



COPERNICUS MASTER
IN DIGITAL EARTH

Image Processing

Segmentation and hierarchical segmentation

Minh-Tan Pham

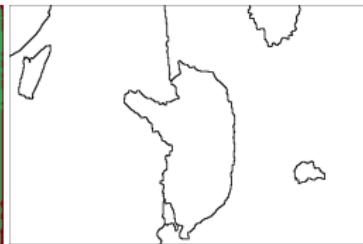
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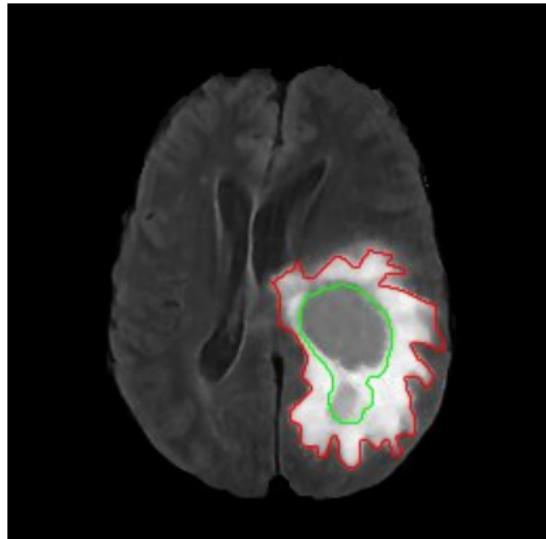
- 1** Image segmentation
- 2** Watershed segmentation
- 3** Graph-based Watershed cuts
- 4** Hierarchical segmentations

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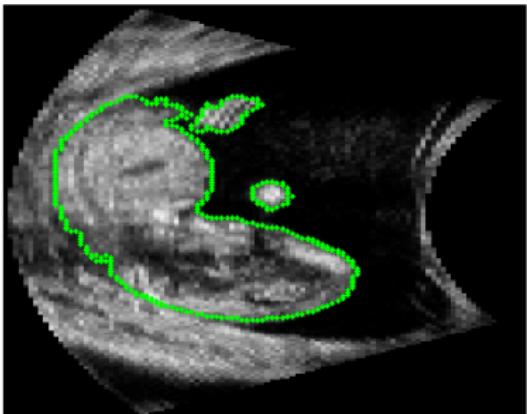
- Partition of the set of image pixels into regions of interest
 - ◊ Every pixel belongs to a region of interest
- Closed contours around the regions of interest
 - ◊ Pixels may belong to a region of interest or to a contour separating different regions
- Regions of interest are 'homogeneous'
 - ◊ With respect to color, texture, or more complex criteria



- Simplification of our domain of study:
 - ◊ set of pixels → set of regions/superpixels
- Pre-processing step for numerous image processing and computer vision tasks
 - ◊ Object detection
 - ◊ Feature extraction
 - ◊ Image simplification
 - ◊ Semantic classification
 - ◊ Video surveillance
 - ◊ Anomaly detection
 - ◊ Mapping, cartography, etc.



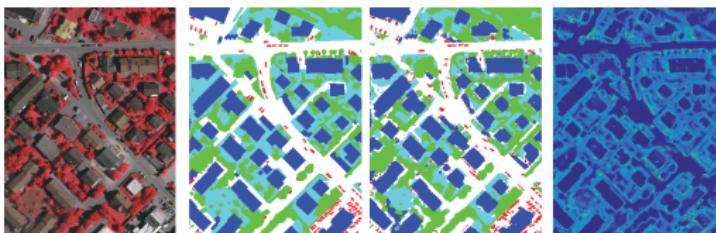
tumor detection



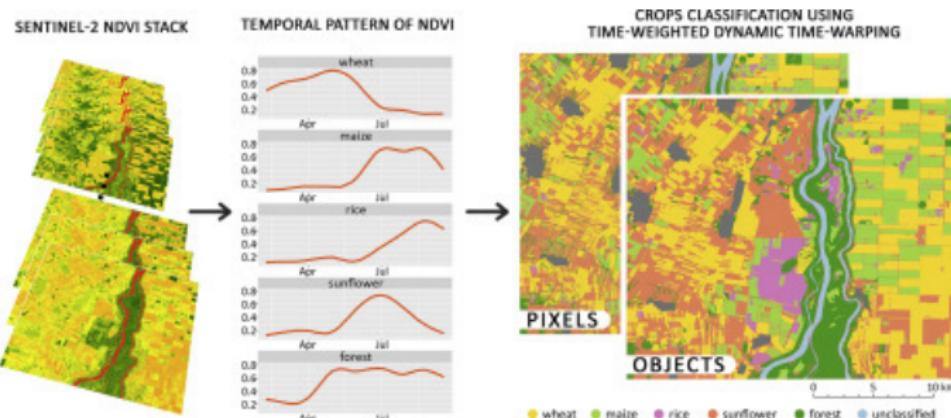
Fetus measurement

Brain

Image sources: <https://www.researchgate.net/>, femonum.telecom-paristech.fr/



High-resolution segmentation¹



Large-scale land-cover/land-use classification²

¹ Minh-Tan SPRAD Semantic segmentation Dataset.

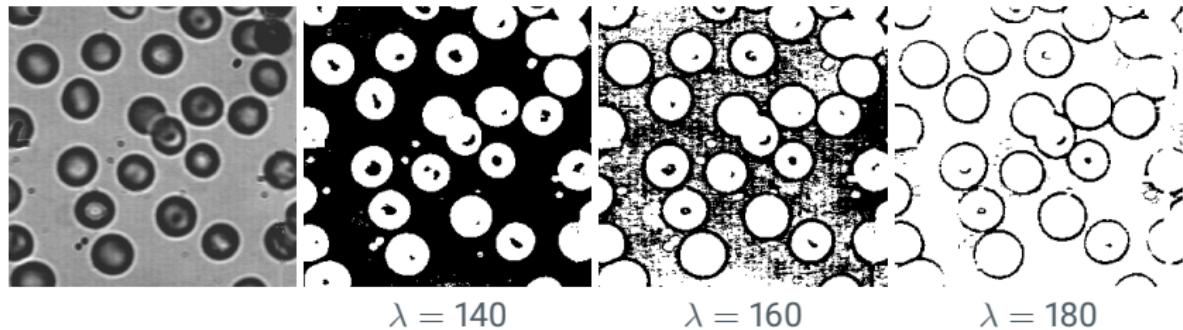
² https://www.ijgi.org/journal/2019/11/10/100001/remote-sensing-classification-of-large-scale-land-cover-and-land-use-change-detection-with-time-weighted-dynamic-time-warping

What are the difference ?

- segmentation
- semantic segmentation
- instance segmentation
- classification in computer vision vs classification in remote sensing

Simple method: Threshold-based

- Segment the image based on pixel's intensity or color values



$\lambda = 140$

$\lambda = 160$

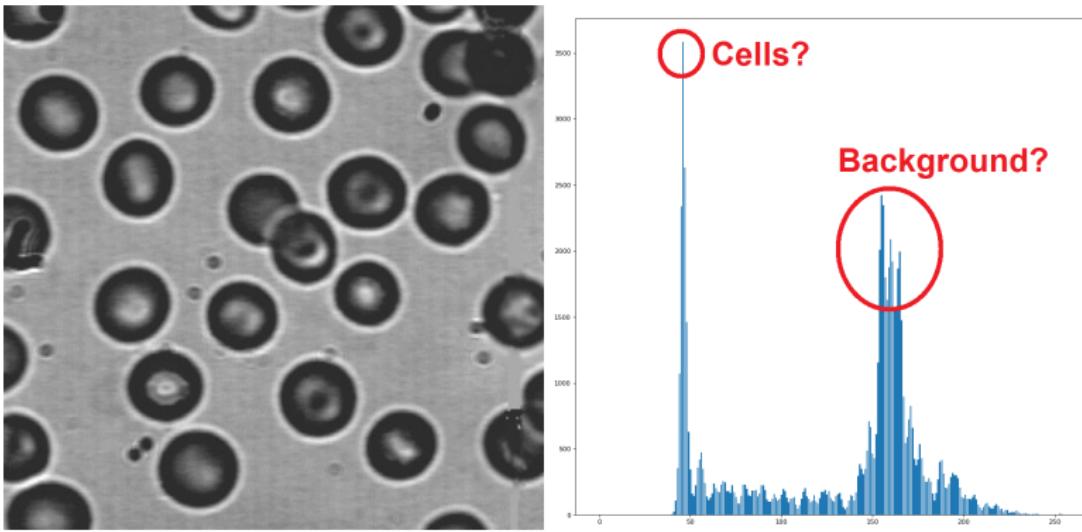
$\lambda = 180$



with $\lambda_{red} = 50$, $\lambda_{green} = 255$, $\lambda_{blue} = 50$

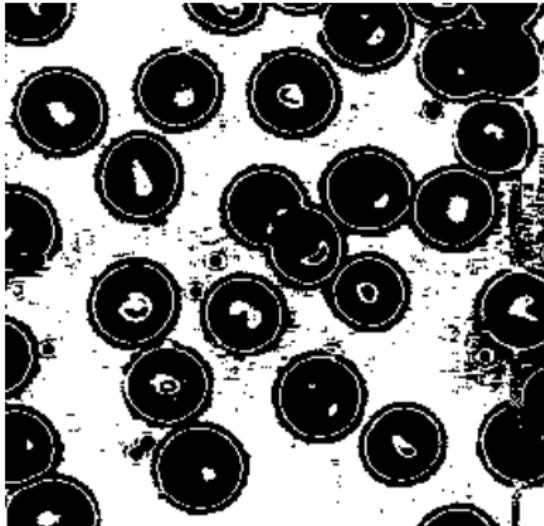
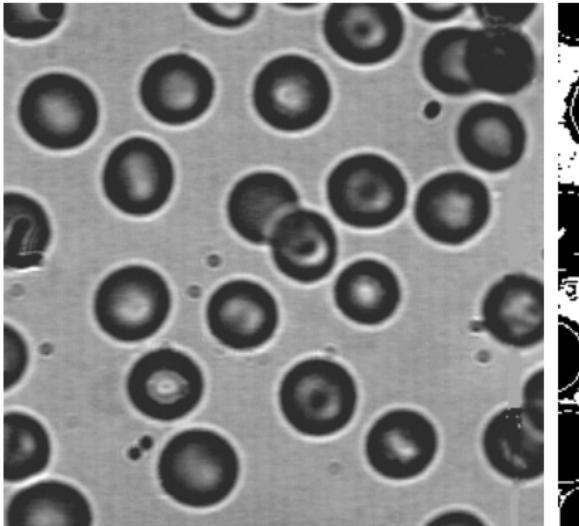
Histogram-based threshold selection

- Peaks in the histogram may indicate the regions of interest → help us to automatically define segmentation thresholds



Histogram-based threshold selection

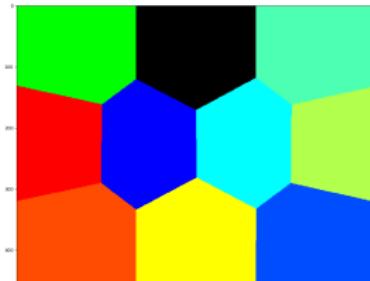
- Peaks in the histogram may indicate the regions of interest → help us to automatically define segmentation thresholds



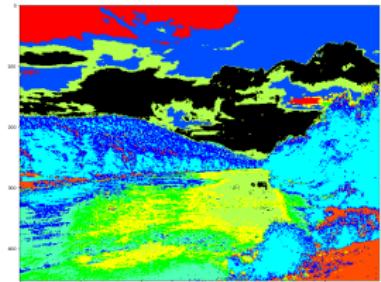
$$128 < \lambda < 170$$

Clustering methods

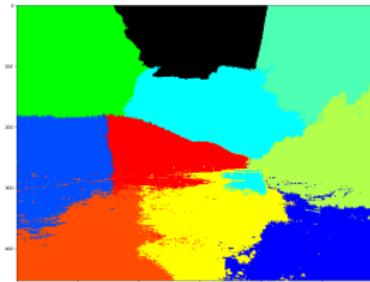
- Iterative clustering methods (K-means, SLIC)
- Combining spatial (x, y) and intensity/color/spectral information



$k = 10$, features= (x, y)

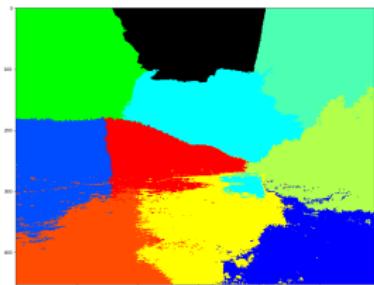


$k = 10$, features= (r, g, b)

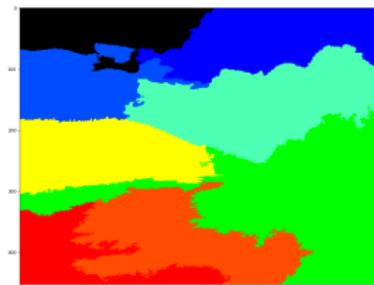


$k = 10$, features= (r, g, b, x, y)

- Iterative clustering methods (K-means, SLIC)
- Combining spatial (x, y) and intensity/color/spectral information



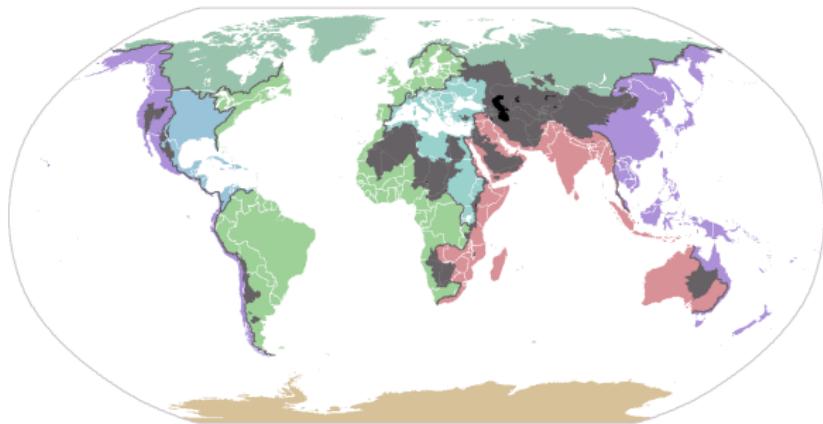
K-means algorithm
 $k = 10$, features= (r, g, b, x, y)



SLIC algorithm
 $k \approx 10$

- 1** Image segmentation
- 2** Watershed segmentation
- 3** Graph-based Watershed cuts
- 4** Hierarchical segmentations

- Based on the topographic notions of catchment basins and watersheds:
 - ◊ Studied since the 19th century for topographic purposes
 - ◊ Collected precipitation in a catchment basins drains to the same body of water, as a sea
 - ◊ Watershed (lines) separate neighbouring catchment basins



Gray-scale image visualized as a 3D surface:

- Gray-scale values proportional to altitudes
- Local minimum: connected pixels surrounded by pixels of strictly larger gray-levels
- Catchment basin: zone of influence of a minimum
- Watershed lines: frontiers between catchment basins

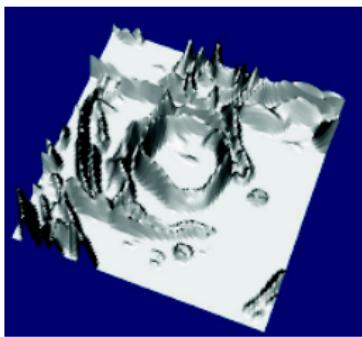
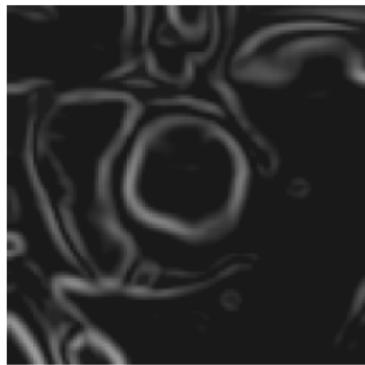
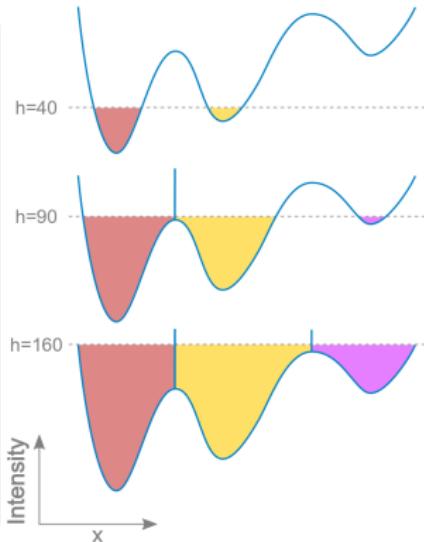


Image source: https://en.wikipedia.org/wiki/Watershed_%28image_processing%29

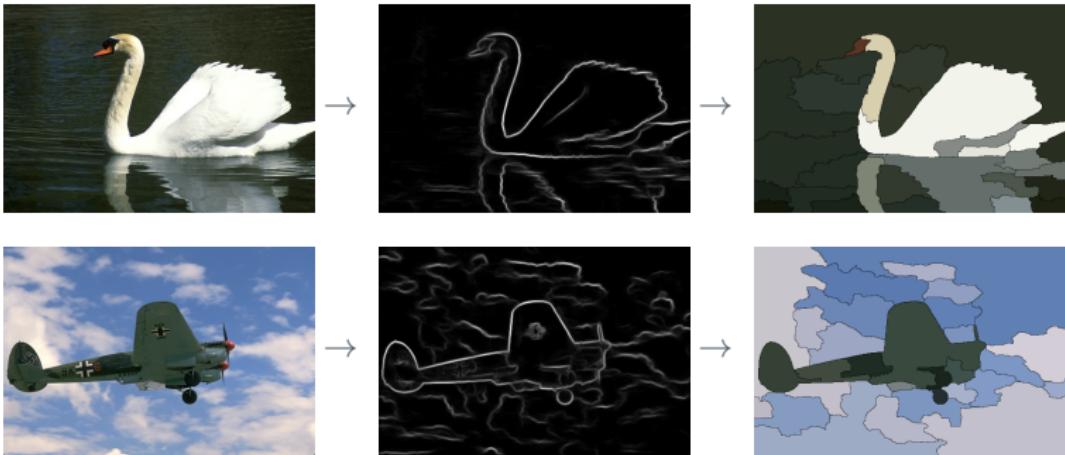
'Flooding' algorithm:

Input: gray-scale image I

1. Sort the pixels of I in an increasing order of their gray-levels
2. Find the domain $\{h_{min}, \dots, h_{max}\}$ of I
3. For each h in $\{h_{min}, \dots, h_{max}\}$:
 - 3.1 Find all pixels with gray level less than h
 - 3.2 Discover and label the local minima of I with altitude h
 - 3.3 Extend the already labeled catchment basins to the newly discovered pixels with altitude h

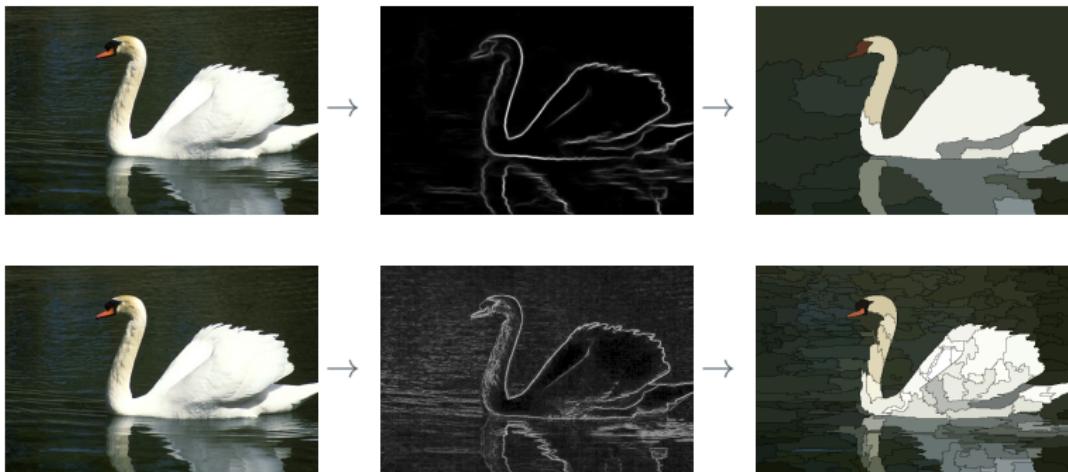


- Usually applied on image gradients, not on the original image
- Regions of interest are expected to have low and homogeneous gray-levels in the gradient



Watershed segmentation

- Quality of watershed segmentation depends on the gradient
- **Ideal scenario:** one local minima per region of interest
- **Common scenario:** several local minima per region of interest, leading to the so-called over-segmentation



How to deal with over-segmentation?

1. Smoothing of the image gradient
 - ◊ reduces noise and spurious local minima

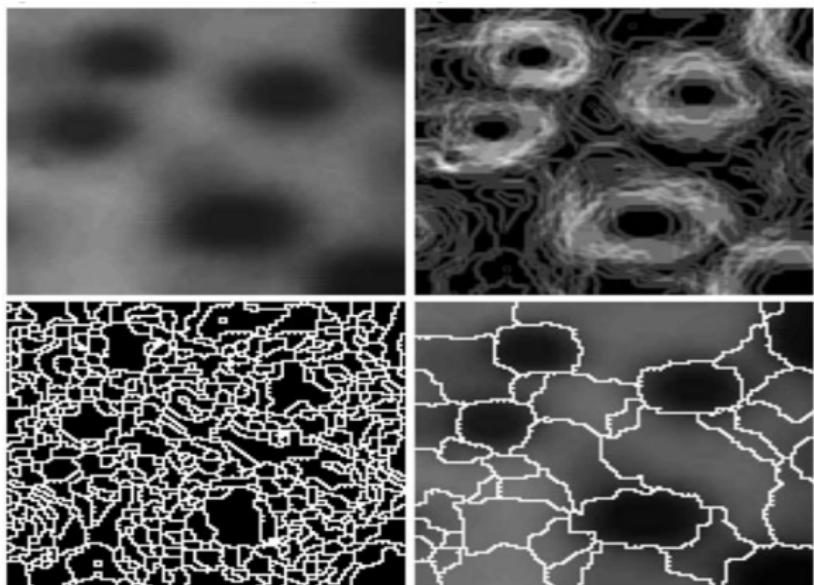
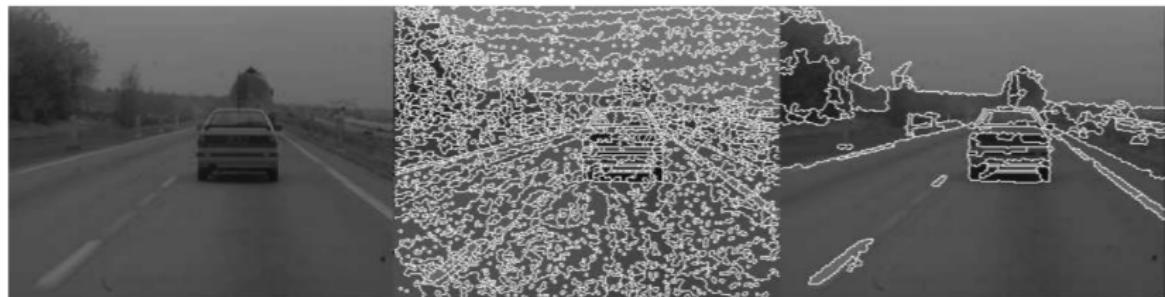


FIGURE 10.21

(a) Gray-scale image of small blobs. (b) Gradient magnitude image. (c) Watershed transform of (b), showing severe oversegmentation. (d) Watershed transform of the smoothed gradient image; some oversegmentation is still evident. (Original image courtesy of Dr. S. Beucher, CMM/Ecole de Mines de Paris.)

How to deal with over-segmentation?

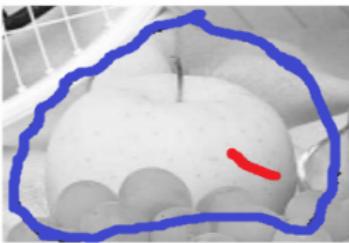
1. Smoothing of the image gradient
 - ◇ reduces noise and spurious local minima
2. Iterative clustering of regions



Beucher. Watershed, hierarchical segmentation and waterfall algorithm. 1994.

How to deal with over-segmentation?

1. Smoothing of the image gradient
 - ◊ reduces noise and spurious local minima
2. Iterative clustering of regions
3. Marked watershed
 - ◊ enforces local minima at the regions of interest
 - ◊ catchment basins are grown only from markers



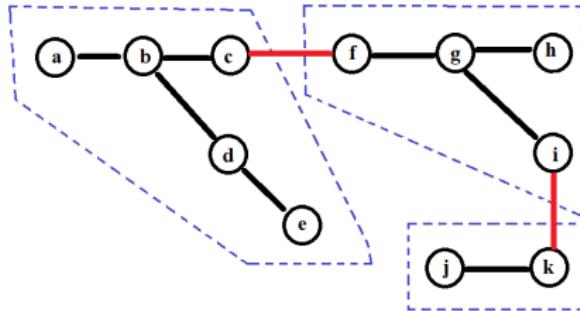
Markers



Watershed

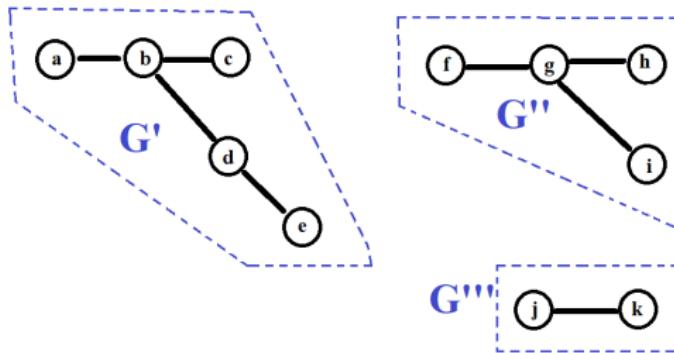
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Cuts and partitions



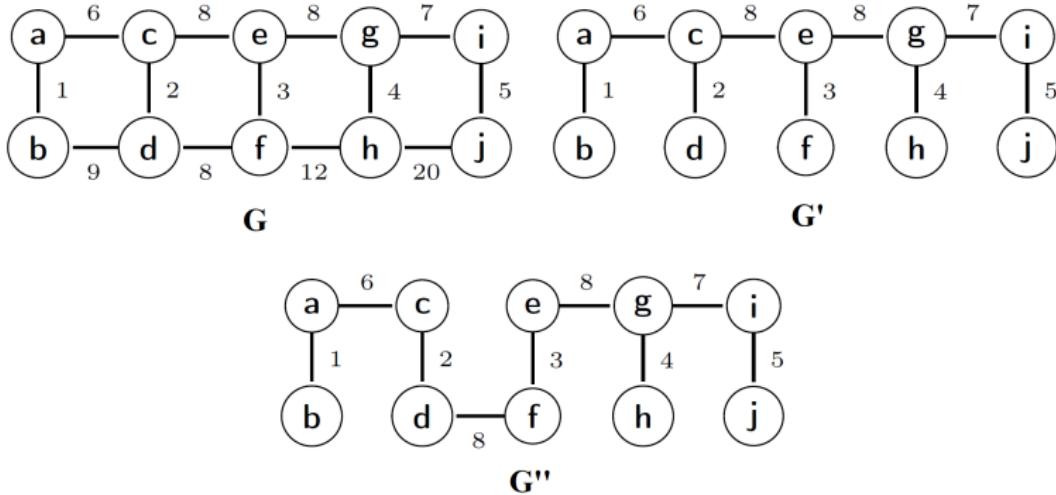
- ◊ $G = (V, E)$
- ◊ $V = \{a, b, c, \dots, j, k\}$, $E = \{\{a, b\}, \{b, d\}, \dots, \{j, k\}\}$
- ◊ **$E' = \{\{c, f\}, \{i, k\}\}$ is a cut of G :**
every edge in E' connects pixels belonging to different connected components of $(V, E \setminus E')$
- ◊ **E' induces a partition of G (resp. V) into three connected components**
(resp. sub-sets of vertices)

Tree and Forest



- ◊ $G = (V, E)$
- ◊ $V = \{a, b, c, \dots, j, k\}, E = \{\{a, b\}, \{b, d\}, \dots, \{j, k\}\}$
- ◊ G' , G'' and G''' are sub-graphs of G
- ◊ G' , G'' and G''' are trees (no cycles)
- ◊ G is a forest

Minimum spanning tree (MST)



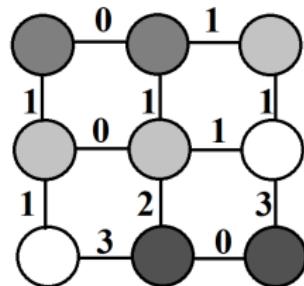
- ◊ G' is a **minimum spanning tree (MST)** of G :

 1. $G' = (V, E')$ is a sub-graph of G
 2. G' is a tree
 3. $\sum_{e \in E'} w(e)$ is minimal among all graphs for which 1 and 2 hold true

- ◊ **MSTs are not unique!** G'' is also a MST of G

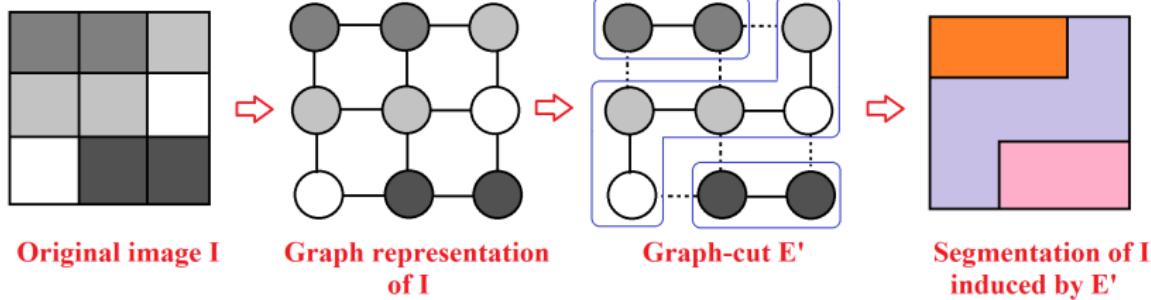
- Graph construction based on pixel adjacency, region adjacency
- Pixel: 4 and 8-connected pixels
- Region: neighborhood regions are connected
- Weights: usually defined as the similarity b/w nodes (weighted graph, affinity graph)
- Watershed graph: weight = distance (dissimilarity)

2	2	3
3	3	4
4	1	1

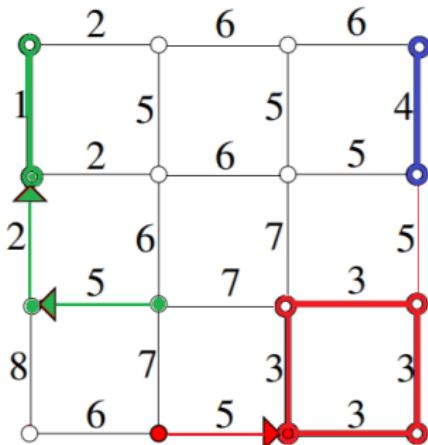


$$w(\{x,y\}) = |f(y)-f(x)|$$

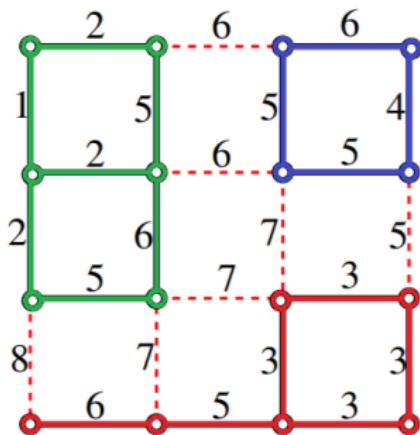
- A graph-cut induces a partition on the set of vertices → well adapted to image segmentation
 - Many methods/algorithms in the literature
 - ◊ Min-cut/Max-flow
 - ◊ Shortest path
 - ◊ Minimum spanning forest
 - ◊ Normalized cuts
- ...



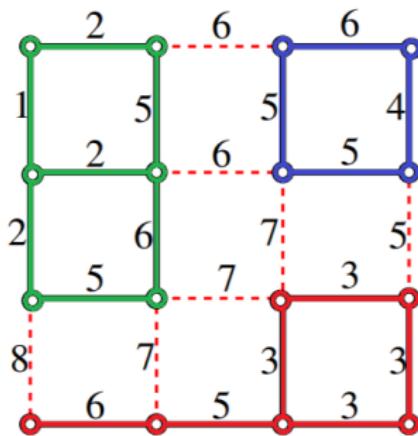
- Same intuition of the watershed segmentation presented previously, but now on graphs
- **Local minimum:** sub-graph of a graph G connected by edges of lower weights than its adjacent edges
- **Steepest descent property:** from each vertex v , there is a minimum M and a path $\pi = (v, v_1, \dots, v_n)$ s.t. v_n is a vertex of M and $w(v, v_1) \leq w(v_1, v_2) \leq \dots \leq w(v_{n-1}, v_n)$



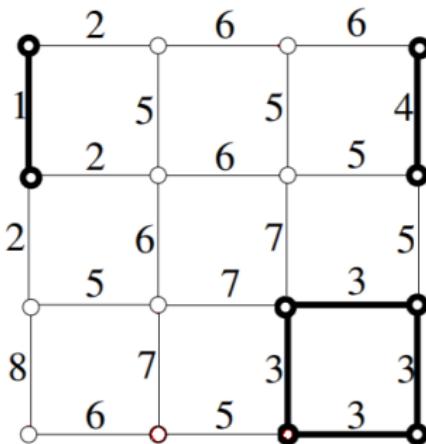
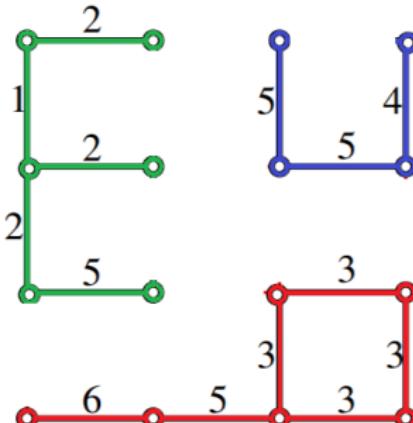
- Watershed-cut: subset of edges S s.t., for any edge $e = (x, y)$ in S , there is a descending path from x and y to two distinct minima of (G, w)
- Watershed segmentation: partition induced by a watershed-cut



- Watershed-cut: subset of edges S s.t., for any edge $e = (x, y)$ in S , there is a descending path from x and y to two distinct minima of (G, w)
- Watershed segmentation: partition induced by a watershed-cut
- **Linked to a well-known optimization problem on graphs:**
- **Minimum Spanning Forests**



Minimum Spanning Forest (relative to a set of minima)

 (G, w)  (G', w)

◇ **(G', w) is a MSF** (relative to the minima of (G, w)):

1. Each connected component of (G', w) contains exactly one minimum of (G, w)
2. The only cycles of (G', w) come from the minima of (G, w)
3. $\sum_{e \in E'} w(e)$ is minimal among all graphs for which 1 and 2 hold true

Watershed-cuts:

- Obtained using adaptations of MST algorithms
- Efficient computation: quasi-linear time complexity

Algorithm:

Segmentation with watershed-cuts:

Input: weighted graph $((V, E), w)$

1. Create one connected component per vertex in V : $C_0, \dots, C_{|V|}$
2. Find the set \mathcal{M} of minima of $((V, E), w)$
3. For each edge $e = (x, y)$ in E in increasing order of their weights:
 - 3.1 Merge the connected components of x (C_x) and y (C_y) if:
 - 3.1.1 x and y belong to the same minimum; or
 - 3.1.2 Only C_x contains a minimum; or
 - 3.1.3 Only C_y contains a minimum;

- 1** Image segmentation
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- P : set of pixels/vertices
- Sequence $\mathcal{H} = (H_0, \dots, H_n)$ of nested segmentations of P
- Causality and location principles:
 - ◊ any region in H_i , for $i > 0$ is the union of regions from H_{i-1}
 - ◊ a contour present at H_i is also in H_j for any $j < i$
- Modeled by a tree structure (e.g. partition tree)

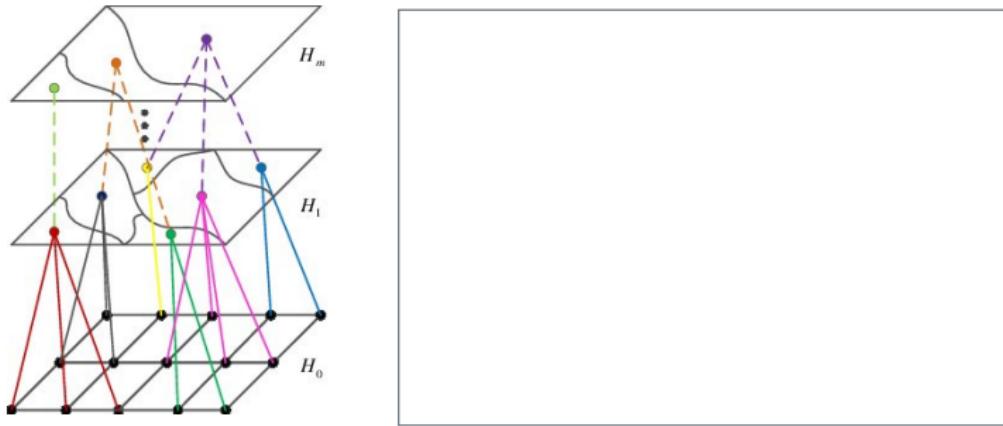
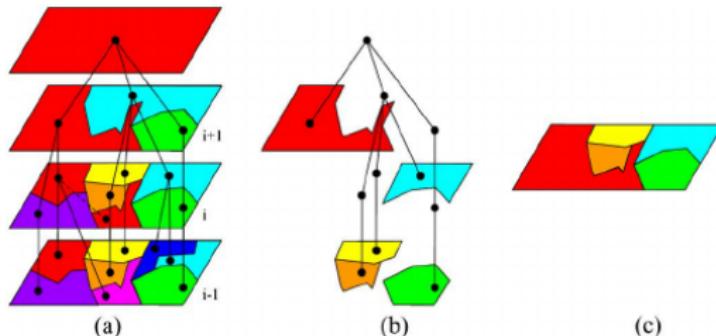
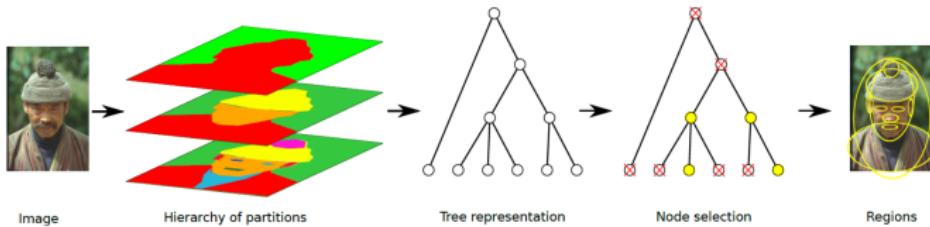


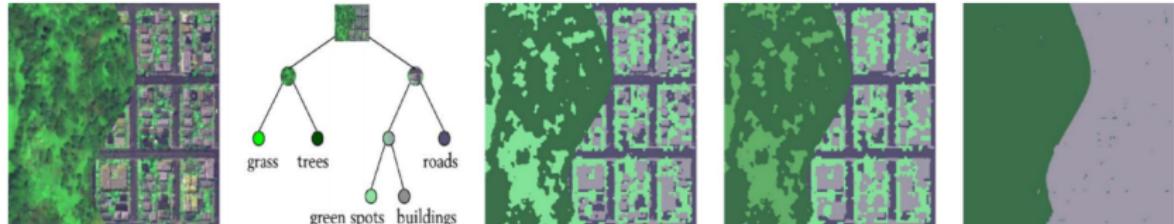
Image source: T. Lei et al. Adaptive morphological reconstruction for seeded image segmentation. 2019.

Why hierarchies of segmentations?

- Regions of interest do not all appear at the same scale
- A cut on tree (by minimizing a defined criterion) could provide a segmentation with better quality



Hierarchical segmentations: applications in remote sensing



Hierarchical description of remote sensing images³



Extraction of road networks from satellite images⁴

³R. Gaetano et al. Hierarchical Texture-Based Segmentation of Multiresolution Remote-Sensing Images. 2009.

⁴R. Alshehhi and P. R. Marpu. Hierarchical graph-based segmentation for extracting road networks from high-resolution satellite images. 2017.

Reading for discussion 1 Hierarchical graph-based segmentation for extracting road networks from high-resolution satellite images (Alshehhi et al., 2017).

- summary of the proposed methodology and the obtained results
- which techniques you have learned/known from the Computer Vision course
- pros/cons of the proposed approaches

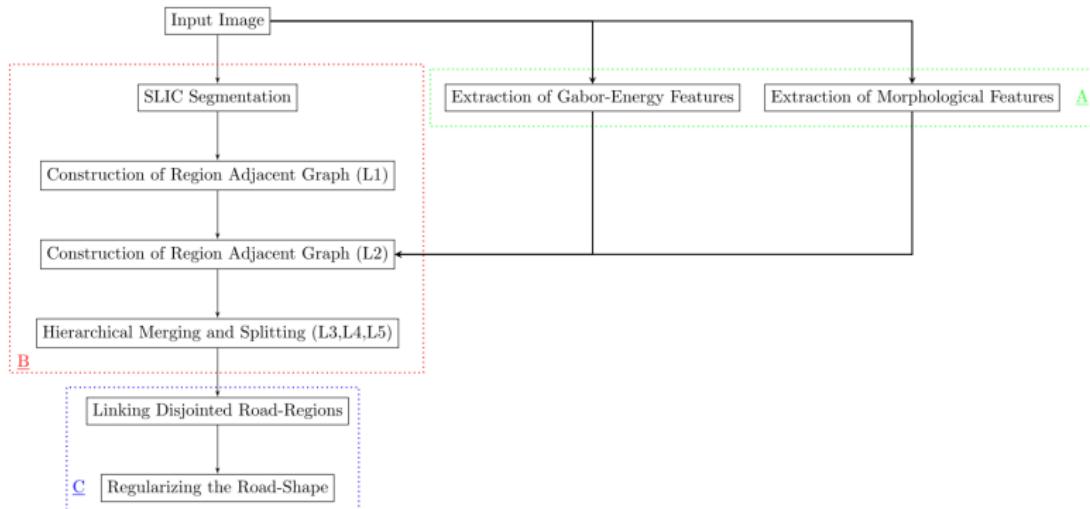
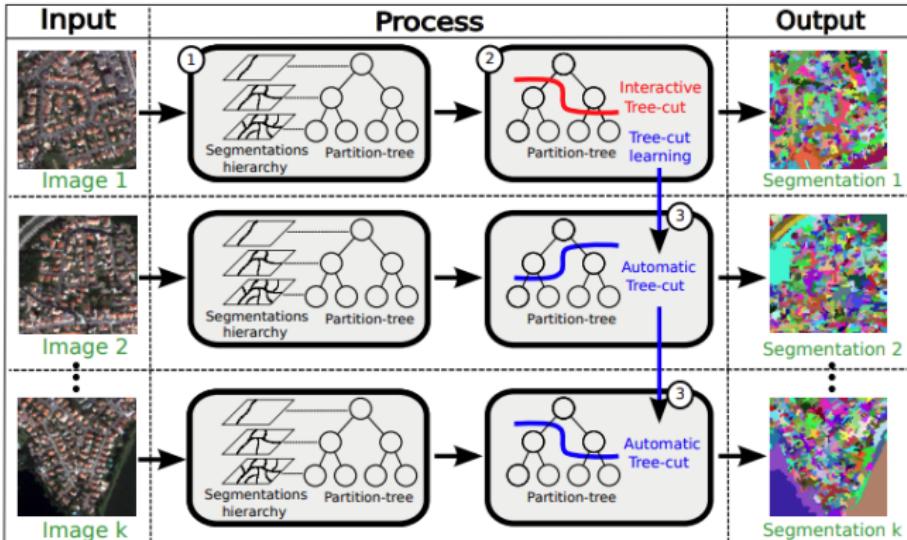


Fig. 1. Flowchart of the proposed method. It consists of (A) Pre-processing, (B) Graph-based segmentation, and (C) Post-processing.

Reading for discussion 2 Hierarchical segmentation of multiresolution remote sensing images (Camille Kurtz et al., 2018)

- **multi-resolution** hierarchical segmentation
- Iterative approach



Threshold, histogram, watershed and graph-based segmentation

- Download the notebook file and images from Moodle
- **Exo 1:** Manual thresholding and histogram-based thresholding for segmentation
- **Exo 2:** Clustering-based segmentation
- **Exo 3:** Watershed segmentation and dealing with over-segmentation
- **Exo 4:** Efficient Graph-Based Image Segmentation by Felzenszwalb
Huttenlocher (paper that you like a lot !!!)
- **Submit your work on Moodle by November 20 !!!**

1. A big thank to Deise Santana Maia for her materials to prepare this lecture
2. Guimaraes *et al.* A hierarchical image segmentation algorithm based on an observation scale, 2012.
3. Wikipedia: https://en.wikipedia.org/wiki/Image_segmentation
4. B. Perret *et al.* Evaluation of hierarchical watersheds. IEEE TIP. 2017.
5. T. Lei *et al.* Adaptive morphological reconstruction for seeded image segmentation. 2019.
6. Felzenszwalb, P. F., Huttenlocher, D. P. Efficient graph-based image segmentation. 2004.
7. Cousty *et al.* Watershed cuts: Minimum spanning forests and the drop of water principle. 2008.
8. R. Gaetano *et al.* Hierarchical Texture-Based Segmentation of Multiresolution Remote-Sensing Images. 2009.
9. R. Alshehhi and P. R. Marpu. Hierarchical graph-based segmentation for extracting road networks from high-resolution satellite images. 2017.