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## Daily Coding Problem #184

### Problem

This problem was asked by Amazon.

Given  $n$  numbers, find the greatest common denominator between them.

For example, given the numbers  $[42, 56, 14]$ , return 14.

### Solution

Because the greatest common divisor is associative, gcd of multiple numbers: say,  $a, b, c$  is equivalent to  $\text{gcd}(\text{gcd}(a, b), c)$ . Intuitively, this is because if  $d$  divides  $\text{gcd}(a, b)$  and  $c$ , it must divide  $a$  and  $b$  as well by the definition of the greatest common divisor.

Thus the greatest common divisor of multiple numbers  $a, b, \dots, z$  can be obtained by iteratively computing the gcd of  $a$  and  $b$ , and gcd of the result of that with  $c$ , and so on.

```
def gcd(nums):
    n = nums[0]
    for num in nums[1:]:
        n = _gcd(n, num)
    return n
```

How to implement `_gcd()` though? A naive implementation might try every integer from 1 to `min(a, b)` and see if it divides the larger:

```
def _gcd_naive(a, b):
    smaller, larger = min(a, b), max(a, b)
    for d in range(smaller, 0, -1):
        if larger % d == 0:
            return d
```

However, a much more efficient method is the Euclidean algorithm to find the the greatest common divisor, which follows the recursive formula:

```
gcd(a, 0) = a
gcd(a, b) = gcd(b, a % b)
```

```
def _gcd(a, b):
    if b == 0:
        return a
    return _gcd(b, a & b)
```

A more memory-efficient method that works bottom up:

```
def _gcd(a, b):
    while b:
        a, b = b, a % b
    return a
```

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