PDXDataSciReccomender

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Overview

The goal is to build a recommendation engine for games. The R package arules is used to mine associations between lists of items. The arulesViz package has plot methods to visualize relationships between items.

I started with the original set of 834415 rows and 3 columns. The arules package requires nominal variables be converted to factors and continuous variables to be discretized. I followed examples given in the following webpage: http://michael.hahsler.net/research/arules_RUG_2015/demo/

R code follows:

```
library(arules)
library(arulesViz)
#library(Matrix) if needed
datdir<-"C:/Users/Charles/Documents/PDXDataSciRecommender/"</pre>
setwd(datdir)
dat<-read.csv(paste(datdir, "boardgame-ratings.csv", sep=""))</pre>
# sorting data by 1.) UserId, then 2.) gameID
dat<-dat[order(dat$UserID,dat$gameID),]</pre>
# determining groupings by UserID
usergrping<-grouping(dat$UserID)
userid.ends<-attr(usergrping, "ends")</pre>
userid.starts<-c(1,userid.ends[1:(length(userid.ends)-1)]+1)
userid.counts<-diff(userid.starts)
# convert to factors
dat[,"UserID"] <-factor(dat[,"UserID"])</pre>
dat[,"gameID"] <-factor(dat[,"gameID"])</pre>
# discretize ratings
dat[,"rating"] <- discretize(dat$rating, method="interval", categories=5)</pre>
# for first attempt, I create a list of gameID's by UserID
translist<-lapply(1:length(userid.ends),function(n){</pre>
  rws<-userid.starts[n]:userid.ends[n]
  x<-dat$gameID[rws]
})
# the transaction class is the primary one used for arules
datrans<-as(translist, "transactions")</pre>
```

Each list in translist is a "transaction". In this instance, a list of gameID's for UserID "1".

Summary of the datrans transactions object.

```
summary(datrans)
```

```
transactions as itemMatrix in sparse format with 154655 rows (elements/itemsets/transactions) and
```

```
27 columns (items) and a density of 0.1998271
most frequent items:
     13
             822
                                    68448 (Other)
                   30549
                            36218
  57284
          57092
                   54279
                            47936
                                    45617 572207
element (itemset/transaction) length distribution:
sizes
    1
          2
                 3
                       4
                              5
                                    6
                                                 8
                                                        9
                                                             10
                                                                    11
                                                                          12
44648 14747 12740 10951
                                 8222 13791
                                                                  4059
                                                                        3550
                           9544
                                              5547
                                                     4890
                                                           4515
   13
         14
                15
                      16
                             17
                                   18
                                          19
                                                20
                                                       21
                                                             22
                                                                    23
 6081
             2136
                    1848
                          1601
                                 1276
                                        1539
                                               235
                                                       92
                                                             17
                                                                     2
       2624
   Min. 1st Qu.
                  Median
                             Mean 3rd Qu.
                                              Max.
  1.000
          1.000
                   4.000
                            5.395
                                    8.000
                                            23.000
includes extended item information - examples:
  labels
      11
1
2
      13
3
     103
Some standard measures for item lists are support and confidence. Support is the proportion of a given item
list in the data. Confidence is a conditional probability type measure. The confidence of item set A = item
set B is: support(item set A) support(item set B)/support(item set A)
I arbitrarily chose a target of 1000 to arrive at a support value.
# find a support level
sup<-1000/nrow(datrans)</pre>
print(paste("support is ",sup,sep=""))
[1] "support is 0.00646600497882383"
itemsets <- apriori(datrans, parameter = list(target = "frequent",</pre>
                                               supp=sup, minlen = 3))
Apriori
Parameter specification:
 confidence minval smax arem aval originalSupport maxtime
                                                                    support
         NA
                0.1
                                                 TRUE
                                                             5 0.006466005
                       1 none FALSE
minlen maxlen
                            target
      3
             10 frequent itemsets FALSE
Algorithmic control:
filter tree heap memopt load sort verbose
    0.1 TRUE TRUE FALSE TRUE
                                         TRUE
Absolute minimum support count: 1000
set item appearances ...[0 item(s)] done [0.00s].
set transactions ...[27 item(s), 154655 transaction(s)] done [0.06s].
sorting and recoding items ... [26 item(s)] done [0.02s].
creating transaction tree ... done [0.10s].
checking subsets of size 1 2 3 4 5 6 7 8 done [5.08s].
writing ... [175295 set(s)] done [0.07s].
```

```
creating S4 object ... done [0.15s].
```

inspect(head(sort(itemsets), n=10))

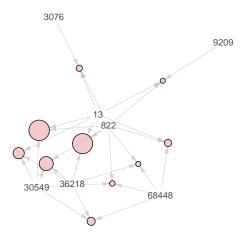
	items	support	count
[1]	{13,822,30549}	0.10280948	15900
[2]	{13,822,36218}	0.10259610	15867
[3]	{822,30549,36218}	0.09851605	15236
[4]	{13,30549,36218}	0.09659565	14939
[5]	{30549,36218,68448}	0.09453946	14621
[6]	{13,822,68448}	0.09398985	14536
[7]	{13,822,3076}	0.09328505	14427
[8]	{822,30549,68448}	0.09281304	14354
[9]	{13,36218,68448}	0.09260612	14322
[10]	{13,822,9209}	0.09252853	14310

There's a cool graph method.

```
plot(head(sort(itemsets, by = "support"), n=10), method = "graph", control=list(cex=.8))
```

Graph for 10 itemsets

size: support (0.093 - 0.103)

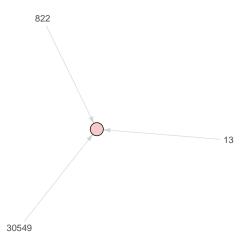


The first grouping in the table above.

```
plot(head(sort(itemsets, by = "support"), n=1), method = "graph", control=list(cex=.8))
```

Graph for 1 itemsets

size: support (0.103 - 0.103)

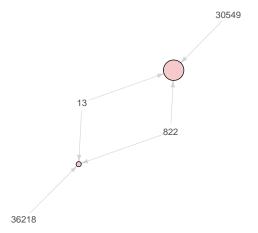


The first and second groupings in the table above.

```
plot(head(sort(itemsets, by = "support"), n=2), method = "graph", control=list(cex=.8))
```

Graph for 2 itemsets

size: support (0.103 - 0.103)



 \dots and so on \dots

```
plot(head(sort(itemsets, by = "support"), n=3), method = "graph", control=list(cex=.8))
```

Graph for 3 itemsets

size: support (0.099 - 0.103)

