# Numpy NumPy is a Python package. NumPy stands for 'Numerical Python'. It is core library for scientific computing. It provides a high-performance multidimensional array object, and tools for working with these arrays Basic operations using NumPy: Mathematical and logical operations on arrays. Operations related to linear algebra. Random number generation. Fourier transforms and shape manipulation etc.

## Array □ The central feature of NumPy is the ndarray object class. □ Arrays are similar to lists in Python, except that every element of an array must be of the same type, typically a numeric type. □ With large amounts of numeric data, arrays make operations very fast and efficient as compare to lists. >>> import numpy as np >>> arr array([1, 2, 3, 4, 5], float) >>> type(arr) <class 'numpy.ndarray'> □ In np.array() the second argument is optional represents the desired data-type for the array. If not given, then the data type will be determined

### Importing the NumPy library

```
    >>>import numpy
    For large amounts of calls to NumPy functions, it can become tedious to write numpy. Y over and over again.
    A common practice is to import numpy under the brief name np
    >>>import numpy as np
```

### Array

☐ Array elements are accessed, sliced, and manipulated just like lists:

as the minimum data type required to hold the objects in the sequence.

```
>>>import numpy as np
>>>arr = np.array([1,2,3,4,5])
>>>print(arr[:3])
[1 2 3]
>>>arr[3]
4
>>>arr[-1]
5
>>>arr[1] = 2.5
>>>print(arr)
[1 2 3 4 5]
>>arr[1] = 0.5
>>>print(arr)
[1 0 3 4 5]
```

### **Array**

☐ A two-dimensional array (e.g., a matrix) can be created using numpy as follow:

```
>>>import numpy as np
>>>arr = np.array([[1,2,3,4,5],[6,7,8,9,10]])
>>>arr[0]
array([1, 2, 3, 4, 5])
>>>arr[0][0]
1
>>>arr[1][2]
8
>>>arr[-1][-1]
10
>>array([3, 8])
```

### **Array**

```
# Create a 2x2 identity matrix
>>>arr4 = np.eye(2)
>>>print(arr4)
[[1. 0.]
  [0. 1.]]
# Create an array filled with random values
>>arr5 = np.random.random((1,2))
>>>print(arr5)
[[0.00739397, 0.35334824]]
```

### Array

☐ Numpy methods to create arrays:

```
>>>import numpy as np
# Create an array of all zeros
>>>arr1 = np.zeros((2,2))
>>>print(arr1)
[[0. 0.]
    [0. 0.]]
# Create an array of all ones
>>>arr2 = np.ones((3,2))
>>>print(arr2)
[[1. 1.]
    [1. 1.]
    [1. 1.]]
# Create a constant array
>>>arr3 = np.full((2,2), 5)
>>>print(arr3)
[[5. 5.]
[5. 5.]]
```

### Numpy array methods

```
>>>import numpy as np
>>>arr1 = np.array([[1, 2, 3, 4, 5], [6, 7, 8, 9, 10]],
   float)
# shape property returns the dimension of array
>>>arr1.shape
(2, 5)
# dtype tells the type of the values stored by an array
>>>print(arr1.dtype)
 reshape method returns array of new specified dimension
>>>arr2 = arr1.reshape((5,2))
>>>print(arr2)
[[ 1. 2.]
[ 3. 4.]
[ 5. 6.]
[7.8.]
[ 9. 10.]]
```

### Numpy array methods

```
# transpose method returns transpose versions of arrays
>>>print(arr1.arr1.transpose())
[[ 1., 6.]
 [2., 7.]
 [3., 8.]
 [ 4., 9.]
 [5., 10.]]
# flatten method returns One-dimensional versions of
    multi-dimensional array
>>>print(arr1.flatten())
[ 1. 2. 3. 4. 5. 6. 7. 8. 9. 10.]
```

### Numpy concatenate() function

```
>>>import numpy as np
>>>arr1 = np.array([[1, 2], [3, 4]], float)
 >>arr2 = np.array([[5, 6], [7,8]], float)
>>>print(np.concatenate((arr1,arr2), axis = 0))
[[1. 2.]
[3. 4.]
 [5, 6,]
 [7. 8.]]
>>>arr3 = np.concatenate((arr1,arr2),axis = 1)
 >>arrr3
array([[1., 2., 5., 6.],
       [3., 4., 7., 8.]])
```

### Numpy concatenate() function

□ concatenate() function is used to join two or more arrays of the same shape along a specified axis.

### Syntax:

[5. 6.]

[7. 8.]]

```
numpy.concatenate((a1,a2,...), axis)
   (a1,a2,...): sequence of arrays of the same type
   axis (optional): Axis along which arrays have to be joined. Default
   is 0.
>>>import numpy as np
 >>>arr1 = np.array([[1, 2], [3, 4]], float)
>>>arr2 = np.array([[5, 6], [7,8]], float)
>>>print(np.concatenate((arr1,arr2)))
[[1. 2.]
 [3. 4.]
```

### Array mathematics

☐ When standard mathematical operations are used with arrays, they are applied on element-by-element basis.

```
>>>import numpy as np
 >>arr1 = np.array([[1, 2], [3, 4]])
>>>arr2 = np.array([[5, 6], [7,8]])
>>>print(arr1/arr2)
             0.33333333]
[0.2]
 [0.42857143 0.5
                       ]]
>>>print(arr1 + 5)
[[6 7]
[8 9]]
>>>arr3 = np.array([5,6])
>>>print(arr1 * arr3)
[[ 5 12]
[15 24]]
>>>arr4 = np.array([[5,6],[7,8], [9, 10]])
>>>print(arr1 * arr4)
ValueError: operands could not be broadcast together with
   shapes (2,2) (3,2)
```

### Array iteration

☐ Iterate over arrays is possible in a manner similar to that of lists:

```
>>>import numpy as np
>>>arr = np.array([[1, 2], [3, 4], [5, 6], [7,8]], float)
>>>for x in arr:
... print(x)
[1. 2.]
[3. 4.]
[5. 6.]
[7. 8.]
>>>for (x, y) in arr:
... print(x + y)
3.0
7.0
11.0
15.0
```

### **Basic Array Operations**

```
>>>import numpy as np
>>>arr = np.array([[1, 2], [3, 4], [5, 6], [7,8]], float)
#product operation
>>>print(arr.prod())
40320.0
>>>print(arr.prod(axis = 0))
[105. 384.]
>>>print(arr.prod(axis = 1))
[ 2. 12. 30. 56.]
>>>print(np.prod(arr))
40320.0
>>>print(np.prod(arr, axis = 1))
[ 2. 12. 30. 56.]
>>>print(np.prod(arr, axis = 0))
[ 105. 384.]
```

### **Basic Array Operations**

```
>>>import numpy as np
>>>arr = np.array([[1, 2], [3, 4], [5, 6], [7,8]], float)
#sum operation
>>>print(arr.sum())
36.0
>>>print(arr.sum(axis = 0))
[16. 20.]
>>>print(arr.sum(axis = 1))
[ 3.  7. 11. 15.]
>>>print(np.sum(arr))
36.0
>>>np.sum(arr, axis = 1)
[ 3.  7. 11. 15.]
>>>np.sum(arr, axis = 0)
[16. 20.]
```

### **Basic Array Operations**

```
>>>import numpy as np
>>>arr = np.array([[1, 2], [3, 4], [5, 6], [7,8]], float)
# mean
>>>print(arr.mean())
4.5
>>>print(arr.mean(axis = 0))
[4. 5.]
>>>print(arr.mean(axis = 1))
[1.5 3.5 5.5 7.5]
>>>print(np.mean(arr))
4.5
>>>print(np.mean(arr, axis = 1))
[1.5 3.5 5.5 7.5]
>>>print(np.mean(arr, axis = 0))
[4. 5.]
```

### **Basic Array Operations**

```
>>>import numpy as np
>>>arr = np.array([[1, 2], [3, 4], [5, 6], [7,8]], float)
# variance
>>>print(arr.var())
5.25
>>>print(arr.var(axis = 0))
[5. 5.]
>>>print(arr.var(axis = 1))
[0.25 0.25 0.25 0.25]
# standard deviation
>>>print(arr.std())
2.29128784747792
>>>print(arr.std(axis = 0))
[2.23606798 2.23606798]
>>>print(arr.std(axis = 1))
[0.5 0.5 0.5 0.5]
```

☐ We can also find variance and standard deviation using np.var() and np.std().

### Basic Array Operations

```
>>>import numpy as np
>>>arr = np.array([[5, 7, 4], [8, 2, 1]], float)
# argmin
>>>print(arr.argmin())
5
>>>print(arr.argmin(axis = 0))
[0 1 1]
>>>print(arr.argmin(axis = 1))
[2 2]
# argmax
>>>print(arr.argmax())
3
>>>print(arr.argmax(axis = 0))
[1 0 0]
>>>print(arr.argmax(axis = 1))
[1 0]
```

### **Basic Array Operations**

maximum.

```
>>>import numpy as np
>>>arr = np.array([[1, 2], [3, 4], [5, 6], [7,8]], float)
# minimum
>>>print(arr.min())
1.0
>>>print(arr.min(axis = 0))
[1. 2.]
>>>print(arr.min(axis = 1))
[1. 3. 5. 7.]
# maximum
>>>print(arr.max())
8.0
>>>print(arr.max(axis = 0))
[7. 8.]
>>>print(arr.max(axis = 1))
[2. 4. 6. 8.]
```

 $\square$  We can also use np.min() and np.max() to find minimum and

### **Basic Array Operations**

```
>>>import numpy as np
 >>>arr = np.array([[5, 7, 4], [8, 2, 1]], float)
>>>arr1 = arr.copy()
>>>arr2 = arr.copy()
 sort
 >>>arr.sort()
>>>print(arr)
[[4. 5. 7.]
 [1. 2. 8.]]
>>>arr1.sort(axis = 0)
print(arr1)
[[5. 2. 1.]
 [8. 7. 4.]]
>>>arr2.sort(axis = 1)
>>>print(arr2)
[[4. 5. 7.]
 [1. 2. 8.]]
```

### **Basic Array Operations**

```
>>>import numpy as np
>>>arr = np.array([[5, 7, 4], [8, 2, 1], [3, 9, 6]], float)
# diagonal
>>>print(arr.diagonal())
[5. 2. 6.]
>>>print(np.diag(arr))
[5. 2. 6.]
>>>arr = np.array([[5, 7, 4], [8, 2, 1]], float)
>>>print(arr.diagonal())
[5. 2.]
```

### Vector and matrix mathematics

### Comparison operators

```
>>>import numpy as np
>>>arr1 = np.array([5, 7, 4])
>>>arr2 = np.array([2, 8, 3])
# comparision
>>>print(arr1 > arr2)
[ True False True]
>>>print(arr1 < arr2)
[False True False]
>>>print(arr1 != arr2)
[ True True True]
>>>print(arr1 > 4)
[ True True False]
```

### Outer product, inner product, cross product

### numpy.linalg >>>import numpy as np >>>a = np.array([[1, 2, 1], [1, 3, 1], [1, 2, 0]], float) # determinant >>>print(np.linalg.det(a)) -1.0 # inverse matrix >>>b = np.linalg.inv(a) >>>print(b) [[2. -2. 1.] [-1. 1. 0.] [1. -0. -1.]] # dot product >>>print(np.dot(a, b)) [[1. 0. 0.] [0. 1. 0.] [0. 0. 1.]]

### numpy.linalg

```
>>>import numpy as np
>>>a = np.array([[-2, -4, 2], [-2, 1, 2], [4, 2, 5]],
    float)
# eigen value and eigen vectors
>>>vals, vecs = np.linalg.eig(a)
>>>print(vals)
[-5.     3.     6.]
# normalized eigen vectors as columns of vecs
>>>print(vecs)
[[ 0.81649658     0.53452248     0.05842062]
    [ 0.40824829     -0.80178373     0.35052374]
    [-0.40824829     -0.26726124     0.93472998]]
>>>print(np.dot(a,vecs[:,0]))
[-4.0824829     -2.04124145     2.04124145]
>>>print(vals[0]*vecs[:,0])
[-4.0824829     -2.04124145     2.04124145]
```