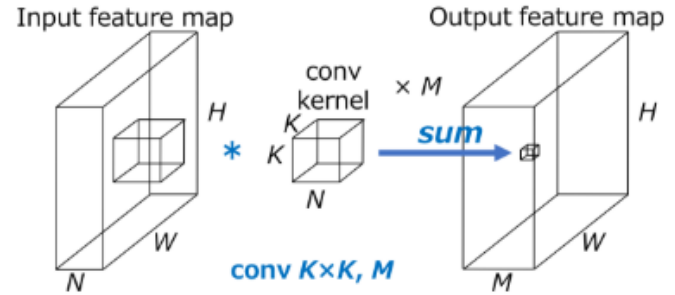
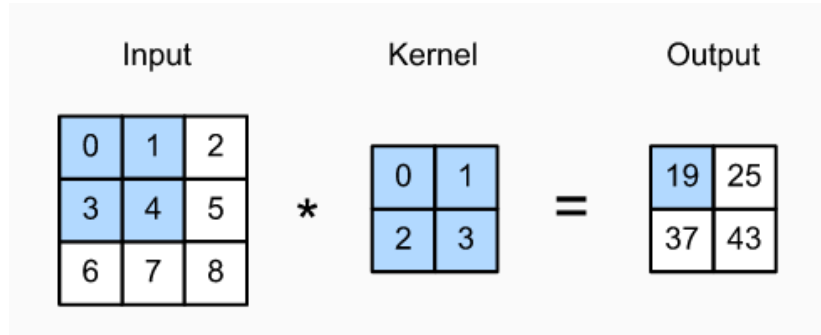


Pixel-Adaptive Convolutional Neural Networks (CVPR 2019)

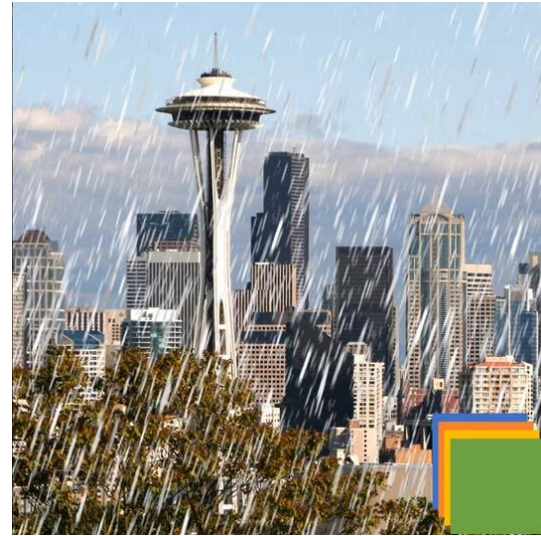
Hang Su¹, Varun Jampani², Deqing Sun², Orazio Gallo², Erik Learned-Miller¹, and Jan Kautz²

¹UMass Amherst ²NVIDIA

standard convolution

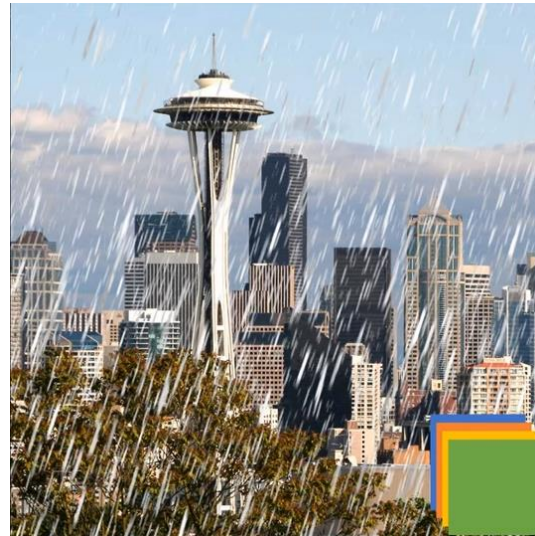


Convolution is spatially-shared



<https://www.youtube.com/watch?v=gsQZbHuR64o>

Convolution is content-agnostic



Dynamic Filter Networks (NIPS 2016)

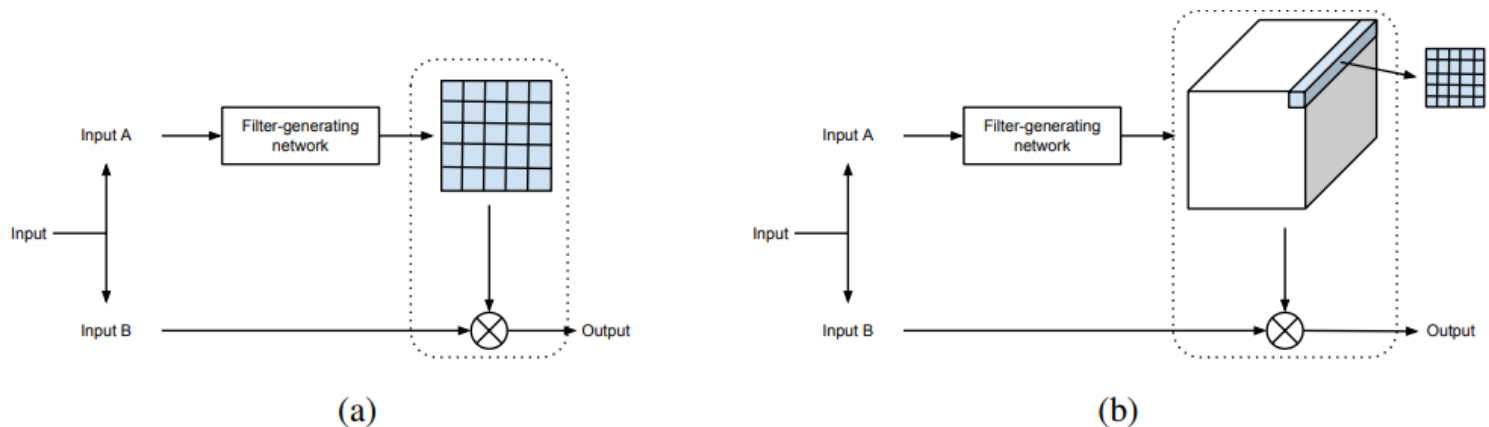
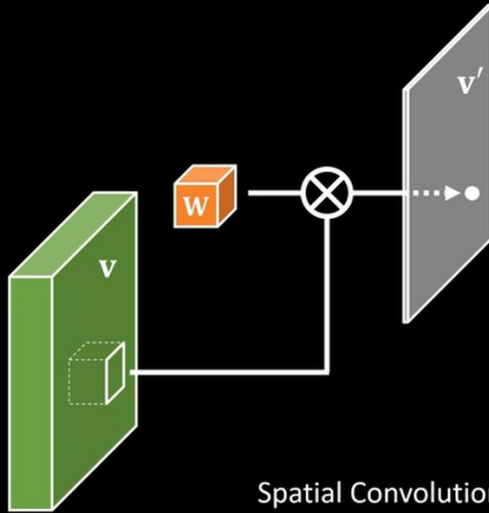


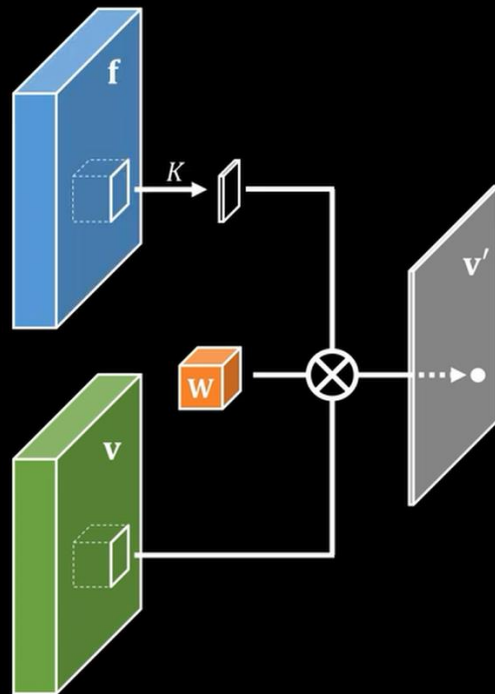
Figure 2: *Left:* Dynamic convolution: the filter-generating network produces a single filter that is applied convolutionally on I_B . *Right:* Dynamic local filtering: each location is filtered with a location-specific dynamically generated filter.

\mathbf{v} input features
 \mathbf{v}' output features
 \mathbf{p} (x, y) coordinates
 \mathbf{W} filter weights

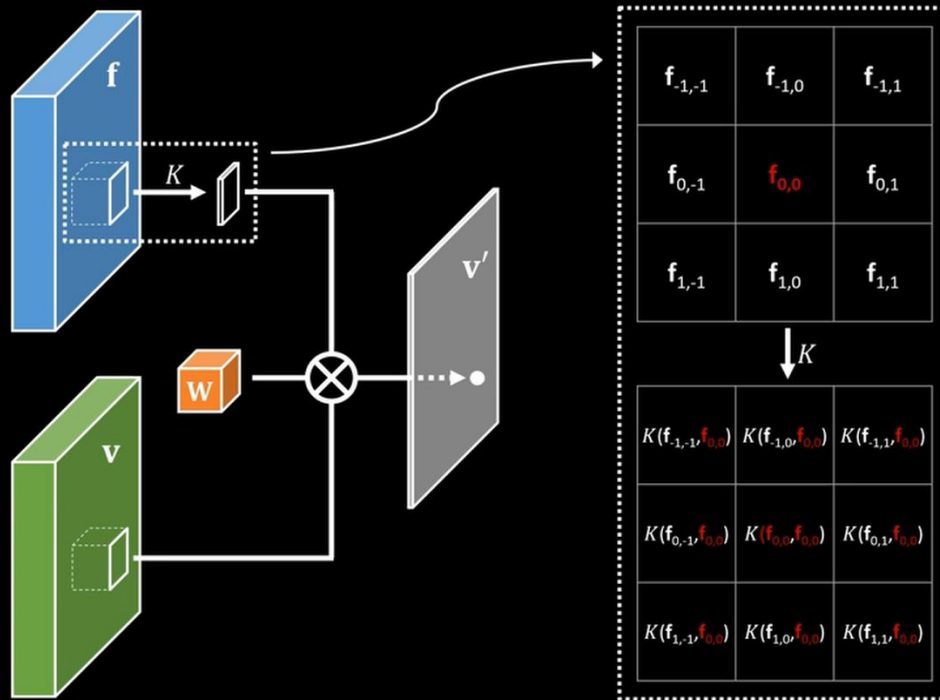


Spatial Convolution
$$\mathbf{v}'_i = \sum_{j \in \Omega(i)} \mathbf{W}[\mathbf{p}_i - \mathbf{p}_j] \mathbf{v}_j + \mathbf{b}$$

\mathbf{v} input features
 \mathbf{v}' output features
 \mathbf{p} (x, y) coordinates
 \mathbf{W} filter weights
 \mathbf{f} adapting features



\mathbf{v} input features
 \mathbf{v}' output features
 p (x, y) coordinates
 \mathbf{W} filter weights
 \mathbf{f} adapting features
 \mathbf{K} adapting kernel

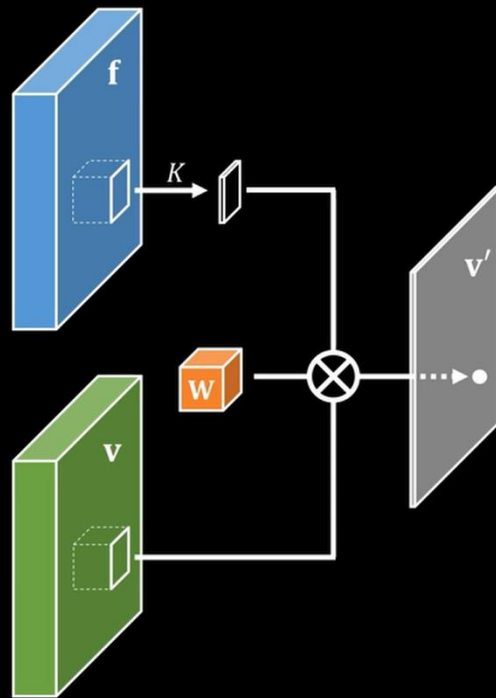


Pixel Adaptive Convolution (PAC)

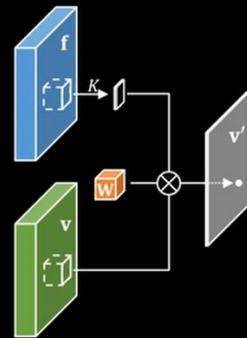
$$\mathbf{v}'_i = \sum_{j \in \Omega(i)} K(\mathbf{f}_i, \mathbf{f}_j) \mathbf{w}[p_i - p_j] \mathbf{v}_j + \mathbf{b}$$

Spatial Convolution

$$\mathbf{v}'_i = \sum_{j \in \Omega(i)} \mathbf{w}[p_i - p_j] \mathbf{v}_j + \mathbf{b}$$

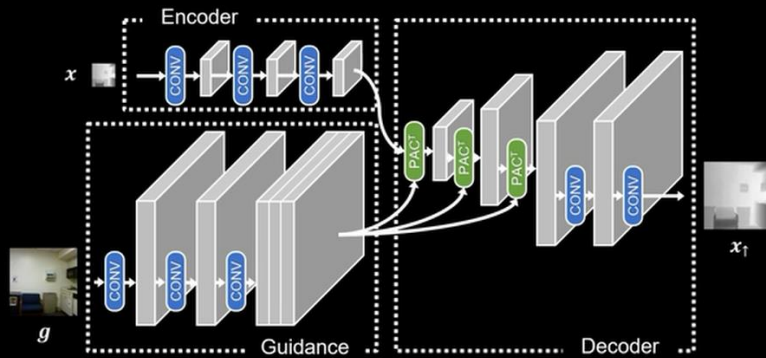


$$\mathbf{v}'_i = \sum_{j \in \Omega(i)} K(\mathbf{f}_i, \mathbf{f}_j) \mathbf{W}[p_i - p_j] \mathbf{v}_j + \mathbf{b}$$



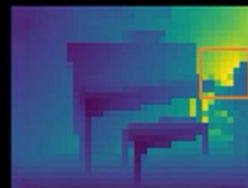
- Spatial convolution $K(\mathbf{f}_i, \mathbf{f}_j) = 1$
- Bilateral filtering $\mathbf{f} = (r, g, b), K(\mathbf{f}_i, \mathbf{f}_j) = \exp(-\frac{1}{2\alpha_1} \|\mathbf{f}_i - \mathbf{f}_j\|^2)$
 $\mathbf{W}[p_i - p_j] = \exp(-\frac{1}{2\alpha_2} \|p_i - p_j\|^2)$
- Average pooling $K(\mathbf{f}_i, \mathbf{f}_j) = 1, \mathbf{W}[p_i - p_j] = \frac{1}{F^2}$
- Detail-preserving pooling [1] $K(\mathbf{f}_i, \mathbf{f}_j) = \alpha + (\|\mathbf{f}_i - \mathbf{f}_j\|^2 + \epsilon^2)^\lambda$

PAC **generalizes** many existing filtering techniques

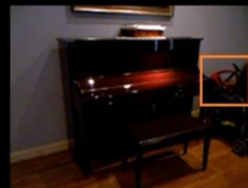


Joint upsampling network with PAC

x
(low-res input)



g
(guidance)



x_{\uparrow}
(Ours)



bilinear baseline

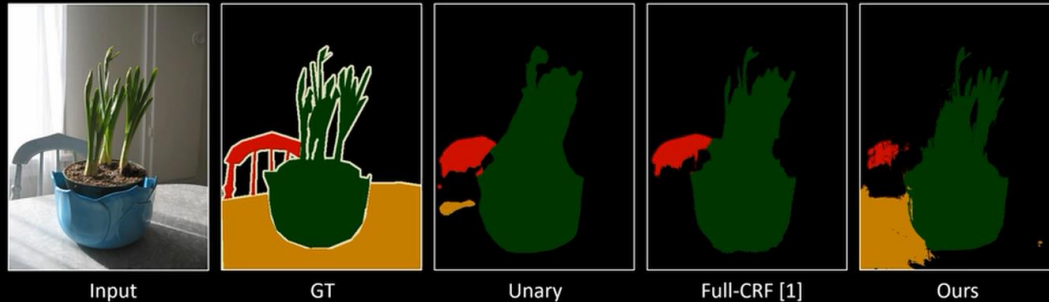
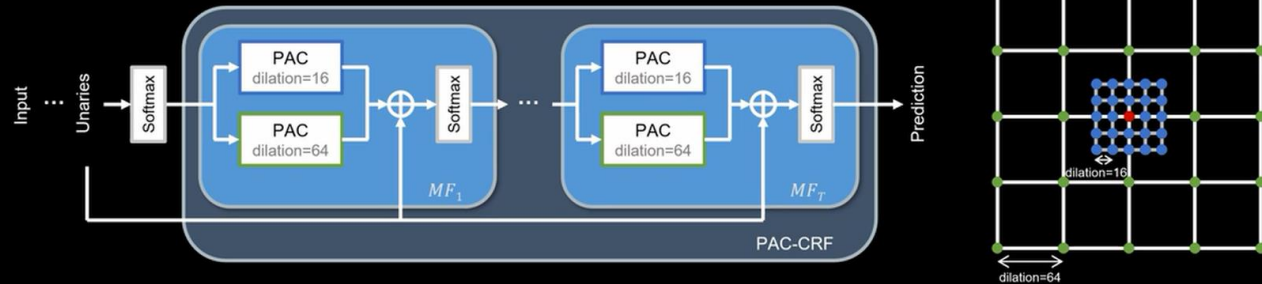


Joint depth upsampling (16x)



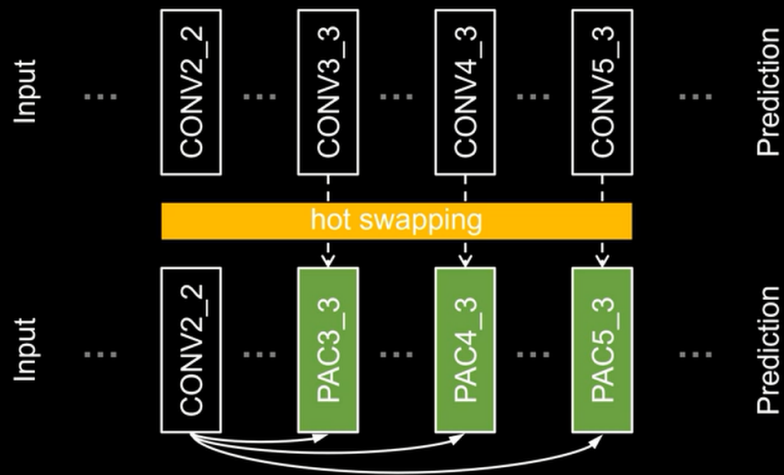
Joint optical flow upsampling (16x)

PAC for efficient CRF inference



[1] Philipp Krähenbühl and Vladlen Koltun. Efficient Inference in Fully Connected CRFs with Gaussian Edge Potentials. NIPS '11.

Layer “hot-swapping” with PAC

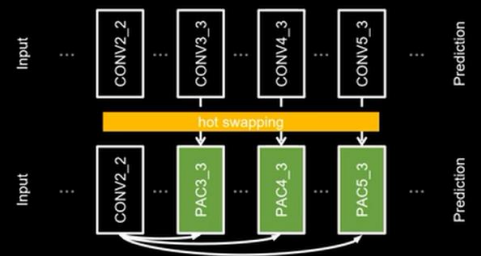
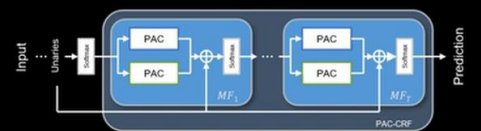
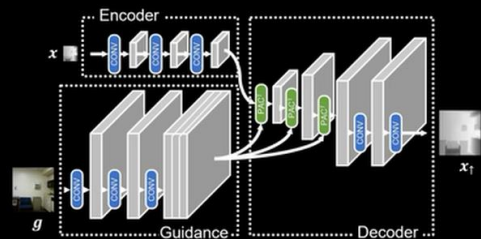
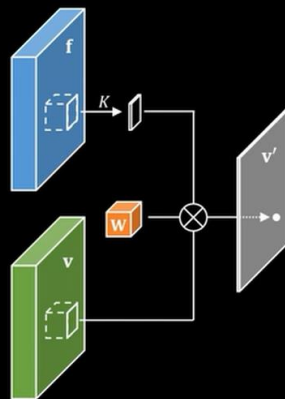


Method	CRF	mIoU	Runtime
FCN		67.20	39ms
FCN	✓	69.82	117ms
PAC-FCN		69.18	41ms
PAC-FCN	✓	71.34	118ms

*evaluated on Pascal VOC 2012 test set

Summary

- Pixel Adaptive Convolution Sec.3:
 - Content-adaptive
 - Generalizes several existing filtering techniques
- Three use cases:
 - Joint upsampling networks Sec. 4
 - Efficient CRF inference Sec. 5
 - Network layer hot-swapping Sec. 6



```

in_ch, g_ch = 16, 8                # channel sizes of input and guidance
stride, f, b, h, w = 5, 2, 64, 64 # stride, filter size, batch size, input height and width
input = torch.rand(b, in_ch, h, w)
guide = torch.rand(b, g_ch, h, w)  # guidance feature

pool = nn.AvgPool2d(f, stride)
out_pool = pool(input)             # standard spatial convolution

pacpool = PacPool2d(f, stride)
out_pac = pacpool(input, guide)    # PAC
out_pac = pacpool(input, None, guide_k) # alternative interface
                                         # guide_k is pre-computed 'K'
                                         # of shape [b, g_ch, f, f, h, w]. packernel2d can be
                                         # used for its creation.

```