```
Int[(a_.+b_.*x_+c_.*x_^2)^p_.,x_Symbol] := Int121[a,b,c,p,x] /;
 Free0[{a,b,c,p},x]
Int121::usage =
  "Int121[a,b,c,p,x] returns the antiderivative of (a+b x+c x^2)^p wrt x.";
Int121[a_,b_,c_,p_,x_] :=
  If[EqQ[p,0],
    (a+b*x+c*x^2)^p*x,
 If[EqQ[c,0],
   Int111[a,b,p,x],
 If [EqQ[b,0],
   Int151[a,c,p,2,x],
 If [EqQ[b^2-4*a*c,0],
    If [IntegerQ[p],
      (b/2+c*x)^{(2*p+1)}/(c^{(p+1)}*(2*p+1)),
    (a+b*x+c*x^2) FracPart[p]/(c^IntPart[p]*(b/2+c*x)^(2*FracPart[p])) * Int111[b/2,c,2*p,x]],
  If[IntegerQ[p],
    If[EqQ[p,1],
      a*x + b*x^2/2 + c*x^3/3,
   If[EqQ[a,0],
     Int [Apart [x^p*(b+c*x)^p,x],x],
   If [EqQ[p,-1],
      If[NiceSqrtQ[b^2-4*a*c],
        With [q=Rt[b^2-4*a*c,2]], 2*c/q*Int111[b-q,2*c,-1,x] - 2*c/q*Int111[b+q,2*c,-1,x]],
      With [q=1-4\times \text{Simplify}[a*c/b^2]], If [\text{RationalQ}[q] \&\& (\text{EqQ}[q^2,1] || \text{Not}[\text{RationalQ}[b^2-4*a*c]]),
        -2/b * Subst[Int151[q,-1,-1,2,x],x,1+2*c*x/b],
      -2 * Subst[Int151[Simplify[b^2-4*a*c],-1,-1,2,x],x,b+2*c*x]]]],
    If[NiceSqrtQ[b^2-4*a*c] && Not[FractionalPowerFactorQ[Rt[b^2-4*a*c,2]]],
      With [\{q=Rt[b^2-4*a*c,2]\}, 1/c^p * Int[Apart[(b/2-q/2+c*x)^p*(b/2+q/2+c*x)^p,x],x]],
   If[GtQ[p,0],
      Int[Apart[(a+b*x+c*x^2)^p,x],x],
    (b+2*c*x)*(a+b*x+c*x^2)^{(p+1)}/((p+1)*(b^2-4*a*c)) - 2*c*(2*p+3)/((p+1)*(b^2-4*a*c)) * Int121[a,b,c,p+1,x]]]]]]
  If [GtQ[p,0] \&\& (IntegerQ[4*p] || IntegerQ[3*p]),
    (b+2*c*x)*(a+b*x+c*x^2)^p/(2*c*(2*p+1)) - p*(b^2-4*a*c)/(2*c*(2*p+1)) * Int121[a,b,c,p-1,x],
  If [LtQ[p,-1] \&\& (IntegerQ[4*p] || IntegerQ[3*p]),
    If [EqQ[p,-3/2],
      -2*(b+2*c*x)/((b^2-4*a*c)*Sqrt[a+b*x+c*x^2]),
    (b+2*c*x)*(a+b*x+c*x^2)^{(p+1)}/((p+1)*(b^2-4*a*c)) - 2*c*(2*p+3)/((p+1)*(b^2-4*a*c)) * Int121[a,b,c,p+1,x]],
  If[EqQ[a,0],
   If [LtQ[b^2/c,0],
      1/(2^{(2+p+1)} \cdot c \cdot (-c/(b^2))^p) \cdot Subst[Int151[1,-1/b^2,p,2,x],x,b+2*c*x],
    If [EqQ[p,-1/2],
      2 * Subst[Int151[1,-c,-1,2,x],x,x/Sqrt[b*x+c*x^2]],
```