!

- ▶ The encryption ( $E$ ) and decryption ( $D$ ) algorithms are public
- ▶ The security relies entirely on the secrecy of the key

Open design allows for a system to be scrutinised by many users, white hat hackers, academics, etc.  
~~ early discovery and corrections of flaws/vulnerabilities

## Adversary's capabilities

- A cryptographic scheme is secure under some assumptions, that is against a certain type of attacker
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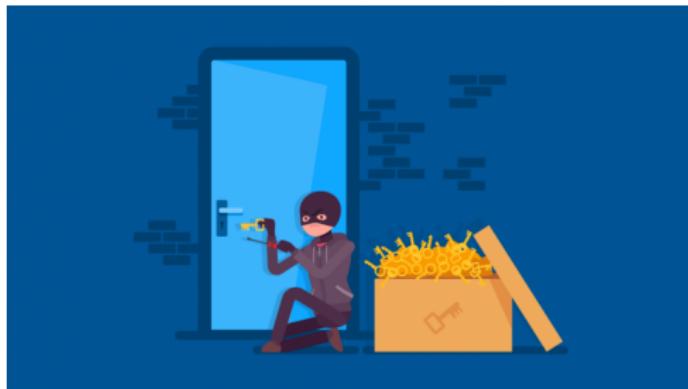
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The attacker know the encryption/decryption algorithms but may have access to :

- ▶ **Ciphertext only attack** - some ciphertexts  $c_1, \dots, c_n$
- ▶ **Known plaintext attack** some plaintext/ciphertext pairs  $(m_1, c_1), \dots, (m_n, c_n)$  st.  $c_i = E(k, m_i)$
- ▶ **Chosen plaintext attack (CPA)** - he has access to encryption oracle - can trick user to encrypt messages  $m_1, \dots, m_n$  of his choice
- ▶ **Chosen ciphertext attack (CCA)** - he has access to decryption oracle - can trick user to decrypt ciphertexts  $c_1, \dots, c_n$  of his choice
- ▶ unlimited, or polynomial, or realistic ( $\leq 2^{80}$ ) computational power

## Brute-force attack - attack on all schemes

- ▶ Try all possible keys  $k \in \mathcal{K}$  - requires some knowledge about the structure of plaintext



- ▶ Making exhaustive search unfeasible:
  - ▶  $\mathcal{K}$  should be sufficiently large, i.e. keys should be sufficiently long
  - ▶ Keys should be sampled uniformly at random from  $\mathcal{K}$

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- Consistency:  $D(k, E(k, m)) = k \oplus (k \oplus m) = m$

# Perfect secrecy

## Definition

A cipher  $(E, D)$  over  $(\mathcal{M}, \mathcal{C}, \mathcal{K})$  satisfies perfect secrecy if for all messages  $m_1, m_2 \in \mathcal{M}$  of same length ( $|m_1| = |m_2|$ ), and for all ciphertexts  $c \in \mathcal{C}$

$$|Pr(E(k, m_1) = c) - Pr(E(k, m_2) = c)| \leq \epsilon$$

where  $k \xleftarrow{r} \mathcal{K}$  and  $\epsilon$  is some “negligible quantity”.

# OTP satisfies perfect secrecy

Theorem (Shannon 1949)

*The One-Time Pad satisfies perfect secrecy*

Proof: We first note that for all messages  $m \in \mathcal{M}$  and all ciphertexts  $c \in \mathcal{C}$

$$\begin{aligned} \Pr(E(k, m) = c) &= \frac{\#\{k \in \mathcal{K}: k \oplus m = c\}}{\#\mathcal{K}} \\ &= \frac{\#\{k \in \mathcal{K}: k = m \oplus c\}}{\#\mathcal{K}} \\ &= \frac{1}{\#\mathcal{K}} \end{aligned}$$

where  $k \xleftarrow{r} \mathcal{K}$ .

Thus, for all messages  $m_1, m_2 \in \mathcal{M}$ , and for all ciphertexts  $c \in \mathcal{C}$

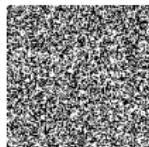
$$|\Pr(E(k, m_1) = c) - \Pr(E(k, m_2) = c)| \leq \left| \frac{1}{\#\mathcal{K}} - \frac{1}{\#\mathcal{K}} \right| = 0$$

## Two-time pad attacks

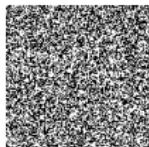
SEND  
CASH

$m_1$

$\oplus$



=

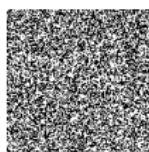


$c_1$

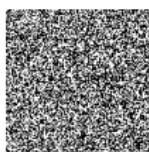


$m_2$

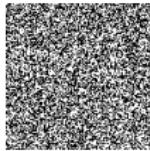
$\oplus$



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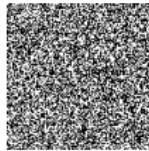


$c_2$



$c_1$

$\oplus$



=



$m_1 \oplus m_2$

Source: Cryptosmith and David Lowry-Duda, [crypto.stackexchange.com/](https://crypto.stackexchange.com/)

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  - ▶ OTP is malleable  
given the ciphertext  $c = E(k, m)$  with  $m = "to\ bob : secret\ text"$ , it is possible to compute the ciphertext  $c' = E(k, m')$  with  $m' = "to\ eve : secret\ text"$   
 $c' := c \oplus "to\ bob : 00\dots00" \oplus "to\ eve : 00\dots00"$

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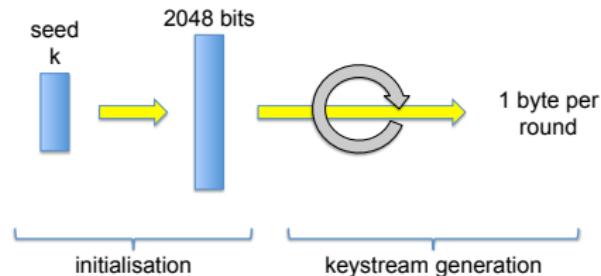
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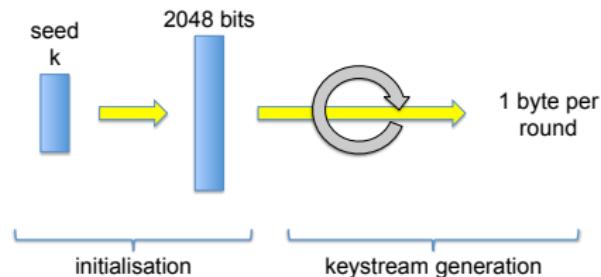
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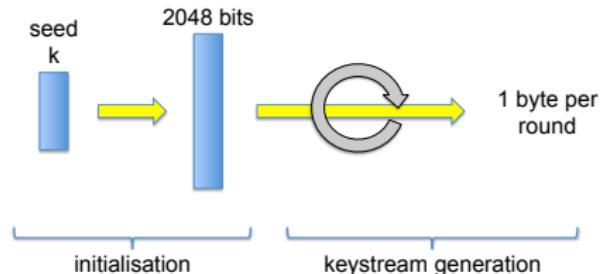
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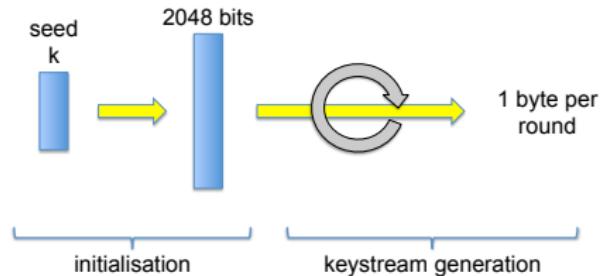
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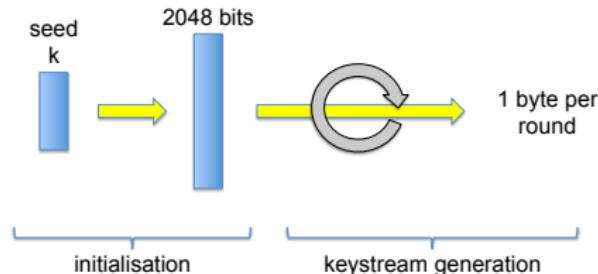
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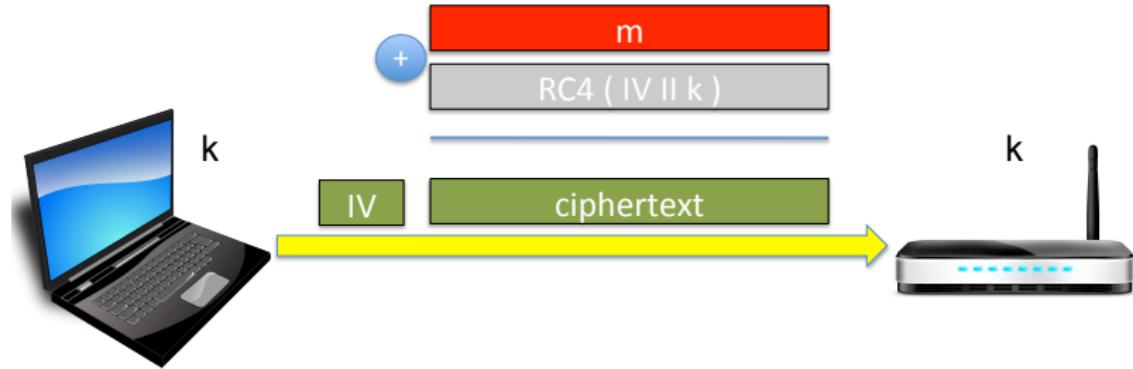
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  - ▶ subject to related keys attacks  
→ choose randomly generated keys as seeds

## WEP uses RC4



Initialisation Vector (IV): 24-bits long string

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→ use longer IVs
- ▶ Fluhrer, Mantin and Shamir (FMS) attack (related keys attack):
  - the keys only differ in the 24 bits IV
  - first bytes of key stream known because standard headers are always sent
  - for certain IVs knowing  $m$  bytes of key and keystream means you can deduce byte  $m + 1$  of key→ instead of using related IVs, generate IVs using a PRG

# Weaknesses of TLS

MUST READ THESE TEN CITIES ARE HOME TO THE BIGGEST BOTNETS

## RC4 NOMORE crypto exploit used to decrypt user cookies in mere hours

Websites using RC4 encryption need to change their protocols as exploits using design flaws are now far easier to perform.



By Charlie Osborne for Zero Day | July 20, 2015 -- 10:21 GMT (11:21 BST) | Topic: Security

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# Android BitCoin attack

ars TECHNICA SEARCH BIZ & IT TECH SCIENCE POLICY CARS GAMING & CULTURE FORUMS SIGN IN ≡ U.S.

RANDOM THEFT —

## All Android-created Bitcoin wallets vulnerable to theft

Android Java SecureRandom function flaw undermines security of Android wallets.

LEE HUTCHINSON - 8/12/2013, 3:15 PM



A street sign mounted on a pole against a blue sky. The sign has a red triangular warning symbol at the top containing a silhouette of a person being robbed. Below the symbol, the word "BEWARE" is printed in large capital letters, followed by "thieves and pickpockets!" in a smaller font. At the bottom of the sign, there are small logos for "INTERPOL POLICE", "SAFER COMMUNITIES", and "SAFER NEIGHBORHOODS".

Aurora Monitor

Bitcoin.org released a [security advisory](#) over the weekend warning the Bitcoin community that any Bitcoin wallet generated on any Android device is insecure and open to theft. The insecurity appears to stem from a flaw in the `Android Java SecureRandom` class, which under certain circumstances can

## Modern stream ciphers

**Project eStream:** project to “identify new stream ciphers suitable for widespread adoption”, organised by the EU ECRYPT network  
→ HC-128, Rabbit, Salsa20/12, SOSEMANUK,  
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## Conjecture

These eStream stream ciphers are “secure”

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- ▶ Crypto primitives are secure under a precisely defined threat model.  
→ respect the security assumptions of the crypto primitives
- ▶ Many attacks due to poor implementations of cryptography

## Cryptography: Block ciphers

## Block ciphers

A block cipher with parameters  $k$  and  $\ell$  is a pair of deterministic algorithms  $(E, D)$  such that

- ▶ Encryption  $E : \{0, 1\}^k \times \{0, 1\}^\ell \rightarrow \{0, 1\}^\ell$
- ▶ Decryption  $D : \{0, 1\}^k \times \{0, 1\}^\ell \rightarrow \{0, 1\}^\ell$

Examples:

3DES:  $\ell = 64, k = 168$

AES:  $\ell = 128, k = 128, 192, 256$

# Data Encryption Standard (DES)

- ▶ Early 1970s: Horst Feistel designs Lucifer at IBM  
 $k = 128$  bits,  $\ell = 128$  bits
- ▶ 1973: NBS calls for block cipher proposals.  
→ IBM submits a variant of Lucifer.
- ▶ 1976: NBS adopts DES as a federal standard  
 $k = 56$  bits,  $\ell = 64$  bits
- ▶ 1997: DES broken by exhaustive search
- ▶ 2001: NIST adopts AES to replace DES  
 $k = 128, 192, 256$  bits,  $\ell = 128$  bits

Widely deployed in banking (ATM machines) and commerce

## Attacks on DES

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- ▶ **Linear cryptanalysis:** found affine approximations to DES  
→ can find 14 key bits in time  $2^{42}$   
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⇒ total attack time  $\approx 2^{43}$

# Attacks on DES

- ▶ **Exhaustive search:** it takes  $2^{56}$  to do an exhaustive search over the key space  
→ COBACOBANA (120 FPGAs,  $\sim 10K\$$ ): 7 days
  - ▶ **Linear cryptanalysis:** found affine approximations to DES  
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- ⇒ DES is badly broken! Do not use it in new projects!!

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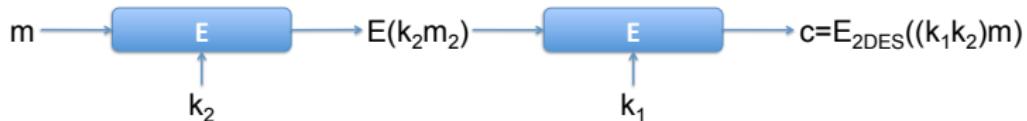
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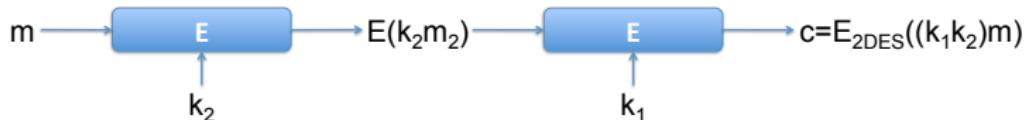
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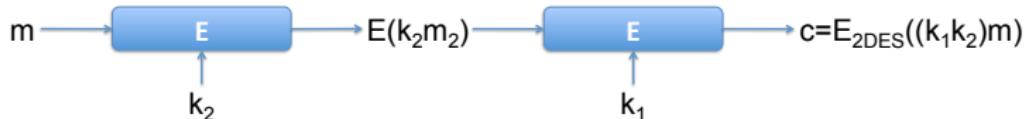
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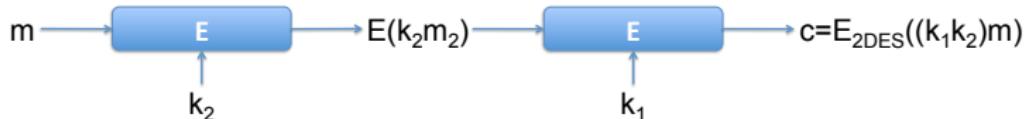


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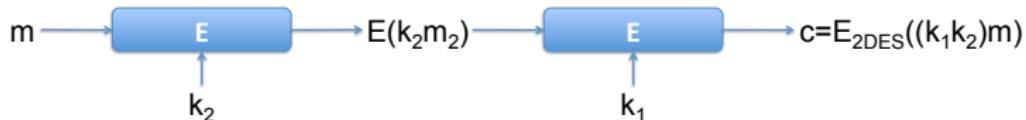


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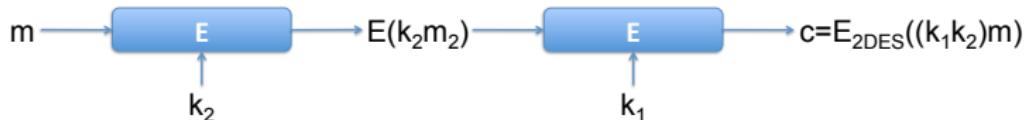
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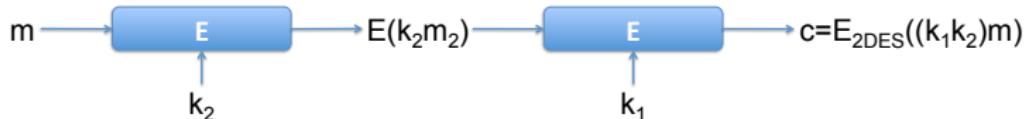
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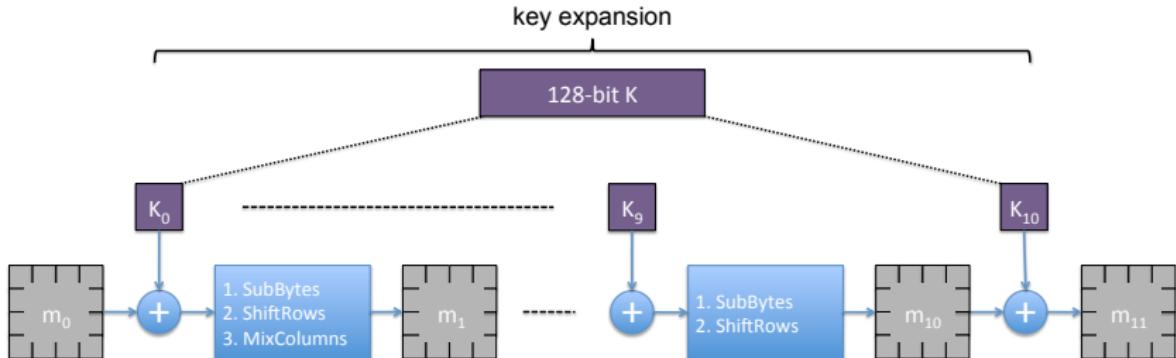
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# The Advanced Encryption Standard (AES)

- ▶ Goal: replace 3DES which is too slow (3DES is 3 times as slow as DES)
- ▶ 2001: NIST adopts Rijndael as AES
- ▶ Block size  $\ell = 128$  bits, Key size  $k = 128, 192, 256$  bits

# AES: encryption circuit



- ▶  $m_i$ :  $4 \times 4$  byte matrix,  $K_i$ : 128-bit key
- ▶  $m_0$ : plaintext,  $m_{11}$ : ciphertext
- ▶ at the last round MixColumns is not applied

# Attacks on AES

- ▶ **Related-key attack** on the 192-bit and 256-bit versions of AES:  
exploits the AES key schedule [A. Biryukov, D. Khovratovich (2009)]  
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  - ⇒ Existing attacks on AES-128 are still not practical, but  
should use AES-192 and AES-256 in new projects!
- Additional protection against quantum computers.

## Using block ciphers

## Goal

Encrypt  $M$  using a block cipher operating on blocks of length  $\ell$  when  
 $|M| \neq \ell$

## Padding - $|M| \leq \ell$

- ▶ Bit padding - append a *set bit* ('1') at the end of message, and then append as many *reset bits* ('0') required

Example: padding a 52-bits message for a 64-bits block:

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- ▶ PKCS#7 - byte padding - the value of each added byte is the total number of padding bytes. The padding will be 01, or 02 02, or 03 03 03, or 04 04 04 04, etc.

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- ▶ The ciphertext corresponding to  $M$  is the concatenation of the  $C_i$ s  
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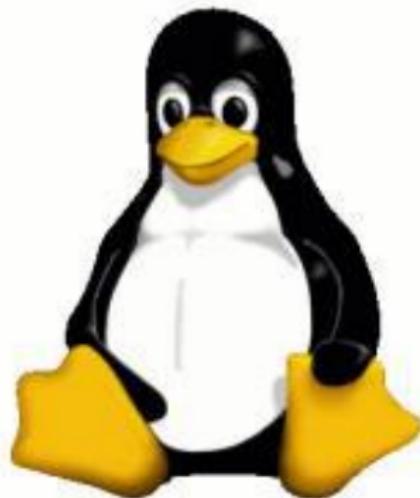


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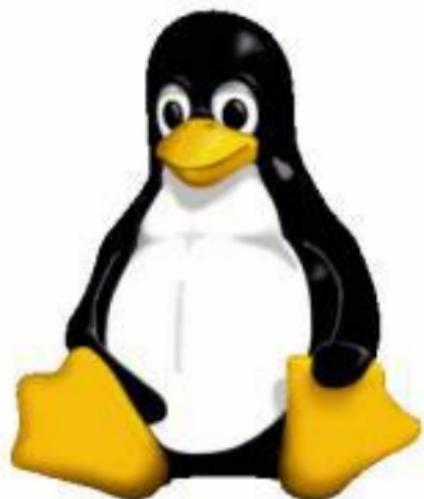
Problem:  $\forall i, j. m_i = m_j \Rightarrow c_i = E(k, m_i) = E(k, m_j) = c_j$   
 $\Rightarrow$  Malleable and weak to frequency analysis!

## Weakness of ECB in pictures



Original image

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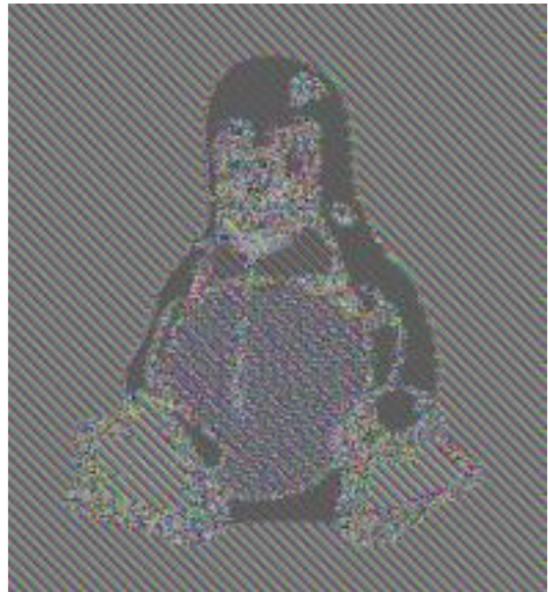
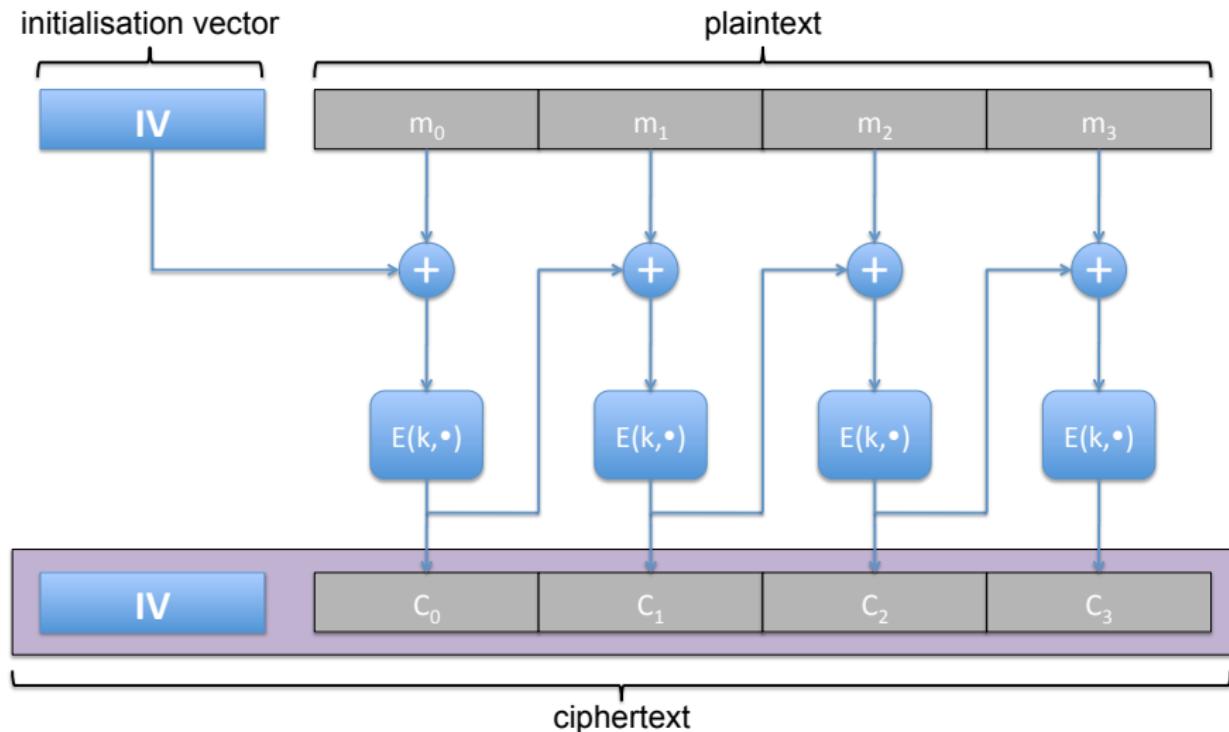


Image encrypted using ECB mode

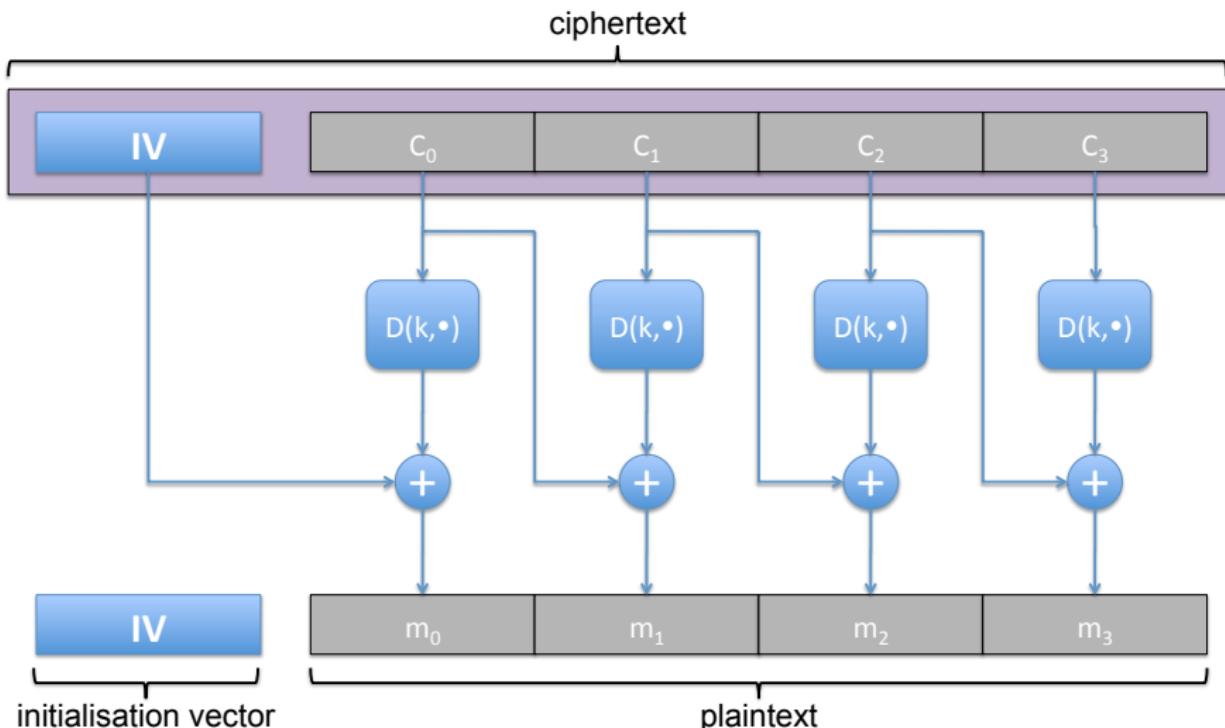
# Cipher-block chaining (CBC) mode: encryption

$(E, D)$  a block cipher that manipulates blocks of size  $\ell$ .



IV chosen at random in  $\{0, 1\}^\ell$

## Cipher-block chaining (CBC) mode: decryption



# Sony PlayStation



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- ▶ Prevent games being copied



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- ▶ Hardware controlled user access to data



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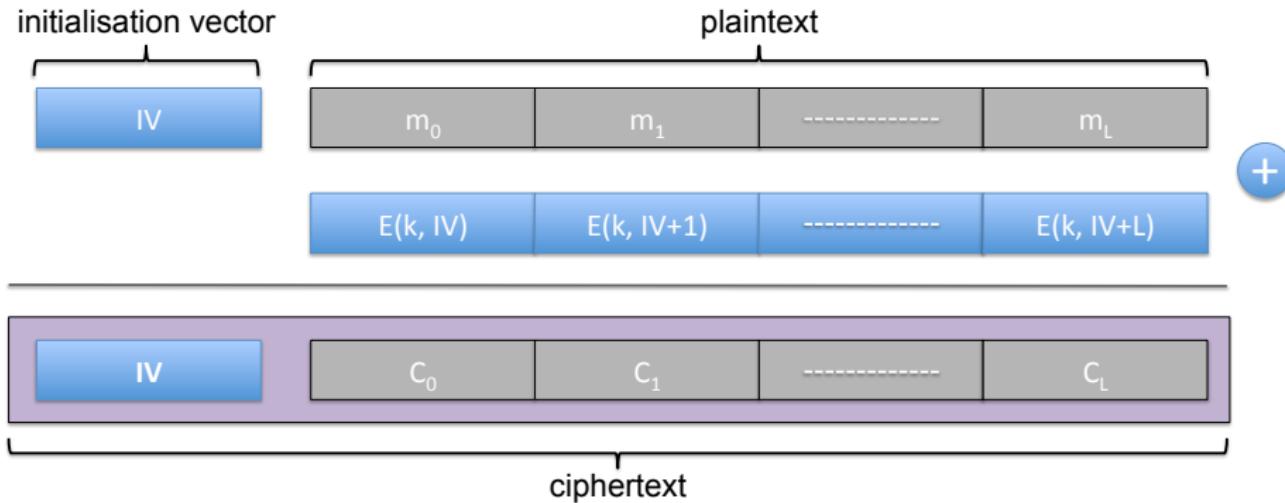
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- ▶ PlayStation decrypts the file and gives it to user

## Counter (CTR) mode

$(E, D)$  a block cipher that manipulates blocks of size  $\ell$ .



IV chosen at random in  $\{0, 1\}^\ell$

# Block-size is also a problem!

- ▶ Sweet32 - birthday attacks on 64-bit block ciphers in TLS and openVPN
- ▶ Attack due to block-size being too small



The InfoWorld logo is located at the top left of the page. It features the word "InfoWorld" in a white, bold, sans-serif font. Below it, the word "FROM IDG" is written in a smaller, lighter font. To the right of the logo, there is a green button-like graphic with the word "INSIDER" in white, followed by a right-pointing arrow and the word "Sign".

Home > Security

## New collision attacks against triple-DES, Blowfish break HTTPS sessions



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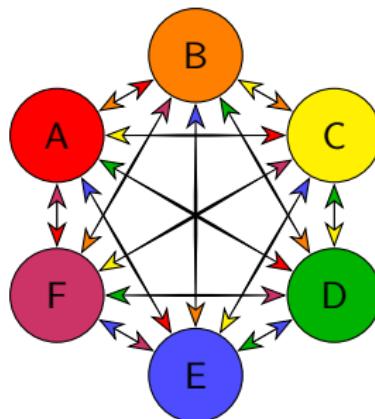
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# The key management problem

The confidentiality problem is now reduced to a key management problem:

- ▶ Where are keys generated?
- ▶ How are keys generated?
- ▶ How are keys shared?
- ▶ Where are keys stored?
- ▶ Where are the keys actually used?
- ▶ How are key revoked and replaced?



One shared secret key per pair of users that want to communicate

# What we have learned on Symmetric Encryption

- ▶ Frequency analysis as a cryptanalysis attack on classic encryption
- ▶ Importance of randomness in cryptography
- ▶ Stream ciphers
  - ▶ simple and efficient symmetric encryption schemes
  - ▶ use a random IV to thwart two-time pad attacks
  - ▶ good for random plaintexts otherwise subject to malleability attacks
- ▶ Block ciphers - use AES not DES
- ▶ CBC mode is more secure than ECB but less resilient to packets loss
- ▶ CTR mode more secure than ECB and parallelisable
- ▶ Keep up to date with cryptanalysis advances and standards
- ▶ Do not implement crypto lightly - use public reference implementations