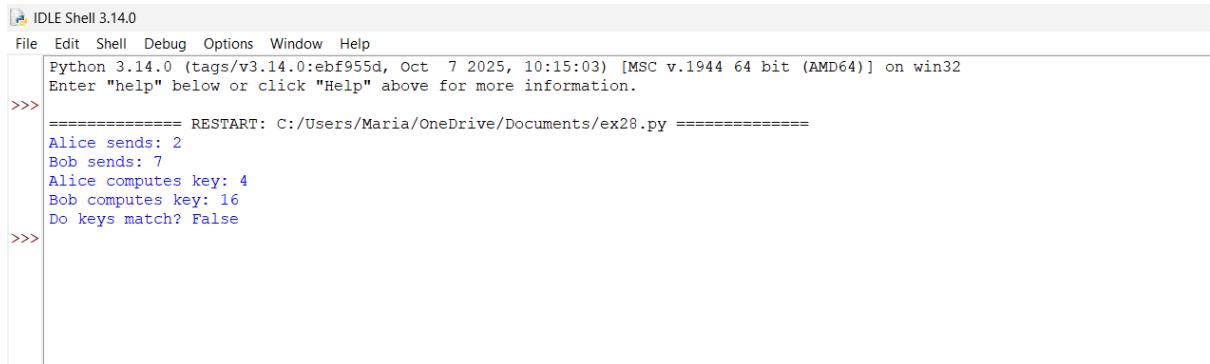


28. Write a python program for Diffie-Hellman protocol, each participant selects a secret number x and sends the other participant $a^x \bmod q$ for some public number a . What would happen if the participants sent each other $x^a \bmod q$ instead? Give at least one method Alice and Bob could use to agree on a key. Can Eve break your system without finding the secret numbers? Can Eve find the secret numbers?

Code:

```
def wrong_dh(a, q, x, y):  
    # Alice sends  $x^a \bmod q$   
    A = pow(x, a, q)  
    # Bob sends  $y^a \bmod q$   
    B = pow(y, a, q)  
    # Alice computes supposed key  
    KA = pow(B, x, q)  
    # Bob computes supposed key  
    KB = pow(A, y, q)  
    return A, B, KA, KB  
  
a = 5  
q = 23  
x = 6 # Alice's secret  
y = 15 # Bob's secret  
A, B, KA, KB = wrong_dh(a, q, x, y)  
print("Alice sends:", A)  
print("Bob sends:", B)  
print("Alice computes key:", KA)  
print("Bob computes key:", KB)  
print("Do keys match?", KA == KB)
```



IDLE Shell 3.14.0

File Edit Shell Debug Options Window Help

```
Python 3.14.0 (tags/v3.14.0:ebf955d, Oct 7 2025, 10:15:03) [MSC v.1944 64 bit (AMD64)] on win32
Enter "help" below or click "Help" above for more information.

>>> ===== RESTART: C:/Users/Maria/OneDrive/Documents/ex28.py =====
Alice sends: 2
Bob sends: 7
Alice computes key: 4
Bob computes key: 16
Do keys match? False
>>>
```