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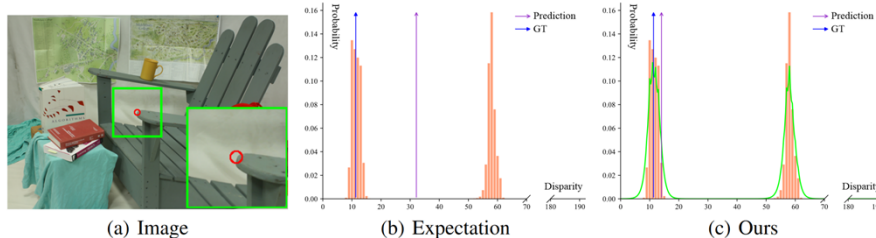
Robust Stereo Matching by Risk Minimization (ICLR 2024)

2023.11.9

1. 解决立体匹配中连续视差建模的重要性。我们通过将视差预测问题视为寻找视差值最小风险的搜索问题。我们证明了常用的视差期望是所提出的风险公式中 **L2** 误差函数的一个特例，它对多模态分布敏感，可能导致解过于平滑。相反，我们主张在风险最小化过程中使用 **L1** 误差函数。

2. 在本文中，我们通过计算所提出的风险函数的导数并执行其连续优化来寻找解决方案。通过对视差分类分布进行插值，我们定义了连续概率密度函数。然后，我们提出了一种二分搜索算法来找到有效地最小化所提出的风险的最佳视差。为了实现端到端网络训练，我们通过隐函数定理（计算最终视差相对于分类分布的后向梯度）。

Method: Overview of Network



$$y = \int xp(x; \mathbf{p})dx.$$

$$\operatorname{argmin}_y F(y, \hat{\mathbf{p}}) = \int xp(x; \mathbf{p})dx \text{ when } \mathcal{L}(\hat{y}, x) = (y - x)^2$$

$$y = \operatorname{argmin}_y F(y, \mathbf{p}) = \operatorname{argmin}_y \int |y - x|p(x; \mathbf{p})dx.$$

$$G(y, \mathbf{p}) \triangleq \frac{\partial F(y, \mathbf{p})}{\partial y} = \sum_i p_i \operatorname{Sign}(y - d_i) \left(1 - \exp - \frac{|y - d_i|}{\sigma}\right) = 0$$

$\mathcal{L}(y, x)$ 是 y 和 x 之间的误差函数。我们所说的风险是指，如果我们将 y 作为预测差异，相对于真实情况会有多少误差。由于在进行预测时无法获得准确的基本事实，因此我们将所有可能的基本事实差异的误差与分布 $p(x; \mathbf{p})$ 进行平均。

然而，众所周知，L2 范数并不稳健，并且容易出现异常值。如图2(b)所示，当存在多种模式时，期望不准确，求导就完了。

first-order derivative is a nondecreasing function

Method: Overview of Network



Algorithm 1 Forward Prediction

Require: $\tau > 0, \sigma > 0, \mathbf{d} = [d_1, \dots, d_N], d_1 < d_2 < \dots < d_N$, and $\mathbf{p} = [p_1, \dots, p_N]$

$d^l \leftarrow d_1$ ▷ Initialize search boundaries

$d^r \leftarrow d_N$

$g \leftarrow \tau + 1$ ▷ Initialize the derivative

while $|g| > \tau$ **do**

$d^m \leftarrow (d^l + d^r)/2.0$ ▷ Compute the mid point

$g \leftarrow \sum_i p_i \text{Sign}(d^m - d_i)(1 - \exp - \frac{|d^m - d_i|}{\sigma})$ ▷ Compute the derivative by Eq.(5)

if $g > 0$ **then** ▷ Update search boundaries

$d^r \leftarrow d^m$

else

$d^l \leftarrow d^m$

end if

end while

return d^m ▷ Return the mid point

n

$$dG(y, \mathbf{p}) = \frac{\partial G}{\partial y} dy + \frac{\partial G}{\partial \mathbf{p}} d\mathbf{p} = 0.$$

ing the terms, we obtain

$$\frac{dy}{d\mathbf{p}} = -\frac{\partial G / \partial \mathbf{p}}{\partial G / \partial y} = [\dots, \frac{\sigma \text{Sign}(d_i - y)(1 - \exp - \frac{|y - d_i|}{\sigma})}{\sum_j p_j \exp - \frac{|y - d_j|}{\sigma}}, \dots]^T.$$

Experiment



Method	Param (M)	Time (s)	> 2px		> 3px	
			Noc	All	Noc	All
LEAStereo (Cheng et al., 2020)	1.81		1.90	2.39	1.13	1.45
CFNet (Shen et al., 2021)	21.98	0.12	1.90	2.43	1.23	1.58
ACVNet (Xu et al., 2022)	6.84	0.15	1.83	2.34	1.13	1.47
ACFNet (Chen et al., 2021)			1.83	2.35	1.17	1.54
NLCA-Net v2 (Rao et al., 2022)			1.83	2.34	1.11	1.46
CAL-Net (Chen et al., 2021)			1.74	2.24	1.19	1.53
CREStereo (Li et al., 2022) †			1.72	2.18	1.14	1.46
LaC+GANet (Liu et al., 2022a)	9.43		1.72	2.26	1.05	1.42
IGEV (Xu et al., 2023) ‡	12.60	0.32	1.71	2.17	1.12	1.44
PCWNet (Shen et al., 2022)	34.27	0.23	1.69	2.18	1.04	1.37
Ours	11.96	0.32	1.58	2.20	1.00	1.44

Method	Param (M)	Time (s)	All			Noc		
			D1_bg	D1_fg	D1_all	D1_bg	D1_fg	D1_all
LEAStereo (Cheng et al., 2020)	1.81		1.40	2.91	1.65	1.29	2.65	1.51
CFNet (Shen et al., 2021)	21.98	0.12	1.54	3.56	1.88	1.43	3.25	1.73
ACVNet (Xu et al., 2022)	6.84	0.15	1.37	3.07	1.65	1.26	2.84	1.52
ACFNet (Chen et al., 2021)			1.51	3.80	1.89	1.36	3.49	1.72
NLCA-Net v2 (Rao et al., 2022)			1.41	3.56	1.77	1.28	3.22	1.60
CAL-Net (Chen et al., 2021)			1.59	3.76	1.95	1.45	3.42	1.77
CREStereo (Li et al., 2022) †			1.45	2.86	1.69	1.33	2.60	1.54
LaC+GANet (Liu et al., 2022a)	9.43		1.44	2.83	1.67	1.26	2.64	1.49
IGEV (Xu et al., 2023) ‡	12.60	0.32	1.38	2.67	1.59	1.27	2.62	1.49
DLNR (Zhao et al., 2023)	54.72	0.39	1.60	2.59	1.76	1.45	2.39	1.61
PCWNet (Shen et al., 2022)	34.27	0.23	1.37	3.16	1.67	1.26	2.93	1.53
CroCo-Stereo (Weinzaepfel et al., 2023) †	417.15		1.38	2.65	1.59	1.30	2.56	1.51
Ours	11.96	0.32	1.40	2.76	1.63	1.25	2.62	1.48

KITTI 2012 2015

Table 8: Ablation studies on Middlebury training set of quarter resolution. The **first** and **second** bests are in red and blue respectively. **Our method** in bold.

Backbone	Training	Test	Param (M)	Time (s)	> 1px		> 2px	
					Noc	All	Noc	All
ACVNet(Xu et al., 2022)	Expectation	Expectation	6.84	0.12	22.68	26.49	13.54	16.49
	Expectation	L1-Risk	6.84	0.18	22.32	26.14	13.13	16.05
PCWNet(Shen et al., 2022)	Expectation	Expectation	34.27	0.19	16.80	21.36	8.93	12.62
	Expectation	L1-Risk	34.27	0.26	16.53	21.08	8.65	12.30
Ours	Expectation	Expectation	11.96	0.17	9.88	13.27	4.92	7.29
	Expectation	L1-Risk	11.96	0.25	9.83	13.22	4.90	7.27
	L1-Risk	Expectation	11.96	0.17	9.83	13.19	4.79	7.06
	L1-Risk	L1-Risk	11.96	0.25	9.32	12.63	4.49	6.70

36 manydepth
37 monorec



Thanks