

BONDING IN MOLECULES

PART 2: VB THEORY

General Chemistry I, Lecture Series 10

Pengxin Liu

Reading:

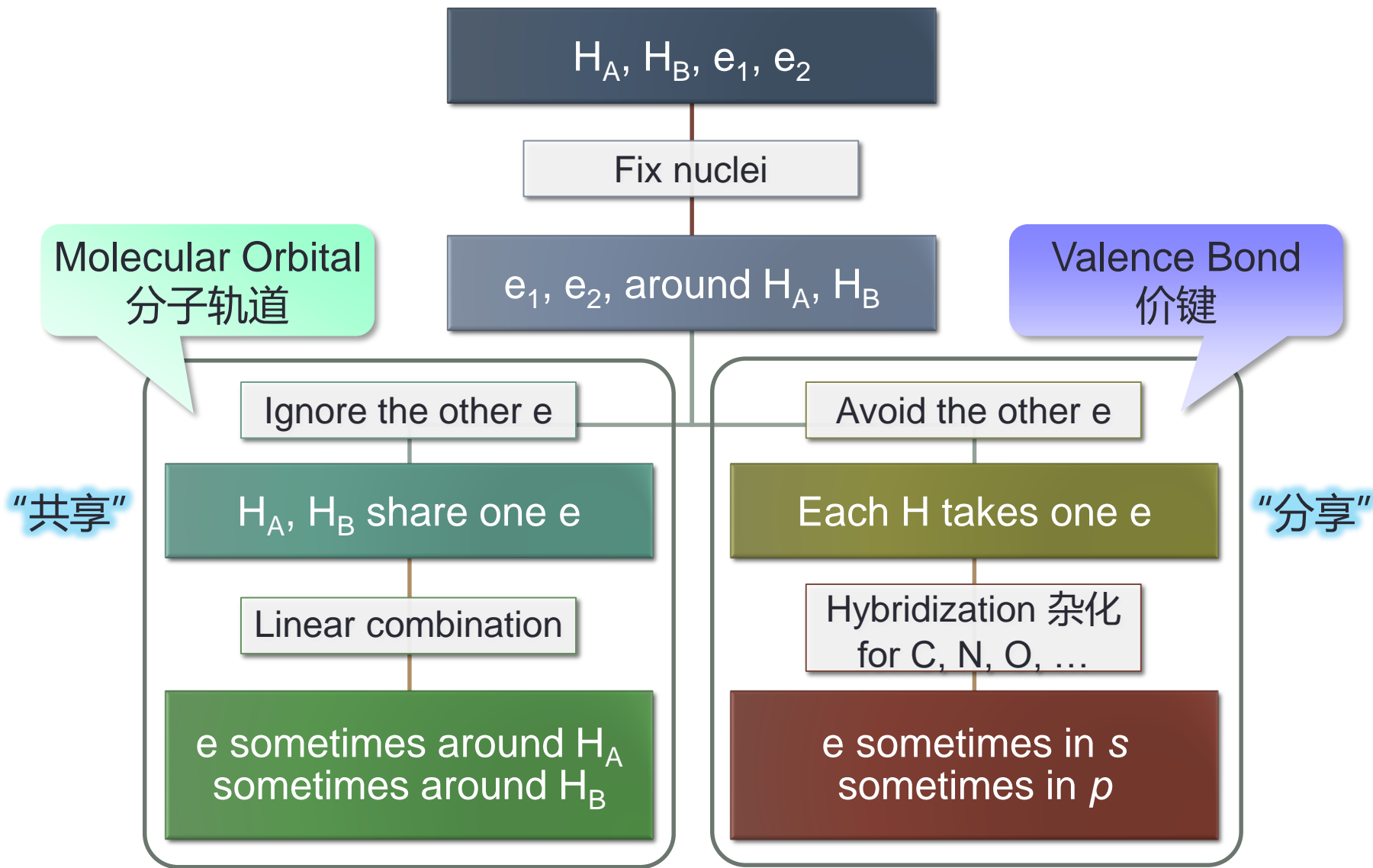
OGB8 §3.10, §3.11



Outline

- Valence Bond Theory (1927)
- Lewis dot structures (1916)
- Hybridization and VSEPR theory (1958)

H₂: Levels of Approximation

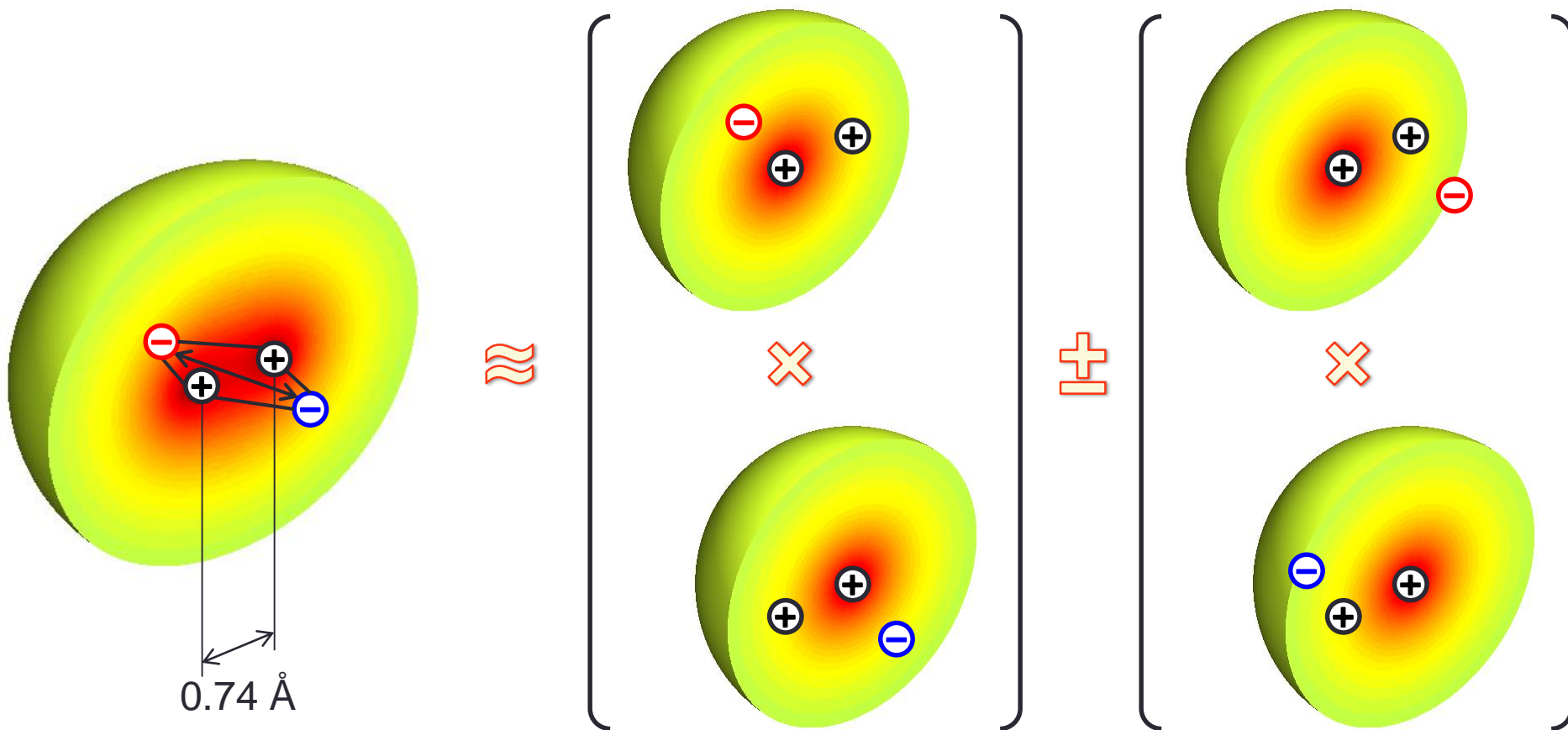


Inspiration of VB theory

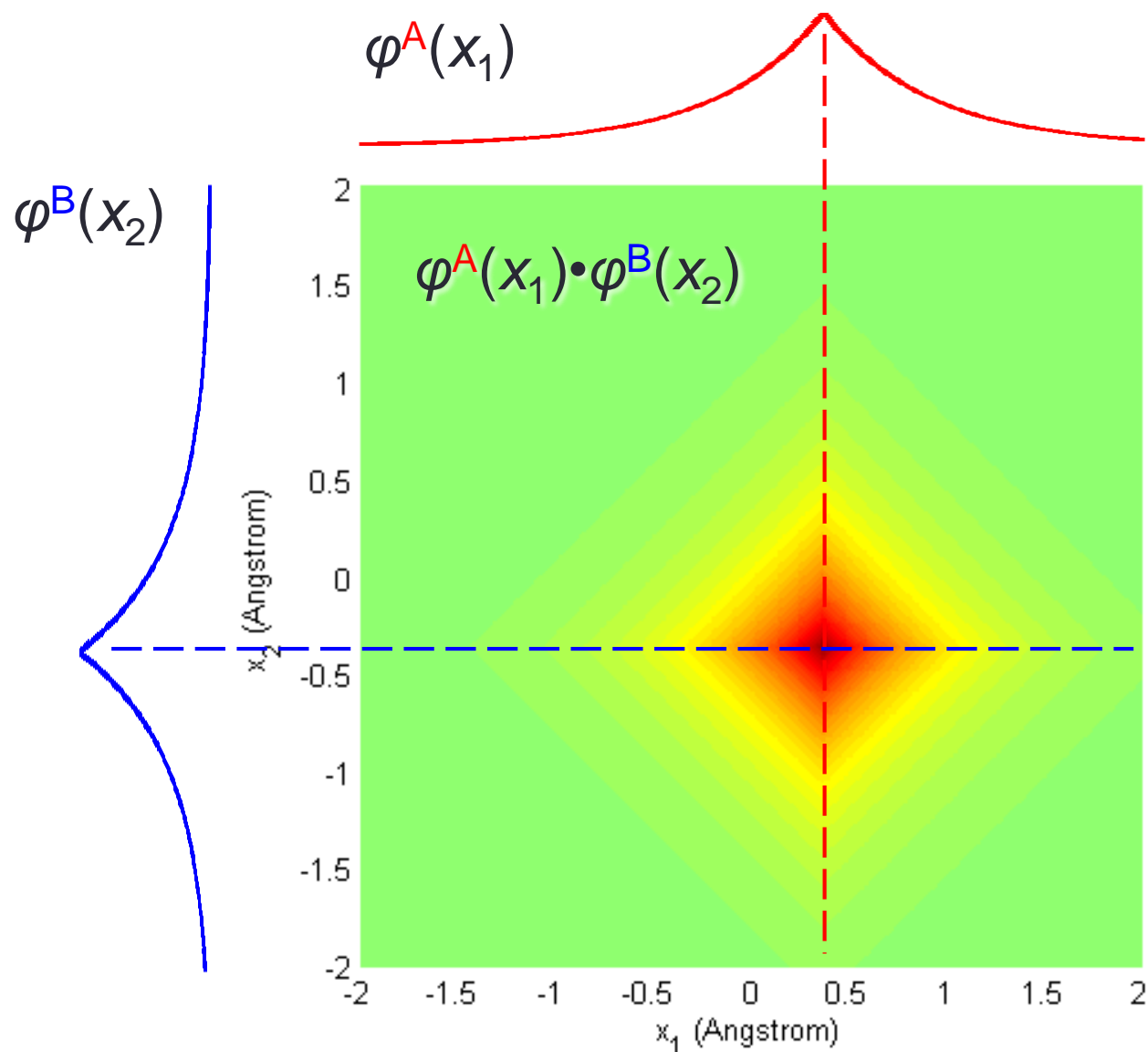
- The characteristics (bond length, bond energy, polarity, etc.) of specific chemical bonds such as O-H, C-C, and C-H do not differ much from molecule to molecule.
- Justification for the Lewis electron pair model.
- Assuming that each participating atom arrives with at least one unpaired electron in an AO

The Valence Bond Theory

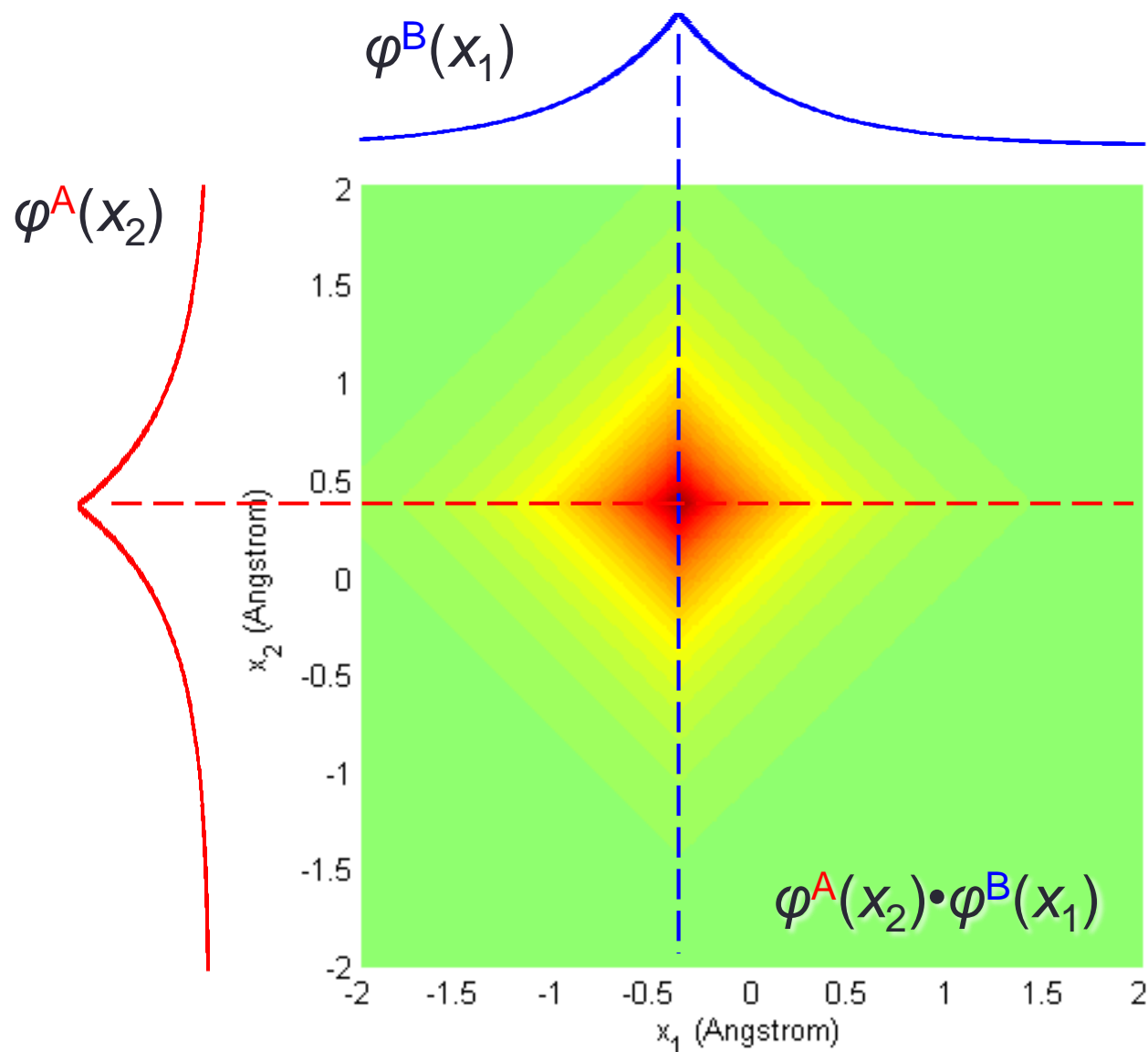
$\text{H}-\text{H} \approx \text{H} \cdot_{\times} \text{H}$ or $\text{H}_{\times} \cdot \text{H}$, but neither $\text{H} \text{H}_{\times}$ nor $\cdot_{\times} \text{H} \text{H}$.



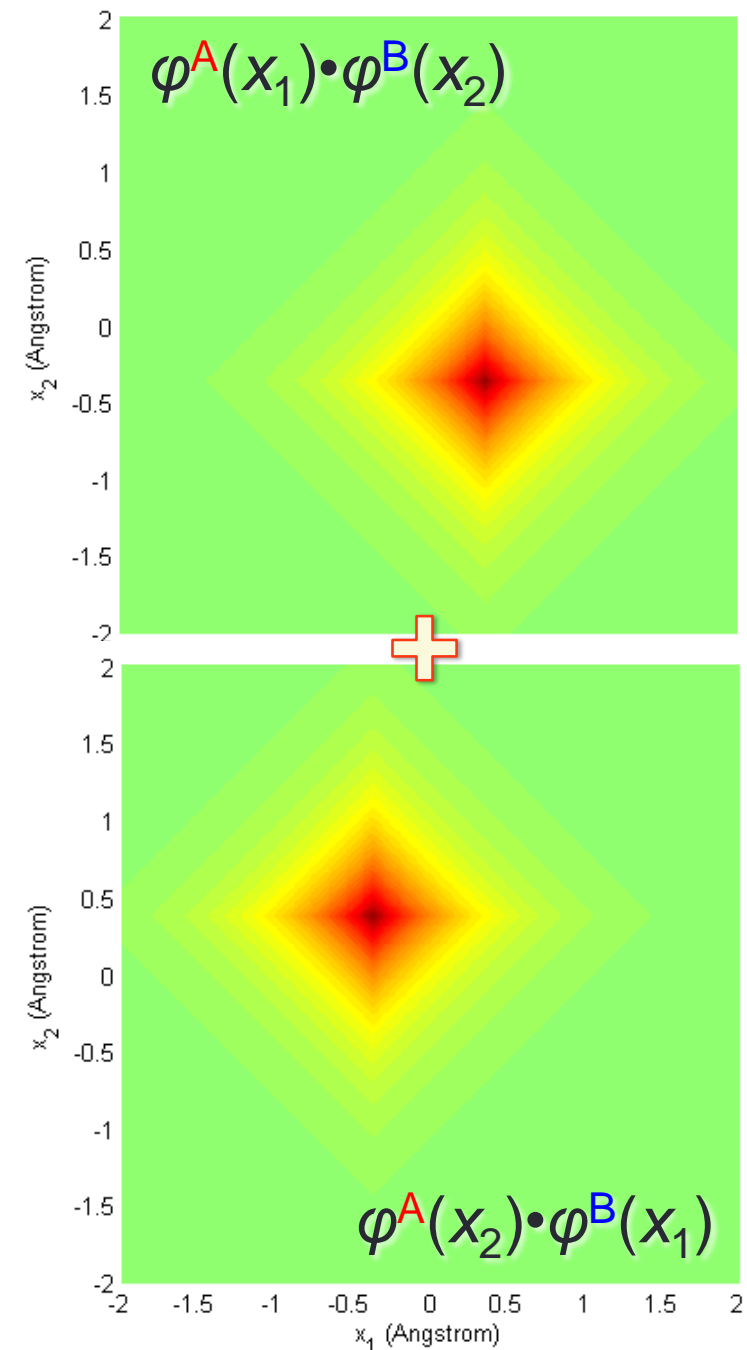
The VB Wavefunction in 1D (1)



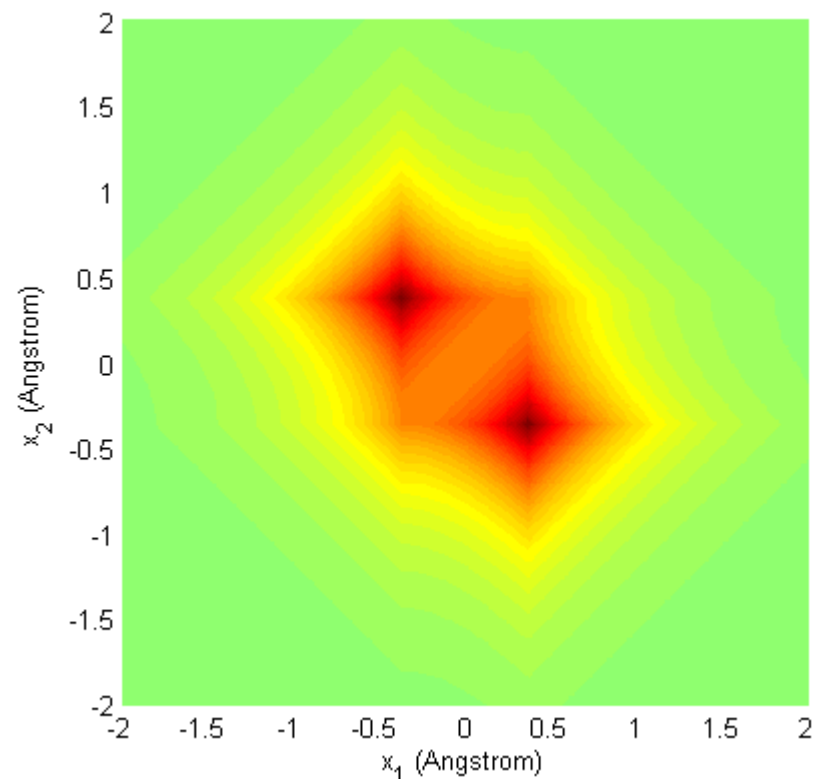
The VB Wavefunction in 1D (2)



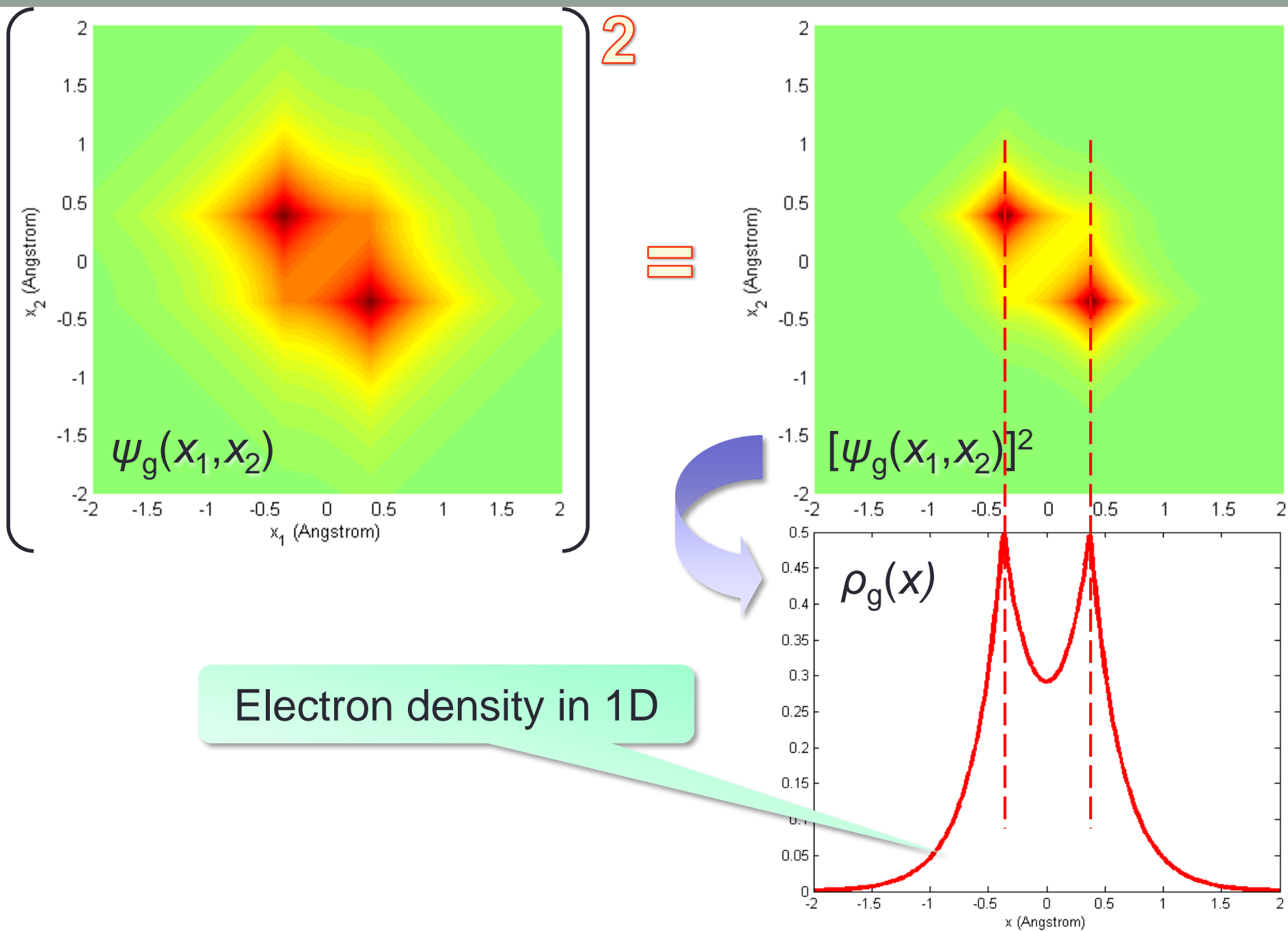
VB Wavefunction (3)



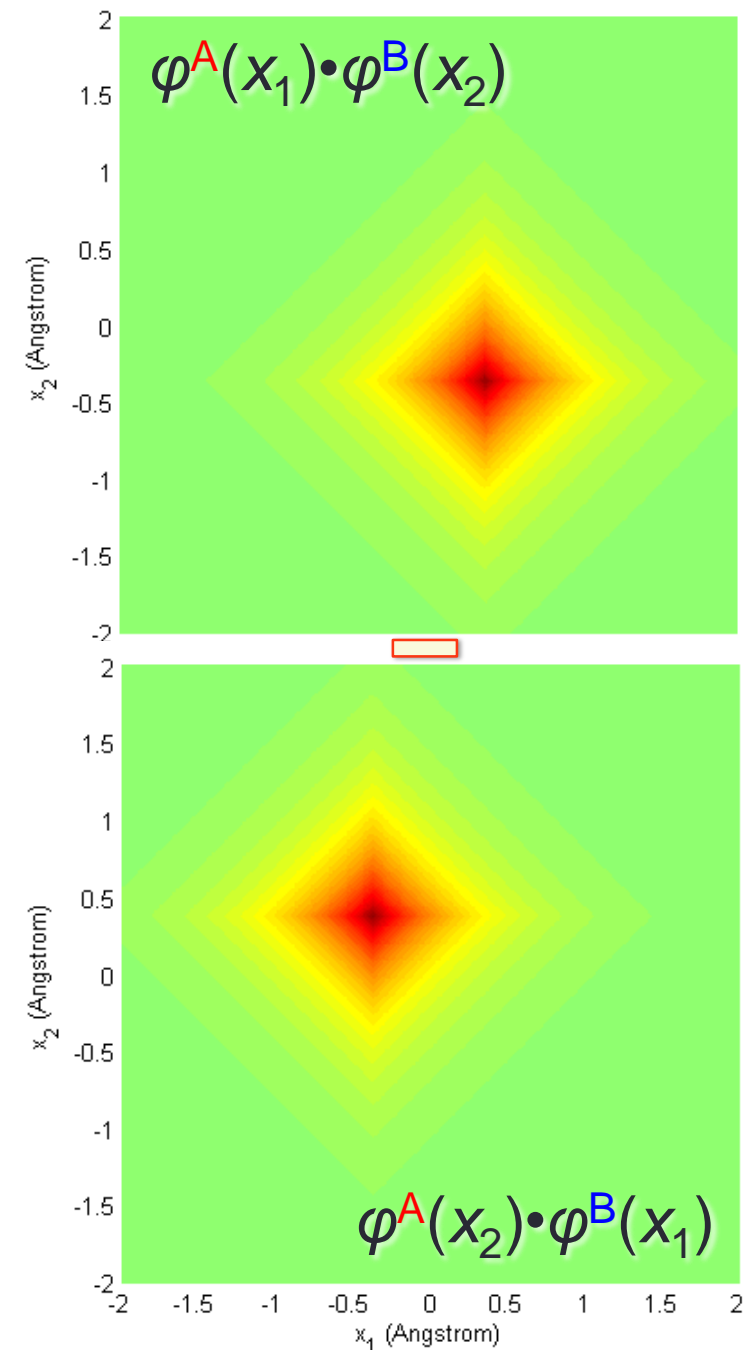
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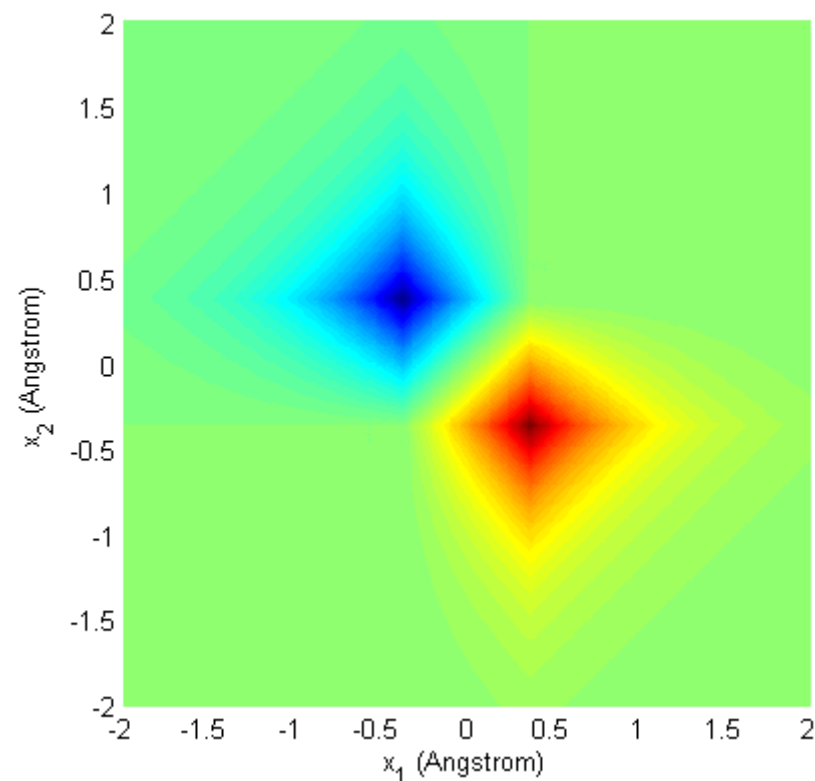
$$\psi_g(x_1, x_2) \approx c_1 [\varphi^A(x_1) \cdot \varphi^B(x_2) + \varphi^A(x_2) \cdot \varphi^B(x_1)]$$



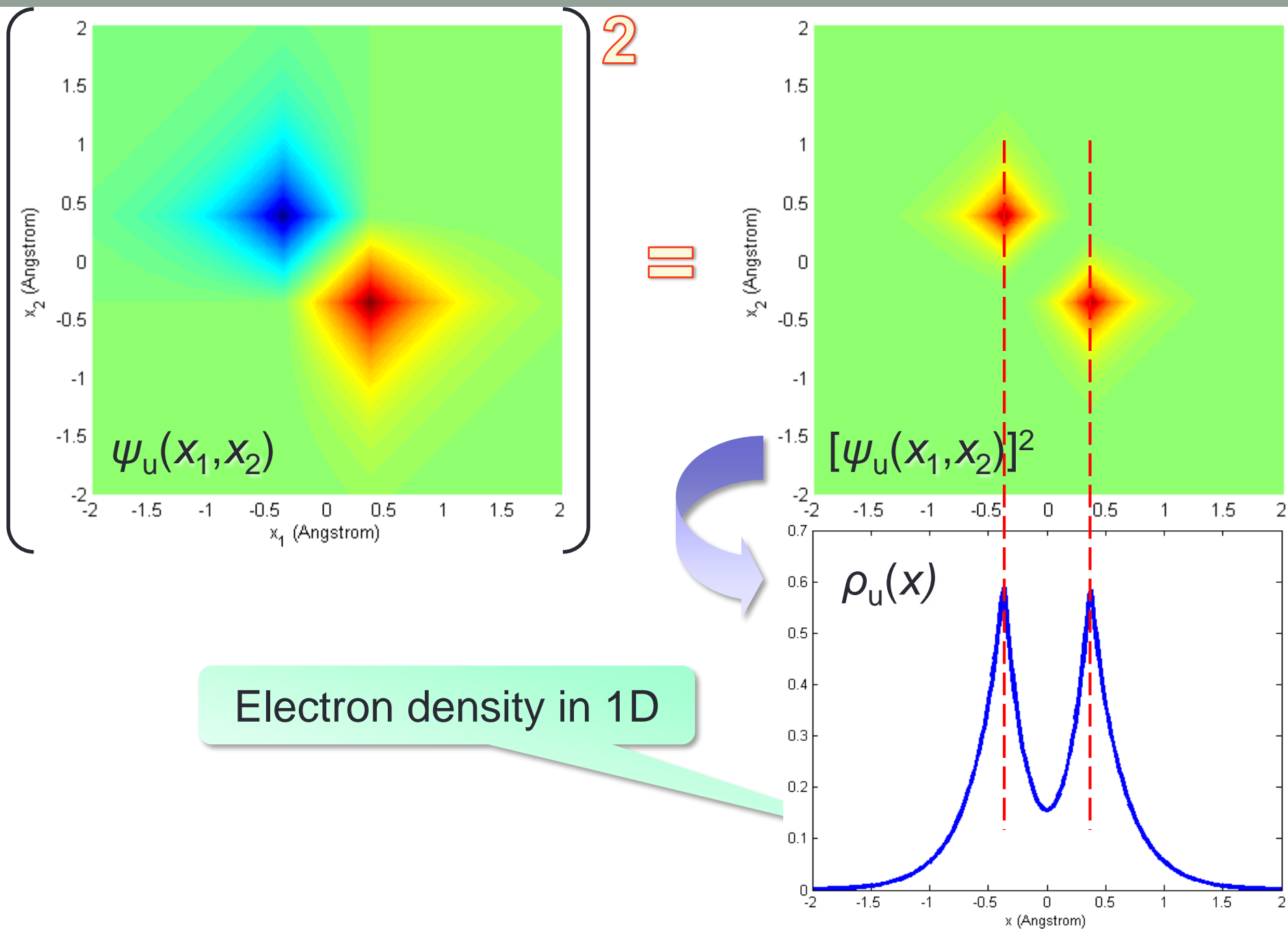
VB Wavefunction (4)



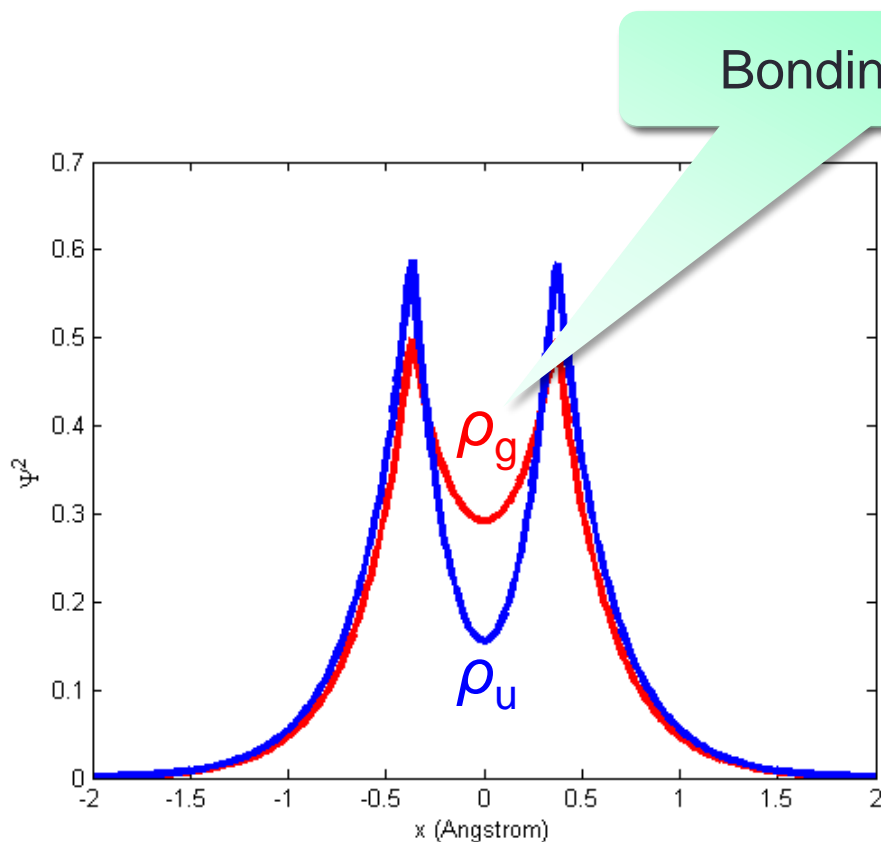
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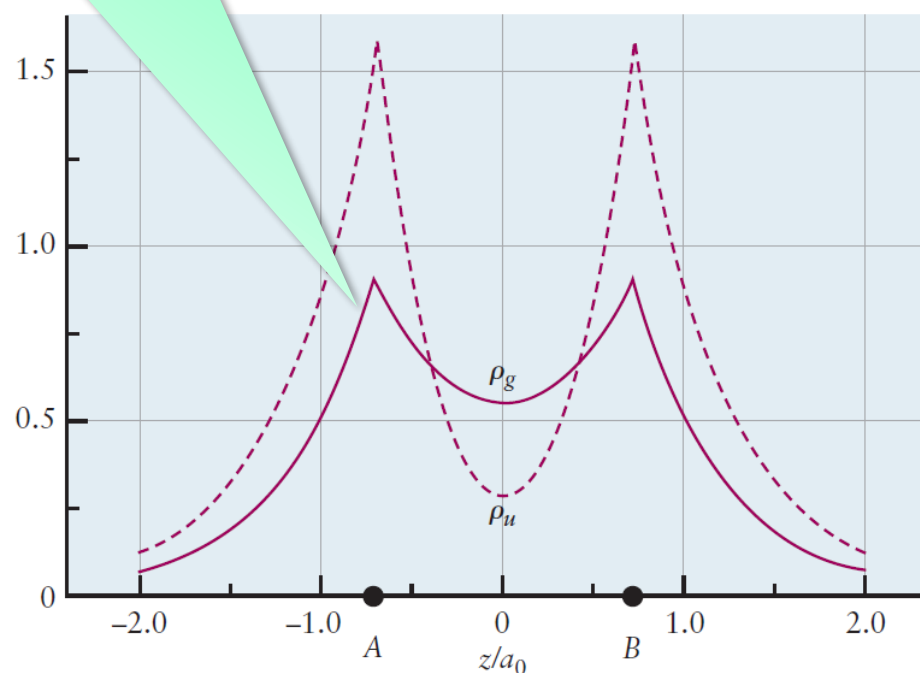
$$\psi_u(x_1, x_2) \approx c_2 [\varphi^A(x_1) \cdot \varphi^B(x_2) - \varphi^A(x_2) \cdot \varphi^B(x_1)]$$



Comparison of Density Plots

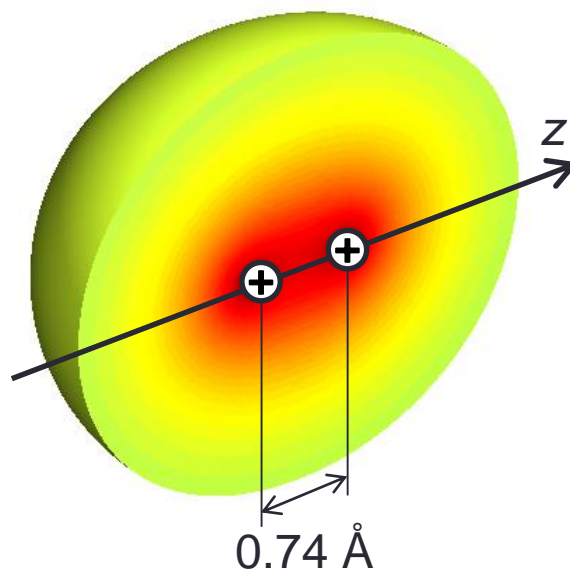


H_2 in one dimension

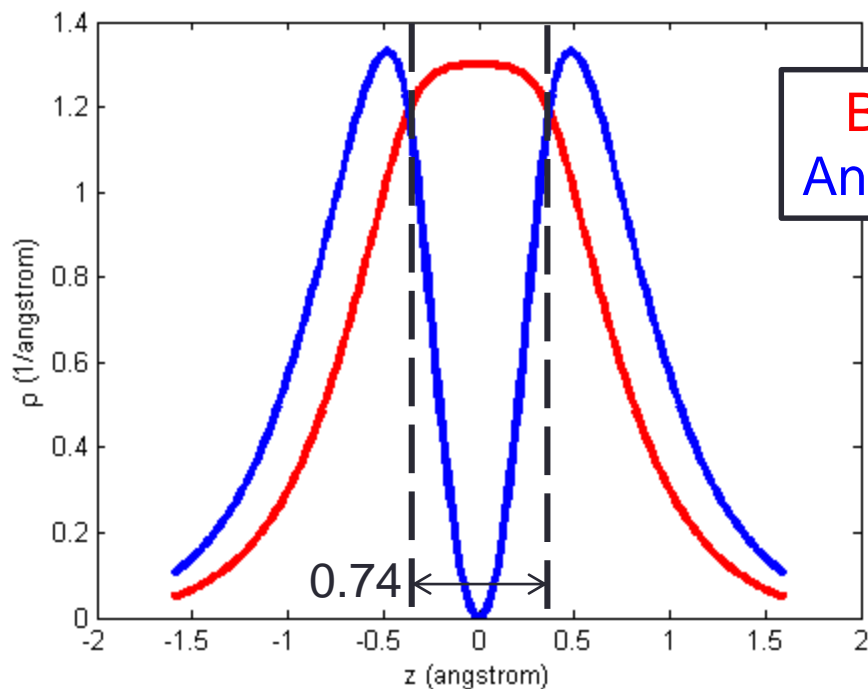


H_2 in three dimensions

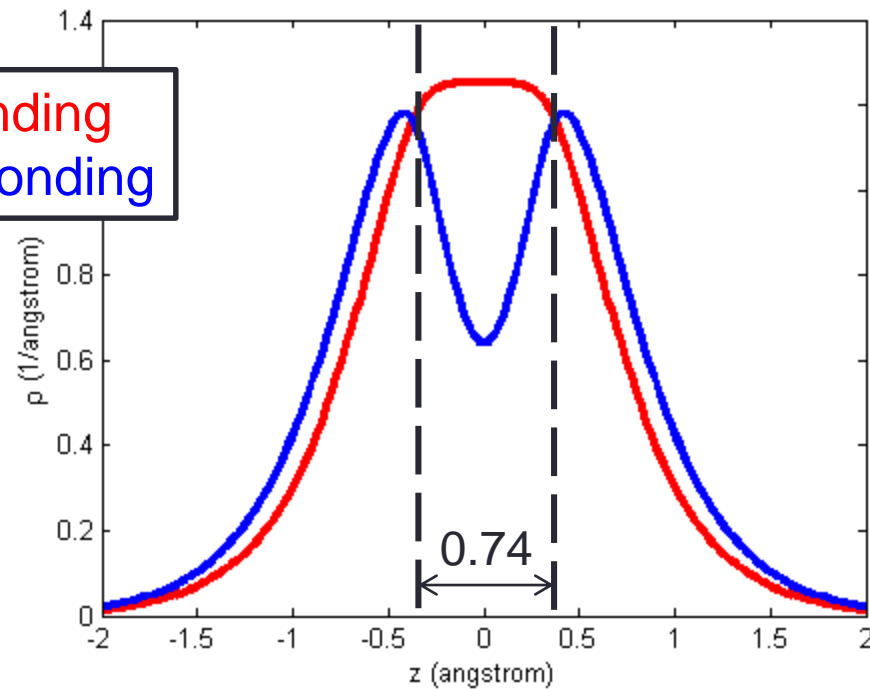
Comparison between MO & VB



Molecular Orbital



Valence Bond



Bonding
Antibonding

MO vs. VB Revisited

Molecular Orbital (MO)

- Ignores e-e repulsion
- Electrons wander around
- For orbitals that are
 - Delocalized 离域
 - 'Fat'
 - Singly occupied

Valence Bond (VB)

- Exaggerates e-e repulsion
- Electrons adhere to the nuclei
- For orbitals that are
 - Localized 定域/局域
 - 'Tight'
 - Strong

Pros and Cons of VB Theory



Works best for **localized bonds**
Difficult to estimate **energy levels**
Complicated programming



More accurate than MO for σ bonds
Compatible with **hybridization 杂化**

$$\psi_g(x_1, x_2) \approx c_1[\varphi^A(x_1) \cdot \varphi^B(x_2) + \varphi^A(x_2) \cdot \varphi^B(x_1)]$$

Outline

- Valence Bond Theory (1927)
- Lewis dot structures (1916)
- Hybridization and VSEPR theory (1958)

In Practice

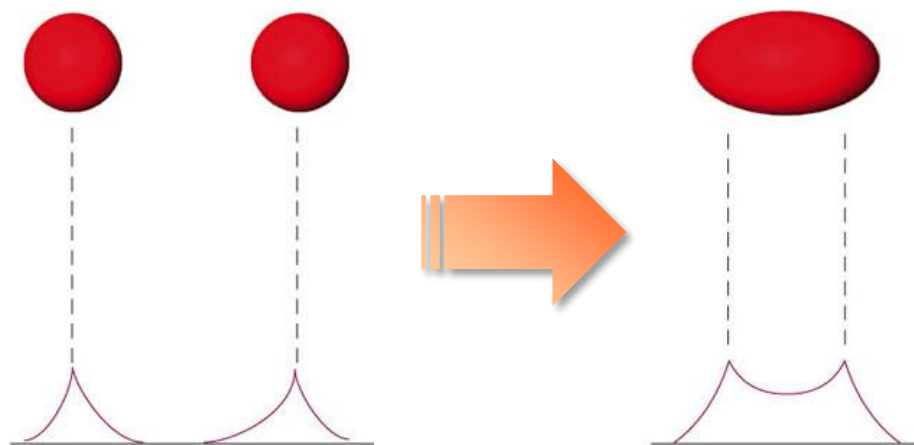
Consider

- Valence
- Bond order
- Molecular shape

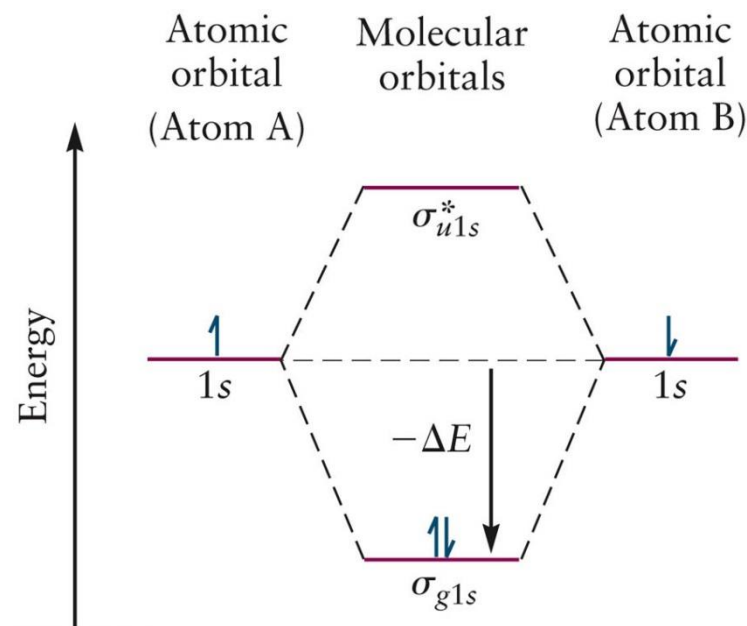
Ignore

- Anti-bonding orbitals
- Bond energy

Bonding Orbital



VB: Orbital overlap



MO: Bonding orbital



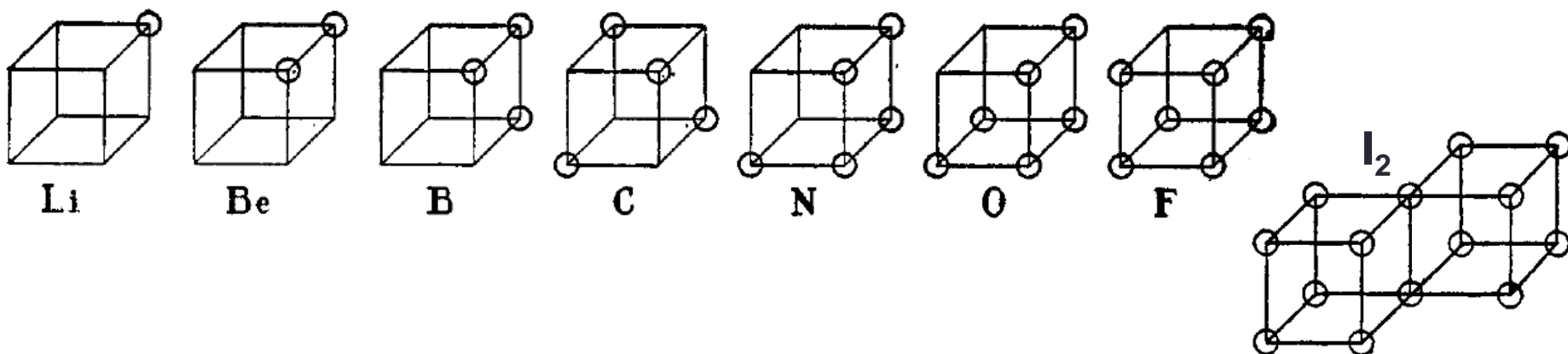
Lewis: Shared electron pair

Lewis Diagram: Rules

1. A **shared** pair = a covalent bond.
A **lone** pair = no bonding.
2. Each atom achieves **its own noble-gas** shell of electrons.
3. Share as many electrons as possible.



Gilbert N. Lewis
(Berkeley, 1875–1946)



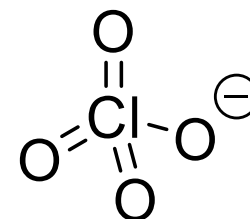
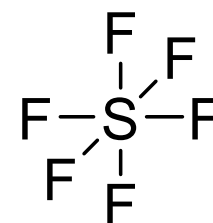
Octet Rule Extension

Duet

6, 8 Octet 八隅体

1s	H							He
2s, 2p	Li	Be	B	C	N	O	F	Ne
3s, 3p, 3d	Na	Mg	Al	Si	P	S	Cl	Ar
	K	Ca	Ga	Ge	As	Se	Br	Kr
	Rb	Sr	In	Sn	Sb	Te	I	Xe
	Cs	Ba	Tl	Pb	Bi	Po	At	Rn
	Fr	Ra						

8, 10, 12, 14, ...



Correlation

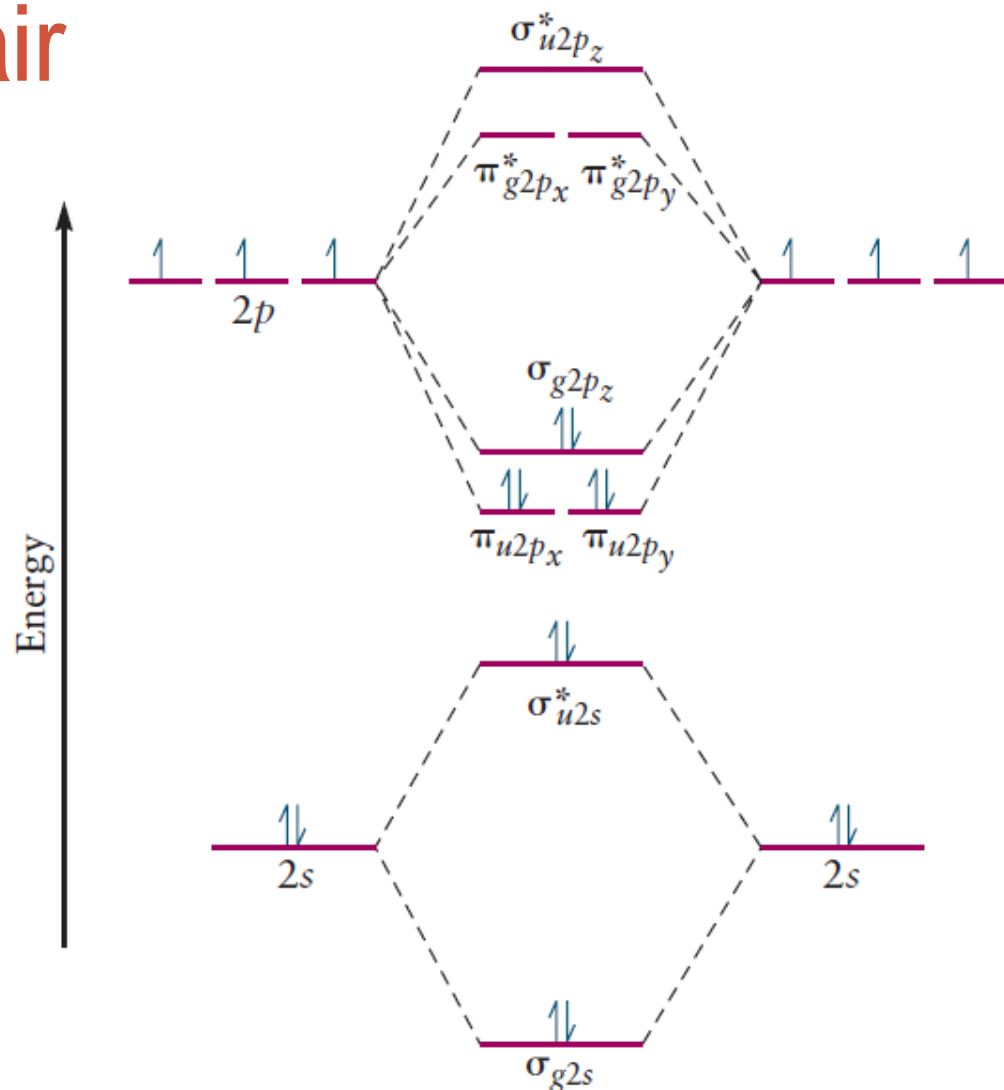
Molecular Orbital	Lewis Dot Structure
Bonding orbital	Shared electron pair
Nonbonding orbital	Lone electron pair
Bonding + antibonding orbitals	2 lone electron pairs
Delocalized orbital	Resonance structures
Two electrons from one atom	Coordinate bond
	Formal charge

Summary: Lone Pair



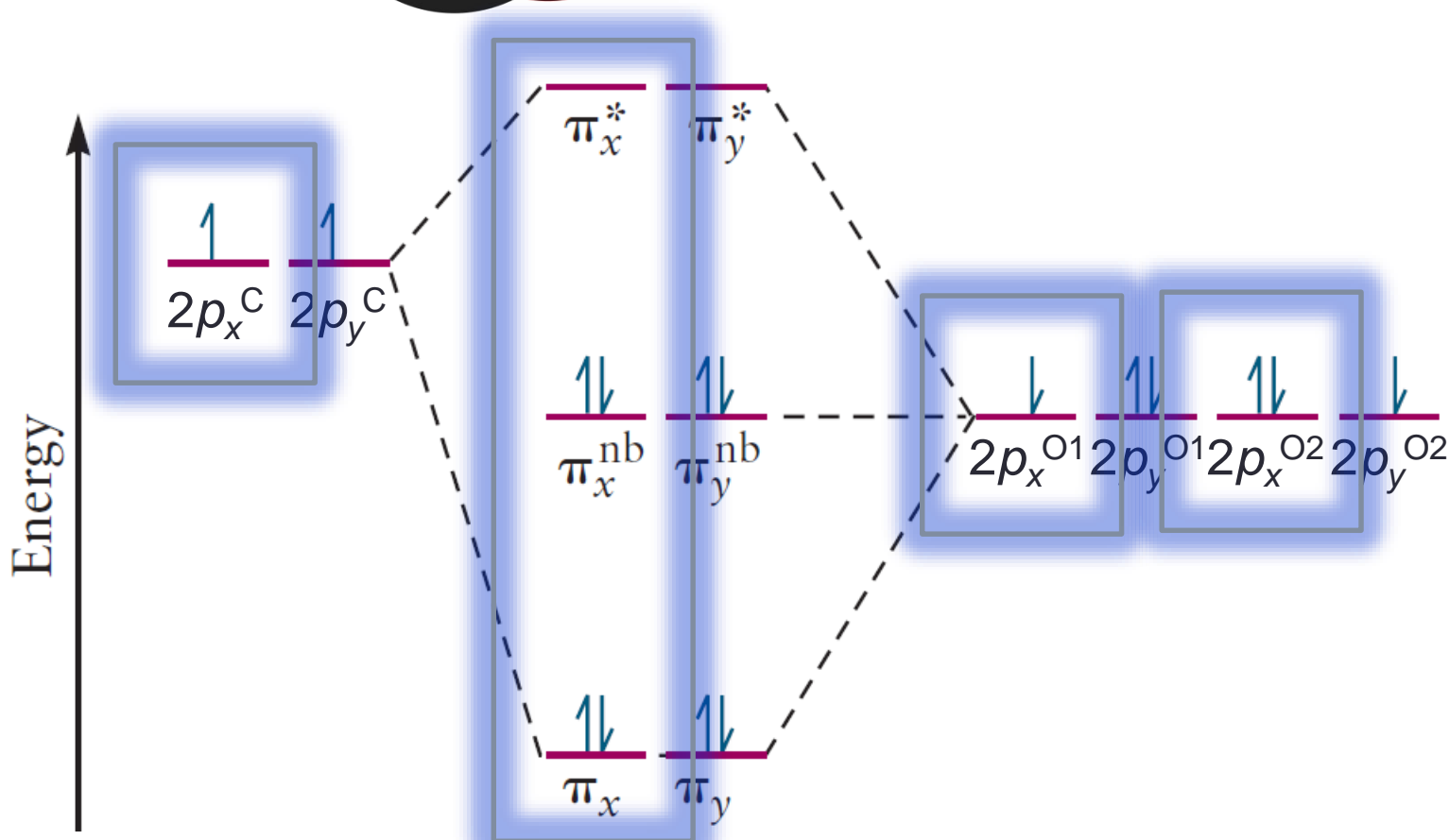
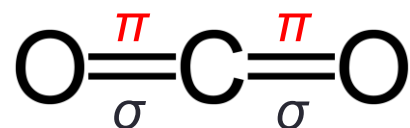
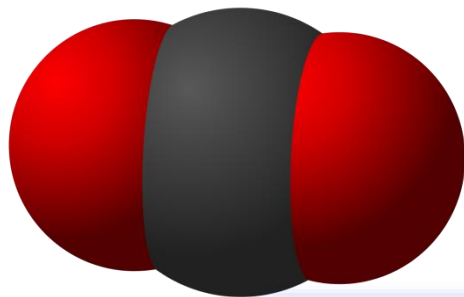
Lewis:

2 lone electron pairs

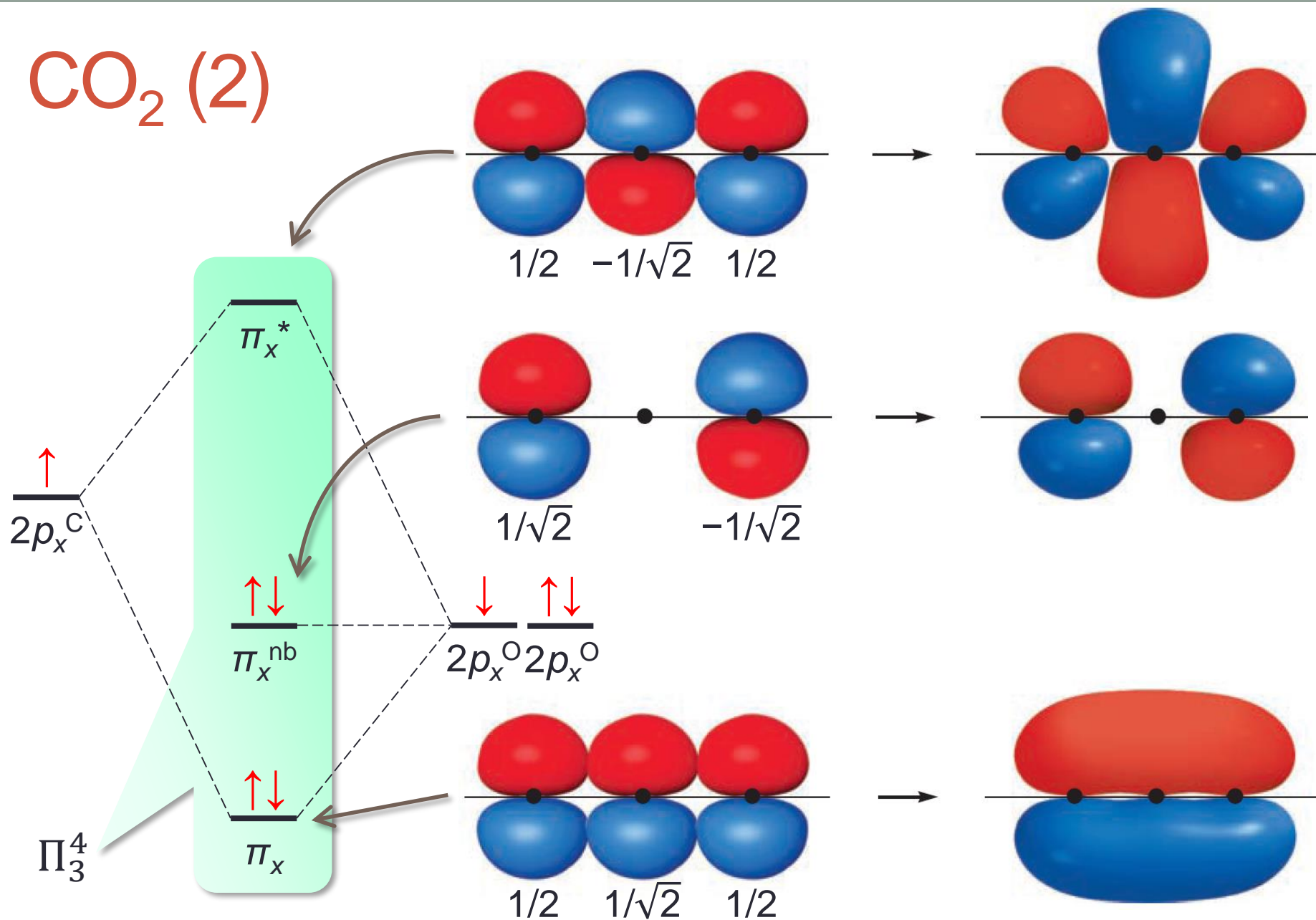


MO: Bonding + antibonding orbitals

Triatomic Molecules: CO₂ (1)



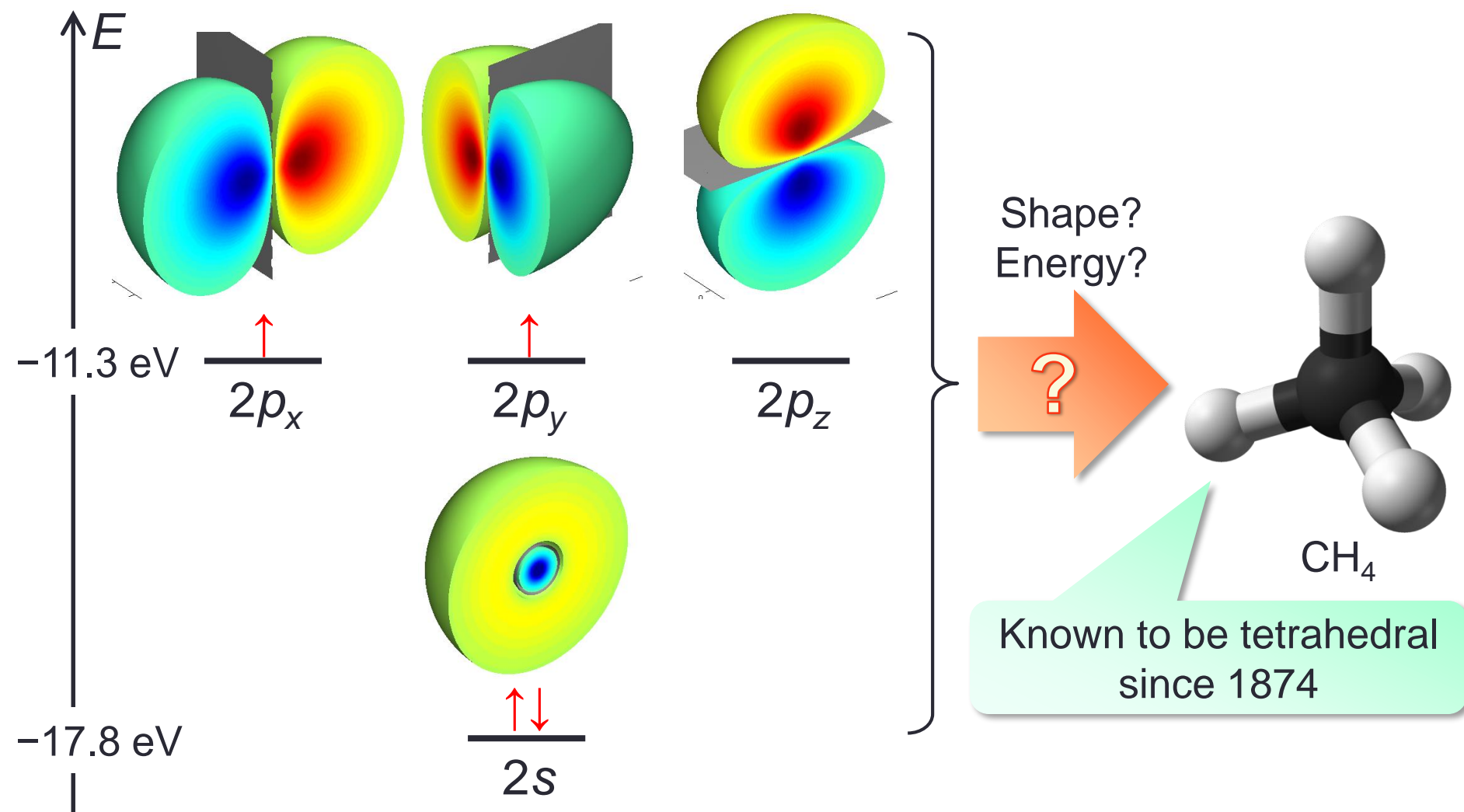
CO₂ (2)



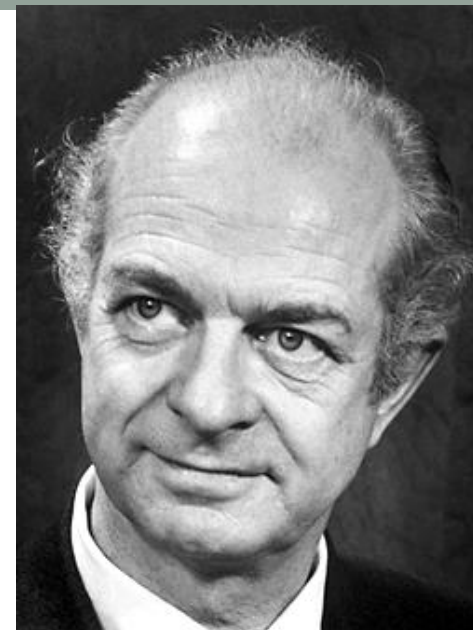
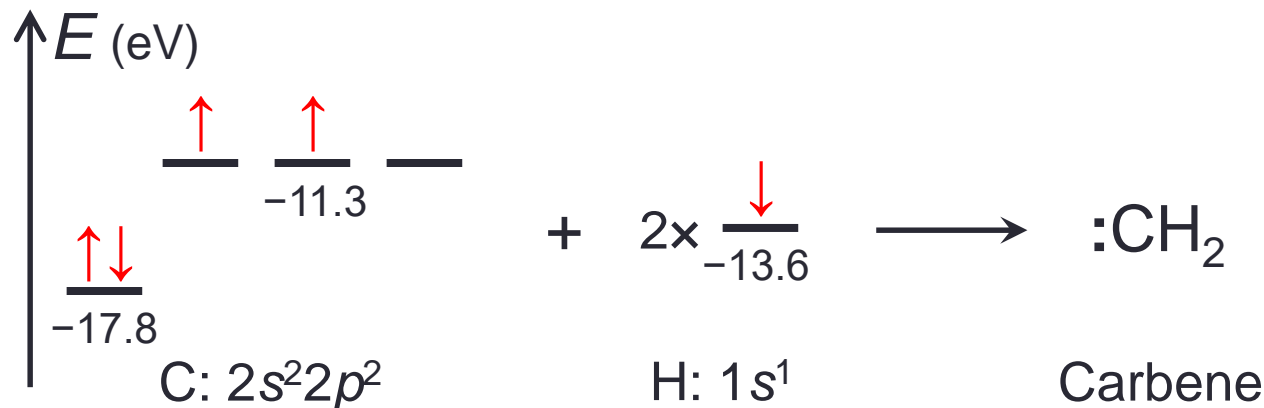
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- Hybridization and VSEPR theory (1958)

Why Hybridize? (1) CH₄

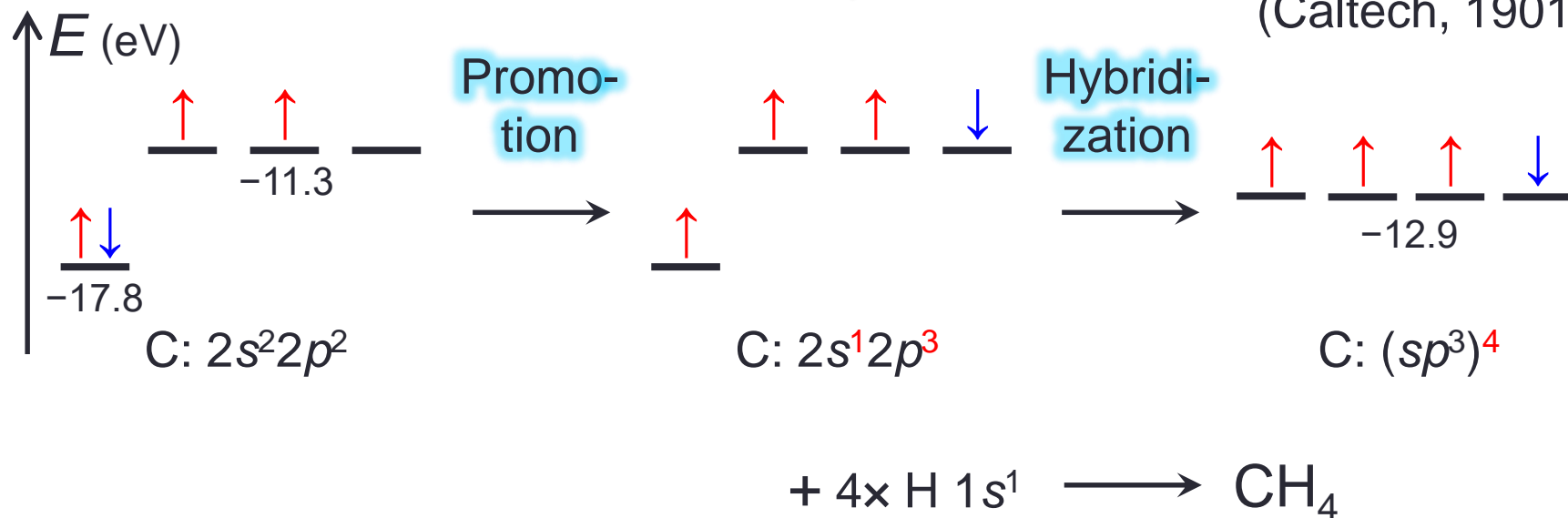


Pauling's Answer

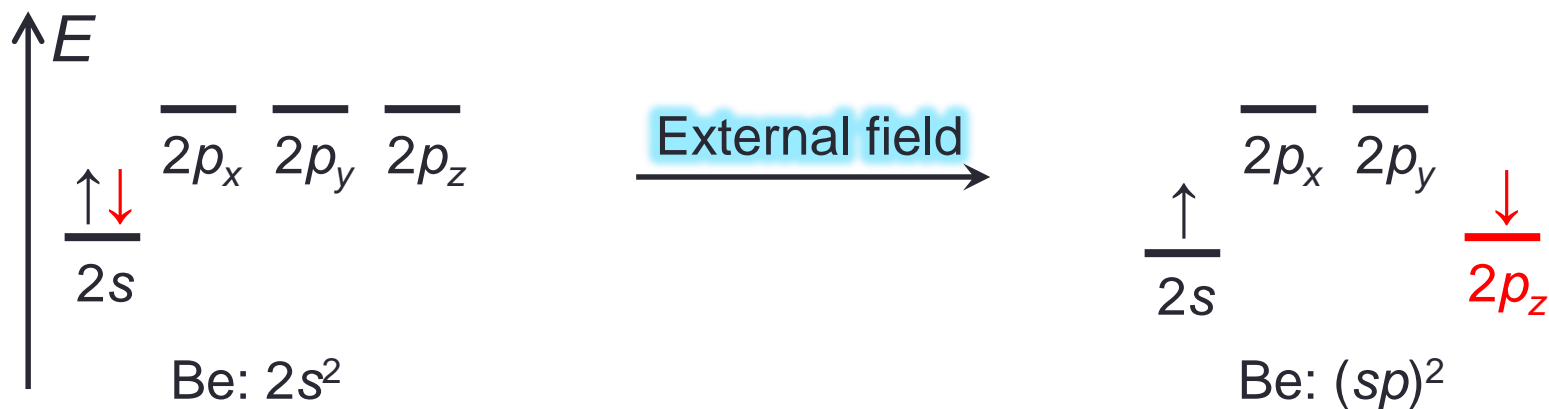
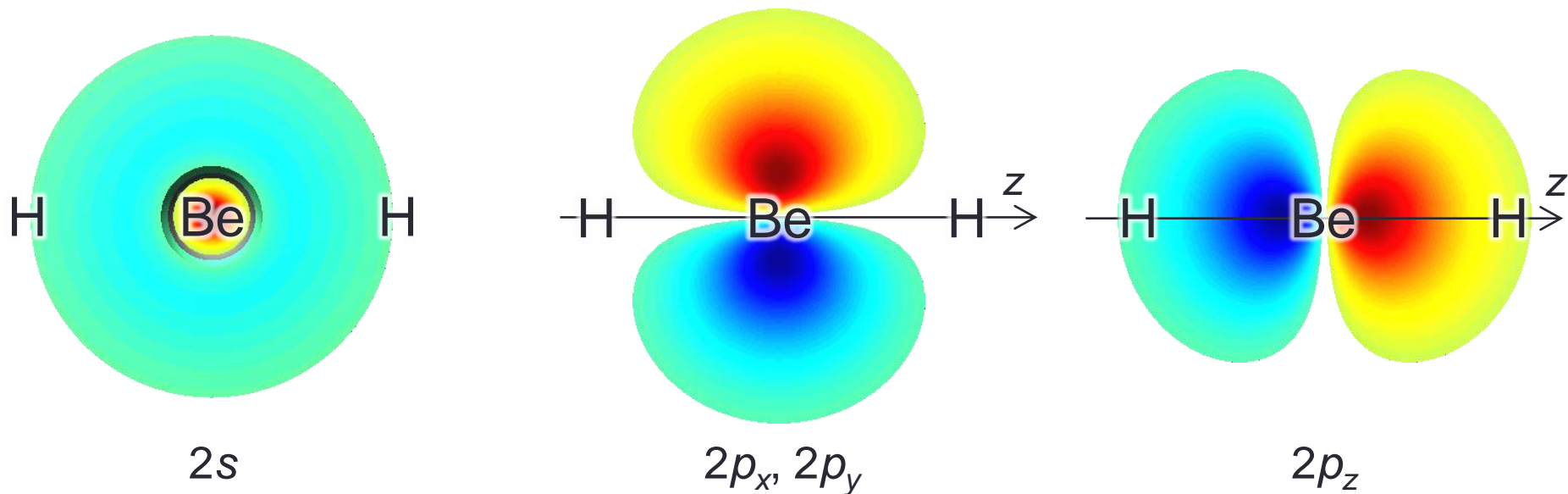


Linus Pauling
(Caltech, 1901–1994)

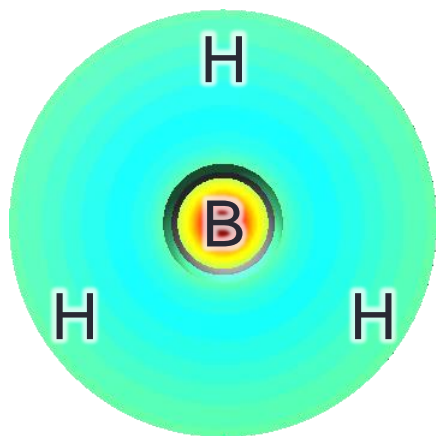
Or better,



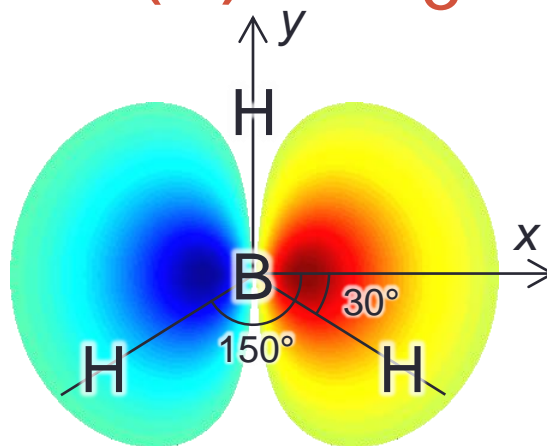
Why Hybridize? (2) BeH_2



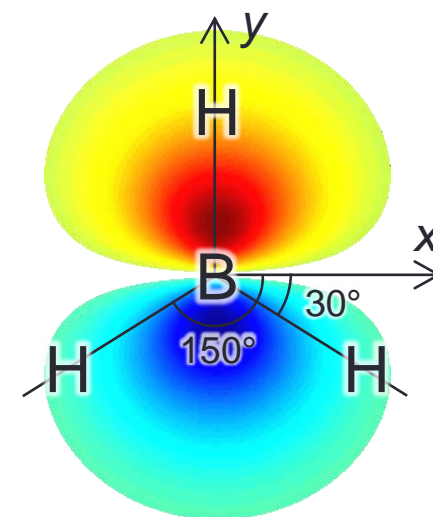
Why Hybridize? (2) BH_3



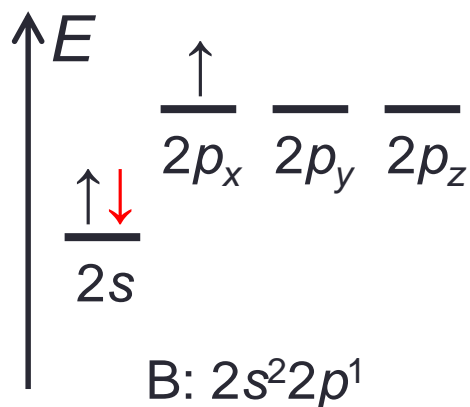
$2s$



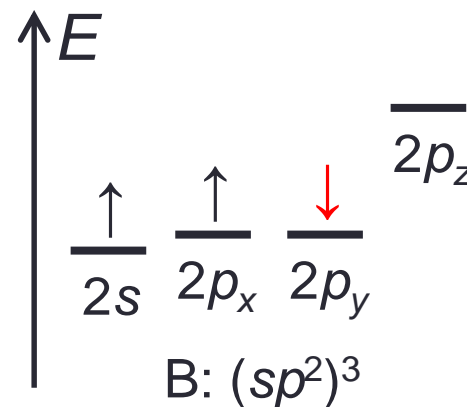
$$\begin{aligned} &2p_x \\ &\cos^2(30^\circ) + \cos^2(150^\circ) \\ &= \mathbf{3/2} \end{aligned}$$



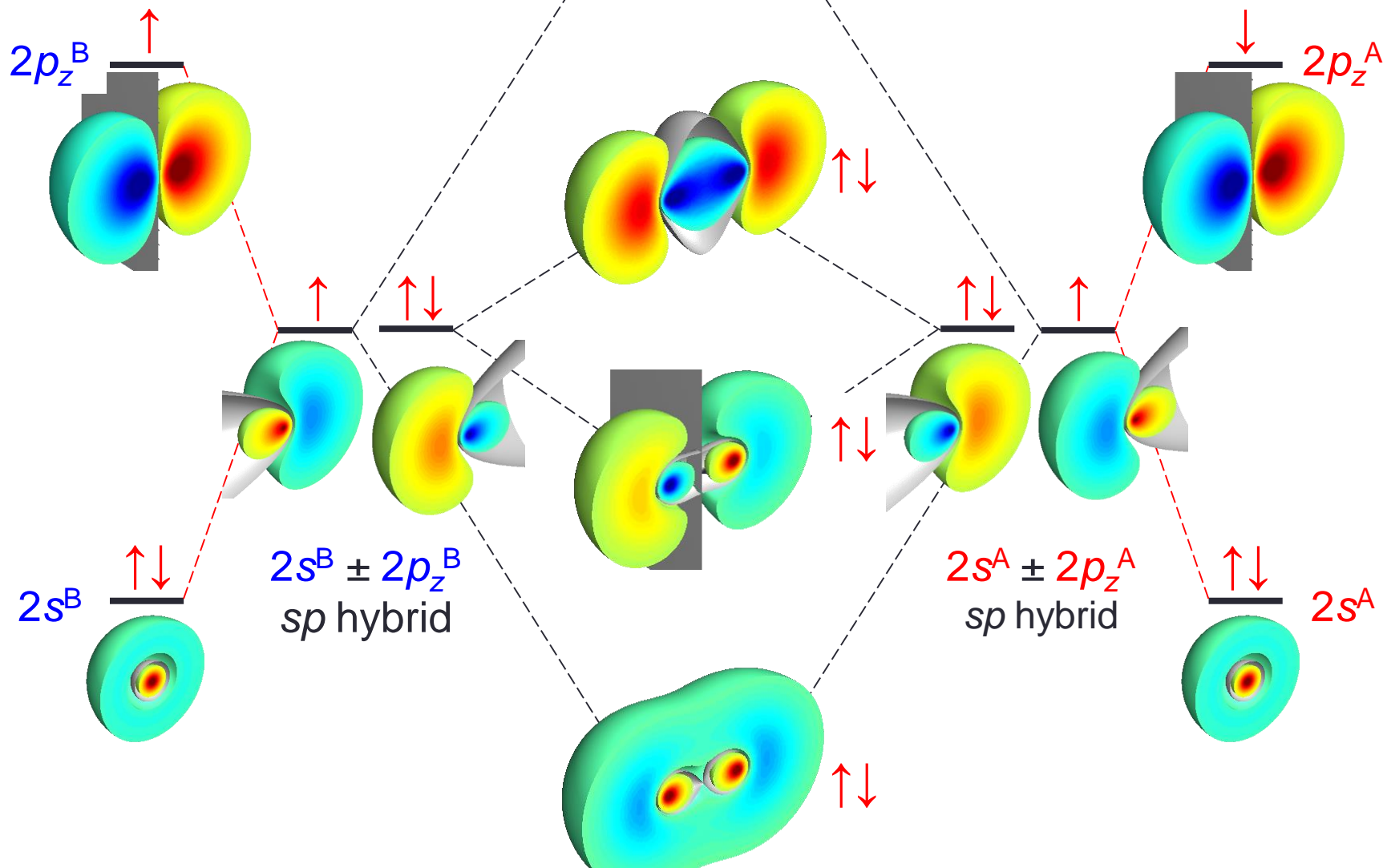
$$\begin{aligned} &2p_y \\ &\sin^2(30^\circ) + \sin^2(150^\circ) \\ &+ \sin^2(-90^\circ) = \mathbf{3/2} \end{aligned}$$



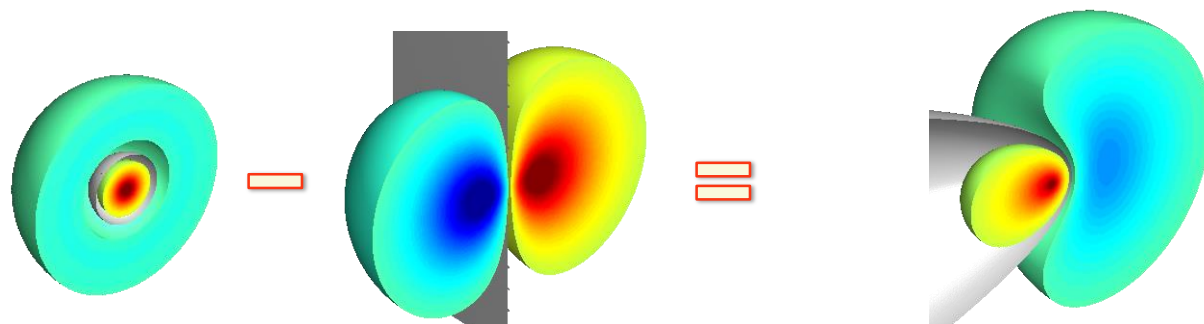
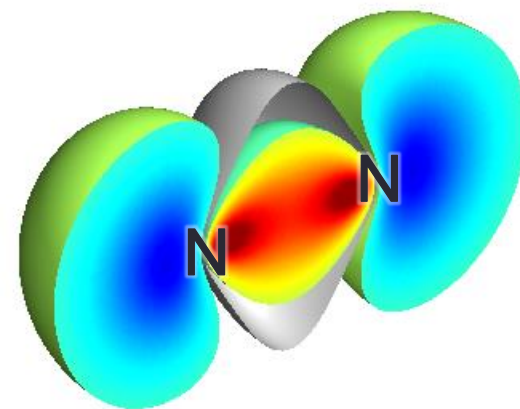
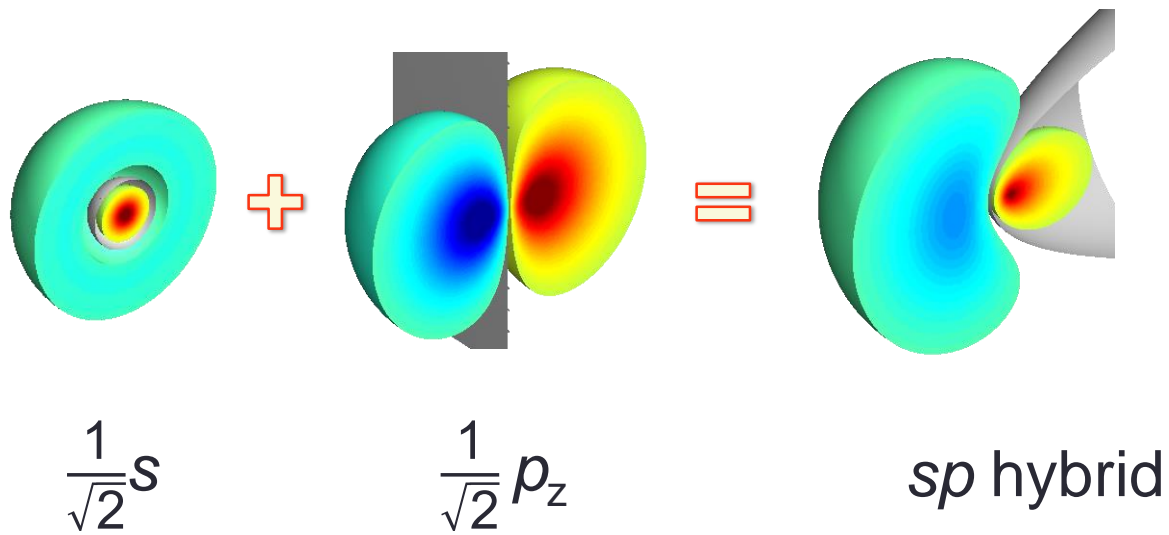
External field



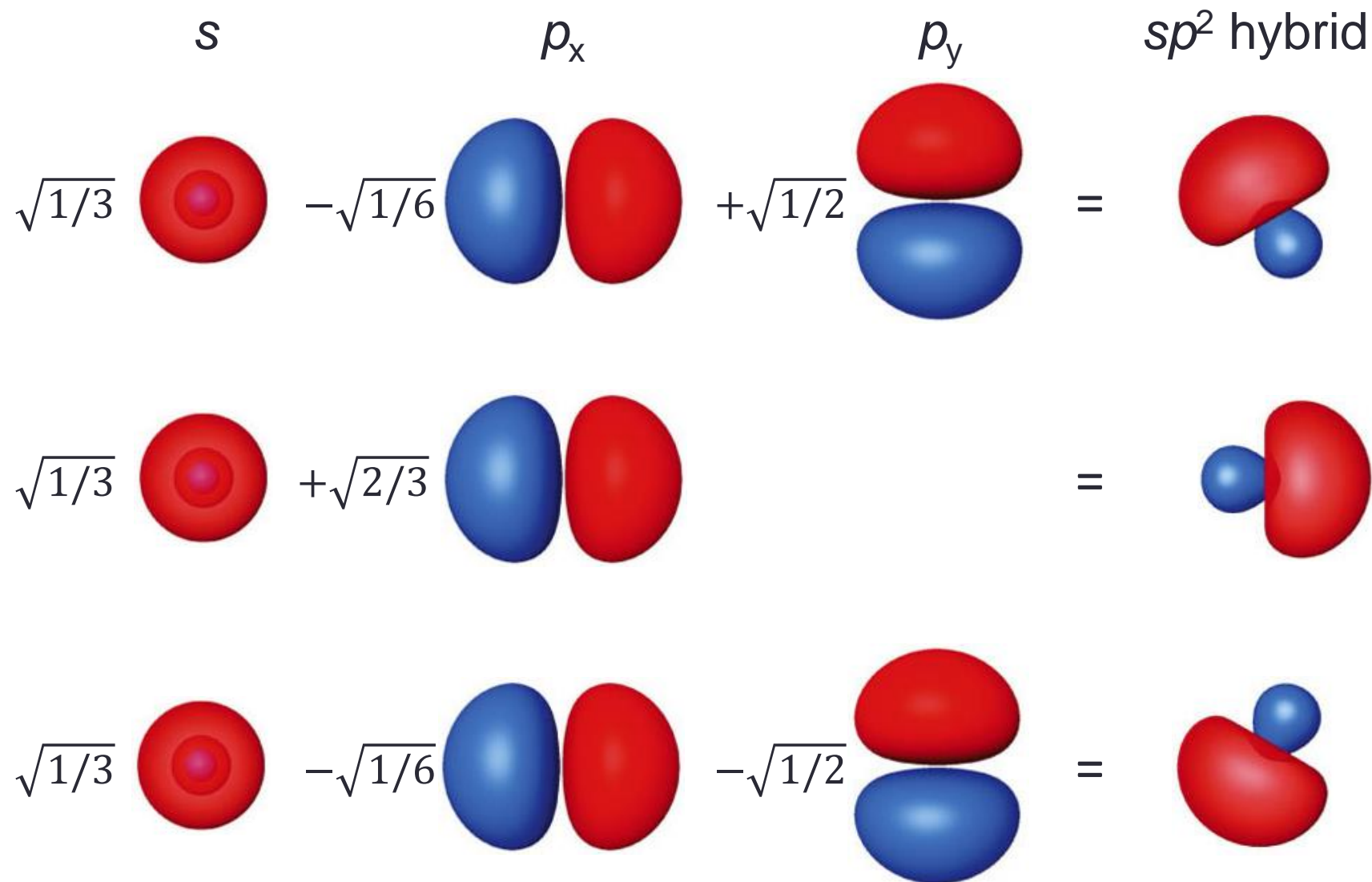
Why Hybridize? (3)



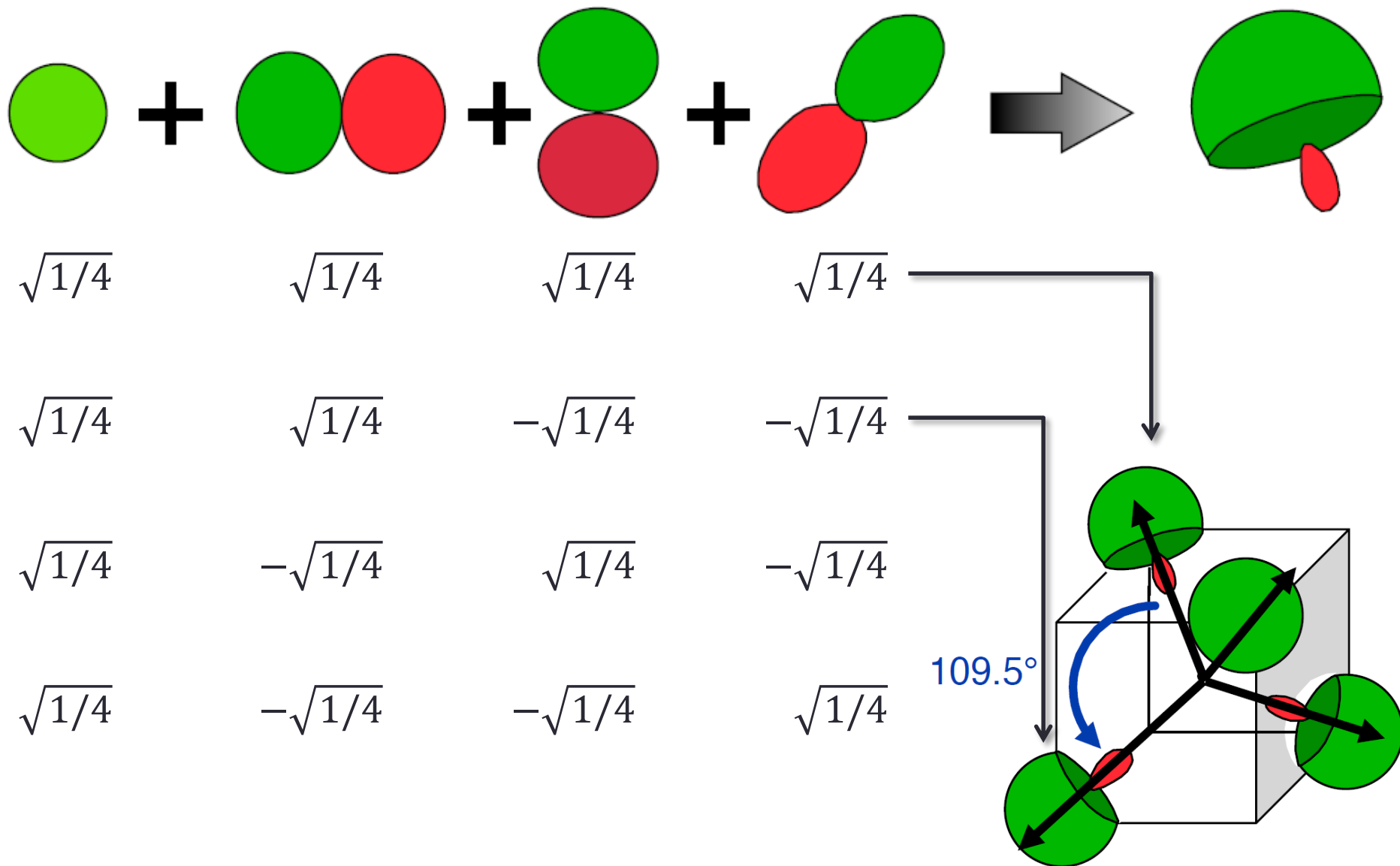
sp Hybridization



sp^2 Hybridization

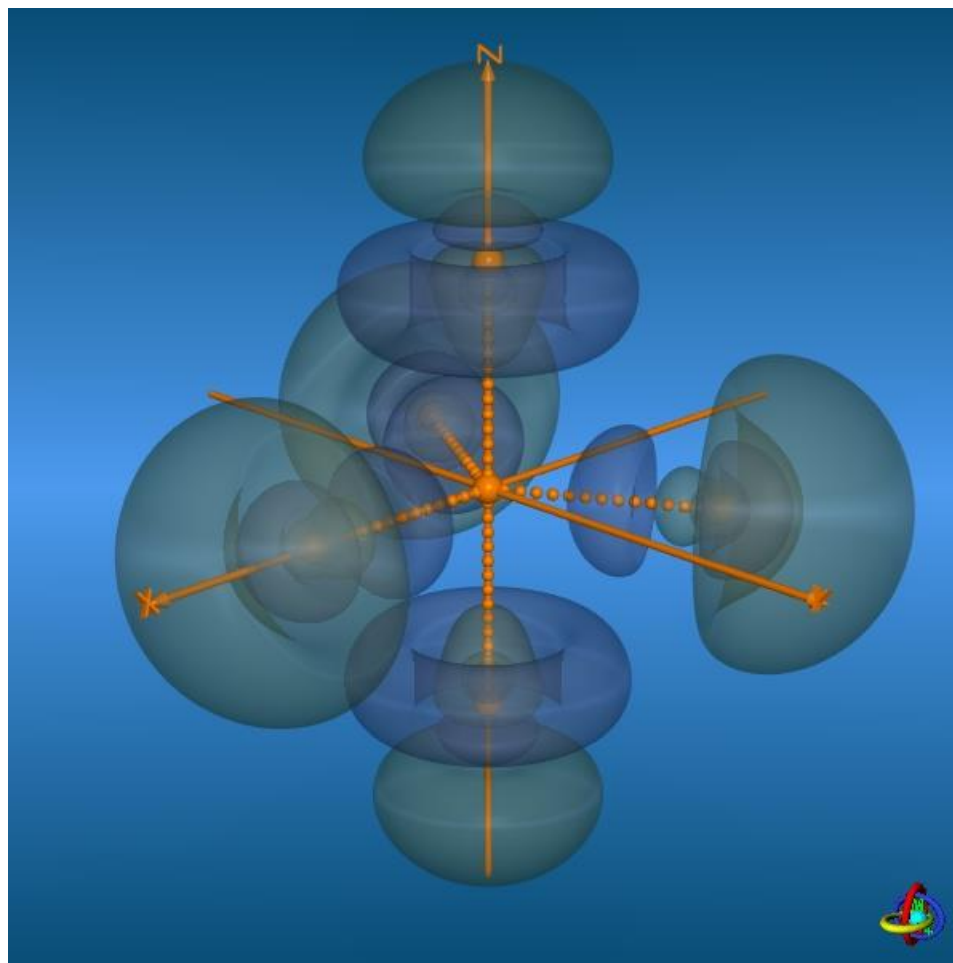


sp^3 Hybridization

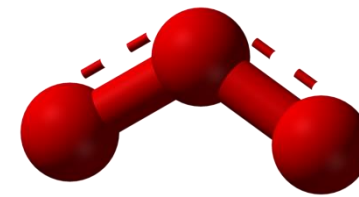
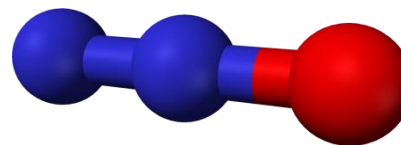
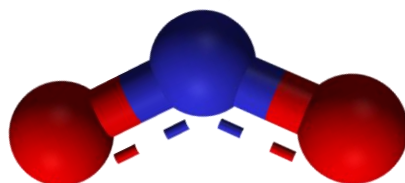
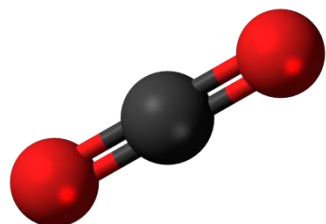
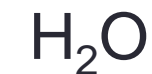
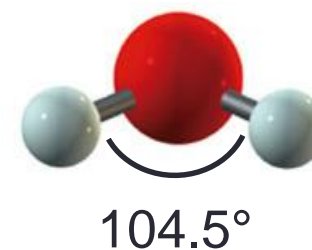
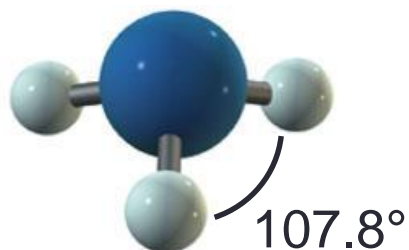
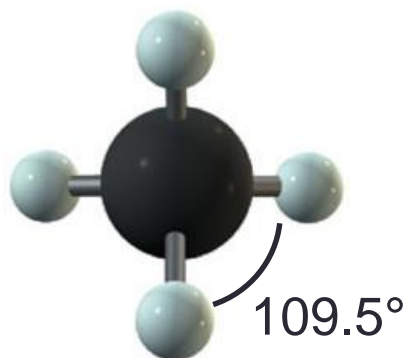


sp^3d Hybridization

$s, p_x, p_y, p_z, d_{z^2}$



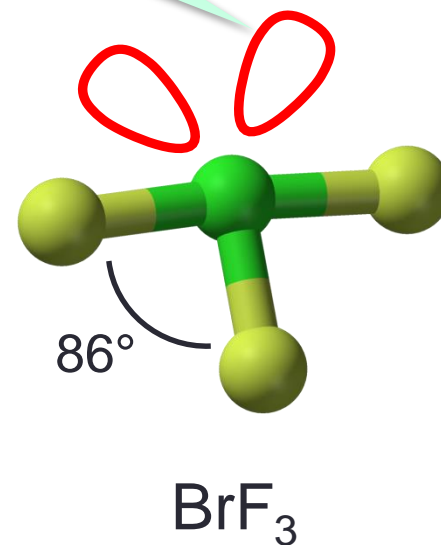
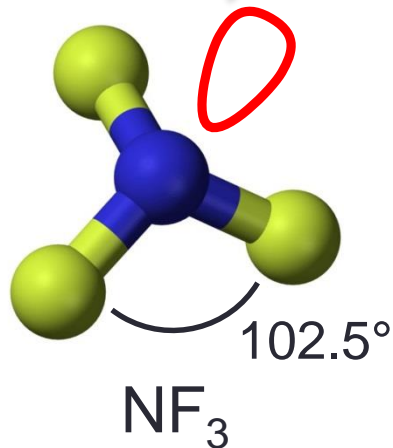
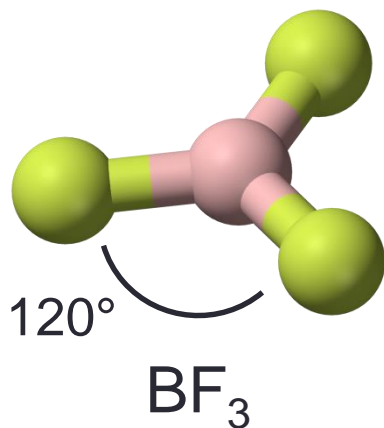
Polyatomic Molecules



Molecular Geometry

					He
B	C	N	O	F	Ne
Al	Si	P	S	Cl	Ar
Ga	Ge	As	Se	Br	Kr

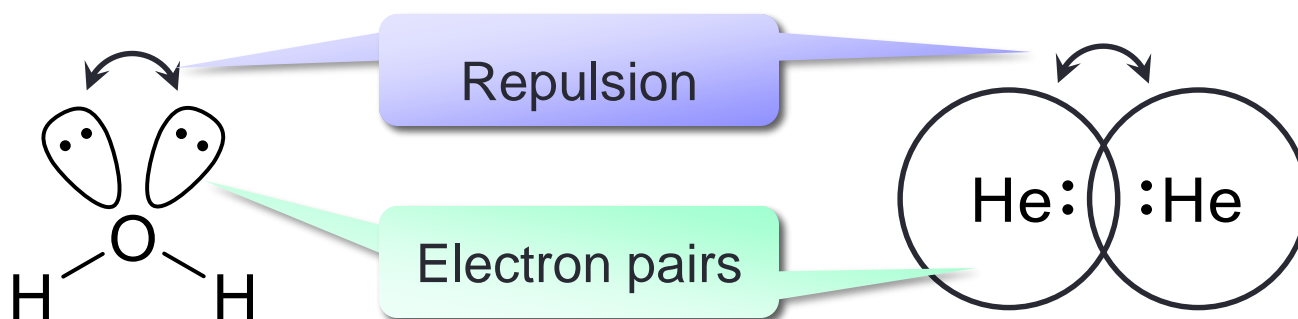
There's something
we can't see!



The Valence Shell Electron-Pair Repulsion Theory

Ideas based on VB theory:

- Only the **valence** shell matters
- Shared electron **pairs** and lone **pairs**
- Molecular energy \approx
Bond energies + **repulsion** energies



Ronald J. Gillespie
(UCL, 1924–)



Ronald S. Nyholm
(UCL, 1917–1971)

Rules of VSEPR Theory

1. Rewrite a structure as AX_mE_n

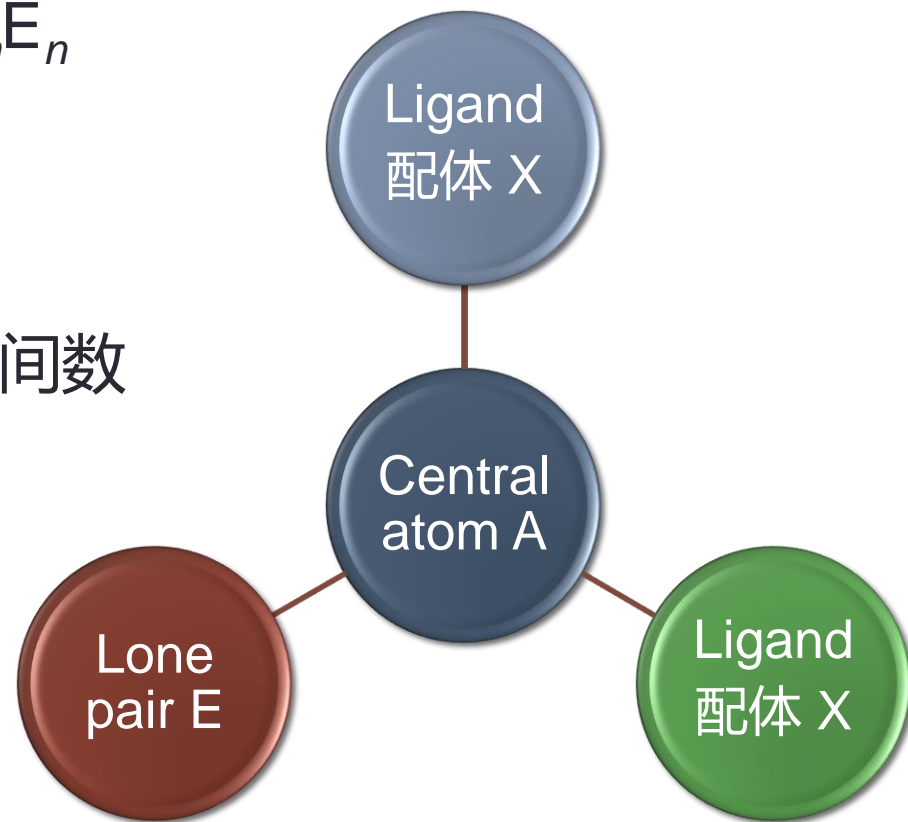
m = number of ligands

n = number of lone pairs

2. Assign a Steric Number 空间数

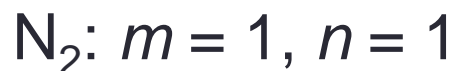
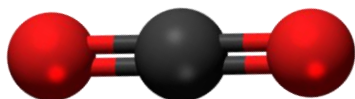
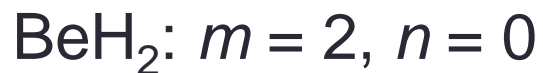
$$SN = m + n$$

3. Place the ligands and lone pairs on a polyhedron of SN vertexes

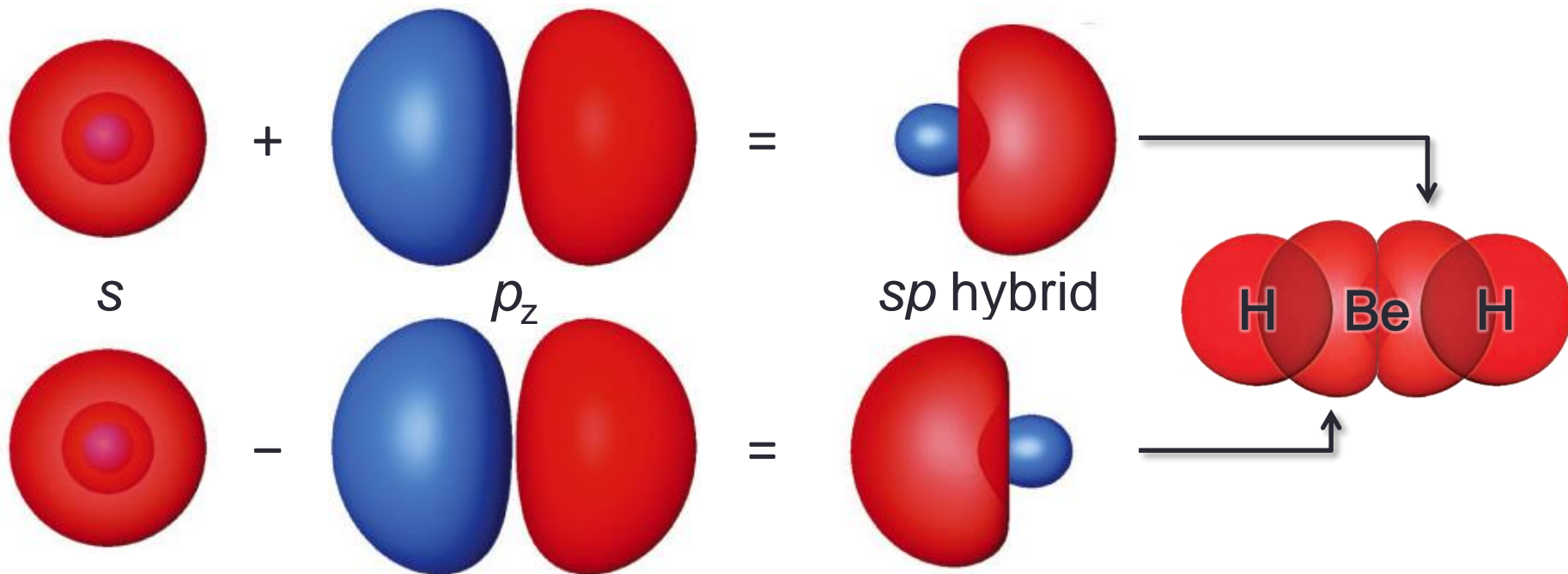


4. Size: Lone pair > multiple bonds > shared pair

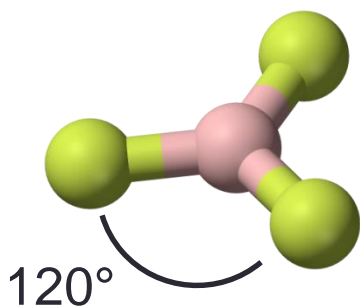
Example: $SN = 2$



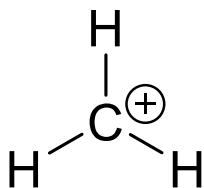
Linear
直线形



Example: $SN = 3$



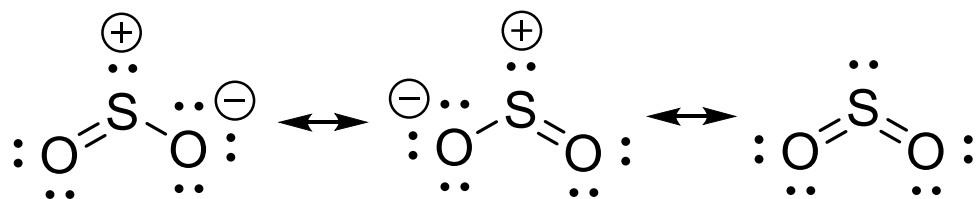
BF_3 : $m = 3$, $n = 0$ Trigonal planar
平面三角形



CH_3^+ : $m = 3$, $n = 0$ Trigonal planar

sp^2 hybrid

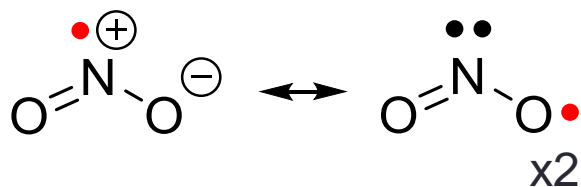
Example: $SN = 3$



SO_2 : $m = 2$, $n = 1$

Bent / V-shaped

弯曲形 / V形 / 角形



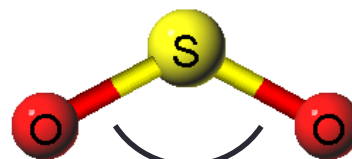
NO_2 : $m = 2$, $0.5 < n < 1$ Bent



134°

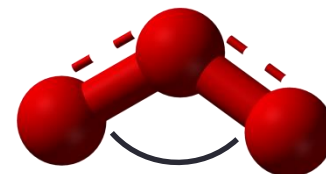
NO_2

VS



119°

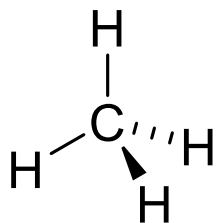
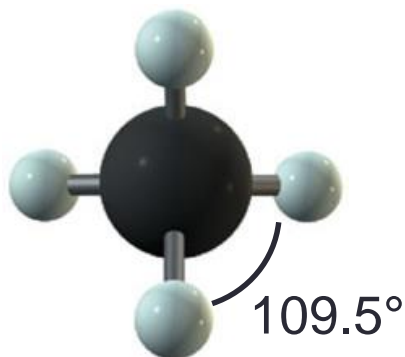
SO_2



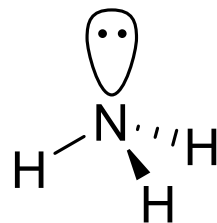
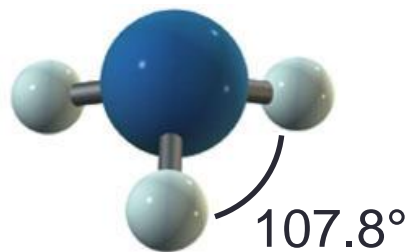
117°

O_3

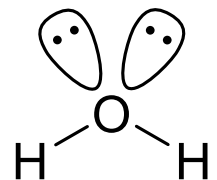
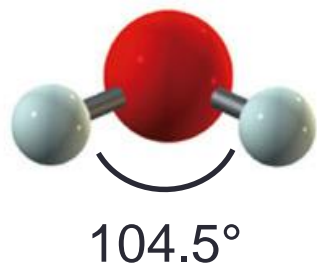
Example: $SN = 4$



CH_4 : $m = 4$, $n = 0$ Tetrahedral 四面体

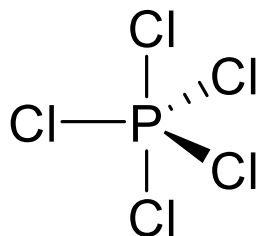


NH_3 : $m = 3$, $n = 1$ Trigonal pyramidal 三角锥

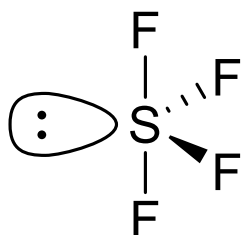


H_2O : $m = 2$, $n = 2$ Bent

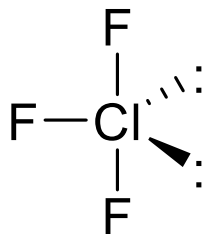
Example: $SN = 5$



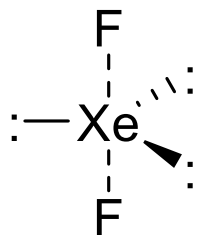
PCl_5 : $m = 5$, $n = 0$ Trigonal bipyramidal
三角双锥



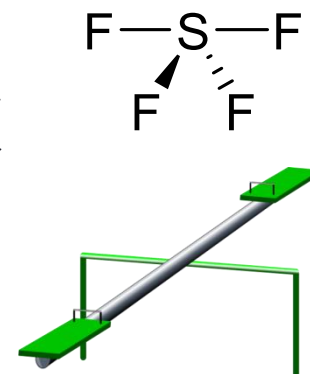
SF_4 : $m = 4$, $n = 1$ Seesaw 跷跷板



ClF_3 : $m = 3$, $n = 2$ T-shaped

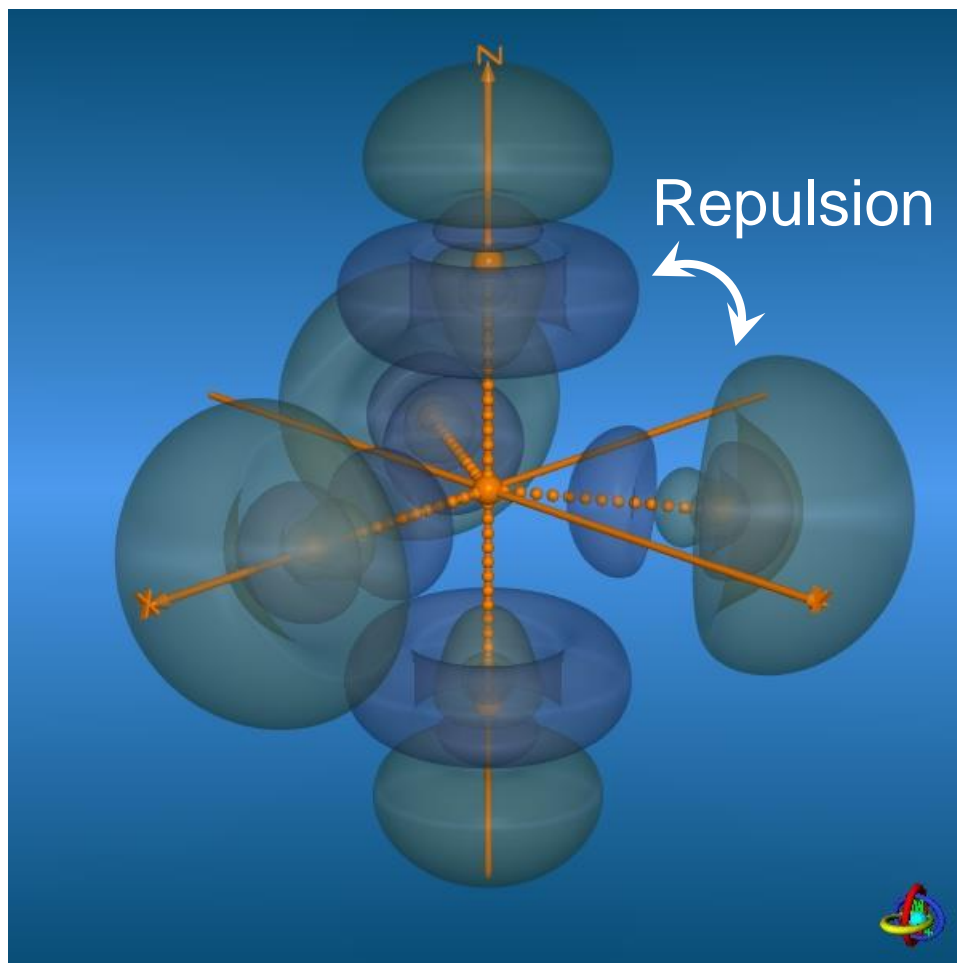


XeF_2 : $m = 2$, $n = 3$ Linear



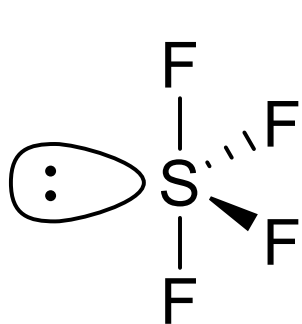
Example: sp^3d Hybridization

$s, p_x, p_y, p_z, d_{z^2}$

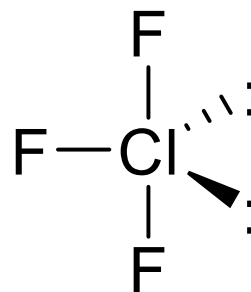
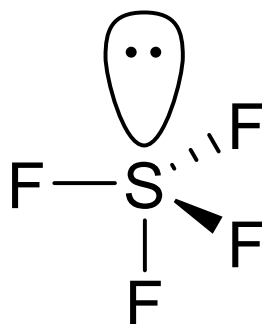


Avoid A-E \perp A-E
Minimize A-E \perp A-X

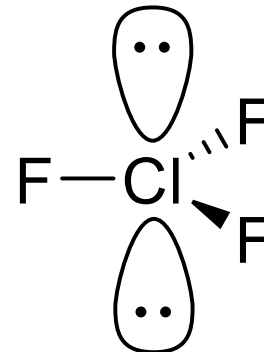
Lone Pairs Are Fat



VS



VS



Summary

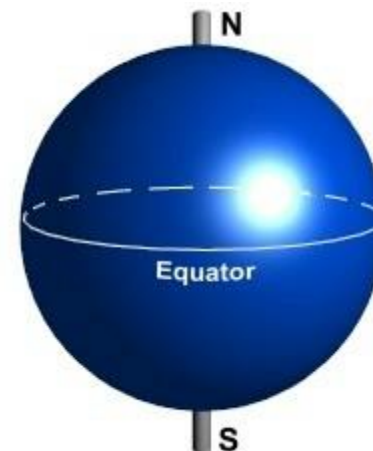
1. Count the number of **lone pairs** from Lewis structure
2. Place the lone pairs on **equatorial** positions
3. Deduce the molecular geometry by **ignoring** the lone pairs



Simple and intuitive
Compatible with VB theory

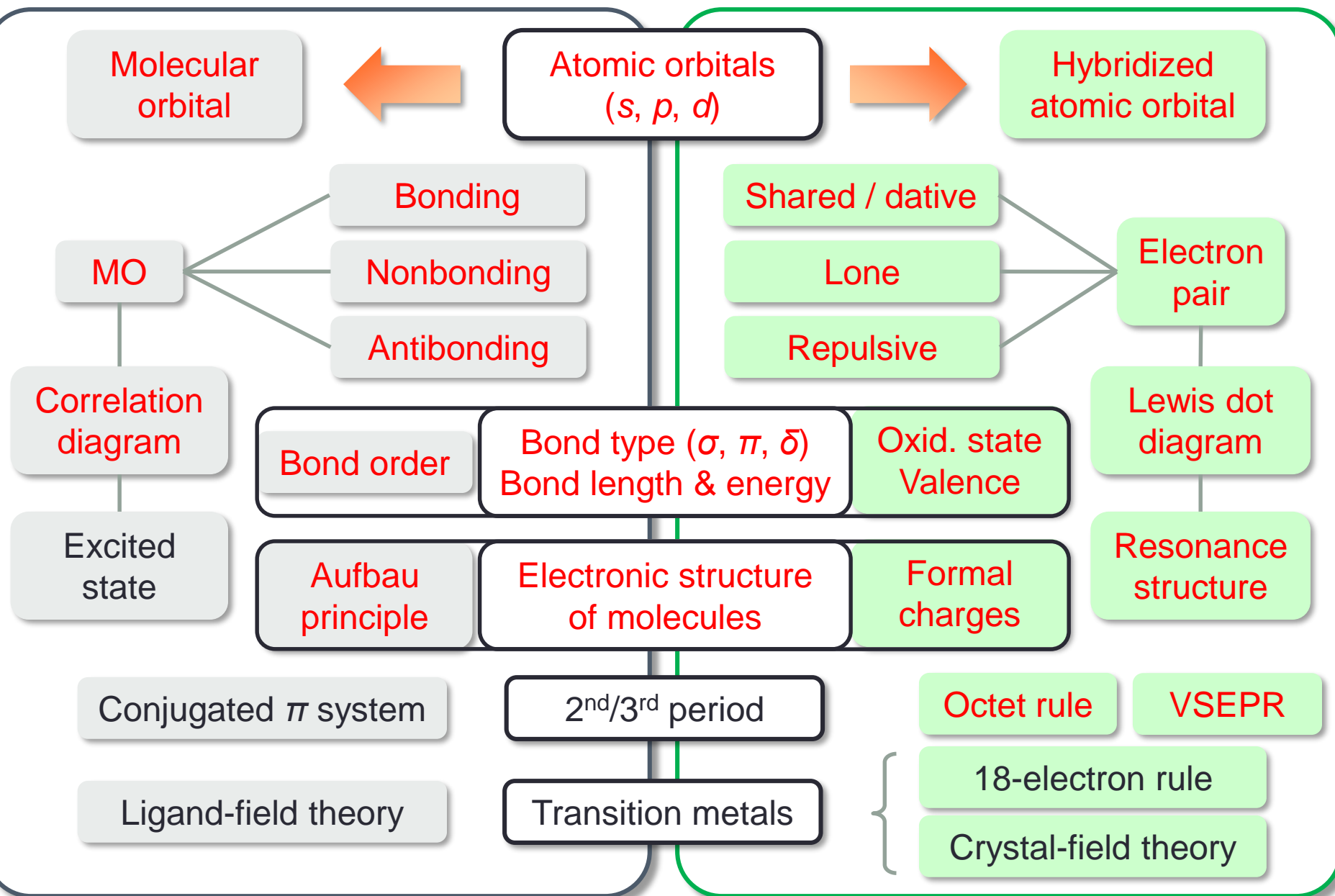


Qualitative
Doesn't work for transition metals



Molecular Orbital (MO)

Valence Bond (VB) / Hybridization



Next: Organics

Reading: OGB8 §7

