

# Dynamic Data Structures: Hash Tables

## Algorithms: Searching

ENGF0002: Design and Professional Skills

Mark Handley, University College London, UK

Term 1, 2019

## The builtin `dict` type.

The Python dictionary type provides a very efficient key-value store.

- the `dict` function takes a sequence of tuples and returns a dictionary mapping them as key values.
- There is a shorthand for dict literals, eg. `{k1:v1, k2:v2}`
- Get and set operations are as in `minimap`, eg. `m[k] = v` for set, and `m[k]` for get.
- the `len` function returns the number of items, and an iterator returns an unordered sequence of keys.

For a full list of operations see <https://docs.python.org/3.7/library/stdtypes.html#mapping-types-dict>.

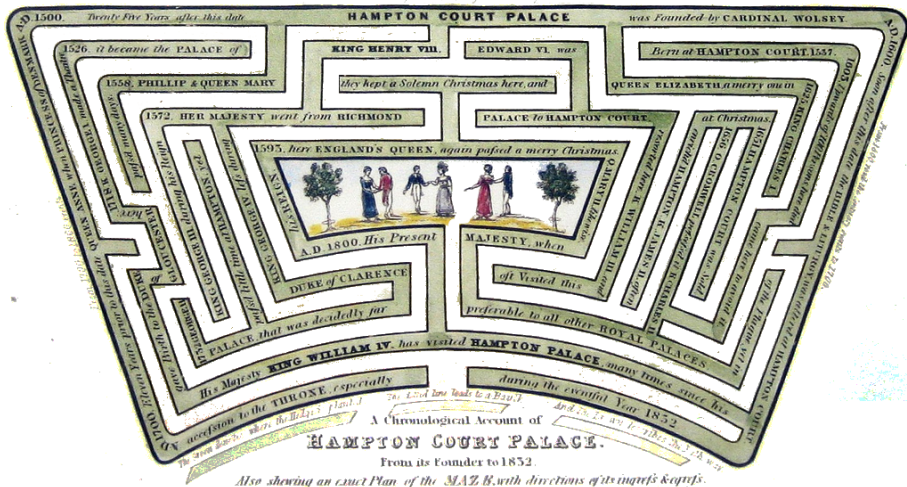
# Python dict example

```
2 dict = {'Name': 'Mark', 'Age': 157, 'Course': 'ENGF0002'}
3 print("dict['Name']: ", dict['Name'])
4 print("dict['Age']: ", dict['Age'])
5
6 dict['Age'] = 158; # update existing entry
7 dict['Office'] = "MPEB 6.21"; # Add new entry
8 print("dict['Name']: ", dict['Name'])
9 print("dict['Age']: ", dict['Age'])
10
11 del dict['Name'] # remove entry with key 'Name'
12 dict.clear()    # remove all entries in dict
13 del dict        # delete entire dictionary
```

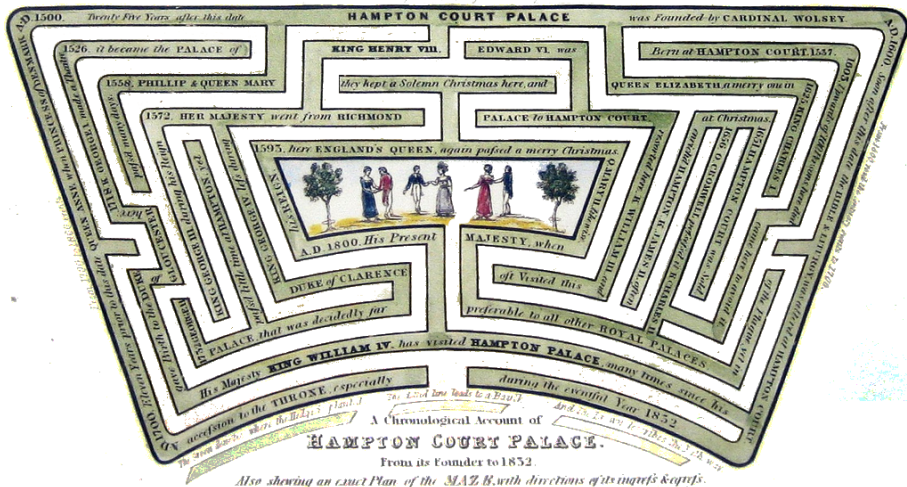
# Dict of Dicts

```
2 mark = {'Name': 'Mark Handley', 'Age': 157, 'Room': '6.21'}
3 brad = {'Name': 'Brad Karp', 'Age': None, 'Room': '6.22'}
4 stefano = {'Name': 'Stefano Vissichio', 'Age': 21, 'Room': '6.19'}
5
6 courses = {'ENGF0002': mark, \
7            'COMP0023': stefano, \
8            'COMP0019': brad}
9
10 print(courses['ENGF0002']['Name'])
11 print(courses['COMP0023']['Room'])
```

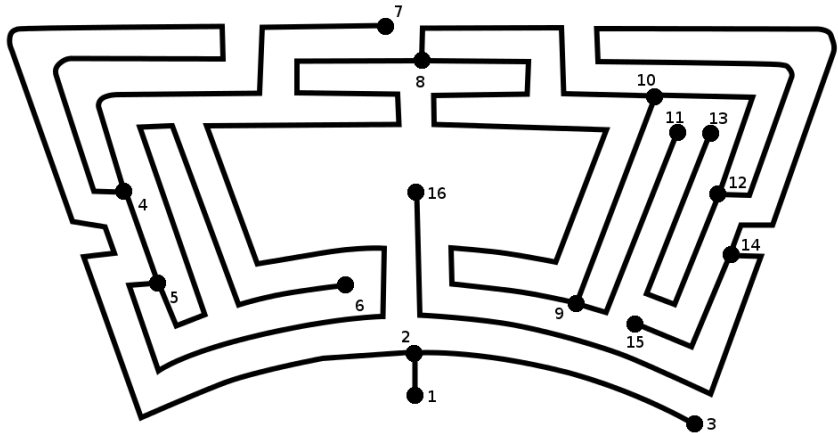
Search

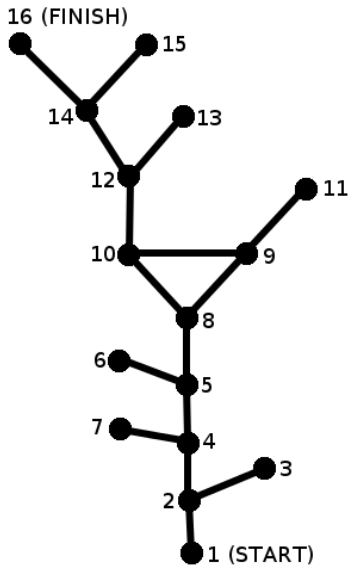




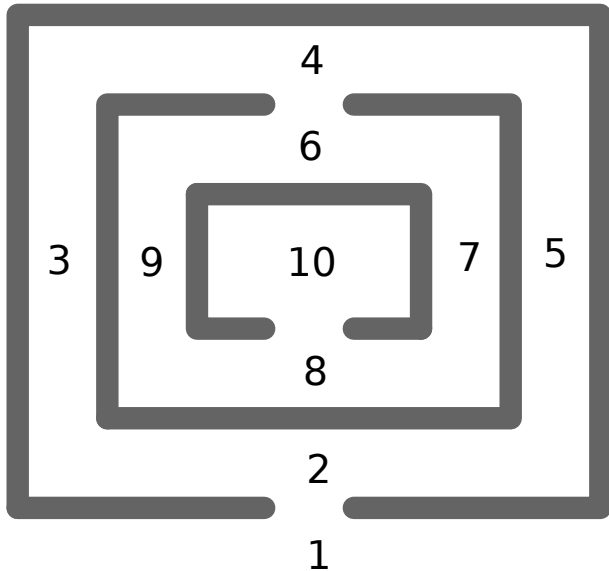


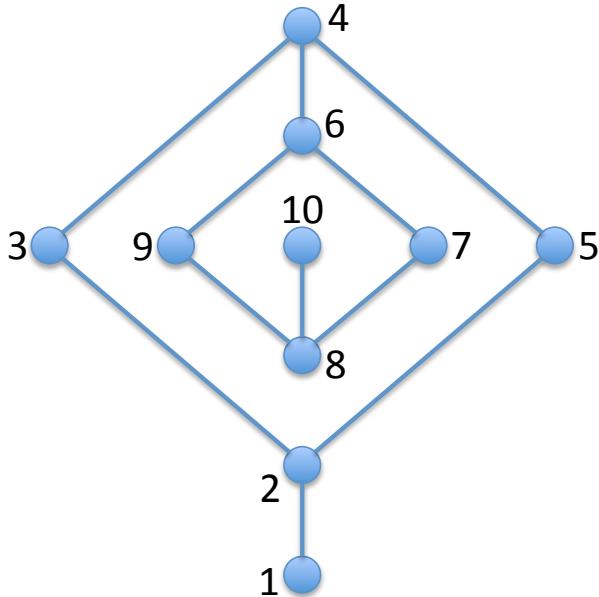


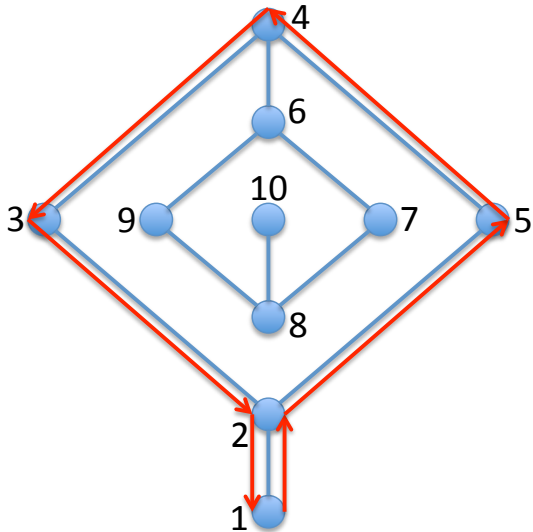


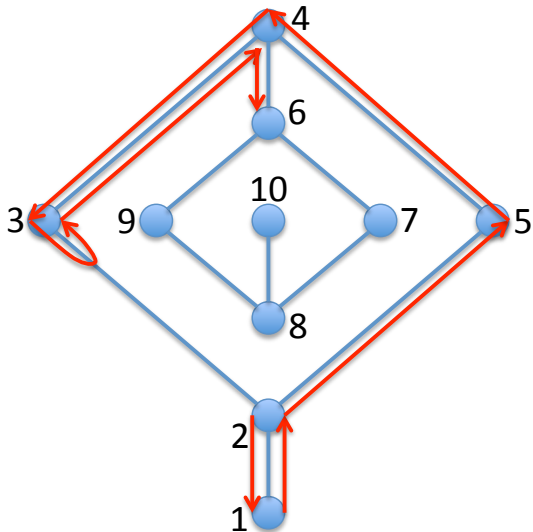








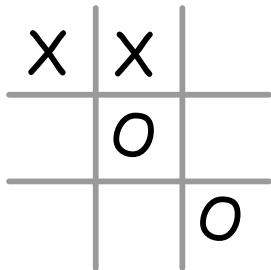








## Noughts and Crosses



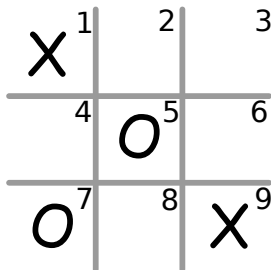
$9 \times 8 \times 7 \times 6 \times 5 \times 4 \times 3 \times 2 \times 1$  or  $9! = 362,880$  moves

Many games finish before board is full, so 255,168 possible different games.

(Actually, less due to symmetry, but I'm going to ignore that.)

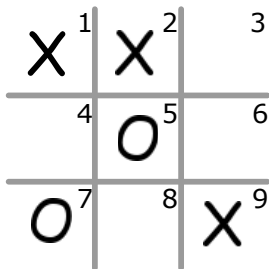
Adding one extra rule, *always win if you can*, reduces this to 52,592.

Consider a position close to the end of the game:

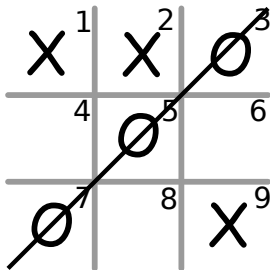


We're playing X and we started, so it's our go. Where should we play?

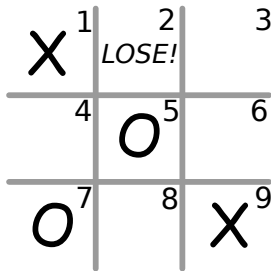
How about position 2?



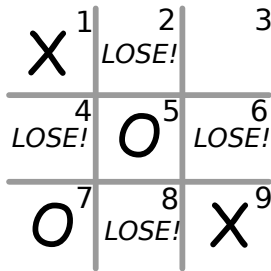
O wins



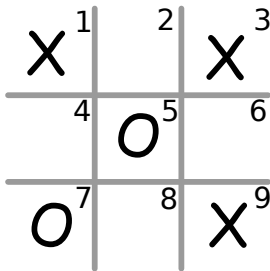
Backtrack, and mark square 2 as “lose”



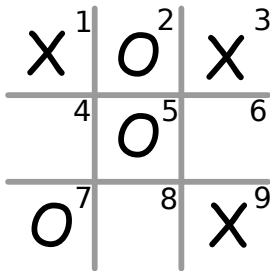
The same thing happens when we explore squares 4, 6, and 8, so those get marked as Lose too.



How about square 3?



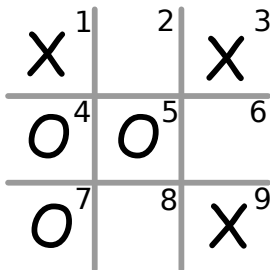
Now we have to try all of O's possible moves.  
First try O at square 2.



We'll play at 6 to win. But can O play elsewhere to force a win?

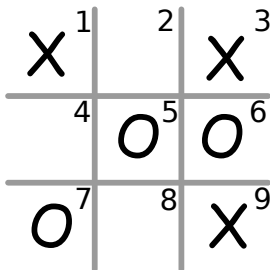


Next try O at square 4.



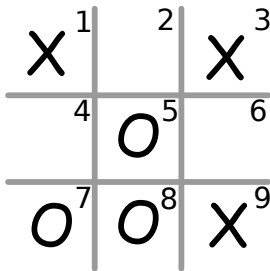
We'll play at 6 to win. But can O play elsewhere to force a win?

Next try O at square 6.



We'll play at 2 to win. But can O play elsewhere to force a win?

Finally try O at square 8.



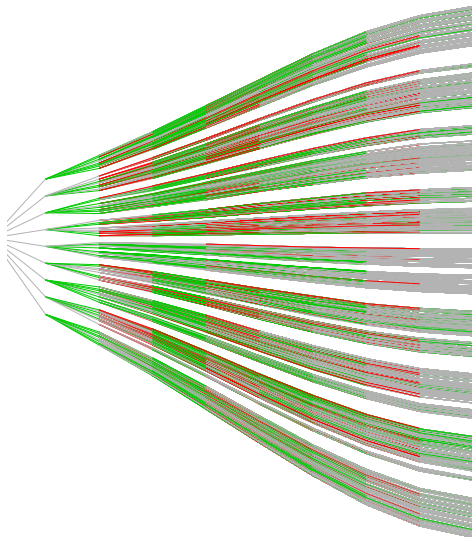
We'll play at 2 or 6 to win. O has no winning moves.

Backtrack and mark square 3 as “win”.

<sup>1</sup> X	<sup>2</sup> LOSE!	<sup>3</sup> WIN!
<sup>4</sup> LOSE!	<sup>5</sup> O	<sup>6</sup> LOSE!
<sup>7</sup> O	<sup>8</sup> LOSE!	<sup>9</sup> X

If we do this search from move 1, we get:

<sup>1</sup> X	<sup>2</sup> Win!	<sup>3</sup> Win!
<sup>4</sup> Win!	<sup>5</sup> Draw	<sup>6</sup> Win!
<sup>7</sup> Win!	<sup>8</sup> Win!	<sup>9</sup> Win!



## Wargames, 1983

