

Machine Learning (3 Marks Qn)

1.

I In lr and SGD you update set of parameters in an iterative manner

II In SGD you have to run for all the sample for a single update of parameter in each iteration.

III In lr you either use entire data or a subset of training data to update a parameter in each iteration.

AS I is true

2. Which of the following hyper parameters ~~that~~ when increased may ~~cause~~ random forest to over fit the data.

(a) no. of trees

(b) depth of tree

(c) learning rate.

A) depth of tree

3. Imagine you are working with analytics vidya and you want to develop a machine learning algorithm which predict no. of views on the article. your analysis is based on features: name ~~like~~, author ~~name~~ name, no. of article written by same author on the analytics vidya platform in past etc.

which of the following evaluation matrix would you choose in that case.

i) Min square error

ii) Accuracy

iii) S_{14}

→ min square error

4. let's say that you are using activation $\tanh x$ in hidden layer of neural network at a particular neuron for given input. you get the output as -0.0001 , which of the following ^{activation} function should x represent

(a) R.E.L.U = Rectified linear unit

(b) \tanh

(C) Sigmoid

(D) None of these

A) tanh

3. Of which of the following are one of the important step to preprocess the text in NLP based project.

S1. stemming

S2. stop word removal

S3. object standardization

A) All of these.

6. Adding a non important feature to a linear regression method may result in

(i) increase in R^2

(ii) decrease in R^2

A) increase in R^2

7. in KNN model it is very likely to overfit due to the cause of dimensionality. which of the following option would you consider to handle this problem

- (a) dimensionality reduction
- (b) feature selection

* (a) & (b) both

8. which of the following is true about the gradient boosting tree.

(i) in each stage, introduce a new regression tree to compensate the shortcoming of the existing model.

(ii) we can use gradient + distance (GD) method to minimize the loss function

~~(iii)~~

As (i) and (ii)

9. To apply bagging to regression trees which of the following are true in that case -

i) we build the n regression with n bootstrap sample.

ii) we take the average of n regression tree

iii) each tree has a high variance with low biased

→ All are true

10. → when you find noise in data which of following option you considered in $K \cdot N \cdot N$

(i) σ will increase the value of K

(ii) σ will decrease the value of K

(iii) Noise can't be dependent on the value of K

(iv) None of these

→ (i) σ will increase the value of K

11. Suppose you want to predict the class of new data point $x=1$ and $y=1$ using Euclidean distance in 3NN in which class these data points belong to

(a) + class

(b) - class

(c) cannot be predicted

(d) none of these

→ (a) + class

12. Which of the following will be Euclidean distance b/w the two data points A (1,3) and B (2,3)

→ 1

13. Suppose ~~you are~~ you are working on a binary classification problem with three input features and you choose to apply a bagging algorithm X on this data. You choose $\text{max_features} = 2$ and the n estimators $n = 3$ assume that each estimator has 100 accuracy. Note that algorithm X is aggregating the results of

Individual estimators based on maximizing what will be the max accuracy you can get

AS 100%

14. in random forest or gradient boosting algorithm features can be of any type for example it can be a continuous features or categorical features which of the following option is true when you consider this types of feature.

AS both the algorithm can handle real valued attributes by discretizing them

15. Which of the following is true about training and testing error in the case described below.

suppose you want to apply Adaboost algorithm on data D which has T observation. you have set half of the data for training and half for testing initially. Now you want to increase the no. of data going for training;

T_1, T_2, \dots, T_n
where $T_1 < T_2 < T_3 < \dots < T_n$

As The diff. betn training error and testing error decreases as the no. of observation increases.

16. Suppose you are given 3 variable X, Y, Z the Pearson correlation coefficient for (X, Y) , (Y, Z) & (X, Z) are C_1, C_2 and C_3 respectively. Now you have added (a) two in all values of X , subtract 2 from all values of Y and Z remains the same. The new coefficient (X, Y) , (Y, Z) and (X, Z) are given by D_1, D_2, D_3 respectively. How do the values of D_1, D_2, D_3 relate to C_1, C_2, C_3

$D_1 = C_1, D_2 = C_2, D_3 = C_3$