# Basics for a grammar engine to verbalize logical theories in isiZulu

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### Outline

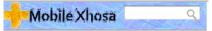
- Motivation
- 2 isiZulu intro
- 3 isiZulu NLG
  - Universal Quantification
  - Subsumption
  - Conjunction
  - Existential Quantification
- Discussion and Conclusions

### Natural language interfaces with some NLG

- Many tools, webpages, etc. with some natural language component
- Querying of information in natural language (cf. a query language SQL, SPARQL)
- Business rules typically specified in a natural language
- etc.

## Example: Saadiq Moolla's mobile healthcare app







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#### Chest Pain

Have you had any recent pain in your chest? - Uke waba nobuhlungu esifubeni maduzane?

Does the pain radiate to your jaw, neck or arm? - Engabe ubuhlungu bakho bujikeleza emihlathini, emqaleni noma nasezingalweni?

Does anything precipitate or relieve the pain? - Ingabe ikhona into eyenza ubuhlungu buqhubeke noma eyehlisa ubuhlungu?

#### Dyspnoea

Are you breathless at any time? - Uke uphelelwe umoya kwezinye izikhathi?



#### Chest Pain

Have you had any recent pain in your chest? - Ingaba kutshanje ukhe weva iintlungu esifubeni?

Does the pain radiate to your jaw, neck or arm? - Ingaba iintlungu zinwenwela emhlathini, entanyeni okanye engalweni?

Does anything precipitate or relieve the pain? - Ingaba ikhona into ezivuselelayo okanye ezidambisayo iintlungu?

#### Dyspnoea



# NLG, principal approaches

- Canned text
- Templates
  - Notably for English [Fuchs et al.(2010), Schwitter et al.(2008), Third et al.(2011), Curland and Halpin(2007)],
  - but also other languages [Jarrar et al.(2006)]
- Grammar engines, such as [Kuhn(2013)], Grammatical Framework (http://www.grammaticalframework.org/)
- ⇒ Controlled Natural Language

### Question

- Can the template-based approach be used also for isiZulu NLG?
  - If so, create those templates
  - If not, start with basics for a grammar engine
- Use a practically useful language to benefit both ICT and linguists and, possibly, some subject domain (e.g., medicine, NRS [Alberts et al.(2012)])

- Most populous language in SA, first (home) language of  $\pm 23\%$  ( $\geq 10$  million)
- Member of the Bantu language group, spoken by some 300 million people
- Bantu languages have characteristically agglutinating morphology
- System of noun classes, controls the concordance of all words in a sentence

Abafana abancane bazozithenga izincwadi ezinkulu aba-fana aba-ncane ba- zo- zi- thenga izi-ncwadi e-zi-nkulu 2.boy 2.small 2.SUBJ-FUT-10.OBJ-buy 10.book REL-10.big 'The little boys will buy the big books'

| NC   | AU    | PRE    | Stem (ex-<br>ample) | Meaning                    | Exan     | ıple     |
|------|-------|--------|---------------------|----------------------------|----------|----------|
| 1    | u-    | m(u)-  | -fana               | humans and other           | umfana   | boy      |
| 2    | a-    | ba-    | -fana               | animates                   | abafana  | boys     |
| 1a   | u-    | -      | -baba               | kinship terms and proper   | ubaba    | father   |
| 2a   | 0-    | -      | -baba               | names                      | obaba    | fathers  |
| 3a   | u-    | -      | -shizi              | nonhuman                   | ushizi   | cheese   |
| (2a) | 0-    | -      | -shizi              |                            | oshizi   | cheeses  |
| 3    | u-    | m(u)-  | -fula               | trees, plants, non-paired  | umfula   | river    |
| 4    | i-    | mi-    | -fula               | body parts                 | imifula  | rivers   |
| 5    | i-    | (li)-  | -gama               | fruits, paired body parts, | igama    | name     |
| 6    | a-    | ma-    | -gama               | and natural phenomena      | amagama  | names    |
| 7    | i-    | si-    | -hlalo              | inanimates and manner/     | isihlalo | chair    |
| 8    | i-    | zi-    | -hlalo              | style                      | izihlalo | chairs   |
| 9a   | i-    | -      | -rabha              | nonhuman                   | irabha   | rubber   |
| (6)  | a-    | ma-    | -rabha              |                            | amarabha | rubbers  |
| 9    | i(n)- | -      | -ja                 | animals                    | inja     | dog      |
| 10   | i-    | zi(n)- | -ja                 |                            | izinja   | dogs     |
| 11   | u-    | (lu)-  | -thi                | inanimates and long thin   | uthi     | stick    |
| (10) | i-    | zi(n)- | -thi                | objects                    | izinthi  | sticks   |
| 14   | u-    | bu-    | -hle                | abstract nouns             | ubuhle   | beauty   |
| 15   | u-    | ku-    | -cula               | infinitives                | ukucula  | to sing  |
| 17   |       | ku-    |                     | locatives, remote/ general |          | locative |

- Roughly OWL 2 EL
- OWL 2 EL is a W3C-standardised profile of OWL 2
- Tools, ontologies in OWL 2 (notably SNOMED CT)
- On the 'roughly': minus transitivity, but with negation, amounting to  $\mathcal{ALC}$ 
  - of that, we have patterns for universal and existential quantification, subsumption, negation (disjointness), and conjunction

# Universal Quantification

- Consider here only the universal quantification at the start of the concept inclusion axiom (nominal head)
- 'all'/'each' uses -onke, prefixed with the oral prefix of the noun class of that first noun (OWL class/DL concept) on lhs of ⊑

```
    (U1) Boy ⊆ ...
        wonke umfana ...
        bonke abafana ...
        ('each boy...'; u- + -onke)
        bonse abafana ...
        ('all boys...'; ba- + -onke)
        (U2) Phone ⊑ ...
        lonke ifoni ...
        ('each phone...'; li- + -onke)
        onke amafoni ...
        ('all phones...'; a- + -onke)
```

| NC      | QC (all)                       |            | NEG SC | PRON  | RC   | $QC_{dwa}$ | EC  |
|---------|--------------------------------|------------|--------|-------|------|------------|-----|
|         | $QC_{oral+onke}$               | $QC_{nke}$ |        |       |      |            |     |
| 1       | $u$ -onke $\rightarrow$ wonke  | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| 2       | $ba$ -onke $\rightarrow bonke$ | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 1a      | $u$ -onke $\rightarrow$ wonke  | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| $^{2a}$ | $ba$ -onke $\rightarrow bonke$ | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3a      | $u$ -onke $\rightarrow$ wonke  | wo-        | aka-   | wona  | 0-   | ye-        | mu- |
| (2a)    | $ba$ -onke $\rightarrow bonke$ | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3       | $u$ -onke $\rightarrow$ wonke  | wo-        | awu-   | wona  | 0-   | wo-        | mu- |
| 4       | $i$ -onke $\rightarrow$ yonke  | yo-        | ayi-   | yona  | e-   | yo-        | mi- |
| 5       | $li$ -onke $\rightarrow lonke$ | lo-        | ali-   | lona  | eli- | lo-        | li- |
| 6       | $a$ -onke $\rightarrow$ onke   | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 7       | $si$ -onke $\rightarrow$ sonke | so-        | asi-   | sona  | esi- | so-        | si- |
| 8       | $zi$ -onke $\rightarrow zonke$ | zo-        | azi-   | zona  | ezi  | zo-        | zi- |
| 9a      | $i$ -onke $\rightarrow$ yonke  | уо-        | ayi-   | yona  | e-   | yo-        | yi- |
| (6)     | $a$ -onke $\rightarrow$ onke   | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 9       | i-onke $\rightarrow$ yonke     | yo-        | ayi-   | yona  | e-   | yo-        | yi- |
| 10      | $zi$ -onke $\rightarrow zonke$ | ZO-        | azi-   | zona  | ezi- | zo-        | zi- |
| 11      | $lu$ -onke $\rightarrow lonke$ | lo-        | alu-   | lona  | olu- | lo-        | lu- |
| (10)    | $zi$ -onke $\rightarrow zonke$ | zo-        | azi-   | zona  | ezi- | zo-        | zi- |
| 14      | $ba$ -onke $\rightarrow bonke$ | bo-        | abu-   | bona  | obu- | bo-        | bu- |
| 15      | $ku$ -onke $\rightarrow$ konke | zo-        | aku-   | khona | oku- | zo-        | ku- |



| $\overline{\mathbf{NC}}$ | QC (all)                                    |            | NEG SC | PRON  | RC   | QC <sub>dwa</sub> | EC  |
|--------------------------|---|------------|--------|-------|------|-------------------|-----|
|                          | $\mathrm{QC}_{\mathrm{oral}+\mathrm{onke}}$ | $QC_{nke}$ |        |       |      |                   |     |
| 1                        | $u$ -onke $\rightarrow$ wonke               | wo-        | aka-   | yena  | 0-   | ye-               | mu- |
| 2                        | $ba$ -onke $\rightarrow bonke$              | bo-        | aba-   | bona  | aba- | bo-               | ba- |
| 1a                       | $u$ -onke $\rightarrow$ wonke               | wo-        | aka-   | yena  | 0-   | ye-               | mu- |
| $^{2a}$                  | $ba$ -onke $\rightarrow bonke$              | bo-        | aba-   | bona  | aba- | bo-               | ba- |
| 3a                       | $u$ -onke $\rightarrow$ wonke               | wo-        | aka-   | wona  | 0-   | ye-               | mu- |
| (2a)                     | $ba$ -onke $\rightarrow bonke$              | bo-        | aba-   | bona  | aba- | bo-               | ba- |
| 3                        | $u$ -onke $\rightarrow$ wonke               | wo-        | awu-   | wona  | 0-   | wo-               | mu- |
| 4                        | i-onke $\rightarrow$ yonke                  | yo-        | ayi-   | yona  | e-   | yo-               | mi- |
| 5                        | $li$ -onke $\rightarrow lonke$              | lo-        | ali-   | lona  | eli- | lo-               | li- |
| 6                        | $a$ -onke $\rightarrow$ onke                | 0-         | awa-   | wona  | a-   | wo-               | ma- |
| 7                        | $si$ -onke $\rightarrow$ sonke              | so-        | asi-   | sona  | esi- | so-               | si- |
| 8                        | $zi$ -onke $\rightarrow zonke$              | zo-        | azi-   | zona  | ezi  | zo-               | zi- |
| 9a                       | i-onke $\rightarrow$ yonke                  | yo-        | ayi-   | yona  | e-   | yo-               | yi- |
| (6)                      | $a$ -onke $\rightarrow$ onke                | 0-         | awa-   | wona  | a-   | wo-               | ma- |
| 9                        | i-onke $\rightarrow$ yonke                  | уо-        | ayi-   | yona  | e-   | уо-               | yi- |
| 10                       | $zi$ -onke $\rightarrow$ $zonke$            | zo-        | azi-   | zona  | ezi- | zo-               | zi- |
| 11                       | $lu$ -onke $\rightarrow lonke$              | lo-        | alu-   | lona  | olu- | lo-               | lu- |
| (10)                     | $zi$ -onke $\rightarrow zonke$              | zo-        | azi-   | zona  | ezi- | zo-               | zi- |
| 14                       | $ba$ -onke $\rightarrow bonke$              | bo-        | abu-   | bona  | obu- | bo-               | bu- |
| 15                       | $ku$ -onke $\rightarrow$ konke              | zo-        | aku-   | khona | oku- | zo-               | ku- |



**Discussion and Conclusions** 

| $\overline{NC}$ |                      | QC (all)            |                              | NEG SC | PRON  | RC   | $QC_{dwa}$ | $\mathbf{EC}$ |
|-----------------|----------------------|---------------------|------------------------------|--------|-------|------|------------|---------------|
|                 | QC <sub>oral</sub>   | -onke               | $\mathrm{QC}_{\mathrm{nke}}$ |        |       |      |            |               |
| 1               | u-onke -             |                     | wo-                          | aka-   | yena  | 0-   | ye-        | mu-           |
| 2               | ba-onke              | $\rightarrow$ bonke | bo-                          | aba-   | bona  | aba- | bo-        | ba-           |
| 1a              | u-onke –             | wonke               | wo-                          | aka-   | yena  | 0-   | ye-        | mu-           |
| $^{2a}$         | ba-onke              | $\rightarrow$ bonke | bo-                          | aba-   | bona  | aba- | bo-        | ba-           |
| 3a              | u-onke –             | wonke               | wo-                          | aka-   | wona  | 0-   | ye-        | mu-           |
| (2a)            | ba-onke              | $\rightarrow$ bonke | bo-                          | aba-   | bona  | aba- | bo-        | ba-           |
| 3               | u-onke –             | wonke               | wo-                          | awu-   | wona  | 0-   | wo-        | mu-           |
| 4               | i-onke $\rightarrow$ | yonke               | yo-                          | ayi-   | yona  | e-   | yo-        | mi-           |
| 5               | li-onke -            | lonke               | lo-                          | ali-   | lona  | eli- | lo-        | li-           |
| 6               | a-onke -             | onke                | 0-                           | awa-   | wona  | a-   | wo-        | ma-           |
| 7               | si-onke -            | sonke               | SO-                          | asi-   | sona  | esi- | so-        | si-           |
| 8               | zi-onke -            | > zonke             | zo-                          | azi-   | zona  | ezi  | zo-        | zi-           |
| 9a              | i-onke $\rightarrow$ | yonke               | yo-                          | ayi-   | yona  | e-   | уо-        | yi-           |
| (6)             | a-onke -             | onke                | 0-                           | awa-   | wona  | a-   | wo-        | ma-           |
| 9               | i-onke $\rightarrow$ | yonke               | yo-                          | ayi-   | yona  | e-   | уо-        | yi-           |
| 10              | zi-onke -            | zonke               | zo-                          | azi-   | zona  | ezi- | zo-        | zi-           |
| 11              | lu-onke -            | → lonke             | lo-                          | alu-   | lona  | olu- | lo-        | lu-           |
| (10)            | zi-onke -            | > zonke             | ZO-                          | azi-   | zona  | ezi- | zo-        | zi-           |
| 14              | ba-onke              | $\rightarrow$ bonke | bo-                          | abu-   | bona  | obu- | bo-        | bu-           |
| 15              | ku-onke              | $\rightarrow$ konke | ZO-                          | aku-   | khona | oku- | zo-        | ku-           |



## Subsumption

- Two different ways of carving up the nouns to determine which rules apply: semantic and syntactic
- Syntactic: still two options for copulative, depending on second noun

```
(S1) MedicinalHerb 
 Plant
 ikhambi ngumuthi ('medicinal herb is a plant')
```

(S2) Giraffe ⊆ Animal
indlulamithi yisilwane ('giraffe is a animal')

- Copulative is omitted
- Combines the negative subject concord (NEG SC) of the noun class of the first noun (azi-) with the pronomial (PRON) of the noun class of second noun (-yona)

```
(SN1) Cup \sqsubseteq \negGlass 

<u>zonke</u> izindebe aziyona ingilazi ('all cups <u>not a</u> glass')
```

| NC      | QC (all)                         |            | NEG SC | PRON  | RC   | $QC_{dwa}$ | EC  |
|---------|----------------------------------|------------|--------|-------|------|------------|-----|
|         | $QC_{oral+onke}$                 | $QC_{nke}$ |        |       |      |            |     |
| 1       | $u$ -onke $\rightarrow$ wonke    | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| 2       | $ba$ -onke $\rightarrow bonke$   | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 1a      | $u$ -onke $\rightarrow$ wonke    | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| $^{2a}$ | $ba$ -onke $\rightarrow bonke$   | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3a      | $u$ -onke $\rightarrow$ wonke    | wo-        | aka-   | wona  | 0-   | ye-        | mu- |
| (2a)    | $ba$ -onke $\rightarrow bonke$   | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3       | $u$ -onke $\rightarrow$ wonke    | wo-        | awu-   | wona  | 0-   | wo-        | mu- |
| 4       | $i$ -onke $\rightarrow$ yonke    | yo-        | ayi-   | yona  | e-   | yo-        | mi- |
| 5       | $li$ -onke $\rightarrow lonke$   | lo-        | ali-   | lona  | eli- | lo-        | li- |
| 6       | $a$ -onke $\rightarrow$ onke     | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 7       | $si$ -onke $\rightarrow$ sonke   | so-        | asi-   | sona  | esi- | so-        | si- |
| 8       | $zi$ -onke $\rightarrow zonke$   | zo-        | azi-   | zona  | ezi  | zo-        | zi- |
| 9a      | $i$ -onke $\rightarrow$ yonke    | уо-        | ayi-   | yona  | e-   | yo-        | yi- |
| (6)     | $a$ -onke $\rightarrow$ onke     | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 9       | i-onke $\rightarrow$ yonke       | yo-        | ayi-   | yona  | e-   | yo-        | yi- |
| 10      | $zi$ -onke $\rightarrow$ $zonke$ | ZO-        | azi-   | zona  | ezi- | zo-        | zi- |
| 11      | $lu$ -onke $\rightarrow lonke$   | lo-        | alu-   | lona  | olu- | lo-        | lu- |
| (10)    | $zi$ -onke $\rightarrow zonke$   | zo-        | azi-   | zona  | ezi- | zo-        | zi- |
| 14      | $ba$ -onke $\rightarrow bonke$   | bo-        | abu-   | bona  | obu- | bo-        | bu- |
| 15      | $ku$ -onke $\rightarrow$ konke   | zo-        | aku-   | khona | oku- | zo-        | ku- |



**Discussion and Conclusions** 

| NC   | QC (all)                         |                                | NEG SC | PRON  | RC   | $QC_{dwa}$ | EC  |
|------|----------------------------------|--------------------------------|--------|-------|------|------------|-----|
|      | $ m QC_{oral+onke}$              | $ \mathrm{QC}_{\mathrm{nke}} $ |        |       |      |            |     |
| 1    | $u$ -onke $\rightarrow$ wonke    | wo-                            | aka-   | yena  | 0-   | ye-        | mu- |
| 2    | $ba$ -onke $\rightarrow bonke$   | bo-                            | aba-   | bona  | aba- | bo-        | ba- |
| 1a   | $u$ -onke $\rightarrow$ wonke    | wo-                            | aka-   | yena  | 0-   | ye-        | mu- |
| 2a   | $ba$ -onke $\rightarrow bonke$   | bo-                            | aba-   | bona  | aba- | bo-        | ba- |
| 3a   | $u$ -onke $\rightarrow$ wonke    | wo-                            | aka-   | wona  | 0-   | ye-        | mu- |
| (2a) | $ba$ -onke $\rightarrow bonke$   | bo-                            | aba-   | bona  | aba- | bo-        | ba- |
| 3    | $u$ -onke $\rightarrow$ wonke    | wo-                            | awu-   | wona  | 0-   | wo-        | mu- |
| 4    | $i$ -onke $\rightarrow$ yonke    | yo-                            | ayi-   | yona  | e-   | yo-        | mi- |
| 5    | $li$ -onke $\rightarrow lonke$   | lo-                            | ali-   | lona  | eli- | lo-        | li- |
| 6    | $a$ -onke $\rightarrow$ onke     | 0-                             | awa-   | wona  | a-   | wo-        | ma- |
| 7    | $si$ -onke $\rightarrow$ sonke   | so-                            | asi-   | sona  | esi- | so-        | si- |
| 8    | $zi$ -onke $\rightarrow zonke$   | zo-                            | azi-   | zona  | ezi  | zo-        | zi- |
| 9a   | $i$ -onke $\rightarrow$ yonke    | yo-                            | ayi-   | yona  | e-   | yo-        | yi- |
| (6)  | $a$ -onke $\rightarrow$ onke     | 0-                             | awa-   | wona  | a-   | wo-        | ma- |
| 9    | i-onke $\rightarrow$ yonke       | уо-                            | ayi-   | yona  | e-   | yo-        | yi- |
| 10   | $zi$ -onke $\rightarrow$ $zonke$ | ZO-                            | azi-   | zona  | ezi- | zo-        | zi- |
| 11   | $lu$ -onke $\rightarrow lonke$   | lo-                            | alu-   | lona  | olu- | lo-        | lu- |
| (10) | $zi$ -onke $\rightarrow zonke$   | zo-                            | azi-   | zona  | ezi- | zo-        | zi- |
| 14   | $ba$ -onke $\rightarrow bonke$   | bo-                            | abu-   | bona  | obu- | bo-        | bu- |
| 15   | $ku$ -onke $\rightarrow$ konke   | zo-                            | aku-   | khona | oku- | zo-        | ku- |



| $\overline{\mathbf{NC}}$ | QC (all)                         |            |      | PRON  | $\mathbf{RC}$ | $QC_{dwa}$ | EC  |
|--------------------------|----------------------------------|------------|------|-------|---------------|------------|-----|
|                          | $ m QC_{oral+onke}$              | $QC_{nke}$ |      |       |               |            |     |
| 1                        | $u$ -onke $\rightarrow$ wonke    | wo-        | aka- | yena  | D-            | ye-        | mu- |
| 2                        | $ba$ -onke $\rightarrow bonke$   | bo-        | aba- | bona  | aba-          | bo-        | ba- |
| 1a                       | $u$ -onke $\rightarrow$ wonke    | wo-        | aka- | yena  | O-            | ye-        | mu- |
| $^{2a}$                  | $ba$ -onke $\rightarrow bonke$   | bo-        | aba- | bona  | aba-          | bo-        | ba- |
| 3a                       | $u$ -onke $\rightarrow$ wonke    | wo-        | aka- | wona  | <b>D</b> -    | ye-        | mu- |
| (2a)                     | $ba$ -onke $\rightarrow bonke$   | bo-        | aba- | bona  | aba-          | bo-        | ba- |
| 3                        | $u$ -onke $\rightarrow$ wonke    | wo-        | awu- | wona  | <b>D</b> -    | wo-        | mu- |
| 4                        | $i$ -onke $\rightarrow$ yonke    | yo-        | ayi- | yona  | e-            | yo-        | mi- |
| 5                        | $li$ -onke $\rightarrow lonke$   | lo-        | ali- | lona  | eli-          | lo-        | li- |
| 6                        | $a$ -onke $\rightarrow$ onke     | 0-         | awa- | wona  | a-            | wo-        | ma- |
| 7                        | $si$ -onke $\rightarrow$ sonke   | so-        | asi- | sona  | esi-          | so-        | si- |
| 8                        | $zi$ -onke $\rightarrow zonke$   | zo-        | azi- | zona  | ezi           | zo-        | zi- |
| 9a                       | $i$ -onke $\rightarrow$ yonke    | yo-        | ayi- | yona  | e-            | yo-        | yi- |
| (6)                      | $a$ -onke $\rightarrow$ onke     | 0-         | awa- | wona  | a-            | wo-        | ma- |
| 9                        | i-onke $\rightarrow$ yonke       | уо-        | ayi- | yona  | e-            | yo-        | yi- |
| 10                       | $zi$ -onke $\rightarrow$ $zonke$ | zo-        | azi- | zona  | ezi-          | zo-        | zi- |
| 11                       | $lu$ -onke $\rightarrow lonke$   | lo-        | alu- | lona  | olu-          | lo-        | lu- |
| (10)                     | $zi$ -onke $\rightarrow zonke$   | zo-        | azi- | zona  | ezi-          | zo-        | zi- |
| 14                       | $ba$ -onke $\rightarrow bonke$   | bo-        | abu- | bona  | obu-          | bo-        | bu- |
| 15                       | $ku$ -onke $\rightarrow$ konke   | zo-        | aku- | khona | oku-          | zo-        | ku- |



**Discussion and Conclusions** 

- Plain subsumption:
  - $N_1$  <copulative ng/y depending on first letter of  $N_2 > N_2$ .
- And with negation:
  - <All-concord for  $NC_x$ >onke <plural  $N_1$ , being of  $NC_x$ > <NEG SC of  $NC_x$ > <PRON of  $NC_y$ > < $N_2$  with  $NC_y$ >.

```
1: C set of classes, language L with \sqsubseteq for subsumption and \neg for negation; variables: A
     axiom, NC_i nounclass, c_1, c_2 \in \mathcal{C}, a_1 term, a_2 letter; functions: getFirstClass(A),
     getSecondClass(A), getNC(C), pluralizeNoun(C, NC_i), checkNegation(A),
     qetFirstChar(C), qetNSC(NC_i), qetPNC(NC_i).
Require: axiom A with a \square has been retrieved
 2: c_1 \leftarrow getFirstClass(A)
                                                                                             {get subclass}
 3: c_2 \leftarrow qetSecondClass(A)
                                                                                           {get superclass}
 4: NC_1 \leftarrow aetNC(c_1)
                                                   determine noun class by augment and prefix or dictionary
 5: NC_2 \leftarrow aetNC(c_2)
                                                   determine noun class by augment and prefix or dictionary
 6: if checkNegation(A) = true then
          NC'_1 \leftarrow \text{lookup plural nounclass of } NC_1
 7:
                                                                                          {from known list}
 8:
          c_1' \leftarrow pluralizeNoun(c_1, NC_1')
          a_1 \leftarrow \text{lookup quantitative concord for } NC'_1
                                                                     {from quantitative concord (QC(all)) list}
10:
          n \leftarrow aetNSC(NC'_1)
                                                                       \{\text{get negative subject concord for } c'_1\}
11:
          p \leftarrow getPNC(NC_2)
                                                                                      \{\text{get pronomial for } c_2\}
12:
           Result \leftarrow ' a_1 c'_1 np c_2.'
                                                                                 {verbalise the disjointness}
13: else
14:
           a_2 \leftarrow getFirstChar(c_2)
                                                                                   \{\text{retrieve first letter of } c_2\}
15:
           select case
16:
                a_2 =  'i' then
17:
                     Result \leftarrow ' c_1 vc_2'
                                                                {verbalise as taxonomic subsumption with y}
                a_2 = \{\text{`a', 'o', 'u'}\} \text{ then }
18:
19:
                     Result \leftarrow ' c_1 \operatorname{ng} c_2'
                                                               {verbalise as taxonomic subsumption with ng}
20:
                a_2 \notin \{\text{`a', 'i', 'o', 'u',}\} \text{ then }
                     Result ← 'this is not a well-formed isiZulu noun'
21:
22:
           end select case
23: end if
24: return RESULT
```

```
1: C set of classes, language L with \sqsubseteq for subsumption and \neg for negation; variables: A
     axiom, NC_i nounclass, c_1, c_2 \in \mathcal{C}, a_1 term, a_2 letter: functions: actFirstClass(A),
     qetSecondClass(A), qetNC(C), pluralize
                                                                                                   tion(A).
                                                                   retrieve class and get
     qetFirstChar(C), qetNSC(NC_i), qetPNC(NC_i)
                                                                        its noun class
Require: axiom A with a \square has been retrieved
 2: c_1 \leftarrow getFirstClass(A)
                                                                                               get subclass
 3: c_2 \leftarrow qetSecondClass(A)
                                                                                            {get superclass
 4: NC_1 \leftarrow aetNC(c_1)
                                                   determine noun class by augment and prefix or dictionary
 5: NC_2 \leftarrow aetNC(c_2)
                                                    determine noun class by augment and prefix or dictionary
 6: if checkNegation(A) = true then
          NC'_1 \leftarrow \text{lookup plural nounclass of } NC_1
 7:
                                                                                            {from known list}
 8:
          c_1' \leftarrow pluralizeNoun(c_1, NC_1')
          a_1 \leftarrow \text{lookup quantitative concord for } NC'_1
                                                                     {from quantitative concord (QC(all)) list}
10:
           n \leftarrow aetNSC(NC'_1)
                                                                        \{\text{get negative subject concord for } c'_1\}
11:
          p \leftarrow getPNC(NC_2)
                                                                                       \{\text{get pronomial for } c_2\}
12:
           Result \leftarrow ' a_1 c'_1 np c_2.'
                                                                                  {verbalise the disjointness}
13: else
14:
           a_2 \leftarrow getFirstChar(c_2)
                                                                                    \{\text{retrieve first letter of } c_2\}
15:
           select case
16:
                a_2 =  'i' then
17:
                     Result \leftarrow ' c_1 vc_2'
                                                                 {verbalise as taxonomic subsumption with y}
                a_2 = \{\text{`a', 'o', 'u'}\} \text{ then }
18:
19:
                     Result \leftarrow ' c_1 \operatorname{ng} c_2'
                                                               {verbalise as taxonomic subsumption with ng}
                a_2 \notin \{\text{`a', 'i', 'o', 'u',}\} \text{ then }
20:
                     Result ← 'this is not a well-formed isiZulu noun'
21:
22:
           end select case
23: end if
24: return RESULT
```

```
1: C set of classes, language L with \sqsubseteq for subsumption and \neg for negation; variables: A
    axiom, NC_i nounclass, c_1, c_2 \in \mathcal{C}, a_1 term, a_2 letter; functions: getFirstClass(A),
    getSecondClass(A), getNC(C), pluralizeNoun(C, NC_i), checkNegation(A),
    qetFirstChar(C), qetNSC(NC_i), qetPNC(NC_i).
Require: axiom A with a \square has been retrieved
 2: c_1 \leftarrow getFirstClass(A)
                                                                                            {get subclass}
 3: c_2 \leftarrow qetSecondClass(A)
                                                                                          {get superclass}
 4: NC_1 \leftarrow aetNC(c_1)
                                                  determine noun class by augment and prefix or dictionary
 5: NC_2 \leftarrow aetNC(c_2)
                                                  determine noun class by augment and prefix or dictionary
 6: if checkNegation(A) = true then
          NC'_1 \leftarrow \text{lookup plural nounclass of } NC_1
 7:
                                                                                         {from known list}
          c'_1 \leftarrow pluralizeNoun(c_1, NC'_1)
 8:
          a_1 \leftarrow \text{lookup quantitative concord for } NC'_1
                                                                    {from quantitative sensord (QC(all)) list}
10:
          n \leftarrow aetNSC(NC'_1)
                                                                                                 \mathsf{vrd} for c'_i }
                                                                      {get
11:
          p \leftarrow getPNC(NC_2)
                                                                               'simple' ISA
                                                                                                 ial for co
12:
          Result \leftarrow ' a_1 c'_1 np c_2.'
                                                                                W anse the disjointness
13: else
14:
          a_2 \leftarrow getFirstChar(c_2)
                                                                                  {retrieve first letter of c2
15:
          select case
16:
                a_2 =  'i' then
17
                     Result \leftarrow ' c_1 vc_2'
                                                               {verbalise as taxonomic subsumption with v
                a_2 = \{\text{`a', 'o', 'u'}\} \text{ then }
18
                    Result \leftarrow ' c_1 \operatorname{ng} c_2'
19:
                                                              verbalise as taxonomic subsumption with no
20
                a_2 \notin \{\text{`a', 'i', 'o', 'u',}\} \text{ then }
21
                    Result ← 'this is not a well-formed isiZulu noun'
22
          end select case
23: end if
24: return RESULT
```

```
1: C set of classes, language L with \sqsubseteq for subsumption and \neg for negation; variables: A
     axiom, NC_i nounclass, c_1, c_2 \in \mathcal{C}, a_1 term, a_2 letter; functions: getFirstClass(A),
     getSecondClass(A), getNC(C), pluralizeNoun(C, NC_i), checkNegation(A),
     qetFirstChar(C), qetNSC(NC_i), qetPNC(NC_i).
Require: axiom A with a \square has been retrieved
 2: c_1 \leftarrow getFirstClass(A)
                                                                                             {get subclass}
 3: c_2 \leftarrow qetSecondClass(A)
                                                                                                    erclass
                                                                  negation (disjointness)
 4: NC_1 \leftarrow aetNC(c_1)
                                                  determine
                                                                                                  ctionary
 5: NC_2 \leftarrow aetNC(c_2)
                                                  determine noun class by ament and prefix or dictionary
 6: if checkNegation(A) = true then
          NC'_1 \leftarrow \text{lookup plural nounclass of } NC_1
 7:
                                                                                          from known list
 8:
          c'_1 \leftarrow pluralizeNoun(c_1, NC'_1)
 9:
          a_1 \leftarrow \text{lookup quantitative concord for } NC'_1
                                                                    {from quantitative concord (QC(all)) list}
10:
           n \leftarrow getNSC(NC'_1)
                                                                       \{\text{get negative subject concord for } c'_1\}
11:
          p \leftarrow getPNC(NC_2)
                                                                                      \{\text{get pronomial for } c_2\}
12:
           Result \leftarrow ' a_1 c'_1 np c_2.'
                                                                                 {verbalise the disjointness}
13: eise
14:
           a_2 \leftarrow getFirstChar(c_2)
                                                                                  {retrieve first letter of c2}
15:
           select case
16:
                a_2 =  'i' then
17:
                     Result \leftarrow ' c_1 vc_2'
                                                                {verbalise as taxonomic subsumption with y}
                a_2 = \{\text{`a', 'o', 'u'}\} \text{ then }
18:
19:
                     Result \leftarrow ' c_1 \operatorname{ng} c_2'
                                                              {verbalise as taxonomic subsumption with ng}
20:
                a_2 \notin \{\text{`a', 'i', 'o', 'u',}\} \text{ then }
                     Result ← 'this is not a well-formed isiZulu noun'
21:
22:
           end select case
23: end if
24: return RESULT
```

### Conjunction

- Conjunction as enumeration uses na
- Changes into (a + i =) ne or (a + u =) no, depending on the first letter of the second noun

isiZulu NLG

- Prefixed to the second noun that drops its first letter
- Conjunction as connective of clauses: kanye or futhi
  - (C1) Milk □ Butter Ubisi nebhotela (Ubisi + na + Ibhotela)
  - (C2) Butter ☐ Milk Ibhotela nobisi (Ibhotela + na + Ubisi)
  - (C3) ...∃has\_filling.Cream □ ∃has\_Icing.Lemon\_flavour... ...kune zigcwalisa ukhilimu kanye nezinye uqweqwe olunambitheka\_ulamula...

23:

24: end if 25: return RESULT

end if

### Algorithm 2 Determine the verbalization of conjunction in an axiom

```
1: \mathcal{R} is the set of relationships, \mathcal{A} of attributes, \mathcal{C} of classes, and language \mathcal{L}
     uses \sqcap to denote conjunction; variables: e_2, c_1 a letter, A axiom; functions:
     getNextVocabularyElement(A), getFirstChar(e_2).
Require: axiom with a \partial has been retrieved and position in string is known
 2: e_2 \leftarrow getNextVocabularyElement(A)
                                                                                  {retrieve element after the □}
 3: if e_2 \in \mathcal{R} \cup \mathcal{A} then
           Result \leftarrow 'kanve'
                                                                                         {verbalise 

as kanye}
 5: else
 6:
           if e_2 \in \mathcal{C} then
                 c_1 \leftarrow qetFirstChar(e_2)
                                                                                       {retrieve first letter of e_2}
                 select case
 8:
                       c_1 = 'i' then
 9:
10:
                            e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
11:
                            RESULT \leftarrow 'nee<sub>2</sub>''
                                                                                    {verbalise □ with ne- prefix}
12:
                       c_1 = 'u' then
13:
                            e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
14:
                            Result \leftarrow 'noe<sub>2</sub>''
                                                                                    {verbalise 

with no- prefix}
15:
                       c_1 =  'a' then
16:
                            e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
17:
                            RESULT \leftarrow 'nae_2''
                                                                                    {verbalise 

with na- prefix}
18:
                       c_1 \notin \{\text{'i', 'u', 'a'}\} \text{ then }
                            Result ← 'this is not a well-formed isiZulu noun'
19:
20:
                 end select case
21:
           else
22:
                 Result ← 'this is not a well-formed axiom'
```

25: return RESULT

```
Algorithm 2 Determine the verbalization of conjunction in an axiom
 1: R is the set of relationships, A of attributes
                                                                                           language \mathcal{L}
     uses □ to denote conjunction; variables:
                                                                                                     ctions:
                                                                  enum-and or conn-and?
     qetNextVocabularyElement(A), qetFirstCharacteristics
Require: axiom with a | has been retrieved and position string is known
 2: e_2 \leftarrow getNextVocabularuElement(A)
                                                                                {retrieve element after the □}
 3: if e_2 \in \mathcal{R} \cup \mathcal{A} then
          Result \leftarrow 'kanve'
                                                                                      {verbalise 

as kanye}
 5: else
 6:
          if e_2 \in \mathcal{C} then
                c_1 \leftarrow qetFirstChar(e_2)
                                                                                    {retrieve first letter of e_2}
                select case
 8:
                      c_1 = 'i' then
 9:
10:
                           e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
11:
                           RESULT \leftarrow 'nee<sub>2</sub>''
                                                                                 {verbalise □ with ne- prefix}
12:
                      c_1 = 'u' then
13:
                           e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
14:
                           Result \leftarrow 'noe<sub>2</sub>''
                                                                                 {verbalise 

with no- prefix}
15:
                      c_1 =  'a' then
16:
                           e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
17:
                           RESULT \leftarrow 'nae_2''
                                                                                 {verbalise 

with na- prefix}
18:
                      c_1 \notin \{\text{'i', 'u', 'a'}\} \text{ then }
                           Result ← 'this is not a well-formed isiZulu noun'
19:
20:
                end select case
21:
           else
22:
                 Result \leftarrow 'this is not a well-formed axiom'
23:
           end if
24: end if
```

21:

22:

23:

24: end if 25: return RESULT

else

end if

```
Algorithm 2 Determine the verbalization of conjunction in an axiom
 1: \mathcal{R} is the set of relationships, \mathcal{A} of attributes, \mathcal{C} of classes, and language \mathcal{L}
     uses \sqcap to denote conjunction; variables: e_2, c_1 a letter, \underline{A} axiom; functions:
     getNextVocabularyElement(A), getFirstChar(e_2)
                                                                              connective-and
Require: axiom with a \pi has been retrieved and posit
 2: e_2 \leftarrow getNextVocabularuElement(A)
                                                                                  D neve element after the □
 3: if e_2 \in \mathcal{R} \cup \mathcal{A} then
           Result \leftarrow 'kanve'
                                                                                         {verbalise 

as kanye}
 5: else
 6:
           if e_2 \in \mathcal{C} then
                 c_1 \leftarrow qetFirstChar(e_2)
                                                                                      {retrieve first letter of e_2}
                 select case
 8:
                       c_1 = 'i' then
 9:
10:
                            e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
11:
                            RESULT \leftarrow 'nee<sub>2</sub>''
                                                                                    {verbalise □ with ne- prefix}
12:
                       c_1 = 'u' then
13:
                            e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
14:
                            Result \leftarrow 'noe<sub>2</sub>''
                                                                                    {verbalise 

with no- prefix}
15:
                       c_1 =  'a' then
16:
                            e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
17:
                            RESULT \leftarrow 'nae_2''
                                                                                    {verbalise 

with na- prefix}
18:
                       c_1 \notin \{\text{'i', 'u', 'a'}\} \text{ then }
                            Result ← 'this is not a well-formed isiZulu noun'
19:
20:
                 end select case
```

Result ← 'this is not a well-formed axiom'

25: return RESULT

### Algorithm 2 Determine the verbalization of conjunction in an axiom

R is the set of relationships, A of attributes, C of classes, and language L
uses □ to denote conjunction; variables: e<sub>2</sub>, c<sub>1</sub> a letter, A axiom; functions:
getNextVocabularyElement(A), getFirstChar(e<sub>2</sub>).

```
Require: axiom with a \partial has been retrieved and position in string is known
 2: e_2 \leftarrow getNextVocabularyElement(A)
                                                                                      {retrieve element after the □}
 3: if e_2 \in \mathcal{R} \cup \mathcal{A} then
           Result \leftarrow 'kanve'
                                                                                  enumerative-and
                                                                                                             s kanye}
 5: else
           if e_2 \in \mathcal{C} then
                  c_1 \leftarrow qetFirstChar(e_2)
                                                                                           \{\text{retrieve first letter of } e_2\}
 8:
                 select case
 9:
                        c_1 = 'i' then
10:
                             e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
11:
                             RESULT \leftarrow 'nee<sub>2</sub>''
                                                                                        {verbalise 

with ne- prefix}
12:
                        c_1 = 'u' then
13:
                             e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
                             RESULT \leftarrow 'noe<sub>2</sub>'
14:
                                                                                        {verbalise 

with no- prefix}
15:
                        c_1 =  'a' then
16:
                             e_2^- \leftarrow \text{drop } c_1 \text{ from } e_2
17:
                             RESULT \leftarrow 'nae_2''
                                                                                        {verbalise 

with na- prefix}
18:
                        c_1 \notin \{\text{'i', 'u', 'a'}\} \text{ then }
                             RESULT ← 'this is not a well-formed isiZulu noun'
19:
20:
                  end select case
21:
            else
22:
                  Result ← 'this is not a well-formed axiom'
23:
            end if
24: end if
```

### Existential Quantification

'simple' option in front of the object property

Some other examples, and breakdown:

| noun                       | NC       | RC   | QC            | QSuffix |
|----------------------------|----------|------|---------------|---------|
| ihlamvana ('twig')         | class 5  | eli- | -lo-          | -dwa    |
| <i>isifundo</i> ('module') | class 7  | esi- | -50-          | -dwa    |
| ushizi ('cheese')          | class 3a | 0-   | - <i>ye</i> - | -dwa    |

• Pattern:  $\langle All\text{-concord for NC}_x \rangle$  onke  $\langle pl. N_1$ , is in NC<sub>x</sub> $\rangle$ <conjugated verb> < $N_2$  of NC $_V>$  <RC for NC $_V>$ <QC for  $NC_{\nu}$ >dwa.

| NC   | QC (all)                        |            | NEG SC | PRON  | RC   | $QC_{dwa}$ | EC  |
|------|---------------------------------|------------|--------|-------|------|------------|-----|
|      | $ m QC_{oral+onke}$             | $QC_{nke}$ |        |       |      |            |     |
| 1    | $u$ -onke $\rightarrow$ wonke   | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| 2    | $ba$ -onke $\rightarrow bonke$  | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 1a   | $u$ -onke $\rightarrow$ wonke   | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| 2a   | $ba$ -onke $\rightarrow bonke$  | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3a   | $u$ -onke $\rightarrow$ wonke   | wo-        | aka-   | wona  | 0-   | ye-        | mu- |
| (2a) | $ba$ -onke $\rightarrow bonke$  | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3    | $u$ -onke $\rightarrow$ wonke   | wo-        | awu-   | wona  | 0-   | wo-        | mu- |
| 4    | i-onke $\rightarrow$ yonke      | yo-        | ayi-   | yona  | e-   | yo-        | mi- |
| 5    | $li$ -onke $\rightarrow lonke$  | lo-        | ali-   | lona  | eli- | lo-        | li- |
| 6    | $a$ -onke $\rightarrow$ onke    | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 7    | $si$ -onke $\rightarrow$ sonke  | so-        | asi-   | sona  | esi- | so-        | si- |
| 8    | $zi$ -onke $\rightarrow zonke$  | zo-        | azi-   | zona  | ezi  | zo-        | zi- |
| 9a   | $i$ -onke $\rightarrow$ yonke   | yo-        | ayi-   | yona  | e-   | yo-        | yi- |
| (6)  | $\text{a-onke} \to \text{onke}$ | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 9    | $i$ -onke $\rightarrow$ yonke   | yo-        | ayi-   | yona  | e-   | yo-        | yi- |
| 10   | $zi$ -onke $\rightarrow zonke$  | zo-        | azi-   | zona  | ezi- | zo-        | zi- |
| 11   | $lu$ -onke $\rightarrow lonke$  | lo-        | alu-   | lona  | olu- | lo-        | lu- |
| (10) | $zi$ -onke $\rightarrow zonke$  | zo-        | azi-   | zona  | ezi- | zo-        | zi- |
| 14   | $ba$ -onke $\rightarrow bonke$  | bo-        | abu-   | bona  | obu- | bo-        | bu- |
| 15   | $ku$ -onke $\rightarrow$ konke  | zo-        | aku-   | khona | oku- | zo-        | ku- |



| NC      | QC (all)                         |                       | NEG SC | PRON  | RC   | $QC_{dwa}$ | EC  |
|---------|----------------------------------|-----------------------|--------|-------|------|------------|-----|
|         | $ m QC_{oral+onke}$              | $ \mathbf{QC_{nke}} $ |        |       |      |            |     |
| 1       | $u$ -onke $\rightarrow$ wonke    | wo-                   | aka-   | yena  | 0-   | ye-        | mu- |
| 2       | $ba$ -onke $\rightarrow bonke$   | bo-                   | aba-   | bona  | aba- | bo-        | ba- |
| 1a      | $u$ -onke $\rightarrow$ wonke    | wo-                   | aka-   | yena  | 0-   | ye-        | mu- |
| $^{2a}$ | $ba$ -onke $\rightarrow bonke$   | bo-                   | aba-   | bona  | aba- | bo-        | ba- |
| 3a      | $u$ -onke $\rightarrow$ wonke    | wo-                   | aka-   | wona  | 0-   | ye-        | mu- |
| (2a)    | $ba$ -onke $\rightarrow bonke$   | bo-                   | aba-   | bona  | aba- | bo-        | ba- |
| 3       | $u$ -onke $\rightarrow$ wonke    | wo-                   | awu-   | wona  | 0-   | wo-        | mu- |
| 4       | i-onke $\rightarrow$ yonke       | yo-                   | ayi-   | yona  | e-   | уо-        | mi- |
| 5       | $li$ -onke $\rightarrow lonke$   | lo-                   | ali-   | lona  | eli- | lo-        | li- |
| 6       | $a$ -onke $\rightarrow$ onke     | 0-                    | awa-   | wona  | a-   | wo-        | ma- |
| 7       | $si$ -onke $\rightarrow$ sonke   | SO-                   | asi-   | sona  | esi- | so-        | si- |
| 8       | $zi$ -onke $\rightarrow zonke$   | zo-                   | azi-   | zona  | ezi  | zo-        | zi- |
| 9a      | $i$ -onke $\rightarrow$ yonke    | yo-                   | ayi-   | yona  | e-   | уо-        | yi- |
| (6)     | $a$ -onke $\rightarrow$ onke     | 0-                    | awa-   | wona  | a-   | wo-        | ma- |
| 9       | i-onke $\rightarrow$ yonke       | yo-                   | ayi-   | yona  | e-   | уо-        | yi- |
| 10      | $zi$ -onke $\rightarrow$ $zonke$ | zo-                   | azi-   | zona  | ezi- | zo-        | zi- |
| 11      | $lu$ -onke $\rightarrow lonke$   | lo-                   | alu-   | lona  | olu- | lo-        | lu- |
| (10)    | $zi$ -onke $\rightarrow zonke$   | zo-                   | azi-   | zona  | ezi- | zo-        | zi- |
| 14      | $ba$ -onke $\rightarrow bonke$   | bo-                   | abu-   | bona  | obu- | bo-        | bu- |
| 15      | $ku$ -onke $\rightarrow$ konke   | zo-                   | aku-   | khona | oku- | zo-        | ku- |



| NC   | QC (all)                         |            | NEG SC | PRON  | RC   | $QC_{dwa}$ | EC  |
|------|----------------------------------|------------|--------|-------|------|------------|-----|
|      | ${ m QC}_{ m oral+onke}$         | $QC_{nke}$ |        |       |      |            |     |
| 1    | $u$ -onke $\rightarrow$ wonke    | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| 2    | $ba$ -onke $\rightarrow bonke$   | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 1a   | $u$ -onke $\rightarrow$ wonke    | wo-        | aka-   | yena  | 0-   | ye-        | mu- |
| 2a   | $ba$ -onke $\rightarrow bonke$   | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3a   | $u$ -onke $\rightarrow$ wonke    | wo-        | aka-   | wona  | 0-   | ye-        | mu- |
| (2a) | $ba$ -onke $\rightarrow bonke$   | bo-        | aba-   | bona  | aba- | bo-        | ba- |
| 3    | $u$ -onke $\rightarrow$ wonke    | wo-        | awu-   | wona  | 0-   | wo-        | mu- |
| 4    | i-onke $\rightarrow$ yonke       | yo-        | ayi-   | yona  | e-   | yo-        | mi- |
| 5    | $li$ -onke $\rightarrow$ $lonke$ | lo-        | ali-   | lona  | eli- | lo-        | li- |
| 6    | $a$ -onke $\rightarrow$ onke     | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 7    | $si$ -onke $\rightarrow$ sonke   | so-        | asi-   | sona  | esi- | SO-        | si- |
| 8    | $zi$ -onke $\rightarrow zonke$   | zo-        | azi-   | zona  | ezi  | zo-        | zi- |
| 9a   | i-onke $\rightarrow$ yonke       | yo-        | ayi-   | yona  | e-   | yo-        | yi- |
| (6)  | a-onke $\rightarrow$ onke        | 0-         | awa-   | wona  | a-   | wo-        | ma- |
| 9    | i-onke $\rightarrow$ yonke       | yo-        | ayi-   | yona  | e-   | yo-        | yi- |
| 10   | $zi$ -onke $\rightarrow zonke$   | zo-        | azi-   | zona  | ezi- | zo-        | zi- |
| 11   | $lu$ -onke $\rightarrow lonke$   | lo-        | alu-   | lona  | olu- | lo-        | lu- |
| (10) | $zi$ -onke $\rightarrow zonke$   | ZO-        | azi-   | zona  | ezi- | zo-        | zi- |
| 14   | $ba$ -onke $\rightarrow bonke$   | bo-        | abu-   | bona  | obu- | bo-        | bu- |
| 15   | $ku$ -onke $\rightarrow$ konke   | zo-        | aku-   | khona | oku- | ZO-        | ku- |



Algorithm 3 Determine the verbalization of existential quantification with object property (first, basic, version)

```
    C set of classes, language L with □ for subsumption and ∃ for existential quan-

    tification; variables: A axiom, NC_i noun class, c_1, c_2 \in C, o \in R, a_1 a term;
    r_2, q_2 concords; functions: getFirstClass(A), getSecondClass(A), getNC(C),
    pluralizeNoun(C, NC_i), getRC(NC_i) getQC(NC_i).
Require: axiom A with a \sqsubseteq and a \exists on the rhs of the inclusion has been retrieved
2: c_1 \leftarrow qetFirstClass(A)
                                                                                          { get subclass }
3: c_2 \leftarrow qetSecondClass(A)
                                                                                        { get superclass }
4: o ← qetObjProp(A)
                                                                                    {get object property}
5: NC_1 \leftarrow qetNC(c_1)
                                                {determine noun class by augment and prefix or dictionary}
6: NC_2 \leftarrow qetNC(c_2)
                                                {determine noun class by augment and prefix or dictionary}
7: NC'_1 \leftarrow \text{lookup plural nounclass of } NC_1
                                                                                       {from known list}
8: c'_1 \leftarrow pluralizeNoun(c_1, NC'_1)
9: a_1 \leftarrow \text{lookup quantitative concord for } NC'_1
                                                                  {from quantitative concord (QC(all)) list}
10: o' ← AlgoConjugate(o, NC<sub>1</sub>)
                                                            {call algorithm AlgoConjugate to conjugate o}
11: r_2 \leftarrow aetRC(NC_2)
                                                                             \{\text{get relative concord for } c_2\}
12: q_2 \leftarrow getQC(NC_2)
                                                      \{get\ quantitative\ concord\ for\ c_2\ from\ the\ QC_{dwa}-list\}
13: Result \leftarrow ' a_1 c'_1 o' c_2 r_2q_2dwa.'
                                                                             {verbalise the simple axiom}
14: return RESULT
```

### Example

•  $\forall x \; (\mathsf{Professor}(x) \to \exists y \; (\mathsf{teaches}(x,y) \land \mathsf{Course}(y)))$ 

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- Each Professor teaches at least one Course

### Example

Motivation

•  $\forall x \; (\mathsf{Professor}(x) \to \exists y \; (\mathsf{teaches}(x,y) \land \mathsf{Course}(y)))$ 

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- Professor 
   ☐ ∃ teaches.Course
- Each Professor teaches at least one Course
- $\forall x \ (\mathsf{uSolwazi}(x) \to \exists y \ (\mathsf{ufundisa}(x,y) \land \mathsf{lsifundo}(y)))$
- ?

 $\forall x \ (\mathsf{uSolwazi}(x) \to \exists y \ (\mathsf{ufundisa}(x,y) \land \mathsf{lsifundo}(y)))$  $\mathsf{uSolwazi} \sqsubseteq \exists \ \mathsf{ufundisa.lsifundo}$ 

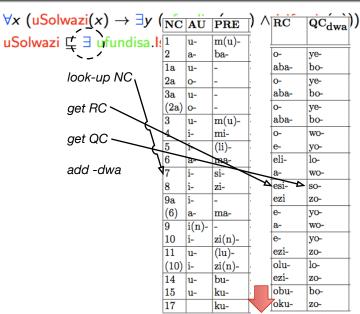
| $\forall x \ (\underline{uSolwazi}(x) \rightarrow$ | NC      | ATT   | PRE    | ľ v | v) ^ | lsifundo(v)))                    |
|--|---------|-------|--------|-----|------|----------------------------------|
|  |         | AU    |        | _^, | NC   | QC (all)                         |
| uSolwazi ⊑ ∃ ufunc                                 | 1       | u-    | m(u)-  | ŀ   |      |                                  |
| doctivazi = 1 draik                                | 2       | a-    | ba-    | ŀ   |      | QC <sub>oral+onke</sub>          |
| laali iin NO                                       | 1a      | u-    | -      | Ī.  | 1    | $u$ -onke $\rightarrow$ wonke    |
| look-up NC   | $_{2a}$ | 0-    | -      |     | 2    | $ba$ -onke $\rightarrow bonke$   |
| pluralise ———                                      | 3a      | u-    | -      | ļ.  | 1a   | $u$ -onke $\rightarrow$ wonke    |
|  | (2a)    | 0-    | -      |     |      | <u>ba-onke</u> → bonke           |
| for-all ————                                       | 3       | u-    | m(u)-  | ļ.  | 3a   | $u$ -onke $\rightarrow$ wonke    |
|  | 4       | i-    | mi-    |     | (2a) | $ba$ -onke $\rightarrow$ $bonke$ |
|  | 5       | i-    | (li)-  | ļ.  | 3    | $u$ -onke $\rightarrow$ wonke    |
|  | 6       | a-    | ma-    |     | 4    | i-onke $\rightarrow$ yonke       |
|  | 7       | i-    | si-    |     | 5    | $li$ -onke $\rightarrow$ $lonke$ |
|  | 8       | i-    | zi-    |     | 6    | $a$ -onke $\rightarrow$ onke     |
|  | 9a      | i-    | -      | ļ.  | 7    | $si-onke \rightarrow sonke$      |
|  | (6)     | a-    | ma-    |     | 8    | $zi$ -onke $\rightarrow$ $zonke$ |
|  | 9       | i(n)- | -      | ļ.  | 9a   | i-onke → yonke                   |
|  | 10      | i-    | zi(n)- |     | (6)  | $a$ -onke $\rightarrow$ onke     |
|  | 11      | u-    | (lu)-  | ŀ   | 9    | i-onke → yonke                   |
|  | (10)    | i-    | zi(n)- |     | 10   | zi-onke → zonke                  |
|  | 14      | u-    | bu-    | ŀ   | 11   | $lu$ -onke $\rightarrow lonke$   |
|  | 15      | u-    | ku-    | ŀ   | (10) | $zi$ -onke $\rightarrow zonke$   |
|  | 17      |       | ku-    |     | 14   | ba-onke → bonke                  |
| Bonke oSolwazi                                     |         |       |        |     | 15   | $ku$ -onke $\rightarrow$ konke   |

```
\forall x \; (\mathsf{uSolwazi}(x) \to \exists y \; (\mathsf{ufundisa}(x,y) \land \mathsf{lsifundo}(y)))
\mathsf{uSolwazi} \sqsubseteq \exists (\mathsf{ufundisa})! \dots \; \mathsf{for} \; \mathsf{relevant} \; \mathsf{NC}. \; \mathsf{Here}: \\ ngi- \\ u- \\ u- \\ si- \\ ni- \\ ba-
```



$$\forall x \ (uSolwazi(x) \rightarrow \exists y \ (ufundisa(x,y) \land lsifundo(y)))$$
  
 $uSolwazi \sqsubseteq \exists \ ufundisa(lsifundo)$ 





Bonke oSolwazi bafundisa Isifundo esisodwa

- Template-based approach is not applicable to isiZulu (and, more generally: Bantu languages that have noun classes)
  - Or: grammar engine needed
- Devising the patterns hampered by outdated literature
- Several preferences for patterns
- Algorithms nontrivial; covering:
  - 'simple' existential and universal quantification
  - taxonomic subsumption
  - negation (class disjointness)
  - conjunction

### Conclusions

- Verbalizing formally represented knowledge in isiZulu requires a grammar engine even for the relatively basic language constructs
- Due to, principally:
  - the system of noun classes,
  - the system of complex agreement,
  - phonological conditioned copulatives, and
  - verb conjugation

# A few constructors, their typical verbalization in English, and the basic options in isiZulu

| DL sym-   | Sample verbalization | Sample verbalization in isiZulu                               |                           |  |
|-----------|----------------------|---|---------------------------|--|
| bol       | English              | (see text for additional rules)                               |                           |  |
|           | is a                 | Depends on what is on the rhs of   and desideratum:           |                           |  |
|           |                      | A) semantic distinction                                       |                           |  |
|           |                      | i) yi/ongu/uyi/ngu  | (living thing)            |  |
|           |                      | ii) iyi   | (non-living thing)        |  |
|           |                      | B) syntactic distinction                                      |                           |  |
|           |                      | iii) ng (nouns commencing with a, o, or u                     |                           |  |
|           |                      | iv) y (nouns  | (nouns commencing with i) |  |
| П         | and                  | Depends on the use of the □:                                  |                           |  |
|           |                      | i) na/ne/no   | (list of things)          |  |
|           |                      | ii) 1) futhi  | (connective)              |  |
|           |                      | 2) kanye  | (connective)              |  |
| $\neg$    | not                  | angi/akusiso/akusona/akubona/akulona/asibona/ akalona/akuyona |                           |  |
| 3         | 1) some              | Depends on position in axiom:                                 |                           |  |
|           | 2) there exists      | I. quantified over class, depends on meaning of class:        |                           |  |
|           | 3) at least one      | i) kuno   | (living thing)            |  |
|           |                      | ii) kune  | (non-living thing)        |  |
|           |                      | II. includes relation (preposition issue omitted):            |                           |  |
|           |                      | 1) [concords]dwa  |                           |  |
|           |                      | 2) noma [copulative + concord]phi                             |                           |  |
|           |                      | 3) thize  |                           |  |
| $\forall$ | 1) for all           | Depends on what it is quantified over:                        |                           |  |
|           | 2) each              | A) semantic distinction                                       |                           |  |
|           |                      | i) wonke/bonke/sonke/zonke                                    | (living thing)            |  |
|           |                      | ii) onke/konke/lonke/yonke                                    | (non-living thing)        |  |
|           |                      | B) another semantic distinction                               |                           |  |
|           |                      | i) use noun class   | 🖹 🕨 🖪 (see Table 8) 🌱     |  |

- To be done for 'full' OWL 2 EL and  $\mathcal{ALC}$ , mainly:
  - Transitivity
  - More elaborate axioms, such as  $\forall R.C \sqsubseteq \exists S.(D \sqcap E)$
  - Negation in other cases
  - Union
- Conjugation of verbs present and past tense, and the prepositions (taught by, works for)
- Implement it

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