- · Equivalence Relation: reflexive, symmetric, transitive.
- · (x-1*y)-1 = y-1 * x.
- · Absolute convergence -> convergence.

 Can be used while determining the interval of conv.
- · bijection $\int injection : f(x_1) = f(x_2) \Rightarrow x_1 = x_2$ surjection : $\exists x \neq f(x)$.
- · right coset: fhal he Hig
- lim Sinx
- L'Hapital's rule applies only when $\frac{f(x)}{g(x)}$ is in indeterminate
- · Integral test:

f cont, b, positive. $\sum_{n=1}^{\infty} a_n \cos v . \iff \int_{-\infty}^{\infty} f(x) dx \cos w .$

- · For a conv. alternating series, |Rn|=|S-Sn| \le an+1.
- Taylor series: $f(x) = \sum_{n=0}^{\infty} \frac{f^{(n)}(c)}{n!} (x-e)^n$. C=0 Maclaurin.

Taylor poly, and f(x) = P(x) + R(x). $R_n(x) = \frac{f(n+1)}{(n+1)!} (x-c)^{n+1}$ where b is between A and C, inclusive.

· Eulerian : edge.

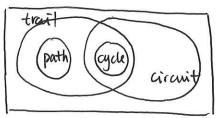
Hamiltonian: vertex.

Eulerian - trail: has exactly 2 vertices w/ odd deg.
 - circut: deg(v) = 0 (mod z) + v ∈ V.

. In a simple, connected graph.

(2 there are 32 vertices of same deg. (PHP)

- · Any subgraph of a bipartite graph is bipartite.
- T. $|v| > 2 \rightarrow {n \choose 2}$ different paths in T, because $\exists !$ simple path both any pair of re.
- · Ceva: 女子-上,=1 Mene laus; - 春時, = -1.
- · det (AB) = det (A) det (B)
- " $\int_a^b u dv = uv |_a^b \int_a^b v du$.
- · Emer's relation v-e+f=2.
- · G: connected, simple, plantar, e=3v-6. if no circuits of length 3, e = 22-4.
- · Bipartite: no cycle of length 3.



$$\overrightarrow{a} \stackrel{A}{\longrightarrow} \overrightarrow{b} = \overrightarrow{a} + \overrightarrow{b}$$

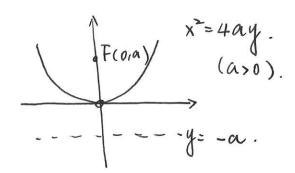
$$\overrightarrow{OM} = \overrightarrow{a} + \overrightarrow{b}$$

$$\overrightarrow{OK} = \frac{\overrightarrow{m} + \overrightarrow{b}}{m + n} \overrightarrow{b} + \frac{n}{m + n} \overrightarrow{a}$$

$$\overrightarrow{OR} = \frac{m}{m+h} \overrightarrow{b} + \frac{n}{m+n} \overrightarrow{a}$$

- BIC = Bnc'
- lim (1+ x) x = e

CONIC SECTIONS.



$$X = \frac{a}{e} = \frac{a^2}{c}$$

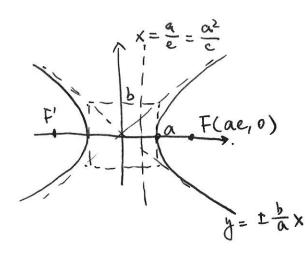
$$\frac{A^2}{a^2} + \frac{y^2}{b^2} = 1$$

$$\frac{PF}{PN} = e = \frac{c}{a}$$

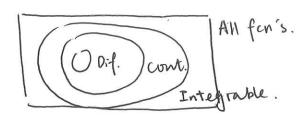
$$\frac{x^2}{a^2} + \frac{y^2}{b^2} = |.$$

$$\frac{PF}{PN} = e = \frac{c}{a}$$

$$b^2 = a^2(1-e^2)$$
, $c = ea$.



$$\frac{x^2}{\alpha^2} - \frac{y^2}{b^2} = 1$$



$$C_n = \frac{f^{(n)}(a)}{n!}$$

.
$$\int_{a}^{b} f(x) dx = \lim_{n \to \infty} \sum_{i=1}^{n} f(x_{i}^{*}) dx$$
. where x_{i}^{*} is any # chosen from the interval $[x_{i-1}, x_{i}]$.

'
$$\frac{d}{dx} \int_{a}^{x} f(t) dt = f(x)$$
.

d hyperbola > 0.